

# Applied Mathematics III Course Syllabus for Engineering Students



## **Wolkite University** **College of Natural and Computational Sciences** **Mathematics Department**

<b>Course information</b>	<b>Program:</b> B.Sc <b>Course Title :</b> Applied Mathematics III <b>Course Code:</b> Math2042 <b>Credit Hours:</b> 4hrs <b>Tutorial Hours:</b> 3hrs <b>Prerequisites:</b> Applied mathematics II <b>First class Date:</b> <u>February</u> <b>last class Date:</b> <u>May</u>	<b>Enrollment:</b> Regular <b>Course Category:</b> supportive <b>Course Credit point :</b> 7 ECTS <b>Academic Year:</b> 2024/25 <b>Year : II Semester: II</b>
<b>Instructor's Contact Information</b>	<b>Instructor's Name:</b> Solomon Amsalu (Asst..Prof.) <b>Email :</b> <a href="mailto:solomon.amsalu@wku.edu.et">solomon.amsalu@wku.edu.et</a> <b>Office Building:</b> NCS-New Building <b>Room N<sup>o</sup> :</b> First Floor	

### **On completion of the course successful students will be able to:**

- Define the concept of ordinary differential equations.
- Distinguish separable, homogeneous and exact differential equations.
- Distinguish linear and nonlinear differential equations.
- Compute general and particular solution of homogeneous differential equations.
- Appreciate the application of differential equations.
- Use the concept of vector and scalar fields to define arc length, curvature gradient divergence and curl.
- Compute line and surface integrals.
- Appreciate the application of vector differential and integral calculus.
- Use the concept of complex numbers and variables in higher topics.
- Compute limits, derivatives and integrals of complex variables.

Topics and Subtopics	Text books
<p><b>UNIT ONE Ordinary Differential Equation of the First Order</b></p> <ol style="list-style-type: none"> <li>1.1. Basic concept and ideas</li> <li>1.2. Separable equation</li> <li>1.3. Homogeneous equations</li> <li>1.4. Exact differential equations</li> <li>1.5. Integrating factors</li> <li>1.6. Linear first order differential equation</li> <li>1.7. Application of first order differential (project)</li> </ol>	<p>Erwin kreyszing, advanced engineering mathematics, 9<sup>th</sup> edition. Page 2-44</p> <p>Solomon Amsalu, Advanced Engineering Mathematics</p>
<p><b>UNIT TWO Ordinary Differential Equation of the Second Order</b></p> <ol style="list-style-type: none"> <li>2.1. Homogeneous linear equation of the second order</li> <li>2.2. Homogeneous second –order equations with constant coefficients</li> <li>2.3. General solution</li> <li>2.4. Real root, complex roots and double root of a characteristic equation.</li> <li>2.5. A method for solving non homogeneous linear equations</li> <li>2.6. Application of second order differential equation (project II)</li> </ol>	<p>Erwin kreyszing, advanced Engineering Mathematics, 9<sup>th</sup> edition. Page 45- 104</p> <p>Solomon Amsalu, Advanced Engineering Mathematics</p>

<p style="text-align: center;"><b>UNIT THREE    Laplace Transform</b></p> <p>3.1. Laplace transforms of standard functions  3.2. Inverse Laplace transform  3.3. Transform of derivative and integral  3.4. Differentiation and integration of transforms  3.5. Convolution: integral equations  3.6. Solving differential equation using Laplace transform</p>	<p>Erwin kreyszing, advanced engineering mathematics, 9<sup>th</sup> edition. Page 220-270</p> <p>Solomon Amsalu, Advanced Engineering Mathematics</p>
<p style="text-align: center;"><b>UNIT FOUR    Fourier Series and Fourier Integral</b></p> <p>4.1. Periodic function; trigonometric series  4.2. Fourier series and Fourier integral  4.3. The complex Fourier series and integrals  4.4. Fourier cosine and sine transformation  4.5. Fourier transformation</p>	<p>Erwin kreyszing, advanced engineering mathematics, 9<sup>th</sup> edition. Page 477-534</p> <p>Solomon Amsalu, Advanced Engineering Mathematics</p>
<p style="text-align: center;"><b>UNIT FIVE    Vector Calculus</b></p> <p>5.1. Scalar field and vector field  5.2. Curve , arc length and tangent  5.3. Gradient of scalar field; divergence and curl of a vector field  5.4. Line integrals and Greens theorem  5.5. Surface integral; divergence theorem of gauss; application  5.6. Stocks theorem; applications  5.7. Line integral independent of path</p>	<p>Erwin kreyszing, advanced engineering mathematics, 9<sup>th</sup> edition. Page 420-476</p> <p>Solomon Amsalu, Advanced Engineering Mathematics</p>

<p style="text-align: center;"><b>UNIT SIX    Complex Analytic Functions</b></p> <p>6.1    Complex number; the triangle inequality</p> <p>6.2    Functions of complex variables; limit derivative, analytic functions</p> <p>6.3    Cauchy-Riemann equation; Laplace equation</p> <p>6.4    Elementary equations: exponential, trigonometric, hyperbolic and logarithmic functions: general power</p>	<p>Rv. Churchill, complex variable and application</p> <p>Solomon Amsalu, Advanced Engineering Mathematics</p>
<p><b>UNIT SEVEN    Complex Integral</b></p> <p>7.1    Line integral in the complex plane</p> <p>7.2    Cauchy integral theorem and formula</p> <p>7.3    The derivative of analytic functions</p>	<p>Rv. Churchill, complex variable and application</p> <p>Solomon Amsalu, Advanced Engineering Mathematics</p>
<p><b><u>References</u></b></p> <ul style="list-style-type: none"> <li>- Erwin kreyszing, advanced engineering mathematics, 9<sup>th</sup>edition</li> <li>- Solomon Amsalu, Advanced Engineering Mathematics</li> <li>- R.v. Churchill, complex variable and application</li> <li>- James Stewart , calculus</li> <li>- Paul Dawkins, differential equations.</li> <li>- Robert Ellis and Denny Gulick, Calculus with analytic geometry,5<sup>th</sup> edition,</li> </ul>	