# HIGHT Quantum implementation

https://youtu.be/ODiy9G2mCvk

장경배

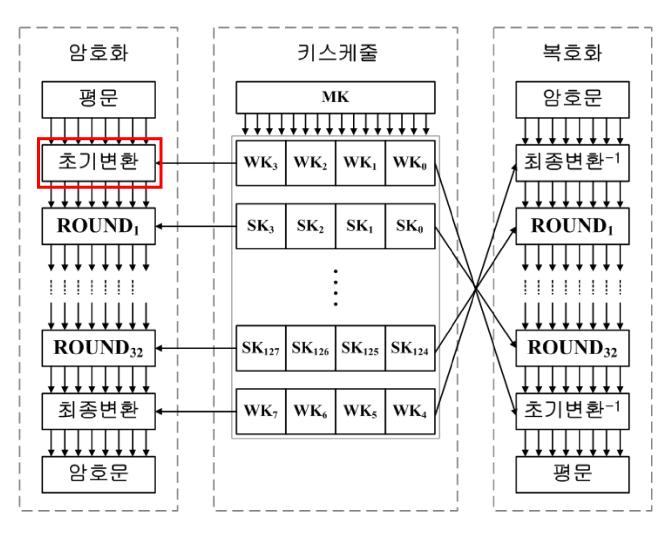




#### **HIGHT**

- ARX 연산으로 구성 된, 128 bit 마스터키, 64-bit의 평문, 암호문
- 제한적 자원을 갖는 환경에서 구현될 수 있도록 8-bit 단위의 ARX연산으로 설계
- **CHES** 06

#### **HIGHT**



HIGHT 전체구조

## HIGHT 초기변환

• 마스터키를 활용해서 화이트닝 키 생성하고

$$WK_{i} = \begin{cases} MK_{i+12} &, 0 \le i \le 3 \\ MK_{i-4} &, 4 \le i \le 7 \end{cases}$$

• 화이트닝키를 사용하여 입력 평문 P를 X로 변환

$$\begin{split} X_{0,i} &= P_i, \quad i = 1, \, 3, \, 5, \, 7 \\ X_{0,0} &= P_0 \boxplus \text{WK}_0 \\ X_{0,2} &= P_2 \oplus \text{WK}_1 \\ X_{0,4} &= P_4 \boxplus \text{WK}_2 \\ X_{0,6} &= P_6 \oplus \text{WK}_3 \end{split}$$

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```
# key
mk0 = eng.allocate_qureg(8)
mk1 = eng.allocate_qureg(8)
mk2 = eng.allocate_gureg(8)
mk3 = eng.allocate gureg(8)
mk4 = eng.allocate_qureg(8)
mk5 = eng.allocate gureg(8)
mk6 = eng.allocate_qureg(8)
mk7 = enq.allocate_qureg(8)
                                   128-bit 마스터키
mk8 = eng.allocate gureg(8)
mk9 = eng.allocate gureg(8)
mk10 = eng.allocate_qureg(8)
mk11 = eng.allocate_gureg(8)
mk12 = eng.allocate_qureg(8)
mk13 = eng.allocate gureg(8)
mk14 = eng.allocate_qureg(8)
mk15 = eng.allocate_qureg(8)
x0 = eng.allocate_gureg(8) # Plain_text
x1 = eng.allocate gureg(8)
x2 = eng.allocate_qureg(8)
                                   64-bit 평문
x3 = eng.allocate_qureg(8)
x4 = eng.allocate_gureg(8)
x5 = eng.allocate_gureg(8)
x6 = eng.allocate gureg(8)
x7 = eng.allocate gureg(8)
```

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```

```
#first whitening
\#WK0 = mk12
#WK1 = mk13
\#WK2 = mk14
\#WK3 = mk15
\#WK4 = mk0
\#WK5 = mk1
\#WK6 = mk2
\#Wk7 = mk3
Add(eng, mk12, x0, 0, 7, 0, 7, c0)
for i in range(8):
    CNOT | (mk13[i], x2[i])
Add(eng, mk14, x4, 0, 7, 0, 7, c0)
for i in range(8):
    CNOT | (mk15[i], x6[i])
```

#### 키 스케쥴

• 서브키 생성

For 
$$i = 0$$
 to 7  
For  $j = 0$  to 7  
 $SK_{16 \cdot i+j} \leftarrow MK_{j-i \mod 8} \boxplus \delta_{16 \cdot i+j};$   
For  $j = 0$  to 7  
 $SK_{16 \cdot i+j+8} \leftarrow MK_{(j-i \mod 8)+8} \boxplus \delta_{16 \cdot i+j+8};$ 

## 키 스케쥴

h 는 128 의 주기를 갖는다

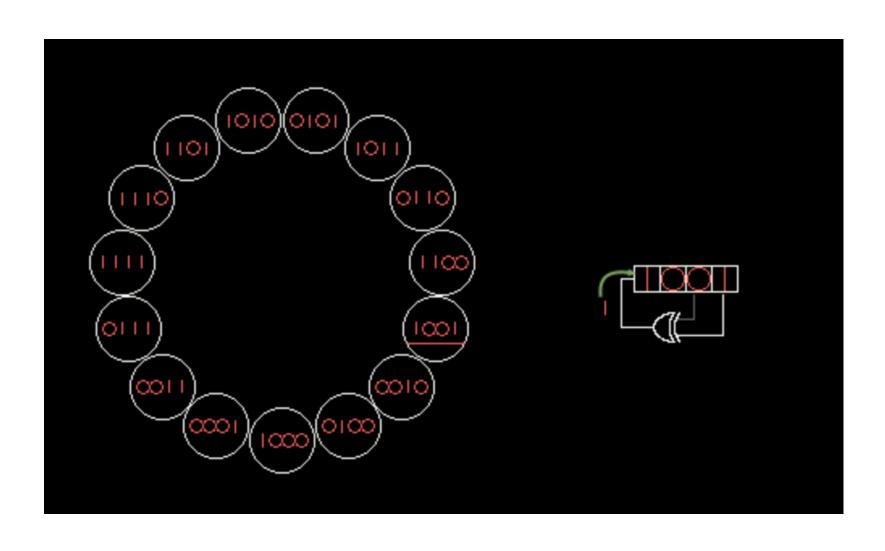
• LFSR  ${m h}$  의 연결 다항식은  $x^7+x^3+1$  이다. 이 다항식은  $F_2[x]$  에서 원시다항식이기 때문에

\* LFSR : 선형 되먹임 시프트 레지스터

• h의 초기 내부 상태 값은  $\delta_0=(s_6,s_5,s_4,s_3,s_2,s_1,s_0)=(1,\,0,\,1,\,1,\,0,\,1,\,0)_2$ 

•  $i=1,\cdots,127$  에 대하여  $\delta_i$  는 다음과 같이 생성된다.

$$\begin{aligned} s_{i+6} &= s_{i+2} \oplus s_{i-1}, \\ \delta_i &= (s_{i+6}, s_{i+5}, s_{i+4}, s_{i+3}, s_{i+2}, s_{i+1}, s_i), \qquad 1 \leq i \leq 127 \end{aligned}$$



#### 키 스케쥴

```
\begin{split} \delta_0 &= (s_6, s_5, s_4, s_3, s_2, s_1, s_0) = (1, \, 0, \, 1, \, 1, \, 0, \, 1, \, 0)_2 \\ s_{i+6} &= s_{i+2} \oplus s_{i-1}, \\ \delta_i &= (s_{i+6}, \, s_{i+5}, \, s_{i+4}, \, s_{i+3}, \, s_{i+2}, \, s_{i+1}, \, s_i), \qquad 1 \leq i \leq 127 \end{split}
```

 $\Psi$ 

```
def generate_s(eng, s, i):
    i = i + 1

if (i == 0):
    return i

# new(0) , 6, 5, 4, 3, 2 , 1 ( i % 7 , (i-1) % 7 )
CNOT | (s[(i+2)%7], s[(i-1)%7])

return i
```

HIGHT는 라운드 함수에서는 다음과 같은 보조 함수를 사용

$$F_0(X) = X^{\ll 1} \oplus X^{\ll 2} \oplus X^{\ll 7}$$
$$F_1(X) = X^{\ll 3} \oplus X^{\ll 4} \oplus X^{\ll 6}$$

라운드 함수는 Round 1 부터 Round 32 까지 32회 반복

$$X_{i,j} = X_{i-1,j-1}, j = 1, 3, 5, 7$$

$$X_{i,0} = X_{i-1,7} \oplus (F_0(X_{i-1,6}) \boxplus SK_{4i-1})$$

$$X_{i,2} = X_{i-1,1} \boxplus (F_0(X_{i-1,0}) \oplus SK_{4i-4})$$

$$X_{i,4} = X_{i-1,3} \oplus (F_0(X_{i-1,2}) \boxplus SK_{4i-3})$$

$$X_{i,6} = X_{i-1,5} \boxplus (F_0(X_{i-1,4}) \oplus SK_{4i-2})$$

$$F_0(X) = X^{\ll 1} \oplus X^{\ll 2} \oplus X^{\ll 7}$$
$$F_1(X) = X^{\ll 3} \oplus X^{\ll 4} \oplus X^{\ll 6}$$

7 6 5 4 3 2 1 0

```
      6
      5
      4
      3
      2
      1
      0
      7
      <<1</td>

      5
      4
      3
      2
      1
      0
      7
      6
      <<2</td>

      0
      7
      6
      5
      4
      3
      2
      1
      <<7</td>
```

6 5 4 2 7 3 0 1

```
def F0 (eng, x): #21cnot
    CNOT | (\times[4], \times[5])
                             #5 = 5+4
    CNOT | (x[3], x[4])
                             # 4 = 4+3
    CNOT | (x[2], x[3])
                             # 3 = 3+2
    CNOT | (\times[2], \times[0])
                             # 0 = 0+2
    CNOT | (x[4], x[2])
                            # 2 = 2+4+3
                           # 2 = 2+5+3
    CNOT | (x[5], x[2])
    CNOT | (x[7], x[5])
                            # 5 = 5+4+7
    CNOT | (\times[6], \times[4])
                            # 4 = 4+3+6
    CNOT | (\times[0], \times[3])
                            # 3 = 3+0
    CNOT | (x[1], x[3])
                           # 3 = 3+0+1
    CNOT | (x[6], x[1])
                            # 1 = 1+6
    CNOT | (x[7], x[1])
                            # 1 = 1+6+7
    CNOT | (\times[7], \times[0])
                           # 0 = 0+2+7
    CNOT | (x[5], x[6])
                             # 6 = 6+5+4+7
    CNOT | (x[4], x[6])
                             # 6 = 3+5+7
    CNOT | (x[3], x[6])
                            # 6 = 0+1+5+7
    CNOT | (x[1], x[6])
                            # 6 = 0+5+6
    CNOT | (x[6], x[7])
                             #7 = 7+0+5+6
    CNOT | (x[5], x[7])
                             # 7 = 4+0+6
    CNOT | (x[1], x[7])
                            # 7 = 1+4+0+7
    CNOT | (\times[0], \times[7])
                            # 7 = 1+4+2
```

#### 라운드 함수는 Round 1 부터 Round 32 까지 32회 반복

```
X_{i,j} = X_{i-1,j-1}, j = 1, 3, 5, 7
X_{i,0} = X_{i-1,7} \oplus (F_0(X_{i-1,6}) \boxplus SK_{4i-1})
X_{i,2} = X_{i-1,1} \boxplus (F_0(X_{i-1,0}) \oplus SK_{4i-4})
X_{i,4} = X_{i-1,3} \oplus (F_0(X_{i-1,2}) \boxplus SK_{4i-3})
X_{i,6} = X_{i-1,5} \boxplus (F_0(X_{i-1,4}) \oplus SK_{4i-2})
```

\*

```
For i = 0 to 7

For j = 0 to 7

SK_{16 \cdot i + j} \leftarrow MK_{j-i \mod 8} \boxplus \delta_{16 \cdot i + j};

For j = 0 to 7

SK_{16 \cdot i + j + 8} \leftarrow MK_{(j-i \mod 8) + 8} \boxplus \delta_{16 \cdot i + j + 8};
```

```
CNOT | (a[0], b[1])

CNOT | (a[1], b[0])

CNOT | (a[2], b[3])

CNOT | (a[3], b[7])

CNOT | (a[4], b[2])

CNOT | (a[5], b[4])

CNOT | (a[6], b[5])

CNOT | (a[7], b[6])
```

```
def Round(eng, s, mk_first, mk_second, mk_third, mk_fourth, x0, x1, x2, x3, x4, x5, x6, x7, i, c0):
    ####################
    i = generate s(eng, s, i)
   Add s(eng, s, mk first, i \% 7, (i-1) \% 7, 0, 7, c0)
   F0(enq, x0)
   F0_CNOT(eng, mk_first, x0)
   X_Add(eng, x0, x1, c0)
    #Reverse
   F0_CNOT(eng, mk_first, x0)
   F0_reverse(eng, x0)
   Add_s_reverse(eng, s, mk_first, i % 7, (i-1) % 7, 0, 7, c0)
   # END : X2 = X1
    i = generate_s(eng, s, i)
   Add_s(eng, s, mk_second, i \% 7, (i-1) \% 7, 0, 7, c0)
   F0(eng, x2)
   F0_Add(eng, mk_second, x2, c0)
    X CNOT(eng, x2, x3)
    #Reverse
   F0_Add_Reverse(eng, mk_second, x2, c0)
   F0_reverse(eng, x2)
   Add_s_reverse(eng, s, mk_second, i % 7, (i-1) % 7, 0, 7, c0)
    # END : X4 = X3
```

```
i = generate_s(eng, s, i)
Add_s(eng, s, mk_third, i \% 7, (i-1) \% 7, 0, 7, c0)
F0(enq, x4)
F0_CNOT(eng, mk_third, x4)
X Add(eng, x4, x5, c0)
#Reverse
F0_CNOT(eng, mk_third, x4)
F0_reverse(eng, x4)
Add_s_reverse(eng, s, mk_third, i % 7, (i - 1) % 7, 0, 7, c0)
\#END : X6 = X5
i = generate_s(eng, s, i)
Add_s(eng, s, mk_fourth, i % 7, (i - 1) % 7, 0, 7, c0)
F0(eng, x6)
F0 Add(eng, mk fourth, x6, c0)
X CNOT(eng, x6, x7)
#Reverse
F0 Add Reverse(eng, mk fourth, x6, c0)
F0 reverse(eng, x6)
Add s reverse(eng, s, mk fourth, i \% 7, (i - 1) \% 7, 0, 7, c0)
\#End : x0 = x7
return i
```

```
Add(eng, mk12, x0, 0, 7, 0, 7, c0)
for i in range(8):
    CNOT | (mk13[i], x2[i])
Add(eng, mk14, x4, 0, 7, 0, 7, c0)
for i in range(8):
    CNOT | (mk15[i], x6[i])
i=-1
# Round 1
i = Round(eng, s, mk0, mk1, mk2, mk3, x0, x1, x2, x3, x4, x5, x6, x7, i, c0)
# Round2
i = Round(eng, s, mk4, mk5, mk6, mk7, x7, x0, x1, x2, x3, x4, x5, x6, i, c0)
#Round 3
i = Round(eng, s, mk8, mk9, mk10, mk11, x6, x7, x0, x1, x2, x3, x4, x5, i, c0)
# Round 4
i = Round(eng, s, mk12, mk13, mk14, mk15, x5, x6, x7, x0, x1, x2, x3, x4, i, c0)
```

```
# Round 5
i = Round(eng, s, mk7, mk0, mk1, mk2, x4, x5, x6, x7, x0, x1, x2, x3, i, c0)
# Round 6
i = Round(eng, s, mk3, mk4, mk5, mk6, x3, x4, x5, x6, x7, x0, x1, x2, i, c0)
# Round 7
i = Round(eng, s, mk15, mk8, mk9, mk10, x2, x3, x4, x5, x6, x7, x0, x1, i, c0)
# Round 8
i = Round(eng, s, mk11, mk12, mk13, mk14, x1, x2, x3, x4, x5, x6, x7, x0, i, c0)
# Round 9
i = Round(eng, s, mk6, mk7, mk0, mk1, x0, x1, x2, x3, x4, x5, x6, x7, i, c0)
# Round 10
i = Round(eng, s, mk2, mk3, mk4, mk5, x7, x0, x1, x2, x3, x4, x5, x6, i, c0)
# Round 11
i = Round(eng, s, mk14, mk15, mk8, mk9, x6, x7, x0, x1, x2, x3, x4, x5, i, c0)
# Round 12
i = Round(eng, s, mk10, mk11, mk12, mk13, x5, x6, x7, x0, x1, x2, x3, x4, i, c0)
```

# Round 32

 $i = Last_{Round(eng, s, mk13, mk14, mk15, mk8, x1, x2, x3, x4, x5, x6, x7, x0, i, c0)$ 

#### HIGHT 라스트 라운드, 최종변환

$$X_{32,i} = X_{31,i}, i = 0, 2, 4, 6$$
  
 $X_{32,1} = X_{31,1} \boxplus (F_1(X_{31,0}) \oplus SK_{124})$   
 $X_{32,3} = X_{31,3} \oplus (F_0(X_{31,2}) \boxplus SK_{125})$   
 $X_{32,5} = X_{31,5} \boxplus (F_1(X_{31,4}) \oplus SK_{126})$   
 $X_{32,7} = X_{31,7} \oplus (F_0(X_{31,6}) \boxplus SK_{127})$ 

```
C_{i} = X_{32,i}, i = 1, 3, 5, 7
C_{0} = X_{32,0} \boxplus WK_{4}
C_{2} = X_{32,2} \oplus WK_{5}
C_{4} = X_{32,4} \boxplus WK_{6}
C_{6} = X_{32,6} \oplus WK_{7}
```

# 감사합니다

