# Gift Cipher https://youtu.be/YInBFvhLsQU





Gift 암호란?

Gift 암호 기본 개념 설명

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SPN구조의 경량 암호

#### 2 Specifications

In this work, we propose two versions of GIFT, GIFT-64-128 is a 28-round SPN cipher and GIFT-128-128 is a 40-round SPN cipher, both versions have a key length of 128-bit. For short, we call them GIFT-64 and GIFT-128 respectively.

GIFT can be perceived in three different representations. In this paper, we adopt the classical 1D representation, describing the bits in a row like PRESENT. It can also be described in bitslice 2D, a rectangular array like RECTANGLE [48] (see Appendix A), and even in 3D cuboid like 3D [34] (see Appendix B).

Round function. Each round of GIFT consists of 3 steps: SubCells, PermBits, and AddRoundKey, which is conceptually similar to wrapping a gift:

- 1. Put the content into a box (SubCells);
- 2. Wrap the ribbon around the box (PermBits);
- Tie a knot to secure the content (AddRoundKey).

Figure 1 illustrates 2 rounds of GIFT-64.

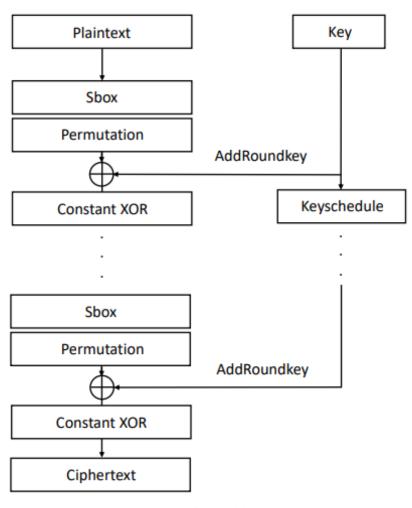


Figure 2. Encryption process of GIFT block cipher.

#### 2.2. GIFT Block Cipher

The GIFT block cipher is a symmetric key cryptography using the Substitution Permutation Network (SPN) method. There are GIFT-64/128 (64-bit block and 128-bit key) and GIFT-128/128 (128-bit block and 128-bit key). In the GIFT block cipher, each round performs four steps: Sbox, Permutation, AddRoundKey and Constant XOR. The encryption operation of GIFT block cipher is described in Figure 2.

#### 2.2.1. Sbox of GIFT Block Cipher

The n-bit block (n = 64, 128) is split into 4 bits and becomes the input value of the 4-bit Sbox. The Sbox of GIFT block cipher is given in Table 3.

Table 3. Sbox of GIFT block cipher.

x	0	1	2	3	4	5	6	7	8	9	a	b	С	d	e	f
Sbox(x)	1	a	4	C	6	f	3	9	2	d	b	7	5	0	8	e

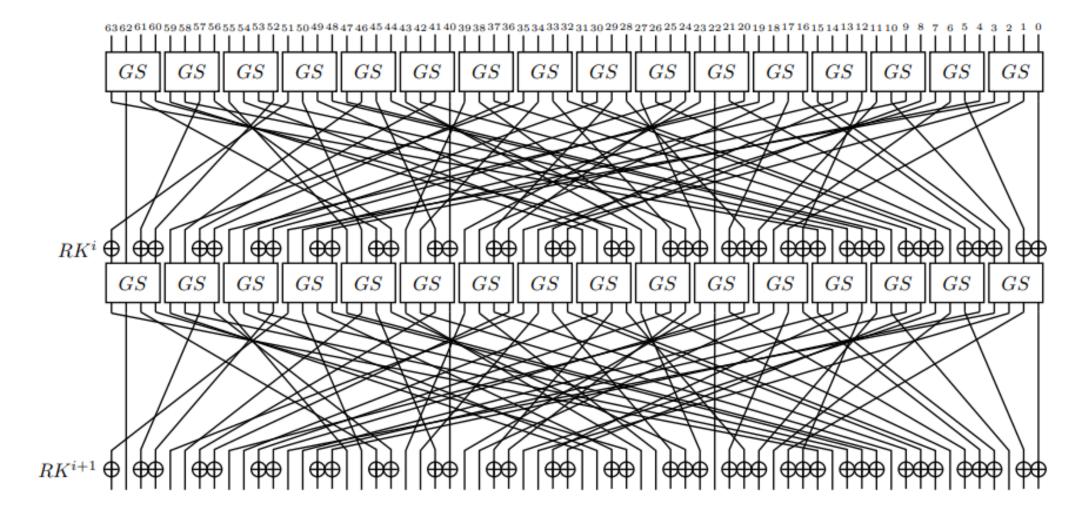


Fig. 1. 2 Rounds of GIFT-64.

#### 2.2.2. Permutation of GIFT Block Cipher

In the permutation, GIFT-64/128 replaces the  $P_{64}(i)$ -th bit of block B with the i-th bit of block B. Details on the permutation of GIFT-64/128 are shown in Table 4. In this paper, detailed Table on permutation of GIFT-128/128 is omitted. Permutation Table of GIFT-128/128 can be found in [4].

Table 4	Permutation	of GIFT-64 bit
Table 4.	т спициация	

i	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
$P_{64}(i)$	0	17	34	51	48	1	18	35	23	49	2	19	16	33	50	3
i	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31
$P_{64}(i)$	4	21	38	55	52	5	22	39	36	53	6	23	20	37	54	7
i	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47
$P_{64}(i)$	8	25	42	59	56	9	26	43	40	57	10	27	24	41	58	11
$\frac{P_{64}(i)}{i}$	48	25 49													58 62	

#### 2.2.3. AddRoundkey of GIFT Block Cipher

In the GIFT-64/128 block cipher,  $k_0$  and  $k_1$  (32-bit total) are selected from the key  $(K = k_7, ..., k_0)$ .  $k_0$  and  $k_1$  are used as U and V of the round key as follows,  $RK = U||V = u_{15}...u_0||v_{15}...v_0$  ( $U = k_1, V = k_0$ ). The round key is exclusive-ored with the block B, where U is XORed to  $b_{4i+1}$  and V is XORed to  $b_{4i}$ .

$$b_{4i+1} \leftarrow b_{4i+1} \oplus u_i, \ b_{4i} \leftarrow b_{4i} \oplus v_i, \ i = 0, ..., 15$$
 (6)

#### 2.2.4. Constant XOR of GIFT Block Cipher

Round constants C given in Table 5 are used in GIFT-64/128 and GIFT-128/128 block ciphers. Single bit and round constants ( $C = c_5c_4c_3c_2c_1c_0$ ) are XORed to block B as in Equation (8).

$$b_{n-1} \leftarrow b_{n-1} \oplus 1, b_{23} \leftarrow b_{23} \oplus c_5, \ b_{19} \leftarrow b_{19} \oplus c_4, \ b_{15} \leftarrow b_{15} \oplus c_3, b_{11} \leftarrow b_{11} \oplus c_2, \ b_7 \leftarrow b_7 \oplus c_1, \ b_3 \leftarrow b_3 \oplus c_0.$$
 (8)

Table 5. Round constants C.

Rounds		Constants C														
1 to 16	01	03	07	0F	1F	3E	3D	3B	37	2F	1E	3C	39	33	27	0E
17 to 32	1D	3A	35	2B	16	2C	18	30	21	02	05	0B	17	2E	1C	38
33 to 48	31	23	06	0D	1B	36	2D	1A	34	29	12	24	08	11	22	04

#### 2.2.5. Keyschedule of GIFT Block Cipher

In GIFT-64/128 and GIFT-128/128 block ciphers, the Keyschedule updates key  $(K = k_7, ..., k_0)$  and extracts the round key from the updated key K. The Keyschedule is shown in Equation (9). The notation ( $\gg i$ ) denotes a right rotation operation (i-bit).

$$k_7||k_6||...||k_1||k_0 \leftarrow k_1 \gg 2||k_0 \gg 12||...||k_3||k_2,$$
 (9)

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$$b_{n-1} \leftarrow b_{n-1} \oplus 1, b_{23} \leftarrow b_{23} \oplus c_5, b_{19} \leftarrow b_{19} \oplus c_4, b_{15} \leftarrow b_{15} \oplus c_3, b_{11} \leftarrow b_{11} \oplus c_2, b_7 \leftarrow b_7 \oplus c_1, b_3 \leftarrow b_3 \oplus c_0.$$
 (8)

Table 5. Round constants C. (3\*(+3+1) = 6(3\*(+3+1)) + (-3+1)

Rounds		Constants C														
1 to 16	01	03	07	0F	1F	3E	3D	3В	37	2F	1E	3C	39	33	27	0E
17 to 32	1D	3A	35	2B	16	2C	18	30	21	02	05	OB/	17	2E	1C	38
33 to 48		23	06	0D	1B	· 36	2D	1A	34	29	12	24	08	11	22	04

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$$k_7||k_6||...||k_1||k_0 \leftarrow k_1 \gg 2||k_0 \gg 12||...||k_3||k_2,$$
 (9)



 $k_{0}$   $k_{6}$   $k_{5}$   $k_{4}$   $k_{3}$   $k_{2}$   $k_{6}$   $k_{6$ 

```
GIFT_S=[1, 10, 4, 12, 6, 15, 3, 9, 2, 13, 11, 7, 5, 0, 8, 14] # 16
GIFT_P=[
GIFT_RC =[0x01, 0x03, 0x07, 0x0F, 0x1F, 0x3E, 0x3D, 0x3B, 0x37, 0x2F,
plaintext = [0x0_0x1_0x2_0x3_0x4_0x5_0x6_0x7_0x8_0x9_0xa_0xb_0xc_0xd_0xe_0xf]
key = [0x0,0x1,0x2,0x3,0x4,0x5,0x6,0x7,0x8,0x9,0xa,0xb,0xc,0xd,0xe,0xf,0x0,0x1,0x2,0x3,0x4,0x5,0x6,0x7,0x8,0x9,0xa,0xb,0xc,0xd,0xe,0xf]
  ef print_state(plaintext):
        temp = hex(plaintext[15-i])
  ef print_state_bit(plaintext):
  ef print_key(plaintext):
```

```
ef hex_to_key(key):
ef print_key_bit(key):
ef hex_to_bit(plaintext):
f permutation(bit64):
     new_64[GIFT_P[i]] = bit64[i]
 return new_64
ef AddRoundkey(plaintext, roundkey): # plaintext = new_64
```

```
def keyschedule(key):
   k[16:32] = key[48:64]
   k[32:48] = key[64:80]
   k[48:64] = key[80:96]
   k[64:80] = key[96:112]
   k[80:96] = key[112:128]
   k[96:112] = key[0:16]
   k[112:128] = key[16:32]
   temp[96:112] = k[96:112]
   k[96] = temp[108]
   k[97] = temp[109]
   k[98] = temp[110]
   k[99] = temp[111]
       k[100+i] = temp[96+i]
   temp[112:128] = k[112:128]
       k[112+i] = temp[114+i]
   k[126] = temp[112]
   k[127] = temp[113]
```

```
f bit_to_hex(plaintext):
for i in range(16):
    out[i] = out[i] + plaintext[4*i] * 1
    out[i] = out[i] + plaintext[4*i+1] * 2
    out[i] = out[i] + plaintext[4*i+2] * 4
    out[i] = out[i] + plaintext[4*i+3] * 8
return out
AddconstantXOR(plaintext,GIFT_RC, count):
constants = GIFT_RC[count]
for i in range(8):
    c[i] = (constants >> i) & 1
for i in range(6):
    plaintext[3*i+3+i] = plaintext[3*i+3+i] ^ c[i]
plaintext[63] = plaintext[63]^1
```

```
f GIFT_Enc(plaintext, key):
  print_key(key)
  print_state(plaintext)
      bit64 = hex_to_bit(plaintext)
      print_hex(new_64)
      AddRoundkey(new_64, bit128[0:32])
      print_hex(new_64)
      AddconstantXOR(new_64,GIFT_RC, count)
      print_hex(new_64)
      out = bit_to_hex(new_64)
GIFT_Enc(plaintext, key)
```

```
state: 0xa90a9213dc912a97
state: 0x9c9f3c99b16cde41
state: 0x1e8c3e89b3c7d469
state: 0xbec85634ba7309ff
state: 0xf6ea2dfef7952295
state : 0xe38b40e8e9df44df
state: 0xecddb8fc24e69295
state: 0xdcefaadf34c4a0a6
state: 0xca67f7483b62c8e3
state: 0xea75f54b3b60eaf0
state: 0x6a75f54b3b686af0
state: 0xb672f71bbe2d1fe3
state: 0x8640e538ae0f2dd0
state: 0x0640e538ae872dd0
state: 0x228419205e903cb1
state: 0x20a51b225c813e83
state: 0xa0a51b225c013e8b
state: 0x92d4f734343abccb
state: 0xa0f5c536062b8ef9
state: 0x20f5c536062b8e79
state: 0xc629d95e6f783511
state: 0x4408db5c6d693f2b
state: 0x73962d64241e473d
state: 0x41b71f66160f750f
state: 0xc1b71f66160ff587
```

## Q&A