

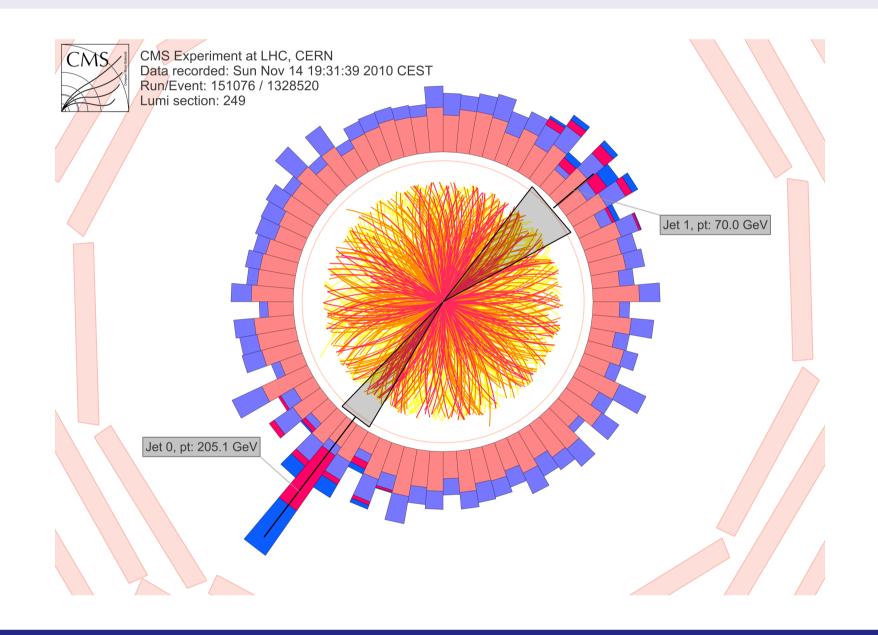
# Understanding Uncertainties in Jet Quenching in High-Energy Nucleus-Nucleus Collisions



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#### Introduction to Jet Physics

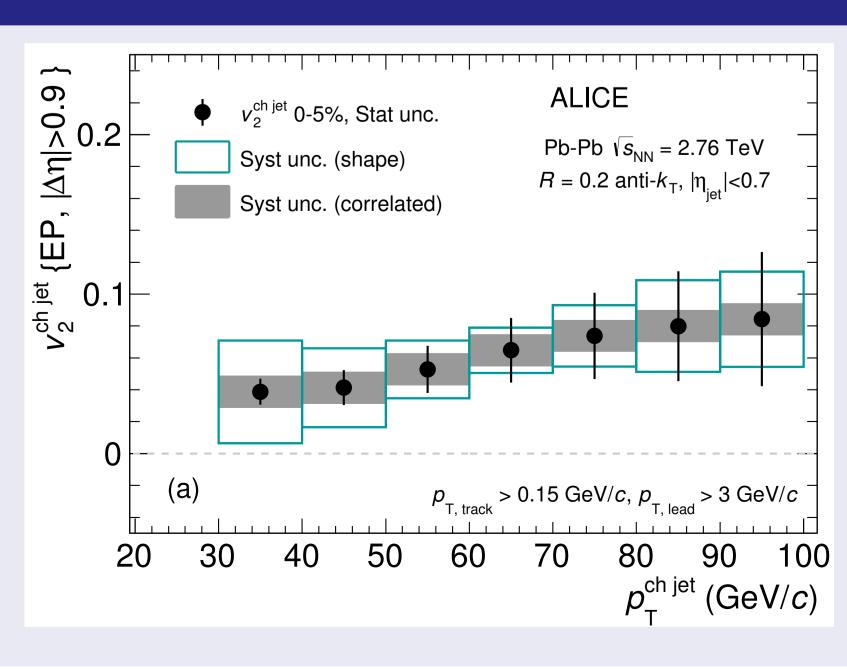
- Two dominant processes in high-energy nuclear collisions
- Energy deposited as nuclei interact heats vacuum to form a quark gluon plasma (QGP)
- Hard scattering of partons in nucleons creating jets
- Jets must pass through the QGP and interact with it
- As a result, jets can function as a probe into the structure of QGP



#### Comparing Model and Experiment

- Goal is to compare models of jet quenching via medium with experimental results
- Must be careful with how statistical and systematic uncertainties are handled
- Understanding in detail the nature of uncertainties is essential to verifying consistency between theory and experiment

### Sample Measurement from ALICE



#### Traditional vs Covariant Treatment of Errors

- Current errors given bin by bin
- Statistical errors assumed to be uncorrelated
- Other uncorrelated systematics lumped in with statistical errors
- Any correlated systematics are fully correlated across all bins
- Covariance matrix defined as:

$$C_{ij} = \rho_{ij}\sigma_i\sigma_j$$

- $ightharpoonup 
  ho_{ij}$  is the covariance coefficient between the  $i^{th}$  and  $j^{th}$  bins
- For uncorrelated errors,  $\rho_{ij} = \delta_{ij}$
- For fully correlated errors,  $\rho_{ii}=1$
- Covariance matrix formulation of errors allows for non-uniform covariance
- In particular, it supports errors with a correlation length

## Apply Covariance Formalism to Previous Result

- ALICE measurement of *v*<sub>2</sub> provides good test for covariance formalism equivalence
- Has uncorrelated, correlated, and shape uncertainties
- ${f p}$ -values published in paper are obtained by minimizing  $\chi^2$
- Equivalent calculation of minimized  $\chi^2$  via covariance matrices looks like:

$$\chi^2_{min} = \Delta^T C^{-1} \Delta$$

Resulting p-values are exactly equal:

 $p_T$  range $\chi^2$  minimizationCovariance matrix30-100 GeV0.12478584970.124785849730-60 GeV0.06859158810.068591588160-100 GeV0.02110091650.0211009165

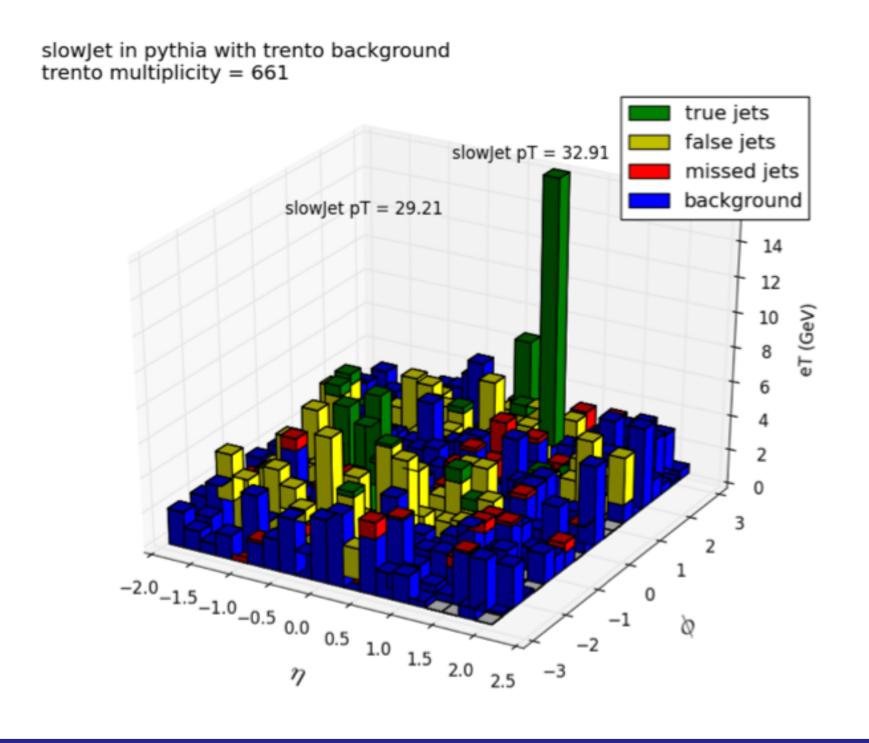
Table: p-values reported to machine level significance calculated using traditional  $\chi^2$  minimization and covariance method.

#### Incorperating Covariance into HEPData

- Current HEPData schema lacks support for full covariance matrices
- Adapted schema to support:
- (A)symmetric uncorrelated errors
- (A)symmetric fully correlated errors
- Full covariance matrices
- Distinct treatment of uncorrelated and fully correlated errors to save space
- Would like to see adoption of this modified schema by the HEPData community for future experimental results

#### Future Work

- Continue work to develop jet quench simulation tool to study errors
- Constrain jet quench parameter with Bayesian methods
- Estimate subtraction bias
- Consider software-level checks for HEPData validity
- Advocate for a move to covariance matrix expression of uncertainties



#### References

- [1] J. Adam *et al.* [ALICE Collaboration], Azimuthal anisotropy of charged jet production in  $\sqrt{s_{NN}}$ =2.76 TeV Pb-Pb collisions, *J. Phys. Lett. B*, 753, 511 (2016).
- [2] L. Demortier, Equivalence of the best-fit and covariance-matrix methods for comparing binned data with a model in the presence of correlated systematic uncertainties, CDF-MEMO-8661 (1999).
- [3] J. Gao, et al., CT10 next-to-next-to-leading order global analysis of QCD, Phys. Rev. D 89, 03309 (2014).