- A research work by Yuri Malyshkin and Elliot Paquette (2015) considered a model where the half-edge of the new vertex at time t+1 was attached to the smallest degree vertex among d many which were preferentially chosen from the existing graph at time t, with replacement.
- The asymptotic order of the maximal degree vertex was found to be of order  $\frac{\log \log t}{\log d} + \Theta(1)$ .
- Another research work by Yuri Malyshkin (2017) considered attaching the half-edge of the new vertex to the highest degree vertex among d many, which were sampled with replacement with probability proportional to their degrees plus some parameter  $\beta>-1$ . The number of neighbours to choose in each time-step, i.e., the parameter d was taken to be random.
  - For  $\mathbb{E}d < 2 + \beta$ , the maximal degree had a sublinear asymptotic order;
  - For Ed = 2 + β, it was of order t log t;
    For Ed > 2 + β, the maximal degree had a linear asymptotic order
  - For  $\mathbb{E}a > 2 + p$ , the maximal degree had a linear asymptotic order