

ECOR1044: Boolean Logic and ADC

AC Power
Analog to Digital Conversion

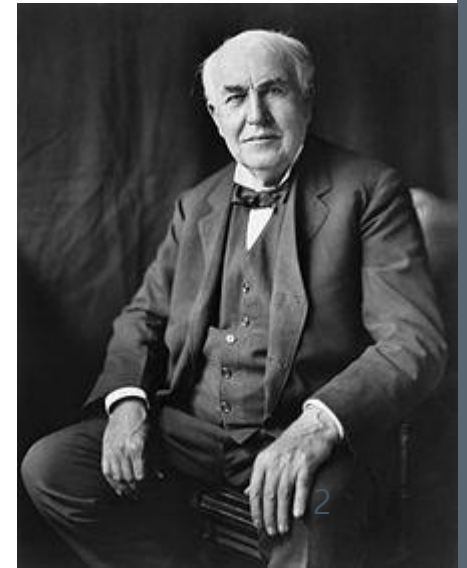
History

- › Edison was a prolific inventor holding more than 1000 US patents.
- › His first patent was for the electric vote recorder, granted in 1869.
- › Edison's major innovation was the establishment of an industrial research lab in 1876.



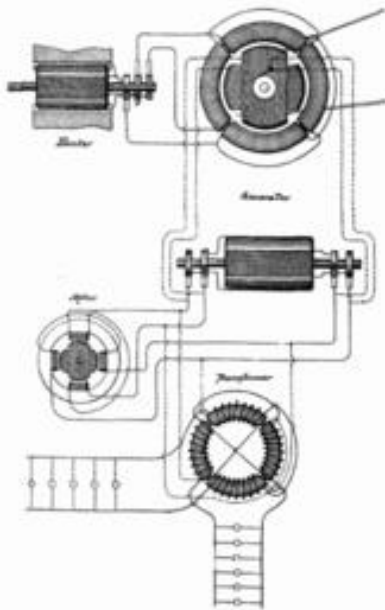
- › After many experiments, the first successful light bulb was in 1879.
- › This bulb lasted 13.5 hours.
- › In 1880, first commercially practical incandescent light bulb and Edison Illuminating Company was founded to develop an electric "utility" to compete with the existing gas light utilities.

Thomas Edison
1847-1931



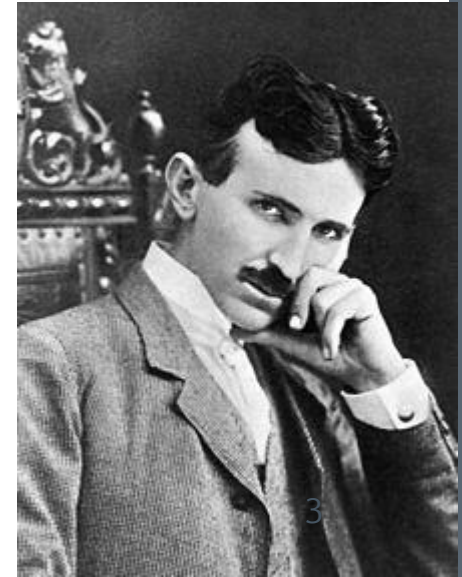
History

- › Tesla was a Serbian-American inventor best known for AC power.
- › In 1884, Tesla emigrated to United States to work for Edison.
- › Tesla resigned after 6 months because of a \$50K bonus.
- › Soon after leaving the Edison company, Tesla started working on patenting an arc lighting system.



- › Two investors financed the idea and after it was up and running in 1886, they formed a new utility company, leaving Tesla's company and the inventor penniless.
- › In 1887, Tesla developed an induction motor that ran on alternating current.

Nikola Tesla
1856-1943



History: War of Currents

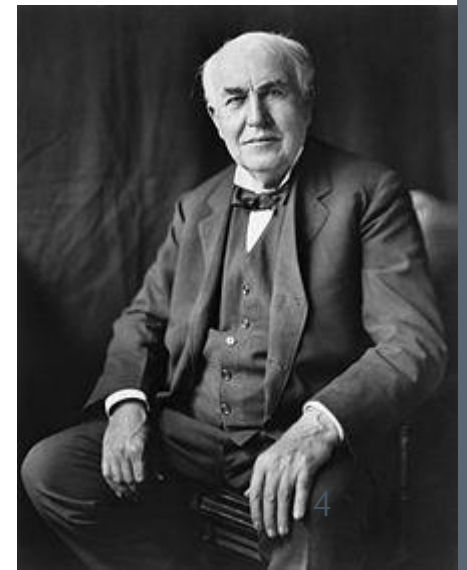
- › In 1888, Tesla's AC patents were licensed.
- › As Edison expanded his DC power delivery system, he received stiff competition from companies installing AC systems.
- › DC supply was limited to about one mile distance from the plant.

Nikola Tesla
1856-1943



- › With transformers (1885–1886), it became possible to transmit AC long distances over thinner and cheaper wires, and "step down" the voltage at the destination for users.
- › Power electronics and semiconductor devices emerged in 1950s.

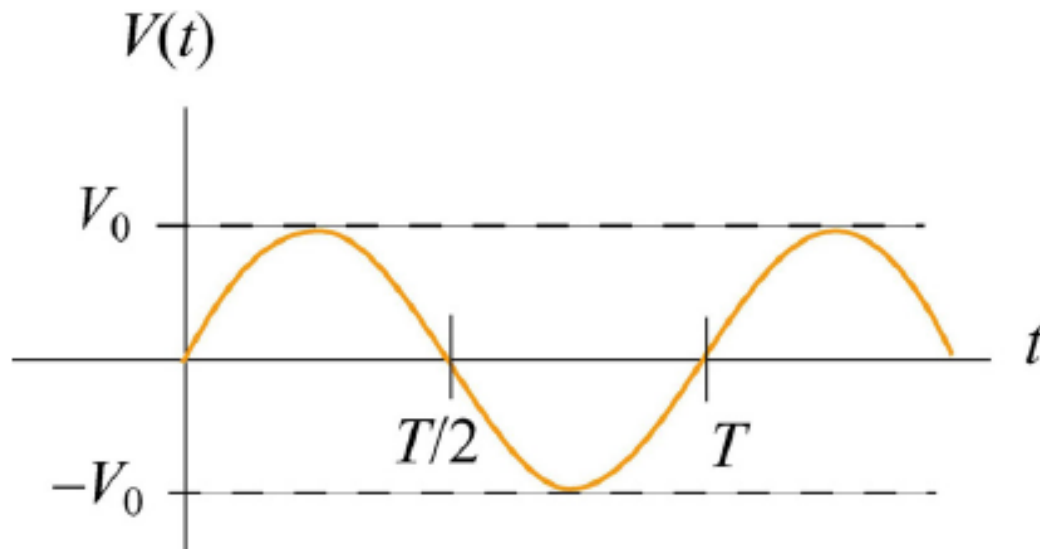
Thomas Edison
1847-1931



AC Sources

AC sources are periodic in time (same amplitude). The angular frequency is defined as,

$$\omega = 2\pi f$$



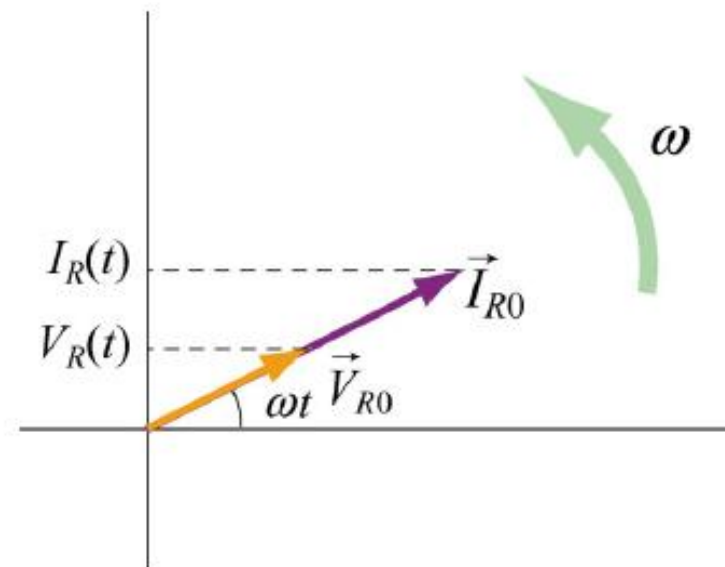
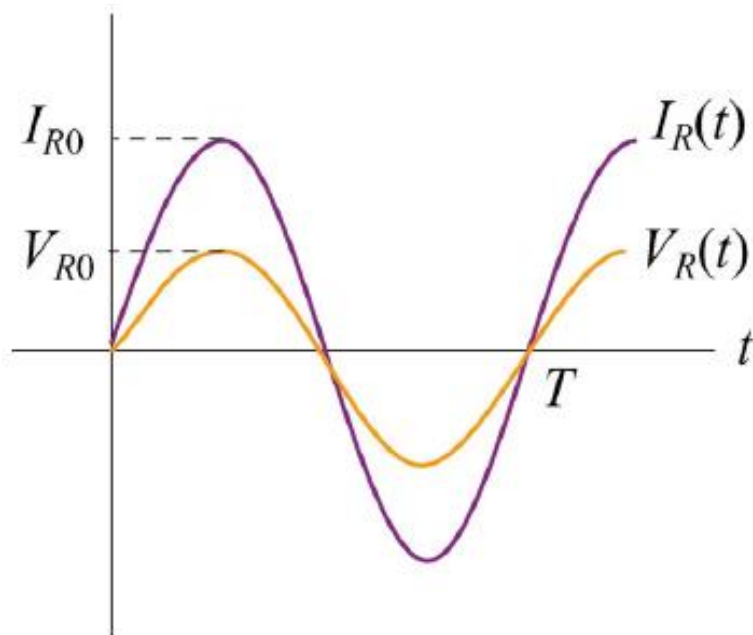
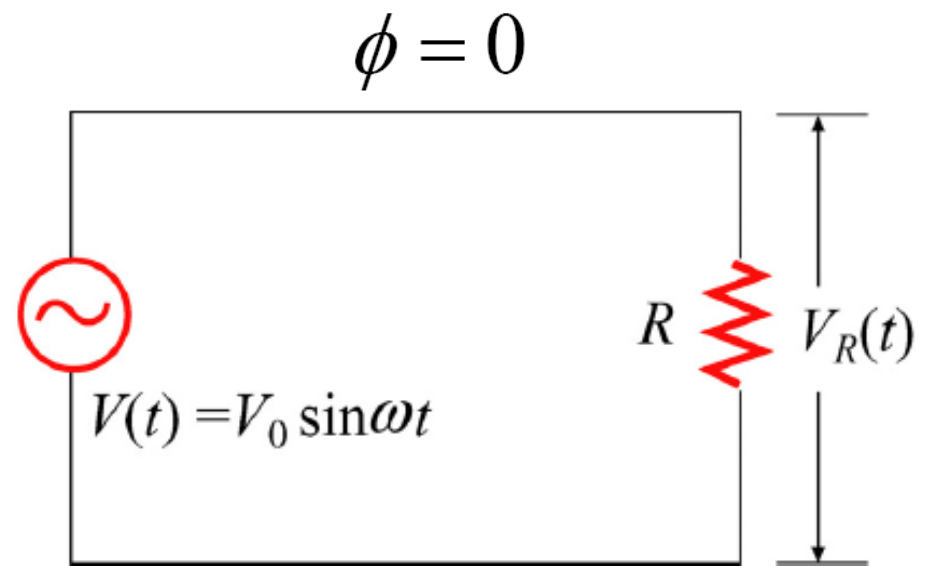
$$V(t) = V_0 \sin \omega t$$



After an initial “transient time,” an AC current will flow in the circuit as,

$$I(t) = I_0 \sin(\omega t - \phi)$$

Resistive load

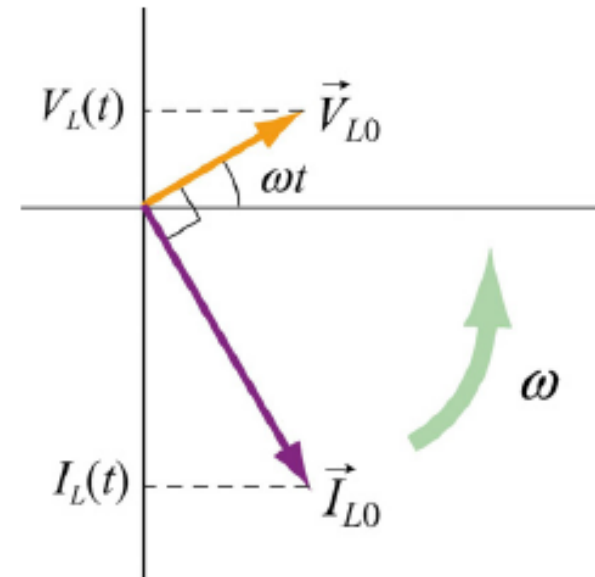
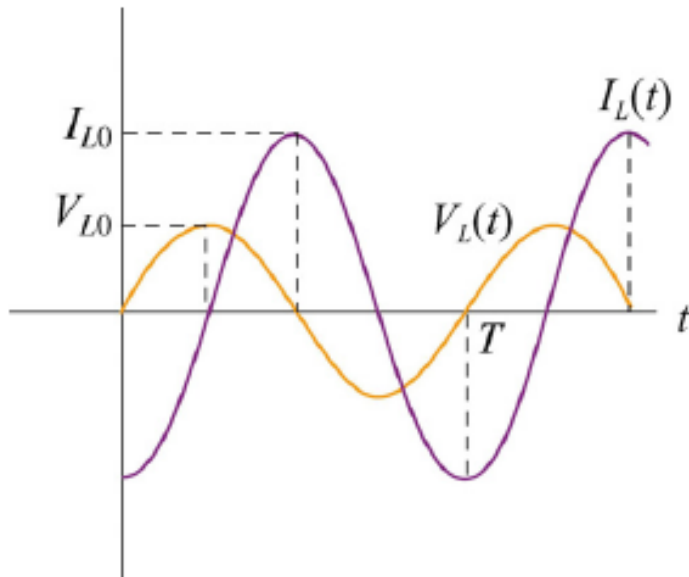
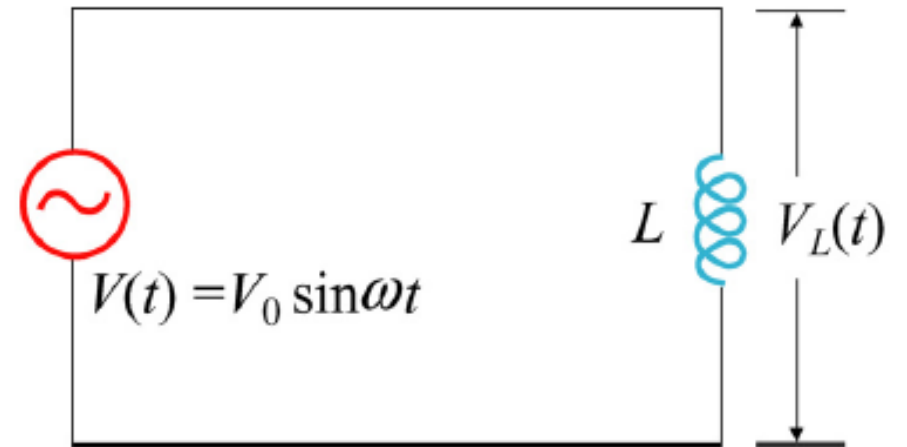


The current lags voltage by $\pi / 2$ in a purely inductive circuit

π

Inductive load

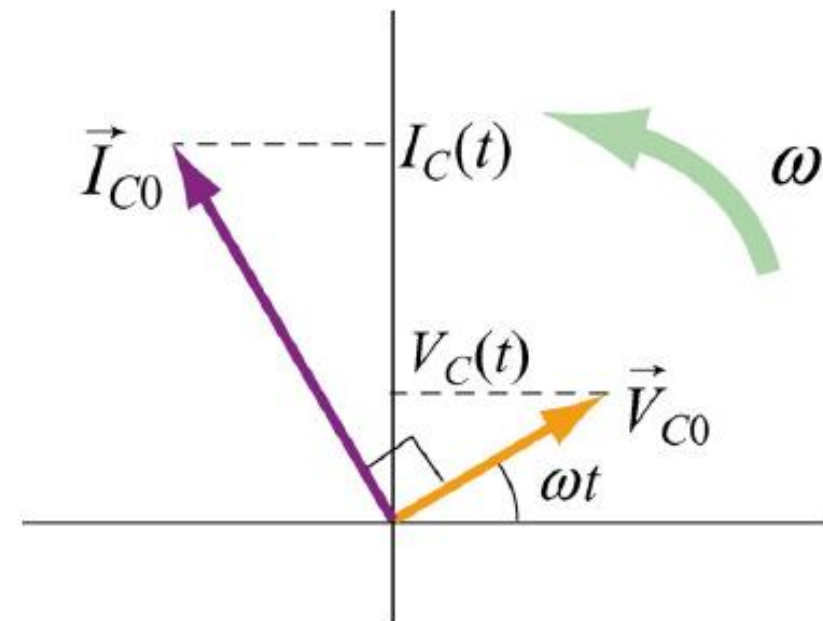
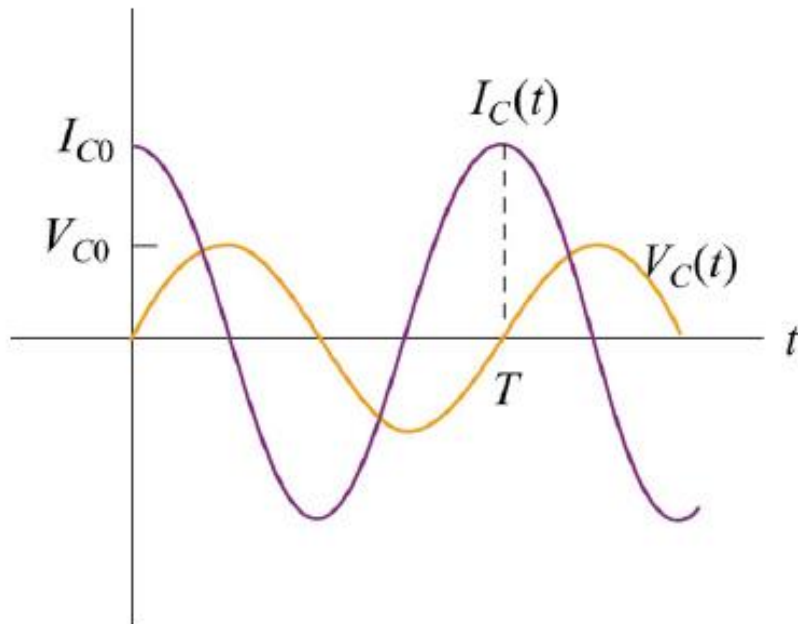
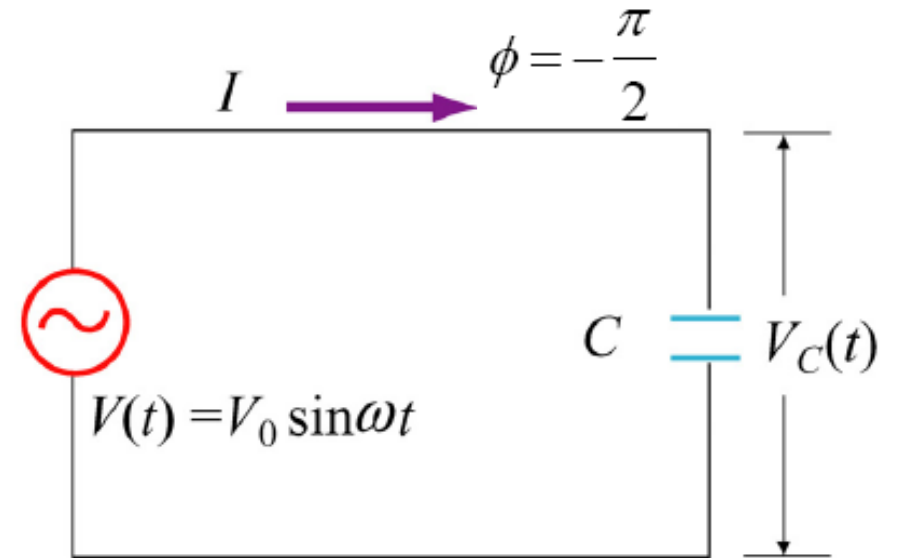
$$\phi = +\frac{\pi}{2}$$




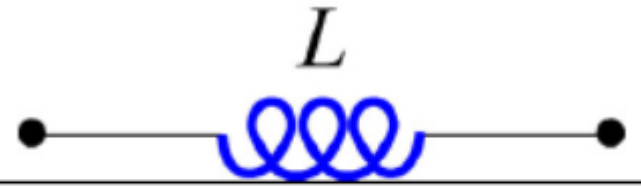

The current leads the voltage by $\pi/2$ in a capacitive circuit

π

Capacitive load

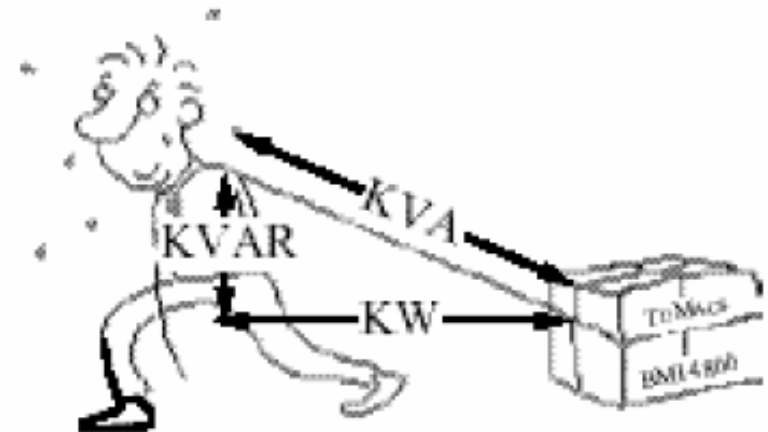


Summary

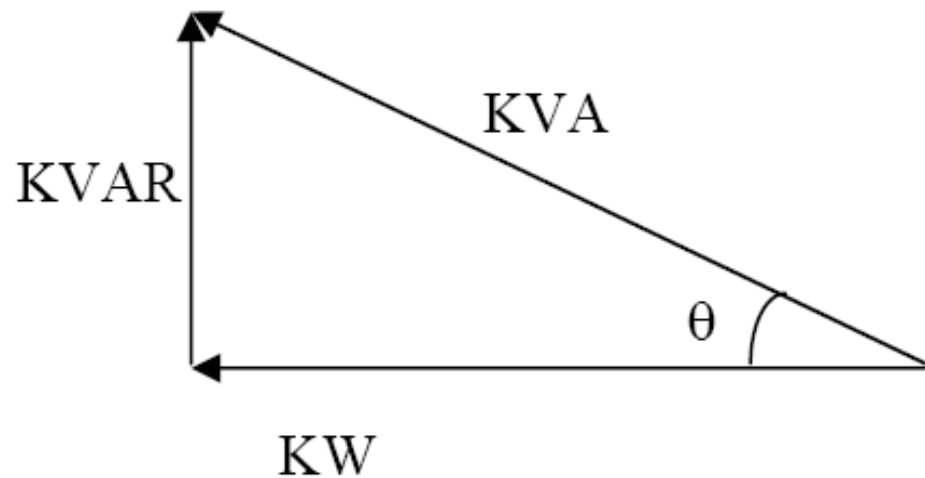
Circuit Elements	Phase angle ϕ
 R	0
 L	$\pi / 2$ current lags voltage by 90°
 C	$-\pi / 2$ current leads voltage by 90°

Power (Active, Reactive, Apparent)

- Active Power (KW) is the power that actually powers the equipment and performs useful work.
- Reactive Power (KVAR) is the power that a magnetic equipment (transformer, motor, relay) needs to produce the magnetizing flux.
- Apparent Power (KVA) is the “vector summation” of KW and KVAR.

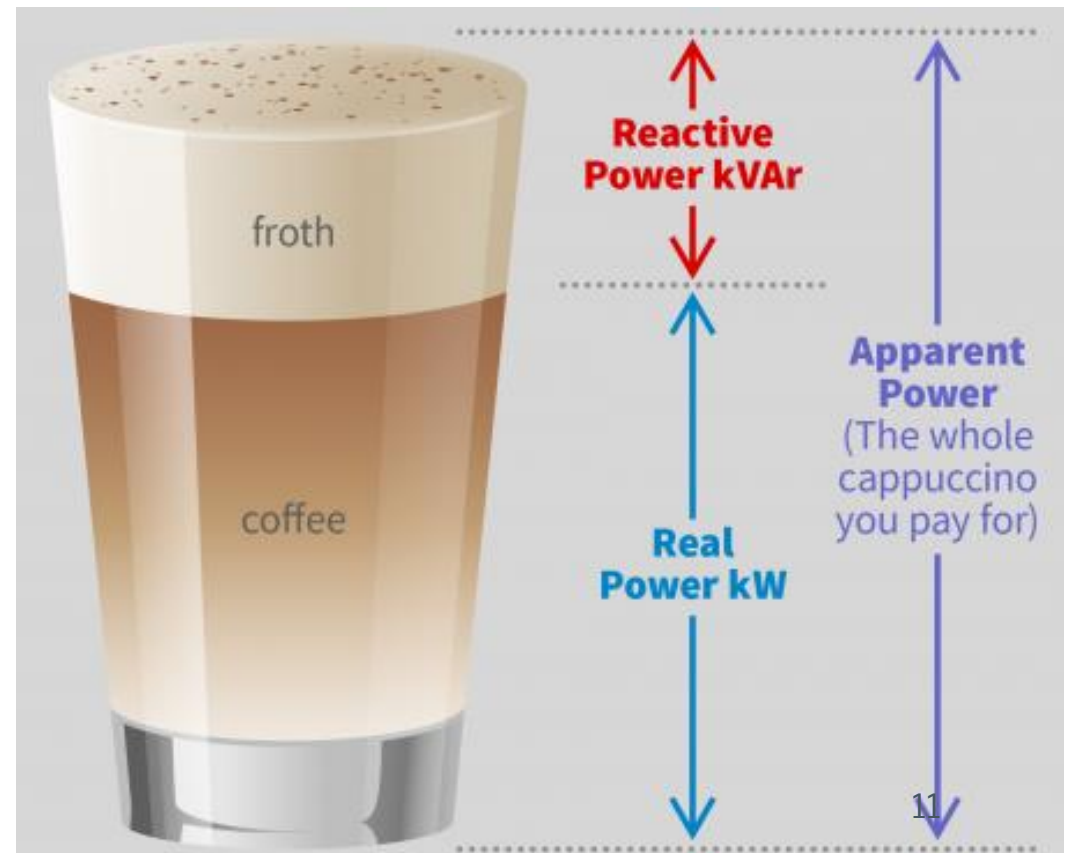


Power Factor



$$\text{P.F.} = \frac{\text{KW}}{\text{KVA}} = \cos \theta$$

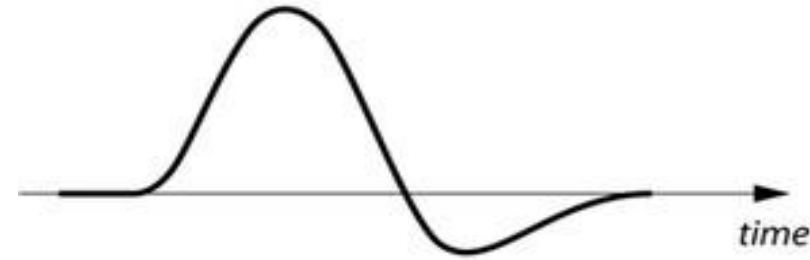
P.F. should be close to unity



Analog versus Digital Signals

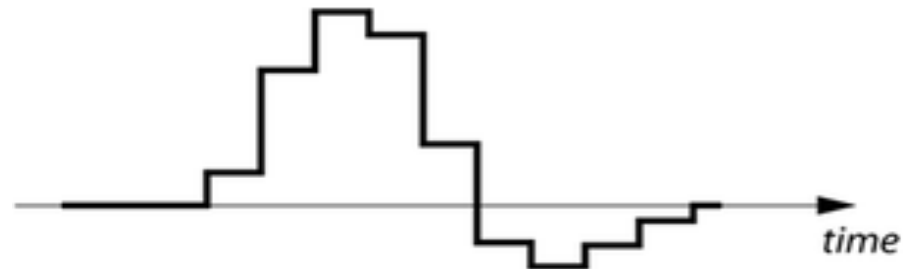
- As mentioned earlier analog signals have an **infinite number of increments**, therefore when we plot a voltage signal for example we get a smooth curve:

Analog



- As digital signals have a **limited number of values**, we instead see something similar to the following:

Digital



Analog to Digital Converter (ADC)

- ✓ An **Analog-to-Digital Converter (ADC)** is an essential device to convert **continuous analog signals to discrete digital values**.
- ✓ ADCs allow digital systems, such as microcontrollers and computers, to process **real-world analog data** like temperature, voltage, or pressure, which are inherently analog in nature.
- ✓ **Signal Conversion:**

ADCs convert an analog input (e.g., voltage) into a corresponding digital output. This is done by **sampling** the analog signal at regular intervals and quantizing the sampled values into a finite set of digital codes.
- ✓ **Digitization Process:**

The analog signal is divided into discrete steps based on the resolution of the ADC. The **more bits the ADC** has, the **finer the resolution**, allowing for a more accurate representation of the original signal.

Key Parameters of ADCs

- **Resolution:** The resolution of an ADC is determined by the number of bits it uses to represent the digital output. Common resolutions include **8-bit, 10-bit, 12-bit, or 16-bit**. Higher resolution provides greater precision.
- **Sampling Rate:** This refers to how **frequently** the ADC samples the analog signal, usually measured in **samples per second (SPS)**.
- **Input Range:** The input voltage range of the ADC defines the **minimum** and **maximum** voltages that the ADC can measure. **Any voltage outside this range may result in incorrect conversion.**

Challenges of ADCs

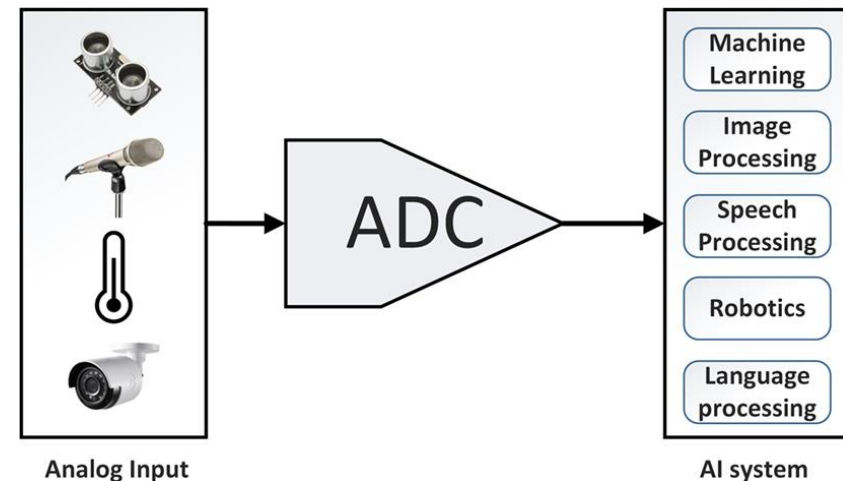
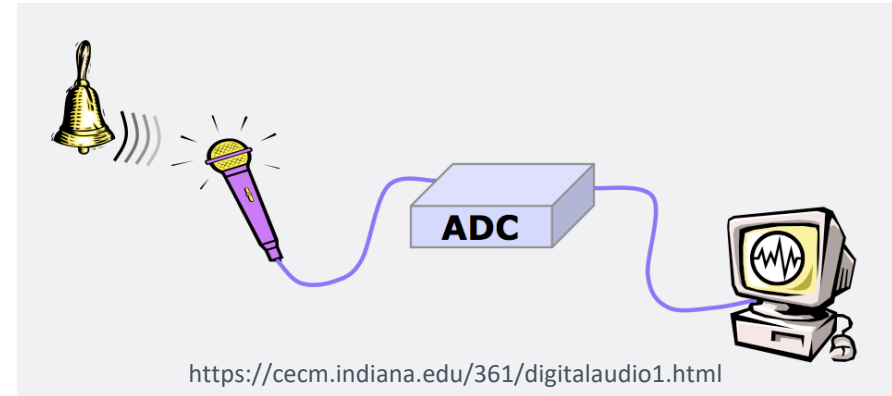
- **Noise Sensitivity:** ADCs are **sensitive to noise**, which can degrade the accuracy of the conversion. Proper shielding, filtering, and careful design can minimize this effect.
- **Power Consumption:** Some types of ADCs, especially **high-speed** variants like flash ADCs, consume **considerable power**, making them unsuitable for low-power or portable applications.
- **Trade-off Between Speed and Accuracy:** High-precision ADCs may operate at slower speeds and **high-speed ADCs may have less precision**. So, Designers must choose the appropriate ADC type and configuration based on the application's needs.

Applications of ADCs

- **Sensors:** ADCs are used to convert analog sensor data (**e.g., from temperature, pressure, or light sensors**) into digital form for further processing by microcontrollers or computers.
- **Data Acquisition Systems:** ADCs are a core component in systems that **gather and process data** from the physical world, such as in environmental monitoring, industrial automation, and biomedical devices.
- **Communication Systems:** ADCs are used in digital signal processing (DSP) for converting analog signals, **such as audio and radio waves**, into digital form for encoding, transmission, or analysis.
- **Control Systems:** In control applications, ADCs help digitize real-time sensor data, which is then used by **digital controllers** (e.g., PID controllers) to regulate actuators and systems.

Applications of ADCs

- **Audio and Music:** Converting sound waves into digital form (e.g., MP3 encoding).
- **Sensors:** Temperature, pressure, and light sensors convert analog signals for microcontroller use.



ADCs Working Principle

- **Sampling:** The continuous analog signal is sampled at discrete intervals (sample rate). The **higher** the sample rate, the more **accurate** the representation.
- **Encoding/Quantizing:** The sampled signal is **approximated** to the nearest value within a defined range.

Key Parameters:

- **Sampling Rate:** Determines how often the signal is measured.
- **Resolution:** The number of bits used to represent each sample.

ADCs: Old vs. New Models

Resolution

- **Old model:**
 - ✓ Typically, 8-bit or 10-bit resolution.
 - ✓ Limited precision, sufficient for simpler applications like early audio systems or low-end microcontrollers.
- **New model:**
 - ✓ ADCs now have **12-bit, 16-bit, 18-bit**, and even **24-bit** resolution.
 - ✓ **Higher resolution** provides greater precision, enabling use in applications requiring detailed measurements like medical imaging.

ADCs: Old vs. New Models

Conversion Speed

- **Old model:**
 - ✓ Conversion speeds were relatively **slow**, typically in the range of **kilosamples per second (kSps)**.
 - ✓ Used in applications where speed was **not critical**, such as temperature sensing or low-frequency signals.
- **New model:**
 - ✓ Modern ADCs are much **faster**, capable of reaching speeds in the **megahertz (MHz)** and even **gigahertz (GHz)** range.
 - ✓ Fast enough for high-speed data acquisition in communication systems, **radar, or video applications**.

ADCs: Old vs. New Models

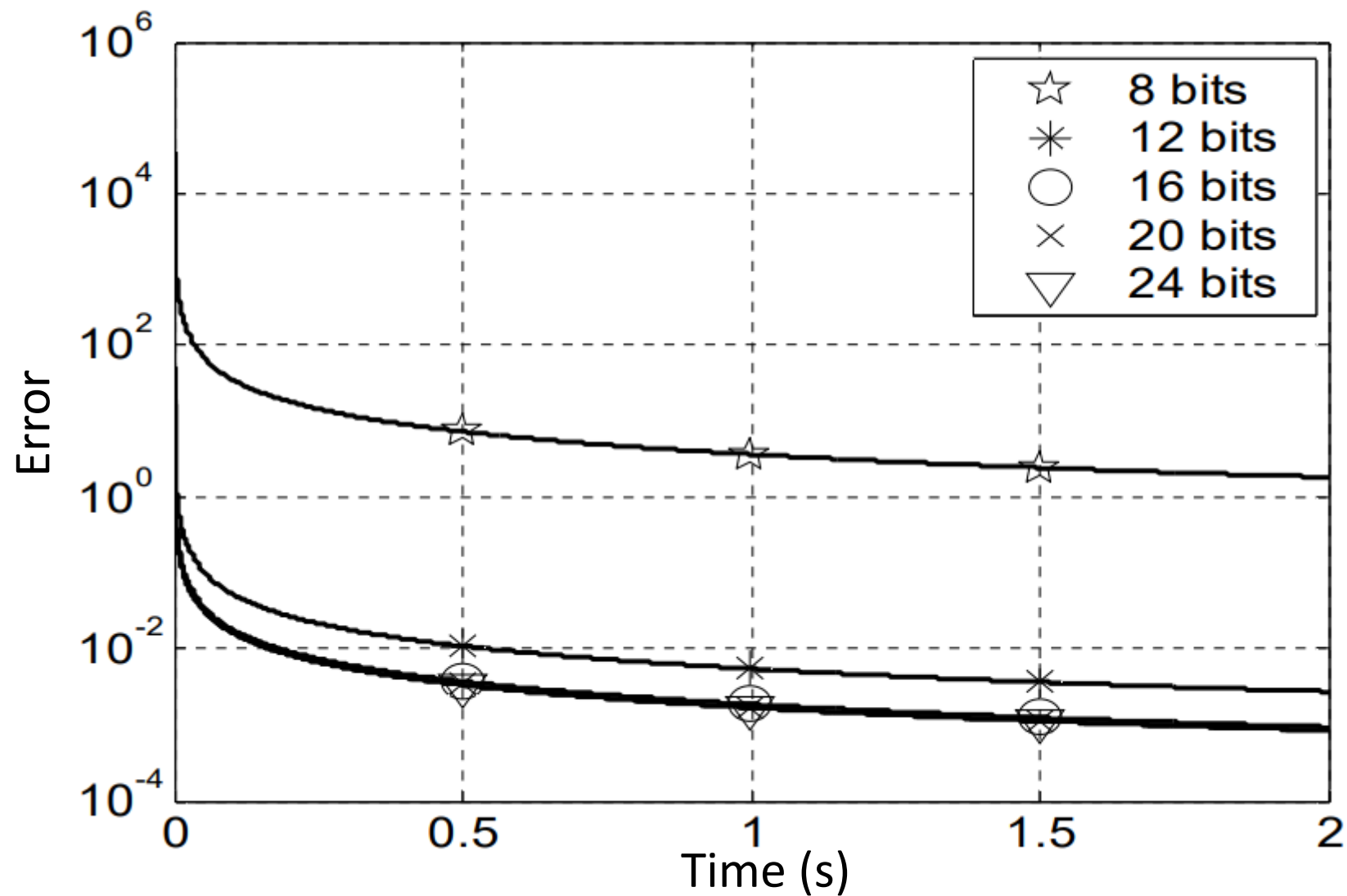
Power Consumption

- **Old model:**
 - ✓ They are **less power-efficient** due to older transistor technology.
 - ✓ Power consumption was a concern in portable and **battery-powered applications**.
- **New model:**
 - ✓ Modern ADCs are much **more power-efficient**, due to improvements in semiconductor technology.
 - ✓ **Low-power ADCs** are now available for portable and embedded systems, consuming significantly less power, making them ideal for **IoT and mobile devices**.

Choosing the Right ADC

- **Resolution:** How **precise** do your measurements need to be?
- **Sampling Rate:** How **fast** does the signal change, and how often do you need to sample it?
- **Power Consumption:** Important for battery-powered systems.
- **Cost:** Higher performance ADCs are generally more expensive.

Resolutions of ADCs

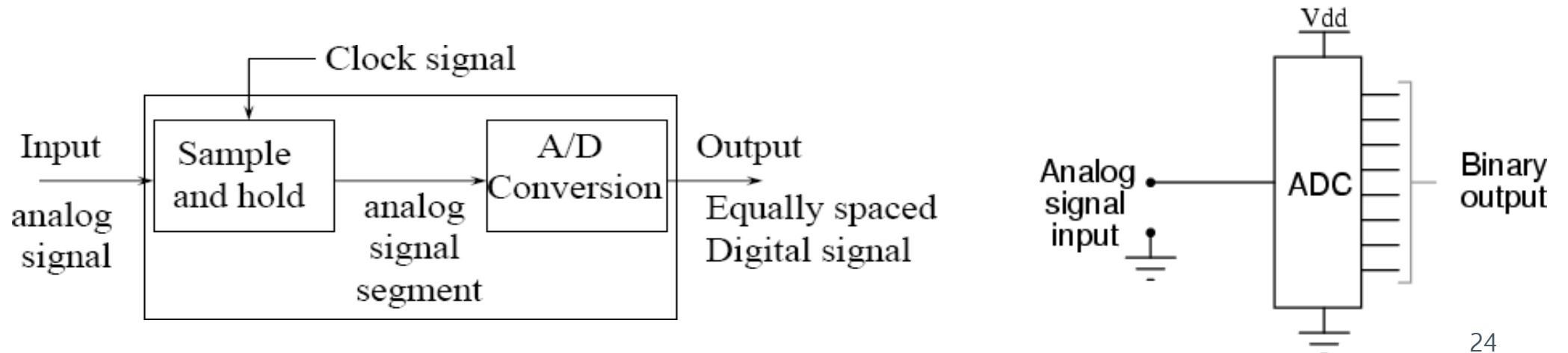


Analog to Digital Converter

- If we start with the analog signal, how do we convert it to the digital 'equivalent'?

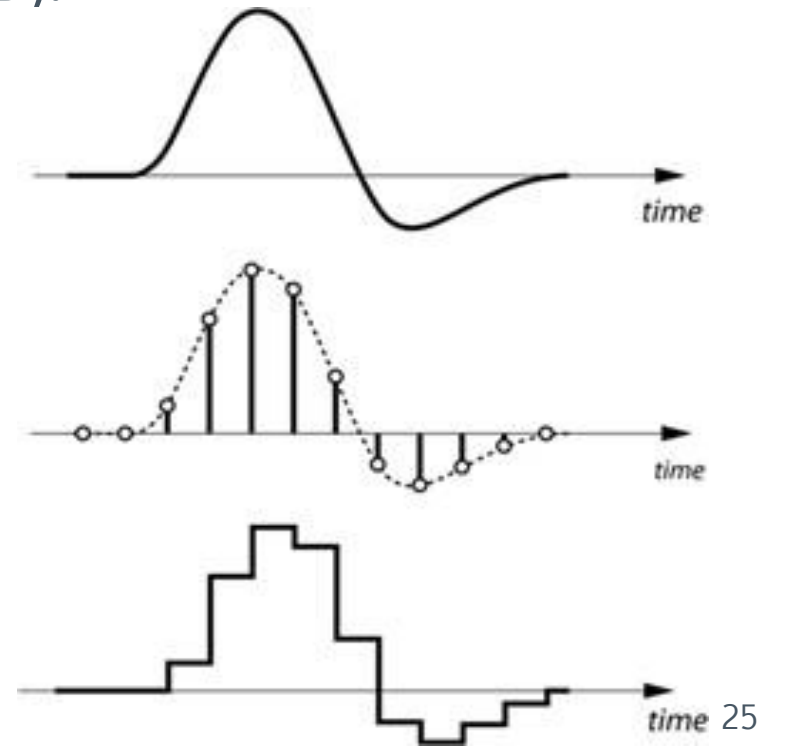
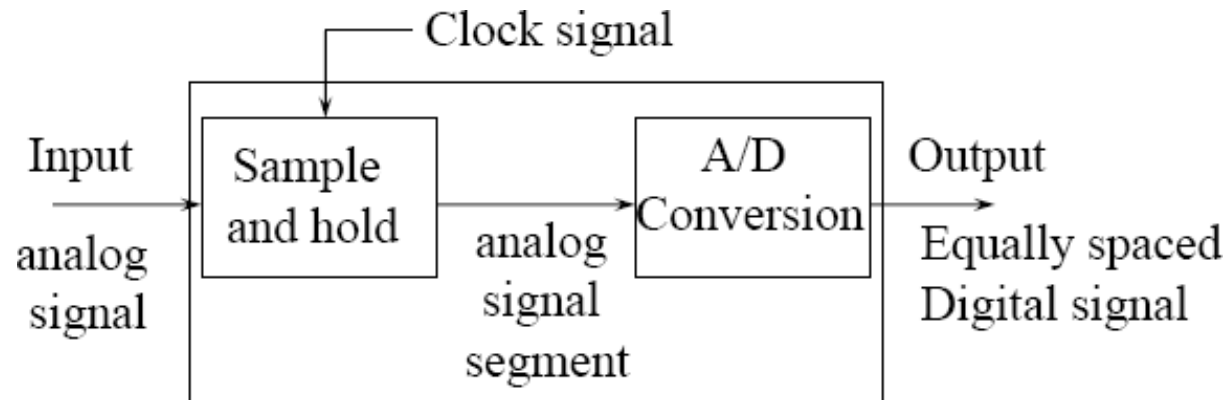


- We use a 'sample and hold' system



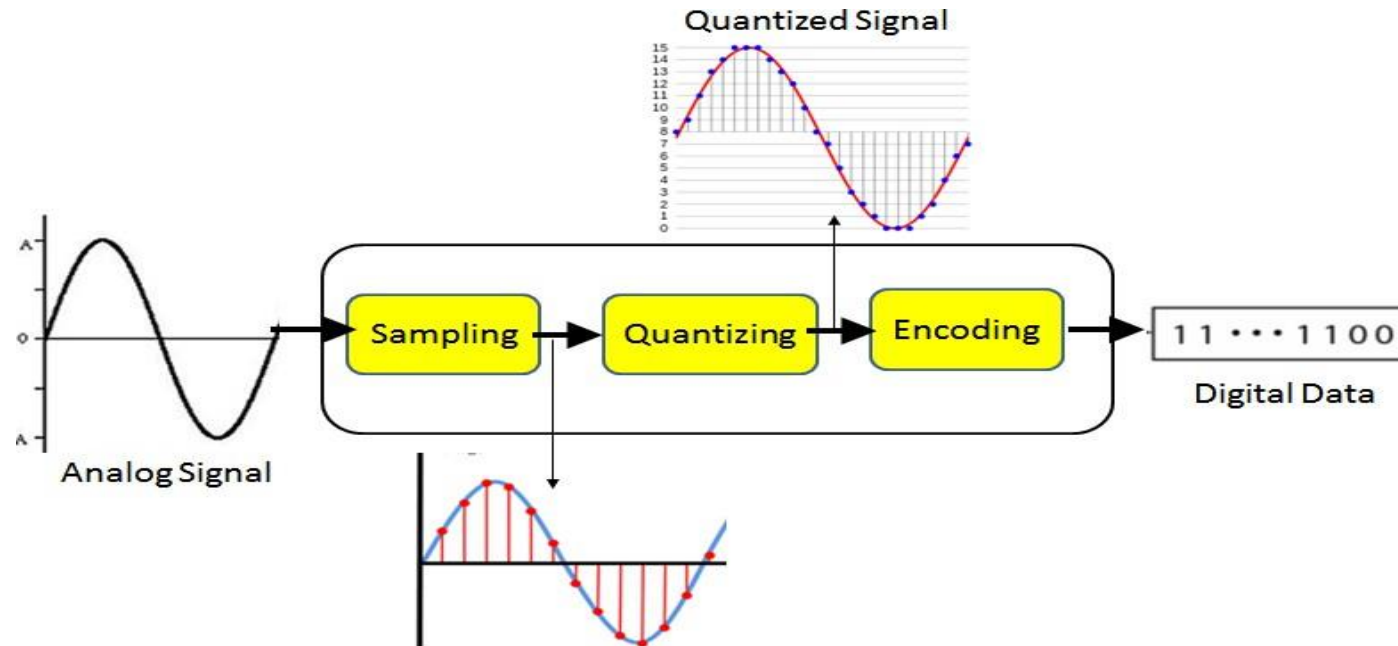
What does the ADC do?

- Converts **analog** signals into **binary** words.
- These binary words can be in different length **2, 4, 8, 10-bit**.
- The more bits the binary number has, the higher the **resolution** of the analog to digital converter (ADC , A/D, or A to D).



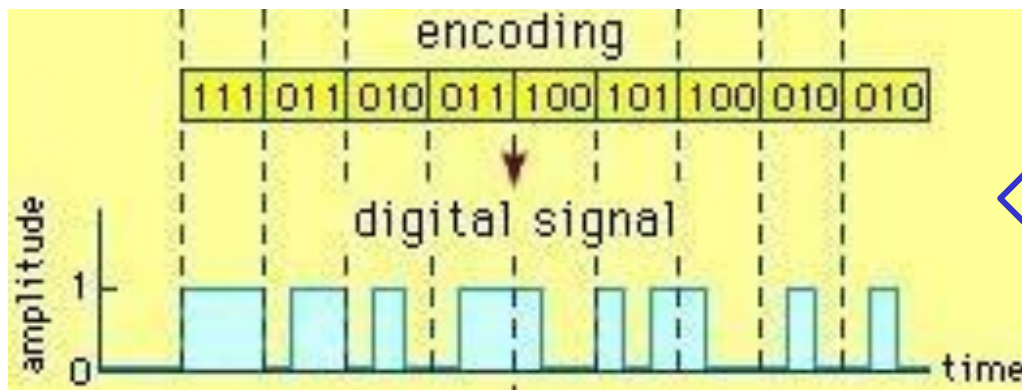
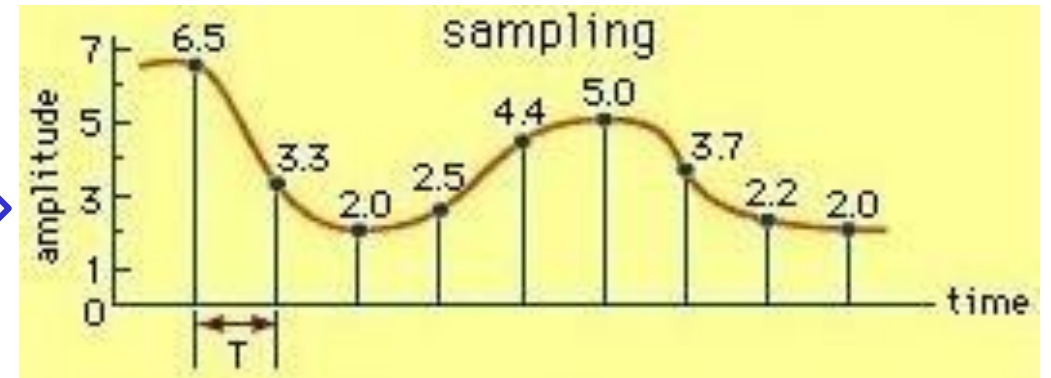
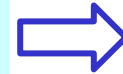
Analog to Digital Conversion - 3 Steps

- A 3-Step Process
 - **Sampling** – Conversion of a continuous signal to a discrete-time (DT) signal
 - **Quantizing** – Conversion of a DT signal to discrete amplitude signal
 - **Encoding** – Conversion of a discrete signal to binary word



Analog to Digital Conversion

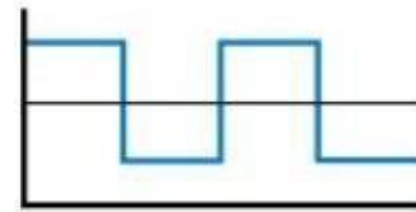
- Exp. 1: Convert a time varying signal of 0-7V to a digital using a 3-bit ADC.



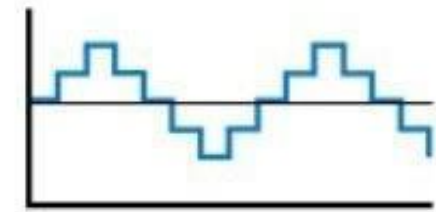
Quantization Details

- Resolution/Quantization **Step-Size** (Q)
 - The smallest voltage that can be encoded digitally, in other words the voltage represented by the least significant bit.
 - It describes the general performance of an ADC, how finely it can convert signals.
 - The quantization step size (Q) can be calculated as follows:

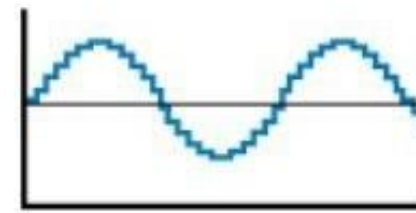
$$Q = \frac{V_{MAX} - V_{MIN}}{N_{STATES}}$$



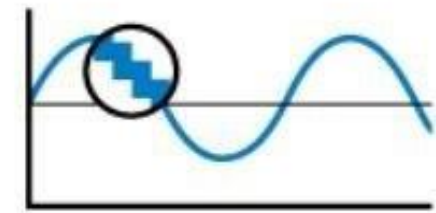
1-bit



2-bit



4-bit



16-bit

Quantization Details

- Exp. 2:
 - You have a 0-10V signal. Separate the voltage range such that it fits into a 3-bit number.
 - Reminder: $2^n = 2^3 = 8$ different values can be represented in binary using 3 bits.
 - **First**, we assign discrete values to range of analog voltage values using resolution (also known as quantization step-size)

$$Q = \frac{V_{MAX} - V_{MIN}}{N_{STATES}}$$

$$Q = \frac{10V - 0V}{8 \text{ states}} = 1.25 \frac{V}{\text{State}}$$

Output States	Discrete Voltage Ranges (V)
0	$0.00 \leq V \leq 1.25$
1	$1.25 < V \leq 2.50$
2	$2.50 < V \leq 3.75$
3	$3.75 < V \leq 5.00$
4	$5.00 < V \leq 6.25$
5	$6.25 < V \leq 7.50$
6	$7.50 < V \leq 8.75$
7	$8.75 < V \leq 10.0$

Quantization Details

- Exp. 2: Now we set each of these states to a binary equivalent

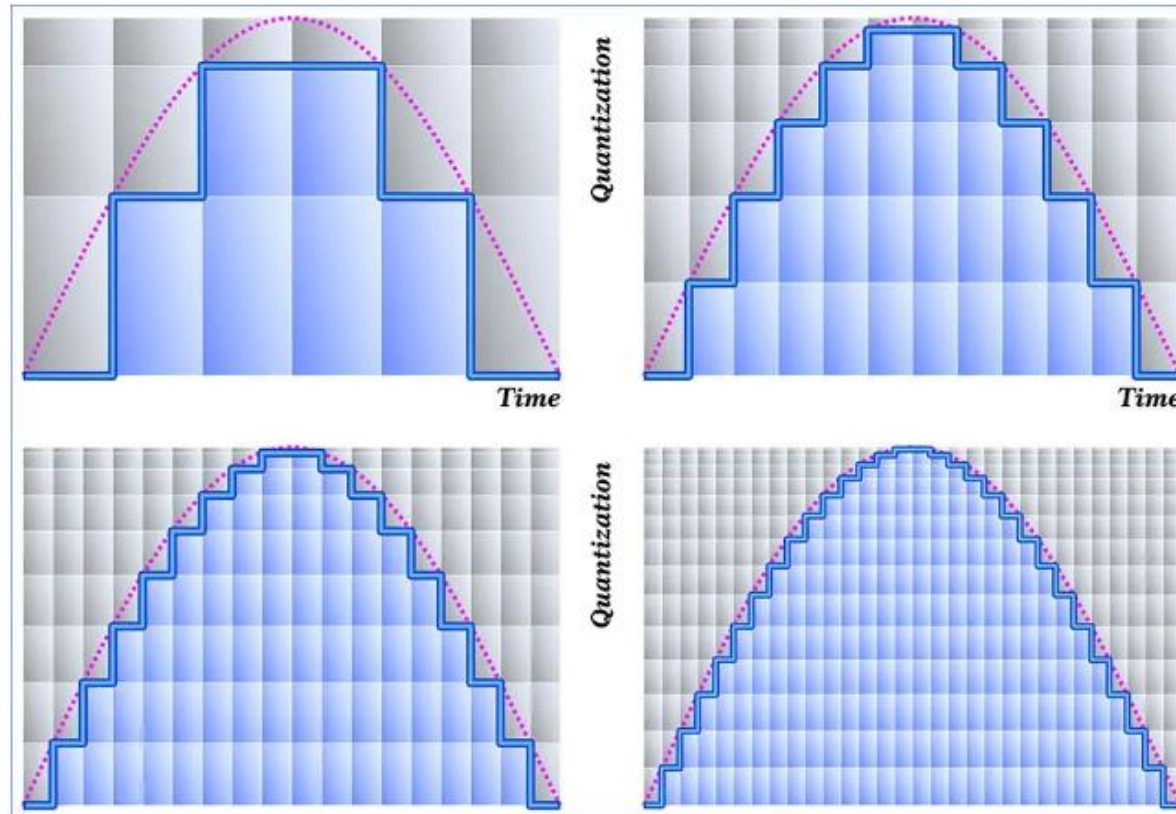
Output States	Discrete Voltage Ranges (V)
0	$0.00 \leq V \leq 1.25$
1	$1.25 < V \leq 2.50$
2	$2.50 < V \leq 3.75$
3	$3.75 < V \leq 5.00$
4	$5.00 < V \leq 6.25$
5	$6.25 < V \leq 7.50$
6	$7.50 < V \leq 8.75$
7	$8.75 < V \leq 10.0$



Output States	Output Binary Equivalent
0	000
1	001
2	010
3	011
4	100
5	101
6	110
7	111

Accuracy of A/D Conversion

- There are two ways to best improve accuracy of A/D conversion:
 - Increasing the **resolution**.
 - Increasing the **sampling rate**.



Converting a Voltage to Binary

- What is the binary value of a voltage given the number of bits and voltage range?
 - We can use our quantization step-size to convert:

$$ADC\ reading = \frac{1}{Q} \times (V_A - V_{min})$$

$$Q = \frac{V_{MAX} - V_{MIN}}{N_{STATES}}$$

$$ADC\ reading = \frac{N_{States}}{voltage\ range} \times (V_A - V_{min})$$

Converting a Voltage to Binary

- Exp. 4: For a range of 0-5V, and a 10-bit resolution, what is the binary value for 3.65V?

$$ADC\ reading = \frac{\text{Number of states}}{\text{voltage range}} \times (V_A - V_{min})$$

$$X = \frac{2^{10} \text{ states}}{5V} (3.65 V) = 747.52$$

$$747 \div 2 = 373 \text{ with } 1 \text{ remainder}$$

$$373 \div 2 = 186 \text{ with } 1 \text{ remainder}$$

$$186 \div 2 = 93 \text{ with } 0 \text{ remainder}$$

$$93 \div 2 = 46 \text{ with } 1 \text{ remainder}$$

$$46 \div 2 = 23 \text{ with } 0 \text{ remainder}$$

$$23 \div 2 = 11 \text{ with } 1 \text{ remainder}$$

$$11 \div 2 = 5 \text{ with } 1 \text{ remainder}$$

$$5 \div 2 = 2 \text{ with } 1 \text{ remainder}$$

$$2 \div 2 = 1 \text{ with } 0 \text{ remainder}$$

$$1 \div 2 = 0 \text{ with } 1 \text{ remainder}$$

$$747_{10} = 1011101011_2$$

Converting a Voltage to Binary

- Exp. 5: For a range of (-5V) to 5V, and a 10-bit resolution, what is the binary value for 3.65V?

$$ADC\ reading = \frac{\text{Number of states}}{\text{voltage range}} \times (V_A - V_{min})$$

$$X = \frac{2^{10} \text{ states}}{10V} (3.65 V - (-5V)) = 885.76$$

$$885 \div 2 = 442 \text{ with } 1 \text{ remainder}$$

$$442 \div 2 = 221 \text{ with } 0 \text{ remainder}$$

$$221 \div 2 = 110 \text{ with } 1 \text{ remainder}$$

$$110 \div 2 = 55 \text{ with } 0 \text{ remainder}$$

$$55 \div 2 = 27 \text{ with } 1 \text{ remainder}$$

$$27 \div 2 = 13 \text{ with } 1 \text{ remainder}$$

$$13 \div 2 = 6 \text{ with } 1 \text{ remainder}$$

$$6 \div 2 = 3 \text{ with } 0 \text{ remainder}$$

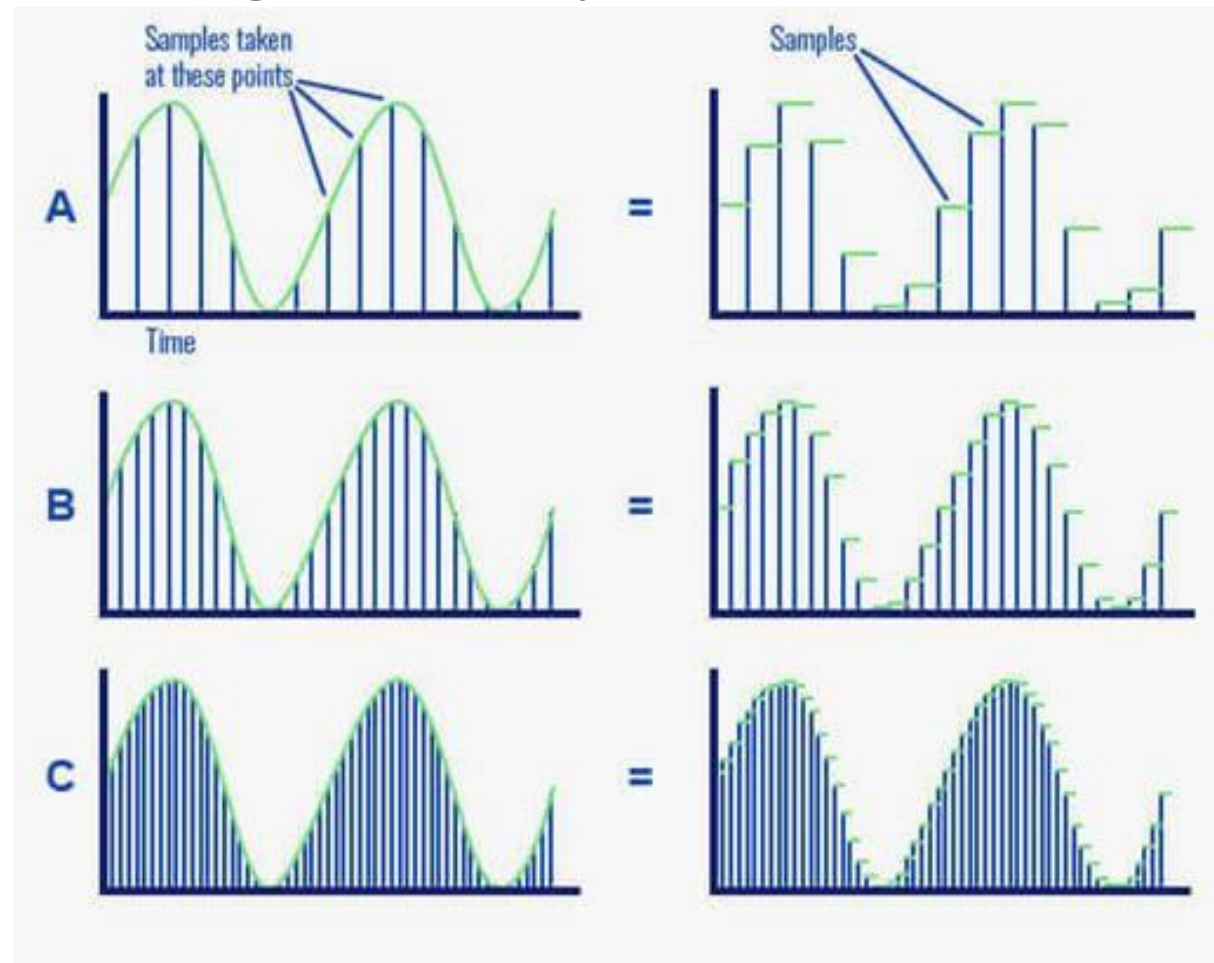
$$3 \div 2 = 1 \text{ with } 1 \text{ remainder}$$

$$1 \div 2 = 0 \text{ with } 1 \text{ remainder}$$

$$885_{10} = 1101110101_2$$

Sampling Rate or frequency

- This is the frequency at which ADC samples the analog signal. Frequent sampling leads to higher accuracy.

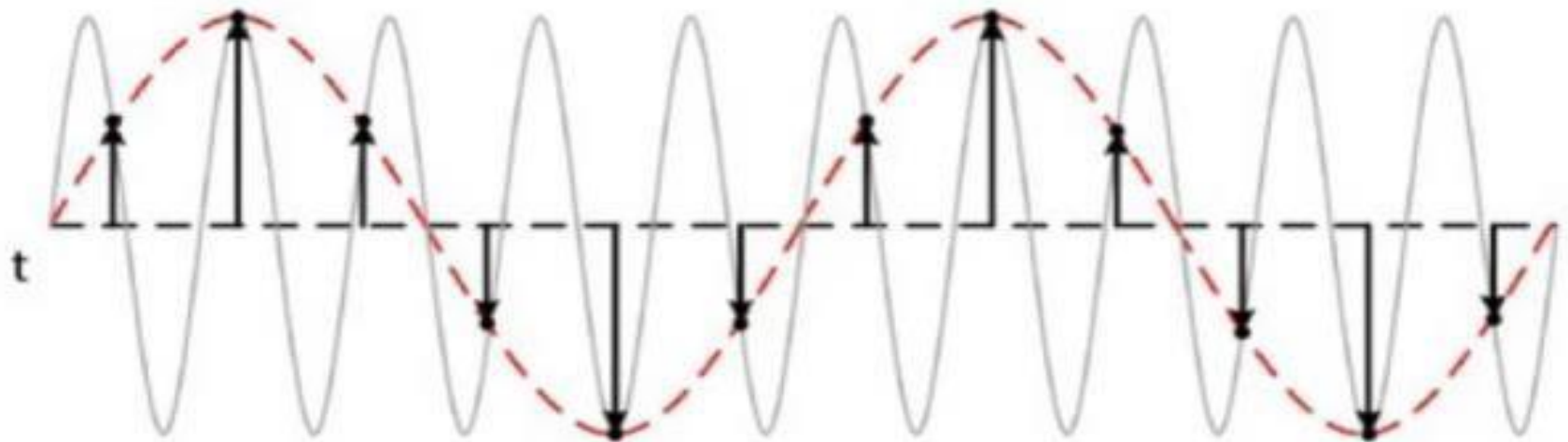


Limitation: Aliasing

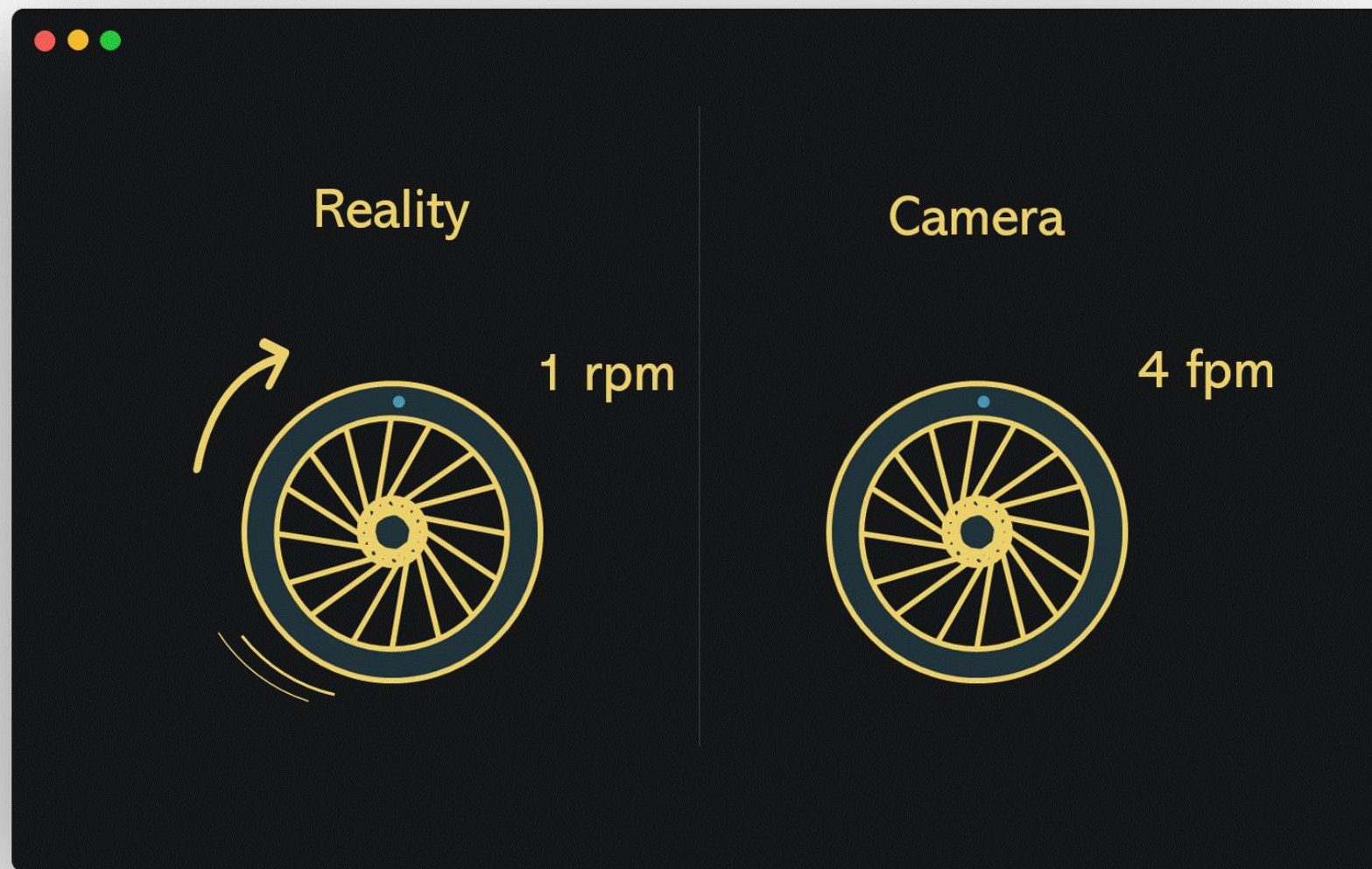
- Effect that causes different signals to become indistinguishable when sampled.
- Occurs when the input signal is changing much faster than the sample rate.

Nyquist Rule:

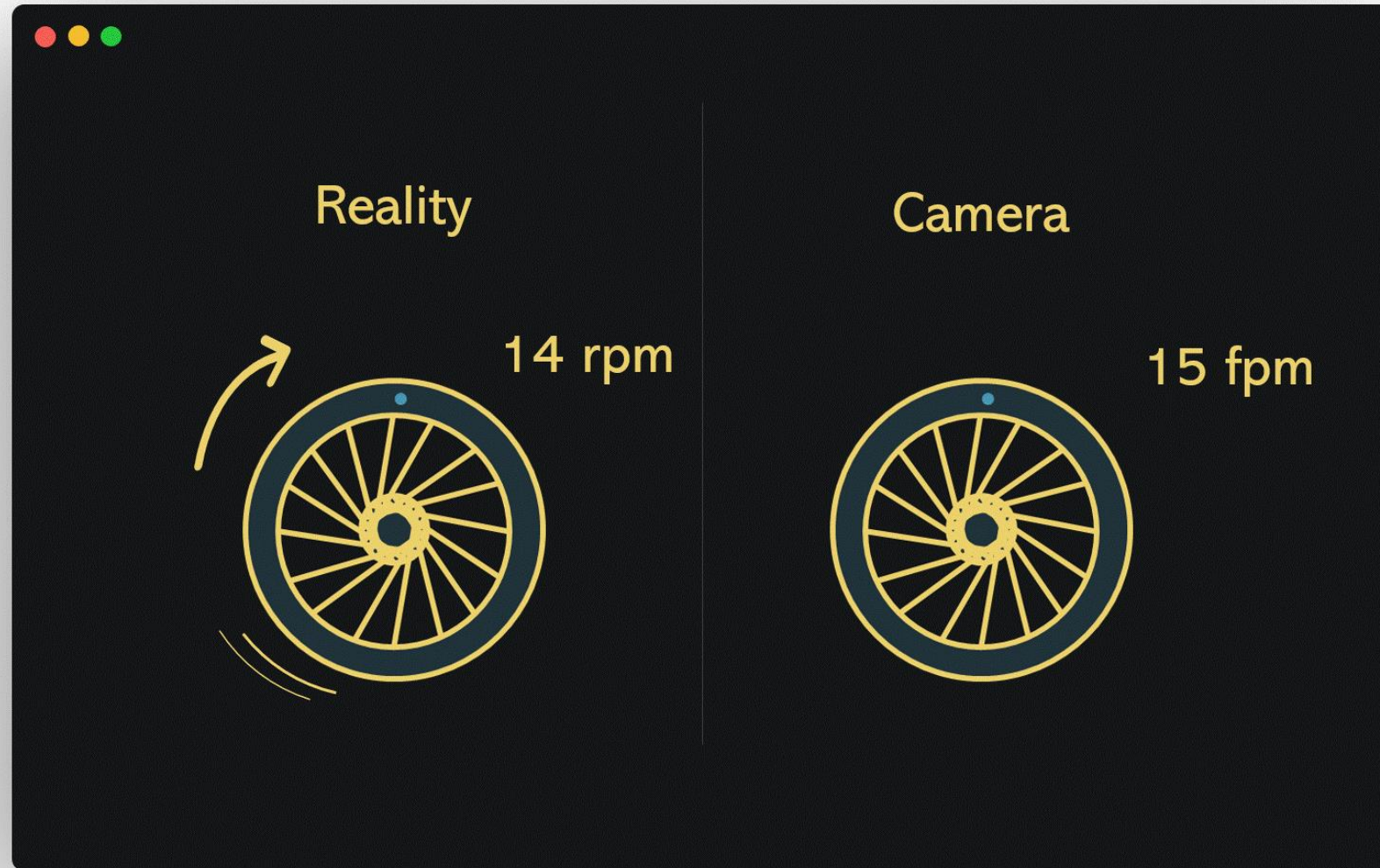
- Use a sampling frequency at **least twice** as high as the maximum frequency in the signal to avoid aliasing.



Limitation: Aliasing



Limitation: Aliasing



Minimum Sampling Frequency

- Exp. 3: If I want to convert a 500 kHz analog signal into a digital signal, what is the minimum sampling frequency to avoid aliasing?

For a 500 kHz signal, the minimum sampling frequency (f_s) can be calculated as:

$$f_s \geq 2 \times f_{max}$$

Where f_{max} is the maximum frequency of the analog signal.

Substituting in the values:

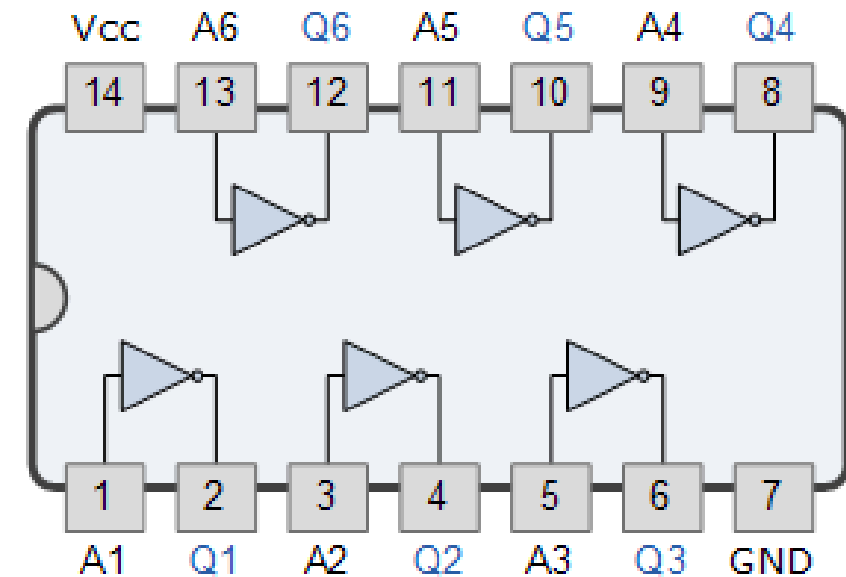
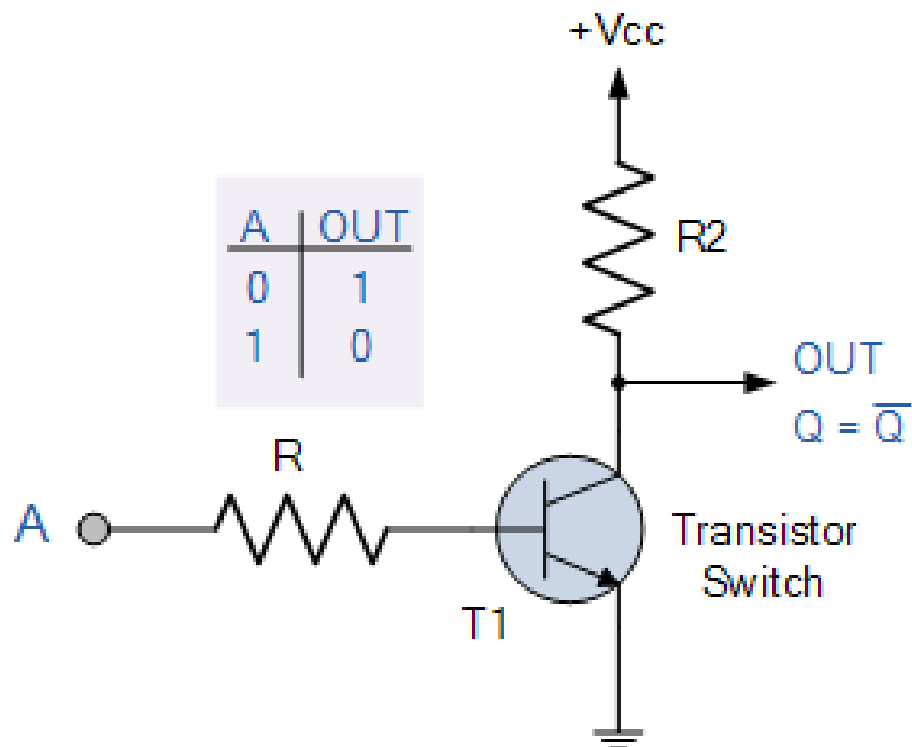
$$f_s \geq 2 \times 500 \text{ kHz} = 1000 \text{ kHz} = 1 \text{ MHz}$$

Ans: 1000 kHz or 1 MHz

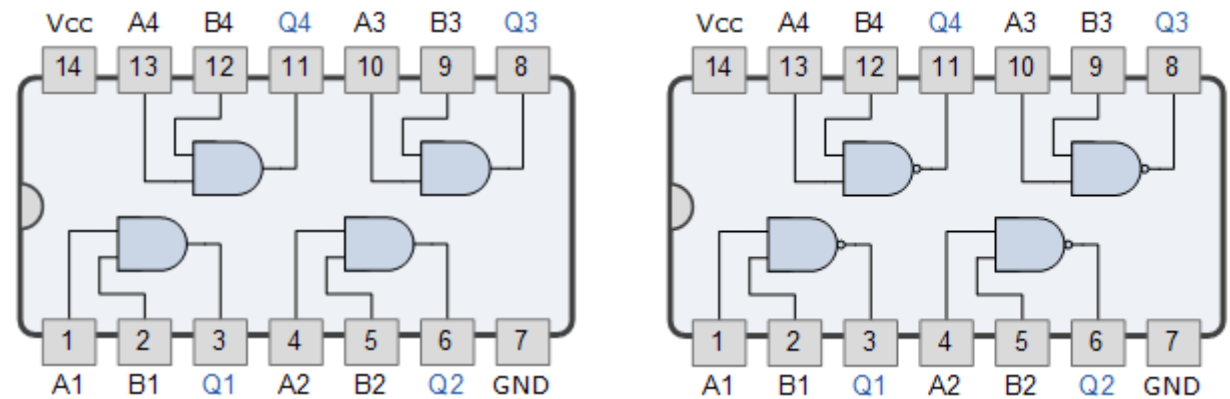
Logic Gates



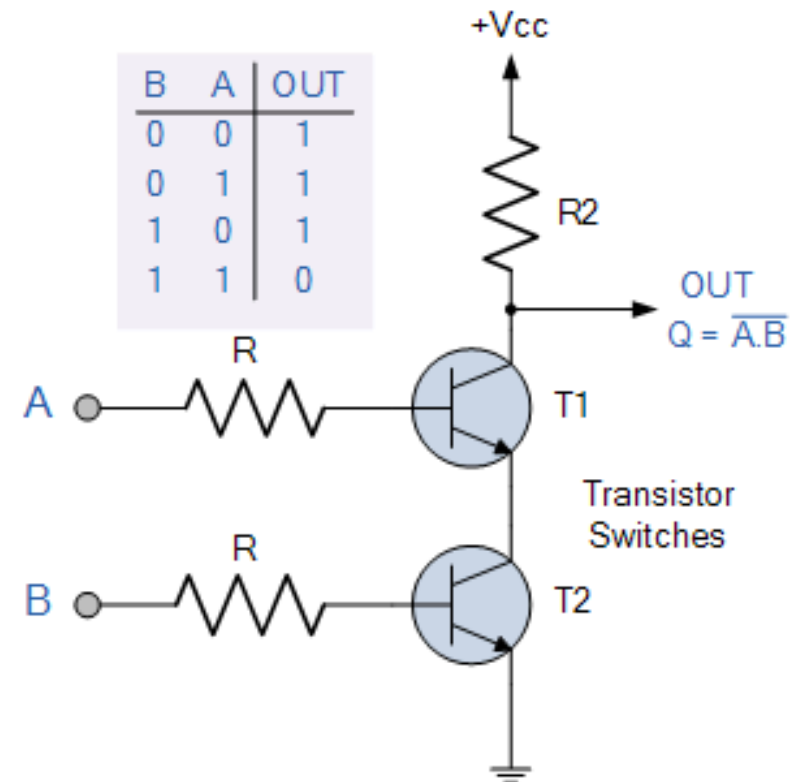
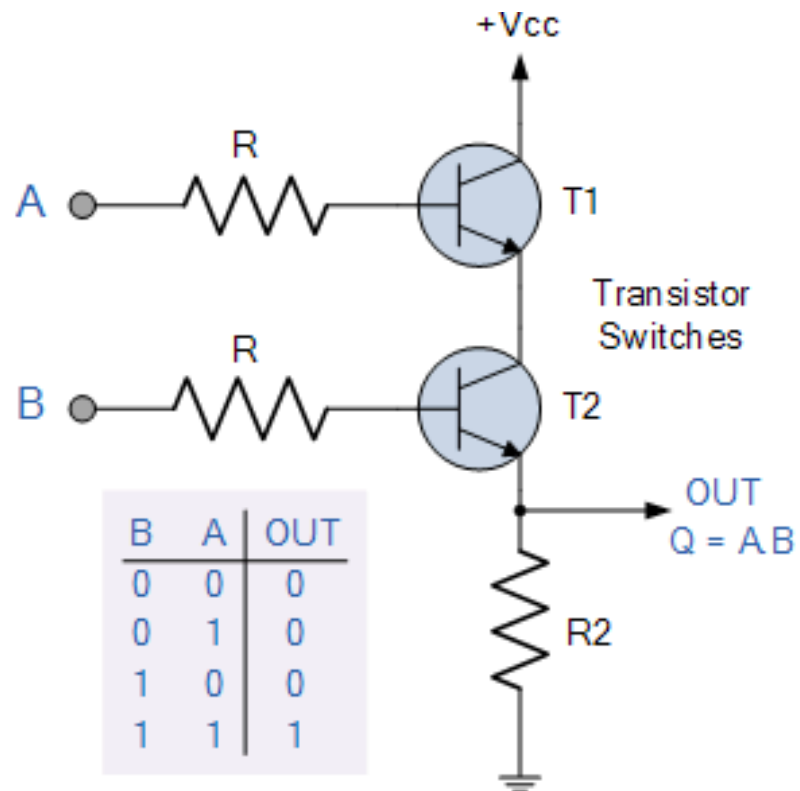
- Gates use Complementary Metal-Oxide-Semiconductor (CMOS) transistors.



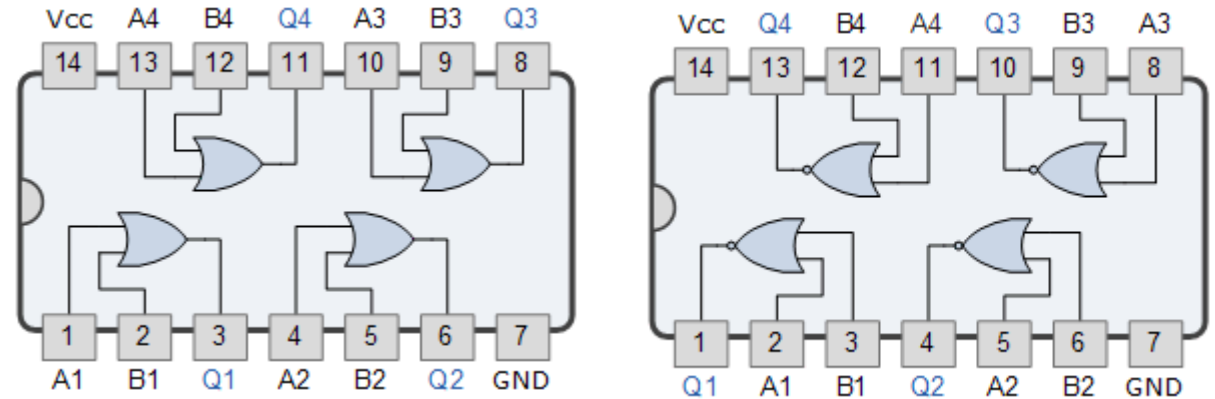
Logic Gates



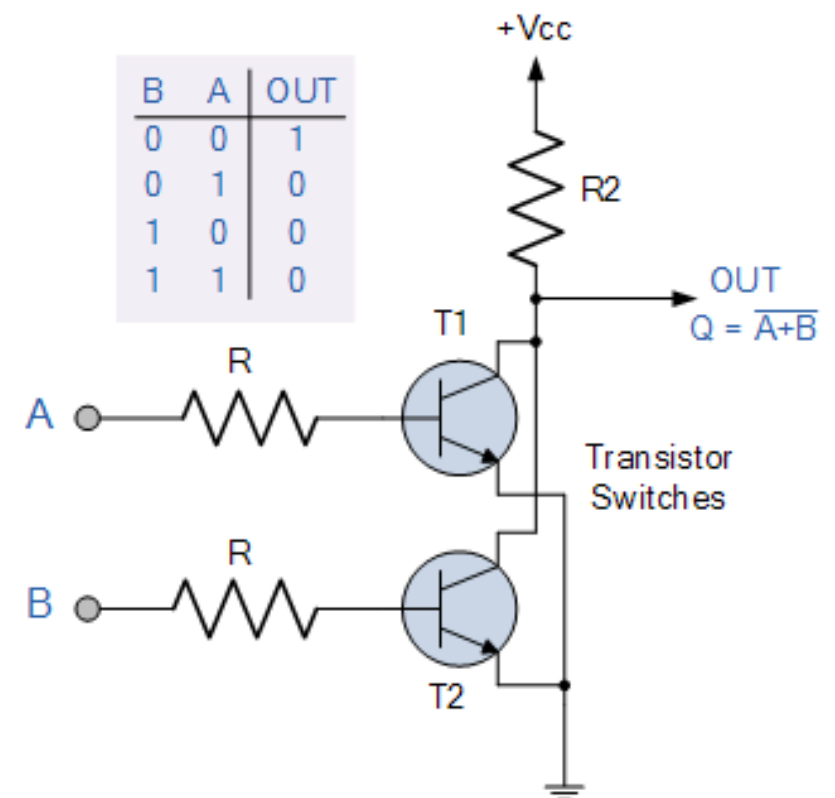
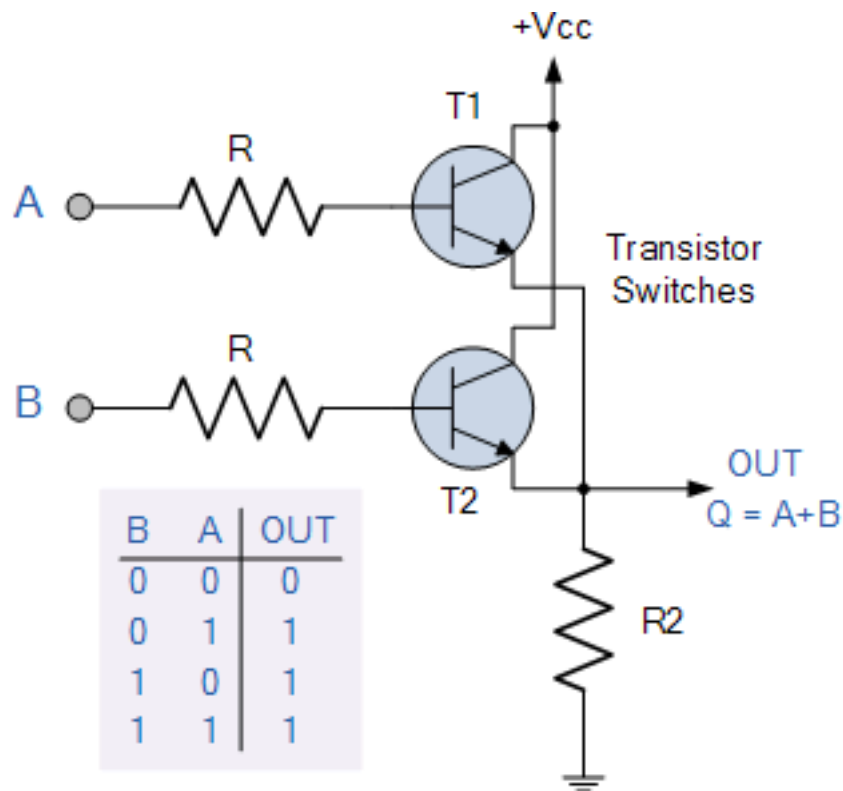
- Gates use Complementary Metal-Oxide-Semiconductor (CMOS) transistors.



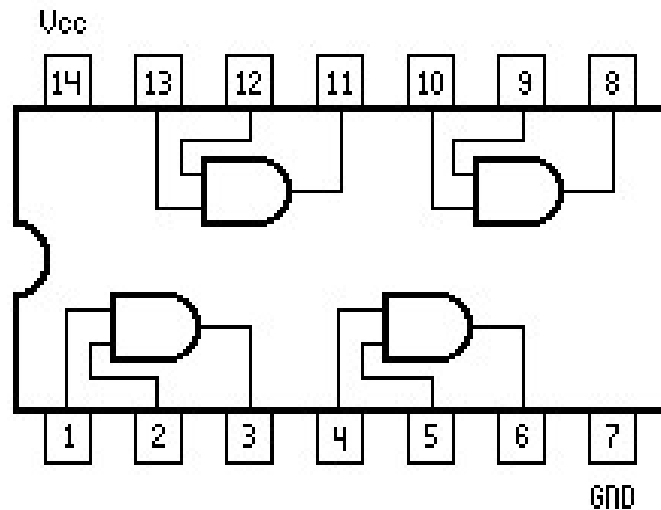
Logic Gates



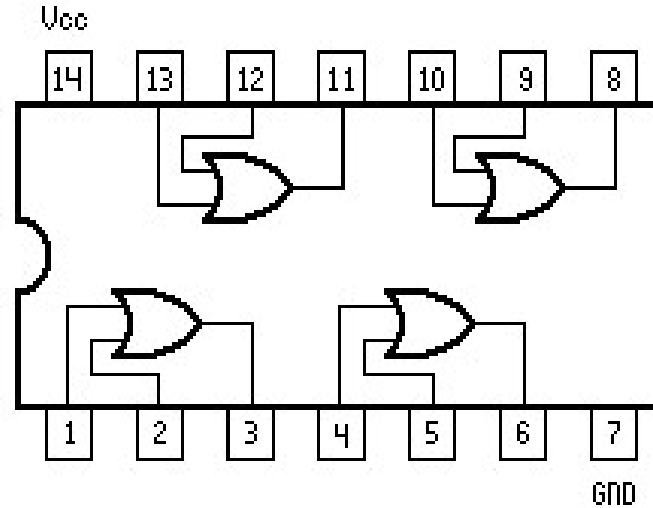
- Gates use Complementary Metal-Oxide-Semiconductor (CMOS) transistors.



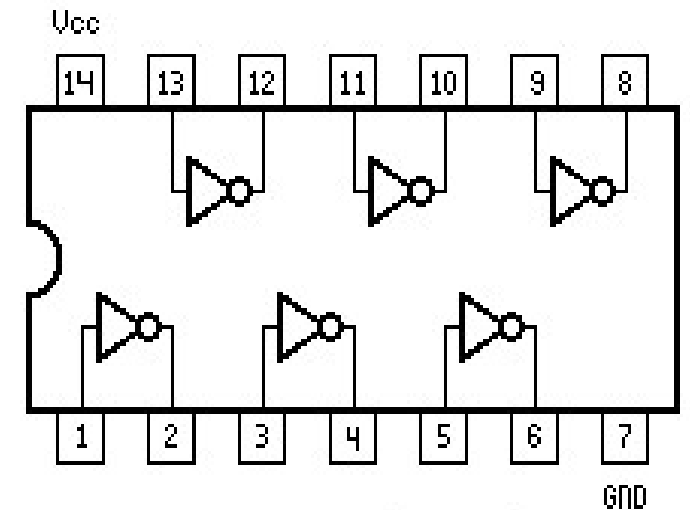
Identification of Integrated Circuits (ICs)



7408 (AND)



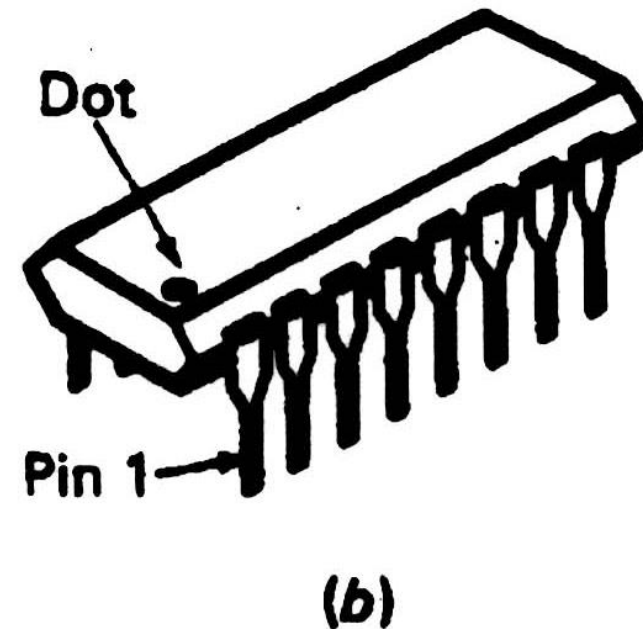
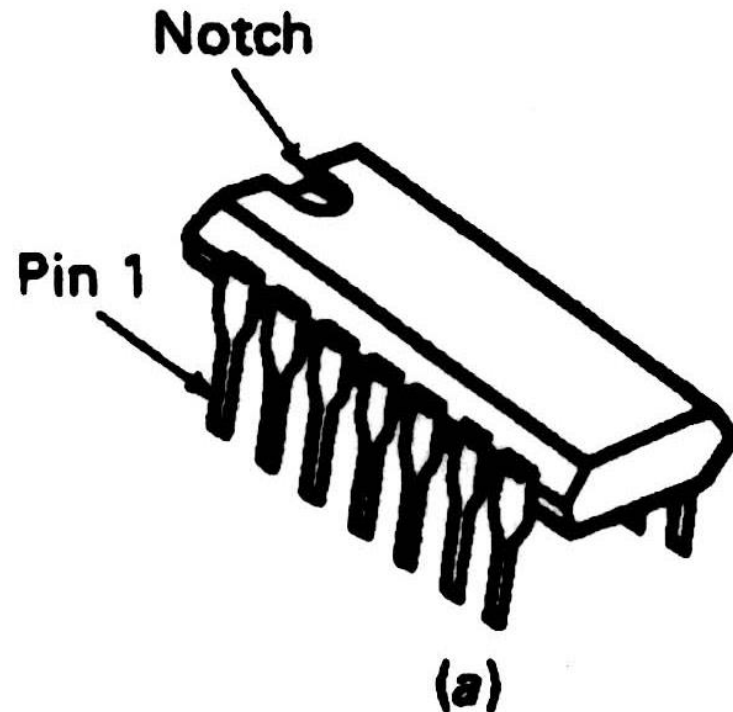
7432 (OR)



7404 (NOT)

Integrated Circuits (ICs)

- Used for implementation of combinational logic circuits
 - Use TTL (Transistor-Transistor Logic) Family.



Questions?