A **Tree** is a hierarchical data structure widely used in computer science for organizing data. It consists of **nodes**, where each node contains a value and references to its children (other nodes). The most common type of tree is a **binary tree**, but there are many other variations.

### Memory updated

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## **Basic Terminology**

- 1. **Node**: The fundamental part of the tree. Each node contains data and references to its children.
- 2. **Root**: The top node of the tree, where the hierarchy starts.
- 3. **Parent**: A node that has references to its child nodes.
- 4. Child: A node that is a descendant of another node.
- 5. **Leaf**: A node that has no children.
- 6. **Subtree**: A portion of the tree that forms another smaller tree.
- 7. **Depth**: The number of edges from the root to the node.
- 8. **Height**: The number of edges on the longest path from a node to a leaf.
- 9. Binary Tree: A tree where each node has at most two children.

# **Types of Trees**

- 1. **Binary Tree**: Each node has at most two children, commonly referred to as the left and right children.
- 2. **Binary Search Tree (BST)**: A binary tree where the left child of a node contains only values less than the node, and the right child contains only values greater than the node.
- 3. Skewed Tree

A **skewed tree** is a tree where all nodes have only one child. It can either be left-skewed or right-skewed:

- Left-skewed Tree: All nodes have only a left child.
- Right-skewed Tree: All nodes have only a right child.

### 4. Degenerate Tree

A **degenerate tree** is a special case of a skewed tree where each parent node has only one child. It can be considered a worst-case scenario for a binary search tree (BST), where it behaves like a linked list.

#### 5. Complete Tree

A **complete tree** is a binary tree where all levels are completely filled except possibly the last level, which is filled from left to right.

#### Traversals:

Preorder-Traversal: <a href="https://leetcode.com/problems/binary-tree-preorder-traversal/description/">https://leetcode.com/problems/binary-tree-preorder-traversal/description/</a>

```
function getPreorderTraversal(root,preorder){
    if(root==null){
        return;
    }
    preorder.push(root.val);
    getPreorderTraversal(root.left,preorder);
    getPreorderTraversal(root.right,preorder);
}
var preorderTraversal = function(root) {
    var preorder=[];
    getPreorderTraversal(root,preorder);
    return preorder;
};
Inorder-Traversal:
Problem-Link: https://leetcode.com/problems/binary-tree-inorder-traversal/
function getInorderTraversal(root,inorder){
    if(root==null){
        return;
    }
```

```
getInorderTraversal(root.left,inorder);
    inorder.push(root.val);
    getInorderTraversal(root.right,inorder);
}
var inorderTraversal = function(root) {
    var inorder=[];
    getInorderTraversal(root,inorder);
    return inorder;
};
Postorder-Traversal:
Problem-Link: https://leetcode.com/problems/binary-tree-postorder-traversal/
function getPostorderTraversal(root,postorder){
    if(root==null){
        return;
    getPostorderTraversal(root.left,postorder);
    getPostorderTraversal(root.right,postorder);
    postorder.push(root.val);
}
var postorderTraversal = function(root) {
    var postorder=[];
    getPostorderTraversal(root,postorder);
    return postorder;
};
```

```
Lowest Common Ancestor:
Problem Link:
https://leetcode.com/problems/lowest-common-ancestor-of-a-binary-search-tree/d
escription/
var lowestCommonAncestor = function(root, p, q) {
    var curr=root;
    while (curr!=null) {
        if (p.val<curr.val&&q.val<curr.val) {</pre>
            curr=curr.left;
        }
        else if(p.val>curr.val&&q.val>curr.val){
            curr=curr.right;
        }
        else{
            return curr;
        }
    }
    return null;
};
Maximum Depth of a Binary Tree:
Problem-Link:
https://leetcode.com/problems/maximum-depth-of-binary-tree/description/
function maximumDepth(root){
    if(root==null){
        return 0;
```

```
}
    var leftDepth=maximumDepth(root.left);
    var rightDepth=maximumDepth(root.right);
    return 1+Math.max(leftDepth,rightDepth);
}
var maxDepth = function(root) {
    return maximumDepth(root);
};
Level-Order Traversal:
Problem-Link:
https://leetcode.com/problems/binary-tree-level-order-traversal/description/
class myQueue {
  constructor() {
    this.queue = [];
  }
  // Enqueue operation (Add element to the end of the queue)
  push(element) {
    this.queue.push(element);
    console.log(`${element} added to the queue`);
  }
  // Dequeue operation (Remove element from the front of the queue)
```

```
pop() {
  if (this.isEmpty()) {
    console.log('Queue is empty, cannot dequeue');
    return;
  }
  const removedElement = this.queue.shift();
  console.log(`${removedElement} removed from the queue`);
  return removedElement;
}
// Peek operation (View the element at the front of the queue)
peek() {
  if (this.isEmpty()) {
    console.log('Queue is empty');
    return;
  }
  return this.queue[0];
}
// Check if the queue is empty
isEmpty() {
 return this.queue.length === 0;
}
```

```
// Get the size of the queue
  size() {
   return this.queue.length;
  }
  // Print the queue
 printQueue() {
    console.log('Queue:', this.queue.join(', '));
 }
}
var levelOrder = function(root) {
    var levelOrderElements=[];
    if(root==null){
        return levelOrderElements;
    }
    var q=new myQueue();
    q.push(root);
    while(!q.isEmpty()){
        var n=q.size();
        var arr=[];
        for (var i=0;i<n;i++) {</pre>
            var node=q.pop();
        arr.push(node.val);
```