

* Projection of Solids *

Types of solids

polyhedra

solids of revolution.

Regular polyhedra

prism

Pyramid.

cylinder

cone

sphere

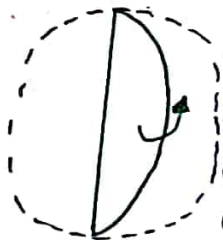
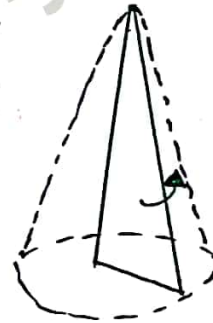
① Tetrahedron

② Cube

③ octahedron

④ Dodecahedron

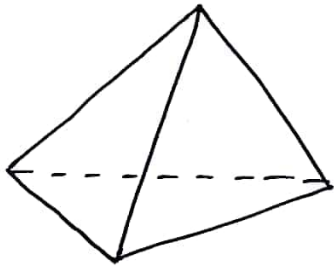
⑤ Icosahedron.



Regular Polyhedra :-

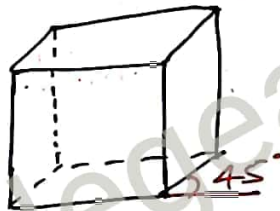
① Tetrahedron :-

4 equal equilateral Δ 's, 4 corners, 6 edges.



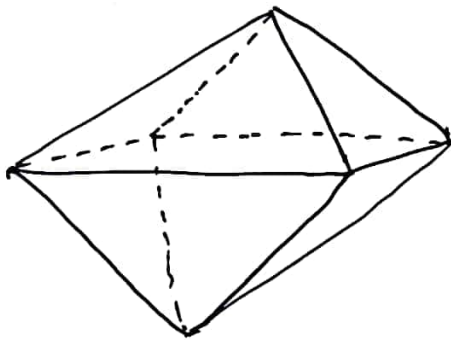
② Cube :-

6 equal squares, 8 corners, 12 edges.



③ Octahedron :-

8 equal equilateral Δ 's, 6 corners, 12 edges.



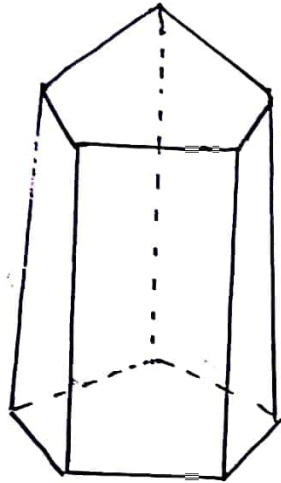
④ Dodecahedron :-

12 equal regular pentagones, 20 corners, 30 edges.

⑤ Icosahedron :-

20 equal equilateral Δ 's, 12 corners, 30 edges.

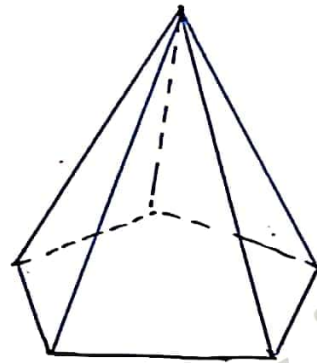
Prism :-



Faces = 7
corners = 10
edges = 15

pentagonal
prism.

Pyramid

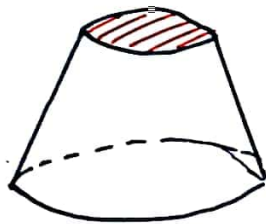


F = 6
C = 6
E = 10

pentagonal
pyramid.

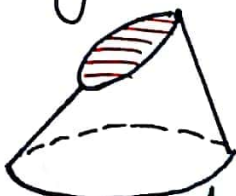
Frustum :-

when a cone (or) pyramid cut by a section plane parallel to its base then after removing top portion, then remaining portion is called frustum.

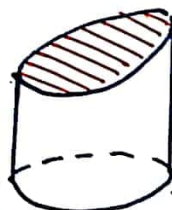


Truncated :-

when a solid is cut by a section plane inclined to its base then after remaining the top portion the remaining portion is called as Truncated.

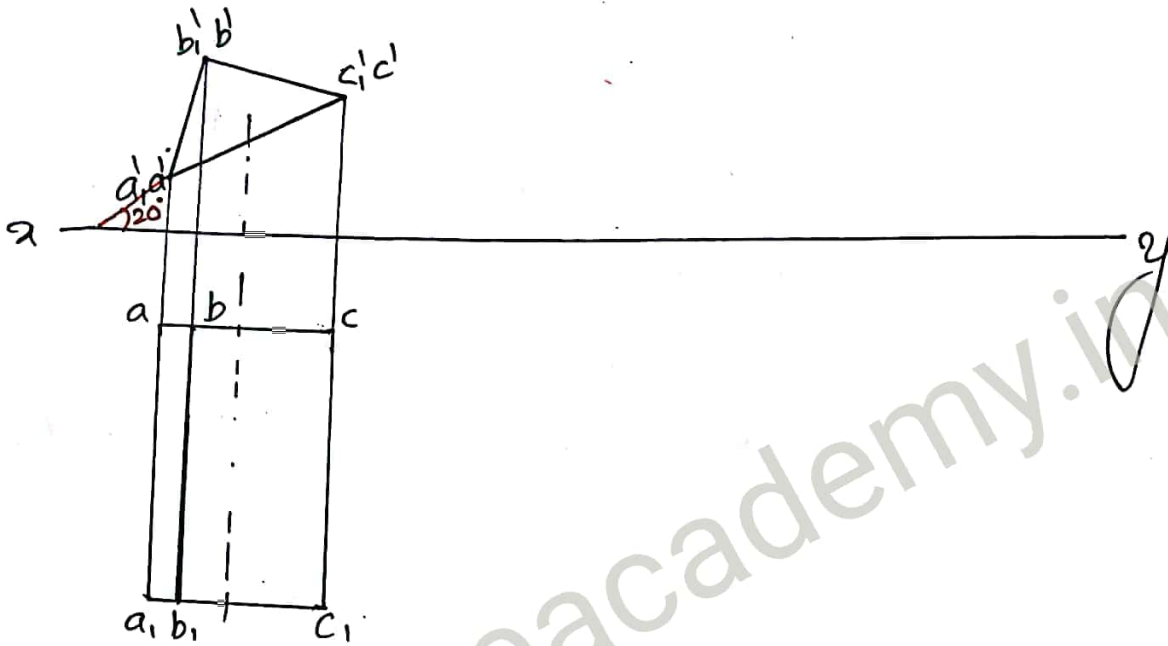


Truncated cone.



Truncated cylinder

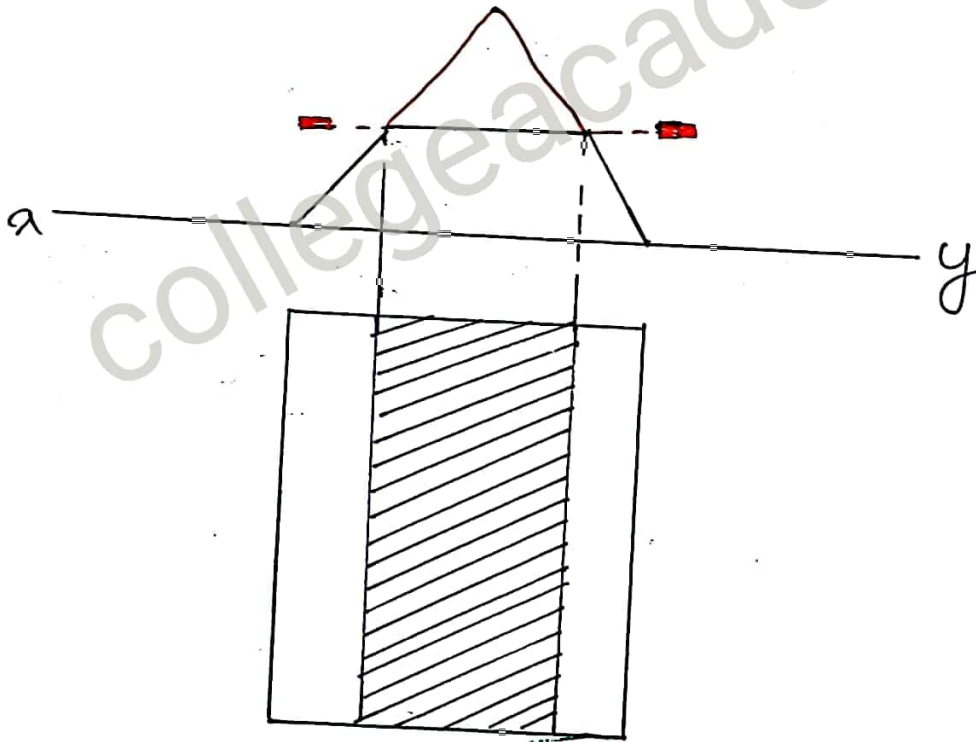
Q. A Δ prism of base length 40 mm and axis length 60 mm is placed such that its axis is \perp to VP and one of its rectangular faces is inclined at 20° to HP. Draw its projections.



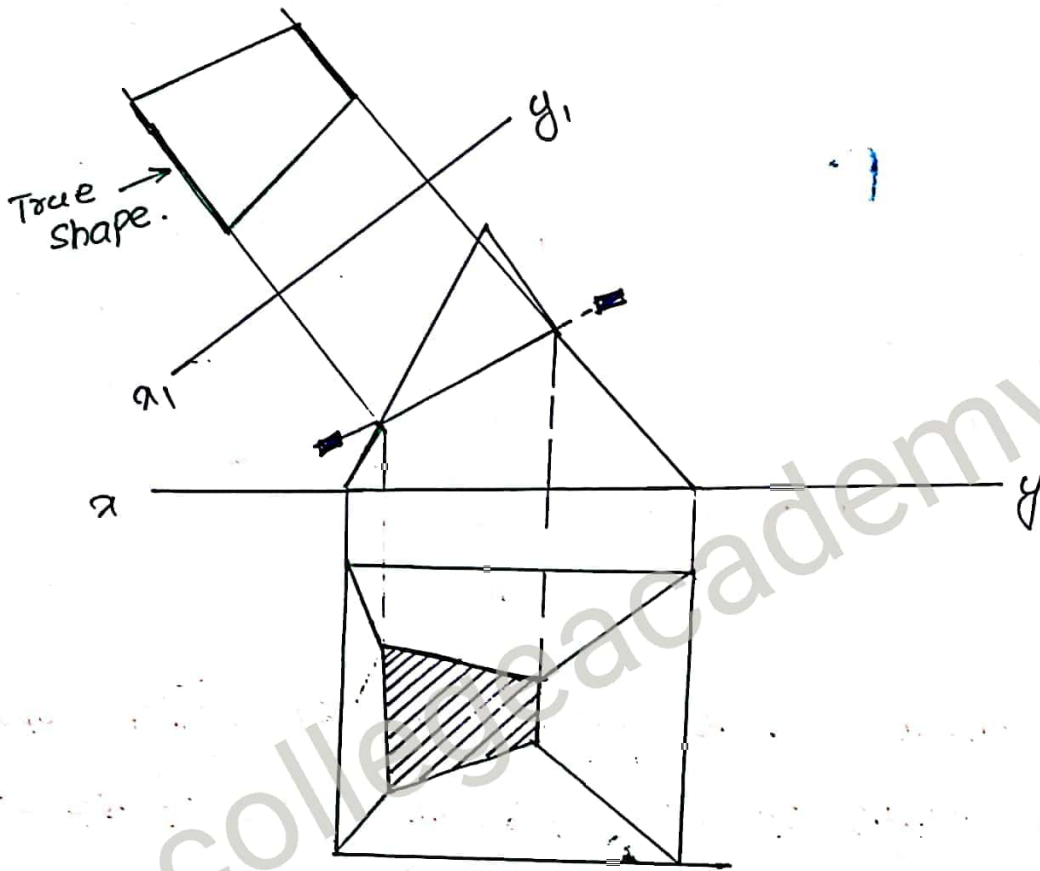
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* Section of Solids *

- Q An equilateral triangular prism is resting on of the rectangular faces on H.P and its axis is ~~lee~~ to V.P It is cut by a section plane \parallel to H.P and passing through the centroid. Draw its projections.



⑥ A square pyramid is resting on its base on H.P. with one of the waist lengths \parallel to V.P. It is cut by a section plane \parallel to A.P. such that the true shape of the section is Trapezium. Draw its projections.



When a section plane cuts polyhedra then the No of edges in largest possible section will be

1) $n + 2 \rightarrow$ for prisms

2) $n + 1 \rightarrow$ for pyramids.

where 'n' is number of edges in the base polygon.