

chapter - 6

* Projection of Solids *

Types of solids

Polyhedra

Regular polyhedra

Prism

Pyramid.

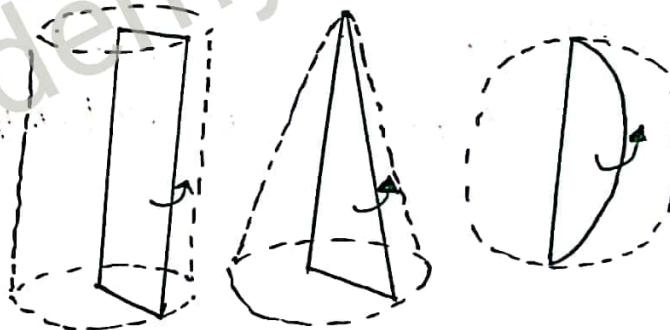
Solids of Revolution.

Cylinder

Cone

Sphere

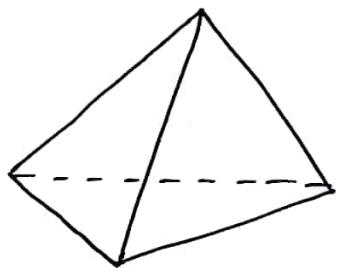
- ① Tetrahedron
- ② Cube
- ③ Octahedron
- ④ Dodecahedron
- ⑤ Icosahedron.



Regular Polyhedra :-

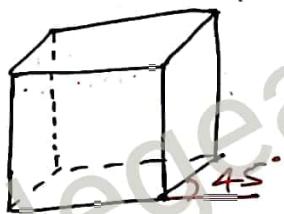
① Tetrahedron :-

4 equal equilateral Δ 's, 4 corners, 6 edges.



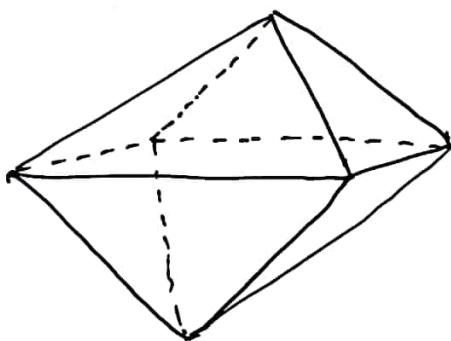
② Cube :-

6 equal squares, 8 corners, 12 edges.



③ Octahedron :-

8 equal equilateral Δ 's, 6 corners, 12 edges.



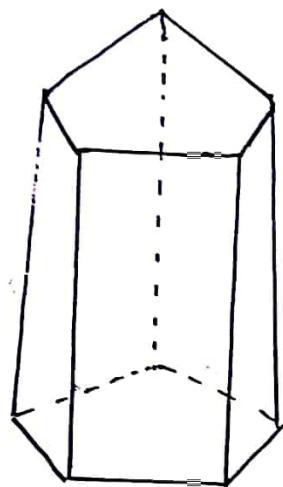
④ Dodecahedron :-

12 equal regular pentagons, 20 corners, 30 edges.

⑤ Icosahedron :-

20 equal equilateral Δ 's, 12 corners, 30 edges.

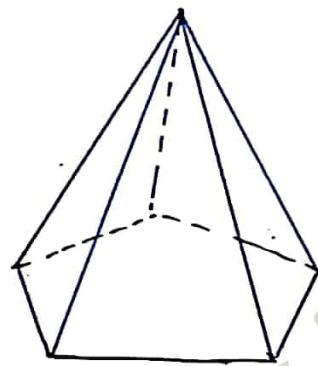
Prism :-



Pentagonal Prism.

Faces = 7
corners = 10
edges = 15

Pyramid

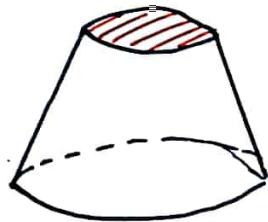


F = 6
C = 6
E = 10

Pentagonal Pyramid.

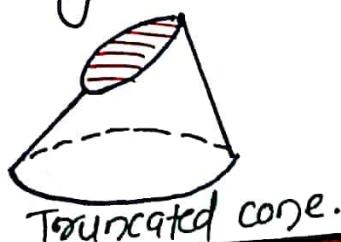
Frustum :-

When a cone (or) pyramid cut by a section plane parallel to its base then after removing top portion, then remaining portion is called Frustum.

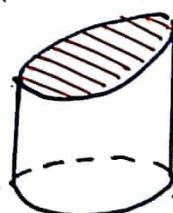


Truncated :-

When a solid is cut by a section plane inclined to its base then after removing the top portion the remaining portion is called as Truncated.

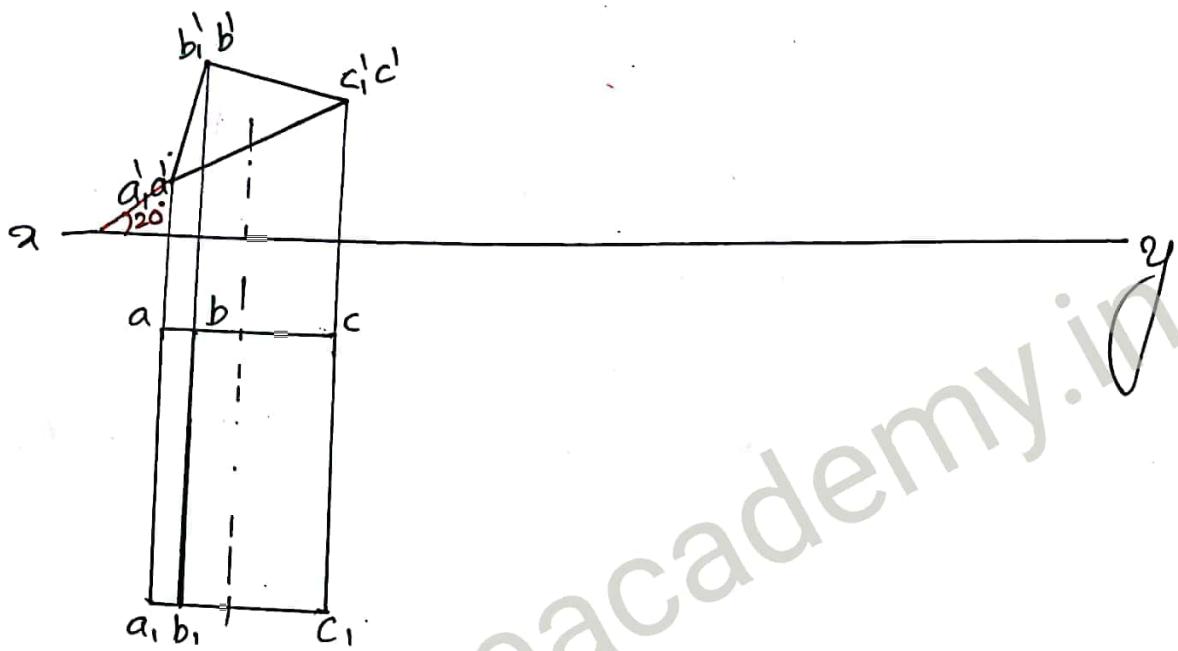


Truncated cone.



Truncated cylinder

⑨. A ~~les~~ prism of base length 40 mm and axis length 60 mm is placed such that its axis is ~~le~~ to VP and one of its rectangular faces is inclined at 20° to HP. Draw its projections.

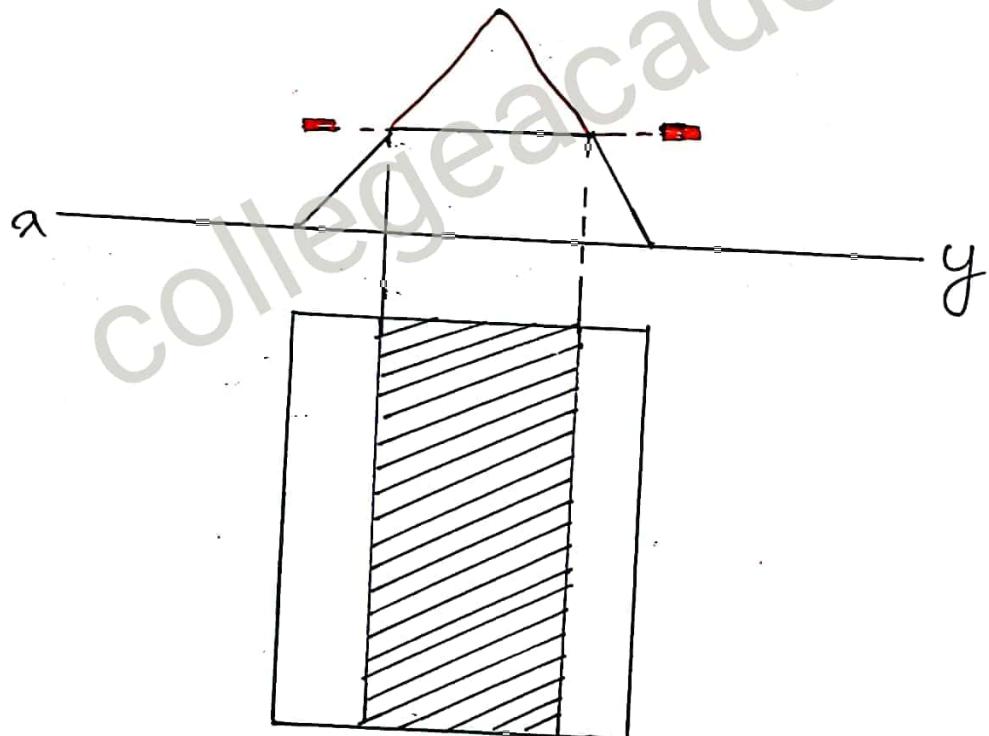


Chapter- 7

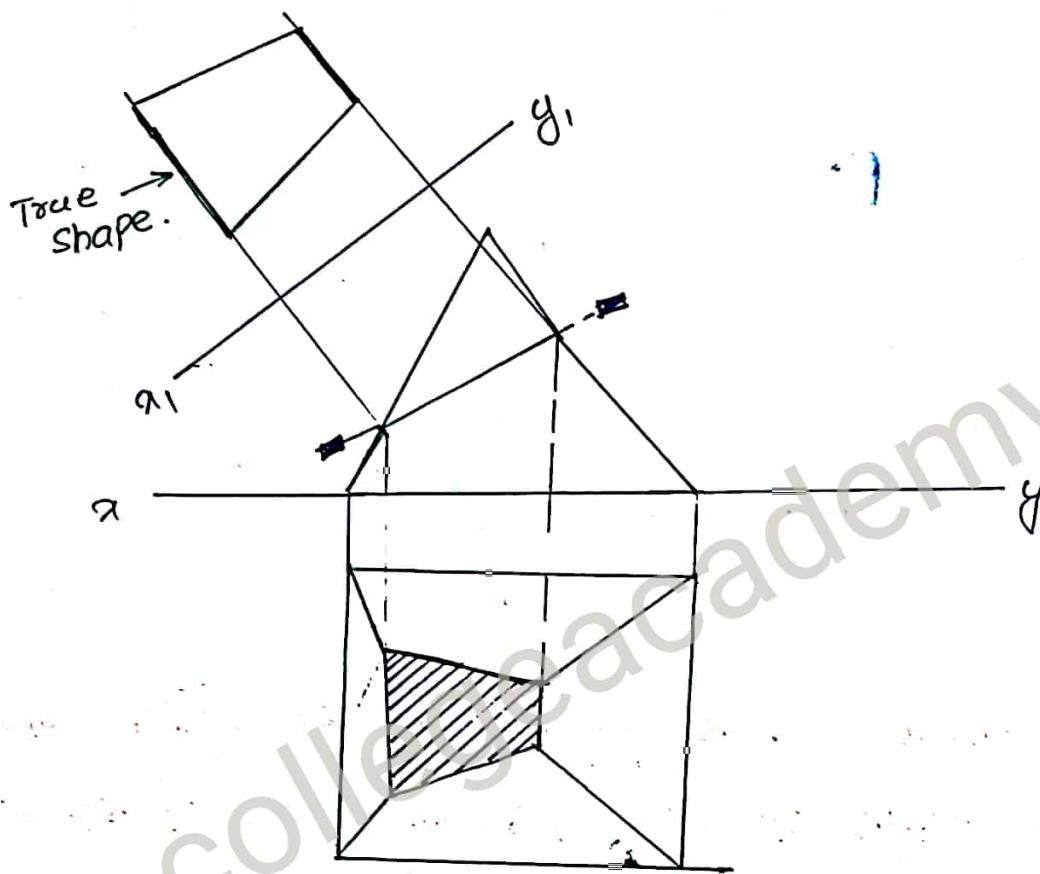
* Section of Solids *

(Q)

An equilateral triangular prism is resting on one of the rectangular faces on H.P and its axis is ~~perp~~ to V.P. It is cut by a section plane ~~perp~~ to H.P and passing through the centroid. Draw its projections.



⑨ A square pyramid is resting on its base on HP. with one of the waist lengths parallel to VP. It is cut by a section plane parallel to AIP such that the true shape of the section is Trapezium. Draw its projections.



when a section plane cuts polyhedra then the no of edges on largest possible section will be

1) $n+2 \rightarrow$ for prisms

2) $n+1 \rightarrow$ for pyramids.

where 'n' is number of edges in the base polygon.