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STA6375: Computational Statistics I

Homework 3

1a.

```
library("tidyverse")

df <- expand.grid("x" = 1:10, "y" = 1:10)
ggplot(df, aes(x, y)) +
    geom_point() +
    theme_minimal()

7.5

5.0

2.5

5.0

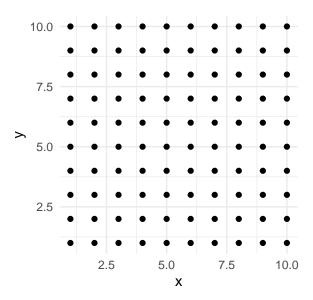
7.5

10.0</pre>
```

1b.

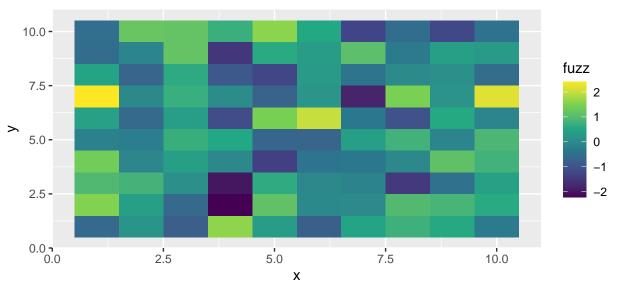
```
ggplot(df, aes(x, y)) +
  geom_point() +
  theme_minimal() +
  coord_equal()
```

Χ



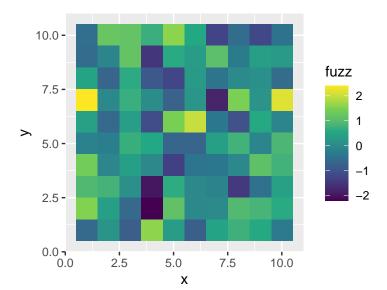
1c.





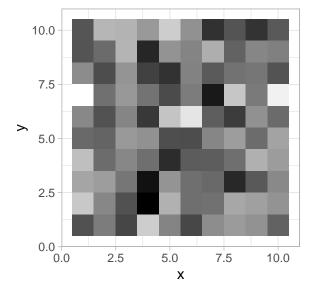
1d.

ggplot(df,aes(x,y)) + geom_raster(aes(fill=fuzz)) + coord_equal()



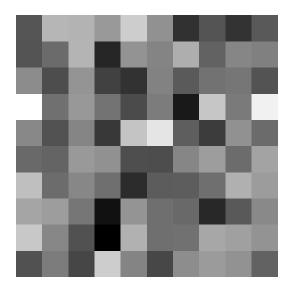
1e

```
#ggplot(df,aes(x,y)) + geom_raster(aes(fill=fuzz)) + scale_fill_gradient2(low="white", high="black") co
ggplot(df, aes(x = x, y = y)) +
   geom_raster(aes(fill = fuzz)) +
   scale_fill_gradient(low = "black", high = "white") +
   coord_equal() +
   theme_light() +
   theme(legend.position = "none")
```



1f.

```
ggplot(df, aes(x = x, y = y)) +
  geom_tile(aes(fill = fuzz)) +
  scale_fill_gradient(low = "black", high = "white") +
  coord_equal() +
  theme_void() +
  theme(legend.position = "none")
```



2a.

[2,] -7+0i 9+0i 1-0i # [3,] -2+0i 2-0i 4-0i

```
A <- matrix(c(1,3,2,-7,9,1,-2,2,4), nrow = 3, byrow = TRUE)
ev <- eigen(A)
V <- ev$vectors</pre>
L <- ev$values
Lamda \leftarrow matrix(c(0,0,0,0,0,0,0,0), nrow = 3)
for(i in 1:length(L)){
Lamda[i,i] \leftarrow L[i]
}
V_1 <- solve(V)</pre>
# [,1] [,2] [,3]
# [1,] 1 3 2
# [2,] -7 9 1
            2
# [3,]
       -2
V %*% Lamda %*% V_1
      [,1] [,2] [,3]
# [1,] 1+0i 3+0i 2-0i
```