

Algoritmos y Estructuras de Datos II

Primer Cuatrimestre de 2015

Departamento de Computación
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Trabajo Práctico 1

Especificación

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Instancia	Docente	Nota
Primera entrega		
Segunda entrega		

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1. TAD AS

TAD AS

géneros as

igualdad observacional

$$(\forall facu, facu' : as) \left(facu =_{obs} facu' \iff \begin{pmatrix} campus(facu)=campus(facu') \\ \wedge seguridad(facu)=seguridad(facu') \\ \wedge (\forall pos:p)(posValida(campus(facu),p)) \\ hayEst?(facu,p) \iff hayEst?(facu',p) \\ \wedge (\forall pos:p)(posValida(campus(facu),p)) \\ hayHippie?(facu,p) \iff hayHippie?(facu',p) \\ \wedge (\forall seg:s)(s \in seguridad(a)) \\ (\#capturas(facu,s)=\#capturas(facu',s)) \\ \wedge \#sanciones(facu,s)=\#sanciones(facu',s)) \end{pmatrix} \right)$$

usa CAMPUS,BOOL,NAT,TUPLA,SEG

exporta AS,generadores, observadores,#hippies,#estudiantes,#masVigilante

observadores básicos

campus : as \rightarrow campus

seguridad : as \rightarrow conj(seguridad)

hayEst? : as $a \times pos\ p \rightarrow bool$

$\{posValida(campus(a),p)\}$

hayHippie? : as $a \times pos\ p \rightarrow bool$

$\{posValida(campus(a),p)\}$

#capturas : as $a \times seg\ s \rightarrow nat$

$\{s \in seguridad(a)\}$

#sanciones : as $a \times seg\ s \rightarrow nat$

$\{s \in seguridad(a)\}$

generadores

nueva : campus \times conj(seguridad) \rightarrow as

$\{(\forall segs:e) posValida(c,pos(e)) \wedge (\forall segs:s,s1) id(s) \neq id(s1) \Rightarrow pos(s) \neq pos(s1)\}$

moverEst : as $a \times pos\ pe \times pos\ pd \rightarrow as$

$\left\{ \begin{array}{l} posValida(campus(a),pe) \wedge_L hayEst?(a,pe) \wedge adyacente(campus(a),pe,pd) \wedge \\ posValidaPersona(as,pd) \end{array} \right\}$

nuevoHippie : as $a \times pos\ p \rightarrow as$

$\{posIngreso(campus(a),p) \wedge posValidaPersona(a,p)\}$

nuevoEst : as $a \times pos\ p \rightarrow as$

$\{posIngreso(campus(a),p) \wedge posValidaPersona(a,p)\}$

sacarEst : as $a \times pos\ p \rightarrow as$

$\{posValida(campus(a),p) \wedge_L hayEst?(a,p) \wedge posIngreso(a,p)\}$

otras operaciones

haySeg? : as $a \times pos\ p \rightarrow bool$

posValidaPersona : as $a \times pos\ p \rightarrow bool$

posIngreso : as $a \times pos\ p \rightarrow bool$

moverTodos : as $a \times conj(seguridad)\ segs \rightarrow conj(seguridad)$

moverSeg : as $a \times seguridad\ seg \times pos\ posSig \rightarrow seguridad$

proximasPosiciones : as $a \times conj(pos)\ minPos \times pos\ posAct \rightarrow conj(pos)$

$\{\neg(emptyset?(minPos)) \wedge_L posValida(campus(a),posAct) \wedge posicionesValidas(campus(a),minPos)\}$

hippiesMasCerca : as $a \times seguridad\ seg \rightarrow conj(pos)$

$\{seg \in seguridad(a) \wedge hayHippies(a)\}$

encerrado : as $a \times pos\ p \rightarrow bool$

$\{hayEst?(p)\}$

#hippies : as $a \rightarrow nat$

#estudiantes : as $a \rightarrow nat$

$\#masVigilante : as\ a \longrightarrow nat$
 $contarHippies : as\ a \times conj(pos)\ poss \longrightarrow nat$
 $contarEstudiantes : as\ a \times conj(pos)\ poss \longrightarrow nat$
 $\#masCapturas : as\ a \times conj(seg)\ segs \longrightarrow conj(seg) \quad \{(\forall\ segs:s) s \in seguridad(a)\}$
 $\#maxCapturas : as\ a \times conj(seg)\ segs \longrightarrow nat \quad \{(\forall\ segs:s) s \in seguridad(a)\}$
 $captura? : as\ a \times pos\ p \longrightarrow bool$

axiomas

$campus(nueva(c, segs)) \equiv c$
 $campus(moverEst(a, p_1, p_2)) \equiv campus(a)$
 $campus(nuevoEst(a, p_1)) \equiv campus(a)$
 $campus(nuevoHippie(a, p_1)) \equiv campus(a)$
 $campus(sacarEst(a, p_1)) \equiv campus(a)$
 $seguridad(nueva(c, segs)) \equiv segs$
 $seguridad(moverEst(a, p_1, p_2)) \equiv moverTodos(a, seguridad(a))$
 $seguridad(nuevoEst(a, p_1)) \equiv moverTodos(a, seguridad(a))$
 $seguridad(nuevoHippie(a, p_1)) \equiv seguridad(a)$
 $seguridad(sacarEst(a, p_1)) \equiv seguridad(a)$
 $hayEst?(nueva(c, segs), p) \equiv False$
 $hayEst?(nuevoEst(a, p_1), p) \equiv \text{if } p_1 = p \text{ then } True \text{ else } hayEst?(a, p) \text{ fi}$
 $hayEst?(moverEst(a, p_1, p_2), p) \equiv \text{if } p_1 = p \text{ then } False \text{ else } \text{if } p_2 = p \text{ then } True \text{ else } hayEst?(a, p) \text{ fi}$
 $hayEst?(nuevoHippie(a, p_1), p) \equiv hayEst?(a, p)$
 $hayEst?(sacarEst(a, p_1), p) \equiv \text{if } p_1 = p \text{ then } False \text{ else } hayEst?(a, p) \text{ fi}$
 $hayHippie?(nueva(c, segs), p) \equiv False$
 $hayHippie?((nuevoHippie(a, p_1), p) \equiv \text{if } p_1 = p \text{ then } True \text{ else } hayHippie?(a, p) \text{ fi}$
 $hayHippie?(nuevoEst(a, p_1), p) \equiv hayHippie?(a, p)$
 $hayHippie?(sacarEst(a, p_1), p) \equiv hayHippie?(a, p)$
 $\#capturas(nueva(a, segs), s) \equiv 0$
 $\#capturas(moverEst(a, p_1, p_2), s) \equiv \#capturas(a, s)$
 $\#capturas(nuevoHippie(a, p_1), s) \equiv \text{if } (adyacente(a, p_1, posSeg(a, s)) \wedge encerrado(a, p_1)) \text{ then } 1 + \#capturas(a, s) \text{ else } \#capturas(a, s) \text{ fi}$
 $\#capturas(nuevoEst(a, p_1), s) \equiv \#capturas(a, s)$
 $\#capturas(sacarEst(a, p_1), s) \equiv \#capturas(a, s)$

$$\begin{aligned}
\#capturas(a, moverSeg(a, s, p_1)) &\equiv \beta(posValida(campus(a), < \pi_1(p_1) + 1, \pi_2(p_1) >) \wedge_L \\
&\quad (hayHippie?(a, < \pi_1(p_1) + 1, \pi_2(p_1) >) \wedge_L encerrado(a, < \\
&\quad \pi_1(p_1) + 1, \pi_2(p_1) >))) + \\
&\quad \beta(posValida(campus(a), < \pi_1(p_1) - 1, \pi_2(p_1) >) \wedge_L \\
&\quad (hayHippie?(a, < \pi_1(p_1) - 1, \pi_2(p_1) >) \wedge_L encerrado(a, < \\
&\quad \pi_1(p_1) - 1, \pi_2(p_1) >))) + \\
&\quad \beta(posValida(campus(a), < \pi_1(p_1), \pi_2(p_1) + 1 >) \wedge_L \\
&\quad (hayHippie?(a, < \pi_1(p_1), \pi_2(p_1) + 1 >) \wedge_L encerrado(a, < \\
&\quad \pi_1(p_1), \pi_2(p_1) + 1 >))) + \\
&\quad \beta(posValida(campus(a), < \pi_1(p_1), \pi_2(p_1) - 1 >) \wedge_L \\
&\quad (hayHippie?(a, < \pi_1(p_1), \pi_2(p_1) - 1 >) \wedge_L encerrado(a, < \\
&\quad \pi_1(p_1), \pi_2(p_1) - 1 >))) + \#capturas(a, s)
\end{aligned}$$

#capturas(moverEst(a, p_1, p_2), s)

```

≡ if (PosValida(campus(a), <  $\pi_1(posSeg)+1, \pi_2(posSeg) >$ 
)) then
  if (hayHippie(a, <  $\pi_1(posSeg) + 1, \pi_2(posSeg) >))$ 
  then
    if (captura?(a, <  $\pi_1(posSeg) + 1, \pi_2(posSeg) >))$ 
    then
      1
    else
      0
    fi
  else
    0
  fi
else
  0
fi

+

if (PosValida(campus(a), <  $\pi_1(posSeg)-1, \pi_2(posSeg) >$ 
)) then
  if (hayHippie(a, <  $\pi_1(posSeg) - 1, \pi_2(posSeg) >))$ 
  then
    if (captura?(a, <  $\pi_1(posSeg) - 1, \pi_2(posSeg) >))$ 
    then
      1
    else
      0
    fi
  else
    0
  fi
else
  0
fi

+

if (PosValida(campus(a), <  $\pi_1(posSeg), \pi_2(posSeg)+1 >$ 
)) then
  if (hayHippie(a, <  $\pi_1(posSeg), \pi_2(posSeg) + 1 >))$ 
  then
    if (captura?(a, <  $\pi_1(posSeg), \pi_2(posSeg) + 1 >))$ 
    then
      1
    else
      0
    fi
  else
    0
  fi
else
  0
fi

+

if (PosValida(campus(a), <  $\pi_1(posSeg), \pi_2(posSeg)-1 >$ 
)) then
  if (hayHippie(a, <  $\pi_1(posSeg), \pi_2(posSeg) - 1 >))$ 
  then
    if (captura?(a, <  $\pi_1(posSeg), \pi_2(posSeg) - 1 >))$ 
    then
      1
    else
      0
  fi
else
  0
fi

```

<code>#sanciones(nueva(a, segs),s)</code>	$\equiv 0$
<code>#sanciones(moverEst(a, p₁, p₂),s)</code>	$\equiv \#sanciones(a, s)$
<code>#sanciones(nuevoHippie(a, p₁),s)</code>	\equiv if $(cercanos?(a, p_1, posSeg(a, s)) \wedge_L$ $(hayEst?(casilleroEnComun(a, p_1, posSeg(a, s))) \wedge$ $encerrado(casilleroEnComun(a, p_1, posSeg(a, s))))$ then $1 + \#sanciones(a, s)$ else $\#sanciones(a, s)$ fi
<code>#sanciones(nuevoEst(a, p₁),s)</code>	$\equiv \#sanciones(a, s)$
<code>#sanciones(sacarEst(a, p₁),s)</code>	$\equiv \#sanciones(a, s)$
<code>#sanciones(a,moverSeg(a, s, p₁))</code>	$\equiv \beta(posValida(campus(a), < \pi_1(p_1) + 1, \pi_2(p_1) >) \wedge_L$ $(hayEst?(a, < \pi_1(p_1) + 1, \pi_2(p_1) >) \wedge_L encerrado(a, <$ $\pi_1(p_1) + 1, \pi_2(p_1) >))) +$ $\beta(posValida(campus(a), < \pi_1(p_1) - 1, \pi_2(p_1) >) \wedge_L$ $(hayEst?(a, < \pi_1(p_1) - 1, \pi_2(p_1) >) \wedge_L encerrado(a, <$ $\pi_1(p_1) - 1, \pi_2(p_1) >))) +$ $\beta(posValida(campus(a), < \pi_1(p_1), \pi_2(p_1) + 1 >) \wedge_L$ $(hayEst?(a, < \pi_1(p_1), \pi_2(p_1) + 1 >) \wedge_L encerrado(a, <$ $\pi_1(p_1), \pi_2(p_1) + 1 >))) +$ $\beta(posValida(campus(a), < \pi_1(p_1), \pi_2(p_1) - 1 >) \wedge_L$ $(hayEst?(a, < \pi_1(p_1), \pi_2(p_1) - 1 >) \wedge_L encerrado(a, <$ $\pi_1(p_1), \pi_2(p_1) - 1 >))) + \#sanciones(a, s)$
<code>moverTodos(a,segs)</code>	\equiv if $(\emptyset?(segs))$ then \emptyset else if $(hayHippies?(a))$ then $Ag(moverTodos(a, sinUno(segs)),$ $moverSeg(a, dameUno(segs),$ $dameUno(proxPosiciones$ $(hippiesMasCerca(a, dameUno(segs))))$ else $moverIngreso(a, segs)$ fi fi
<code>moverIngreso(a,segs)</code>	\equiv if $\emptyset?(segs)$ then \emptyset else if $(alto(campus(a)) - 1) - \pi_2(dameUno(segs)) >$ $\pi_2(dameUno(segs))$ then $ag(moverIngreso(a, sinUno(segs)), mover(dameUno(segs), <$ $(\pi_1(dameUno(segs)), \pi_2(segs) - 1) >))$ else if $(alto(campus(a)) - 1) - \pi_2(dameUno(segs)) <$ $\pi_2(dameUno(segs))$ then $ag(moverIngreso(a, sinUno(segs)), mover(dameUno(seg,$ $(\pi_1(dameUno(segs)), \pi_2(segs) + 1) >))$ else $ag(moverIngreso(a, sinUno(segs)), mover(dameUno(seg,$ $dameUno(\{< (\pi_1(dameUno(segs)), \pi_2(segs) -$ $1) >, < (\pi_1(dameUno(segs)), \pi_2(segs)+1) >\}))$ fi fi fi

moverSeg(a,seg,nPos)

≡ **if** ($distMan(campus(a), \pi_2(seg), nPos) \geq 2$
 $\vee \neg(posValida(campus(a), nPos))$) **then**
 seg
else
 if $\#sanciones(a, seg) < 3$ **then**
 $< \pi_1(seg), nPos >$
 else
 seg
 fi
fi

proximasPosiciones(hscerca, posSeg)

≡ **if** $\emptyset?(hscerca)$ **then**
 \emptyset
else
 if $\pi_1(dameUno(hscerca)) > \pi_1(posSeg)$ **then**
 if $\pi_2(dameUno(hscerca)) > \pi_2(posSeg)$ **then**
 $\{< \pi_1(posSeg) + 1, \pi_2(posSeg) >, < \pi_1(posSeg), \pi_2(posSeg) + 1 >\}$
 $\cup proxPosiciones(sinUno(minPos), posSeg)$
 else
 if $\pi_2(dameUno(hscerca)) < \pi_2(posSeg)$ **then**
 $\{< \pi_1(posSeg) + 1, \pi_2(posSeg) >, < \pi_1(posSeg), \pi_2(posSeg) - 1 >\}$
 $\cup proxPosiciones(sinUno(minPos), posSeg)$
 else
 $\{< \pi_1(posSeg) + 1, \pi_2(posSeg) >\}$
 $\cup proxPosiciones(sinUno(minPos), posSeg)$
 fi
 fi
 else
 if $\pi_1(dameUno(hscerca)) < \pi_1(posSeg)$ **then**
 if $\pi_2(dameUno(hscerca)) > \pi_2(posSeg)$ **then**
 $\{< \pi_1(posSeg) - 1, \pi_2(posSeg) >, < \pi_1(posSeg), \pi_2(posSeg) + 1 >\}$
 $\cup proxPosiciones(sinUno(minPos), posSeg)$
 else
 if $\pi_2(dameUno(hscerca)) < \pi_2(posSeg)$ **then**
 $\{< \pi_1(posSeg) - 1, \pi_2(posSeg) >, < \pi_1(posSeg), \pi_2(posSeg) - 1 >\}$
 $\cup proxPosiciones(sinUno(minPos), posSeg)$
 else
 $\{< \pi_1(posSeg) - 1, \pi_2(posSeg) >\}$
 $\cup proxPosiciones(sinUno(minPos), posSeg)$
 fi
 fi
 else
 if $\pi_2(dameUno(hscerca)) > \pi_2(posSeg)$ **then**
 $\{< \pi_1(posSeg), \pi_2(posSeg) + 1 >\}$
 $\cup proxPosiciones(sinUno(minPos), posSeg)$
 else
 $\{< \pi_1(posSeg), \pi_2(posSeg) - 1 >\}$
 $\cup proxPosiciones(sinUno(minPos), posSeg)$
 fi
 fi
 fi
fi

hippiesMasCerca(a,seg)

≡ $minDistsPos(campus(a), \pi_2(seg), posHippies(a))$

$\#hippies(a)$

≡ $contarHippies(a, conjPos(campus(a), 0, 0))$

$\#estudiantes(a)$

≡ $contarEstudiantes(a, conjPos(campus(a), 0, 0))$

contarHippies(a,poss)

```

≡ if ¬(∅?(poss)) then
    if posValida(campus(a), dameUno(poss)) then
        if hayHippie(a, dameUno(poss)) then
            1 + contarHippies(a, sinUno(poss))
        else
            contarHippies(a, sinUno(poss))
    fi
else
    contarHippies(a, sinUno(poss))
fi
else
    0
fi

```

contarEstudiantes(a,poss)

```

≡ if ¬(∅?(poss)) then
    if posValida(campus(a), dameUno(poss)) then
        if hayEst?(a, dameUno(poss)) then
            1 + contarEstudiantes(a, sinUno(poss))
        else
            contarEstudiantes(a, sinUno(poss))
    fi
else
    contarEstudiantes(a, sinUno(poss))
fi
else
    0
fi

```

masVigilante(a)

```

≡ dameUno(masCapturas(a, seguridad(a)))

```

masCapturas(a,segs)

```

≡ if ¬(∅?(segs)) then
    if #capturas(a, dameUno(segs)) ≥
        maxCapturas(a, segs) then
        ag(masCapturas(a, sinUno(segs)), dameUno(segs))
    else
        masCapturas(a, sinUno(segs))
    fi
else
    ∅
fi

```

maxCapturas(a,segs)

```

≡ if ∅?(segs) then
    0
else
    if #capturas(a, dameUno(segs)) ≥
        maxCapturas(a, sinUno(segs))
    then
        #capturas(a, dameUno(segs))
    else
        maxCapturas(a, sinUno(segs))
    fi
fi

```

$\text{captura?}(a, p)$

```

≡ if (posValida(campus(a), <  $\pi_1(p) + 1, \pi_2(p) >$ ) then
    (hayObstaculo?(campus(a), <  $\pi_1(p) + 1, \pi_2(p) >$ ) ∨
    haySeg?(a, <  $\pi_1(p) + 1, \pi_2(p) >$ ))
else
    ¬(hayEst?(a, <  $\pi_1(p), \pi_2(p) >$ ))
fi
∧
if (posValida(campus(a), <  $\pi_1(p) - 1, \pi_2(p) >$ ) then
    (hayObstaculo?(campus(a), <  $\pi_1(p) - 1, \pi_2(p) >$ ) ∨
    haySeg?(a, <  $\pi_1(p) - 1, \pi_2(p) >$ ))
else
    ¬(hayEst?(a, <  $\pi_1(p), \pi_2(p) >$ ))
fi
∧
if (posValida(campus(a), <  $\pi_1(p), \pi_2(p) + 1 >$ ) then
    (hayObstaculo?(campus(a), <  $\pi_1(p), \pi_2(p) + 1 >$ ) ∨
    haySeg?(a, <  $\pi_1(p), \pi_2(p) + 1 >$ ))
else
    True
fi
∧
if (posValida(campus(a), <  $\pi_1(p), \pi_2(p) - 1 >$ ) then
    (hayObstaculo?(campus(a), <  $\pi_1(p), \pi_2(p) - 1 >$ ) ∨
    haySeg?(a, <  $\pi_1(p), \pi_2(p) - 1 >$ ))
else
    True
fi
fi

```

Fin TAD

2. TAD CAMPUS

TAD CAMPUS

géneros campus

usa BOOL, NAT, TUPLA

exporta CAMPUS, observadores, generadores, posValida, posIngreso, minDistPos, adyacente,

observadores básicos

alto : campus \rightarrow nat

ancho : campus \rightarrow nat

obstaculos : campus \rightarrow conj(pos)

generadores

nuevo : nat ancho \times nat alto \times conj(pos) obst \rightarrow campus

$\{1 \leq ancho \wedge 1 \leq alto \wedge (\forall p:pos) p \in obst \Rightarrow_L posValida(c, p)\}$

otras operaciones

adyacente : as $a \times pos pe \times pos pd \rightarrow$ bool

$\{posValida(c, pe) \wedge posValida(c, pd)\}$

posValida : as $a \times pos p \rightarrow$ bool

posIngreso : as $a \times pos p \rightarrow$ bool

minDistsPos : campus $c \times pos p \times conj(pos) posiciones \rightarrow$ conj(pos)

$\{\neg(\emptyset?(posiciones))\}$

minDist : campus $c \times pos p \times conj(posiciones) posiciones \rightarrow$ nat

$\{\neg(\emptyset?(posiciones))\}$

$\text{distMan} : \text{campus } c \times \text{pos } p1 \times \text{pos } p2 \longrightarrow \text{nat}$	
$\text{restaAbs} : \text{nat} \times \text{nat} \longrightarrow \text{nat}$	
$\text{conjPos} : \text{campus} \times \text{nat} \times \text{nat} \longrightarrow \text{conj}(\text{pos})$	
axiomas $\forall \text{ alto}:\text{nat}, \forall \text{ ancho}:\text{nat}, \forall \text{ obst}:\text{conj}(\text{pos})$ $\forall p_1:\text{pos} \forall p_2:\text{pos}$	
$\text{alto}(\text{nuevo}(\text{ancho}, \text{alto}, \text{obst}))$	$\equiv \text{alto}$
$\text{ancho}(\text{nuevo}(\text{ancho}, \text{alto}, \text{obst}))$	$\equiv \text{ancho}$
$\text{obstaculos}(\text{nuevo}(\text{ancho}, \text{alto}, \text{obst}))$	$\equiv \text{obst}$
$\text{posValida}(\text{nuevo}(\text{ancho}, \text{alto}, \text{obst}), p_1)$	$\equiv \pi_1(p_1) < \text{ancho} \wedge \pi_2(p_1) < \text{alto}$
$\text{adyacente}(\text{nuevo}(\text{ancho}, \text{alto}, \text{obst}), p_1, p_2)$	$\equiv (\pi_1(p_1) = \pi_1(p_2) - 1 \vee \pi_1(p_1) = \pi_1(p_2) + 1) \wedge$ $(\pi_2(p_1) = \pi_2(p_2) - 1 \vee \pi_2(p_1) = \pi_2(p_2) + 1)$
$\text{posValida}(\text{nuevo}(\text{ancho}, \text{alto}, \text{obst}), p_1)$	$\equiv \pi_2(p_1) = \text{alto} - 1 \vee \pi_2(p_1) = 0$
$\text{minDistsPos}(c, p, \text{posiciones})$	$\equiv \text{if } \emptyset?(\text{sinUno}(\text{posiciones})) \text{ then}$ $\text{dameUno}(\text{posiciones})$ else if $\text{distMan}(c, p, \text{dameUno}(\text{posiciones})) \leq$ $\text{minDist}(c, p, \text{posiciones})$ then $\text{Ag}(\text{minDistsPos}(c, \text{sinUno}(\text{posiciones})),$ $\text{dameUno}(\text{posiciones}))$ else $\text{minDistsPos}(c, \text{seg}, \text{sinUno}(\text{posiciones}))$ fi fi
$\text{minDist}(c, p, \text{posiciones})$	$\equiv \text{if } \emptyset?(\text{sinUno}(\text{posiciones})) \text{ then}$ $\text{distMan}(c, p, \text{dameUno}(\text{posiciones}))$ else if $\text{distMan}(c, p, \text{dameUno}(\text{posiciones})) \leq$ $\text{minDist}(c, p, \text{sinUno}(\text{posiciones}))$ then $\text{distMan}(c, p, \text{dameUno}(\text{posiciones}))$ else $\text{minDist}(c, p, \text{sinUno}(\text{posiciones}))$ fi fi
$\text{distMan}(c, p_1, p_2)$	$\equiv \text{restaAbs}(\pi_2(p_1), \pi_2(p_2)) + \text{restaAbs}(\pi_1(p_1), \pi_1(p_2))$
$\text{restaAbs}(n1, n2)$	$\equiv \text{if } n2 > n1 \text{ then } n2 - n1 \text{ else } n1 - n2 \text{ fi}$
$\text{conjPos}(c, x, y)$	$\equiv \text{if } x \geq \text{ancho}(c) \text{ then}$ \emptyset else if $y \geq \text{alto}(c)$ then $\text{conjPos}(c, x + 1, 0)$ else $\text{ag}(\text{conjPos}(c, x, y + 1), < x, y >)$ fi fi

Fin TAD