

# Algoritmos y Estructuras de Datos II

Primer Cuatrimestre de 2015

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## Trabajo Práctico 1

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# 1. TAD AS

## TAD AS

**géneros** as

**igualdad observacional**

$$(\forall facu, facu' : as) \quad \left( facu =_{obs} facu' \iff \begin{pmatrix} \text{campus}(facu) = \text{campus}(facu') \\ \wedge \text{seguridad}(facu) = \text{seguridad}(facu') \\ \wedge (\forall pos:p) (\text{posValida}(\text{campus}(facu), p)) \\ \text{hayEst?}(facu, p) \iff \text{hayEst?}(facu', p) \\ \wedge (\forall pos:p) (\text{posValida}(\text{campus}(facu), p)) \\ \text{hayHippie?}(facu, p) \iff \text{hayHippie?}(facu', p) \\ \wedge (\forall seg:s) (s \in \text{seguridad}(a)) \\ (\#capturas(facu, s) = \#capturas(facu', s)) \\ \wedge \#sanciones(facu, s) = \#sanciones(facu', s) \end{pmatrix} \right)$$

**usa** CAMPUS, BOOL, NAT, TUPLA, SEG

**exporta** AS, generadores, observadores, #hippies, #estudiantes, #masVigilante

### observadores básicos

campus : as  $\rightarrow$  campus

seguridad : as  $\rightarrow$  conj(seguridad)

hayEst? : as  $a \times$  pos  $p \rightarrow$  bool

$\{\text{posValida}(\text{campus}(a), p)\}$

hayHippie? : as  $a \times$  pos  $p \rightarrow$  bool

$\{\text{posValida}(\text{campus}(a), p)\}$

#capturas : as  $a \times$  seg  $s \rightarrow$  nat

$\{s \in \text{seguridad}(a)\}$

#sanciones : as  $a \times$  seg  $s \rightarrow$  nat

$\{s \in \text{seguridad}(a)\}$

### generadores

nueva : campus  $\times$  conj(seguridad)  $\rightarrow$  as

$\{(\forall segs:e) \text{posValida}(c, \text{pos}(e)) \wedge (\forall segs:s, s1) \text{id}(s) \neq \text{id}(s1) \Rightarrow \text{pos}(s) \neq \text{pos}(s1)\}$

moverEst : as  $a \times$  pos  $pe \times$  pos  $pd \rightarrow$  as

$\left\{ \begin{array}{l} \text{posValida}(\text{campus}(a), pe) \wedge_L \text{hayEst?}(a, pe) \wedge \text{adyacente}(\text{campus}(a), pe, pd) \\ \text{posValidaPersona}(as, pd) \end{array} \right\}$

nuevoHippie : as  $a \times$  pos  $p \rightarrow$  as

$\{\text{posIngreso}(\text{campus}(a), p) \wedge \text{posValidaPersona}(a, p)\}$

nuevoEst : as  $a \times$  pos  $p \rightarrow$  as

$\{\text{posIngreso}(\text{campus}(a), p) \wedge \text{posValidaPersona}(a, p)\}$

sacarEst : as  $a \times$  pos  $p \rightarrow$  as

$\{\text{posValida}(\text{campus}(a), p) \wedge_L \text{hayEst?}(a, p) \wedge \text{posIngreso}(a, p)\}$

### otras operaciones

haySeg? : as  $a \times$  pos  $p \rightarrow$  bool

$\{\text{posValida}(\text{campus}(as), p)\}$

posValidaPersona : as  $a \times$  pos  $p \rightarrow$  bool

$\{\text{posValida}(\text{campus}(as), p)\}$

posIngreso : as  $a \times$  pos  $p \rightarrow$  bool

$\{\text{posValida}(\text{campus}(as), p)\}$

moverTodos : as  $a \times$  conj(seguridad)  $segs \rightarrow$  conj(seguridad)

moverSeg : as  $a \times$  seguridad  $seg \times$  pos  $posSig \rightarrow$  seguridad

proxPoss : as  $a \times$  conj(pos)  $minPos \times$  pos  $posAct \rightarrow$  conj(pos)

$\{\neg(\text{emptyset?}(minPos)) \wedge_L \text{posValida}(\text{campus}(a), posAct) \wedge \text{posicionesValidas}(\text{campus}(a), minPos)\}$

proxPossHippies : as  $a \times$  conj(pos)  $poss \rightarrow$  conj(pos)

$\{(\forall poss:p) \text{posValida}(a, p) \wedge_L \text{hayHippie?}(a, p)\}$

estsCerca : as  $a \times$  pos  $p \rightarrow$  conj(pos)

hippieEncerrado? : as  $a \times$  pos  $p \rightarrow$  bool

$\text{hippieEncerradoEst?} : \text{as } a \times \text{pos } p \times \text{conj}(\text{pos}) \text{ poss} \rightarrow \text{bool}$   
 $\text{hippieEncerradoSeg?} : \text{as } a \times \text{pos } p \times \text{conj}(\text{pos}) \text{ poss} \rightarrow \text{bool}$   
 $\text{hippiesMasCerca} : \text{as } a \times \text{seguridad } seg \rightarrow \text{conj}(\text{pos}) \quad \{\text{seg} \in \text{seguridad}(a) \wedge \text{hayHippies}(a)\}$   
 $\text{encerrado} : \text{as } a \times \text{pos } p \rightarrow \text{bool} \quad \{\text{posValida}(\text{campus}(\text{as}), p) \wedge \text{hayEst?}(p)\}$   
 $\#\text{hippies} : \text{as } a \rightarrow \text{nat}$   
 $\#\text{estudiantes} : \text{as } a \rightarrow \text{nat}$   
 $\#\text{masVigilante} : \text{as } a \rightarrow \text{nat}$   
 $\text{contarHippies} : \text{as } a \times \text{conj}(\text{pos}) \text{ poss} \rightarrow \text{nat}$   
 $\text{contarEstudiantes} : \text{as } a \times \text{conj}(\text{pos}) \text{ poss} \rightarrow \text{nat}$   
 $\#\text{masCapturas} : \text{as } a \times \text{conj}(\text{seg}) \text{ segs} \rightarrow \text{conj}(\text{seg}) \quad \{(\forall \text{ segs:s}) s \in \text{seguridad}(a)\}$   
 $\#\text{maxCapturas} : \text{as } a \times \text{conj}(\text{seg}) \text{ segs} \rightarrow \text{nat} \quad \{(\forall \text{ segs:s}) s \in \text{seguridad}(a)\}$   
 $\text{captura?} : \text{as } a \times \text{pos } p \rightarrow \text{bool} \quad \{\text{posValida}(\text{campus}(\text{as}), p)\}$   
 $\text{hippiesVecinos} : \text{as } a \times \text{pos } p \rightarrow \text{nat} \quad \{\text{posValida}(\text{campus}(\text{as}), p)\}$   
 $\text{HippieNatural} : \text{as } a \times \text{pos } p \rightarrow \text{nat} \quad \{\text{posValida}(\text{campus}(\text{as}), p)\}$

**axiomas**

$\text{campus}(\text{nueva}(c, \text{segs})) \equiv c$   
 $\text{campus}(\text{moverEst}(a, p_1, p_2)) \equiv \text{campus}(a)$   
 $\text{campus}(\text{nuevoEst}(a, p_1)) \equiv \text{campus}(a)$   
 $\text{campus}(\text{nuevoHippie}(a, p_1)) \equiv \text{campus}(a)$   
 $\text{campus}(\text{sacarEst}(a, p_1)) \equiv \text{campus}(a)$   
 $\text{seguridad}(\text{nueva}(c, \text{segs})) \equiv \text{segs}$   
 $\text{seguridad}(\text{moverEst}(a, p_1, p_2)) \equiv \text{moverTodos}(a, \text{seguridad}(a))$   
 $\text{seguridad}(\text{nuevoEst}(a, p_1)) \equiv \text{moverTodos}(a, \text{seguridad}(a))$   
 $\text{seguridad}(\text{nuevoHippie}(a, p_1)) \equiv \text{seguridad}(a)$   
 $\text{seguridad}(\text{sacarEst}(a, p_1)) \equiv \text{seguridad}(a)$   
 $\text{hayEst?}(\text{nueva}(c, \text{segs}), p) \equiv \text{False}$   
 $\text{hayEst?}(\text{nuevoEst}(a, p_1), p) \equiv \text{if } p_1 = p \text{ then True else hayEst?}(a, p) \text{ fi}$   
 $\text{hayEst?}(\text{moverEst}(a, p_1, p_2), p) \equiv \text{if } p_1 = p \text{ then False else if } p_2 = p \text{ then } \neg(\text{hippiesVecinos}(a, p_2) \geq 2) \text{ else hayEst?}(a, p) \text{ fi fi}$   
 $\text{hayEst?}(\text{nuevoHippie}(a, p_1), p) \equiv \text{hayEst?}(a, p)$   
 $\text{hayEst?}(\text{sacarEst}(a, p_1), p) \equiv \text{if } p_1 = p \text{ then False else hayEst?}(a, p) \text{ fi}$   
 $\text{hayHippie?}(\text{nueva}(c, \text{segs}), p) \equiv \text{False}$   
 $\text{hayHippie?}((\text{nuevoHippie}(a, p_1), p) \equiv \text{if } p_1 = p \text{ then True else hayHippie?}(a, p) \text{ fi}$

hayHippie?((moverEst( $a, p_0, p_1$ ), $p$ ))	$\equiv$	<b>if</b> <i>hayHippie?</i> ( $a, p$ ) <b>then</b> <b>if</b> $\neg$ ( <i>hippieEncerrado?</i> ( $a, p$ )) <b>then</b> $p \in \text{proxPossHippies}(a, \text{possHippies}(a))$ <b>else</b> <i>False</i> <b>fi</b> <b>else</b> <b>if</b> <i>hayEst?</i> ( $a, p$ ) <b>then</b> <i>estEncerradoPorHippies</i> ( $a, p$ ) <b>else</b> $p \in \text{proxPossHippies}(a, \text{possHippies}(a))$ <b>fi</b> <b>fi</b>
hayHippie?(nuevoEst( $a, p_1$ ), $p$ )	$\equiv$	<i>hayHippie?</i> ( $a, p$ )
hayHippie?(sacarEst( $a, p_1$ ), $p$ )	$\equiv$	<i>hayHippie?</i> ( $a, p$ )
#capturas(nueva( $a, \text{segs}$ ), $s$ )	$\equiv$	0
#capturas(moverEst( $a, p_1, p_2$ ), $s$ )	$\equiv$	#capturas( $a, s$ )
#capturas(nuevoHippie( $a, p_1$ ), $s$ )	$\equiv$	<b>if</b> ( <i>adyacente</i> ( $a, p_1, \text{posSeg}(a, s)$ ) $\wedge$ <i>encerrado</i> ( $a, p_1$ )) <b>then</b> $1 + \text{\#capturas}(a, s)$ <b>else</b> #capturas( $a, s$ ) <b>fi</b>
#capturas(nuevoEst( $a, p_1$ ), $s$ )	$\equiv$	#capturas( $a, s$ )
#capturas(sacarEst( $a, p_1$ ), $s$ )	$\equiv$	#capturas( $a, s$ )

```

#capturas(moverEst(a, p1, p2), s)
≡ if (PosValida(campus(a), < π1(posSeg) + 1, π2(posSeg) >))
  then
    if (hayHippie(a, < π1(posSeg) + 1, π2(posSeg) >)) then
      if (captura?(a, < π1(posSeg) + 1, π2(posSeg) >)) then
        1
      else
        0
    fi
  else
    0
  fi
else
  0
fi
+
if (PosValida(campus(a), < π1(posSeg) - 1, π2(posSeg) >))
then
  if (hayHippie(a, < π1(posSeg) - 1, π2(posSeg) >)) then
    if (captura?(a, < π1(posSeg) - 1, π2(posSeg) >)) then
      1
    else
      0
    fi
  else
    0
  fi
else
  0
fi
+
if (PosValida(campus(a), < π1(posSeg), π2(posSeg) + 1 >))
then
  if (hayHippie(a, < π1(posSeg), π2(posSeg) + 1 >)) then
    if (captura?(a, < π1(posSeg), π2(posSeg) + 1 >)) then
      1
    else
      0
    fi
  else
    0
  fi
else
  0
fi
+
if (PosValida(campus(a), < π1(posSeg), π2(posSeg) - 1 >))
then
  if (hayHippie(a, < π1(posSeg), π2(posSeg) - 1 >)) then
    if (captura?(a, < π1(posSeg), π2(posSeg) - 1 >)) then
      1
    else
      0
    fi
  else
    0
  fi
else
  0
fi
+ #capturas(a, s)
#sanciones(nueva(a, segs), s)
≡ 0

```

$\#sanciones(moverEst(a, p_1, p_2), s)$	$\equiv$	$\#sanciones(a, s)$	
$\#sanciones(nuevoHippie(a, p_1), s)$	$\equiv$	<b>if</b> $(cercanos?(a, p_1, posSeg(a, s))$ <span style="float: right;"><math>\wedge_L</math></span> $(hayEst?(casilleroEnComun(a, p_1, posSeg(a, s)))$ <span style="float: right;"><math>\wedge</math></span> $encerrado(casilleroEnComun(a, p_1, posSeg(a, s))))$ <b>then</b> $1 + \#sanciones(a, s)$ <b>else</b> $\#sanciones(a, s)$ <b>fi</b>	
$\#sanciones(nuevoEst(a, p_1), s)$	$\equiv$	$\#sanciones(a, s)$	
$\#sanciones(sacarEst(a, p_1), s)$	$\equiv$	$\#sanciones(a, s)$	

```

#sanciones(moverEst(a, p1, p2), s)
≡ if (PosValida(campus(a), < π1(posSeg) + 1, π2(posSeg) >))
  then
    if (hayEst(a, < π1(posSeg) + 1, π2(posSeg) >)) then
      if (captura?(a, < π1(posSeg) + 1, π2(posSeg) >)) then
        1
      else
        0
    fi
  else
    0
  fi
else
  0
fi
+
if (PosValida(campus(a), < π1(posSeg) - 1, π2(posSeg) >))
then
  if (hayEst(a, < π1(posSeg) - 1, π2(posSeg) >)) then
    if (captura?(a, < π1(posSeg) - 1, π2(posSeg) >)) then
      1
    else
      0
    fi
  else
    0
  fi
else
  0
fi
+
if (PosValida(campus(a), < π1(posSeg), π2(posSeg) + 1 >))
then
  if (hayEst(a, < π1(posSeg), π2(posSeg) + 1 >)) then
    if (captura?(a, < π1(posSeg), π2(posSeg) + 1 >)) then
      1
    else
      0
    fi
  else
    0
  fi
else
  0
fi
+
if (PosValida(campus(a), < π1(posSeg), π2(posSeg) - 1 >))
then
  if (hayEst(a, < π1(posSeg), π2(posSeg) - 1 >)) then
    if (captura?(a, < π1(posSeg), π2(posSeg) - 1 >)) then
      1
    else
      0
    fi
  else
    0
  fi
else
  0
fi
+ #sanciones(a, s)

```



moverTodos(a,segs)

```

≡ if (∅?(segs)) then
    ∅
  else
    if (hayHippies?(a)) then
      Ag(moverTodos(a, sinUno(segs)),
        moverSeg(a, dameUno(segs),
          dameUno(proxPoss(hippiesMasCerca(a, dameUno(segs))))))
    else
      moverIngreso(a, segs)
  fi
fi

```

moverIngreso(a,segs)

```

≡ if ∅?(segs) then
    ∅
  else
    if (alto(campus(a)) - 1) - π2(dameUno(segs)) >
      π2(dameUno(segs)) then
      ag(moverIngreso(a, sinUno(segs)), mover(dameUno(segs), <
        (π1(dameUno(segs)), π2(segs) - 1) >))
    else
      if (alto(campus(a)) - 1) - π2(dameUno(segs)) <
        π2(dameUno(segs)) then
        ag(moverIngreso(a, sinUno(segs)), mover(dameUno(segs), <
          (π1(dameUno(segs)), π2(segs) + 1) >))
      else
        ag(moverIngreso(a, sinUno(segs)), mover(dameUno(segs),
          dameUno({< (π1(dameUno(segs)), π2(segs) - 1) >, <
            (π1(dameUno(segs)), π2(segs) + 1) >})))
    fi
  fi
fi

```

proxPoss(entCerca, p)

```

≡ if  $\emptyset?(entCerca)$  then
     $\emptyset$ 
else
    if  $\pi_1(dameUno(entCerca)) > \pi_1(p)$  then
        if  $\pi_2(dameUno(entCerca)) > \pi_2(pos)$  then
            if  $\emptyset?(validas(a, \{< \pi_1(pos) + 1, \pi_2(p) > < \pi_1(p), \pi_2(p) + 1 > \}))$ 
            then
                proxPoss(sinUno(entCerca), p)
            else
                Ag(proxPoss(sinUno(entCerca), p), dameUno(validas
                    (a,  $\{< \pi_1(p) + 1, \pi_2(p) > < \pi_1(p), \pi_2(p) + 1 > \}$ )))
            fi
        else
            if  $\pi_2(dameUno(entCerca)) < \pi_2(p)$  then
                if  $\emptyset?(validas(a, \{< \pi_1(p) + 1, \pi_2(p) > < \pi_1(p), \pi_2(p) - 1 > \}))$ 
                then
                    proxPoss(sinUno(entCerca), p)
                else
                    Ag(proxPoss(sinUno(entCerca), p), dameUno(validas
                        (a,  $\{< \pi_1(p) + 1, \pi_2(p) > < \pi_1(p), \pi_2(p) - 1 > \}$ )))
                    fi
                else
                    if  $\emptyset?(validas(a, \{< \pi_1(p) + 1, \pi_2(p) > \}))$  then
                        proxPoss(sinUno(entCerca), p)
                    else
                        Ag(proxPoss(sinUno(entCerca), p), dameUno(validas
                            (a,  $\{< \pi_1(p) + 1, \pi_2(p) > \}$ )))
                        fi
                    fi
                fi
            fi
        fi
    else
        if  $\pi_1(dameUno(hscerca)) < \pi_1(p)$  then
            if  $\pi_2(dameUno(hscerca)) > \pi_2(p)$  then
                if  $\emptyset?(validas(a, \{< \pi_1(p) - 1, \pi_2(p) > < \pi_1(p), \pi_2(p) + 1 > \}))$ 
                then
                    proxPoss(sinUno(entCerca), p)
                else
                    Ag(proxPoss(sinUno(entCerca), p), dameUno(validas
                        (a,  $\{< \pi_1(p) - 1, \pi_2(p) > < \pi_1(p), \pi_2(p) + 1 > \}$ )))
                    fi
                else
                    if  $\emptyset?(validas(a, \{< \pi_1(p) - 1, \pi_2(p) > < \pi_1(p), \pi_2(p) - 1 > \}))$ 
                    then
                        proxPoss(sinUno(entCerca), p)
                    else
                        Ag(proxPoss(sinUno(entCerca), p), dameUno(validas
                            (a,  $\{< \pi_1(p) - 1, \pi_2(p) > < \pi_1(p), \pi_2(p) - 1 > \}$ )))
                            fi
                        fi
                    fi
                fi
            fi
        else
            if  $\pi_2(dameUno(hscerca)) > \pi_2(p)$  then
                if  $\emptyset?(validas(a, \{< \pi_1(p), \pi_2(p) + 1 > \}))$  then
                    proxPoss(sinUno(entCerca), p)
                else
                    Ag(proxPoss(sinUno(entCerca), p),
                        dameUno(validas(a,  $\{< \pi_1(p), \pi_2(p) + 1 > \}$ )))
                    fi
                else
                    if  $\emptyset?(validas(a, \{< \pi_1(p), \pi_2(p) - 1 > \}))$  then
                        proxPoss(sinUno(entCerca), p)
                    else
                        Ag(proxPoss(sinUno(entCerca), p),
                            dameUno(validas(a,  $\{< \pi_1(p), \pi_2(p) - 1 > \}$ )))
                            fi
                        fi
                    fi
                fi
            fi
        fi
    fi
fi

```

$validas(a, poss)$	$\equiv$ <b>if</b> $\emptyset?(poss)$ <b>then</b> $\emptyset$ <b>else</b> <b>if</b> $posValida(dameUno(poss)) \wedge$ $\neg(hayHippie?(a, dameUno(poss))) \wedge$ $\neg(hayEst?(a, dameUno(poss)))$ $\neg(haySeg?(a, dameUno(poss)))$ <b>then</b> $Ag(validas(a, sinUno(poss)), dameUno(poss))$ <b>else</b> $validas(a, sinUno(poss))$ <b>fi</b>	
$hippieEncerrado?(a, p)$	$\equiv$ $hipEncerradoEst?(a, p, adjacentes(campus(a), p))$	$\wedge$
$hipEncerradoEst?(a, p, adys)$	$\equiv$ <b>if</b> $\emptyset?(adys)$ <b>then</b> $True$ <b>else</b> <b>if</b> $posValida?(campus(a), dameUno(adys))$ <b>then</b> $hayEst?(a, p) \wedge hipEncerradoEst?(a, p, sinUno(adys))$ <b>else</b> $False$ <b>fi</b>	
$hipEncerradoSeg?(a, p, adys)$	$\equiv$ <b>if</b> $\emptyset?(adys)$ <b>then</b> $True$ <b>else</b> <b>if</b> $posValida?(campus(a), dameUno(adys))$ <b>then</b> $haySeg?(a, p) \wedge hipEncerradoSeg?(a, p, sinUno(adys))$ <b>else</b> $False$ <b>fi</b>	
$moverSeg(a, seg, nPos)$	$\equiv$ <b>if</b> $(distMan(campus(a), \pi_2(seg), nPos) \geq 2$ $\vee \neg(posValida(campus(a), nPos)))$ <b>then</b> $seg$ <b>else</b> <b>if</b> $\#sanciones(a, seg) < 3$ <b>then</b> $< \pi_1(seg), nPos >$ <b>else</b> $seg$ <b>fi</b>	
$proxPossHippies(a, possHippies)$	$\equiv$ <b>if</b> $\emptyset?(possHippies)$ <b>then</b> $\emptyset$ <b>else</b> $proxPoss(a, estsCerca(dameUno(possHippies), dameUno(possHippies))$ $proxPossHippies(a, sinUno(possHippies))$ <b>fi</b>	
$hippiesMasCerca(a, seg)$	$\equiv$ $minDistsPos(campus(a), \pi_2(seg), posHippies(a))$	
$\#hippies(a)$	$\equiv$ $contarHippies(a, conjPos(campus(a), 0, 0))$	
$\#estudiantes(a)$	$\equiv$ $contarEstudiantes(a, conjPos(campus(a), 0, 0))$	

```

contarHippies(a,poss)
≡ if ¬(∅?(poss)) then
    if posValida(campus(a), dameUno(poss)) then
        if hayHippie(a, dameUno(poss)) then
            1 + contarHippies(a, sinUno(poss))
        else
            contarHippies(a, sinUno(poss))
    fi
else
    contarHippies(a, sinUno(poss))
fi
else
    0
fi

contarEstudiantes(a,poss)
≡ if ¬(∅?(poss)) then
    if posValida(campus(a), dameUno(poss)) then
        if hayEst?(a, dameUno(poss)) then
            1 + contarEstudiantes(a, sinUno(poss))
        else
            contarEstudiantes(a, sinUno(poss))
    fi
else
    contarEstudiantes(a, sinUno(poss))
fi
else
    0
fi

masVigilante(a)
≡ dameUno(masCapturas(a, seguridad(a)))

masCapturas(a,segs)
≡ if ¬(∅?(segs)) then
    if #capturas(a, dameUno(segs)) ≥ maxCapturas(a, segs)
    then
        ag(masCapturas(a, sinUno(segs)), dameUno(segs))
    else
        masCapturas(a, sinUno(segs))
    fi
else
    ∅
fi

maxCapturas(a,segs)
≡ if ∅?(segs) then
    0
else
    if #capturas(a, dameUno(segs)) ≥
        maxCapturas(a, sinUno(segs))
    then
        #capturas(a, dameUno(segs))
    else
        maxCapturas(a, sinUno(segs))
    fi
fi

```

```

captura?(a, p)
≡ if (posValida(campus(a), < π1(p) + 1, π2(p) >) then
    (hayObstaculo?(campus(a), < π1(p) + 1, π2(p) >)
    ) ∨ haySeg?(a, < π1(p) + 1, π2(p) >))
else
    ¬(hayEst?(a, < π1(p), π2(p) >))
fi
^
if (posValida(campus(a), < π1(p) - 1, π2(p) >) then
    (hayObstaculo?(campus(a), < π1(p) - 1, π2(p) >)
    ) ∨ haySeg?(a, < π1(p) - 1, π2(p) >))
else
    ¬(hayEst?(a, < π1(p), π2(p) >))
fi
^
if (posValida(campus(a), < π1(p), π2(p) + 1 >) then
    (hayObstaculo?(campus(a), < π1(p), π2(p) + 1 >)
    ) ∨ haySeg?(a, < π1(p), π2(p) + 1 >))
else
    True
fi
^
if (posValida(campus(a), < π1(p), π2(p) - 1 >) then
    (hayObstaculo?(campus(a), < π1(p), π2(p) - 1 >)
    ) ∨ haySeg?(a, < π1(p), π2(p) - 1 >))
else
    True
fi

hippiesVecinos(a, p)
≡ if hayHippie?(a, p) then 1 else 0 fi

hippieNatural(a, p)
≡ if posValida (campus(a), < π1(p) + 1, π2(p) >) then
    hippiesVecinos(a, < π1(p) + 1, π2(p) >)
else
    0
fi + if posValida (campus(a), < π1(p) - 1, π2(p) >) then
    hippiesVecinos(a, < π1(p) - 1, π2(p) >)
else
    0
fi + if posValida (campus(a), < π1(p), π2(p) + 1 >) then
    hippiesVecinos(a, < π1(p), π2(p) + 1 >)
else
    0
fi + if posValida (campus(a), < π1(p), π2(p) - 1 >) then
    hippiesVecinos(a, < π1(p), π2(p) - 1 >)
else
    0
fi

posValidaPersona(a, p)
≡ if ¬(hayObstaculo?(campus(a), p)) then
    (π2(p) = 0 ∨ π2 = alto(campus(a)))
else
    False
fi

```

Fin TAD

## 2. TAD CAMPUS

### TAD CAMPUS

**géneros** campus

**usa** BOOL,NAT,TUPLA

**exporta** CAMPUS, observadores, generadores, posValida, posIngreso,minDistPos,adyacente,

#### observadores básicos

alto : campus  $\rightarrow$  nat

ancho : campus  $\rightarrow$  nat

obstaculos : campus  $\rightarrow$  conj(pos)

#### generadores

nuevo : nat ancho  $\times$  nat alto  $\times$  conj(pos) obst  $\rightarrow$  campus  
 $\{1 \leq ancho \wedge 1 \leq alto \wedge (\forall p:pos) p \in obst \Rightarrow_L posValida(c,p)\}$

#### otras operaciones

adyacente : campus  $c \times pos\ pe \times pos\ pd \rightarrow bool$   $\{posValida(c,pe) \wedge posValida(c,pd)\}$

posValida : campus  $c \times pos\ p \rightarrow bool$

posIngreso : campus  $c \times pos\ p \rightarrow bool$   $\{posValida(c,p)\}$

minDistsPos : campus  $c \times pos\ p \times conj(pos)\ posiciones \rightarrow conj(pos)$   
 $\{posValida(c,p) \wedge \neg(\emptyset?(posiciones))\}$

minDist : campus  $c \times pos\ p \times conj(posiciones)\ posiciones \rightarrow nat$   
 $\{posValida(c,p) \wedge \neg(\emptyset?(posiciones))\}$

distMan : campus  $c \times pos\ p1 \times pos\ p2 \rightarrow nat$   $\{posValida(c,p1) \wedge posValida(c,p2)\}$

restaAbs : nat  $\times$  nat  $\rightarrow nat$

conjPos : campus  $\times nat \times nat \rightarrow conj(pos)$

adyacentes : campus  $\times pos \rightarrow conj(pos)$

hayObstaculo? : campus  $c \times pos\ p \rightarrow bool$   $\{posValida(c,p)\}$

**axiomas**  $\forall alto:nat, \forall ancho:nat, \forall obst:conj(pos)$   
 $\forall p1:pos \forall p2:pos$

alto(nuevo(ancho,alto,obst))  $\equiv alto$

ancho(nuevo(ancho,alto,obst))  $\equiv ancho$

obstaculos(nuevo(ancho,alto,obst))  $\equiv obst$

posValida(nuevo(ancho,alto,obst), $p_1$ )  $\equiv \pi_1(p_1) < ancho \wedge \pi_2(p_1) < alto$

adyacente(nuevo(ancho,alto,obst), $p_1,p_2$ )  $\equiv (\pi_1(p_1) = \pi_1(p_2) - 1 \vee \pi_1(p_1) = \pi_1(p_2) + 1) \wedge$   
 $(\pi_2(p_1) = \pi_2(p_2) - 1 \vee \pi_2(p_1) = \pi_2(p_2) + 1)$

minDistsPos( $c,p,posiciones$ )  $\equiv$  **if**  $\emptyset?(sinUno(posiciones))$  **then**  
 $dameUno(posiciones)$   
**else**  
**if**  $distMan(c,p,dameUno(posiciones)) \leq$   
 $minDist(c,p,posiciones)$  **then**  
 $Ag(minDistsPos(c,sinUno(posiciones)),$   
 $dameUno(posiciones))$   
**else**  
 $minDistsPos(c,seg,sinUno(posiciones))$   
**fi**  
**fi**

minDist(c,p,posiciones)

distMan(c,p<sub>1</sub>,p<sub>2</sub>)

restaAbs(n1,n2)

conjPos(c,x,y)

adyacentes(campus,p)

hayObstaculo?(c,p)

**Fin TAD**

```

≡ if  $\emptyset?(sinUno(posiciones))$  then
    distMan(c,p,dameUno(posiciones))
else
    if distMan(c,p,dameUno(posiciones)) ≤
        minDist(c,pos/p,sinUno(posiciones))
    then
        distMan(c,p,dameUno(posiciones))
    else
        minDist(c,p,sinUno(posiciones))
    fi
fi
≡ restaAbs( $\pi_2(p_1), \pi_2(p_2)$ ) + restaAbs( $\pi_1(p_1), \pi_1(p_2)$ )
≡ if  $n_2 > n_1$  then  $n_2 - n_1$  else  $n_1 - n_2$  fi
≡ if  $x \geq ancho(c)$  then
     $\emptyset$ 
else
    if  $y \geq alto(c)$  then
        conjPos(c,x+1,0)
    else
        ag(conjPos(c,x,y+1), < x, y >)
    fi
fi
≡ { <  $\pi_1(p) + 1, \pi_2(p) + 1$  > <  $\pi_1(p) - 1, \pi_2(p) - 1$  > <  $\pi_1(p) + 1, \pi_2(p)$  > <  $\pi_1(p), \pi_2(p) + 1$  > }
≡  $p \in obstaculos(c)$ 

```