Project Report

Churn reduction

By

Sonnet Padayatty Reju 22nd July 2018

Contents

1 Introduction
1.1 Project Description
1.2 Problem Statement
2 Methodology
2.1 Pre Processing
2.1.1 Missing Value Analysis
2.1.2 Outlier Analysis
2.1.3 Feature selection
2.1.4 Feature scaling
3 Modeling
3.1 Model Selection
3.2 Model evaluation
Appendix A – Rules of Decision Tree19
Appendix B - Extra Figures of Box plot and normality check(without outliers) 23
Appendix C - Extra Figures of Box plot and normality check(with outliers)28
Appendix D – R code & Python code (complete)

Chapter 1

Introduction

1.1 Project Description

Churn (loss of customers to competition) is a problem for companies because it is more expensive to acquire a new customer than to keep your existing one from leaving. This problem statement is targeted at enabling churn reduction using analytics concepts.

Data Sets -

- 1) Test data.csv
- 2) Train_data.csv

1.2 Problem Statement

The objective of this Case is to predict customer behavior. We are providing you a public dataset that has customer usage pattern and if the customer has moved or not. We expect you to develop an algorithm to predict the churn score based on usage pattern.

The predictors provided are as follows:

- account length
- international plan
- voicemail plan
- number of voicemail messages
- total day minutes used
- day calls made
- total day charge
- total evening minutes
- total evening calls
- total evening charge
- total night minutes
- total night calls
- total night charge
- total international minutes used
- total international calls made
- total international charge

• number of customer service calls made

Target Variable

Churn: move: if the customer has moved (1=yes; 0 = no)

Chapter 2

Methodology

2.1 Pre-Processing

Pre-processing of data is an indispensable stage in predictive analysis. Since the predictive model needs to handle a big data set, it is always necessary to eliminate unwanted data. There may be many variables whose data type is incorrect and may create complexity while training the predictive model with train dataset. In order to minimize such issues in modeling stage, we conduct data pre-processing and extract important insights from the raw data. We can extract such information by analyzing the independent variables using probability density function or by visualizing how the data points have been distributed in each variable. It can be easily achieved by checking the normality using Tableau or other normality checking functions.

Following are main pre-processing methods used in predictive analysis

2.1.1 Missing Value Analysis

Once we are done with pre-processing steps like "Renaming the variables" and "Converting into proper Data types", we can conduct the missing value analysis. You may use the combination of both train and test data for the imputation of

4

missing values as it makes the model to predict the values more accurately. Mainly, there are 3 methods for imputation of missing values.

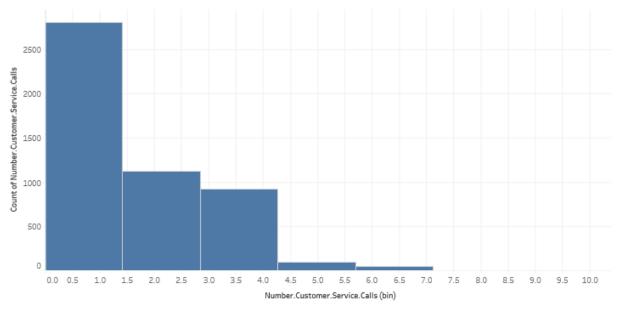
- 1. Mean method
- 2. Median method
- 3. KNN imputation

We are not supposed to do imputation if the percentage of missing values in a variable is more than 30%. Fortunately, in the given data set, there are no missing values under any variables as shown below.

Variable	number of missing values
State	0
account.length	0
area.code	0
phone.number	0
international.plan	0
voice.mail.plan	0
number.vmail.messages	0
total.day.minutes	0
total.day.calls	0
total.day.charge	0
total.eve.minutes	0
total.eve.calls	0
total.eve.charge	0
total.night.minutes	0
total.night.calls	0
total.night.charge	0
total.intl.minutes	0
total.intl.calls	0
total.intl.charge	0
number.customer.service.calls	0
Churn	0

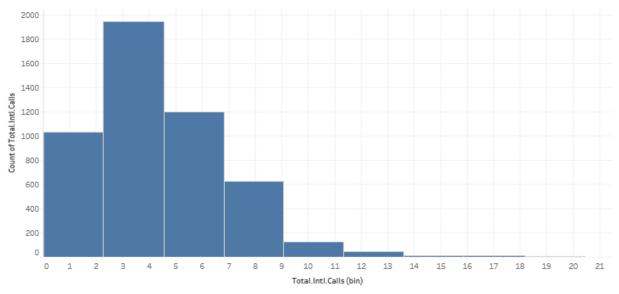
2.1.2 Outlier Analysis

By definition, outliers are points that are distant from remaining observations. As a result, they can potentially skew or bias any analysis performed on the dataset. It is therefore very important to detect and adequately deal with outliers. In order to show the impact of outliers, we use a technique called box plot in which the distribution of data points is visualized. The box plots and histograms of each independent variable before and after outlier analysis are shown in the Appendix. Here, I would like to share the box plots and histograms of the variables "Number.Customer.Service Calls" and "Total intl. calls" in order to display the **effect of outliers** in each variable.



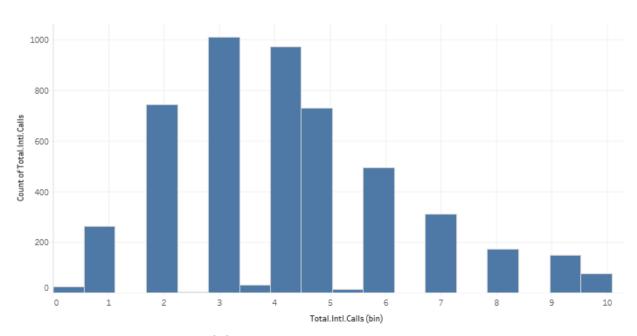
The trend of count of Number. Customer. Service. Calls for Number. Customer. Service. Calls (bin).

Fig:1 - Normality check of variable –"Number.Customer.Service Calls" before Outlier Analysis.



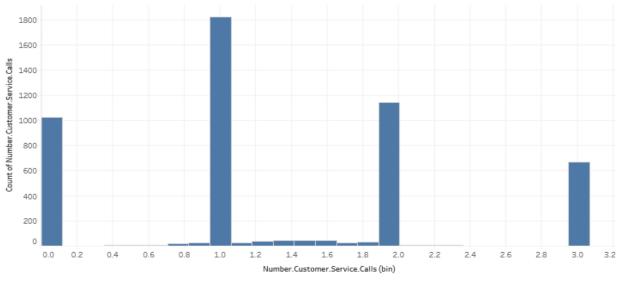
The trend of count of Total.Intl.Calls for Total.Intl.Calls (bin).

Fig: 2 - Normality check of variable -"Total Intl. Calls" before Outlier Analysis.



The trend of count of Total.Intl.Calls for Total.Intl.Calls (bin).

Fig:3- Normality check of variable –"Total Intl. Calls" after Outlier Analysis.



The trend of count of Number. Customer. Service. Calls for Number. Customer. Service. Calls (bin).

Fig: 4- Normality check of variable –"Number.Customer.Service Calls" after Outlier Analysis.

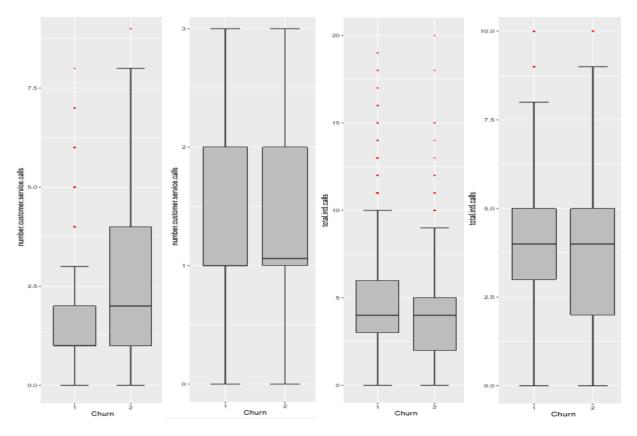


Fig:3 - Box plot of Total Intl calls and Number.Customer.Service Calls Before and After Outlier Analysis.

From the above figures, it is evident that the distribution of data became more normal / less skewed after the removal of outliers. In the box plots of variables, we can see red spots- 'Outliers', which were more dominant in numbers before outlier analysis, has become very less and negligible after outlier analysis. This illustrates that removal of outliers from the data can improve the accuracy of the predictive model.

2.1.3 Feature Selection

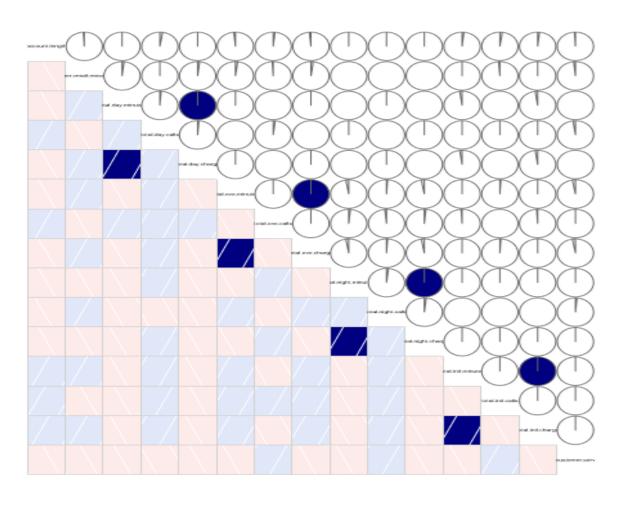
Feature selection is extremely important in machine learning primarily because it serves as a fundamental technique to direct the use of variables to what's most efficient and effective for a given machine learning system. It helps to minimize the curse of dimensionality or help deal with over fitting feature selection helps to give developers the tools to use only the most relevant and useful data in machine learning training sets, which dramatically reduces costs and data volume. There are many ways to do feature selection, but in this project we use Chi-Square test and Correlation Analysis for the feature selection of Categorical and Continuous variables respectively.

The correlation plot of numerical variables is shown below. From the figures, it is clear that the following variables are highly correlated to each other.

- 1. Total day minutes and Total day charge
- 2. Total eve minutes and Total eve charge
- 3. Total Intl minutes and Total Intl charge
- 4. Total night minutes and Total night charge

As these variables are highly correlated, we can eliminate the following numerical variables, so that it helps to minimize the curse of dimensionality.

- 1. Total day charge
- 2. Total eve charge
- 3. Total Intl charge
- 4. Total night charge



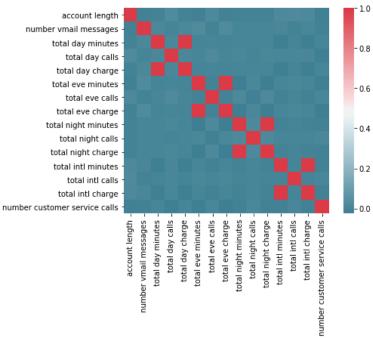


Fig: 7 – Correlation plot used in R & Python programming

When it comes to categorical variables, we need to perform Chi-Square test of Independence in order to extract unwanted variables from the data set. The result of Chi-Square test is shown below.

```
[1] "state"
       Pearson's Chi-squared test
data: table(factor_data$Churn, factor_data[, i])
X-squared = 96.899, df = 50, p-value = 7.851e-05
[1] "area.code"
       Pearson's Chi-squared test
data: table(factor_data$Churn, factor_data[, i])
X-squared = 0.56298, df = 2, p-value = 0.7547
[1] "phone.number"
       Pearson's Chi-squared test
data: table(factor_data$Churn, factor_data[, i])
X-squared = 5000, df = 4999, p-value = 0.4934
[1] "international.plan"
       Pearson's Chi-squared test with Yates' continuity correction
data: table(factor_data$Churn, factor_data[, i])
X-squared = 333.19, df = 1, p-value < 2.2e-16
[1] "voice.mail.plan"
       Pearson's Chi-squared test with Yates' continuity correction
data: table(factor_data$Churn, factor_data[, i])
X-squared = 60.552, df = 1, p-value = 7.165e-15
```

Since the p values of the variables- "area.code" and "phone.number" are greater than 0.05, As per the rule of Chi-Square test, it is found that these variables can be eliminated from modeling stage. Therefore, as part of Dimension reduction, the following variables are removed from the data set.

- 1. Total day charge
- 2. Total eve charge
- 3. Total Intl charge
- 4. Total night charge

- 5. Area Code
- 6. Phone number

2.1.4 Feature Scaling

Feature scaling is a method used to standardize the range of independent variables or features of data. In data processing, it is also known as data normalization and is generally performed during the data preprocessing step. Since the range of values of raw data varies widely, in some machine learning algorithms, objective functions will not work properly without normalization. For example, the majority of classifiers calculate the distance between two points by the Euclidean distance. If one of the features has a broad range of values, the distance will be governed by this particular feature. Therefore, the range of all features should be normalized so that each feature contributes approximately proportionately to the final distance. Another reason why feature scaling is applied is that gradient descent converges much faster with feature scaling than without it.

In this project, we apply feature scaling methods like Normalization and Standardization to the independent variables. Standardization is usually done on the variables whose distribution of data is normal, whereas the Normalization is applied on the variables whose data distribution is not uniform/ Normal. Normality check functions are used for the same. Once we analyze the distribution of data/ Normality check, Standardization and Normalization is executed based on the following formulas.

Normalization Formula:-

$$Value_{new} = \frac{Value - minValue}{maxValue - minValue}$$
 Range is 0 to 1

Standardization Formula:-

$$z=rac{x-\mu}{\sigma}$$

Where x = raw value, $\sigma = standard$ deviation, $\mu = mean$

Z can be either positive or negative. It will be negative if the raw value is less than mean. On the other hand it will be positive when raw value is greater than mean.

Chapter 3

Modeling

3.1 Model Selection

Model selection is purely based on the type of Machine learning algorithm that we opt. In this case, we follow supervised machine learning. Supervised learning is where you have input variables (x) and an output variable (Y) and you use an algorithm to learn the mapping function from the input to the output.

$$Y = f(X)$$

The goal is to approximate the mapping function so well that when you have new input data (x) that you can predict the output variables (Y) for that data.

It is called supervised learning because the process of algorithm learning from the training dataset can be thought of as a teacher supervising the learning process. Supervised learning problems can be further grouped into regression and classification problems.

• Classification: A classification problem is when the output variable is a category, such as "red" or "blue" or "disease" and "no disease".

• **Regression**: A regression problem is when the output variable is a real value, such as "dollars" or "weight".

As the problem statement is about churn reduction and the target variable is Categorical, The predictive model should be a Classification model. We need to follow Trial and Error method in order to find out the most suitable predictive model. The classification models that we used in this project are followings:-

- 1. Decision tree
- 2. Random forest
- 3. Logistic regression
- 4. KNN implementation
- 5. Naive Bayes

3.2 Model Evaluation

The evaluation of model can be done by Error metrics. There are two types of error metrics.

- 1. Classification metrics
 - a. Confusion matrix
 - b. Accuracy
 - c. False positive rate
 - d. False negative rate
- 2. Regression metrics
 - a. RMSE
 - b. MSE

As we selected Classification model for Predictive Analysis, The error metrics that we opted for model evaluation is Classification metrics. First of all, we need to develop a confusion matrix where both predicted class and actual class are

compared. From this confusion matrix, we can derive the followings which may play a crucial role in model evaluation.

- 1. Accuracy
- 2. False negative rate
- 3. False positive rate
- 4. True positive rate
- 5. True negative rate

Generally, we consider Accuracy and False negative rate of the model. So it is possible to determine the efficiency of the model from the developed confusion matrix. The results of confusion matrixes of each model that we tried in this predictive analysis are shown below.

I. Decision tree

Confusion Matrix and Statistics

```
C50_Predictions
     1
1 1441
          2
   90 134
             Accuracy : 0.9448
               95% CI: (0.9327, 0.9553)
  No Information Rate: 0.9184
   P-Value [Acc > NIR] : 2.07e-05
                Kappa: 0.7156
Mcnemar's Test P-Value : < 2.2e-16
          Sensitivity: 0.9412
          Specificity: 0.9853
       Pos Pred Value: 0.9986
       Neg Pred Value: 0.5982
           Prevalence: 0.9184
       Detection Rate: 0.8644
 Detection Prevalence : 0.8656
     Balanced Accuracy: 0.9633
      'Positive' Class : 1
```

Accuracy: 94.48%

FNR: 40.2%

II. Random Forest

Confusion Matrix and Statistics

RF_Predictions 1 2 1 1428 15 2 116 108

Accuracy: 0.9214

95% CI: (0.9074, 0.9339)

No Information Rate : 0.9262 P-Value [Acc > NIR] : 0.7885

Kappa : 0.5827

Mcnemar's Test P-Value : <2e-16

Sensitivity: 0.9249 Specificity: 0.8780 Pos Pred Value: 0.9896 Neg Pred Value: 0.4821 Prevalence: 0.9262 Detection Rate: 0.8566

Detection Prevalence: 0.8656
Balanced Accuracy: 0.9015

'Positive' Class: 1

Accuracy=92.3%

FNR=51%

III. Logistic Regression

logit_Predictions 0 1 1 1414 29 2 181 43

Accuracy=87.4%

FNR=80.8%

IV. KNN implementation

Accuracy = 86.6%

FNR = 46.6%

V. Naïve Bayes

Confusion Matrix and Statistics

predicted observed 1 2 1 1416 27 2 177 47

Accuracy : 0.8776

95% CI: (0.8609, 0.893)

No Information Rate : 0.9556

P-Value [Acc > NIR] : 1

карра: 0.2665

Mcnemar's Test P-Value : <2e-16

Sensitivity: 0.8889 Specificity: 0.6351 Pos Pred Value: 0.9813 Neg Pred Value: 0.2098 Prevalence: 0.9556 Detection Rate: 0.8494 Detection Prevalence: 0.8656 Balanced Accuracy: 0.7620

'Positive' Class : 1

Accuracy: 88% FNR: 79%

From the above results, it is clear that the model based on Decision tree works efficiently with an Accuracy of 95% and False negative rate of 40%.

Some of the rules used for this model creation are mentioned in the Appendix A.

The decision tree flow chart is shown in Appendix C.

Attribute usage:

100.00%	state
100.00%	account.length
100.00%	international.plan
100.00%	voice.mail.plan
100.00%	number.vmail.messages
100.00%	total.day.minutes
100.00%	total.day.calls
100.00%	total.eve.minutes
100.00%	total.night.minutes
100.00%	total.intl.minutes
100.00%	total.intl.calls
100.00%	number.customer.service.calls
99.97%	total.night.calls
99.91%	total.eve.calls

Appendix A

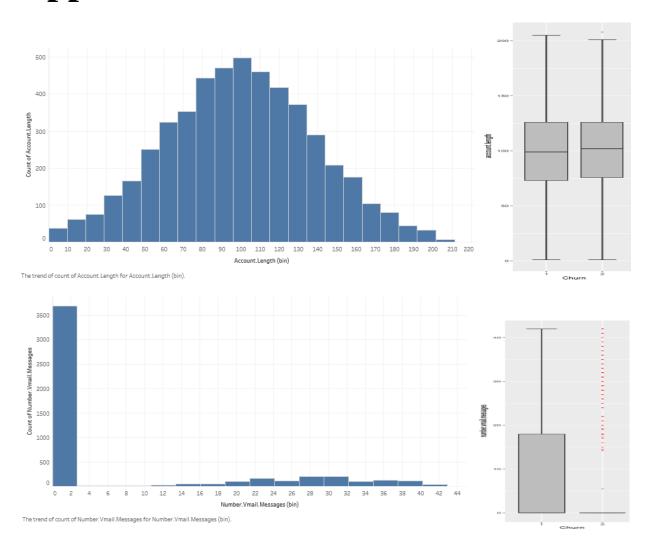
```
Call:
C5.0. formula (formula = Churn \sim ., data = churn, trials = 100, rules = TRUE)
C5.0 [Release 2.07 GPL Edition] Fri Jul 20 10:30:43 2018
Class specified by attribute 'outcome'
Read 3333 cases (15 attributes) from undefined.data
---- Trial 0: ----
Rules:
Rule 0/1: (160/4, lift 1.1)
        international.plan = 1
         voice.mail.plan = 2
         total.day.minutes > 0.8202674
        -> class 1 [0.969]
Rule 0/2: (870/31, lift 1.1)
        international.plan = 1
         total.day.minutes <= 0.8202674
         number.customer.service.calls > 0.6450831
        -> class 1 [0.963]
```

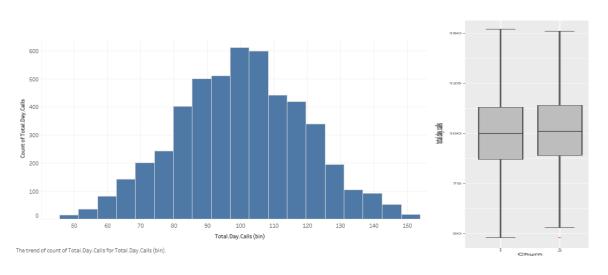
```
Rule 0/3: (1413/60, lift 1.1)
         international.plan = 1
         total.day.minutes <= 0.8202674
         number.customer.service.calls <= 0.3378751
        -> class 1 [0.957]
Rule 0/4: (1045/53, lift 1.1)
         international.plan = 1
         total.day.minutes > -0.8124499
         total.day.minutes <= 0.8202674
         total.eve.minutes > -0.212824
        -> class 1 [0.948]
Rule 0/5: (2226/171, lift 1.1)
         international.plan = 1
         total.day.minutes <= 1.607948
         total.eve.minutes <= 0.8270235
        -> class 1 [0.923]
Rule 0/6: (2162/180, lift 1.1)
        total.day.minutes <= 1.607948
         total.intl.minutes <= 1.100018
        total.intl.calls > -0.6341546
        -> class 1 [0.916]
Rule 0/7: (782/88, lift 1.0)
         total.eve.minutes \leq -0.2354293
```

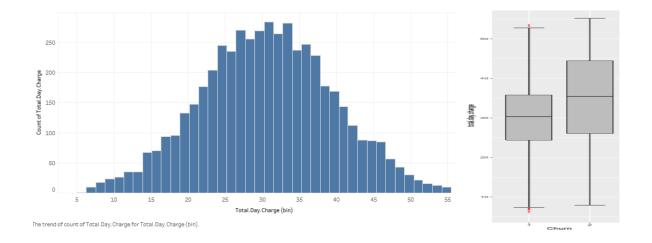
```
total.night.minutes <= 0.251038
         -> class 1 [0.886]
Rule 0/8: (62, lift 6.8)
         international.plan = 2
         total.intl.calls <= -0.6341546
        -> class 2 [0.984]
Rule 0/9: (52, lift 6.8)
         international.plan = 2
         total.intl.minutes > 1.100018
        -> class 2 [0.981]
Rule 0/10: (47, lift 6.8)
         total.day.minutes <= -0.1146258
         total.eve.minutes <= -0.212824
         number.customer.service.calls > 0.3378751
         number.customer.service.calls <= 0.6450831
        -> class 2 [0.980]
Rule 0/11: (43/1, lift 6.6)
         total.day.minutes <= -0.8124499
         number.customer.service.calls > 0.3378751
         number.customer.service.calls <= 0.6450831
        -> class 2 [0.956]
Rule 0/12: (60/3, lift 6.5)
         voice.mail.plan = 1
```

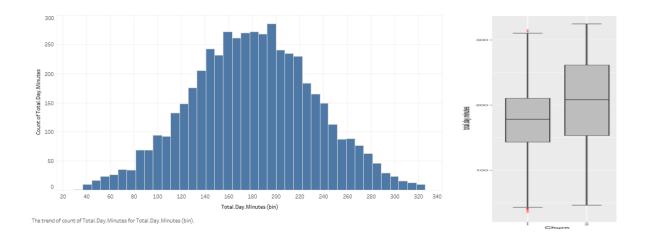
```
total.day.minutes > 1.607948
         total.eve.minutes > -1.562982
         total.night.minutes > 0.251038
        -> class 2 [0.935]
Rule 0/13: (92/6, lift 6.4)
         voice.mail.plan = 1
         total.day.minutes > 1.607948
         total.eve.minutes > -0.2354293
        -> class 2 [0.926]
Rule 0/14: (9, lift 6.3)
         voice.mail.plan = 1
        total.day.minutes > 2.38607
        total.night.minutes \le 0.251038
        -> class 2 [0.909]
Rule 0/15: (19/1, lift 6.2)
         total.day.minutes <= 0.8202674
         total.eve.minutes <= -1.351313
         number.customer.service.calls > 0.3378751
         number.customer.service.calls \le 0.6450831
        -> class 2 [0.905]
```

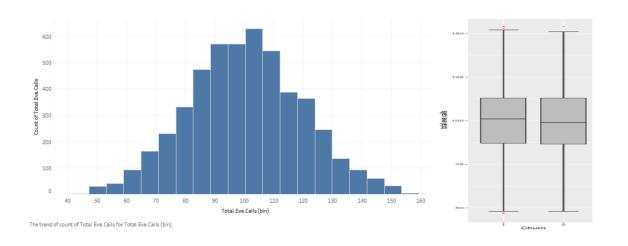
Appendix B

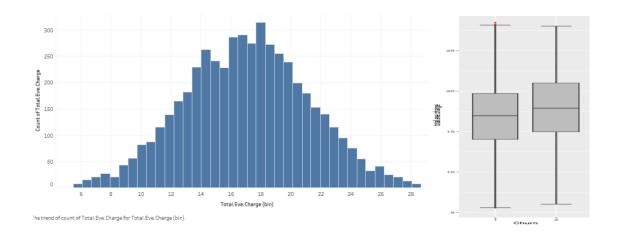


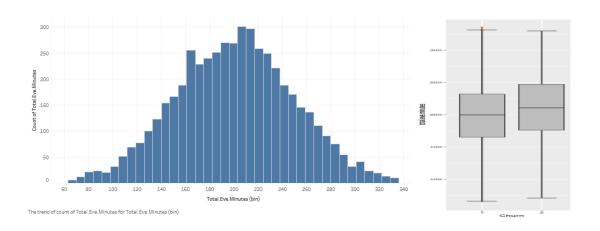


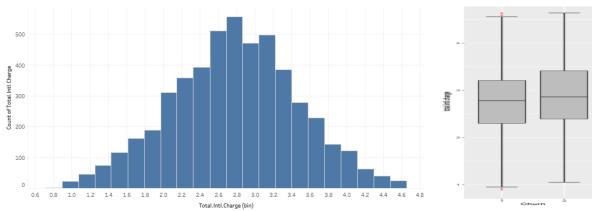




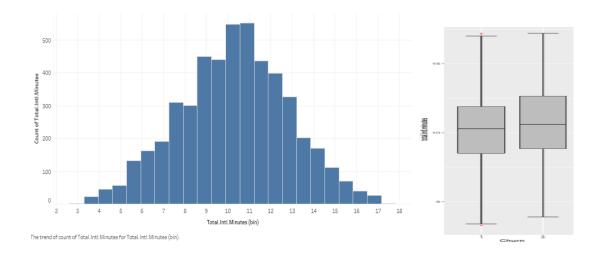


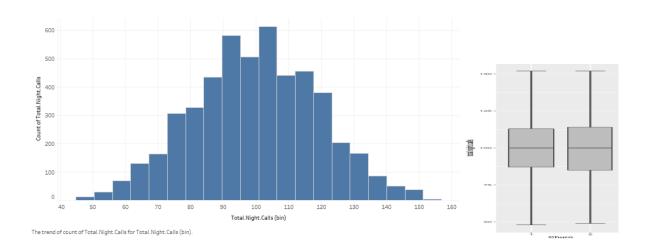


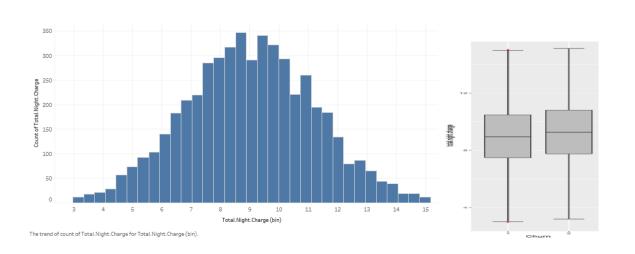


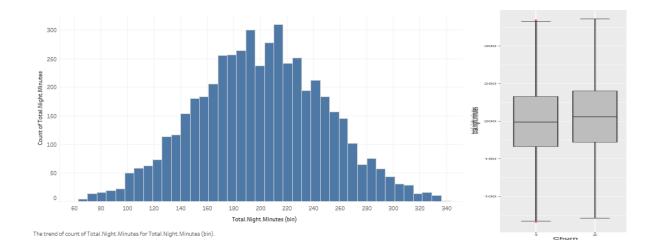


The trend of count of Total.Intl.Charge for Total.Intl.Charge (bin).

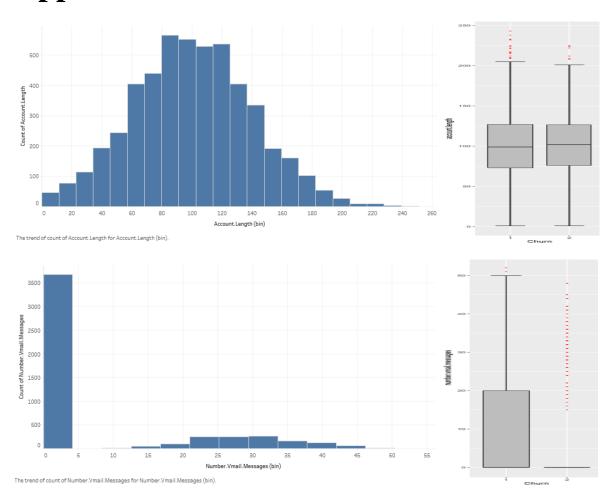


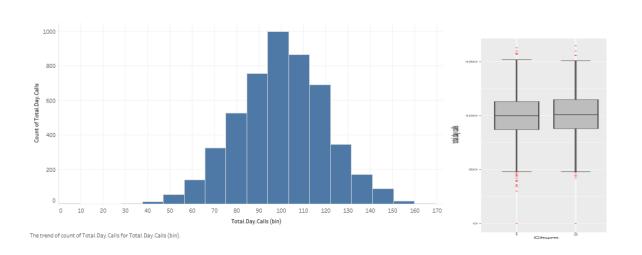


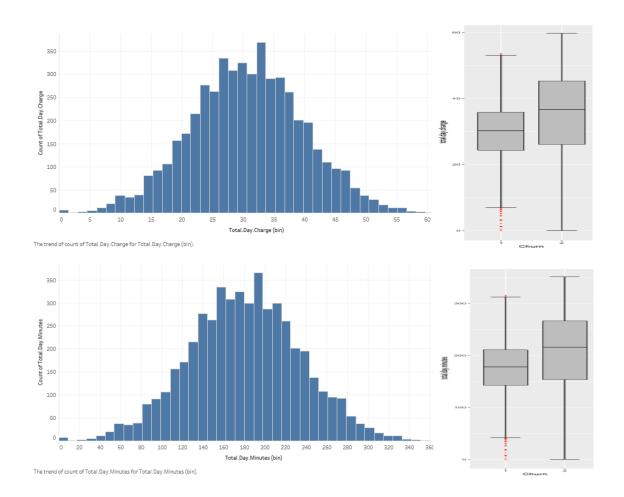


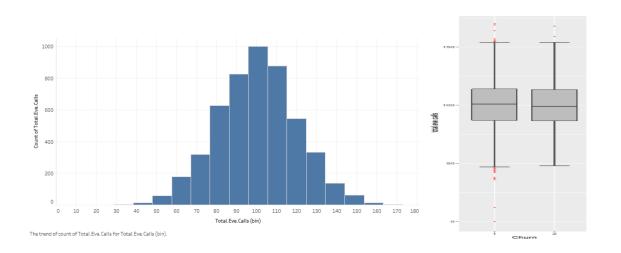


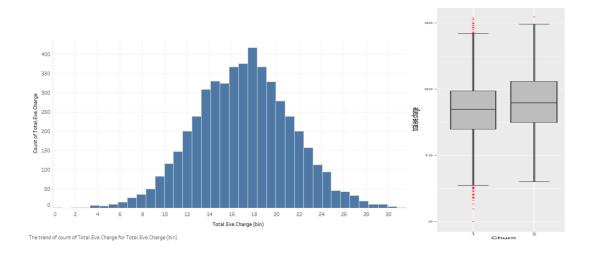
Appendix C

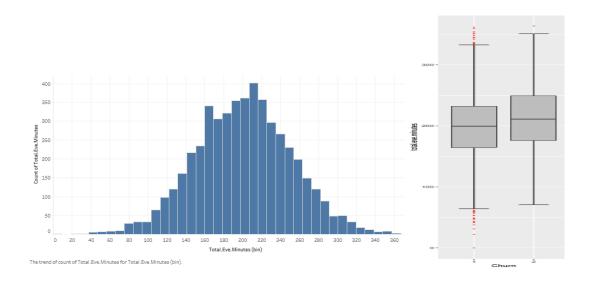


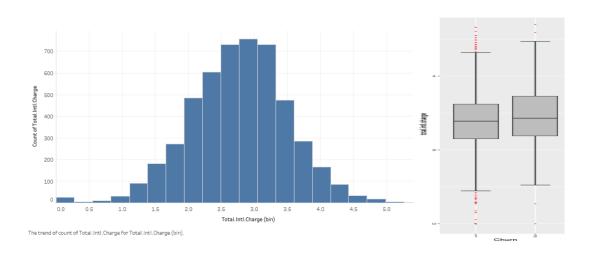


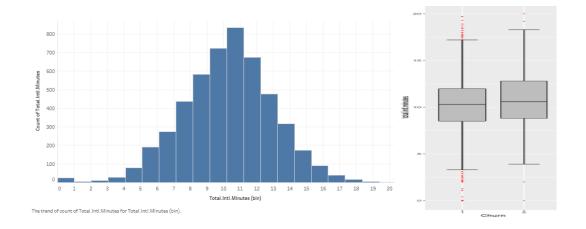


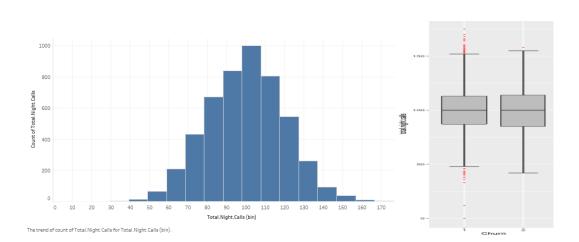


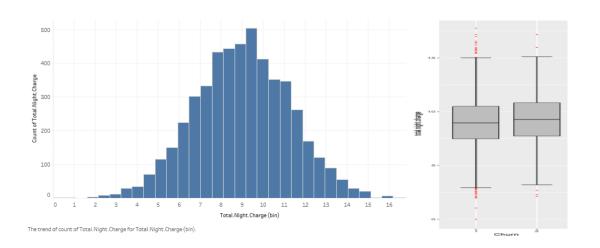


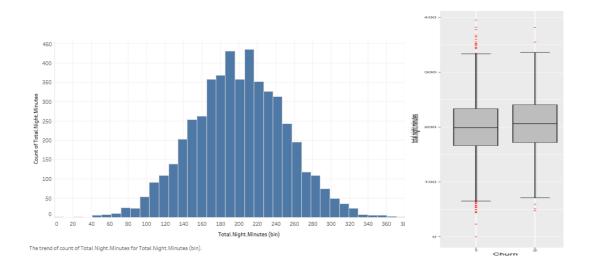




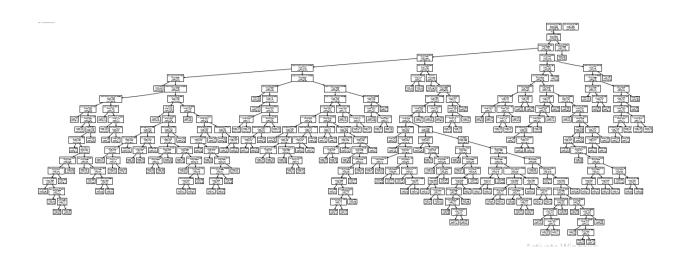








Decision Tree Flow Chart



Appendix D

R Code:-

```
rm(list=ls(all=T))
setwd("E:/project")
#Load Libraries
x = c("ggplot2", "corrgram", "DMwR", "caret", "randomForest", "unbalanced",
"C50", "dummies", "e1071", "Information",
   "MASS", "rpart", "gbm", "ROSE", 'sampling', 'DataCombine', 'inTrees')
lapply(x, require, character.only = TRUE)
rm(x)
## Read the data
churn = read.csv("train_data.csv", header = T, na.strings = c(" ", "", "NA"))
churn_test=read.csv('test_data.csv',header = T, na.strings = c(" ", "", "NA"))
df=rbind(churn,churn_test)
View(df)
churn=df
str(churn)
churn$area.code=as.factor(churn$area.code)
```

```
##############################Missing Values
missing\_val = data.frame(apply(churn, 2, function(x) \{ sum(is.na(x)) \}))
missing_val
##Data Manupulation; convert string categories into factor numeric
for(i in 1:ncol(churn)){
if(class(churn[,i]) == 'factor'){
 churn[,i] = factor(churn[,i], labels=(1:length(levels(factor(churn[,i])))))
### BoxPlots - Distribution and Outlier Check
numeric_index = sapply(churn,is.numeric) #selecting only numeric
numeric_data = churn[,numeric_index]
```

```
cnames = colnames(numeric_data)
cnames
for (i in 1:length(cnames))
  {
   assign(paste0("gn",i), ggplot(aes_string(y = (cnames[i]), x = "Churn"), data =
subset(churn))+
        stat_boxplot(geom = "errorbar", width = 0.5) +
        geom_boxplot(outlier.colour="red", fill = "grey",outlier.shape=18,
                outlier.size=1, notch=FALSE) +
        theme(legend.position="bottom")+
        labs(y=cnames[i],x="Churn")+
        ggtitle(paste("Box plot of churn for",cnames[i])))
  }
### Plotting plots together
gridExtra::grid.arrange(gn1,gn5,gn2,ncol=3)
gridExtra::grid.arrange(gn6,gn7,gn3,ncol=3)
gridExtra::grid.arrange(gn8,gn9,gn4,ncol=3)
gridExtra::grid.arrange(gn10,gn11,gn12,ncol=3)
```

```
gridExtra::grid.arrange(gn13,gn14,gn15,ncol=3)
View(churn)
sum(is.na(churn))
# #Replace all outliers with NA and impute
for(i in cnames){
 val = churn[,i][churn[,i] %in% boxplot.stats(churn[,i])$out]
 churn[,i][churn[,i] %in% val] = NA
}
churn = knnImputation(churn, k = 5)
write.csv(df,'merged_with_outliers.csv', row.names = F)
################################Feature
## Correlation Plot
corrgram(churn[,numeric_index], order = F,
```

```
## Chi-squared Test of Independence
factor_index = sapply(churn,is.factor)
factor_data = churn[,factor_index]
View(factor_data)
for (i in 1:5)
 print(names(factor_data)[i])
 print(chisq.test(table(factor_data$Churn,factor_data[,i])))
## Dimension Reduction
churn = subset(churn,
           select = -c(area.code,total.day.charge,total.eve.charge,
total.night.charge, total.intl.charge,phone.number))
#####################################Feature
#Normality check
qqnorm(churn$number.customer.service.calls)
```

```
hist(churn$number.customer.service.calls)
#Normalisation
cnames1= c("number.vmail.messages","number.customer.service.calls")
for(i in cnames1){
 churn[,i] = (churn[,i] - min(churn[,i]))/
  (max(churn[,i] - min(churn[,i])))
}
#Standardisation
cnames2=c("account.length","total.day.minutes","total.day.calls",
      "total.intl.minutes", "total.intl.calls", "total.eve.minutes",
      "total.eve.calls", "total.night.minutes", "total.night.calls")
for(i in cnames2){
 churn[,i] = (churn[,i] - mean(churn[,i]))/
                     sd(churn[,i])
}
```

```
############
## Read the data
churn_test=churn[3334:5000,]
churn=churn[1:3333,]
View(churn_test)
#Clean the environment
rmExcept(c("churn","churn_test"))
#Decision tree for classification
#Develop Model on training data
C50_model = C5.0(Churn ~.,churn,trials=100,rules = TRUE)
#Summary of DT model
summary(C50_model)
#write rules into disk
write(capture.output(summary(C50_model)), "c50mergedrules.txt")
```

```
#Lets predict for test cases
C50_Predictions = predict(C50_model, churn_test[,-15], type = "class")
##Evaluate the performance of classification model
ConfMatrix_C50 = table(churn_test$Churn, C50_Predictions)
confusionMatrix(ConfMatrix_C50)
#Accuracy: 94.48%
#FNR: 40.2%
#####################
###Random Forest
RF_model = randomForest(Churn ~ ., churn, importance = TRUE, ntree = 500)
#Presdict test data using random forest model
RF_Predictions = predict(RF_model, churn_test[,-15])
##Evaluate the performance of classification model
ConfMatrix RF = table(churn test$Churn, RF Predictions)
confusionMatrix(ConfMatrix_RF)
#Accuracy=92.3%
#FNR=51%
```

```
#############
#Logistic Regression
logit_model = glm(Churn ~ ., data = churn, family = "binomial")
#summary of the model
summary(logit_model)
#predict using logistic regression
logit_Predictions = predict(logit_model, newdata = churn_test, type = "response")
#convert prob
logit_Predictions = ifelse(logit_Predictions > 0.5, 1, 0)
##Evaluate the performance of classification model
ConfMatrix_RF = table(churn_test$Churn, logit_Predictions)
ConfMatrix_RF
#accuracy=87.4%
#False Negative rate=80.8%
####
```

```
##KNN Implementation
library(class)
#Predict test data
KNN_Predictions = knn(churn[, 1:14], churn_test[, 1:14], churn$Churn, k = 7)
#Confusion matrix
Conf_matrix = table(KNN_Predictions, churn_test$Churn)
Conf matrix
#Accuracy
sum(diag(Conf_matrix))/nrow(churn_test)
#Accuracy = 86.6%
\#FNR = 46.6\%
#################
#naive Bayes
library(e1071)
#Develop model
NB_model = naiveBayes(Churn ~ ., data = churn)
```

#predict on test cases #raw

NB_Predictions = predict(NB_model, churn_test[,1:14], type = 'class')

#Look at confusion matrix

Conf_matrix = table(observed = churn_test[,15], predicted = NB_Predictions)
confusionMatrix(Conf_matrix)

#Accuracy: 88%

#FNR: 79%

Python code:

#Load libraries

import os

import pandas as pd

import numpy as np

from fancyimpute import KNN

import matplotlib.pyplot as plt

from scipy.stats import chi2_contingency

import seaborn as sns

from random import randrange, uniform

#Set working directory

```
os.chdir("E:\projectpy")
#Load data
churn = pd.read_csv("train_data.csv")
churn_test=pd.read_csv("test_data.csv")
#combine two datasets
df=churn.append(churn_test,ignore_index=True)
df['area code']=df['area code'].astype(object)
#Assigning levels to the categories
lis = \prod
for i in range(0, df.shape[1]):
  if(df.iloc[:,i].dtypes == 'object'):
     df.iloc[:,i] = pd.Categorical(df.iloc[:,i])
     df.iloc[:,i] = df.iloc[:,i].cat.codes
     df.iloc[:,i] = df.iloc[:,i].astype('object')
     lis.append(df.columns[i]
#to find any missing values
missing_val = pd.DataFrame(df.isnull().sum())
lis1=[]
for i in range(0, df.shape[1]):
  if(df.iloc[:,i].dtypes != 'object'):
     lis1.append(df.columns[i])
#Detect and replace with NA
for i in lis1:
```

```
##Extract quartiles
  q75, q25 = np.percentile(df.loc[:,i], [75,25])
  ##Calculate IQR
  iqr = q75 - q25
  # #Calculate inner and outer fence
  minimum = q25 - (iqr*1.5)
  maximum = q75 + (iqr*1.5)
  ##Replace with NA
  df.loc[df.loc[:,i] < minimum,i] = np.nan
  df.loc[df.loc[:,i] > maximum,i] = np.nan
##Calculate missing value
missing_val = pd.DataFrame(df.isnull().sum())
missing_val.loc[:,0].sum()
# #Impute with KNN
df = pd.DataFrame(KNN(k = 3).complete(df), columns = df.columns)
##Correlation analysis
#Correlation plot
df_corr = df.loc[:,lis1]
#Set the width and hieght of the plot
```

```
f, ax = plt.subplots(figsize=(7, 5))
#Generate correlation matrix
corr = df_corr.corr()
#Plot using seaborn library
sns.heatmap(corr, mask=np.zeros_like(corr, dtype=np.bool),
cmap=sns.diverging_palette(220, 10, as_cmap=True),
       square=True, ax=ax)
#Chisquare test of independence
#Save categorical variables
cat_names = lis[0:5]
cat_names
#loop for chi square values
for i in cat_names:
  print(i)
  chi2, p, dof, ex = chi2_contingency(pd.crosstab(df['Churn'], df[i]))
  print(p)
#dimension reduction
df = df.drop(['area code', 'phone number', 'total day charge', 'total eve charge', 'total
intl charge','total night charge'], axis=1)
df2 = df.copy()
#Normality check
```

```
% matplotlib inline
plt.hist(df['number customer service calls'], bins='auto')
#Nomalisation
cnames=["number customer service calls","number vmail messages"]
for i in cnames:
  print(i)
  df[i] = (df[i] - min(df[i]))/(max(df[i]) - min(df[i]))
# #Standarisation
cnames1=['account length',
'total day minutes',
'total day calls',
'total eve minutes',
'total eve calls',
'total night minutes',
'total night calls',
'total intl minutes',
'total intl calls']
for i in cnames 1:
  print(i)
  df[i] = (df[i] - df[i].mean())/df[i].std()
#replace target categories with Yes or No
df['Churn'] = df['Churn'].replace(0.0, 'No')
df['Churn'] = df['Churn'].replace(1.0, 'Yes')
```

```
train=df.iloc[0:3333,:]
test=df.iloc[3333:,:]
X_train=train.iloc[:,0:14]
y_train=train.iloc[:,14]
X_test=test.iloc[:,0:14]
y_test=test.iloc[:,14]
#Import Libraries for decision tree
from sklearn import tree
from sklearn.metrics import accuracy_score
from sklearn.cross_validation import train_test_split
#Decision Tree
C50_model = tree.DecisionTreeClassifier(criterion='entropy').fit(X_train, y_train)
#predict new test cases
C50_Predictions = C50_model.predict(X_test)
#Create dot file to visualise tree #http://webgraphviz.com/
# dotfile = open("pt.dot", 'w')
# df = tree.export_graphviz(C50_model, out_file=dotfile, feature_names =
marketing_train.columns)
#build confusion matrix
# from sklearn.metrics import confusion_matrix
```

```
# CM = confusion_matrix(y_test, y_pred)
CM = pd.crosstab(y_test, C50_Predictions)
#let us save TP, TN, FP, FN
TN = CM.iloc[0,0]
FN = CM.iloc[1,0]
TP = CM.iloc[1,1]
FP = CM.iloc[0,1]
#check accuracy of model
#accuracy_score(y_test, y_pred)*100
((TP+TN)*100)/(TP+TN+FP+FN)
#False Negative rate
\#(FN*100)/(FN+TP)
#Results
#Accuracy: 89.5%
#FNR: 40%
#Random Forest
from sklearn.ensemble import RandomForestClassifier
RF_model = RandomForestClassifier(n_estimators = 500).fit(X_train, y_train)
```

```
RF_Predictions = RF_model.predict(X_test)
#build confusion matrix
# from sklearn.metrics import confusion_matrix
# CM = confusion_matrix(y_test, y_pred)
CM = pd.crosstab(y_test, RF_Predictions)
#let us save TP, TN, FP, FN
TN = CM.iloc[0,0]
FN = CM.iloc[1,0]
TP = CM.iloc[1,1]
FP = CM.iloc[0,1]
#check accuracy of model
#accuracy_score(y_test, y_pred)*100
\#((TP+TN)*100)/(TP+TN+FP+FN)
#False Negative rate
(FN*100)/(FN+TP)
#Accuracy: 92.6
#FNR: 53.6
#KNN implementation
from sklearn.neighbors import KNeighborsClassifier
```

```
KNN_model = KNeighborsClassifier(n_neighbors = 9).fit(X_train, y_train)
#predict test cases
KNN_Predictions = KNN_model.predict(X_test)
#build confusion matrix
CM = pd.crosstab(y_test, KNN_Predictions)
#let us save TP, TN, FP, FN
TN = CM.iloc[0,0]
FN = CM.iloc[1,0]
TP = CM.iloc[1,1]
FP = CM.iloc[0,1]
#check accuracy of model
#accuracy_score(y_test, y_pred)*100
((TP+TN)*100)/(TP+TN+FP+FN)
#False Negative rate
(FN*100)/(FN+TP)
#Accuracy: 86.8
#FNR: 96.8
#Naive Bayes
```

from sklearn.naive_bayes import GaussianNB

```
#Naive Bayes implementation
NB_model = GaussianNB().fit(X_train, y_train)
#predict test cases
NB_Predictions = NB_model.predict(X_test)
#Build confusion matrix
CM = pd.crosstab(y_test, NB_Predictions)
#let us save TP, TN, FP, FN
TN = CM.iloc[0,0]
FN = CM.iloc[1,0]
TP = CM.iloc[1,1]
FP = CM.iloc[0,1]
#check accuracy of model
#accuracy_score(y_test, y_pred)*100
((TP+TN)*100)/(TP+TN+FP+FN)
#False Negative rate
\#(FN*100)/(FN+TP)
#Accuracy: 85.8
#FNR: 68.3
```

THANK YOU