

# Quantum Computation Introduction

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# Logistics

Info (dates, speakers, references) is hosted on:

<https://www.tsvan.xyz/reading.html>

Follow John Preskill's notes

[http:](http://theory.caltech.edu/~preskill/ph219/ph219_2021-22.html)

[//theory.caltech.edu/~preskill/ph219/ph219\\_2021-22.html](http://theory.caltech.edu/~preskill/ph219/ph219_2021-22.html)

Helpful videos:

- 1 Preskill's class: [https://www.youtube.com/playlist?list=PL0ojjrEqIyPy-1RRD8cTD\\_lF1hf1o89Iu](https://www.youtube.com/playlist?list=PL0ojjrEqIyPy-1RRD8cTD_lF1hf1o89Iu)
- 2 UC Berkeley Vazirani's class: <https://www.youtube.com/playlist?list=PLXEJgM3ycgQW5ysL69uaEdPoof4it6seB>

# Basics: Complex Vector Space

A *complex vector space* is a non-empty set  $\mathbb{V}$ , whose elements we call vectors, with three operations

- 1 Addition  $+$  :  $\mathbb{V} \times \mathbb{V} \rightarrow \mathbb{V}$
- 2 Negation  $-$  :  $\mathbb{V} \rightarrow \mathbb{V}$
- 3 Scalar multiplication:  $\cdot$  :  $\mathbb{C} \times \mathbb{V} \rightarrow \mathbb{V}$

and a distinguished element called *zero vector*  $0 \in \mathbb{V}$ . The operations above obey usual rules with the scalar multiplication obeys rules for complex numbers.

## Example

$\mathbb{C}^n$ , space of complex polynomials  $\mathbb{C}[x]$ , space of complex-valued square integrable functions  $L^2(\mathbb{R}; \mathbb{C})$ .

(Un)fortunately, we do have to work with complex numbers...