```
P(Region=Countryside | Hyperlipidemia=YES, Gender=Female) = 0.416
P(Region=Countryside | Hyperlipidemia=YES) = 0.416
P(Hyperlipidemia=YES | Region=Countryside, Gender=Female) = 0.380
P(Hyperlipidemia=YES | Region=Countryside) = 0.42
P(Region=Countryside | Hyperlipidemia=NO, Gender=Female) = 0.543
P(Region=Countryside | Hyperlipidemia=NO) = 0.543
P(Hyperlipidemia=NO | Region=Countryside, Gender=Female) = 0.380
P(Hyperlipidemia=NO | Region=Countryside) = 0.42
P(Region=City | Hyperlipidemia=YES, Gender=Female) =0.584
P(Region=City | Hyperlipidemia=YES) = 0.584
P(Hyperlipidemia=YES | Region=City, Gender=Female) = 0.647
P(Hyperlipidemia=YES | Region=City) = 0.608
P(Region=City | Hyperlipidemia=NO, Gender=Female) = 0.457
P(Region=City | Hyperlipidemia=NO) = 0.457
P(Hyperlipidemia=NO | Region=City, Gender=Female) = 0.647
P(Hyperlipidemia=NO | Region=City) = 0.608
```

We can see the first 2 of each section are equal, which means Separation holds because P(Prediction = YES|Hyperlipidemia = YES,Gender = Female) = P(Prediction=YES|Hyperlipidemia=YES)

However, the last 2 of each section are not equal which means Sufficiency doesn't hold because $P(Hyperlipidemia=YES|Prediction=YES,Gender=Female) \neq P(Hyperlipidemia=YES|Prediction=YES)$