

Q2:

a)

Let V1 = Hyperlipidemia, V2 = bmi, V3 = Vegetables.

When given just hyperlipidemia, the probability of vegetables consumption looks like

P(Activity = Insufficient)	57.9
P(Activity = Normal)	28.4
P(Activity = Sufficient)	13.7

When given hyperlipidemia and bmi = ~24.0, the expected vegetables

P(Activity = Insufficient)	57.9
P(Activity = Normal)	28.4
P(Activity = Sufficient)	13.7

When given hyperlipidemia and bmi = <18.5, the expected vegetables

P(Activity = Insufficient)	57.9
P(Activity = Normal)	28.4
P(Activity = Sufficient)	13.7

So we can see if given Hyperlipidemia we do not need bmi.

b)

V1 = hypertension, V2 = age, V3 = diabetes, Target = activity

When given hypertension and age, find activity

P(Activity = Insufficient)	43.5
P(Activity = Normal)	29.7
P(Activity = Sufficient)	26.9

When given no hypertension and age, find activity

P(Activity = Insufficient)	43.5
P(Activity = Normal)	29.7
P(Activity = Sufficient)	26.9

When given hypertension, age, and diabetes, find activity

P(Activity = Insufficient)	43.7
P(Activity = Normal)	29.6
P(Activity = Sufficient)	26.6

When given no hypertension, age, and diabetes, find activity

P(Activity = Insufficient)	45.0
P(Activity = Normal)	29.6
P(Activity = Sufficient)	25.4

c)

Want  $P(\text{Age} = \sim 60)$  to increase. Let's choose to add evidence in the following order.

[BMI =  $\sim 18.5$ , CO = YES, HT = YES, HL = YES, AC = Insufficient]

With BMI

$$P(\text{Age} = \sim 60) = 30.6$$

With BMI CO

$$P(\text{Age} = \sim 60) = 31.1$$

With BMI CO HT

$$P(\text{Age} = \sim 60) = 39.9$$

With BMI CO HT HL

$$P(\text{Age} = \sim 60) = 41.2$$

With BMI CO HT HL AC

$$P(\text{Age} = \sim 60) = 44.4$$

The Probability of all the variables being as in the evidence is

$$P(\text{ac} = \text{Ins}, \text{hl} = \text{y}, \text{ht} = \text{y}, \text{co} = \text{y}, \text{bmi} \sim 18.5) =$$

$$P(\text{ac} = \text{Ins} \mid \text{hl} = \text{y}, \text{bmi}, \text{gd}) * P(\text{hl} = \text{y} \mid \text{co} = \text{y}, \text{bmi} = \sim 18.5) * P(\text{ht} = \text{y} \mid \text{co} = \text{y}, \text{bmi} = \sim 18.5) *$$

$$P(\text{co} = \text{y} \mid \text{bmi} = \sim 18.5) * P(\text{bmi} = \sim 18.5)$$

$$= 0.435 * 0.248 * 0.373 * 0.411 * 0.373 = 0.00617 = 0.617\%$$

d)

Searching for exercise is Insufficient decreases. Let's choose to add evidence in the following order.

[CO = No, HT = No, HL = No, GD = Male, AG = <40]

With CO

$P(\text{Activity} = \text{Insufficient}) = 38.0$

With CO HT

$P(\text{Activity} = \text{Insufficient}) = 37.3$

With CO HT HL

$P(\text{Activity} = \text{Insufficient}) = 35.4$

With CO HT HL GD

$P(\text{Activity} = \text{Insufficient}) = 34.2$

With CO HT HL GD AG

$P(\text{Activity} = \text{Insufficient}) = 29.1$

Probability of evidence happening is  $P(\text{ag} < 40, \text{gd} = \text{M}, \text{hl} = \text{N}, \text{ht} = \text{N}, \text{co} = \text{N}) =$

$P(\text{ag} < 40 \mid \text{hl} = \text{N}, \text{ht} = \text{N}) * P(\text{gd} = \text{N} \mid \text{hl} = \text{n}) * P(\text{hl} = \text{N} \mid \text{co} = \text{n}, \text{bmi}) * P(\text{ht} = \text{N} \mid \text{co} = \text{n}, \text{bmi}) *$

$P(\text{co} = \text{N} \mid \text{bmi})$

$= 0.465 * 0.494 * 0.742 * 0.645 * 0.334 = 0.0367 = 3.67\%$