Let C = Diabetes
Y = Hyperlipidemia
A = Gender

$P(C=Yes \mid Y=Yes, A=Male) = 0.5$
$P(C=Yes \mid Y=Yes, A=Female) = 0.5$
$P(C=Yes \mid Y=No, A=Male) = 0.5$
$P(C=Yes \mid Y=No, A=Female) = 0.5$
$P(C=No \mid Y=Yes, A=Male) = 0.5$
$P(C=No \mid Y=Yes, A=Female) = 0.5$
$P(C=No \mid Y=No, A=Male) = 0.5$
$P(C=No \mid Y=No, A=Female) = 0.5$

Separated $\wedge$ $\neg$ Sufficient

$P(Y=Yes \mid C=Yes, A=Male) = 0.44$
$P(Y=Yes \mid C=Yes, A=Female) = 0.366$
$P(Y=Yes \mid C=No, A=Male) = 0.56$
$P(Y=Yes \mid C=No, A=Female) = 0.634$
$P(Y=No \mid C=Yes, A=Male) = 0.44$
$P(Y=No \mid C=Yes, A=Female) = 0.366$
$P(Y=No \mid C=No, A=Male) = 0.56$
$P(Y=No \mid C=No, A=Female) = 0.634$

Let C = Hypertension
Y = Diabetes
A = Gender

$P(C=Yes \mid Y=Yes, A=Male) = 0.49$
$P(C=Yes \mid Y=Yes, A=Female) = 0.48$
$P(C=Yes \mid Y=No, A=Male) = 0.49$
$P(C=Yes \mid Y=No, A=Female) = 0.48$
$P(C=No \mid Y=Yes, A=Male) = 0.51$
$P(C=No \mid Y=Yes, A=Female) = 0.52$
$P(C=No \mid Y=No, A=Male) = 0.51$
$P(C=No \mid Y=No, A=Female) = 0.52$

$\neg$ Separated $\wedge$ Sufficient

$P(Y=Yes \mid C=Yes, A=Male) = 0.5$
$P(Y=Yes \mid C=Yes, A=Female) = 0.5$
$P(Y=Yes \mid C=No, A=Male) = 0.5$
$P(Y=Yes \mid C=No, A=Female) = 0.5$
$P(Y=No \mid C=Yes, A=Male) = 0.5$
$P(Y=No \mid C=Yes, A=Female) = 0.5$
$P(Y=No \mid C=No, A=Male) = 0.5$
$P(Y=No \mid C=No, A=Female) = 0.5$