Question 2

- i) Theid (Janame = "Boeing" (Aircraft M Certified))
- ii) Trename ((Saname="Boeing" (Aircraft)) ≥ Certified ≥ Employees)
- iii) RI = Ofrom="Bonn" A to="Madras" (Flights)

 Taid (Ocruisingrange > distance (Aircraft x RI))
- iv) TI floo (Odistance < cruisingrange A salary > 100000 (Flights XI Aircraft XI Certified XI Employees,
- V) RI= TTeid (Ocruisingrange > 3000 (Aircraft M Certified))
 TTename (Employees M (RI TTeid (Oaname = "Boeing" (Aircraft M Certified))))
- Vi) P_{E1}(Employees)

 PE2 (Employees)

 ∏eid (Employees) ∏E1.eid (E| ME1.salary < E2.salary E2)
- Vii) $E I = P_{E1} Employees$ $E 2 = P_{E2} Employees$ $E 3 = \prod_{E2.eid} (E1 \bowtie_{E1.salary}) E2.salary E2)$ $E 4 = E2 \bowtie E3$ $E 5 = P_{E5} E4$ $E 6 = \prod_{E5.eid} (E4 \bowtie_{E1.salary}) E5.salary E5)$ $(\prod_{Eid} E3) - E6$
- viii) Cannot be shown in relational algebra because we don't have a symbol for counting.
- ix) $R1 = P_{R1}$ Certified, $R2 = P_{R2}$ Certified, $R3 = P_{R3}$ Certified, $R4 = P_{R4}$ Certified $R5 = \Pi_{eid}(\sigma_{(R1.eid = R2.eid = R3.eid)}) \Lambda_{(R1.aid \neq R2.aid)}(R1 \times R2 \times R3))$ $R6 = \Pi_{eid}(\sigma_{(R1.eid = R2.eid = R3.eid = R4.eid)}) \Lambda_{(R1.aid \neq R2.aid \neq R3.aid \neq R4.aid)}(R1 \times R2 \times R3 \times R4)$ R5 R6
- x) Not possible in relational algebra because there isn't a symbol for sum.