# PROGRAMMING ASSIGNMENT: 1

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### Exercise 1: File read and write

Listing 1: File reading and writing.

```
1 fin = open('/home/labs/mac_ler/assign1/iris.data', "r")
2 fout = open('/home/labs/mac_ler/assign1/iris-svm-input.txt',"w")
3 lines = fin.readlines()
4 labels = {'Iris-setosa': 1, 'Iris-versicolor': 2, 'Iris-virginica': 3}
5
6
  for line in lines:
7
       values = line.rstrip().split(',')
       if(len(values) >= 2):
8
           fout.write(str(labels[values[4]]))
9
           for i in range (4):
10
               if(float(values[i]) != 0):
11
12
                   fout.write(" " + str(i + 1) + ":" + values[i])
13
           fout.write("\n")
```

## **Exercise 2: Regression**

#### Listing 2: Regression.

```
1 #Author : Sooraj Tom
 2 #assignment 1 Q2
 3 import math
 4 import matplotlib.pyplot as plt
 5 import numpy as np
 6 from numpy import genfromtxt as genft
 7
   def LeastSquares(fMatrix, y):
9
       Xt = np.matrix(fMatrix)
10
       Y = np.matrix(y)
11
       Yt = Y.transpose()
       X = Xt.transpose()
12
       inverse = np.linalg.inv(Xt * X)
13
14
       w = inverse * Xt * Yt
15
       return w
```

```
16
17
   def makeFeature(inMat, n):
18
        fList = []
        for x in inMat:
19
            frow = [1]
20
21
            for i in range(n - 1):
22
                frow.append(frow[i] * x)
23
            fList.append(frow)
24
        fList = np.matrix(fList)
25
        return fList
26
   def RidgeRegressionStochastic(X, y, lamb):
27
        alpha = 0.001
28
       eps = 0.000001
29
30
       diff = 10.0
       y = np.matrix(y)
31
       X = np.matrix(X)
32
33
34
       w = [[0] for i in range(X.shape[1])]
35
       w = np.matrix(w)
       err1 = y.transpose() * y
36
37
       while diff > eps:
            for i in range(X.shape[0]):
38
                xnew = X[i, :].reshape(X.shape[1], 1)
39
                ynew = y[i, :].reshape(1, 1)
40
41
                w = w - alpha * (xnew * (w.transpose() * xnew - ynew) + lamb * \leftarrow
42
            err2 = (y - X * w).transpose() * (y - X * w)
            diff = abs(err2 - err1)
43
44
            err1 = err2
45
        return w
46
47
   def Crossvalidator5(X, y, lamb):
48
        sqerrva = 0.0
       sqerrtr = 0.0
49
50
        sqerrte = 0.0
        testX = np.matrix(genft('/home/labs/mac_ler/assign1/newRegressiondata/←
51
           xts.txt'))
       testY = np.matrix(genft('/home/labs/mac_ler/assign1/newRegressiondata/←
52
           yts.txt'))
53
       testX = testX.reshape(testX.size, 1)
        testX = makeFeature(testX, 3)
54 #
       testY = testY.reshape(testY.size, 1)
55
56
       X = X.reshape(X.size, 1)
57
58 #
        X = makeFeature(X, 3)
59
       y = y.reshape(y.size, 1)
```

```
60
 61
 62
        newX = np.split(X[0:X.shape[0] - X.shape[0] % 5, :], 5)
        newy = np.split(y[0:y.shape[0] - y.shape[0] % 5, :], 5)
 63
 64
        for i in range(5):
 65
             tempX = np.zeros(shape=(0, X.shape[1]))
 66
             tempy = np.zeros(shape=(0, y.shape[1]))
 67
             for j in range(5):
 68
                 if j != i :
 69
 70
                     tempX = np.vstack((tempX, newX[j]))
 71
                     tempy = np.vstack((tempy, newy[j]))
 72
 73
             tempw = RidgeRegressionStochastic(tempX, tempy, lamb)
 74
 75
             sqerr = newy[i] - newX[i] * tempw
 76
             sqerrva += sqerr.transpose() * sqerr
 77
             sqerr = tempy - tempX * tempw
 78
             sqerrtr += sqerr.transpose() * sqerr
 79
             sqerr = testY - testX * tempw
80
             sqerrte += sqerr.transpose() * sqerr
 81
 82
        err = [(sqerrva)/X.shape[0], sqerrtr/((X.shape[0] - 5) * 5), sqerrte/<math>\leftarrow
            testX.shape[0]]
83
        return err
 84
85
    def main():
86
        inMat = genft('/home/labs/mac_ler/assign1/newRegressiondata/x.txt')
87
        y = genft('/home/labs/mac_ler/assign1/newRegressiondata/y.txt')
88
 89
        w = LeastSquares(inMat, y)
 90
        print "Least square result:"
 91
        print w
 92
 93
        lserr = np.matrix(y).transpose() - np.matrix(inMat).transpose() * w;
 94
        print "Least square error:"
95
        print lserr.transpose() * lserr
96
        limits = 10 \# 2^{-10} to 2^{10}
97
98
        lamb = 2**(-(limits + 1))
99
        validerr = []
        trainerr = []
100
101
        testerr = []
102
        lambda_opt=-limits
103
        leasterr = 99999
104
105
         for j in range(2 * limits + 1):
```

```
106
             lamb = lamb * 2
107
            validerr.append(math.log(float(Crossvalidator5(inMat, y, lamb)[0]) ←
            trerr = math.log(float(Crossvalidator5(inMat, y, lamb)[1]))
108
109
             if trerr < leasterr:</pre>
                 leasterr = trerr
110
111
                 lambda_opt = j - limits
112
             trainerr.append(trerr)
             testerr.append(math.log(float(Crossvalidator5(inMat, y, lamb)[2])) ←
113
                )
114
        print "optimum lambda ="
115
        print 2**lambda_opt
116
117
118
        xaxis = [i for i in xrange(-limits, limits + 1, 1)]
119
        fig, ax = plt.subplots()
120
        ax.plot(xaxis, validerr, 'go-', label= 'Validation error')
121
122
        ax.plot(xaxis, trainerr, 'ro-', label= 'Training error')
123
        ax.plot(xaxis, testerr, 'bo-' , label= 'Testing error')
124
        plt.xlabel(r'$log \lambda$')
        plt.ylabel('log (square error)')
125
        plt.title(r' \log \lambda + \log (0.5)  log \ensuremath{ \log h }
126
            square\hspace{0.5}error$')
        ax.legend(loc=0, shadow = True)
127
128
        fig.savefig('plot.png')
129
        plt.show()
130
131
132
    if __name__ == "__main__":
133
        main()
```

## Conclusion

The graph plotted between error and  $\lambda$  gives a clear understanding of variation of error with hyperparameter. The error becomes larger on increasing  $\lambda$ . The least error is observed at  $\lambda$  being  $2^{-10}$ . As  $\lambda$  is decreased, the time taken for executing stochastic gradient descent increases. The error for training data is the least because the  $\omega$  is calculated on this data.

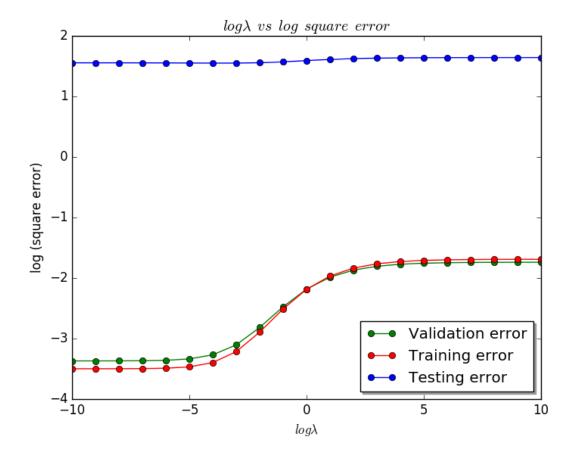


Figure 1: Error Graph