

Homework 2: Simulated Annealing

Results

This code was executed using Jupyter Notebook.

Hyperparameter selection

From different combinations of the Hyperparameters (T , T_{th} , α , Num_iter) the following conclusions are made:

- As we increase the Number of iterations (Num_iter) the time taken to execute the whole program increases.
- If we decrease α (decay rate) the time taken to run the program decrease but, the algorithm may not find the global minima of the cost function
- By increasing the α (decay rate) value the SA algorithm searches the design space thoroughly to get the min value.
- After trying a lot of combinations, one combination gave best results for me, which is for $T=100$, $T_{th}=0.1$, $\alpha=0.9$, $Num_Iter=100$. Hence, this combination of hyperparameters has been used to run the SA algorithm for all the three traffic patterns.

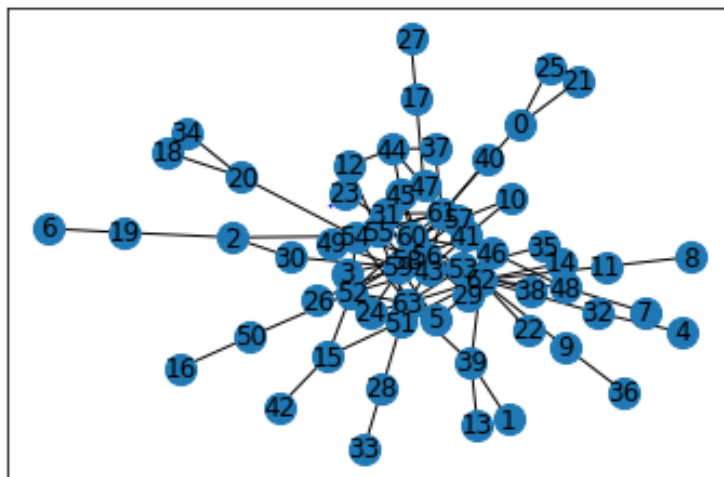
Challenges:

It took a lot of time to understand the question. Once I understood the problem, implementing the Perturbation function for the mesh was really hard most of the time the network was getting disconnected for me. Finally, the SA algorithm took a lot of time to run completely hence it was difficult for me to debug.

Output for Complement Traffic:

Tile placement vector:

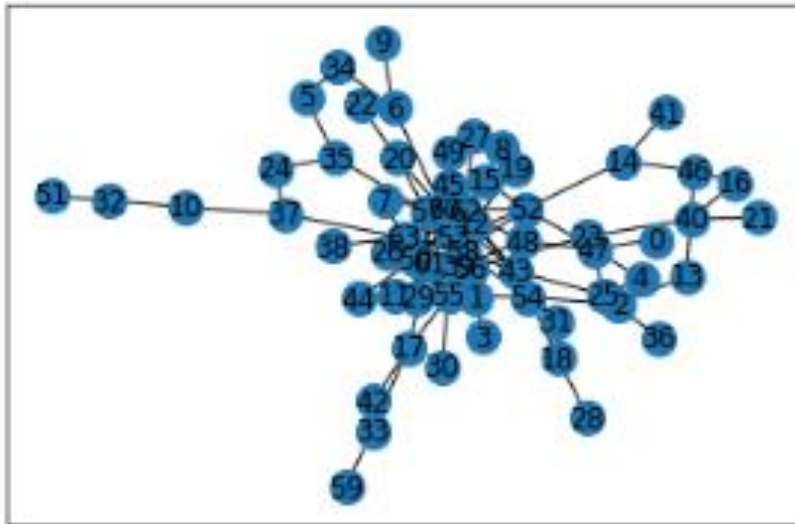
```
[11, 38, 15, 50, 21, 41, 36, 30, 44, 61, 5, 1, 12, 52, 27, 40, 51, 17, 18, 13, 60, 43, 22, 55, 20, 3, 45, 10, 28, 58, 49, 62, 25, 16, 9, 35, 3, 9, 63, 31, 53, 7, 19, 42, 48, 8, 34, 46, 47, 23, 57, 4, 14, 33, 37, 0, 2, 56, 32, 29, 26, 6, 54, 59, 24]
```



Output for uniform traffic dataset:

Tile placement vector :

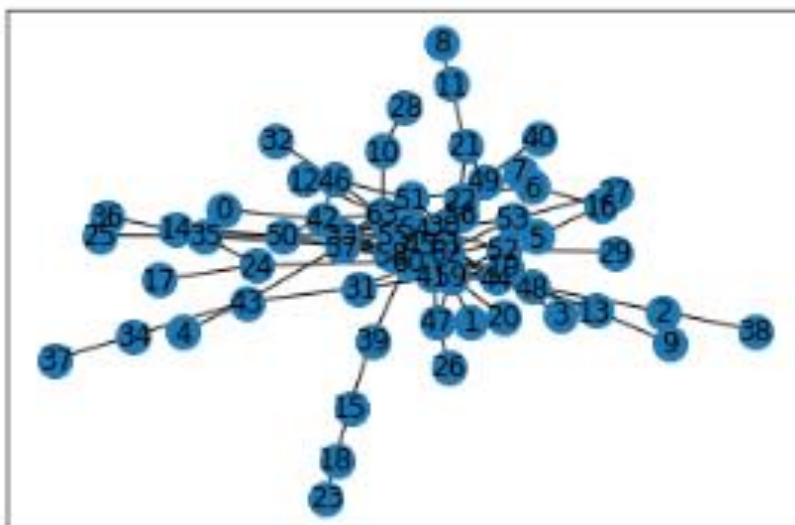
```
[8, 47, 32, 3, 4, 5, 25, 29, 0, 39, 23, 43, 14, 46, 13, 45, 16, 51, 24, 7, 60, 40, 35, 20, 17, 30, 26, 49, 28, 48, 21, 55, 12, 58, 34, 33, 36, 22, 11, 41, 19, 31, 42, 27, 50, 61, 18, 2, 10, 9, 37, 54, 63, 53, 62, 15, 56, 57, 6, 52, 44, 1, 38, 59]
```



Output for Random traffic dataset:

Tile placement vector :

```
[20, 10, 5, 3, 6, 12, 52, 63, 28, 34, 25, 46, 27, 62, 14, 47, 16, 36, 1, 19, 54, 43, 57, 58, 24, 60, 56, 61, 33, 41, 30, 48, 32, 4, 37, 31, 49, 15, 38, 39, 51, 44, 23, 26, 21, 0, 17, 55, 42, 2, 45, 35, 29, 53, 13, 50, 18, 59, 22, 9, 11, 40, 8, 7]
```



Traffic Data	Hyperparameters	Traffic weighted zero-load latency after SA	Traffic weight zero-Load latency before SA
Random	$T=500, T_{th}=0.1, \alpha=0.9, n_{Iteration}=100$	30846.946	42060.094
Uniform	$T=100, T_{th}=0.1, \alpha=0.9, n_{Iteration}=100$	24171.568	33315.391
Complement	$T=100, T_{th}=0.1, \alpha=0.9, n_{Iteration}=100$	6686.5813	9726.589

For Complement Traffic, zero-load latency for mesh configuration before annealing is 9726.5898 and it got reduced to 6686.5813 after the implementation of SA algorithm. We are able to reduce up to 31% reduction in latency.

For Random Traffic, zero-load latency for mesh configuration before annealing is 43422.867 and it got reduced to 30846.946 after the implementation of SA algorithm. We are able to achieve up to 27% reduction in latency.

For Uniform Traffic, zero-load latency for mesh configuration before annealing is 34384.452 and it got reduced to 24171.568 after the implementation of SA algorithm. We are able to achieve up to 26% reduction in latency.

We can see that the Traffic weighted zero-load latency is highest for random traffic dataset than all the other datasets and Traffic weighted zero-load latency is least for Complement traffic dataset

Adjacency matrices of all the three configurations are given as separate excel files with the submission.