

Holistic Specifications for Robust Code

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Holistic Specifications for Robust Code

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- New Zealand Marsden grants
- Ethereum Foundation
- Facebook
- Agoric
- copious “free time”



Holistic Specification Code



Ownership
types?

Encapsulation features are
mechanisms for robustness, but
what are the guarantees?

... WHAT should these
features guarantee?



Today

- Traditional Specifications do not adequately address Robustness
- Holistic Specifications — Summary and by Example
- Holistic Specification Semantics
- Trust and Obeys

Today

- **Traditional Specifications do not adequately address Robustness**
- Holistic Specifications — Summary and Examples
- Holistic Specification Semantics
- Trust and Obeys

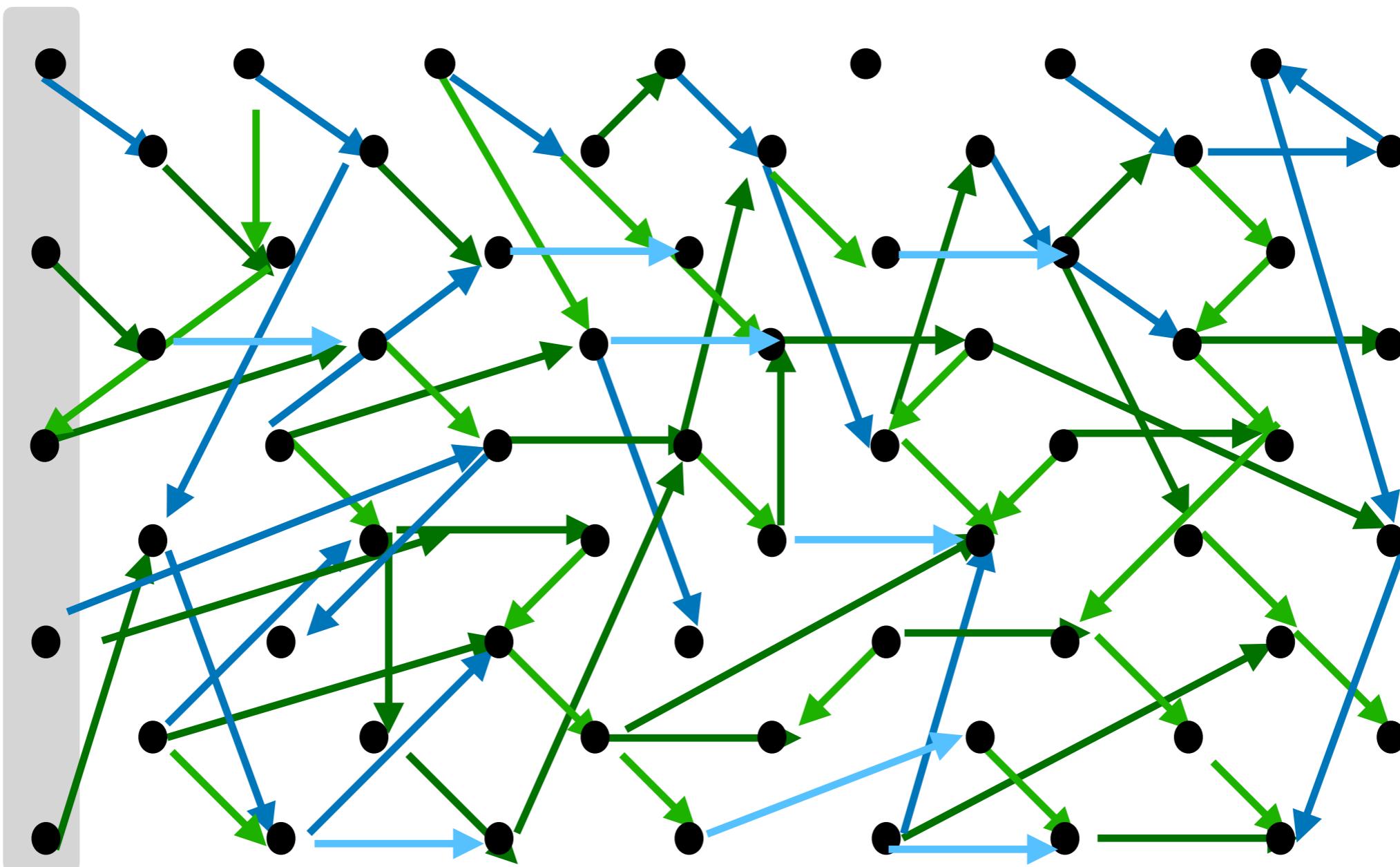
Traditional Specs

- *closed* world
- *sufficient* conditions for some action/effect
- talk of *individual* function

Robustness considerations

- *open* world
- *necessary* conditions for some action/effect
- *emergent* behaviour

traditional



An Example



```

class SafeOne{
    private fld secret;
    private fld treasure;

    mthd take(s) {
        if (s==secret)
        { t=treasure;
          treasure = null;
          return t; } }

    constr SafeOne(s,t) {
        secret=s; treasure = t; }
    }
}

```

```

class SafeTwo{
    private fld secret;
    private fld treasure;

    mthd take(s) {
        ... }

    constr SafeTwo(s,t) {
        ... }

    mthd set(s)
    { this.secret=s; }
}

```

```

class SafeThree{
    private fld secret;
    private fld treasure;

    mthd take(s) {
        ... }

    constr SafeThree(s,t) {
        ... }

    mthd set(s,sold)
    { if sold==secret then
      { this.secret=s; } }
}

```

SpecA:

```

{ true }
    sf.take(s)
{ s=sf.secret -> sf.treasurepost = null
  ^
  s≠sf.secret -> sf.treasurepre, sf.treasurepost }

```

traditional

traditional

SpecB: $\forall sf:Safe. [sf.secret_{pre} = sf.secret_{post}]$

$SafeOne \models SpecA$

SafeTwo $\models SpecA$

SafeTree $\models SpecA$

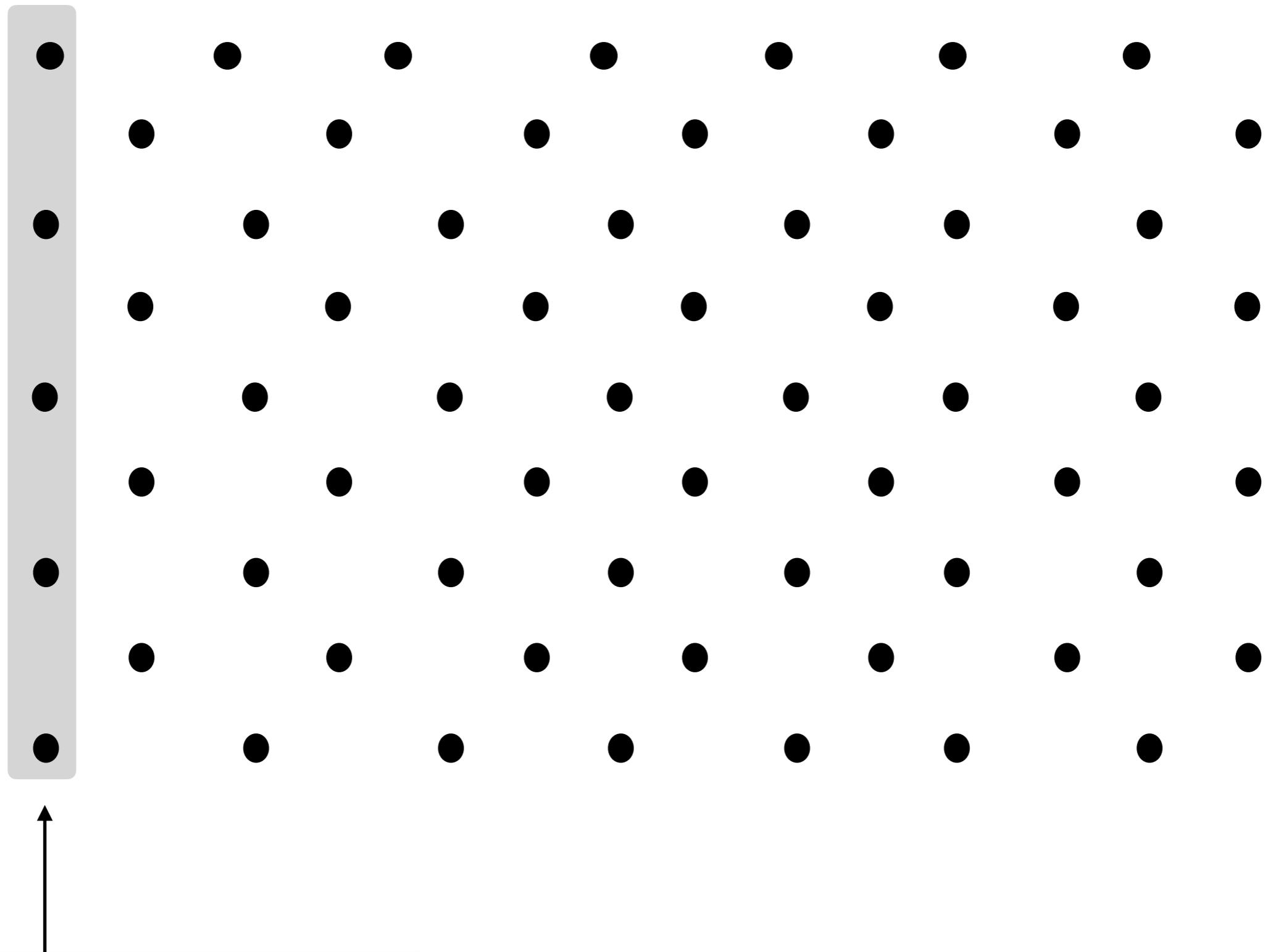
$SafeOne \models SpecB$

SafeTwo $\not\models SpecB$

SafeThree $\not\models SpecB$

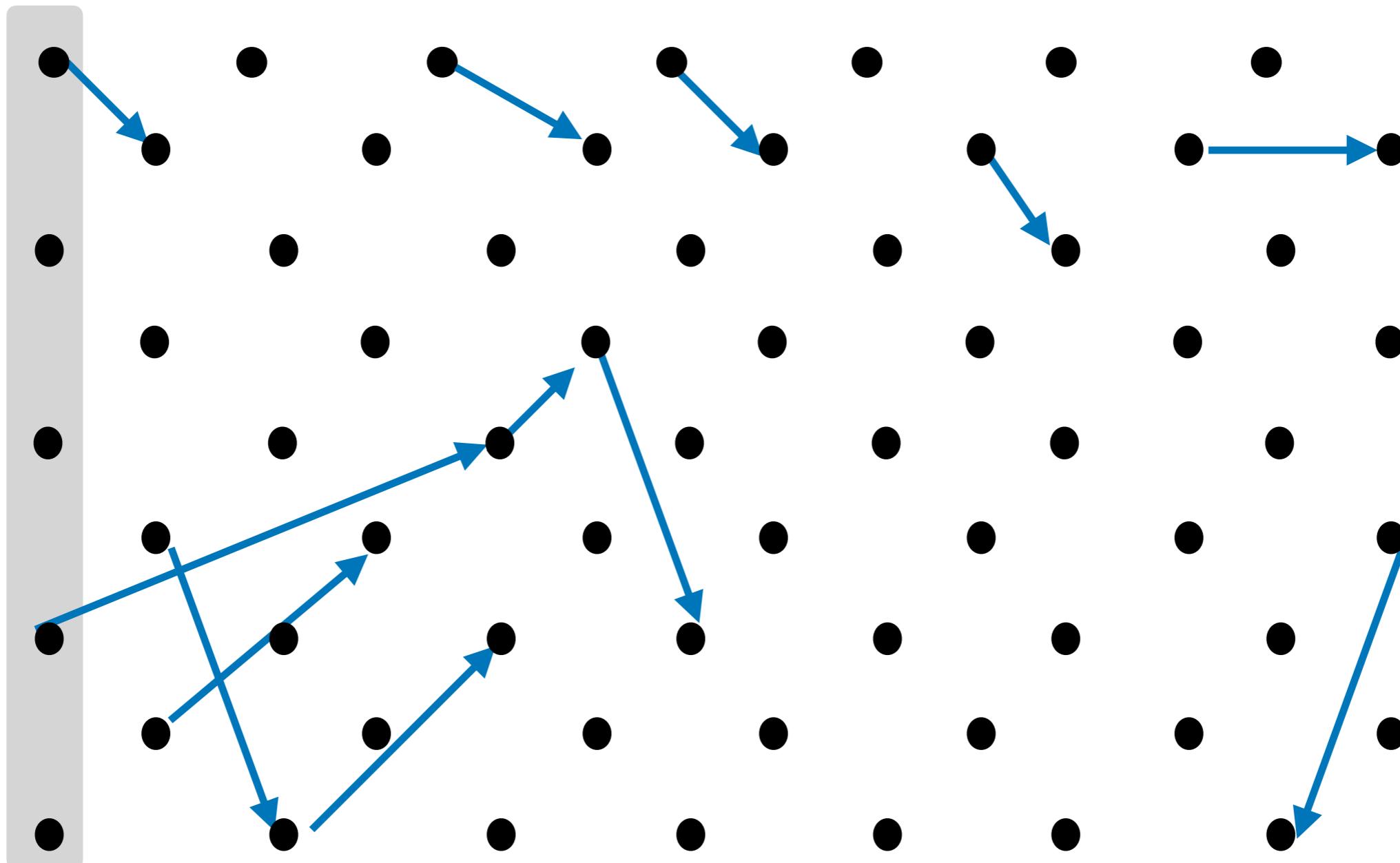
traditional specs do *not* express robustness!

State Space



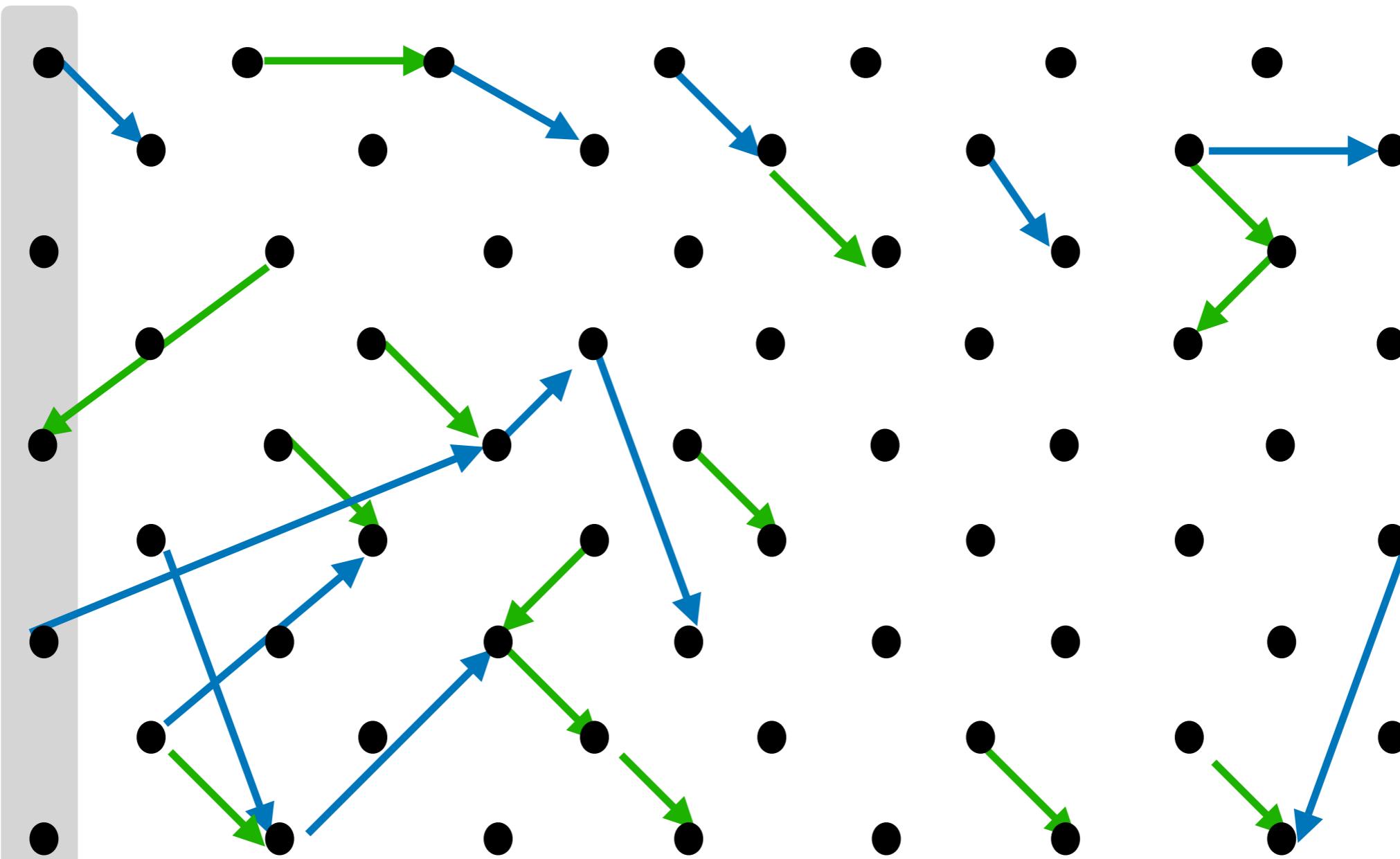
initial configurations

traditional



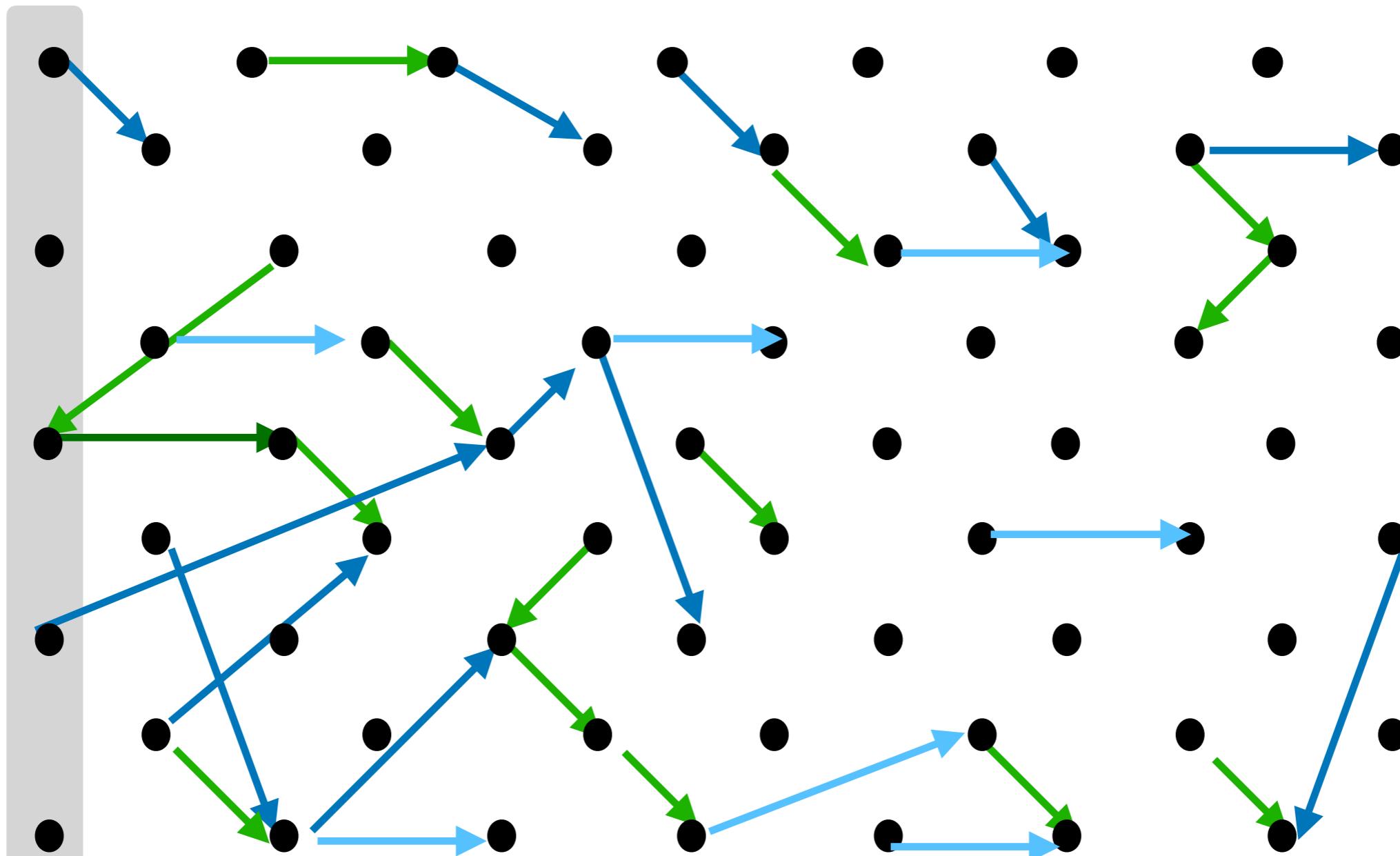
Sufficient Conditions func_1

Traditional



Sufficient Conditions `func_1` `func_2`

Traditional



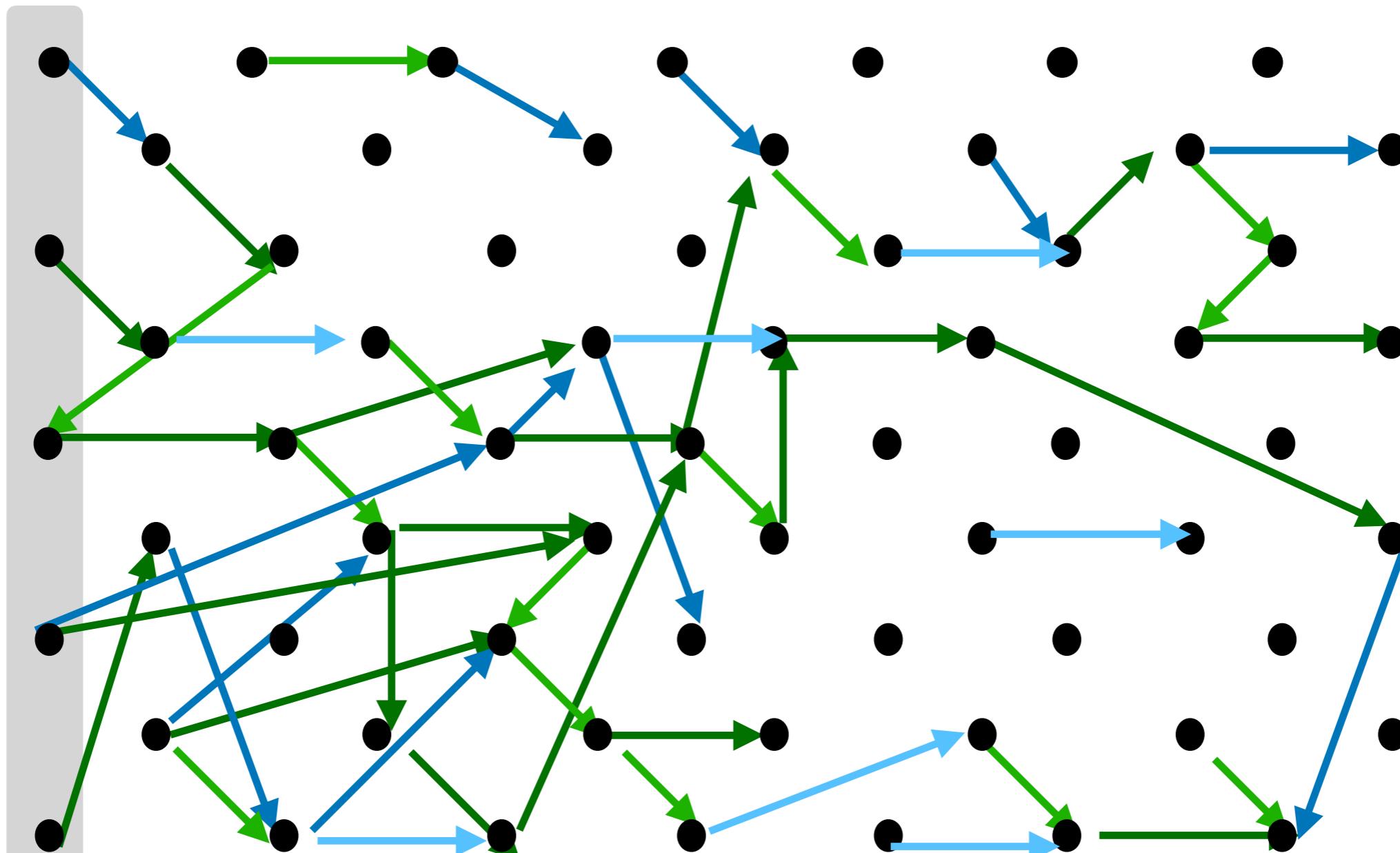
Sufficient Conditions

func_1

func_2

func_3

Traditional



Sufficient Conditions

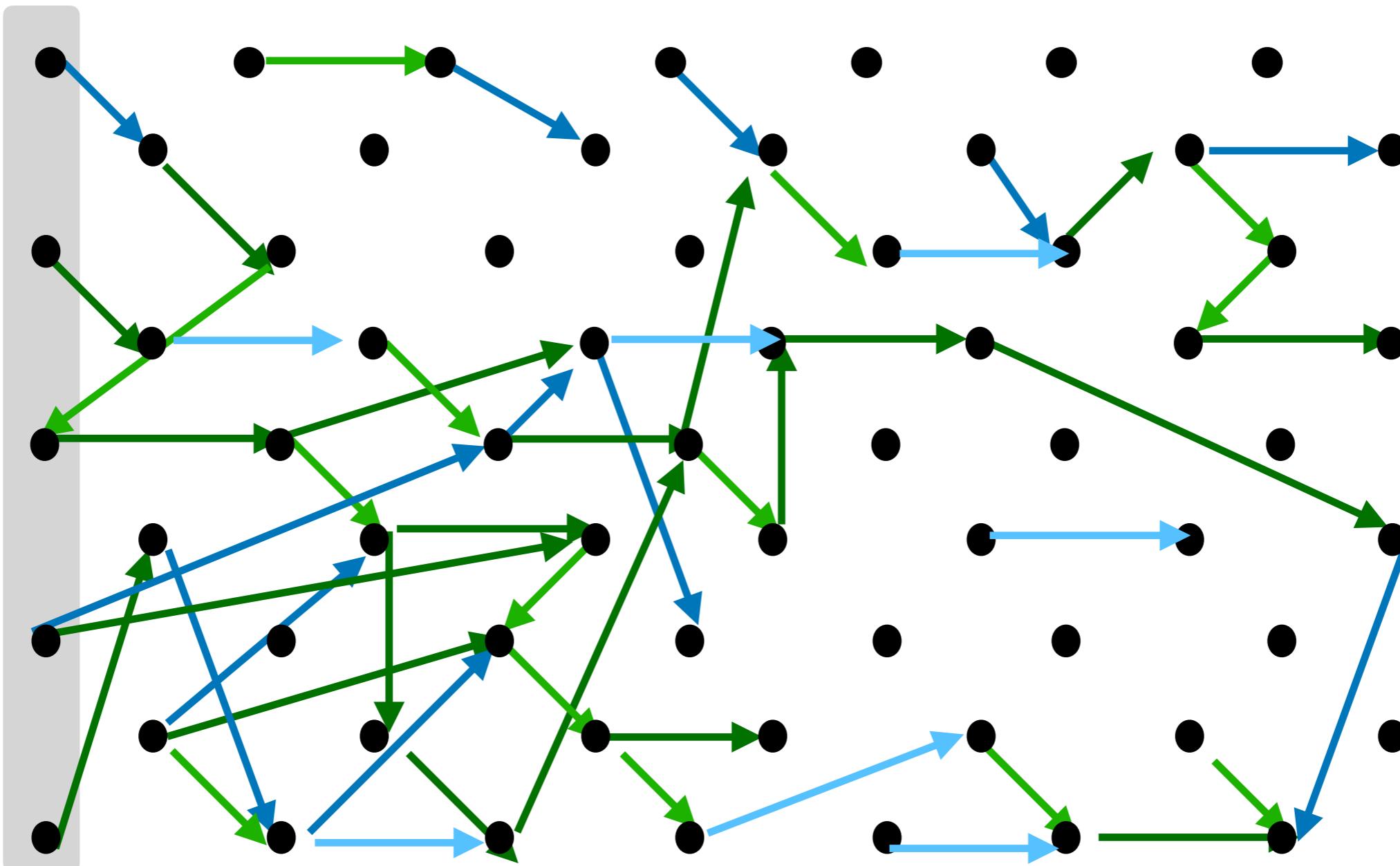
func_1

func_2

func_3

func_4

Traditional



Precise, and well-understood, but

- What about the emergent behaviour?
- How many functions' specs do I need to read to be use of guarantees?
- Which functions may I add to my module?

```

class SafeOne{
  private fld secret;
  private fld treasure;

  mthd take(s) {
    if (s==secret)
    { t=treasure;
      treasure = null;
      return t; } }

  constr SafeOne(s,t) {
    secret=s; treasure = t; }

}

```

```

class SafeTwo{
  private fld secret;
  private fld treasure;

  mthd take(s) {
    ... }

  constr SafeTwo(s,t) {
    ... }

  mthd set(s)
  { this.secret=s; }

}

```

```

class SafeThree{
  private fld secret;
  private fld treasure;

  mthd take(s) {
    ... }

  constr SafeThree(s,t) {
    ... }

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  { if sold==secret then
    { this.secret=s; } }

}

```

SpecA:

```

{ true }
  sf.take(s)
{ s=sf.secret -> sf.treasurepost = null
  ^
  s≠sf.secret -> sf.treasurepost = sf.treasurepre }

```

SafeOne \models SpecA
SafeTwo \models SpecA
SafeThree \models SpecA

SpecB: $\forall sf:Safe. [sf.secret_{pre} = sf.secret_{post}]$

holistic

SafeOne \models SpecB
SafeTwo $\not\models$ SpecB
SafeThree $\not\models$ SpecB

Want to assert that unless you know the password,
you cannot take treasure, no matter how many functions you use!

SafeOne \models SpecC
SafeTwo $\not\models$ SpecC
SafeThree \models SpecC

```

class SafeOne{
  private fld secret;
  private fld treasure;

  mthd take(s) {
    if (s==secret)
    { t=treasure;
      treasure = null;
      return t; } }

  constr SafeOne(s,t) {
    secret=s; treasure = t; }

}

```

```

class SafeTwo{
  private fld secret;
  private fld treasure;

  mthd take(s) {
    ... }

  constr SafeTwo(s,t) {
    ... }

  mthd set(s)
  { this.secret=s; }

}

```

```

class SafeThree{
  private fld secret;
  private fld treasure;

  mthd take(s) {
    ... }

  constr SafeThree(s,t) {
    ... }

  mthd set(s,sold)
  { if sold==secret then
    { this.secret=s; } }

}

```

SpecA:

```

{ true }
  sf.take(s)
{ s=sf.secret -> sf.treasurepost = null
  ^
  s≠sf.secret -> sf.treasurepost = sf.treasurepre }

```

SafeOne ⊨ SpecA
SafeTwo ⊨ SpecA
SafeThree ⊨ SpecA

SafeOne ⊨ SpecB

SafeTwo # SpecB

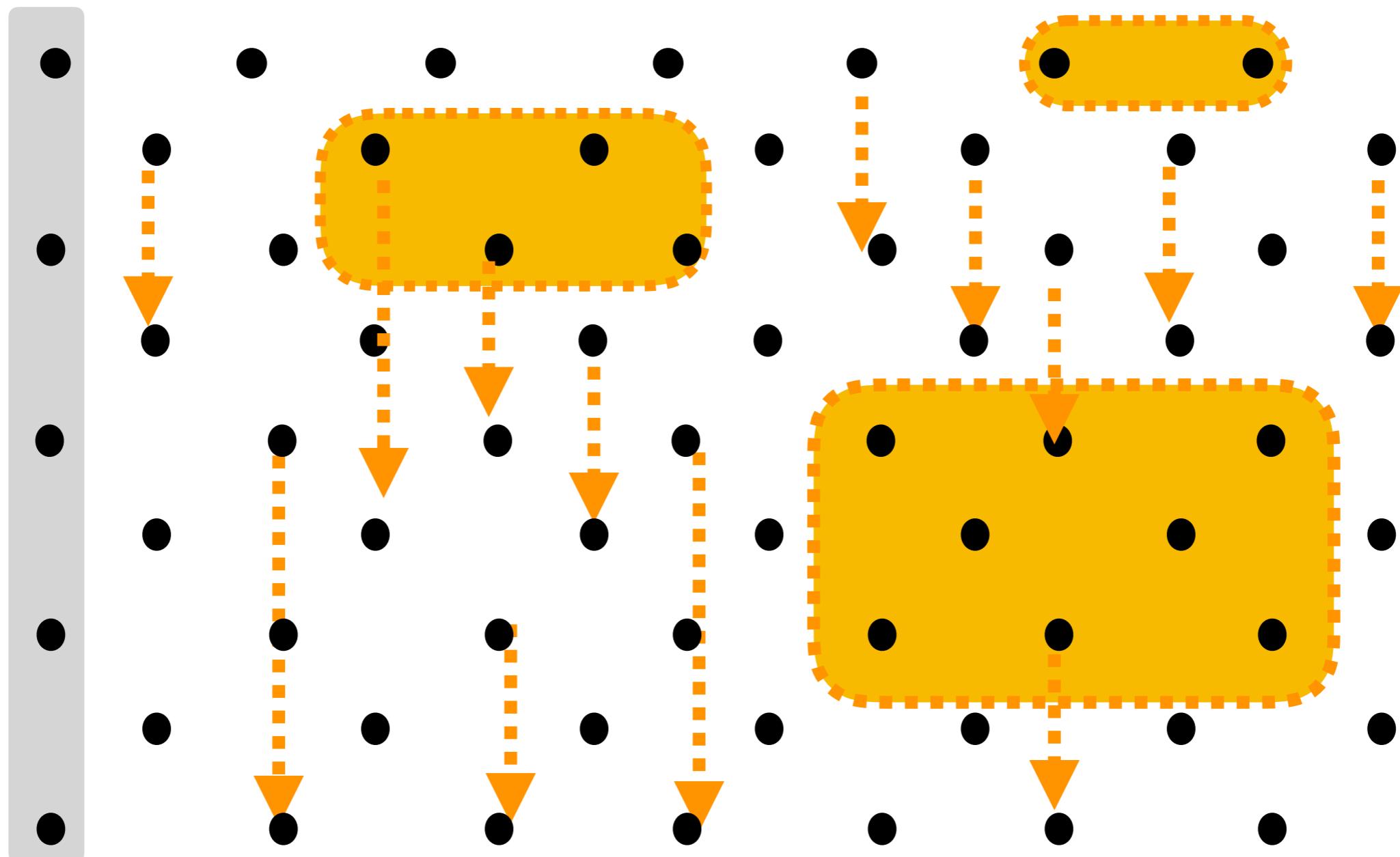
SafeThree # SpecB

SpecB: $\forall sf:Safe. [sf.secret_{pre} = sf.secret_{post}]$

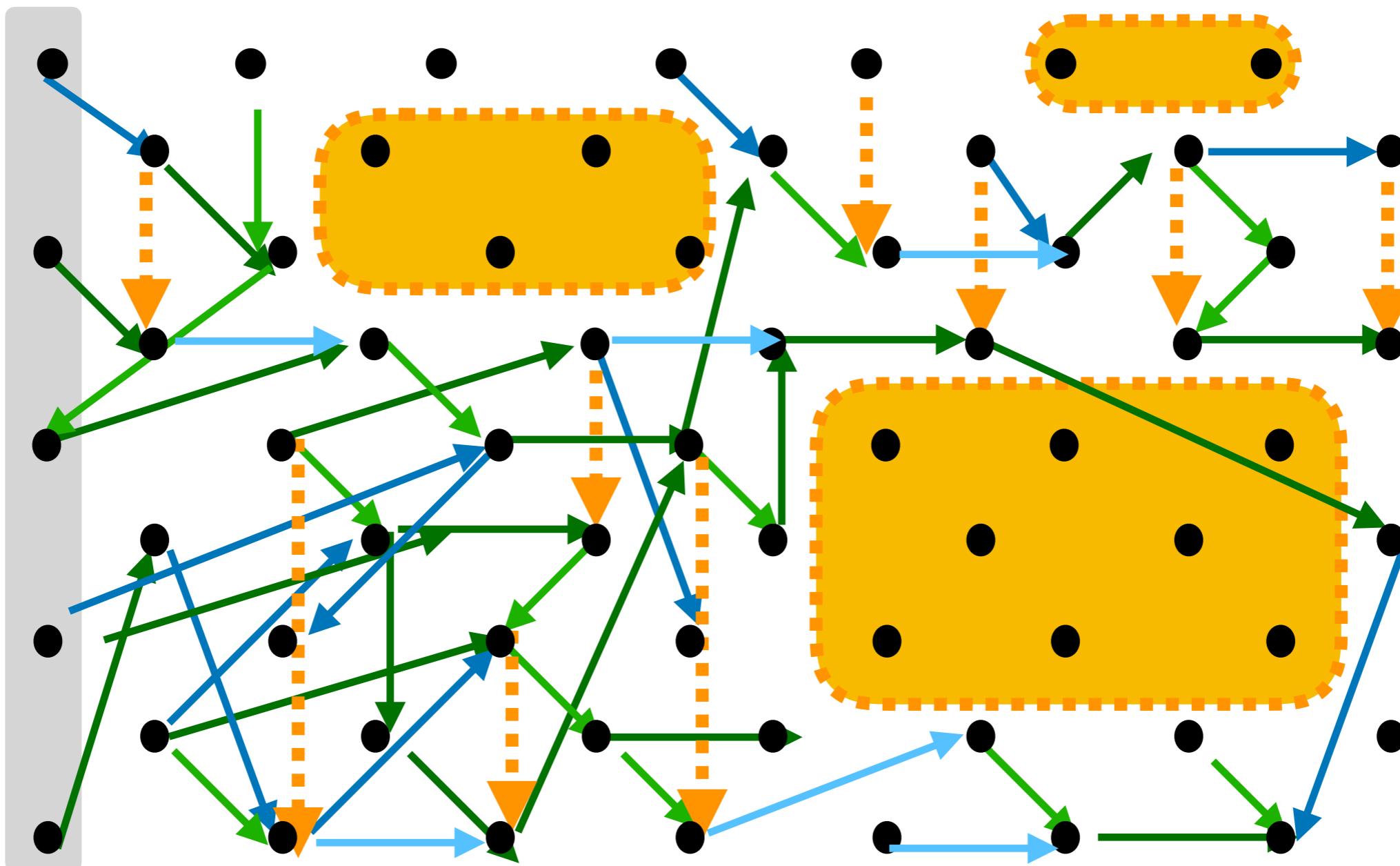
SpecC: $\forall sf:Safe. [\langle \mathbf{will<Changes<} sf.treasure \rangle \rightarrow \exists o. [\mathbf{External}^{<o>} \wedge \langle o \mathbf{Access} sf.secret \rangle]$

SafeOne ⊨ SpecC
SafeTwo # SpecC
SafeThree ⊨ SpecC

holistic



traditional + holistic



Traditional Specs

- *closed* world
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- talk of *individual* function

Robustness considerations

- *open* world
- *necessary* conditions for some action/effect
- *emergent* behaviour

Today

- Traditional Specifications do not adequately address Robustness
- **Holistic Specifications — Summary Examples**
- Holistic Specification Semantics

Holistic Assertions – summary

$e ::= \text{this} \mid x \mid e.\text{fld} \quad \mid \dots$

$A ::= e>e \quad \mid \quad e=e \quad \mid \dots$

$\mid A \rightarrow A \mid A \wedge A \mid \exists x. A \quad \mid \dots$

$\mid \text{Access}(e,e')$ permission

$\mid \text{Changes}(e)$ authority

$\mid \text{Will}(A) \mid \text{Was}(A) \mid \text{Prev}(A) \mid \text{Next}(A)$ time

$\mid A \text{ in } S \mid \text{External}(e)$ space

$\mid x.\text{Calls}(y,m,z_1,\dots,z_n)$ control

$\mid x \text{ obeys } A$ trust

Holistic Assertions – examples

- ERC20
- [DAO]
- DOM attenuation
- [Bank & Account]
- Escrow

Example1: ERC20

a popular standard for initial coin offerings;

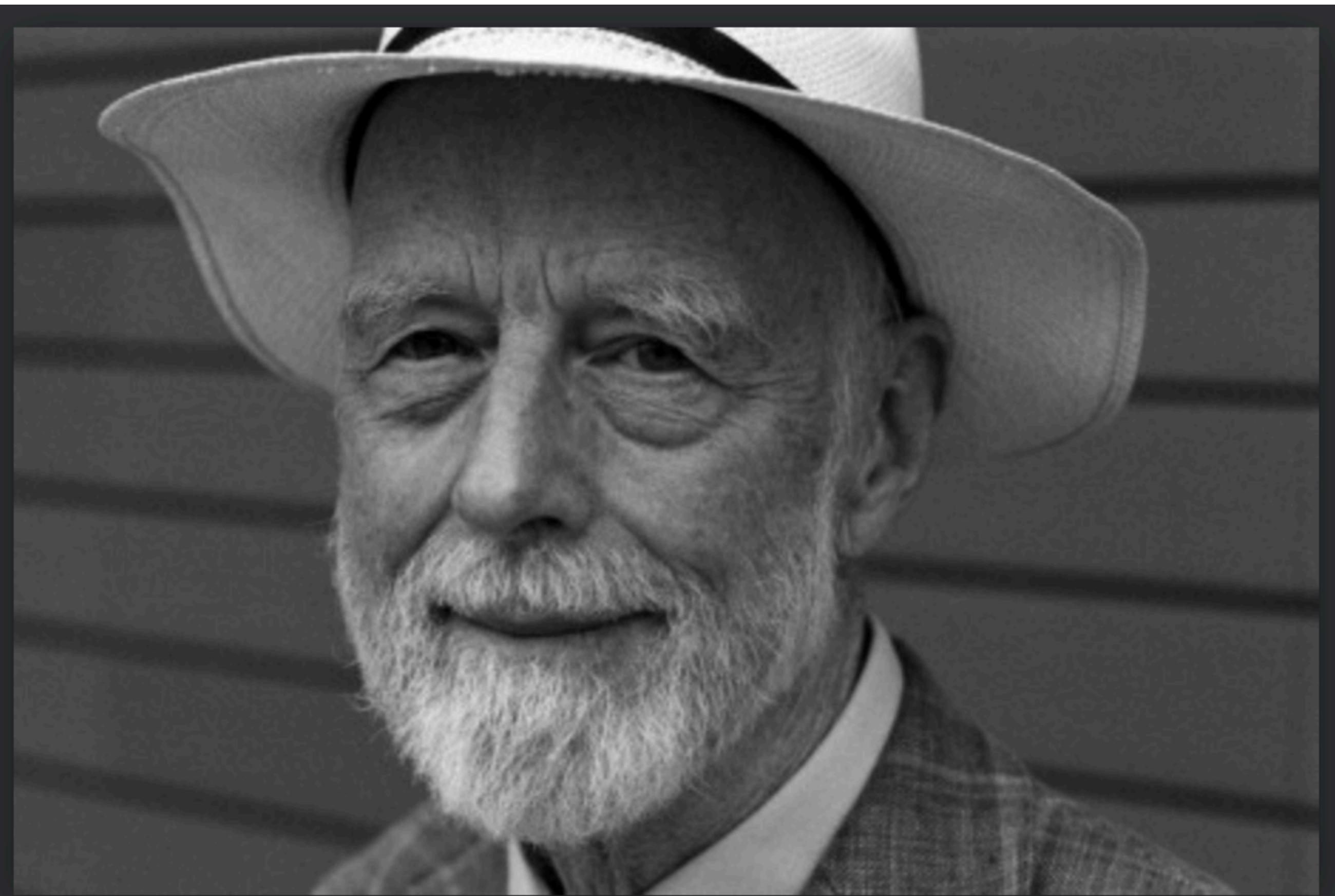
clients can buy and transfer tokens, and can designate other clients to transfer on their behalf.

In particular, a client may call

- transfer: transfer some of her tokens to another clients,
- approve: authorise another client to transfer some of her tokens on her behalf.
- transferFrom: cause another client's tokens to be transferred

Moreover, ERC20 keeps for each client

- balance the number of tokens she owns



ERC20 classical spec - transfer

For any ERC20 contract e , and different clients c_1, c_2 .

c_1 's balance is larger than m .

{ c_1 calls $e.\text{transfer}(c_2, m)$ }

c_1 's balance decreases by m , and c_2 's balance increases by m .

$e:\text{ERC20} \wedge \text{this} = c_1 \neq c_2 \wedge e.\text{balance}(c_1) > m$

{ $e.\text{transfer}(c_2, m)$ }

$e.\text{balance}(c_1) = e.\text{balance}(c_1)_{\text{pre}} - m \wedge e.\text{balance}(c_2) = e.\text{balance}(c_2)_{\text{pre}} + m$

sufficient condition

effect

holistic spec - reduce balance

$\forall e:\text{ERC20}. \forall c1:\text{Client}. \forall m:\text{Nat}.$

[$e.\text{balance}(c1) = \text{Prev}(e.\text{balance}(c1)) - m$

($\exists c2, c3: \text{Client}.$

$\text{Prev}(\ c1.\text{Calls}(e, \text{transfer}, c2, m) \)$

\vee

$\text{Prev}(\ e.\text{Authorized}(c1, c2, m) \wedge$
 $c2.\text{Calls}(e, \text{transferFrom}, c1, c3, m) \) \]$

effect

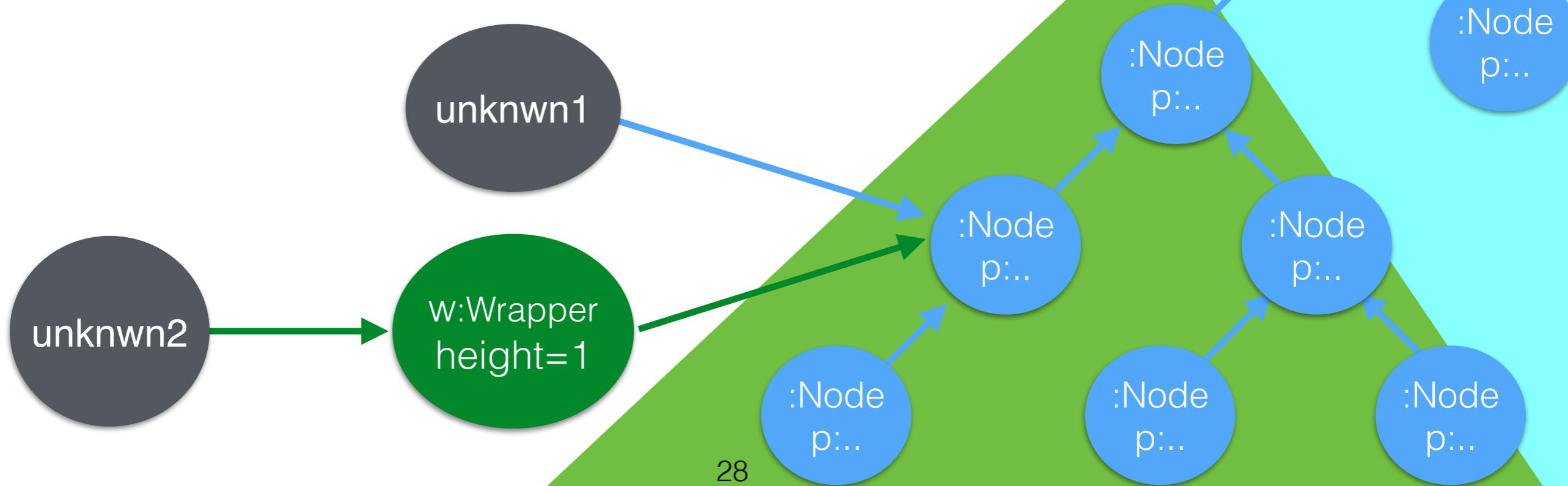
necessary
condition

A client's balance decreases *only if* that client, or somebody authorised by that client, made a payment.

Example 3: DOM attenuation

Access to any Node gives access to **complete** tree

Wrappers have a height;
Access to Wrapper w allows modification of
Nodes under the $w.height$ -th parent
and nothing else



DOM attenuation

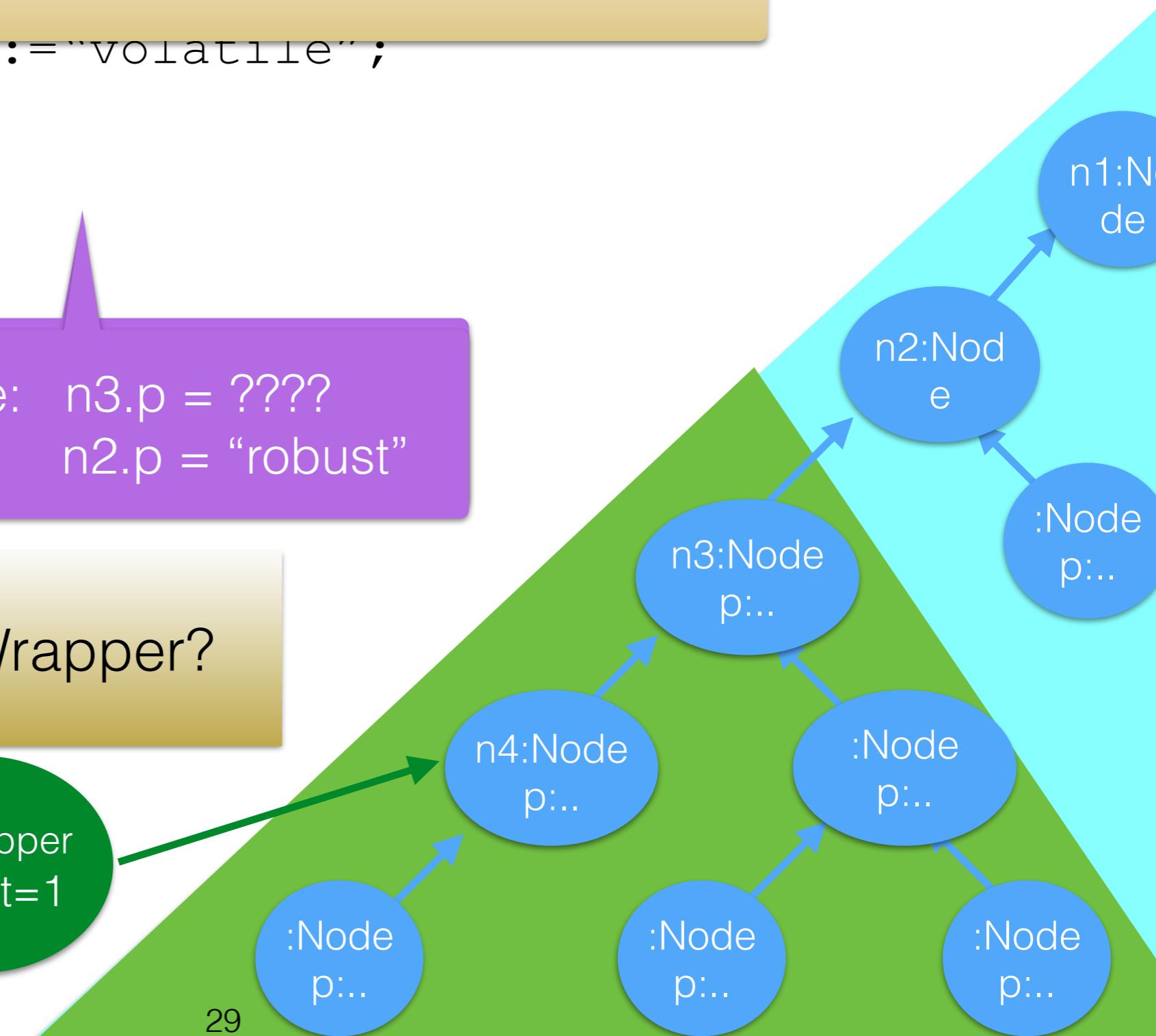
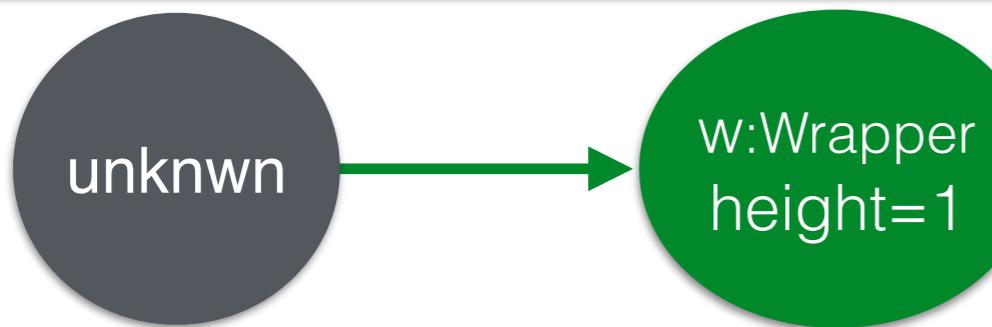
```
function mm(unknwn)
  n1:=Node (...); n2:=
  n2.p:="robust"; s.p:="volatile";
  w=Wrapper(n4,1);
  unknwn.untrusted(w);
  ...
  ...
```

open world

:=Node (n3, ...);

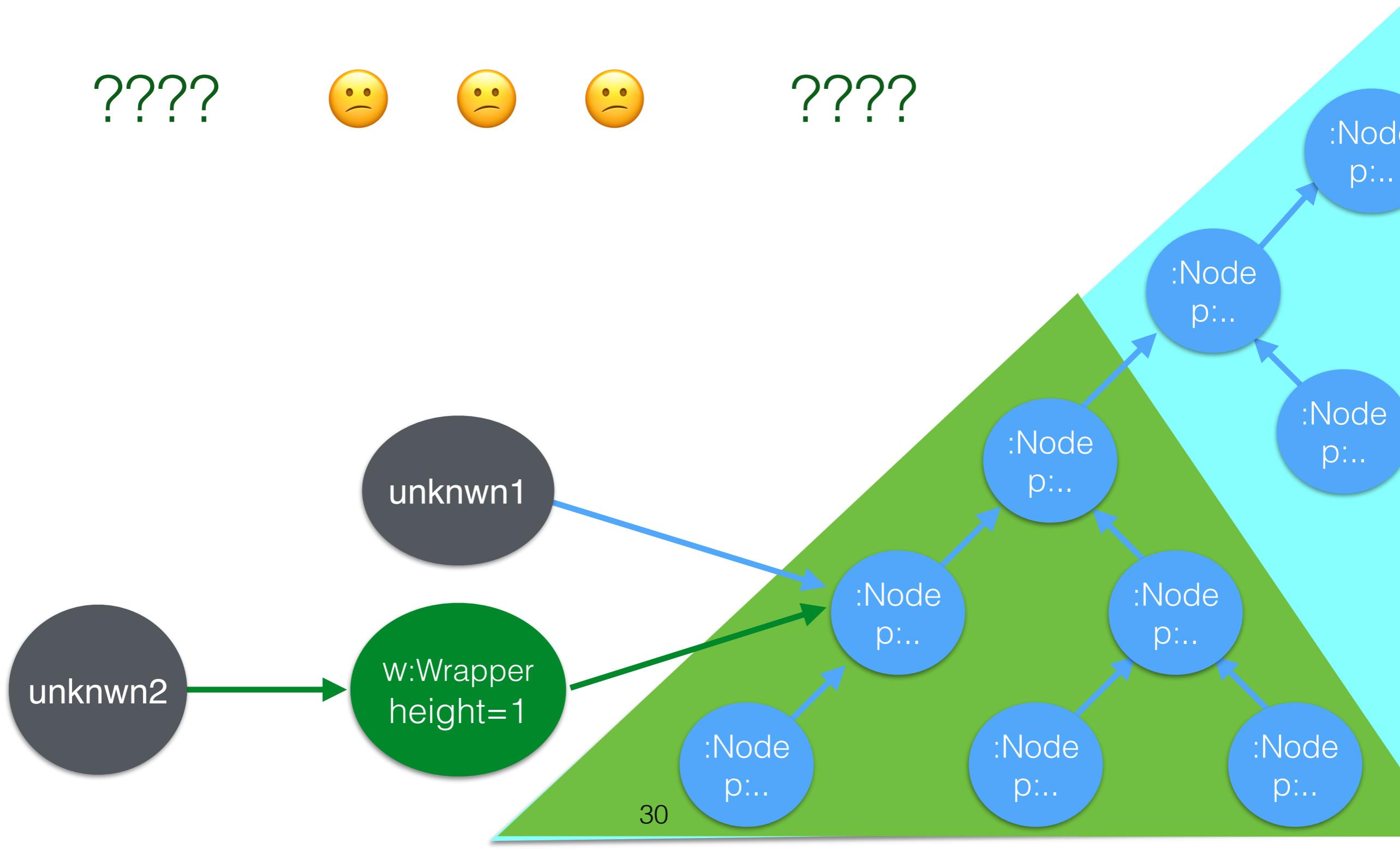
Here: n3.p = ???
n2.p = "robust"

How do we specify Wrapper?



classical

Access to Wrapper w allows modification of Nodes under the $w.height$ -th parent and nothing else



holistic

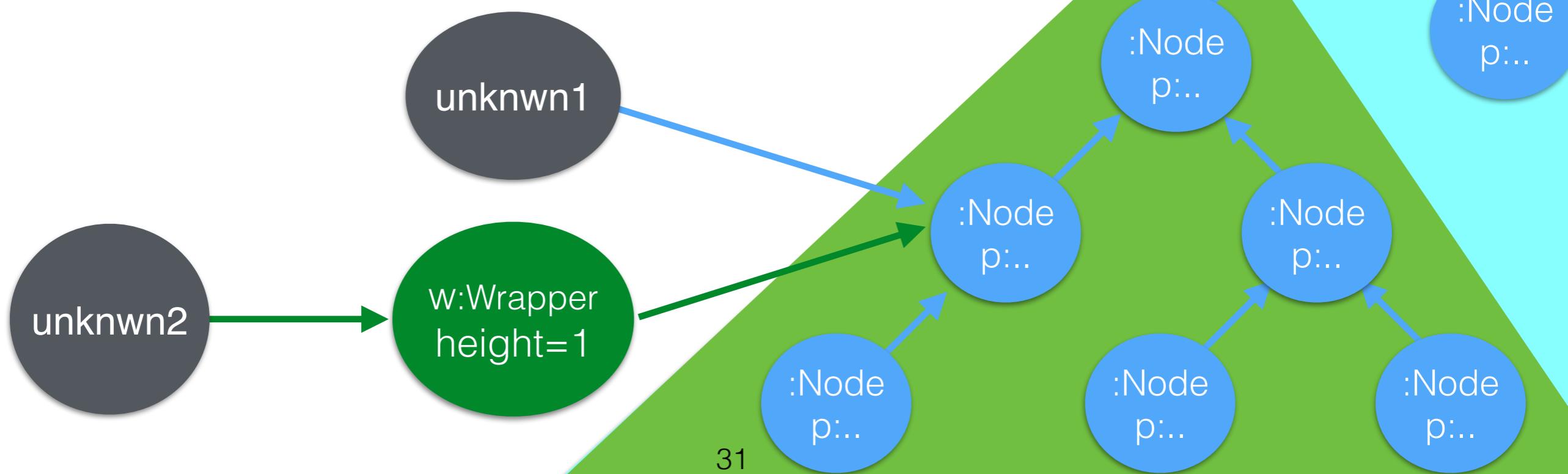
If

a node nd is “outside” set S

then

any execution involving no more than S does *not* modify $nd.p$

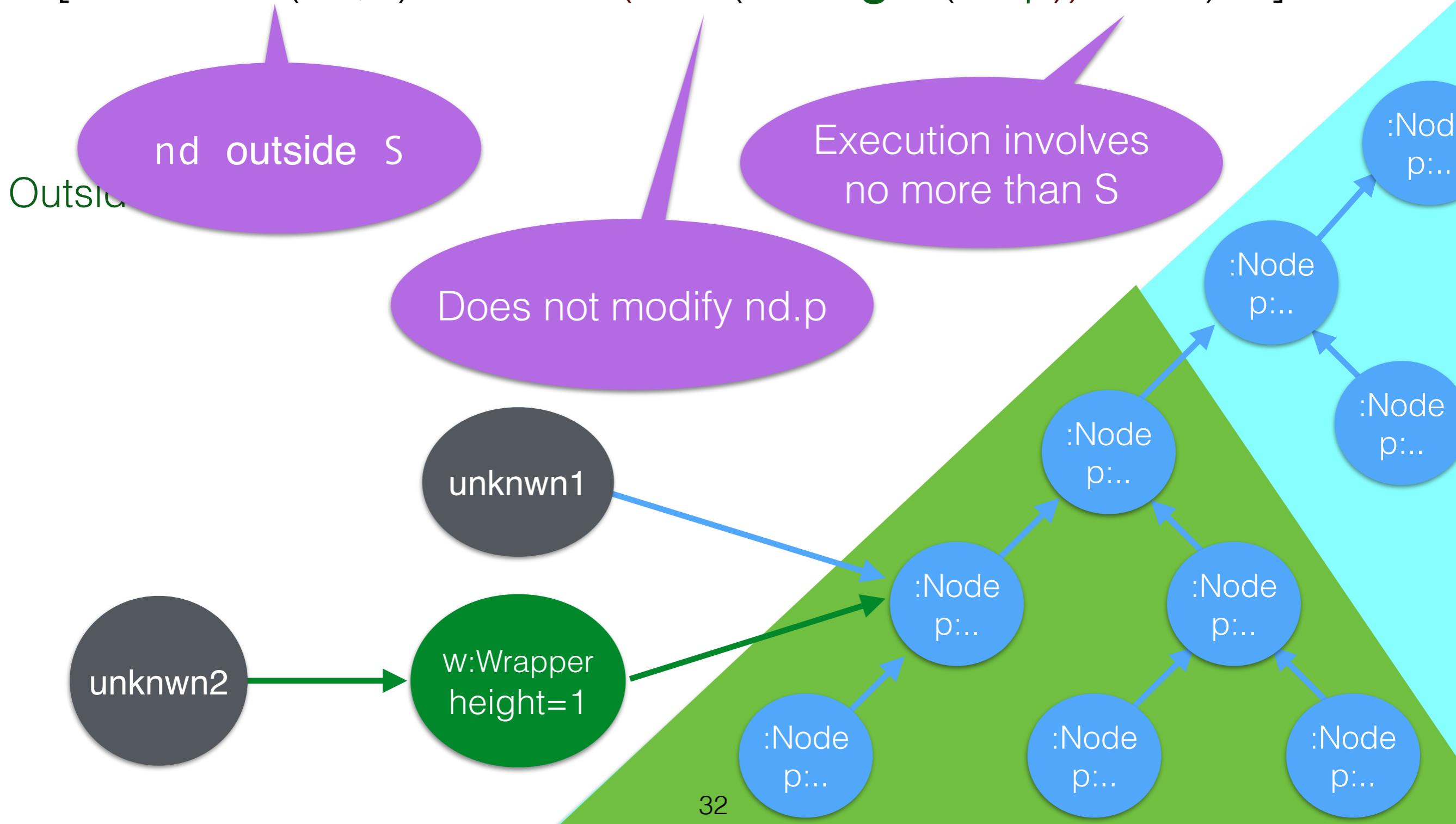
$\text{Outside}(nd, S)$ iff



holistic

$\forall S: \text{Set}, \forall nd:\text{Node}.$

[$\text{Outside}(nd, S) \rightarrow \neg (\text{WillChanges}(nd.p)) \text{ in } S$]



holistic

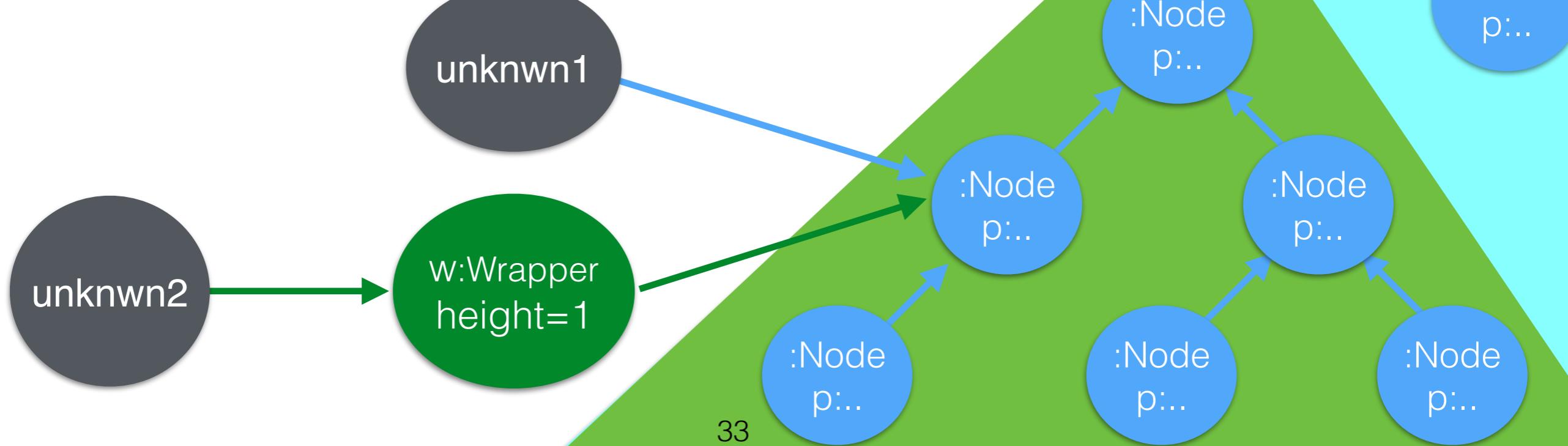
$\forall S: \text{Set. } \forall nd:\text{Node.}$

[Outside(nd,S) \rightarrow $\neg (\text{Will(Changes}(nd.p)) \text{ in } S)$]

Outside(nd,S) iff $\forall o \in S. \forall \text{path}$

[$o.\text{path} = nd \rightarrow$
 [$o:\text{Node} \vee$
 $\exists \text{path}', fs. (\text{path} = \text{path}'.fs \wedge o.\text{path}' : \text{Wrapper} \wedge$
 $\text{Distance}(o.\text{path}', nd) > o.\text{path}'.\text{height})]$]

$\text{Distance}(nd, nd') = \min\{ k \mid nd.\text{parent}^k = nd'.\text{parent}^j \}$

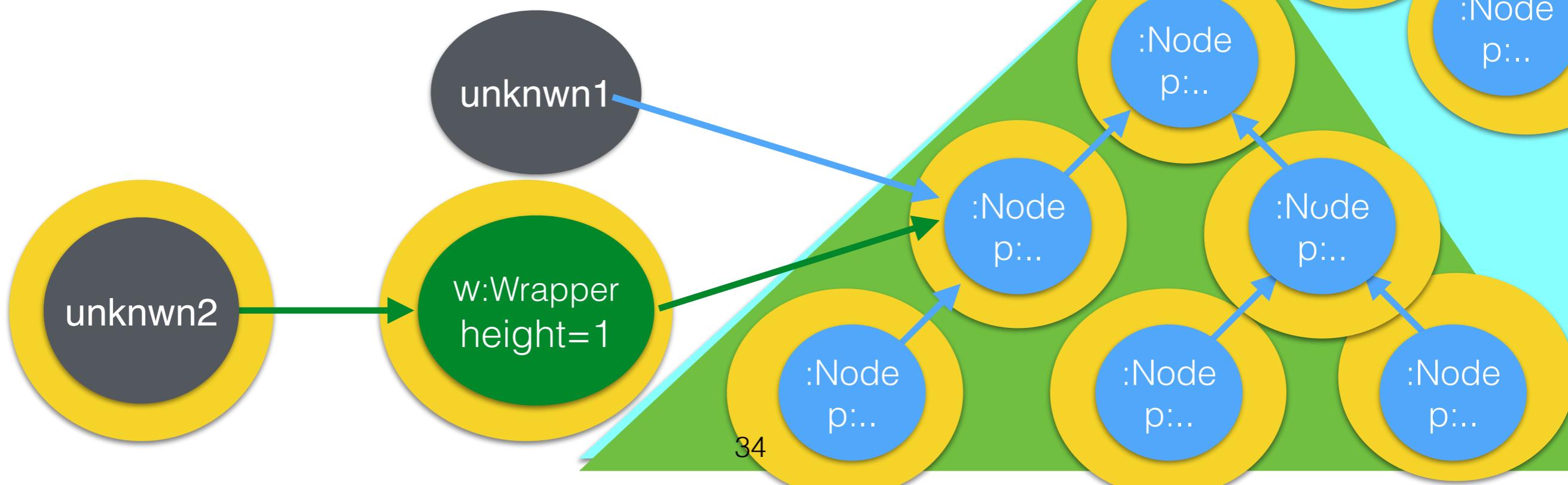


Outside(**RedNode**, **YellowSet**)

Outside(nd,S) iff $\forall o \in S. \forall \text{path}$

[$o.\text{path} = \text{nd} \rightarrow$
[$o:\text{Node} \vee$
 $\exists \text{path}', \text{fs}. (\text{path} = \text{path}'.\text{fs} \wedge o.\text{path}' : \text{Wrapper} \wedge$
 $\text{Distance}(o.\text{path}', \text{nd}) > o.\text{path}'.\text{height})]]$

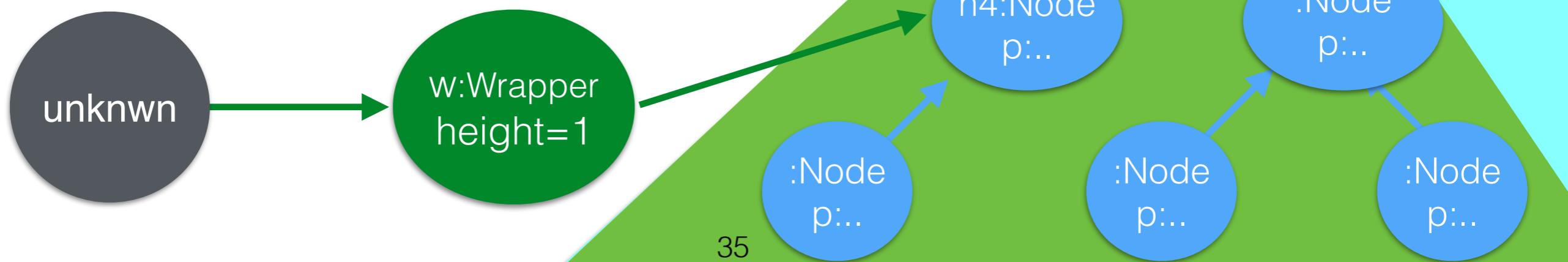
$\text{Distance}(\text{nd}, \text{nd}') = \min\{ k \mid \text{nd}.\text{parent}^k = \text{nd}'.\text{parent}^j \}$



using holistic spec

```
function mm(unknwn) {  
    n1:=Node (...); n2:=Node (n1, ...); n3:=Node (n2, ...); n4:=Node (n3, ...);  
    n2.p:="robust"; n3.p:="volatile";  
    w=Wrapper (n4, 1);  
    unknwn.untrusted (w);  
    ...  
}
```

With holistic spec we can show
that despite the call to unknown object,
at this point:
 $n2.p = "robust"$



Today

- Traditional Specifications do not adequately address Robustness
- Holistic Specifications — Summary and by Example
- **Holistic Specification Semantics**

Chainmail

Swapsies on the Internet

First Steps towards Reasoning about Risk and Trust in an Open World

Sophia Drossopoulou¹, James Noble², Mark S. Miller³

¹Imperial College London, ²Victoria University Wellington, ³Google Inc.

How to Break the Bank: Semantics of Capability Policies

Sophia Drossopoulou¹ and James Noble²

¹ Imperial College London s.drossopoulou@imperial.ac.uk

² Victoria University of Wellington k.jx@ecs.vuw.ac.nz

Holistic Specifications for Robust Programs

Sophia Drossopoulou¹[0000-1111-2222-3333], James Noble²[0000-1111-2222-3333], Julian Mackay²[0000-1111-2222-3333], and Susan Eisenbach¹[0000-1111-2222-3333]

¹ Imperial College London {scd, susan}@springer.com

² Victoria University of Wellington {julian.mackay, k.jx}@ecs.vuw.ac.nz

Abstract Functional specifications describe what program components *can* do: the *sufficient* conditions to invoke a component's operations. They allow us to reason about the use of components in the *closed world* setting, where the component interacts with known client code, and where the client code must establish the appropriate pre-conditions before calling into the component.

Sufficient conditions are not enough to reason about the use of components in the *open world* setting, where the component interacts with external code, possibly of unknown provenance, and where the component itself may evolve over time. In this open world setting, we must also consider the *necessary* conditions,



Loo syntax

```
ClassDescr ::= class ClassId { ( FieldDecl )* ( MethDecl )* ( GhosDecl )* }
```

```
FieldDecl ::= field f
```

```
MethDecl ::= method m( x* ) { Stmts }
```

```
Stmts ::= Stmt | Stmt ; Stmts
```

```
Stmt ::= x.f := x | x := x.f | x := x.m( x* ) | x := new C( x* ) | return x
```

```
GhostDecl ::= ghost f( x* ) { e }
```

```
e ::= true | false | null | x | e=e | if e then e else e | e.f( e* )
```

```
x, f, m ::= Identifier
```

Giving meaning to holistic Assertions

We define in a “conventional” way (omit from slides):

module $M : \text{Ident} \rightarrow \text{ClassDef} \cup \text{PredicateDef} \cup \text{FunctionDef}$
configuration $\sigma : \text{Heap} \times \text{Stack} \times \text{Code}$
execution $M, \sigma \rightsquigarrow \sigma'$

Define module concatenation $*$ so that

M^*M' undefined, iff $\text{dom}(M) \cap \text{dom}(M') \neq \emptyset$

otherwise

$(M^*M')(id) = M(id)$ if $M'(id)$ undefined, else $M'(id)$

We can also define

- $M^*M' = M_1^*M_2 \models A$
- $(M_1^*M_2)^*M_3 \models \text{Initial}(M_1) \wedge \text{Final}(M_2) \wedge \text{Missing}(M_3)$
- $M, \sigma \rightsquigarrow \sigma' \models M^*M' \text{ defined} \longrightarrow M^*M', \sigma \rightsquigarrow \sigma'$

Giving meaning to holistic Assertions

We define in a “conventional” way (omit from slides):

module $M : \text{Ident} \rightarrow \text{ClassDef} \cup \text{PredicateDef} \cup \text{FunctionDef}$
configuration $\sigma : \text{Heap} \times \text{Stack} \times \text{Code}$
execution $M, \sigma \rightsquigarrow \sigma'$

Define module concatenation $*$ so that

M^*M' undefined, iff $\text{dom}(M) \cap \text{dom}(M') \neq \emptyset$

otherwise

$(M^*M')(id) = M(id)$ if $M'(id)$ undefined, else $M'(id)$

We will define $M, \sigma \models A$

$\text{Initial}(\sigma)$ and $\text{Arising}(M)$

$M \models A$

Holistic Assertions – summary

$e ::= \text{this} \mid x \mid e.\text{fld} \mid \dots$

$A ::= e>e \mid e=e \mid \dots$
 $\mid A \rightarrow A \mid A \wedge A \mid \exists x. A \mid \dots$

| **Access**(e, e') permission

| **Changes**(e) authority

| **Will**(A) | **Was**(A) time

| **A in S** | **External**(e) space

| $x.\text{Call}(y, m, z_1, \dots, z_n)$ control

| $x \text{ obeys } A$ trust

Semantics of Holistic Assertions

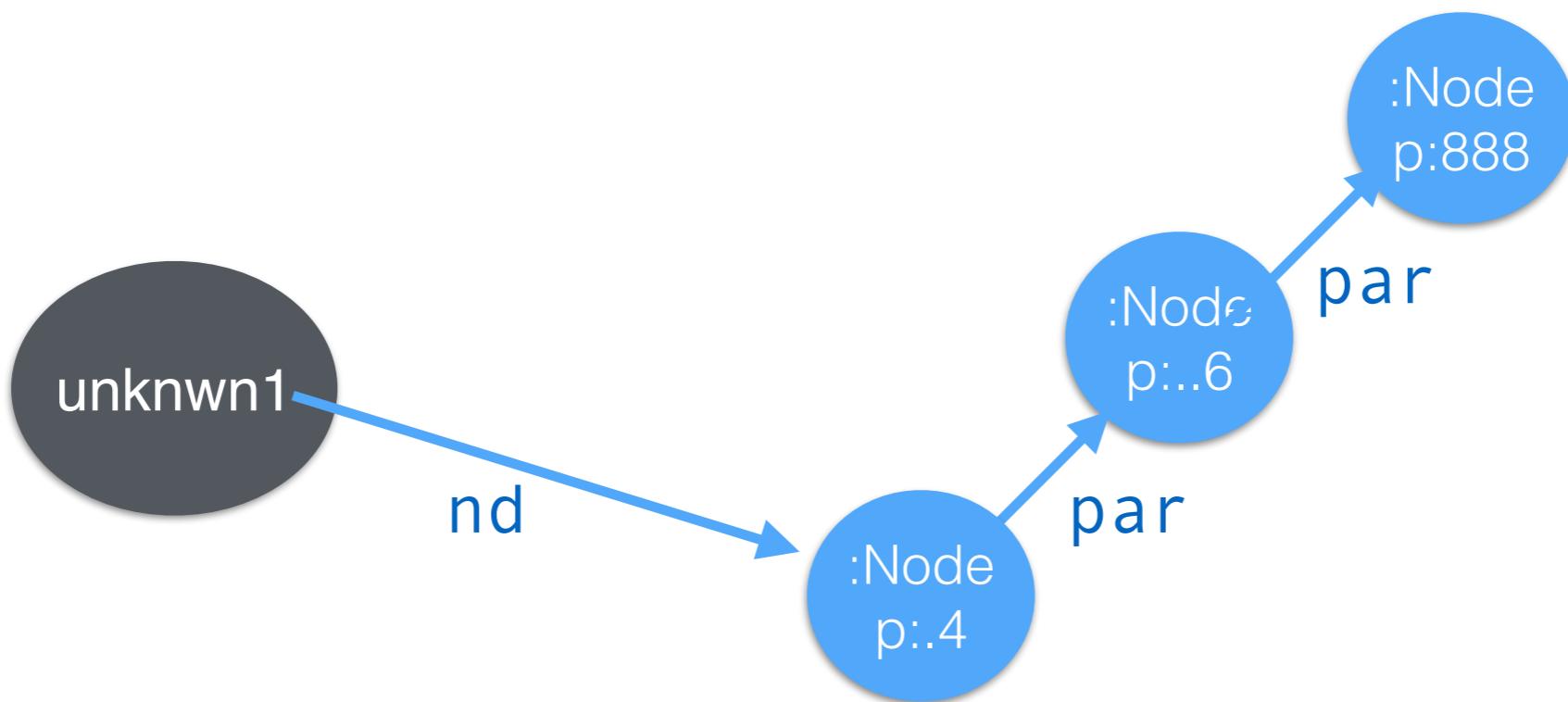
- Challenges -

- Time
- Space
- Internal/External - module dependent
- What can we observe?
- Ghost fields - module dependent and recursive

Semantics of Expressions

$e ::= \text{this} \mid x \mid e.\text{fld} \mid \text{func}(e_1, \dots, e_n) \mid \dots$

Define $\llcorner e \lrcorner_{M,\sigma}$ as expected ... more or less



Eg, $\llcorner \text{unknwn1}.nd.par.par.p \lrcorner_{M,\sigma} = 888$

Semantics of holistic Assertions

“Conventional part”

$$A ::= e \mid e > e \mid \dots \mid A \rightarrow A \mid \exists x.A \mid \dots$$

We define $M, \sigma \models A$

$$M, \sigma \models e > e' \quad \text{iff} \quad \lfloor e \rfloor_{M, \sigma} > \lfloor e' \rfloor_{M, \sigma}$$

$$M, \sigma \models A \rightarrow A' \quad \text{iff} \quad M, \sigma \models A \text{ implies } M, \sigma \models A'$$

$$M, \sigma \models \exists x.A \quad \text{iff} \quad M, \sigma[z \mapsto l] \models A[x \mapsto z] \\ \text{for some } l \in \text{dom}(\sigma.\text{heap}), \text{ and } z \text{ free in } A$$

Semantics of holistic Assertions

“Unconventional part”

$A ::= \text{Access}(x,x') \mid \text{Changes}(e) \mid \text{Will}(A) \mid A \text{ in } S \mid x.\text{Calls}(y,m,z_1..z_n)$

$M, \sigma \models \text{Access}(x,x')$ iff $\lfloor x \rfloor_{M,\sigma} = \lfloor x' \rfloor_{M,\sigma} \vee \lfloor x.\text{fld} \rfloor_{M,\sigma} = \lfloor x' \rfloor_{M,\sigma}$ for some field fld $\vee \lfloor \text{this} \rfloor_{M,\sigma} = \lfloor x \rfloor_{M,\sigma} \wedge \lfloor y \rfloor_{M,\sigma} = \lfloor x' \rfloor_{M,\sigma}$ $\wedge y$ is formal parameter of current function

$M, \sigma \models \text{Changes}(e)$ iff $M, \sigma \rightsquigarrow \sigma' \wedge \lfloor e \rfloor_{M,\sigma} \neq \lfloor e \rfloor_{M,\sigma'}$

$M, \sigma \models \text{Will}(A)$ iff $\exists \sigma'. [M, \sigma \rightsquigarrow^* \sigma' \wedge M, \sigma' \models A]$

$M, \sigma \models A \text{ in } S$ iff $M, \sigma @ Os \models A$ where $Os = \lfloor S \rfloor_{M,\sigma}$

$M, \sigma \models x.\text{Calls}(y,m,z_1..z_n)$ iff $\lfloor \text{this} \rfloor_{M,\sigma} = \lfloor x \rfloor_{M,\sigma} \wedge \sigma.\text{code}=y'.m(z_1'..z_n')$ $\wedge \dots$

Semantics of holistic Assertions

- the full truth -

$M, \sigma \models \text{Access}(e, e')$ iff ... as before ...

$M, \sigma \models \text{Changes}(e)$ iff $M, \sigma \rightsquigarrow \sigma' \wedge \llbracket e \rrbracket_{M, \sigma} \neq \llbracket e[z \mapsto y] \rrbracket_{M, \sigma'[y \mapsto \sigma(z)]}$
where $\{z\} = \text{Free}(e) \wedge y \text{ fresh in } e, \sigma, \sigma'$

$M, \sigma \models \text{Will}(A)$ iff $\exists \sigma', \sigma'', \phi. [\sigma = \sigma'.\phi \wedge M, \phi \rightsquigarrow^* \sigma' \wedge M, \sigma'[y \mapsto \sigma(z)] \models A[z \mapsto y]]$
where $\{z\} = \text{Free}(A) \wedge y \text{ fresh in } A, \sigma, \sigma'$

$M, \sigma \models A \text{ In } S$ iff $M, \sigma @ Os \models A$ where $Os = \llbracket S \rrbracket_{M, \sigma}$

$M, \sigma \models x. \text{Calls}(y, m, z_1,..z_n)$ iff ... as before ...

Arising Configurations

A runtime configuration is *initial* iff

- 1) The heap contains only one object, of class Object
- 2) The stack consists of just one frame, where **this** points to that object.

The code can be arbitrary

$$\text{Initial}(\sigma) \text{ iff } \sigma.\text{heap} = (1 \mapsto (\text{Object}, \dots)) \wedge \sigma.\text{stack} = (\text{this} \mapsto 1).[]$$

A runtime configuration σ arises from a module M if there is some initial configuration σ_0 whose execution M reaches σ in a finite number of steps.

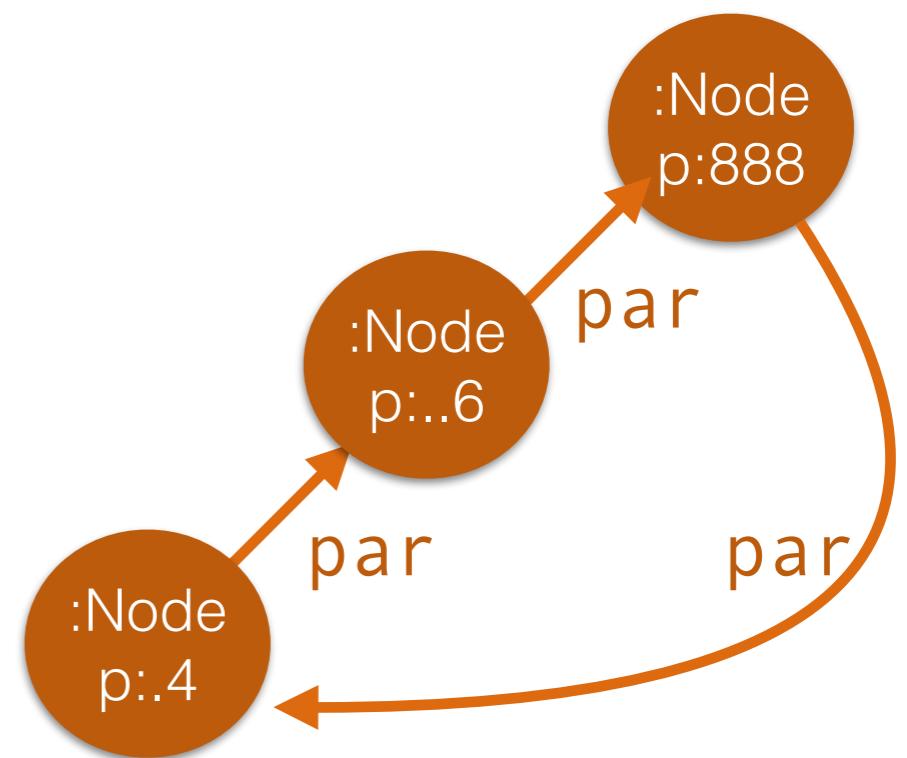
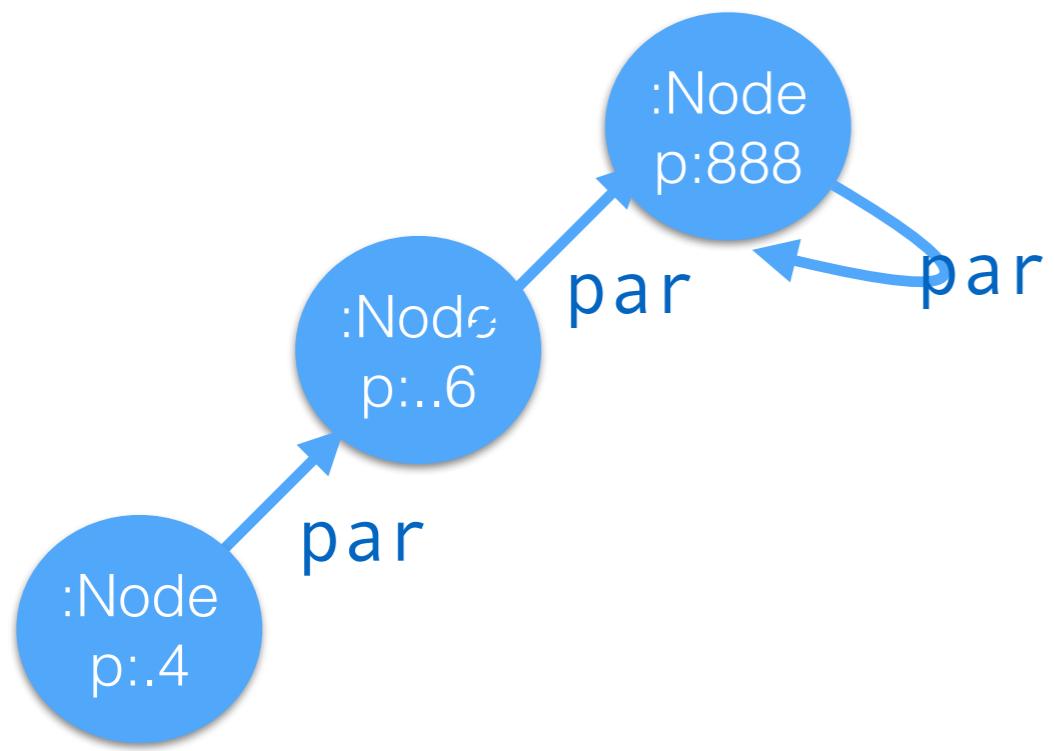
$$\text{Arising}(M) = \{ \sigma \mid \exists \sigma_0. \text{Initial}(\sigma_0) \wedge M, \sigma_0 \rightsquigarrow^* \sigma \}$$

Arising expresses “defensiveness”

Assume a Tree-module, M_{tree} .

blue configuration arises from $M_{tree} * M'$ for some module M'

brown configuration does not arise from $M_{tree} * M'$ for any module M'



Giving meaning to Assertions

$$M \models A \text{ iff } \boxed{\forall M'}. \forall \sigma \in \text{Arising}(M ; M'). M ; M', \sigma \models A$$

A module M satisfies an assertion A if all runtime configurations σ which arise from execution of code from $M ; M'$ (for any module M'), satisfy A .

open world

- quantify over external modules M'
- M' is external; intermediate states observable
- M is internal; intermediate states are not observable

ghost fields - module dependent

```
module M1:
```

```
class Bank {
```

```
}
```

```
class Account {
```

```
fld bal
```

```
...
```

```
ghost balance()
```

```
this.bal
```

```
}
```

```
module M2:
```

```
class Bank {
```

```
fld ledger
```

```
ghost balance(acc)
```

```
this.ledger.balance(acc)
```

```
}
```

```
class Account {
```

```
fld bal
```

```
fld myBank
```

```
...
```

```
ghost balance()
```

```
this.balance
```

```
}
```

```
class Ledger{
```

```
...
```

```
ghost balance(acc)
```

```
...
```

```
}
```

The denotation of expressions

$\llcorner_{M,\sigma}$

involves looking up the definition
of ghost functions in the module
— ghost functions have no
side-effects

ghost fields - recursive

Denotation of expressions, $\lfloor e \rfloor_{M,\sigma}$ looks definition of ghost functions

$$A ::= e \mid \dots \quad e ::= e \mid e.\text{ghostfunc}(\dots) \mid e=e \mid \dots$$

We define

- * $M, \sigma \models e$ if $\lfloor e \rfloor_{M,\sigma} = \text{true}$
- * $\lfloor e_1 = e_2 \rfloor_{M,\sigma}$ true if $\lfloor e_1 \rfloor_{M,\sigma} = \lfloor e_2 \rfloor_{M,\sigma}$
- * $\lfloor e_1 = e_2 \rfloor_{M,\sigma}$ undefined if $\lfloor e_1 \rfloor_{M,\sigma} \neq \lfloor e_2 \rfloor_{M,\sigma}$

allows infinite recursion in functions, and keeps the logic of assertions classical.

Eg assuming x is cyclic in σ_1 , we have

$$\dots, \sigma_1 \not\models x.\text{acyclic} \quad \dots, \sigma_1 \models \neg(x.\text{acyclic}).$$

But this comes with some surprises. Eg

$$\dots, \sigma_1 \not\models x.\text{acyclic} \quad \text{iff} \quad \dots, \sigma_1 \not\models x.\text{acyclic} = \text{false}$$

Summary of our Proposal

$A ::= e > e \mid e = e \mid f(e_1, \dots, e_n) \mid \dots$

$\mid A \rightarrow A \mid A \wedge A \mid \exists x. A \mid \dots$

$\mid \mathbf{Access}(x, y)$ permission

$\mid \mathbf{Changes}(e)$ authority

$\mid \mathbf{Will}(A) \mid \mathbf{Was}(A) \mid \mathbf{Next}(A) \mid \mathbf{Prev}(A)$ time

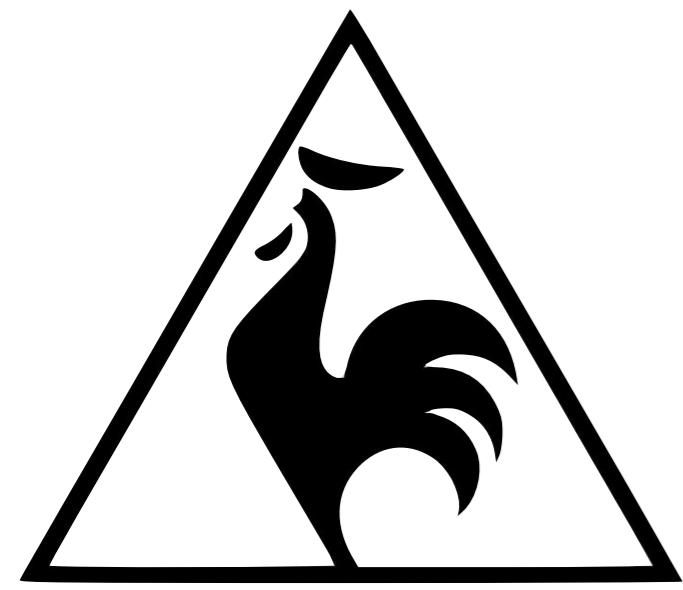
$\mid A \mathbf{in} S$ space

$\mid x. \mathbf{Calls}(y, m, z_1, \dots, z_n)$ call

$M ; M', \sigma \models A$

Arising($M ; M'$)

$M \models A$



Properties of Linking

- (1) $A \wedge \neg A \equiv \text{false}$
- (2) $A \vee \neg A \equiv \text{true}$
- (3) $A \vee A' \equiv A' \wedge A$
- (4) $A \wedge A' \equiv A' \wedge A$
- (5) $(A \vee A') \vee A'' \equiv A \vee (A' \vee A'')$

- (1) moduleLinking_associative
- (2) moduleLinking_commutative_1
- (3) moduleLinking_commutative_2
- (4) linking_preserves_reduction

- (1) $A \wedge \neg A \equiv \text{false}$
- (2) $A \vee \neg A \equiv \text{true}$
- (3) $A \vee A' \equiv A' \wedge A$
- (4) $A \wedge A' \equiv A' \wedge A$
- (5) $(A \vee A') \vee A'' \equiv A \vee (A' \vee A'')$
- (6) $(A \vee A') \wedge A'' \equiv (A \wedge A'') \vee (A' \wedge A'')$
- (7) $(A \wedge A') \vee A'' \equiv (A \vee A'') \wedge (A' \vee A'')$
- (8) $\neg(A \wedge A') \equiv (\neg A \vee \neg A')$
- (9) $\neg(A \vee A') \equiv (\neg A \wedge \neg A')$
- (10) $\neg(\exists x.A) \equiv \forall x.(\neg A)$
- (11) $\neg(\exists S.A) \equiv \forall S.(\neg A)$
- (12) $\neg(\forall x.A) \equiv \exists x.(\neg A)$
- (13) $\neg(\forall S.A) \equiv \exists S.(\neg A)$

- (1) sat_and_nsat_equiv_false
- (2) -
- (3) and_commutative
- (4) or_commutative
- (5) or_associative
- (6) and_distributive
- (7) or_distributive
- (8) neg_distributive_and
- (9) neg_distributive_or
- (10) not_ex_x_all_not
- (11) not_ex_Σ_all_not
- (12) not_all_x_ex_not
- (13) not_all_Σ_ex_not

- Traditional Specifications do not adequately address Robustness
- Holistic Specifications — Summary and Examples
- Holistic Specification Semantics
- **Trust and Obeys**

- Trust and Obeys

Swapsies on the Internet

First Steps towards Reasoning about Risk and Trust in an Open World

Sophia Drossopoulou¹, James Noble², Mark S. Miller³

¹Imperial College London, ²Victoria University Wellington, ³Google Inc.

Abstract

Contemporary open systems use components developed by many different parties, linked together dynamically in unforeseen constellations. Code needs to live up to strict *security specifications*: it has to ensure the correct functioning of its objects when they collaborate with external objects which

careful to take only stickers you're definitely willing to risk losing when you go to meet the gorilla in year ten.

Internet Swapsies Playground swapsies is just one example of an interaction between *mutually untrusting* parties in an *open system* — other examples include so-called dark Internet markets (like Silk Road and Evolution) and even larger trading systems like eBay when participants choose not to

Bank/Account - 2

classical

robustness

- **Pol_1:** With two accounts of same bank one can transfer money between them.
- **Pol_2:** Only someone with the Bank of a given currency can violate conservation of that currency
- **Pol_3:** The bank can only inflate its own currency
- **Pol_4:** No one can affect the balance of an account they do not have.
- **Pol_5:** Balances are always non-negative.
- **Pol_6:** A reported successful deposit can be trusted as much as one trusts the account one is depositing to.

[Miller et al, Financial Crypto 2000]

Exchange money and goods buyer and seller do not trust one another

Distributed Electronic Rights in JavaScript

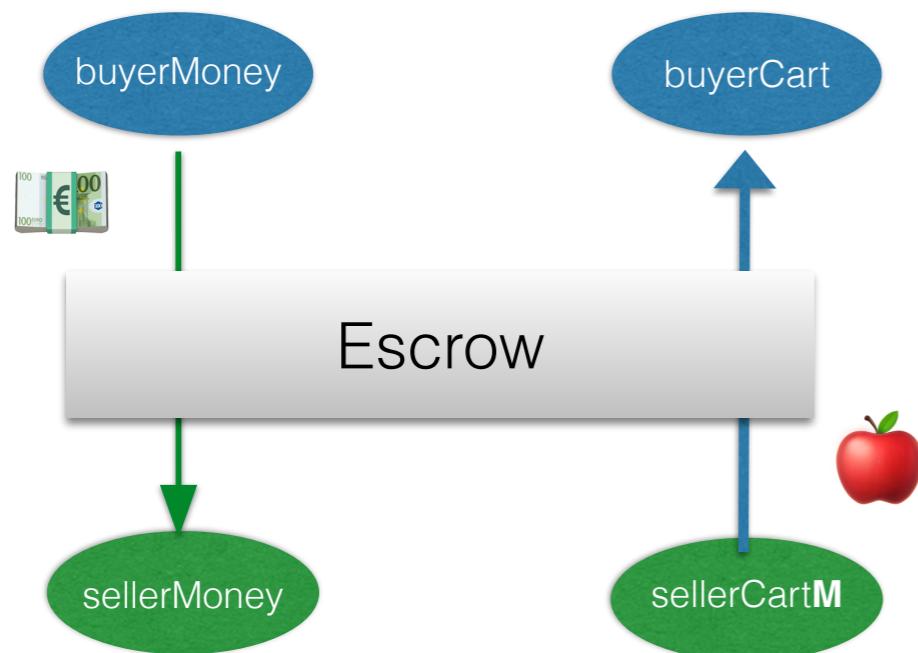
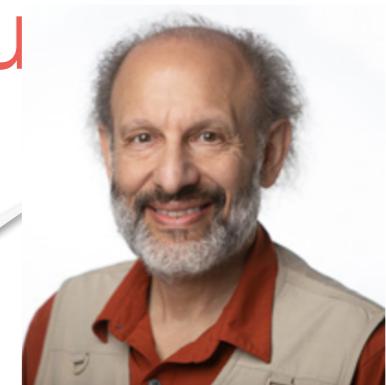
Mark S. Miller¹, Tom Van Cutsem², and Bill Tulloh

¹ Google, Inc.

² Vrije Universiteit Brussel

Abstract. Contracts enable mutually suspicious parties to cooperate safely through the exchange of rights. Smart contracts are programs whose behavior enforces the terms of the contract. This paper shows how such contracts can be specified elegantly and executed safely, given an appropriate distributed, secure, persistent, and ubiquitous computational fabric. JavaScript provides the ubiquity but must be significantly extended to deal with the other aspects. The first part of this paper is a progress report on our efforts to turn JavaScript into this fabric.

Exchanging money for goods without mutual tru



class

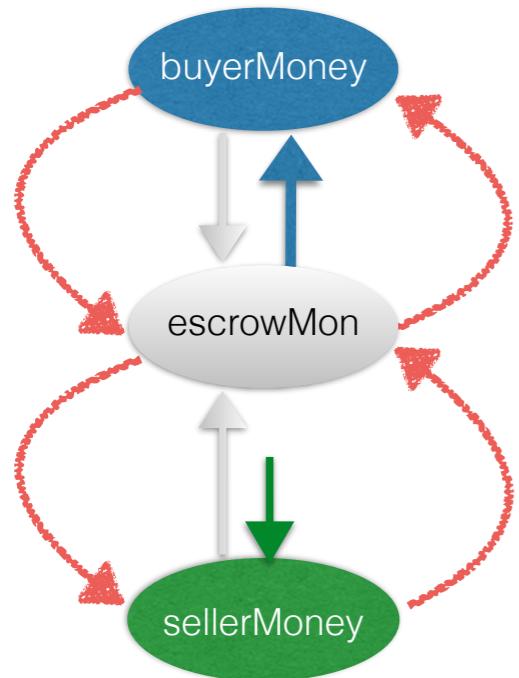
That is a surprise!

```
class Escrow {  
    buyerMoney: Purse<Money>,  
    buyerCart,  
    sellerCart: Purse<Goods>)  
    : bool  
}
```

$\neg \text{res} \rightarrow \text{"no transfer"} \wedge (\neg \text{buyerMoney obeys ValidPurse} \wedge \text{sellerMoney obeys ValidPurse} \vee \text{buyerMoney obeys ValidPurse} \wedge \neg \text{sellerMoney obeys ValidPurse} \dots)$

$\text{res} \rightarrow \text{"transfer happened"} \wedge \text{buyerMoney obeys ValidPurse} \wedge \text{sellerMoney obeys ValidPurse} \wedge \dots \vee \neg(\text{buyerMoney obeys ValidPurse}) \wedge \neg \text{sellerMoney obeys ValidPurse}$

Exchanging money for goods without mutual trust



```
escrowMoney = sellerMoney.sprout()  
// sellerMoney obeys ValidPurse → escrowMoney obeys ValidPurse
```

```
res= escrowMoney. deposit (buyerMoney,0)  
if !res then return res  
// sellerMoney obeys ValidPurse → buyerMoney obeys ValidPurse
```

```
res= buyerMoney. deposit(escrowMoney,0)  
if !res then return res  
// buyerMoney obeys ValidPurse → escrowMoney obeys ValidPurse
```

```
res= escrowMoney. deposit (buyerMoney,0)  
if !res then return res  
// buyerMoney obeys ValidPurse → seller obeys ValidPurse
```

// sellerMoney obeys ValidPurse ↔ buyerMoney obeys ValidPurse)

Summary

- We argue that robustness characterisation requires a mix of classical and holistic specifications.
- We have made a proposal for holistic specifications and applied to examples from contracts and from object capabilities literature.

What was challenging/ fun

- two module execution a
- adaptations for time, W
- dealing with space <.. i
- ghostfields, (treat cycle
- keeping assertions clas
- Language properties,
eg only connectivity be
- Coq model for language
- Proof logic for obeys

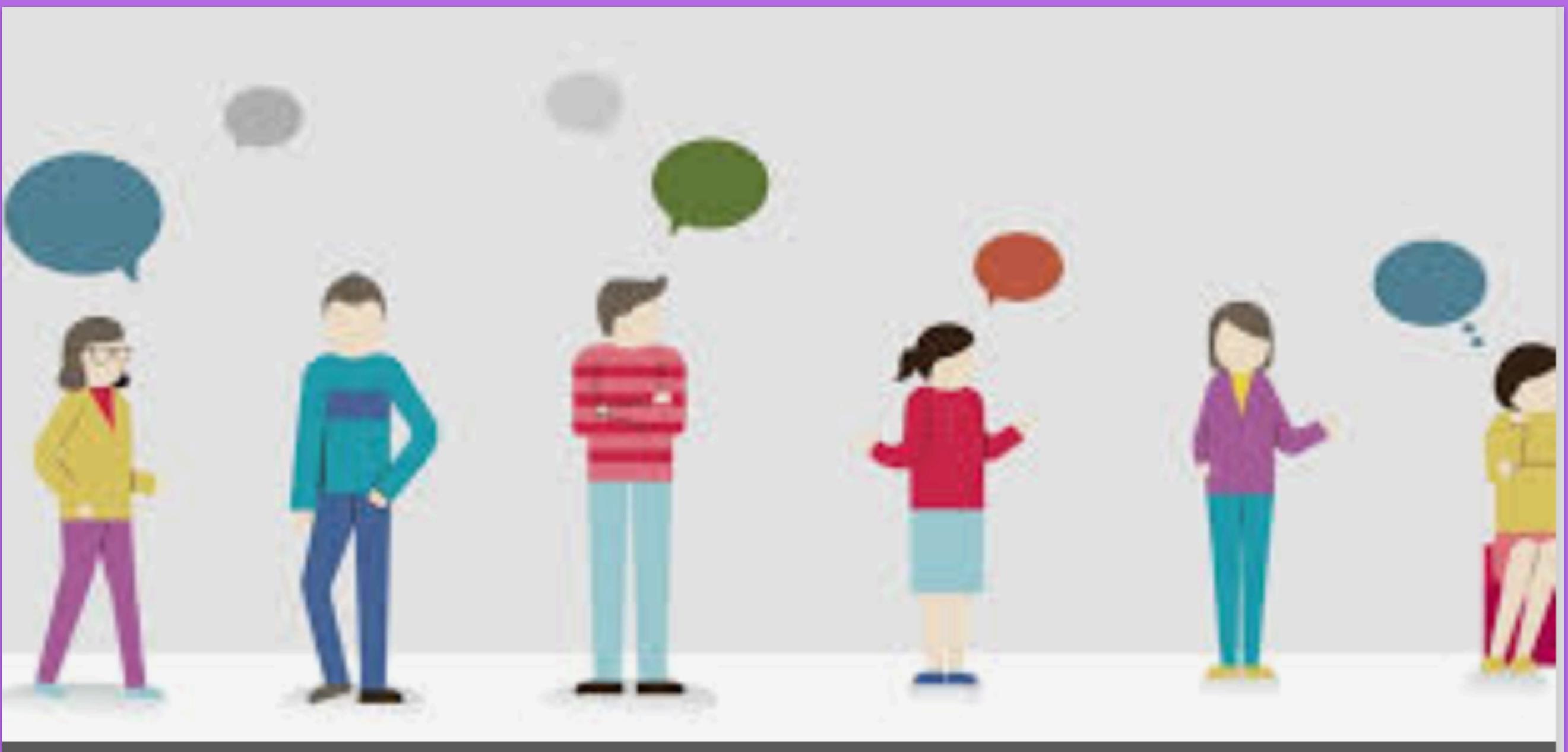


specs

Still to do ..

- Proof logic using holistic assertions (in progress)
- Proof logic to establish holistic assertions (in progress)
challenge: avoid explicit naming configurations
- Semantics of obeys

Thank you



Classical vs Holistic Specification

- fine-grained
- per function
- ADT as a whole
- emergent behaviour

Which is “stronger”?

“Closed” ADT with classical spec implies holistic spec.

(closed: no functions can be added, all functions have classical specs, ghost state has known representation)

Why do we need holistic specs?

- * “closed ADT” is sometimes too strong a requirement.
- * Holistic aspect is cross-cutting (eg no payment without authorization)
- * Allows reasoning in open world (eg DOM wrappers)

ERC20 classical spec - transfer - 2

What if c_1 's balance not large enough?

```
e:ERC20 ∧ this = c ∧ e.balance(c1) < m  
    { e.transfer(c2, m) }  
∀ c. e.balance(c) = e.balance(c)pre
```

ERC20 classical spec
- what about the other functions?

ERC20 classical spec

Is that robust?

a “super-client,”
authorised on all?

a function that
takes 0.5% from
each account?

sufficient
for change of balance

I am worried
about who/what can
reduce my balance

can authority increase?



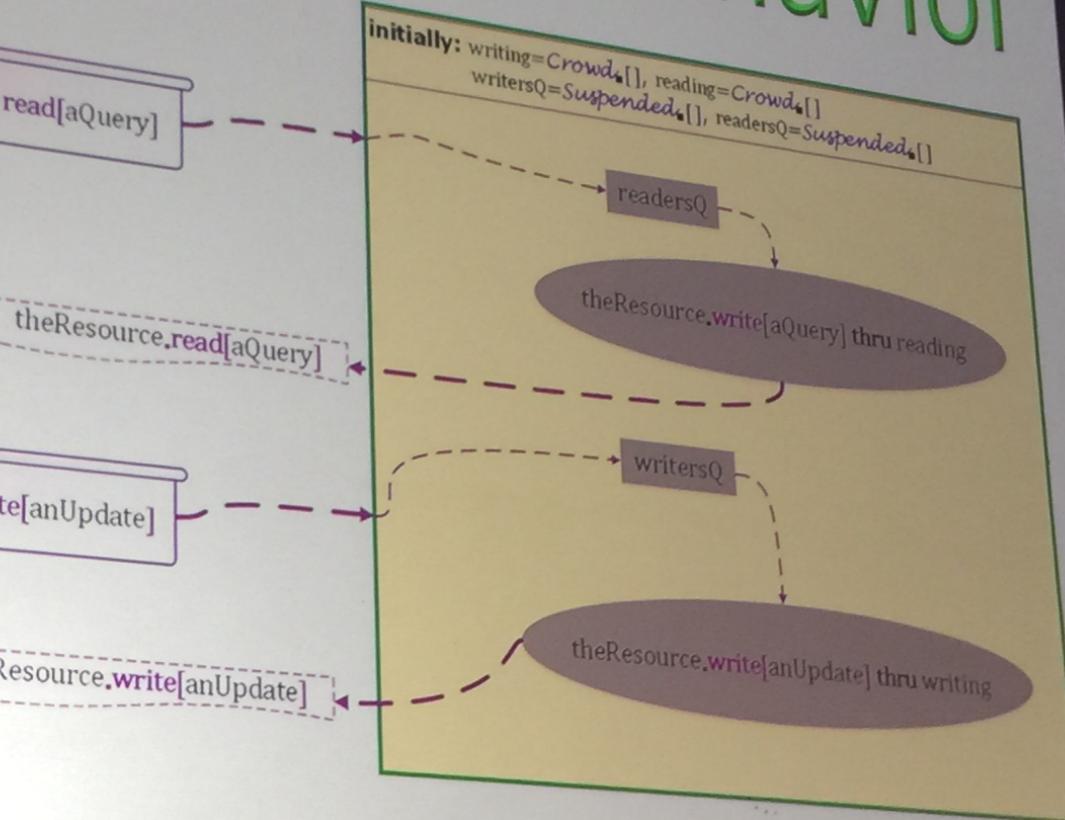
```
ERC20 & this = c1 & e.balance(c1) < m
{
    e.transferFrom(c1, c2, m)
}
pre -m &
post +m & e.Authorized(c1, c2, m)
```

~~e..
^ e.balance(c1) ≥m
{ e.transferFrom
e.balance(c1) = e.balance(c1) - m
e.balance(c2) = e.balance(c2) + m
}~~

~~and (c) pre &
c2, m, →e.Authorized(c1, c2, m)]~~

```
totalSupply() }  
... { e.allowanceOf(c2) } ...  
... { e.balanceOf(c) } ...
```

Invariant Behavior



Empty writing \Leftrightarrow Empty reading



holistic specs - invariants ++

- state
- time
- space
- control
- permission
- authority
- (when/where do they hold)

holistic spec - authority

effect

$e.\text{Authorized}(c1, c2, m) \doteq$

$\text{Prev}(c1.\text{Calls}(e, \text{approve}, c2, m))$

\vee

$\text{Prev}(e.\text{Authorized}(c1, c2, m+m') \wedge c2.\text{Calls}(e, \text{transferFrom}, c1, _, m'))$

\vee

$\text{Prev}(e.\text{Authorized}(c1, c2, m) \wedge \neg c2.\text{Calls}(e, \text{transferFrom}, c1, _, _))$

necessary
conditions

$c2$ is authorised by $c1$ for m iff

in previous step $c1$ informed e that it authorised $c2$ for m
or

in previous step $c2$ was authorised for $m+m'$ and spent m' for $c1$
or

in previous step $c2$ was authorised for m and did not spend $c1$

classical vs holistic

e:ERC20 \wedge e.balance(cl) >m \wedge e.balance(cl') = m' \wedge cl ≠ cl'
 { e.transfer(cl',m) \wedge Caller=cl }

e.balance(cl) = e.balance(cl)_{pre} -m \wedge e.balance(cl')_{pre} = m'+m

e:ERC20 \wedge e.balance(cl) >m \wedge e.balance(cl') = m' \wedge cl ≠ cl'
 \wedge Authorized(e, cl, cl")
 { e.transferFrom(cl',m) \wedge Caller=cl"}

e.balance(cl) = e.balance(cl)_{pre} -m \wedge e.balance(cl')_{pre} = m'+m

e:ERC20 \wedge e.balance(cl) >m \wedge e.balance(cl') = m'
 { e.allow(cl') \wedge Caller=cl }
 Authorized(e, cl, cl")

another 7 specs

....

....

Classical

- per function; *sufficient* conditions for some action/ effect
- *explicit* about individual function, and *implicit* about emergent behaviour

Holistic

- *necessary* conditions for some action/effect
- *explicit* about emergent behaviour

$\forall e:\text{ERC20}. \forall \text{cl: Client}.$
 [e.balance(cl) = **Prev**(e.balance(cl)) - m]
 \rightarrow
 ($\exists \text{cl}', \text{cl}'' : \text{Client}.$
Prev (cl.**Calls**(e.transfer(cl',m)))
 \vee
Prev (Authorized(e, cl, cl") \wedge cl".**Calls**(e.transferFrom(cl, cl', m)))]

Authorized(cl, cl') \triangleq $\exists m : \text{Nat}.$ **Prev**(cl.**Calls**(e.approve(cl', m)))

Example2: DAO simplified

DAO, a “hub that disperses funds”; (<https://www.ethereum.org/dao>).

... clients may contribute and retrieve funds :

- payIn (m) pays into DAO m on behalf of client
- repay () withdraws all moneys from DAO

Vulnerability: Through a buggy version of repay (), a client could re-enter the call and deplete all funds of the DAO.

classical spec

Assuming DAO keeps a directory of contributions, and require:

R1: directory is compatible with the amount of ether kept in the DAO, and

R2: that withdraw reduces the ether by that amount.

R1: $\forall d:\text{DAO}. \ d.\text{ether} = \sum_{c1 \in \text{dom}(d.\text{directory})} d.\text{directory}(c1)$

R2: $d:\text{DAO} \wedge n:\text{Nat} \wedge d.\text{directory}(cl)=n > 0 \wedge \text{this}=cl$
 { $d.\text{repay}()$ }

$d.\text{directory}(cl)=0 \wedge d.\text{Calls}(cl,\text{send},n)$

$d:\text{DAO} \wedge n:\text{Nat} \wedge d.\text{directory}(cl)=0 \wedge \text{this}=cl$
 { $d.\text{repay}()$ }

“nothing changes”

This spec avoids the vulnerability, 😅

provided the attack goes through the function repay . 😢

To avoid the vulnerability in general, we need to inspect the specification of *all* the functions in the DAO. DAO - interface has *nineteen* functions. 🤕

holistic

$\forall \text{cl:External. } \forall \text{d:DAO. } \forall \text{n:Nat.}$
[$\text{cl.Calls(d.repay())} \wedge \text{d.Balance(cl)} = n$
 \rightarrow
 $\text{d.ether} \geq n \wedge \text{Will(d.Calls(cl.send(n)))}$]

This specification avoids the vulnerability, regardless of which function introduces it:

The DAO will always be able to repay all its customers.

$$\begin{aligned} \text{d.Balance(cl)} = & \quad 0 && \text{if cl.Calls(d.initialize())} \\ & m+m' && \text{if Was(d.Balance(cl),m) } \wedge \text{cl.Calls(d.payIn(m'))} \\ & 0 && \text{if Was(cl.Calls(d.repayIn()))} \\ \text{Was(d.Balance(cl))} & \quad \text{otherwise} \end{aligned}$$

classical vs holistic

$\forall d:\text{DAO}.\ d.\text{ether} = \sum_{cl \in \text{dom}(d.\text{directory})} d.\text{directory}(cl)$

$d:\text{DAO} \wedge n:\text{Nat} \wedge d.\text{directory}(cl)=n>0 \wedge \text{this}=cl$
 $\quad \{ d.\text{repay}() \}$
 $d.\text{directory}(cl)=0 \wedge d.\text{Calls}(cl.\text{send}(n))$

$d:\text{DAO} \wedge n:\text{Nat} \wedge d.\text{directory}(cl)=0 \wedge \text{this}=cl$
 $\quad \{ d.\text{repay}() \}$

“nothing changes”

... ... specs for another 19 functions

....

Holistic

- *necessary* conditions for some action/effect
- *explicit* about emergent behaviour

Classical

- per function; *sufficient* conditions for some action/effect
- *explicit* about individual function, and *implicit* about emergent behaviour

$\forall cl:\text{External}. \forall d:\text{DAO}. \forall n:\text{Nat}.$
 $[cl.\text{Calls}(d.\text{repay}()) \wedge d.\text{Balance}(cl) = n$
 \rightarrow
 $d.\text{ether} \geq n \wedge \text{Will}(d.\text{Calls}(cl.\text{send}(n)))]$

$d.\text{Balance}(cl) =$	m $m+m'$ 0	$\text{if } cl.\text{Calls}(d.\text{initialize}, m)$ $\text{if } \text{Prev}(d.\text{Balance}(cl), m)$ $\quad \wedge \text{Prev}(cl.\text{Calls}(d.\text{payIn}(m')))$ $\text{if } \text{Prev}(cl.\text{Calls}(d.\text{repayIn}()))$
--------------------------	----------------------	---

Bank and Account

- Banks and Accounts
- Accounts hold money
- Money can be transferred between Accounts
- A banks' currency = sum of balances of accounts held by bank

[Miller et al, Financial Crypto 2000]

Bank Account - 2

classical

robustness

- **Pol_1:** With two accounts of same bank one can transfer money between them.
- **Pol_2:** Only someone with the Bank of a given currency can violate conservation of that currency
- **Pol_3:** The bank can only inflate its own currency
- **Pol_4:** No one can affect the balance of an account they do not have.
- **Pol_5:** Balances are always non-negative.
- **Pol_6:**....

[Miller et al, Financial Crypto 2000]

Pol_4 – holistic

- **Pol_4**: No-one can affect the balance of an account they do not have

$a:\text{Account} \wedge \text{Will}(\text{Changes}(a.\text{balance})) \text{ in } S$



$\exists o \in S. [\text{External}(o) \wedge \text{Access}(o,a)]$ necessary condition

This says: If some execution starts now and involves at most the objects from S , and modifies $a.\text{balance}$ at some future time, then at least one of the objects in S is external to the module, and can access a directly now.

Bank Account - 2

classical

robustness

- **Pol_1:** With two accounts of same bank one can transfer money between them.
- **Pol_2:** Only someone with the Bank of a given currency can violate conservation of that currency
- **Pol_3:** The bank can only inflate its own currency
- **Pol_4:** No one can affect the balance of an account they do not have.
- **Pol_5:** Balances are always non-negative.
- **Pol_6:** ??????

[Miller et al, Financial Crypto 2000]