

Reasoning with Object Capabilities

POCL 2024

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and in earlier works

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Our research Question

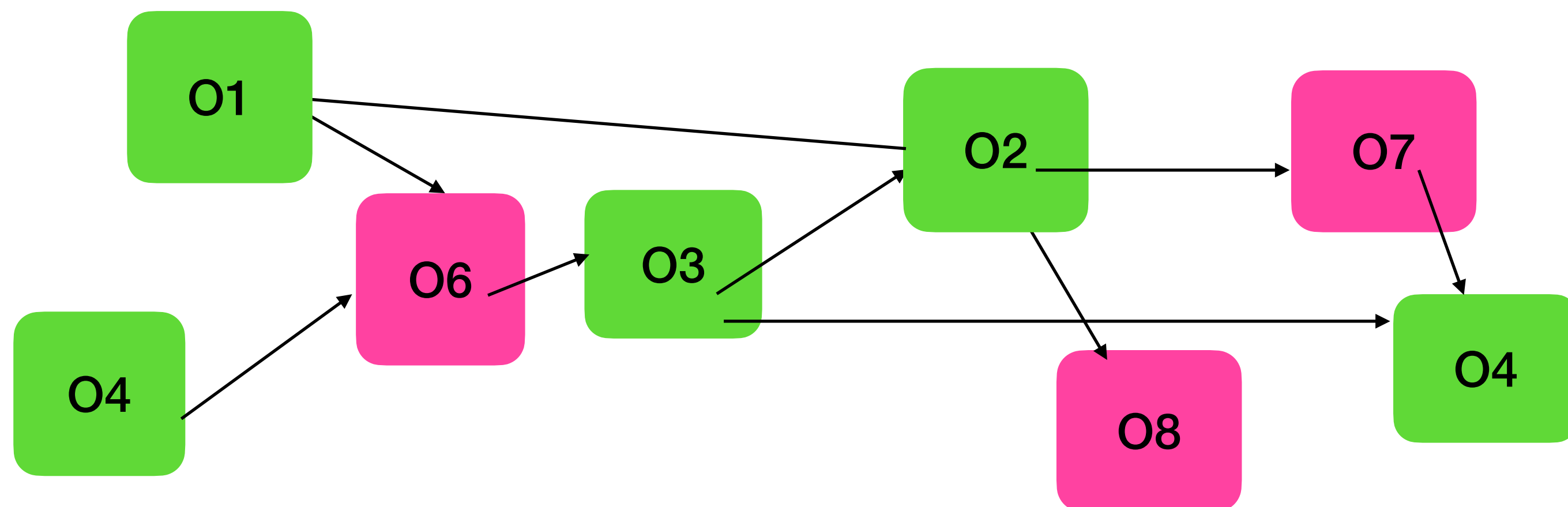
Reason about how our, **internal, trusted** objects can interact securely with the **external, untrusted**, potentially malicious, objects. using object capabilities.

*“A **capability** describes a transferable right to perform one (or more) operations.”*

Literature:

“References cannot be forged.

Capability transferred only through messages or through creation.”



“A capability describes a transferable right to perform one (or more) operations.”

Literature:

“References cannot be forged. Capability transferred only through messages or through creation.”

Our Insights:

Capabilities are necessary conditions for *effects* (not operations)

Tracking access to capabilities is paramount.

Example and Four Challenges

Three Modules

.. assuming all methods are public, and fields are private

```
module Modgood
  class Account
    field balance:int
    field pwd: Password
    method transfer(dest:Account, pwd':Password) -> void
      if this.pwd==pwd'
        this.balance-=100
        dest.balance+=100
    method init(pwd':Password) -> void
      if this.pwd==null
        this.pwd=pwd'
  class Password
```

```
module Modbad
  class Account
    field balance:int
    field pwd: Password
    method transfer(..) ...
      ... as earlier ...
    method init(...) ...
      ... as earlier ...
    method set(pwd': Password)
      this.pwd=pwd'
  class Password
```

```
module Modbetter
  class Account
    field balance:int
    field pwd: Password
    method transfer(..)
      ... as earlier ...
    method set(pwd',pwd': Password)
      if (this.pwd==pwd')
        this.pwd=pwd'
  class Password
```

```

module Modgood
  class Account
    field balance:int
    field pwd: Password
    method transfer(dest:Account, pwd':Password) ->
      if this.pwd==pwd'
        this.balance-=100
        dest.balance+=100
    method init(pwd':Password) -> void
      if this.pwd==null
        this.pwd=pwd'
  class Password

```

Challenge_1: A module spec S, such that

$M_{\text{good}} \models S$

$M_{\text{bad}} \not\models S$

$M_{\text{better}} \models S$

```

module Modbad
  class Account
    field balance:int
    field pwd: Password
    method transfer(..) ...
      ... as earlier ...
    method init(...) ...
      ... as earlier ...
    method set(pwd': Password)
      this.pwd=pwd'
  class Password

```

```

module Modbetter
  class Account
    field balance:int
    field pwd: Password
    method transfer(..)
      ... as earlier ...
    method set(pwd',pwd': Password)
      if (this.pwd==pwd')
        this.pwd=pwd'
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module Modgood
  class Account
    field balance:int
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    method transfer(dest:Account, pwd':Password) ->
      if this.pwd==pwd'
        this.balance-=100
        dest.balance+=100
    method init(pwd':Password) -> void
      if this.pwd==null
        this.pwd=pwd'
  class Password

```

Challenge_2: An inference system, such that

$M_{\text{good}} \vdash S$

$M_{\text{bad}} \not\vdash S$

$M_{\text{better}} \vdash S$

```

module Modbad
  class Account
    field balance:int
    field pwd: Password
    method transfer(..) ...
      ... as earlier ...
    method init(...) ...
      ... as earlier ...
    method set(pwd': Password)
      this.pwd=pwd'
  class Password

```

```

module Modbetter
  class Account
    field balance:int
    field pwd: Password
    method transfer(..)
      ... as earlier ...
    method set(pwd',pwd': Password)
      if (this.pwd==pwd')
        this.pwd=pwd'
  class Password

```



```

module Modgood
  class Account
    field balance:int
    field pwd: Password
    method transfer(dest:Account, pwd':Password) ->
      if this.pwd==pwd'
        this.balance-=100
        dest.balance+=100
    method init(pwd':Password) -> void
      if this.pwd==null
        this.pwd=pwd'
  class Password

```

Challenge_3: Inference system should be algorithmic

```

module Modbad
  class Account
    field balance:int
    field pwd: Password
    method transfer(..) ...
      ... as earlier ...
    method init(...) ...
      ... as earlier ...
    method set(pwd': Password)
      this.pwd=pwd'
  class Password

```

```

module Modbetter
  class Account
    field balance:int
    field pwd: Password
    method transfer(..)
      ... as earlier ...
    method set(pwd',pwd': Password)
      if (this.pwd==pwd')
        this.pwd=pwd'
  class Password

```



```
class Shop
```

```
  fld myAccount : Account  
  fld inventory : Inventory
```

```
  void buy(buyer: Object, anItem: Item)  
    int price = anItem.price  
    int oldBalance = this.myAccount.balance  
    buyer.payMe(myAccount, price)  
    if (this.myAccount.balance == oldBalance+price)  
      this.send(buyer, anItem)  
    else  
      buyer.tell("you have not paid me")
```

External call

Challenge_4: An inference system, such that we can prove **external** calls.

If Account comes from a “good” module,
and upon call, buyer has no eventual access to `myAccount.password`,
then
the balance of `myAccount` does not decrease by the call `payMe`.

Challenge_1: A module spec S , such that

$M_{\text{good}} \models S$

$M_{\text{bad}} \not\models S$

$M_{\text{better}} \models S$

Challenge_1: A module spec S , such that

$M_{\text{good}} \models S$

$M_{\text{bad}} \not\models S$

$M_{\text{better}} \models S$

Motto:
**Capability is a *necessary* condition
for some effect**

Remember: A capability represents a transferable right
to perform one or more operations on a given object

~~**So:** “The password enables withdrawal from the account”?~~

~~**Or:** “Without the password call of withdraw will fail”?~~

Or: “Without the password no reduction of the balance of the account”?

So: $\forall s:\text{Statement. } \{\text{without a.password} \wedge \text{a.balance}=\text{b}\} s \{ \text{a.balance} \geq \text{b} \}$

Challenge_1: A module spec S , such that ...

So: $\forall s:\text{Statement} \quad \{\text{without } a.\text{password} \wedge a.\text{balance}=b\} s \{ a.\text{balance} \geq b \}$

So: $\forall a:\text{Account}. \forall n:\text{Num}. (| a.\text{password } \mathbf{prt} \wedge a.\text{balance}=b |) (| a.\text{balance} \geq b |)$

In general: $\forall x1:C1, x2:C2 \dots (| A |) (| A' |)$

Challenge_1_a : Meaning of $x \mathbf{prt}$

Challenge_1_b : Meaning of $\forall x1:C1, x2:C2 \dots (| A |) (| A' |)$

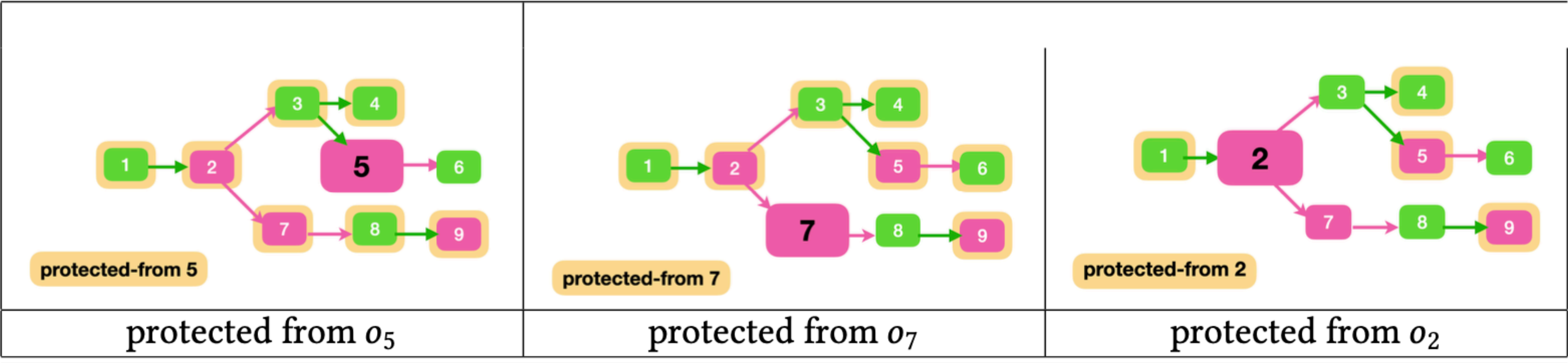
Challenge_1_a : Meaning of $\times \text{prt}$

Remember:

...how our, **internal, trusted objects** will interact securely with the **external, untrusted, potentially malicious, objects**.

Def: $o \text{ prt-frm } o'$ Iff $o \neq o'$ and the penultimate object on any path from o' to o is **internal**.

For example:

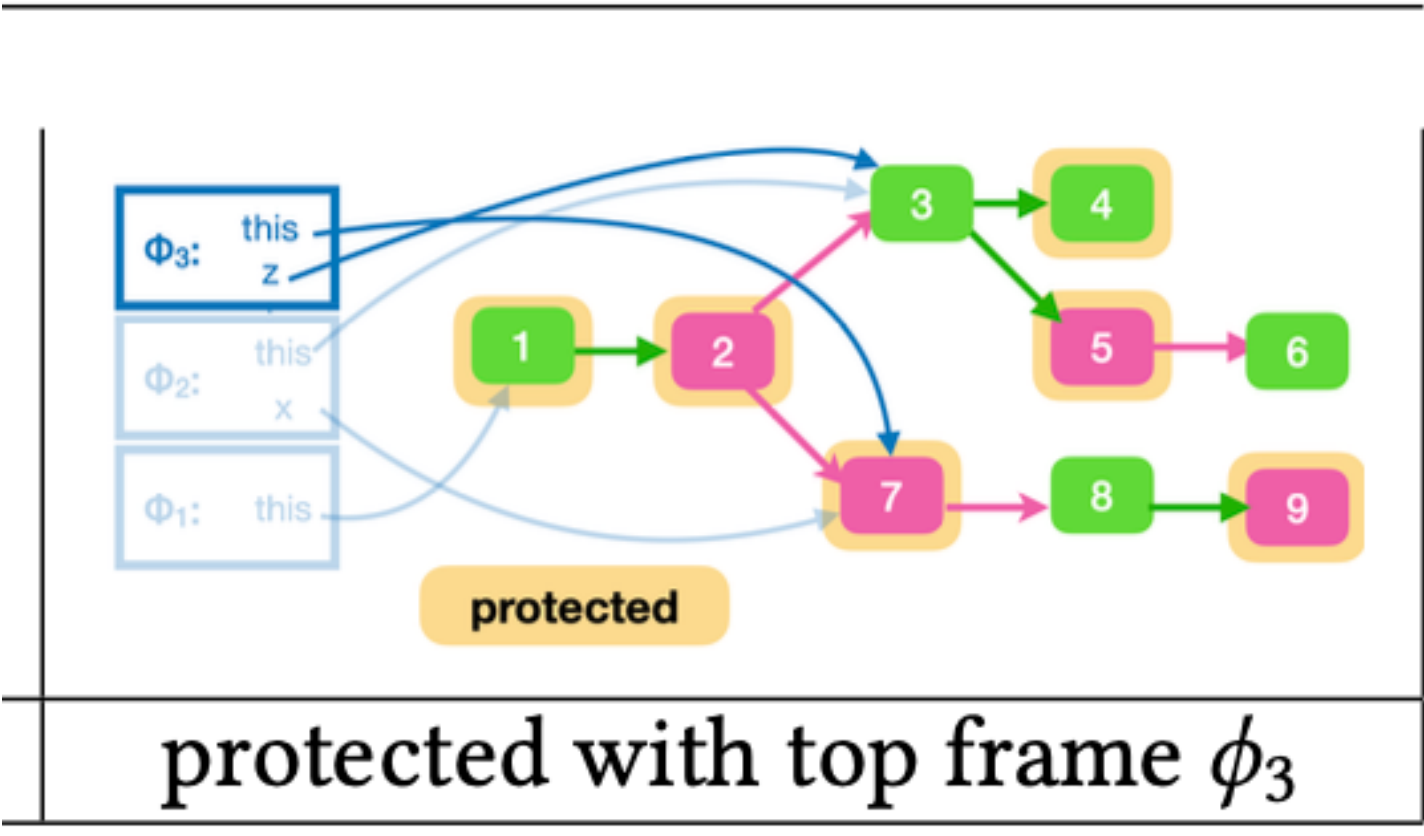
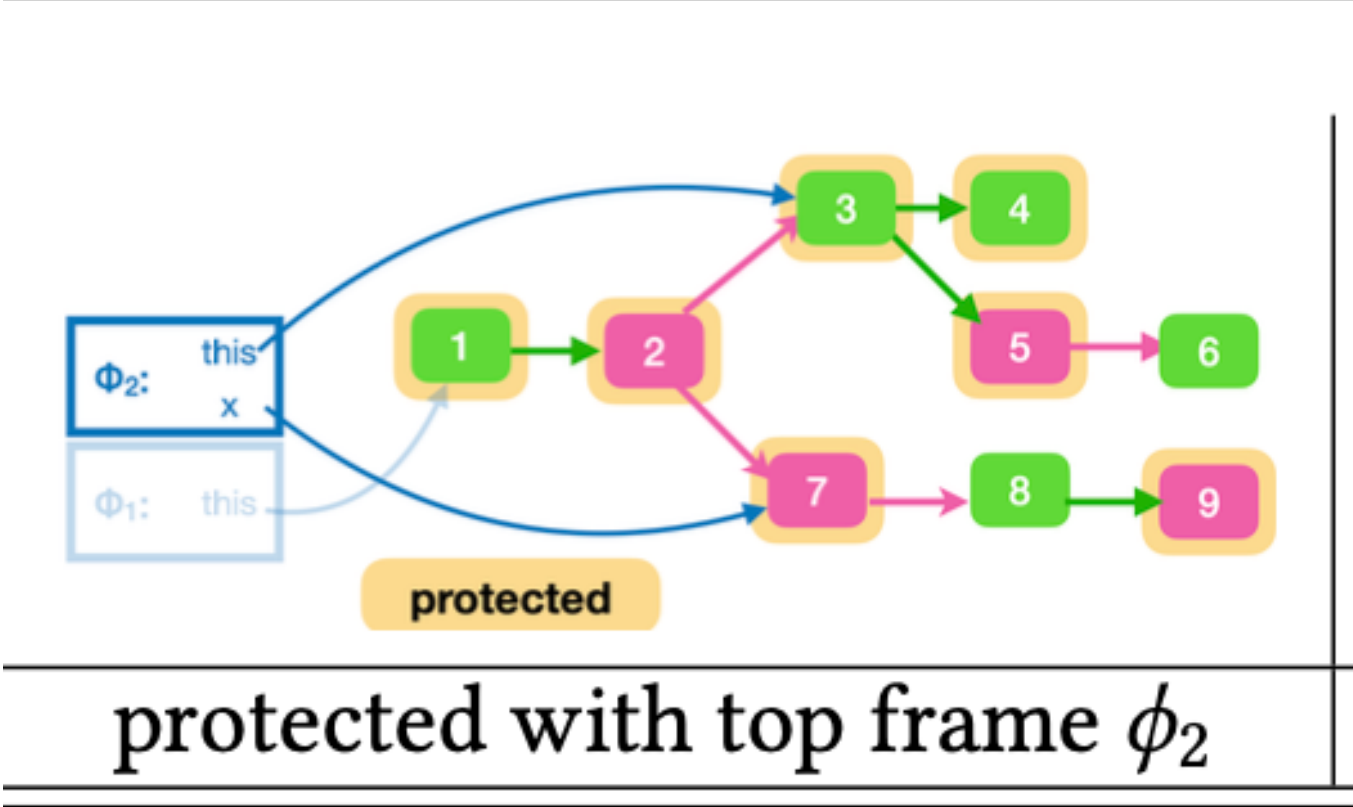
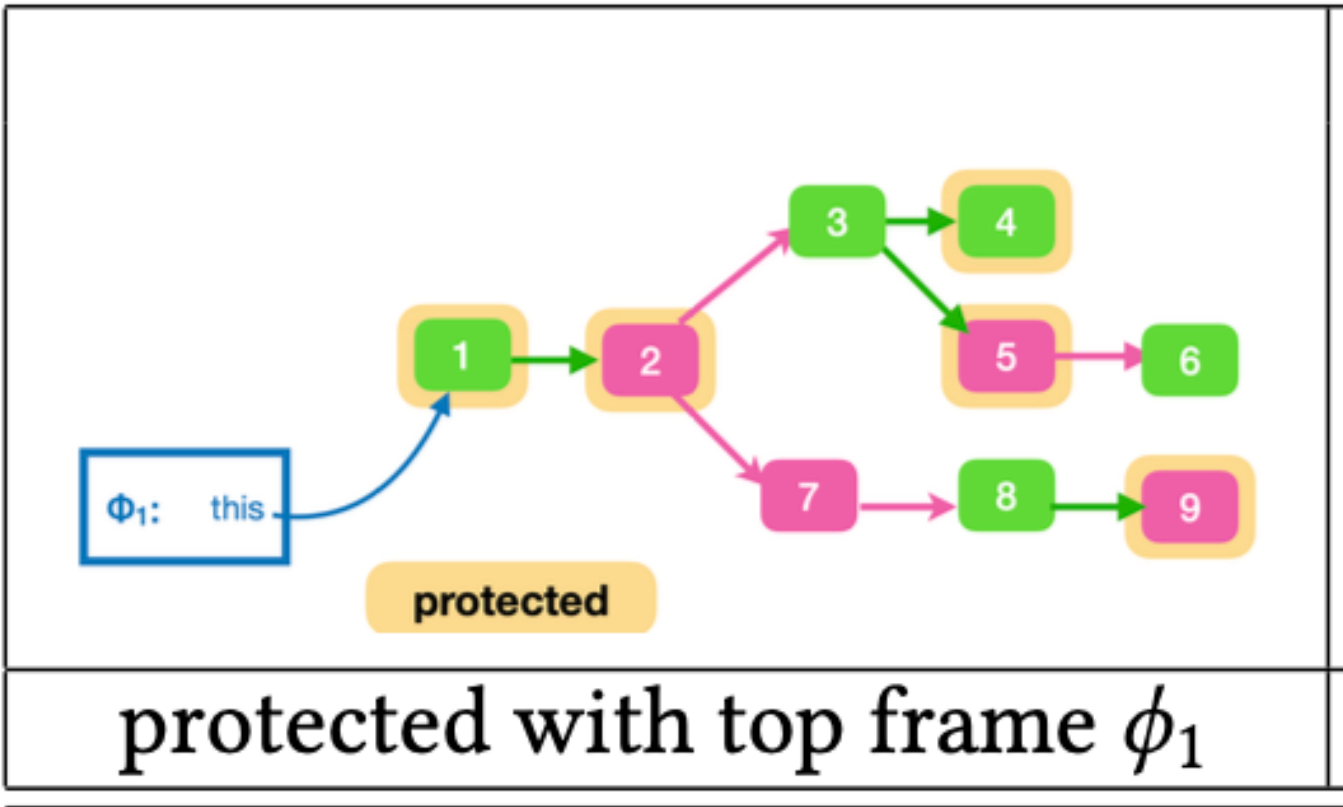


Challenge_1_a : Meaning of $\times \text{prt}$

Def: $o \text{ prt-frm } o'$, if $\text{extr } o'$ and any path from o' to o goes through an internal object.

Def: $o \text{ prt}$, if $o \text{ prt-from}$ any external object

Motto:
Tracking access to Capabilities



Challenge_1_b : Meaning of $\forall x_1:C_1, x_2:C_2 \dots (| A |) (| A' |)$

Definition

$M \models \forall x_1:C_1, x_2:C_2 \dots (| A |) (| A' |)$

iff

For all modules M' ,

For all states σ arising from execution of (M, M') \wedge

For all objects o_1, \dots, o_n globally accessible at σ of class C_1, \dots, C_n ,

For all states σ' in the future from σ without returning from σ 's top frame,

If

$M, \sigma \models o_1:C_1 \wedge \dots \wedge o_n:C_n \wedge A[o_1/x_1, \dots, o_n/x_n]$

then

$M, \sigma' \models A'[o_1/x_1, \dots, o_n/x_n]$

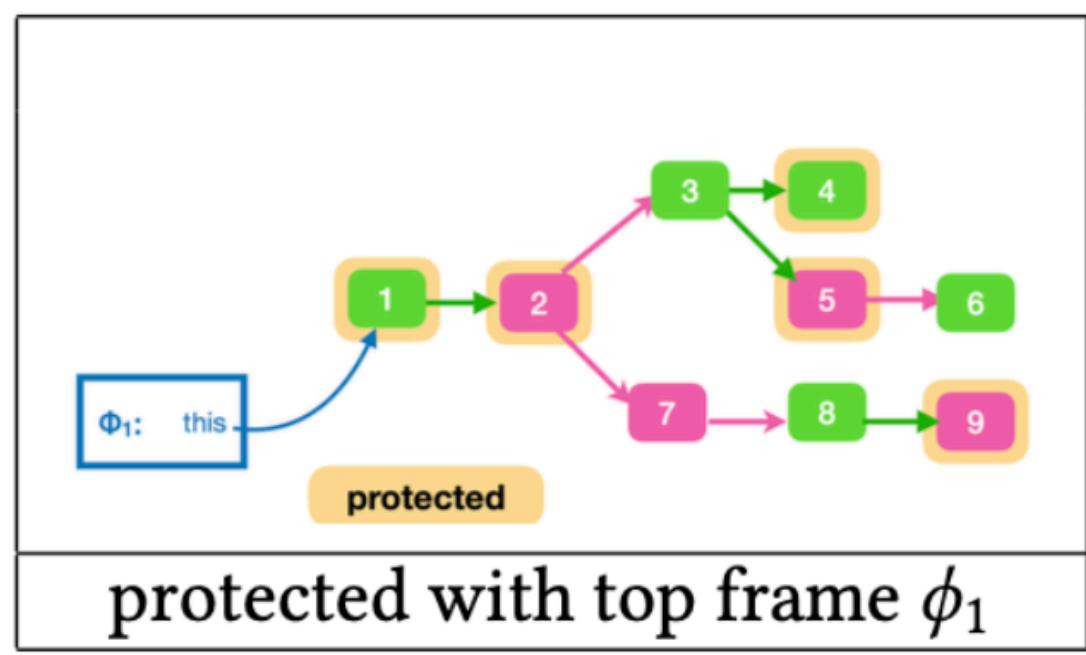
Putting it together

Therefore,

$\forall x: \text{Object} \ (| \mathbf{prt} \ x \wedge A(x) |) \ (| A(x) |)$

guarantees that

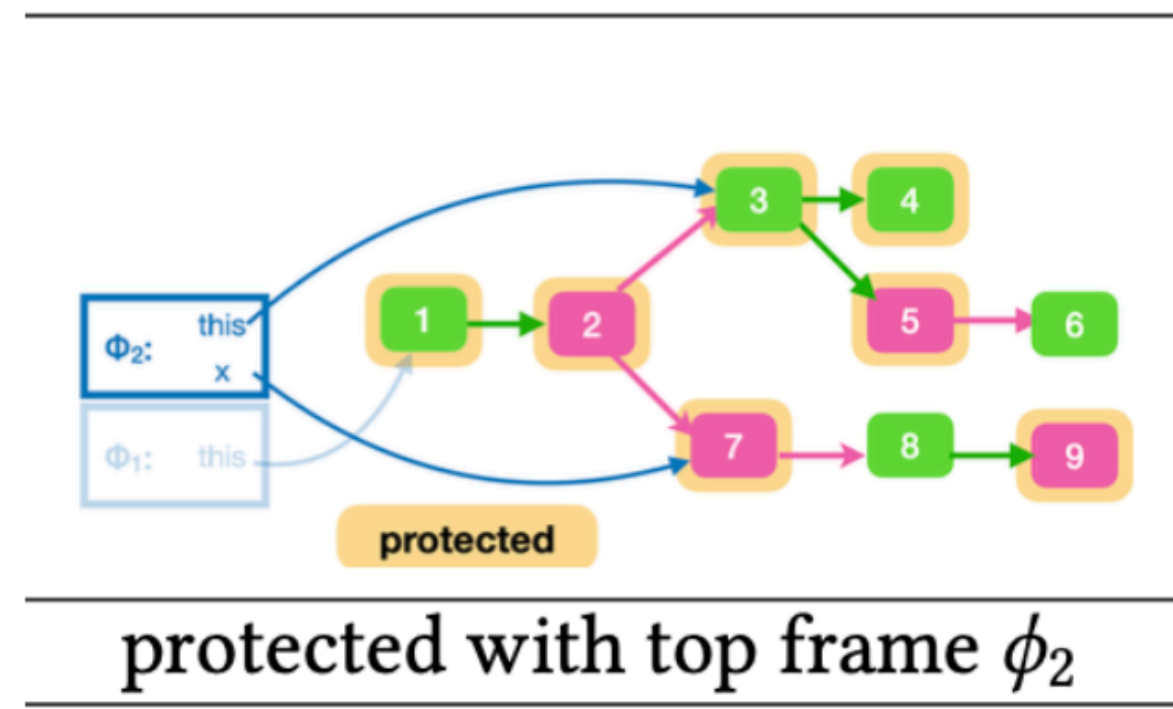
if we start below,



then

$A(o1), A(o2), A(o4),$
 $A(o5), A(o9)$
 will be preserved

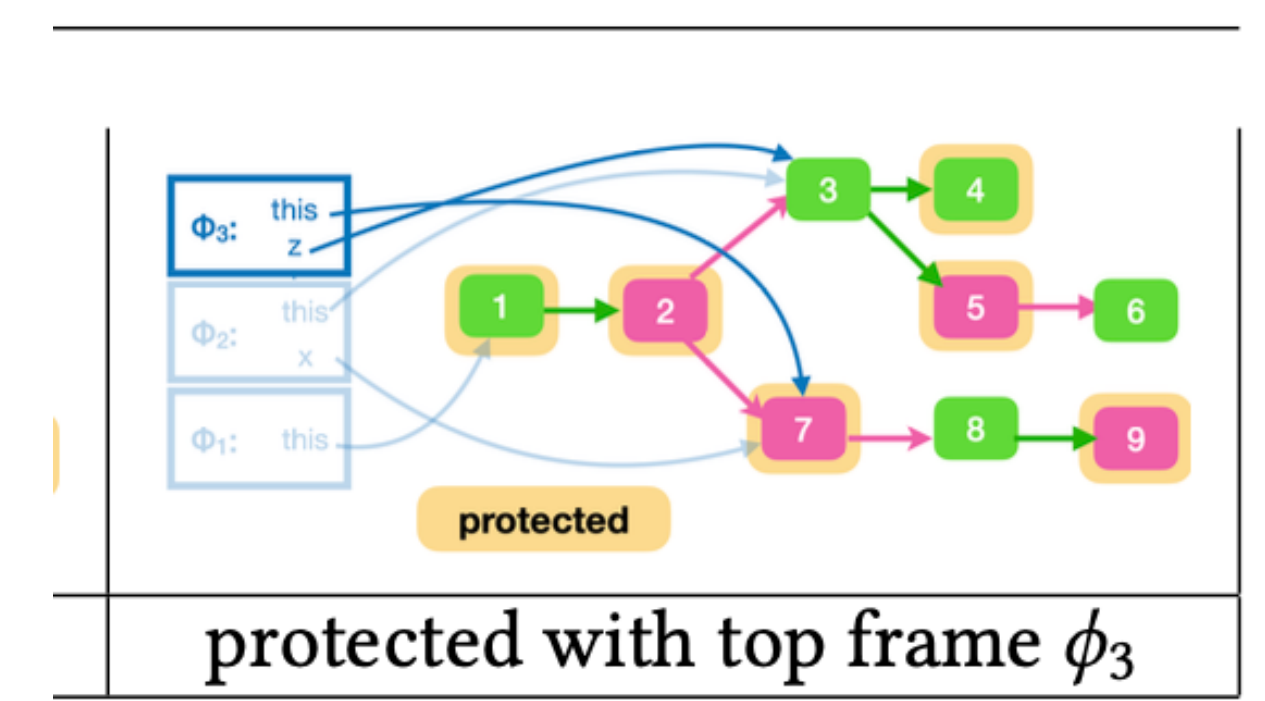
And if we start below,



then

$A(o1), A(o2), A(o3), A(o4),$
 $A(o5), A(o7), A(o9)$
 will be preserved

And if we start below,



then

$A(o1), A(o2), A(o4),$
 $A(o5), A(o7), A(o9)$
 will be preserved

Challenge_1: A module spec S , such that

$$\begin{aligned} M_{\text{good}} &\models S \\ M_{\text{bad}} &\not\models S \\ M_{\text{better}} &\models S \end{aligned}$$

$S =$

$$\begin{aligned} &\forall a:\text{Account} \ (| \text{prt } a |) \ (| \text{prt } a |) \\ &\wedge \\ &\forall a:\text{Account} \ (| \text{prt } a.\text{password} |) \ (| \text{prt } a.\text{password} |) \\ &\wedge \\ &\forall a:\text{Account}. \forall b:\text{Num} \ (| \text{prt } a \wedge a.\text{balance} = b |) \ (| a.\text{balance} = b |) \\ &\wedge \\ &\forall a:\text{Account}. \forall b:\text{Num} \ (| \text{prt } a.\text{password} \wedge a.\text{balance} = b |) \ (| a.\text{balance} \geq b |) \end{aligned}$$

API - agnostic:
 $a.\text{balance}$, $a.\text{password}$ can be ghost

Talks about effects

Talks about
emergent
behaviour

Challenge_1: A module spec S , such that

$$M_{\text{good}} \models S$$

$$M_{\text{bad}} \not\models S$$

$$M_{\text{better}} \models S$$

$$M_{\text{better}} \models \forall a:\text{Account} (| \text{prt } a |) (| \text{prt } a |)$$

$$M_{\text{better}} \models \forall a:\text{Account} (| \text{prt } a.\text{password} |) (| \text{prt } a.\text{password} |)$$

$$M_{\text{better}} \models \forall a:\text{Account}. \forall b:\text{Num} (| \text{prt } a \wedge a.\text{balance} = b |) (| a.\text{balance} = b |)$$

$$M_{\text{better}} \models \forall a:\text{Account}. \forall b:\text{Num} (| \text{prt } a.\text{password} \wedge a.\text{balance} = b |) (| a.\text{balance} \geq b |)$$

$$M_{\text{bad}} \models \forall a:\text{Account} (| \text{prt } a |) (| \text{prt } a |)$$

$$M_{\text{bad}} \not\models \forall a:\text{Account} (| \text{prt } a.\text{password} |) (| \text{prt } a.\text{password} |)$$

$$M_{\text{bad}} \models \forall a:\text{Account}. \forall b:\text{Num} (| \text{prt } a \wedge a.\text{balance} = b |) (| a.\text{balance} = b |)$$

$$M_{\text{bad}} \not\models \forall a:\text{Account}. \forall b:\text{Num} (| \text{prt } a.\text{password} \wedge a.\text{balance} = b |) (| a.\text{balance} \geq b |)$$

Challenge_2: An inference system, such that

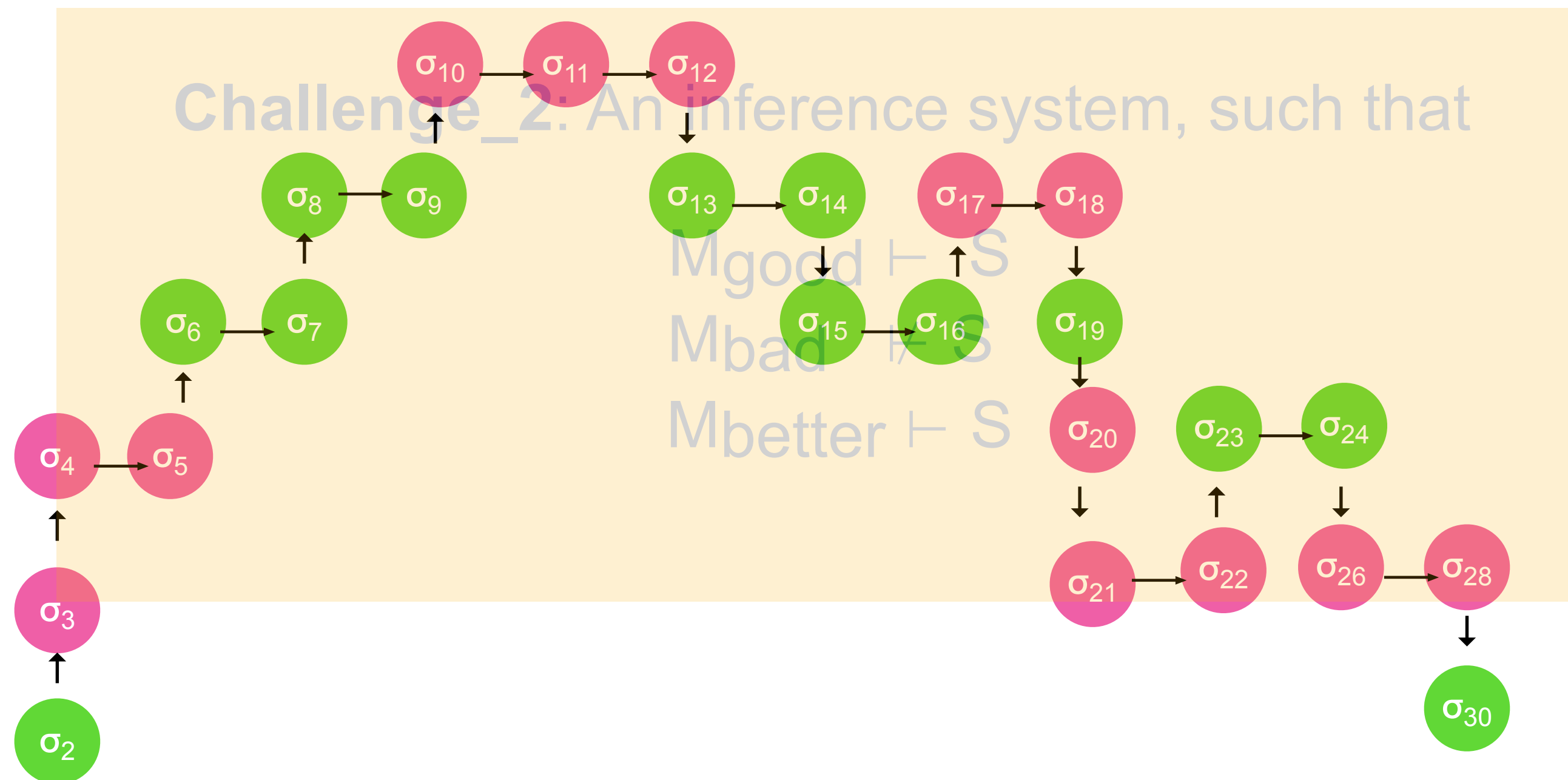
$M_{\text{good}} \vdash S$

$M_{\text{bad}} \not\vdash S$

$M_{\text{better}} \vdash S$

Challenge_4: An inference system, such that
we can prove external calls

In the context of arbitrary, unlimited calls from internal to external,
and arbitrary, unlimited calls from external to internal,



Challenge_2/4: An inference system, such that ...

An assertion A is **encapsulated** by module M , if it can only be invalidated through calls to methods from M .

For example:

$$\text{Mod}_{\text{bad}} \models \textit{Encaps}(a : \text{Account} \wedge a.\text{balance} = \text{bal})$$
$$\text{Mod}_{\text{better}} \models \textit{Encaps}(a : \text{Account} \wedge a.\text{balance} = \text{bal})$$

Assume two further modules, Mod_{ul} and Mod_{pl} , which use ledgers to keep a map between accounts and their balances, which export functions that allow the update of this map. In Mod_{ul} the ledger is *not* protected, while in Mod_{pl} the ledger is protected.

$$\text{Mod}_{ul} \not\models \textit{Encaps}(a : \text{Account} \wedge a.\text{balance} = \text{bal})$$
$$\text{Mod}_{pl} \models \textit{Encaps}(a : \text{Account} \wedge a.\text{balance} = \text{bal})$$

Challenge_2/4: An inference system, such that ...

MODULE_WELL_FORMED

$\forall D \in M, m \text{ with } \text{mBody}(m, D, M) = \overline{y : D} \{ s \}$

m private

for all its specs A_{pre}, A_{post} :

$M \vdash \{ \text{this} : D \wedge \overline{y : D} \wedge A_{pre} \} s \{ A_{post} \}$

m public

$M \vdash \{ \text{this} : D \wedge \overline{y : D} \wedge \text{???} \} s \{ \text{???} \}$

and for all its specs A_{pre}, A_{post} :

$M \vdash \{ \text{this} : D \wedge \overline{y : D} \wedge \text{???} \wedge A_{pre} \} s \{ A_{post} \}$

$\vdash M$

Challenge_2/4: An inference system, such that ...

MODULE_WELL_FORMED

$\forall D \in M, m \text{ with } \text{mBody}(m, D, M) = \overline{y : D} \{ s \}$

m private

for all its specs $A_{pre}, A_{post} :$

$M \vdash \{ \text{this} : D \wedge \overline{y : D} \wedge A_{pre} \} s \{ A_{post} \}$

m public

$M \vdash \{ \text{this} : D \wedge \overline{y : D} \wedge \mathcal{I}nvs(M) \cdot ?? \} s \{ \mathcal{I}nvs(M) \cdot ?? \}$

and for all its specs $A_{pre}, A_{post} :$

$M \vdash \{ \text{this} : D \wedge \overline{y : D} \wedge \mathcal{I}nvs(M) \cdot ?? \wedge A_{pre} \} s \{ A_{post} \}$

$\vdash M$

$$\begin{aligned}
 \mathcal{I}nvs(\overline{\forall x : C. (A)}) &\triangleq \overline{\forall x. [x : C \rightarrow A]} \\
 \mathcal{I}nvs(\overline{\forall x : C. (A)} (A)) &\triangleq \overline{x : C} \wedge A \\
 \mathcal{I}nvs(S_1 \wedge S_2) &\triangleq \mathcal{I}nvs(S_1) \wedge S_2 \mathcal{I}nvs(S_2) \\
 \mathcal{I}nvs(M) &\triangleq \mathcal{I}nvs(HS(M))
 \end{aligned}$$

Challenge_2/4: An inference system, such that ...

MODULE_WELL_FORMED

$\forall D \in M, m \text{ with } \text{mBody}(m, D, M) = \overline{y : D} \{ s \}$

m private

for all its specs $A_{pre}, A_{post} :$

$M \vdash \{ \text{this} : D \wedge \overline{y : D} \wedge A_{pre} \} s \{ A_{post} \}$

m public

$M \vdash \{ \text{this} : D \wedge \overline{y : D} \wedge \mathcal{I}nvs(M) \neg \overline{y} \} s \{ \mathcal{I}nvs(M) \neg \overline{y} \}$

and for all its specs $A_{pre}, A_{post} :$

$M \vdash \{ \text{this} : D \wedge \overline{y : D} \wedge \mathcal{I}nvs(M) \neg \overline{y} \wedge A_{pre} \} s \{ A_{post} \}$

$\vdash M$

$$\begin{array}{ll}
 (\text{prt } e) \neg \overline{y} & \triangleq e \text{ prt-frm } \overline{y} & (A_1 \wedge A_2) \neg \overline{y} & \triangleq (A_1 \neg \overline{y}) \wedge (A_2 \neg \overline{y}) \\
 (e \text{ prt-frm } \overline{u}) \neg \overline{y} & \triangleq e \text{ prt-frm } \overline{u} & (\forall x : C. A) \neg \overline{y} & \triangleq \forall x : C. (A \neg \overline{y}) \\
 (\text{intl } e) \neg \overline{y} & \triangleq \text{intl } e & (\neg A) \neg \overline{y} & \triangleq \neg(A \neg \overline{y}) \\
 e \neg \overline{y} & \triangleq e & (e : C) \neg \overline{y} & \triangleq e : C
 \end{array}$$

Challenge_2/4: An inference system, such that ...

MODULE_WELL_FORMED

$\forall D \in M, m \text{ with } \text{mBody}(m, D, M) = \overline{y : D} \{ s \}$

m private

for all its specs A_{pre}, A_{post} :

$M \vdash \{ \text{this} : D \wedge \overline{y : D} \wedge A_{pre} \} s \{ A_{post} \}$

m public

$M \vdash \{ \text{this} : D \wedge \overline{y : D} \wedge \mathcal{I}nvs(M) \neg \forall \overline{y} \} s \{ \mathcal{I}nvs(M) \neg \forall \overline{y} \}$

and for all its specs A_{pre}, A_{post} :

$M \vdash \{ \text{this} : D \wedge \overline{y : D} \wedge \mathcal{I}nvs(M) \neg \forall \overline{y} \wedge A_{pre} \} s \{ A_{post} \}$

$\vdash M$

LEMMA 3.6. For any states σ, σ' , assertion A , addresses $\overline{\alpha}$, variables $\overline{x}, \overline{y}, \overline{z}$ disjoint with one another, and such that $fv(A) \subseteq \overline{x}$:

- (1) $M, \sigma[\overline{x \mapsto \overline{\alpha}}] \models A \neg \forall \overline{y} \implies M, (\sigma[\overline{x \mapsto \overline{\alpha}}]) \nabla \overline{y} \models A$
- (2) $M, ((\sigma[\overline{x \mapsto \overline{\alpha}}]) \nabla (\overline{y}, \overline{z})) \models A \implies M, \sigma[\overline{x \mapsto \overline{\alpha}}] \models A \neg \forall \overline{y}$

Challenge_2/4: An inference system, such that ...

MODULE_WELL_FORMED

$\forall D \in M, m \text{ with } \text{mBody}(m, D, M) = \overline{y : D} \{ s \}$

m private

for all its specs A_{pre}, A_{post} :

$M \vdash \{ \text{this} : D \wedge \overline{y : D} \wedge A_{pre} \} s \{ A_{post} \}$

m public

$M \vdash \{ \text{this} : D \wedge \overline{y : D} \wedge \mathcal{I}nvs(M) \neg \forall \bar{y} \} s \{ \mathcal{I}nvs(M) \neg \forall \bar{y} \}$

and for all its specs A_{pre}, A_{post} :

$M \vdash \{ \text{this} : D \wedge \overline{y : D} \wedge \mathcal{I}nvs(M) \neg \forall \bar{y} \wedge A_{pre} \} s \{ A_{post} \}$

$\vdash M$

WEAKEN

$M \vdash S \quad M \vdash S \sqsubseteq S'$

$M \vdash S'$

MULTI

$M \vdash S \quad M \vdash S'$

$M \vdash S \wedge S'$

Challenge_2/4: ... prove method bodies

EXTEND

$$\frac{M \vdash_{ul} \{ A \} s \{ A' \}}{M \vdash \{ A \} s \{ A' \}}$$

COMBINE

$$\frac{M \vdash \{ A_1 \} s \{ A'_1 \} \quad M \vdash \{ A_2 \} s \{ A'_2 \}}{M \vdash \{ A_1 \wedge A_2 \} s \{ A'_1 \wedge A'_2 \}}$$

SEQU

$$\frac{M \vdash \{ A \} s_1 \{ A'' \} \quad M \vdash \{ A'' \} s_2 \{ A' \}}{M \vdash \{ A \} s_1; s_2 \{ A' \}}$$

CONSEQU

$$\frac{M \vdash A \rightarrow A'' \quad M \vdash \{ A'' \} s \{ A''' \} \quad M \vdash A''' \rightarrow A'}{M \vdash \{ A \} s \{ A' \}}$$

[INTCALL_WITHSPEC]

$$\frac{M, C, m : (A_1, A_2) \quad fv(A_1) = \bar{x}}{M \vdash \{ \text{intl } y_0 \wedge y : C \wedge A_1[\bar{y}/\text{this}, \bar{x}] \} u := y_0.m(y_1, ..y_n) \{ A_2[u/\text{result}, \bar{y}/\text{this}, \bar{x}] \}}$$

Challenge_2/4: prove external calls

[CALLANDALIAS]

$$x \overset{\text{txt}}{\neq} u \overset{\text{txt}}{\neq} x'$$

$$\frac{}{M \vdash \{ x = x' \wedge (\text{extl } y_0 \rightarrow \mathcal{I}nvs(M) \neg \forall \bar{y}) \} u := y_0.m(y_1, ..y_n) \{ x = x' \}}$$

[CALLNONALIAS]

$$x \overset{\text{txt}}{\neq} u \overset{\text{txt}}{\neq} x'$$

$$\frac{}{M \vdash \{ x \neq x' \wedge (\text{extl } y_0 \rightarrow \mathcal{I}nvs(M) \neg \forall \bar{y}) \} u := y_0.m(y_1, ..y_n) \{ x \neq x' \}}$$

Challenge_2/4: prove external calls

[EXTCAL]

$$M \vdash \{ \text{extl } y_0 \wedge \mathcal{I}nvs(M) \neg \forall \bar{y} \} u := y_0.m(y_1, ..y_n) \{ \mathcal{I}nvs(M) \neg \forall \bar{y} \}$$

Challenge_2/4: prove external calls

[EXTCALL_WITHSPEC_WEAK]

$\vdash M : \text{???}$

$M \vdash \{ \text{extl } y_0 \wedge \overline{x : C} \wedge \text{???} \wedge \mathcal{I}ns(M) \neg \forall \bar{y} \} u := y_0.m(y_1, ..y_n) \{ \text{???} \}$

Motto:
 Capability is a *necessary* condition
 for some effect

Challenge_2/4: prove external calls

$$\frac{\begin{array}{c} \vdash M : \overline{\forall x : C. (A_1 \Downarrow A_2 \Downarrow)} \\ \text{[EXTCALL_WITHSPEC_STRONG]} \end{array}}{M \vdash \{ \text{extl } y_0 \wedge \overline{x : C} \wedge A_1 \neg \forall \bar{y} \wedge ??? \wedge \mathcal{I}nvs(M) \neg \forall \bar{y} \} u := y_0.m(y_1, ..y_n) \{ A_2 \neg \forall \bar{y} \quad ??? \}}$$

Motto:
Capability is a *necessary* condition
for some effect

Challenge_2/4: prove external calls

$$\frac{\vdash M : \overline{\forall x : C. (A_1 \Downarrow A_2 \Downarrow)}}{M \vdash \{ \text{extl } y_0 \wedge \overline{x : C} \wedge A_1 \neg \forall \bar{y} \wedge A_1 \wedge \mathcal{I}nvs(M) \neg \forall \bar{y} \} u := y_0.m(y_1, ..y_n) \{ A_2 \neg \forall \bar{y} \wedge A_2 \}}$$

[EXTCALL_WITHSPEC_STRONG]

Motto:
Capability is a *necessary* condition
for some effect

Challenge_2/4: Revisiting the Shop example

External call

```
class Shop
```

```
  fld myAccount : Account
  fld inventory : Inventory
```

```
  void buy(buyer: Object, anItem: Item)
    int price = anItem.price
    int oldBalance = this.myAccount.balance
    buyer.payMe(myAccount, price)
    if (this.myAccount.balance == oldBalance+price)
      this.send(buyer, anItem)
    else
      buyer.tell("you have not paid me")
```

Shop part of Banking module;
buy a public method of Shop.

buy possible spec

```
PRE: myAccount.balance=b && this.inventory = list
POST: myAccount.balance=b+anItem.price
        -> this.inventory = list\anItem
```

buy satisfies **implicitly**

```
PRE: this.myAccount.passdw prt-frm buyer && this.myAccount.balance==b
```

```
POST: this.myAccount.balance >= b
```

This spec derivable from the Banking spec

🤔🤔 this spec is implied 🤔🤔

Of course, we have to prove that buy
preserves Banking's spec
(as per rule Module_Well_Fomed)

Challenge_3: The inference system should be
algorithmic

Happy!

Convinced!

Surprised!

Summary

- Distinction between external/internal objects
- Specifications talk about necessary conditions for effect:
 $\forall x: \text{Object } (| \text{denial of capability} \wedge A |) (| A |)$
means that **capability** is needed in order to invalidate A
- **pri** x: expresses that capability x is protected from external objects
- Design “Fineties”
 - **pri** x only protects from *locally-relevant* objects;
 - $\forall x: ..(|..|)(|...|)$ talks about *globally-relevant* objects
 - “future is shallow”
- API-agnostic spec, “Algorithmic” inference system system, open calls
- Hand-written soundness and adherence proof

Happy!

Convinced:

Object capabilities are about necessary conditions for effects caused by external objects.

Surprised!

Happy!

Convinced!

Surprised:

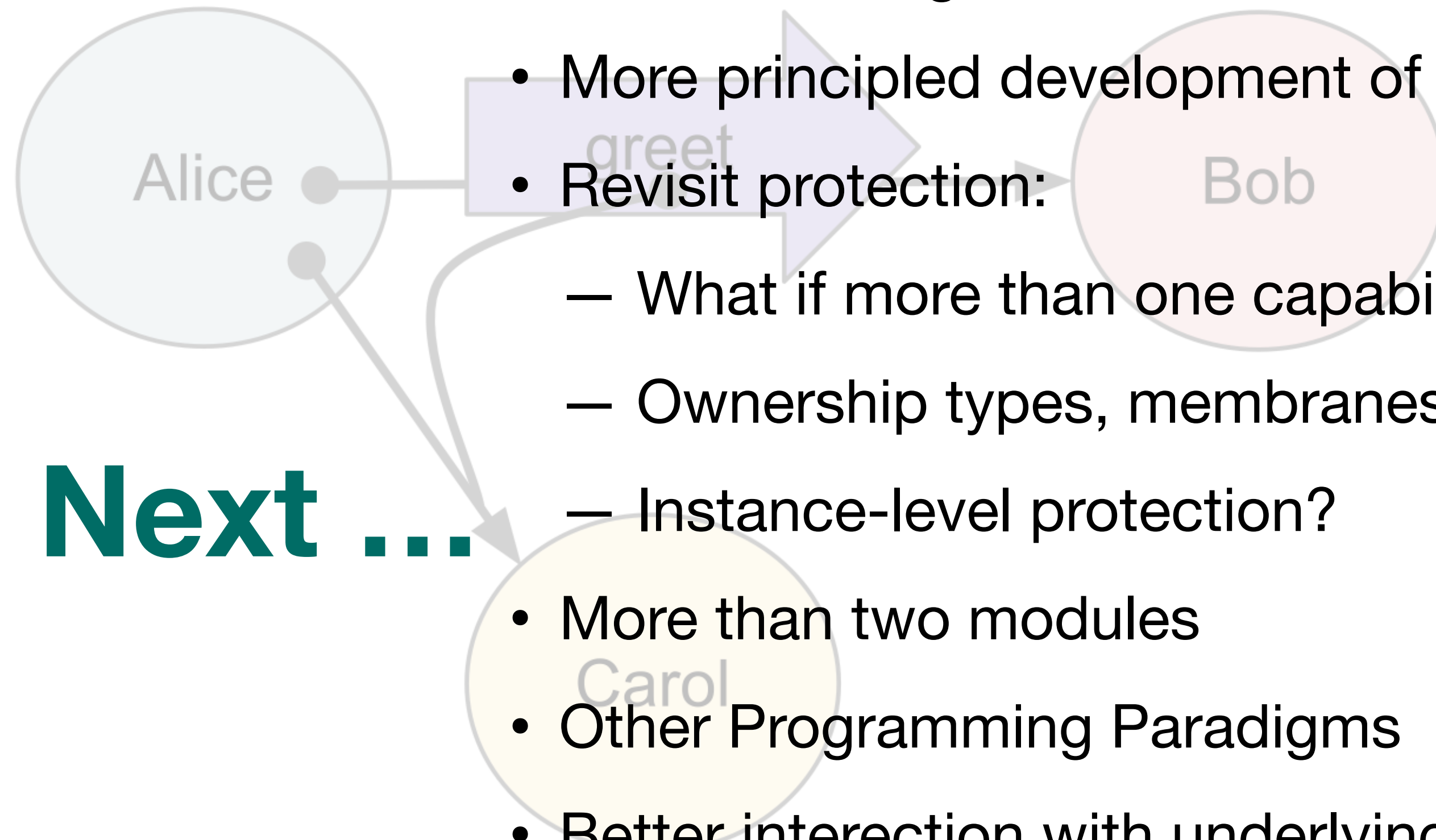
- * talk about *necessary* conditions, but reason with *sufficient* conditions.
- * No need for temporal logic specifications.
- * Hoare-logic extension

- Smooth the edges
- Mechanize proofs
- Completeness?
- Adversarial logic
- More principled development of ptr-Hoare rules
- Revisit protection:

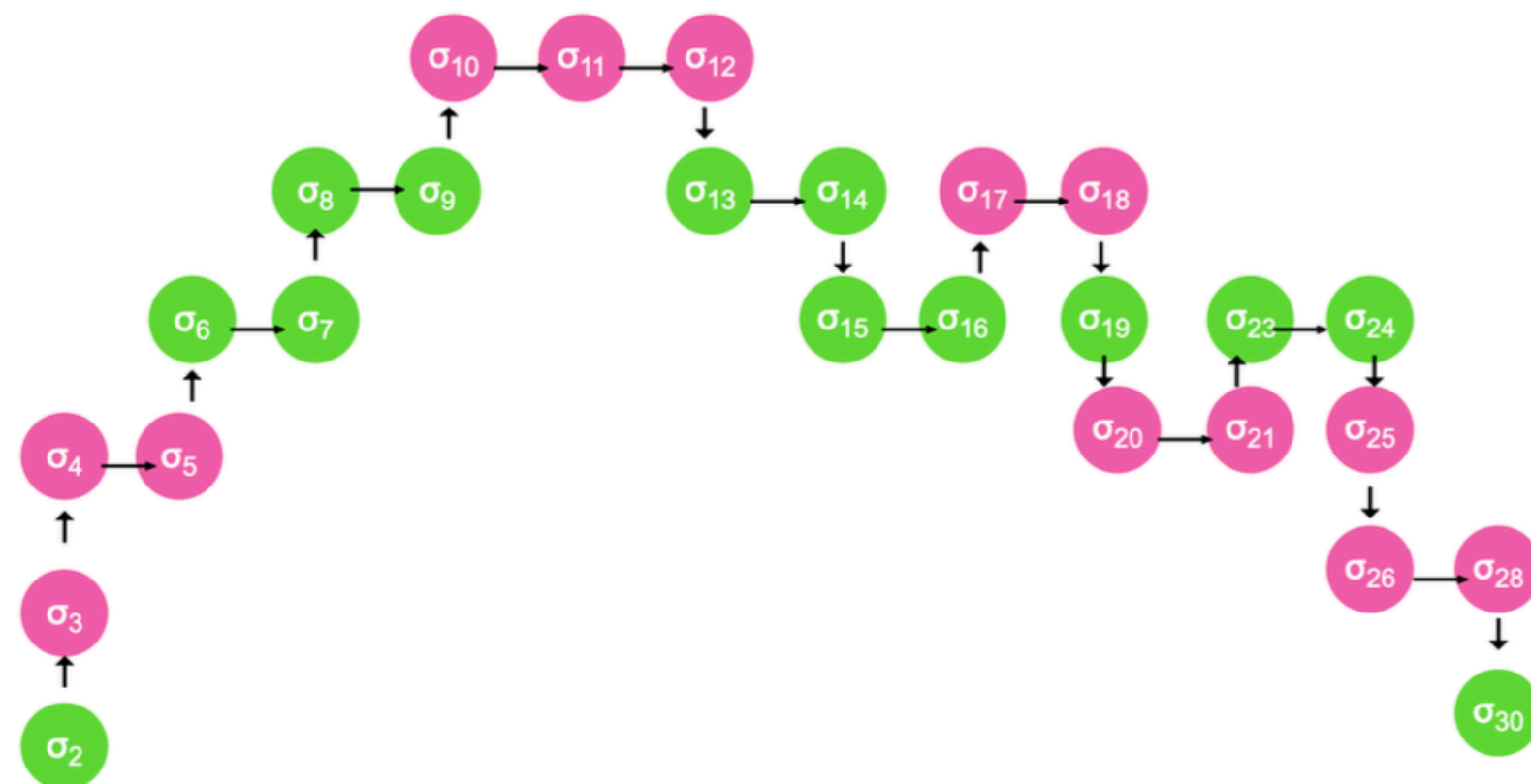
- What if more than one capability for an effect?
- Ownership types, membranes etc?
- Instance-level protection?

Next ...

- More than two modules
- Other Programming Paradigms
- Better interection with underlying Hoare logics, esp. “modifies” clauses, *
- Parametric with language and Hoare Logic
- Inference of Classic Specs given Invariants
- Tool



the original execution:



the summarised execution:

