Does Breiman's random forest use information gain or Gini index?

I would like to know if Breiman's random forest (random forest in R randomForest package) uses as a splitting criterion (criterion for attribute selection) information gain or Gini index? I tried to find it out on http://www.stat.berkeley.edu/~breiman/RandomForests/cc home.htm and in documentation for randomForest package in R. But the only thing I found is that Gini index can be used for variable importance computing.

r random-forest entropy gini





I also wonder if trees of random forest in randomForest package are binary or not. - somebody Apr 4 '15 at 16:51

1 Answer

The randomForest package in R by A. Liaw is a port of the original code being a mix of ccode(translated) some remaining fortran code and R wrapper code. To decide the overall best split across break points and across mtry variables, the code uses a scoring function similar to gini-gain:

$$GiniGain(N,X) = Gini(N) - rac{|N_1|}{|N|}Gini(N_1) - rac{|N_2|}{|N|}Gini(N_2)$$

Where X is a given feature, N is the node on which the split is to be made, and N_1 and N_2 are the two child nodes created by splitting N. $|.\,|$ is the number of elements in a node.

And
$$Gini(N) = 1 - \sum_{k=1}^K p_{k^*}^2$$
 where K is the number of categories in the node

But the applied scoring function is not the exactly same, but instead a equivalent more computational efficient version. Gini(N) and |N| are constant for all compared splits and thus

Also lets inspect the part if the sum of squared prevalence in a node(1) is computed as $rac{|N_2|}{|N|} Gini(N_2) \propto |N_2| Gini(N_2) = |N_2| (1 - \sum_{k=1}^K p_k^2) = |N_2| \sum_{|N_2|^2} rac{n class_{2,k}^2}{|N_2|^2}$

where $nclass_{1,k}$ is the class count of target-class k in daughter node 1. Notice $\left|N_{2}\right|$ is placed both in nominator and denominator.

removing the trivial constant 1- from equation such that best split decision is to maximize nodes size weighted sum of squared class prevalence...

$$\begin{split} & \text{score=} & |N_1| \sum_{k=1}^K p_{1,k}^2 + |N_2| \sum_{k=1}^K p_{2,k}^2 = |N_1| \sum_{k=1}^K \frac{nclass_{1,k}^2}{|N_1|^2} + |N_2| \sum_{k=1}^K \frac{nclass_{2,k}^2}{|N_2|^2} \\ & = \sum_{k=1}^K \frac{nclass_{2,k}^2}{1} |N_1|^{-1} + \sum_{k=1}^K \frac{nclass_{2,k}^2}{1} |N_1|^{-2} \\ & = nominator_1/denominator_1 + nominator_2/denominator_2 \end{split}$$

The implementation also allows for classwise up/down weighting of samples. Also very important when the implementation update this modified gini-gain, moving a single sample from one node to the other is very efficient. The sample can be substracted from nominators/denominators of one node and added to the others. I wrote a prototype-RF some months ago, ignorantly recomputing from scratch gini-gain for every break-point and that was

If several splits scores are best, a random winner is picked.

This answer was based on inspecting source file "randomForest.x.x.tar.gz/src/classTree.c" line 209-250

edited Aug 14 '15 at 18:33

answered Aug 14 '15 at 14:00



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