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CECS 424

12/1/18

Assignment-11

1. $\text{myfoldr} :: (a \rightarrow b \rightarrow b) \rightarrow b \rightarrow [a] \rightarrow b$

$\text{myfoldr } f \text{ acc } [] = \text{acc}$

$\text{myfoldr } f \text{ acc } (x : xs) = f \ x \ (\text{myfoldr } f \text{ acc } xs)$

$\text{mylengthr} :: [a] \rightarrow \text{Int}$

$\text{mylengthr} = \text{myfoldr } (\backslash _ n \rightarrow 1 + n) \ 0$

$\text{mylengthr } [1, 2, 3]$

$\text{mylengthr} = \text{myfoldr } (\backslash _ n \rightarrow 1 + n) \ 0 \ [1, 2, 3]$

$= (\backslash _ n \rightarrow 1 + n) \ 1 \ (\text{myfoldr } (\backslash _ n \rightarrow 1 + n) \ 0 \ [2, 3])$

$= (\backslash _ n \rightarrow 1 + n) \ 1 \ ((\backslash _ n \rightarrow 1 + n) \ 2 \ (\text{myfoldr } (\backslash _ n \rightarrow 1 + n) \ 0 \ [3]))$

$= (\backslash _ n \rightarrow 1 + n) \ 1 \ ((\backslash _ n \rightarrow 1 + n) \ 2 \ ((\backslash _ n \rightarrow 1 + n) \ 3 \ (\text{myfoldr } (\backslash _ n \rightarrow 1 + n) \ 0 \ [])))$

$= (\backslash _ n \rightarrow 1 + n) \ 1 \ ((\backslash _ n \rightarrow 1 + n) \ 2 \ ((\backslash _ n \rightarrow 1 + n) \ 3 \ 0))$

$= (\backslash _ n \rightarrow 1 + n) \ 1 \ ((\backslash _ n \rightarrow 1 + n) \ 2 \ 1)$

$= (\backslash _ n \rightarrow 1 + n) \ 1 \ 2$

$= 3$

2. $\text{myfoldl} :: (a \rightarrow b \rightarrow a) \rightarrow a \rightarrow [b] \rightarrow a$

$\text{myfoldl } f \text{ acc } [] = \text{acc}$

$\text{myfoldl } f \text{ acc } (x:xs) = \text{myfoldl } f (f \text{ acc } x) xs$

a. $\text{mylengthl} :: [a] \rightarrow \text{Int}$

$\text{mylengthl} = \text{myfoldl } (\backslash n _ \rightarrow 1 + n) 0$

b. $\text{mylengthl } [1,2,3]$

$$\begin{aligned} \text{mylengthl} &= \text{myfoldl } (\backslash n _ \rightarrow 1 + n) 0 [1, 2, 3] \\ &= \text{myfoldl } (\backslash n _ \rightarrow 1 + n) (\backslash _ n \rightarrow 1 + n) 0 1 [2, 3] \\ &= \text{myfoldl } (\backslash n _ \rightarrow 1 + n) (\backslash n _ \rightarrow 1 + n) (\backslash _ n \rightarrow 1 + n) 0 1 2 [3] \\ &= \text{myfoldl } (\backslash n _ \rightarrow 1 + n) (\backslash n _ \rightarrow 1 + n) (\backslash n _ \rightarrow 1 + n) (\backslash _ n \rightarrow 1 + n) 0 1 2 3 [] \\ &= (\backslash n _ \rightarrow 1 + n) (\backslash n _ \rightarrow 1 + n) (\backslash _ n \rightarrow 1 + n) 0 1 2 3) \\ &= (\backslash n _ \rightarrow 1 + n) (\backslash n _ \rightarrow 1 + n) 1 2 3) \\ &= (\backslash n _ \rightarrow 1 + n) 2 3) \\ &= 3 \end{aligned}$$

3. $\text{myfoldl} :: (a \rightarrow b \rightarrow a) \rightarrow a \rightarrow [b] \rightarrow a$

$\text{myfoldl } f \text{ acc } [] = \text{acc}$

$\text{myfoldl } f \text{ acc } (x:xs) = \text{myfoldl } f (f \text{ acc } x) \text{ xs}$

a. $\text{myreverse} :: [a] \rightarrow [a]$

$\text{myreverse} :: \text{myfoldl } (\backslash m n \rightarrow n : m) []$

b. $\text{myreverse } [1,2,3]$

$\text{myreverse} = \text{myfoldl } (\backslash m n \rightarrow n : m) [] [1,2,3]$

$= \text{myfoldl } (\backslash m n \rightarrow n : m) (\backslash m n \rightarrow n : m) [] 1 [2,3]$

$= \text{myfoldl } (\backslash m n \rightarrow n : m) (\backslash m n \rightarrow n : m) (\backslash m n \rightarrow n : m) [] 1 2 [3]$

$= \text{myfoldl } (\backslash m n \rightarrow n : m) (\backslash m n \rightarrow n : m) (\backslash m n \rightarrow n : m) (\backslash m n \rightarrow n : m) [] 1 2 3 []$

$= (\backslash m n \rightarrow n : m) (\backslash m n \rightarrow n : m) (\backslash m n \rightarrow n : m) [] 1 2 3$

$= (\backslash m n \rightarrow n : m) (\backslash m n \rightarrow n : m) (1 : []) 2 3$

$= (\backslash m n \rightarrow n : m) (2 : (1 : [])) 3$

$= (3 : (2 : (1 : [])))$

$= [3, 2, 1]$