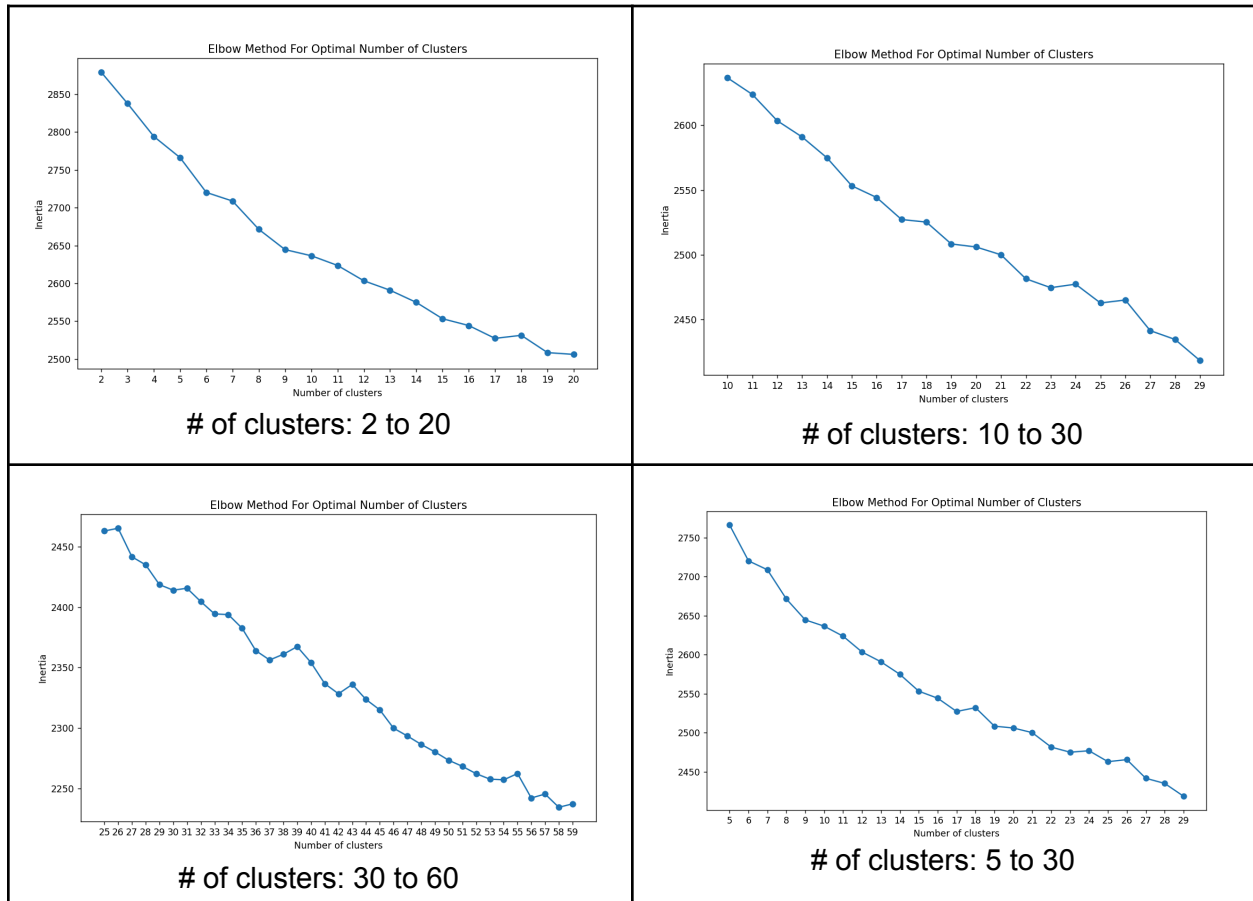
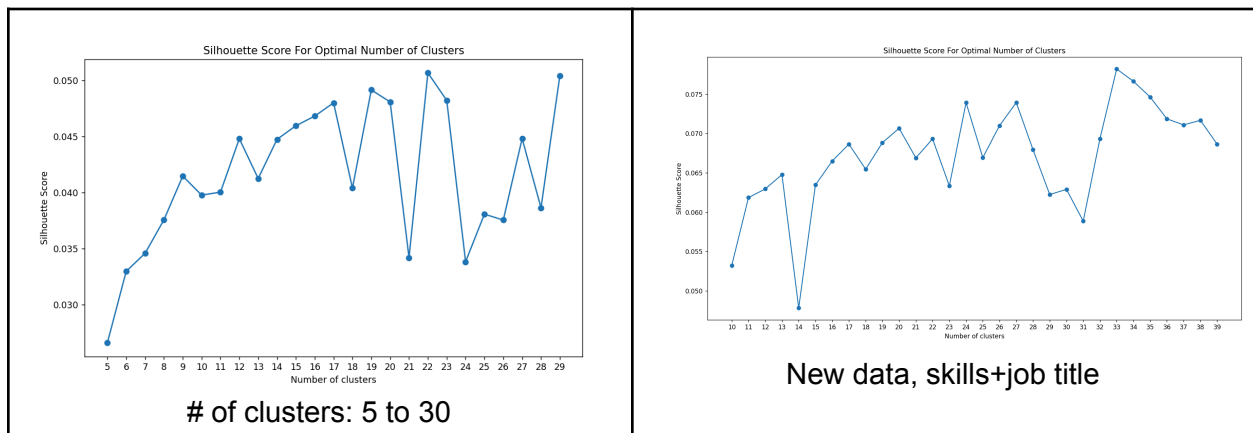


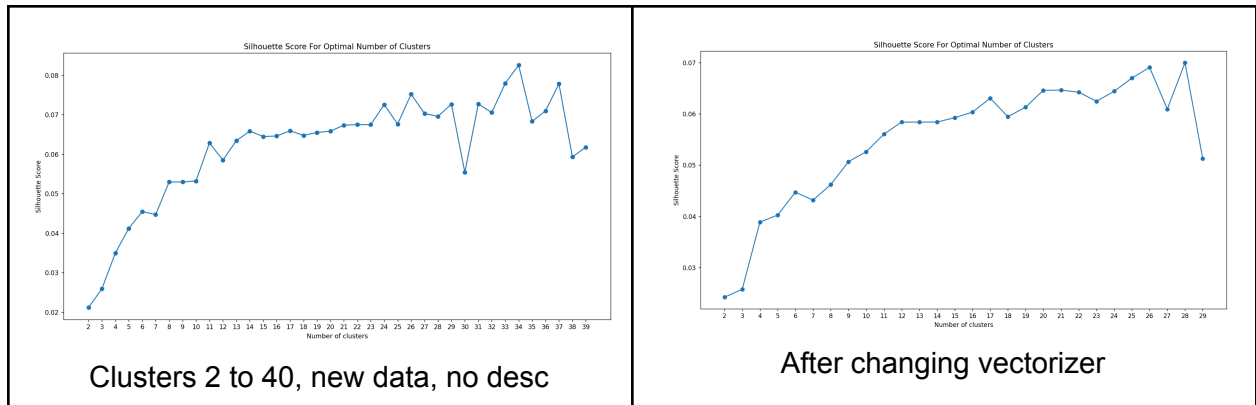
# Applicant

## “Elbow Method”

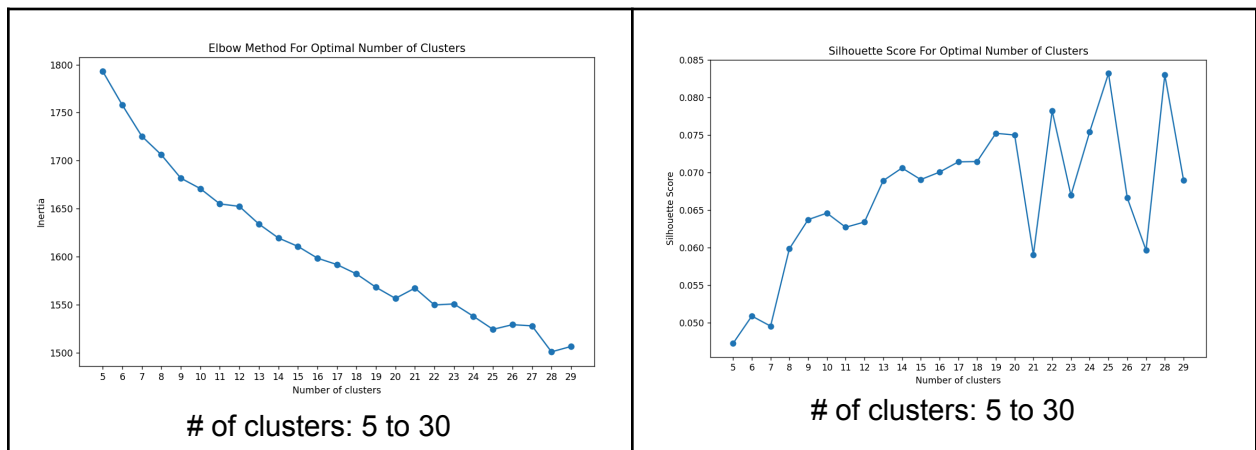


## Silhouette Score



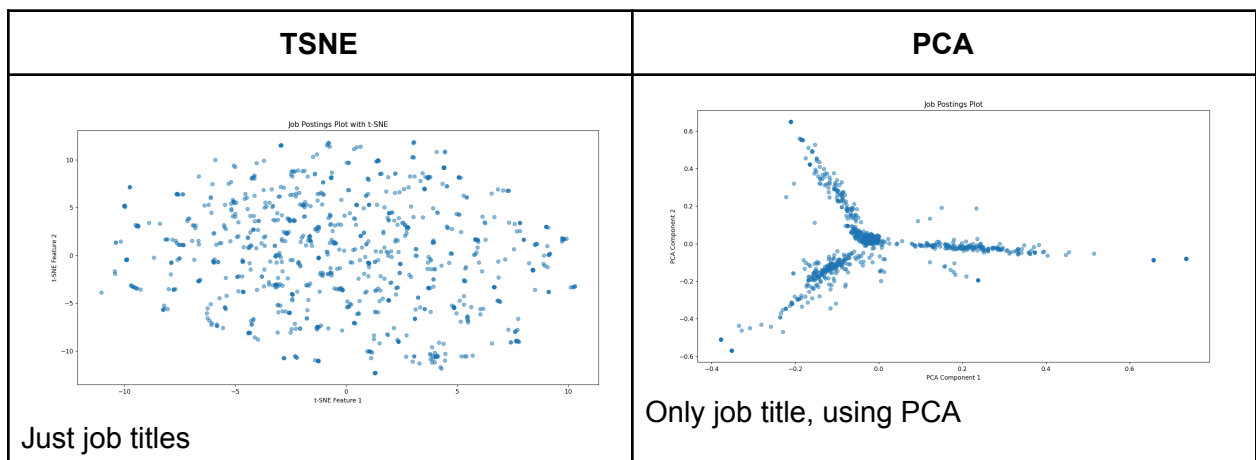


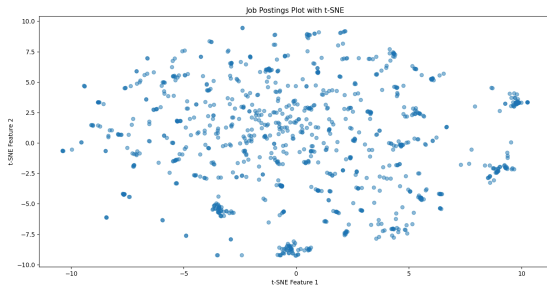
## No description in matrix



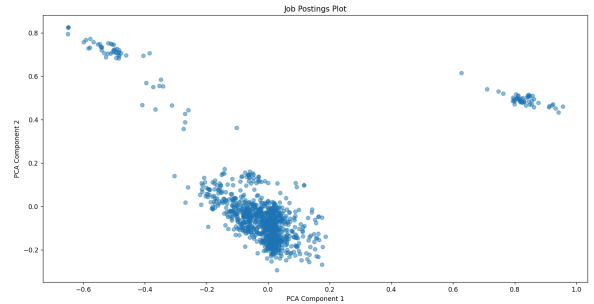
Based on the silhouette plot above the max score is at cluster 25 with a score of ~0.083

## Plotting the jobs

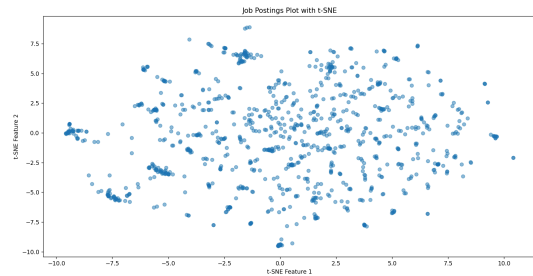




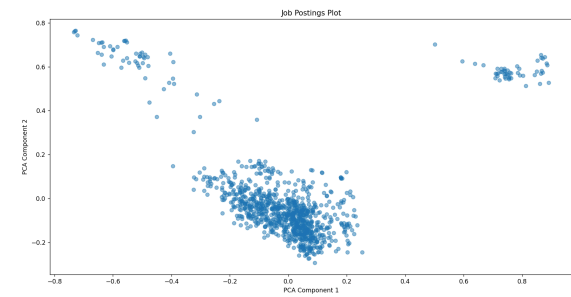
Job titles + skills



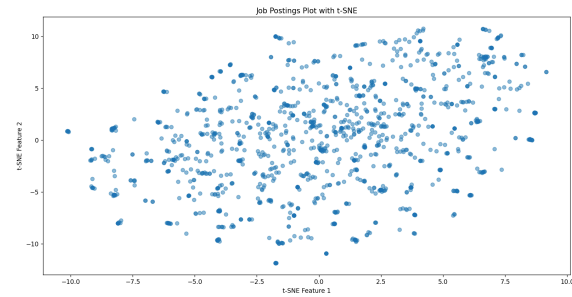
Job titles + skills, using PCA



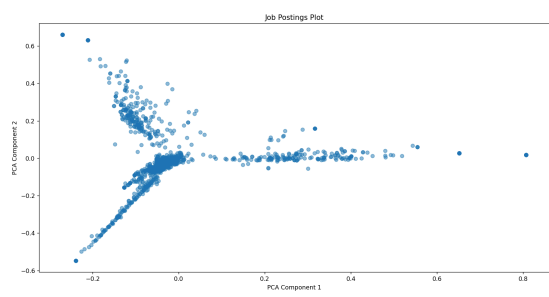
Job title + skills + desc



Job title + skills + desc, using PCA

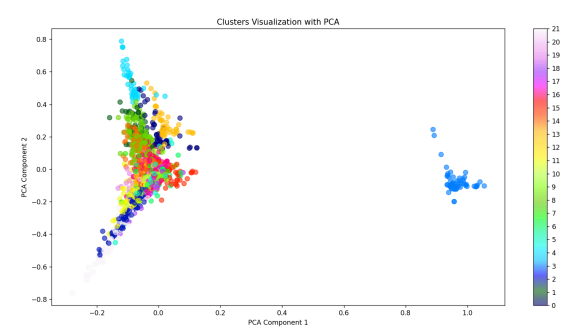
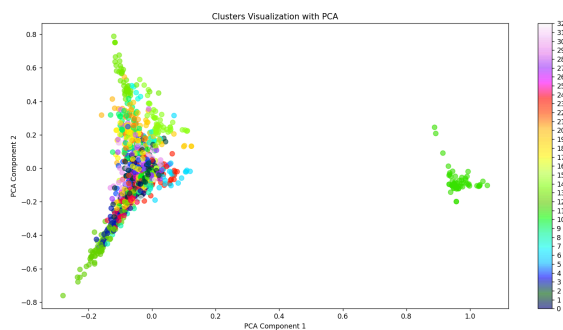


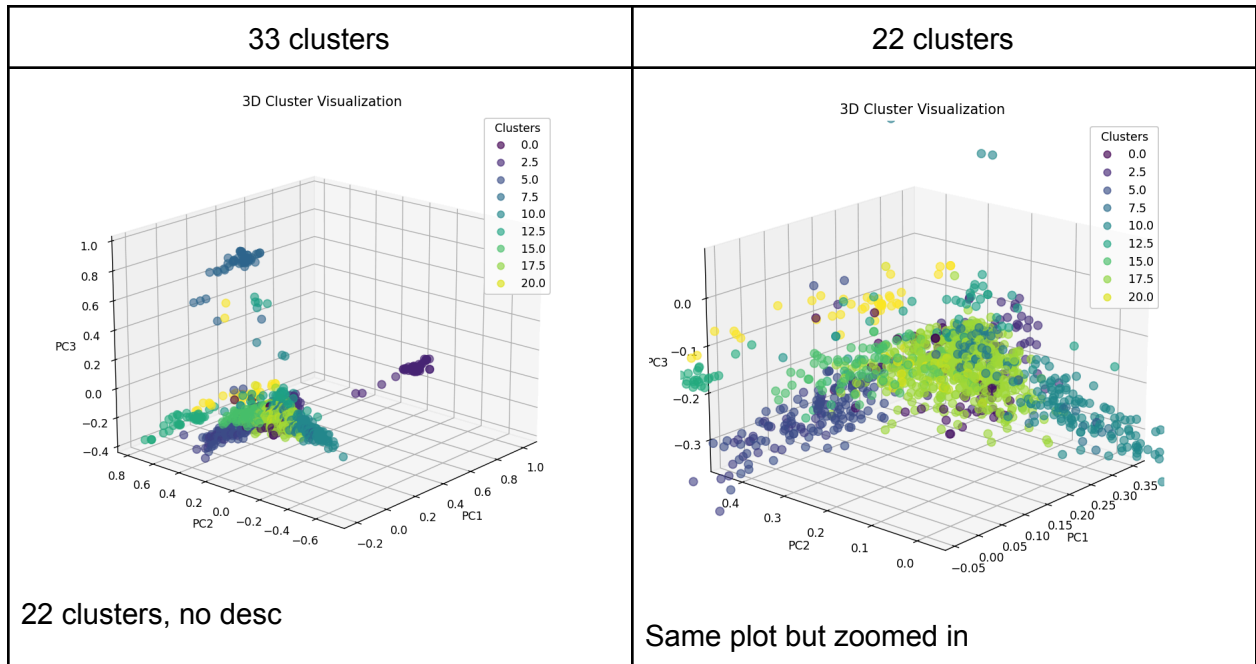
Added data, only title



Added data, only title

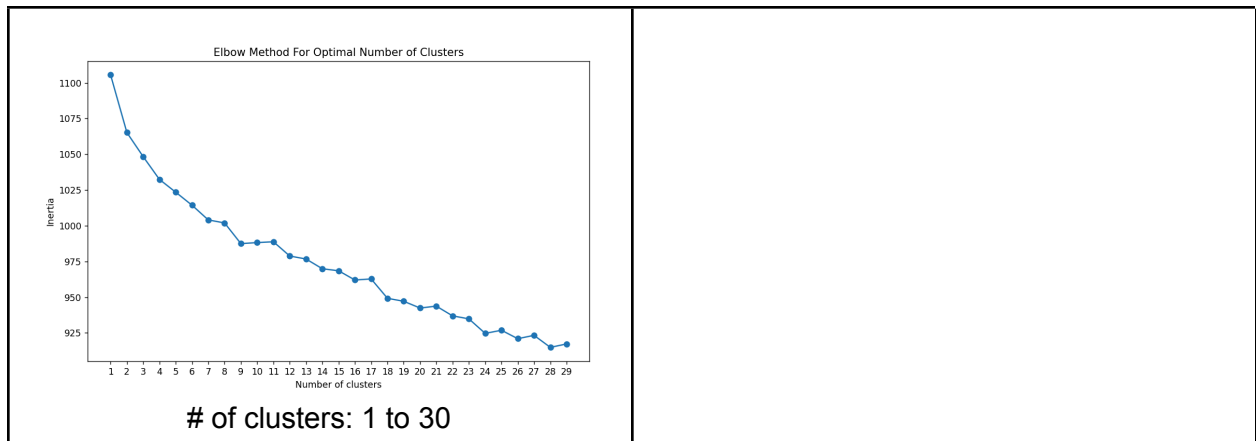
## Clustering



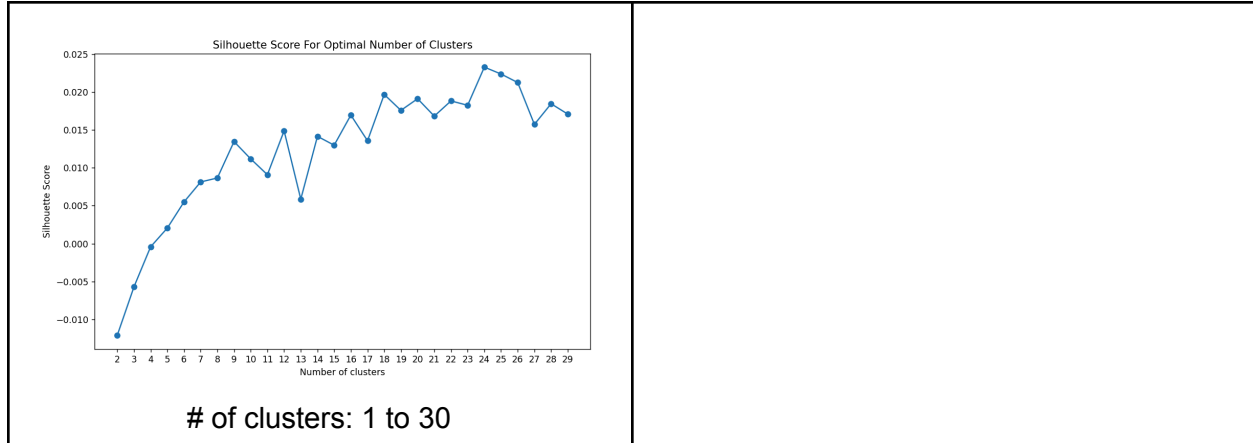


# Recruiter

## “Elbow Method”

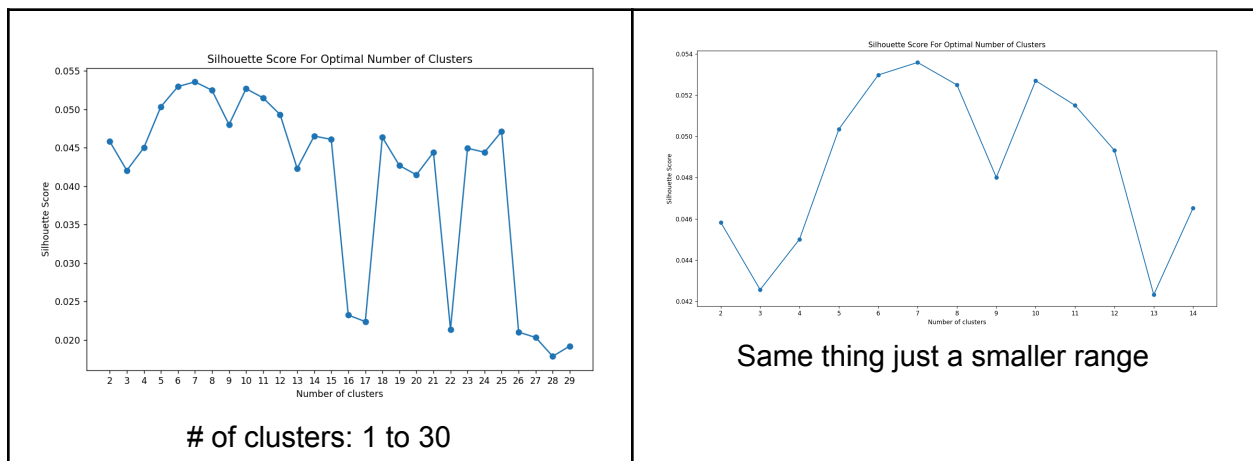


## Silhouette Score



Based on the plot above the max score is at cluster 24 but the score is around 0.025

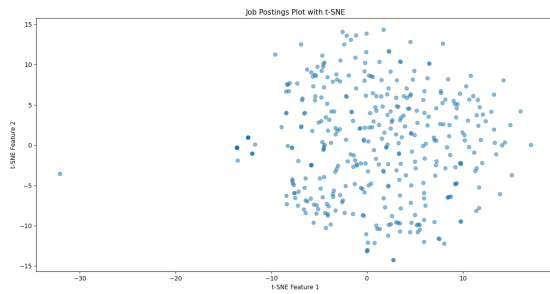
## No description in matrix



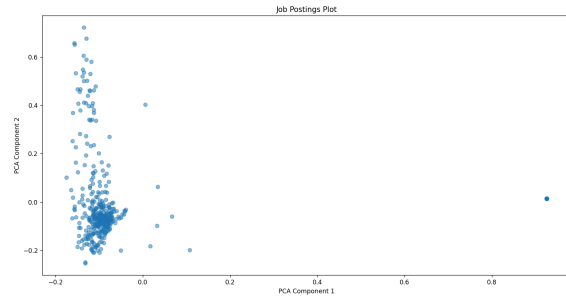
Based on the plot above the max score is at **cluster 7** with the score being about 0.05

## Plotting applicants

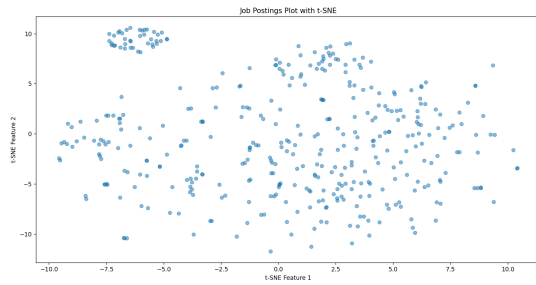
TSNE	PCA
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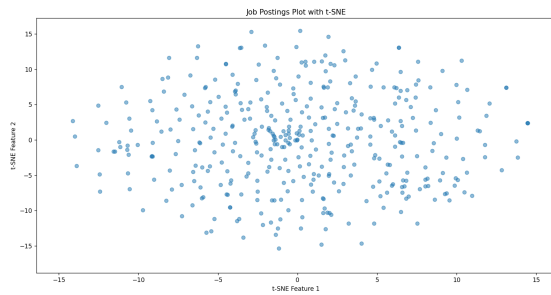
\*ignore the title, also this is just job titles of applicants



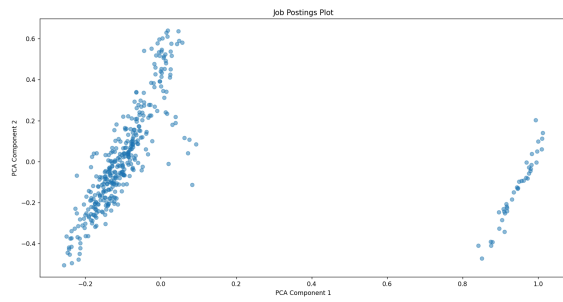
\*ignore the title, also this is just job titles of applicants



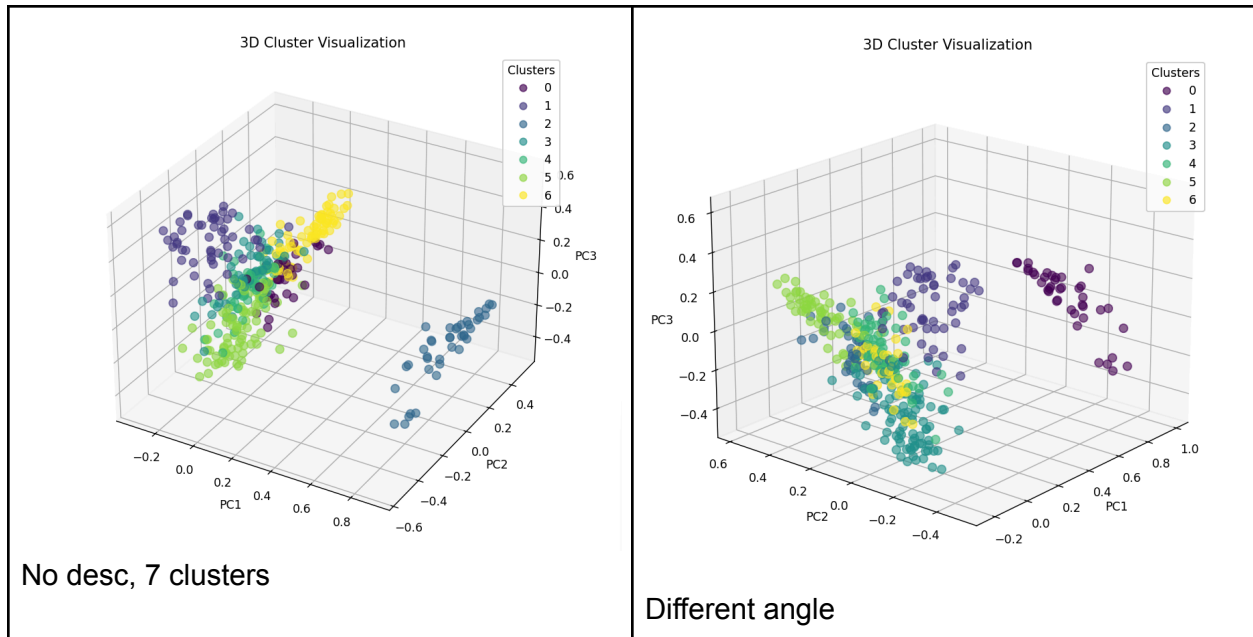
Job titles + skills



Job titles + skills + desc



Job titles + skills + desc



## Additional Info

Elbow Method is an empirical method to find the optimal number of clusters for a dataset. In this method, we pick a range of candidate values of  $k$ , then apply K-Means clustering using each of the values of  $k$ . Find the average distance of each point in a cluster to its centroid, and represent it in a plot. Pick the value of  $k$ , where the average distance falls suddenly.

<https://towardsdatascience.com/silhouette-method-better-than-elbow-method-to-find-optimal-clusters-378d62ff6891>

Silhouette Analysis: It measures how similar an object is to its own cluster compared to other clusters. The Silhouette Score ranges from  $-1$  to  $+1$ , where a high value indicates that the object is well-matched to its own cluster and poorly matched to neighboring clusters. If the Elbow Method is unclear, this might provide more insight.

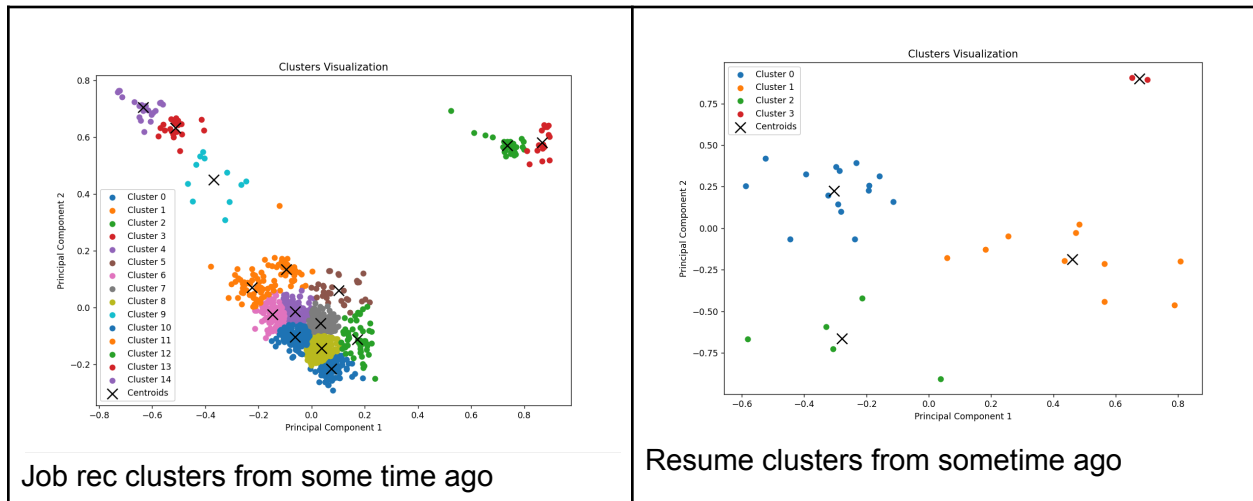
<https://www.sciencedirect.com/science/article/pii/S1877050920318020>

User similarity:

[https://github.com/jalajthanaki/Job\\_recommendation\\_engine/blob/master/Job\\_recommendation\\_engine.ipynb](https://github.com/jalajthanaki/Job_recommendation_engine/blob/master/Job_recommendation_engine.ipynb)

Train Logistic Regression with Feedback: Train the logistic regression model on the cluster assignments and the feedback. The model will learn the relationship between the clusters and the likelihood of positive feedback.

Prediction and Evaluation: Use the trained logistic regression model to predict the feedback for new, unseen job postings. Evaluate the model's performance using the actual feedback from users.



**Ideas:**

Cluster, give results, user gives feedback, new user gets recs+find similar user and rec jobs they liked

Still should retrain model

- Use clustering to group similar jobs and recommend jobs from the same cluster to users with similar preferences.
- Use Logistic Regression (or another classification model) to predict user interactions with jobs based on job features and possibly user features.
- Integrate user feedback to either refine the clustering (e.g., by adjusting features used for clustering) or as labels in a supervised learning task to predict user preferences.





## ChatGPT

To create a confidence rating for these results, we should consider both the ``score`` (cosine similarity) and the ``like_probability`` (from logistic regression), as these metrics reflect different aspects of how well a job matches the user's profile and preferences. The ``combined_score`` already aggregates these two, but for a confidence rating, we might want to emphasize the importance of a match being both similar (high ``score``) and likable (high ``like_probability``).

One approach is to use a weighted average of the ``score`` and ``like_probability``, giving more weight to the metric you believe is more important for the confidence rating. Alternatively, you could consider scaling these values or applying a function that accentuates higher values more than lower ones.

Here's a basic formula for a confidence rating:

$$\text{Confidence Rating} = \alpha \times \text{Normalized Score} + \beta \times \text{Normalized Like Probability}$$

Where:

- $\alpha$  and  $\beta$  are weights that sum to 1, reflecting the importance of the score and like probability, respectively.
- Normalized Score and Normalized Like Probability are the score and like probability normalized to the same scale, typically [0, 1].

First, let's normalize the ``score`` and ``like_probability`` to ensure they are directly comparable: