CSL7670 : Fundamentals of Machine Learning

Lab Report



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Chapter 1

Lab-10

1.1 Objective

The objective of this whole assignment is to learn about PCA(Principle Component Analysis)

1.2 Problem-1

The main objective is to understand how the Dimensionality reduction takes place using the PCA algorithm.

• I have tried here to play with the K values and understand the effect of the parameter on reducing the dimensions and still retrieving the maximum information out of the images.

Solution 1:

```
#!/usr/bin/env python
  # coding: utf-8
  # In[1]:
6
  # a) , b)
  import numpy as np
  import matplotlib.pyplot as plt
  {\tt from \ sklearn.decomposition \ import \ PCA}
  from sklearn.datasets import fetch_openml
11
12
  # Load the MNIST dataset (or any other suitable dataset)
  mnist = fetch_openml('mnist_784')
14
  X = mnist.data.astype('float64') / 255.0 # Normalize pixel values to [0,
     → 1]
16
  # In[]:
19
20
  # Number of principal components to retain
  \# n\_components = 20
22
  n_{comp} = [2,4,8,10,30,40,50,75,80,90,100]
24
25
  for n in n_comp:
```

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```
# Perform PCA
27
       pca = PCA(n_components=n)
28
       X_pca = pca.fit_transform(X)
30
32
       # Reconstruct the data
       X_reconstructed = pca.inverse_transform(X_pca)
34
       # Reshape the images for plotting
36
       original_images = X.values.reshape((-1, 28, 28))
37
       reconstructed_images = X_reconstructed.reshape((-1, 28, 28))
38
39
       # Plot original and reconstructed images
40
       def plot_gallery(images, n_row=5, n_col=5):
41
           plt.figure(figsize=(1.8 * n_col, 2.4 * n_row))
42
           plt.subplots_adjust(bottom=0, left=.01, right=.99, top=.90, hspace
               \hookrightarrow =.35)
           for i in range(n_row * n_col):
44
                plt.subplot(n_row, n_col, i + 1)
45
                plt.imshow(images[i], cmap=plt.cm.gray)
46
                plt.title(f'Digit<sub>□</sub>{i}')
47
                plt.xticks(())
                plt.yticks(())
49
       # Display original images
51
       plot_gallery(original_images, n_row=1, n_col=5)
       plt.suptitle('Original | Images', size=16)
53
       plt.show()
       # Display reconstructed images
56
       plot_gallery(reconstructed_images, n_row=1, n_col=5)
       \verb|plt.suptitle(f'Reconstructed| Images| (n_components = \{n\})', size = 16)|
58
       plt.show()
61
   # In[]:
63
64
65
  # C)
66
  import numpy as np
67
68
  recon_loss = []
69
70
  for n in n_comp:
       # Perform PCA
       pca = PCA(n_components=n)
73
       X_pca = pca.fit_transform(X)
       X_recon = pca.inverse_transform(X_pca)
       loss_vals = np.mean((X - X_recon)**2)
76
       recon_loss.append(loss_vals)
78
       # Plot the reconstruction losses against different values of N
79
```

1.2. PROBLEM-1 5

```
80 | plt.plot(n_comp, recon_loss)
   \verb|plt.title('Reconstruction||Loss||Values||vs.||Principal||Components||(N)')|
   {\tt plt.xlabel('Principle_{\sqcup}Component_{\sqcup}Numbers_{\sqcup}(N)')}
   plt.ylabel('Reconstruction_Loss_Values')
83
   plt.show()
86
87
88
89
90
91
   # In[ ]:
92
93
94
   X_pca
95
97
   # In[ ]:
```

We witness that as we reduce the Dimension, but still go till 100th K value, we get quite a good accuracy almost near to the original image. 6 CHAPTER 1. LAB-10

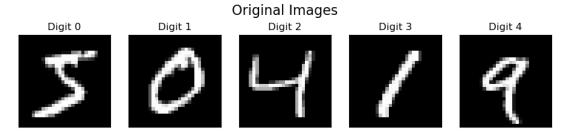


Figure 1.1: The Original Image $\,$

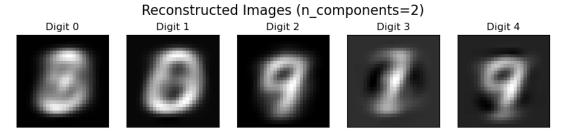


Figure 1.2: Dimension Reduced Image

1.2. PROBLEM-1

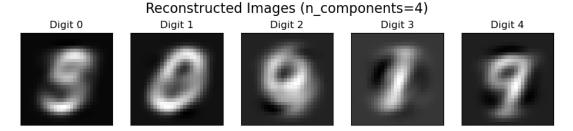


Figure 1.3: Dimension Reduced Image

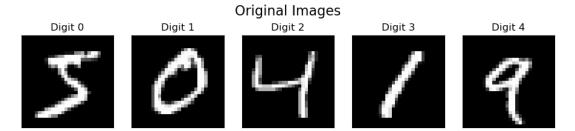


Figure 1.4: Dimension Reduced Image

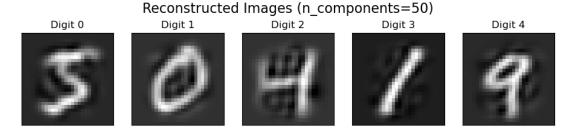


Figure 1.5: Dimension Reduced Image

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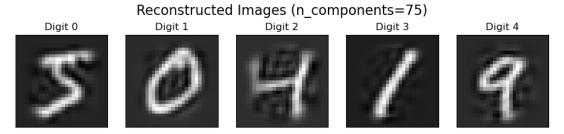


Figure 1.6: Dimension Reduced Image

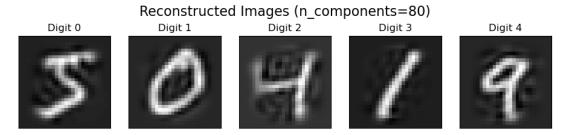


Figure 1.7: Dimension Reduced Image

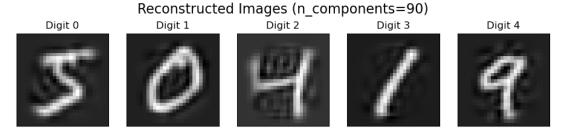


Figure 1.8: Dimension Reduced Image

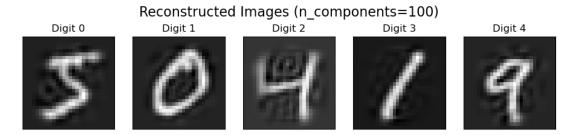


Figure 1.9: Dimension Reduced Image

1.2. PROBLEM-1

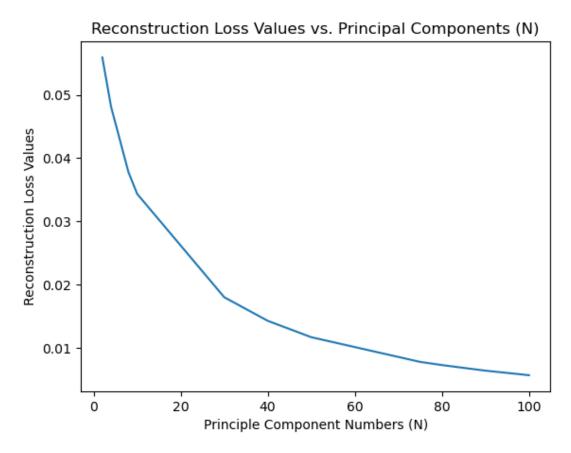


Figure 1.10: The Loss function plot