Maekawa's Algorithm

- Permission obtained from only a subset of other processes, called the Request Set (or Quorum)
- Separate Request Set, R_i , for each process i
- Requirements:

- for all
$$i,j$$
: $R_i \cap R_j \neq \Phi$

- for all
$$i$$
: $i \in R_i$

- for all
$$i$$
: $|R_i| = K$, for some K

any node i is contained in exactly D Request Sets, for some D

$$\mathbf{K} = \mathbf{D} = \mathbf{A}$$

for Maekawa's

A Simple Version

- To request critical section:
- $-\ i$ sends REQUEST message to all process in R_i
- On receiving a REQUEST message:
- Send a REPLY message if no REPLY message has been sent since the last RELEASE message is received.
- Update status to indicate that a REPLY has been sent.
- Otherwise, queue up the REQUEST
- To enter critical section:
- -i enters critical section after receiving REPLY from all nodes in R_i

A Simple Version contd..

- To release critical section:
- Send RELEASE message to all nodes in R_i
- On receiving a RELEASE message, send REPLY to next node in queue and delete the node from the queue.
- If queue is empty, update status to indicate no REPLY message has been sent.

Features

- Message Complexity: $3*\sqrt{N}$
- Synchronization delay =
- 2*(max message transmission time)
- Major problem: DEADLOCK possible
- Need three more types of messages (FAILED, INQUIRE, YIELD) to handle deadlock.
- Message complexity can be 5*sqrt(N)
- Building the request sets?

Token based Algorithms

- Single token circulates, enter CS when token is present
- Mutual exclusion obvious
- Algorithms differ in how to find and get the token
- Uses sequence numbers rather than timestamps to differentiate between old and current requests

- Broadcast a request for the token
- Process with the token sends it to the requestor if it does not need
- Issues:
- Current versus outdated requests
- Determining sites with pending requests
- Deciding which site to give the token to

- The token:
- Queue (FIFO) Q of requesting processes
- LN[1..n] : sequence number of request that j executed most recently
- The request message:
- REQUEST(i, k): request message from node i for its k^{th} critical section execution
- Other data structures
- $RN_i[1..n]$ for each node i, where $RN_i[j]$ is the largest sequence number received so far by i in a REQUEST message from j.

- To request critical section:
- If i does not have token, increment RN $_i[i]$ and send REQUEST $(i, RN_i[i]$]) to all nodes
- If i has token already, enter critical section if the token is idle (no pending requests), else follow rule to release critical section
- On receiving REQUEST(i, sn) at j:
- Set $RN_i[i] = max(RN_i[i], sn)$
- If j has the token and the token is idle, then send it to i if $RN_i[i] = LN[i]$ i] + 1. If token is not idle, follow rule to release critical section

- To enter critical section:
- Enter CS if token is present
- To release critical section:
- Set LN[i] = RN $_i$ [i]
- For every node j which is not in Q (in token), add node j to Q if $\mathrm{RN}_i[j]$ = LN[j] + 1
- If Q is non empty after the above, delete first node from Q and send the token to that node

Notable features

- No. of messages:
- 0 if node holds the token already, n otherwise
- Synchronization delay:
- 0 (node has the token) or max. message delay (token is elsewhere)
- No starvation