

# ENPM 808A

Final Project by Soumosir Dutta

# Overview

Training a Robot to navigate moving obstacles

Command directions are angular and linear velocity

A neural network is divided to solve this.

# Data Analysis

Based on the fields and feature set

1080 sensor data normalized to 6 directional sensor viewing 270 degree angle

The positional coordinates are kept as is  $x, y, q_r, q_k$  for final goal, local goal and position of the robot

Output is considered to be  $[v, w]$  the linear and angular velocity

# Model selection and comparison of the errors

mse in training data -LR: 0.08469151131341271

mse in testing date -LR : 0.08275897426599729

mse in training data -Ridge: 0.08469151131345751

mse in testing date -Ridge : 0.08275897544343264

mse in training data -SDGRegressor: 0.08484172256219111

mse in testing date -SDGRegressor : 0.08305160480836499

mse in training data -model\_lasso: 0.08971326567345395

mse in testing date -model\_lasso : 0.08305160480836499

Training data with neural networks mse: 0.0394

Test Data with neural networks : mse: 0.0397

# Lowest error

We see the neural network provided with the lowest

$E_{in}$  of 0.0394

$E_{out}$  of 0.0397

Now let us decipher how we optimized our model based on

- hyper parameter tuning
- regularization

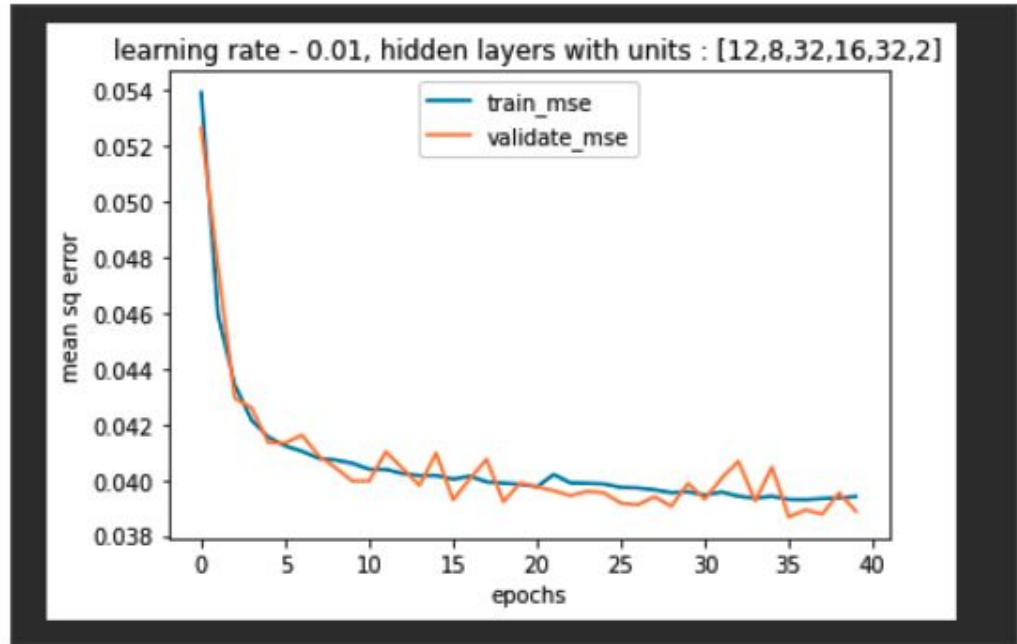
# Hyperparameter tuning

1. Number of layers varied
2. Weight in each layer (density of layer)
3. Learning Rate [0.1, 0.01, 0.001]
4. Regularization
  - a. L1 regularizers
  - b. L2 regularizers
  - c. Dropout

# Final Model and performance

mse: 0.0394 - accuracy: 0.7967 val\_mse: 0.0389 - val\_accuracy: 0.9234

Layers with units - [12,8,32,16,32,2]



# Generalization Error bound

In the present case,

Number of samples in test dataset = 389817

And for  $\delta = 0.05$ , the confidence level of 95% is given by :

And substituting the values

$$0.0397 \leq 0.0394 + 0.00217521263$$

The statement holds true.

Hence, if sample outside the current dataset is given for model prediction, the error in that prediction will be within  $E$  of predicted value with 95% confidence