

# Print Nodes in Top View of Binary Tree

Top view of a binary tree is the set of nodes visible when the tree is viewed from the top. Given a binary tree, print the top view of it. The output nodes can be printed in any order. Expected time complexity is  $O(n)$

A node  $x$  is there in output if  $x$  is the topmost node at its horizontal distance. Horizontal distance of left child of a node  $x$  is equal to horizontal distance of  $x$  minus 1, and that of right child is horizontal distance of  $x$  plus 1.

```
      1
     / \
    2   3
   / \ / \
  4  5 6  7
Top view of the above binary tree is
4 2 1 3 7
```

```
      1
     / \
    2   3
     \
      4
       \
        5
         \
          6
Top view of the above binary tree is
2 1 3 6
```

We strongly recommend to minimize your browser and try this yourself first.

The idea is to do something similar to [vertical Order Traversal](#). Like [vertical Order Traversal](#), we need to nodes of same horizontal distance together. We do a level order traversal so that the topmost node at a horizontal node is visited before any other node of same horizontal distance below it. Hashing is used to check if a node at given horizontal distance is seen or not.

```
// Java program to print top view of Binary tree
import java.util.*;

// Class for a tree node
class TreeNode
{
    // Members
    int key;
    TreeNode left, right;

    // Constructor
    public TreeNode(int key)
    {
        this.key = key;
        left = right = null;
    }
}

// A class to represent a queue item. The queue is used to do Level
// order traversal. Every Queue item contains node and horizontal
// distance of node from root
class QItem
{
    TreeNode node;
    int hd;
    public QItem(TreeNode n, int h)
    {
        node = n;
        hd = h;
    }
}

// Class for a Binary Tree
class Tree
{
    TreeNode root;

    // Constructors
    public Tree() { root = null; }
    public Tree(TreeNode n) { root = n; }

    // This method prints nodes in top view of binary tree
    public void printTopView()
    {
        // base case
        if (root == null) { return; }

        // Creates an empty hashset
        HashSet<Integer> set = new HashSet<>();

        // Create a queue and add root to it
        Queue<QItem> Q = new LinkedList<QItem>();
        Q.add(new QItem(root, 0)); // Horizontal distance of root is 0

        // Standard BFS or level order traversal loop
        while (!Q.isEmpty())
        {
            // Remove the front item and get its details
            QItem qi = Q.remove();
            int hd = qi.hd;
            TreeNode n = qi.node;

            // If this is the first node at its horizontal distance,
            // then this node is in top view
            if (!set.contains(hd))
            {
                set.add(hd);
                System.out.print(n.key + " ");
            }

            // Enqueue left and right children of current node
            if (n.left != null)
                Q.add(new QItem(n.left, hd-1));
            if (n.right != null)
                Q.add(new QItem(n.right, hd+1));
        }
    }
}

// Driver class to test above methods
public class Main
{
    public static void main(String[] args)
    {
        /* Create following Binary Tree
            1
           / \
          2   3
         / \
        4   5
       / \
      6   7
        */
        TreeNode root = new TreeNode(1);
        root.left = new TreeNode(2);
        root.right = new TreeNode(3);
        root.left.right = new TreeNode(4);
        root.left.right.right = new TreeNode(5);
        root.left.right.right.right = new TreeNode(6);
        Tree t = new Tree(root);
        System.out.println("Following are nodes in top view of Binary Tree");
        t.printTopView();
    }
}
```

Run on IDE

Output:

Following are nodes in top view of Binary Tree

1 2 3 6

Time Complexity of the above implementation is  $O(n)$  where  $n$  is number of nodes in given binary tree. The assumption here is that `add()` and `contains()` methods of `HashSet` work in  $O(1)$  time.