

# CS & IT ENGINEERING

Operating System

Process Synchronization

**Lecture No. 9**



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# TOPICS TO BE COVERED

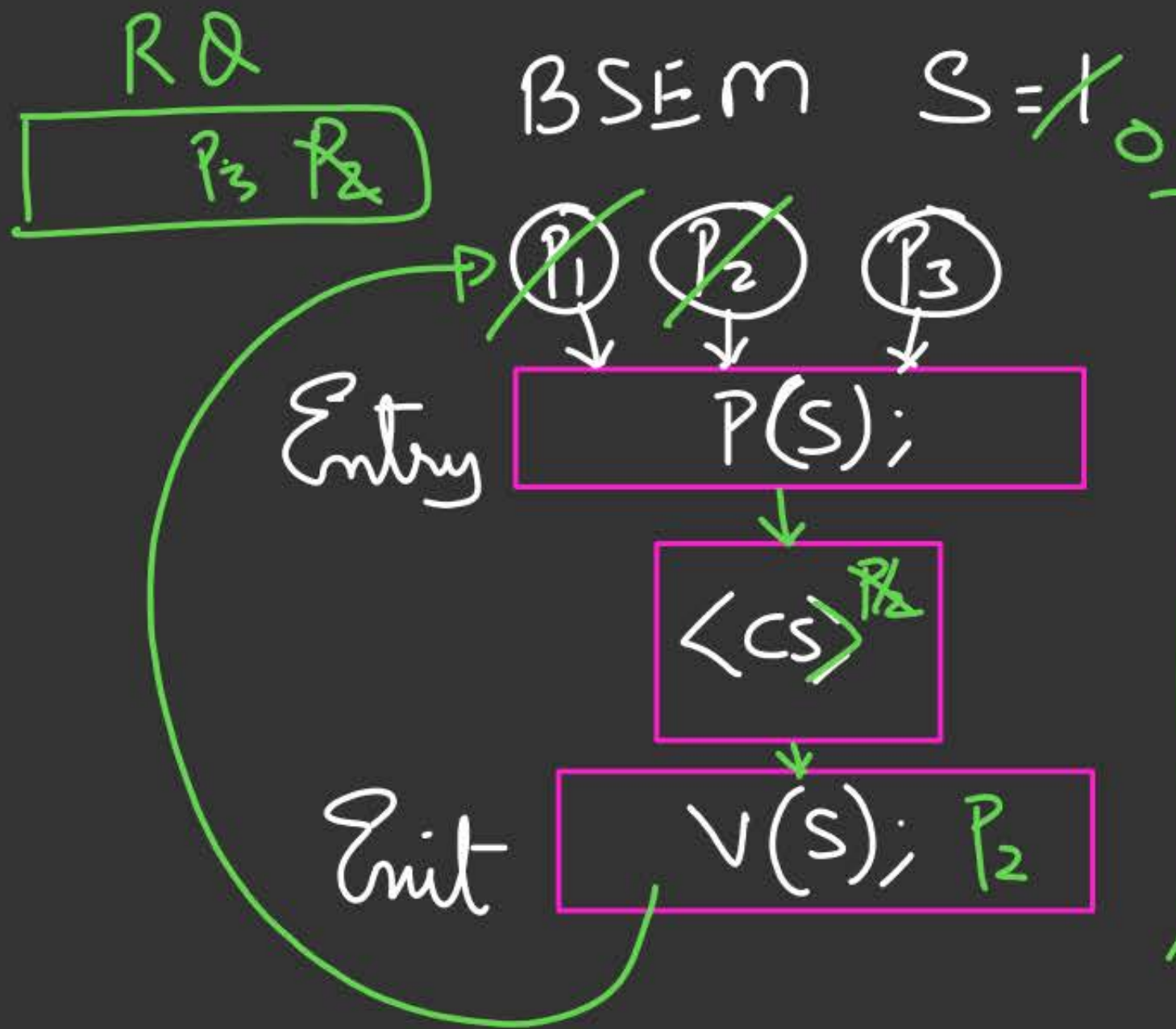
**Problem Solving with  
Semaphore**

**Classical IPC Problems**

**Producer-Consumer Problem**



Both Binary & Counting Semaphore can be used to solve the Problem of C.S



$L \langle FIFO \rangle$

$P_2, P_3, P_1$

$L$

$P_2, P_3$

CSEM  $S = 1_0$

$\{$

CS

$\}$

$\phi$

- 1) M.E: ✓
- 2) Progress: ✓
- 3) Bound. wait: ✓





Bsem  $S = 1, T = 1$

Pr (i)

{

while (1)

{

P(S);  
P(T);

<CS>

V(T);  
V(S);

}

}

Pr (j)

{

while (1)

{

P(T);  
P(S);

<CS>

V(S);  
V(T);

}

}

Condition for  
deadlock

PreEmption  
b/w the Two  
Down opn

Guarantee m/E  
but is NOT deadlock free

Does it guarantee ME? How about Deadlock?





BSem S = 1, T = 0;

Pr (i)

{

while (1)

{

P(T);

Print ('1');

Print ('1');

V(S);

}

}

Pr (j)

{

while (1)

{

P(S);

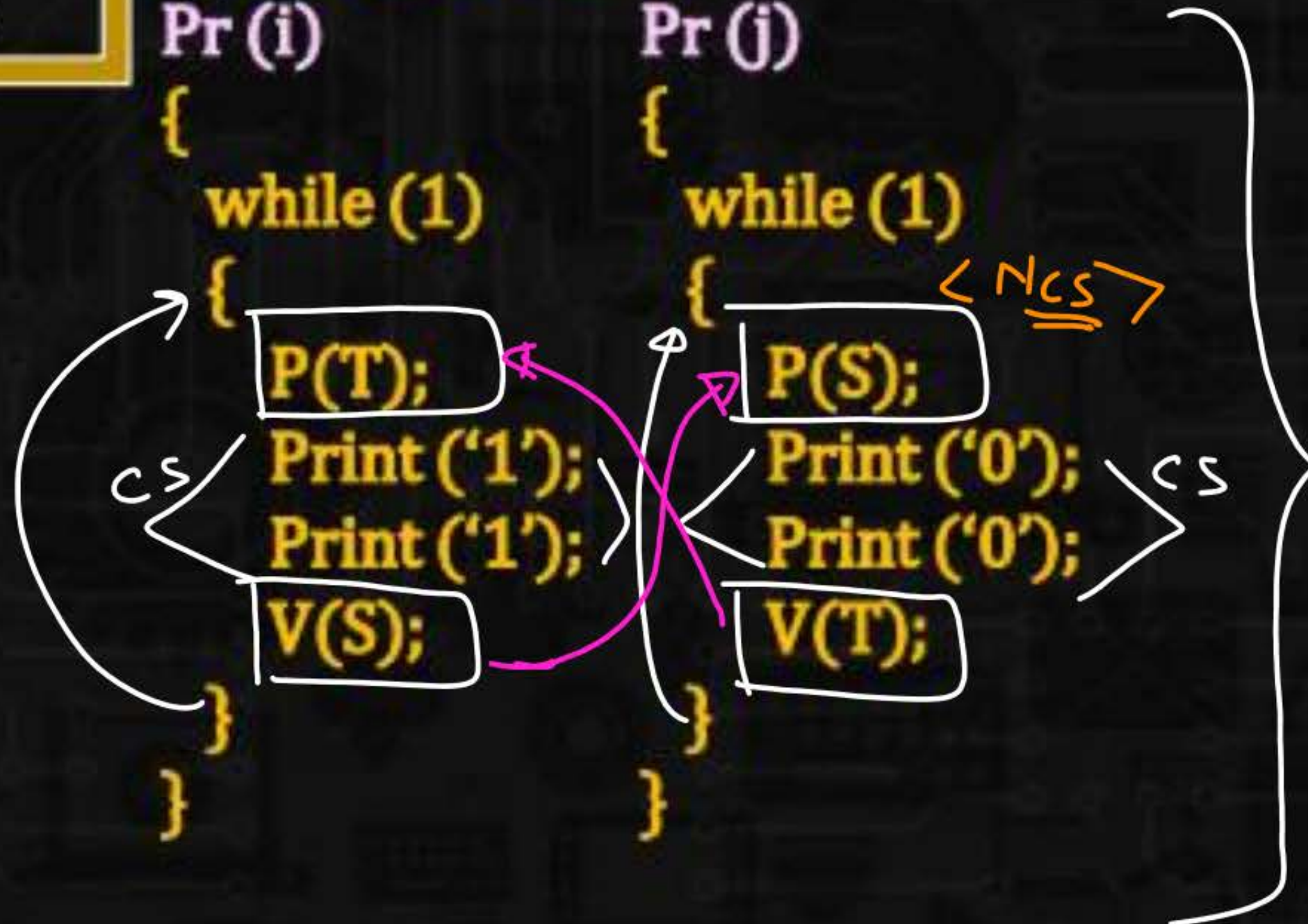
Print ('0');

Print ('0');

V(T);

}

}



001100110011.....

1) O/P : as a series

2) m/E : ✓

3) Progress : ✗

4) Bound wait : ✓

Impl. of STRICT ALTERNATION  
using SEM

What is the Regular Expression that gets generated?

$(0011)^+$







Bsem  $m[0...4] = \{1\}$ ;

array

Pr (i)  $i=0, 4$

{

while (1)

{

$\rightarrow P(m[i]);$

$P(m[(i+1) \% 4]);$

<CS>

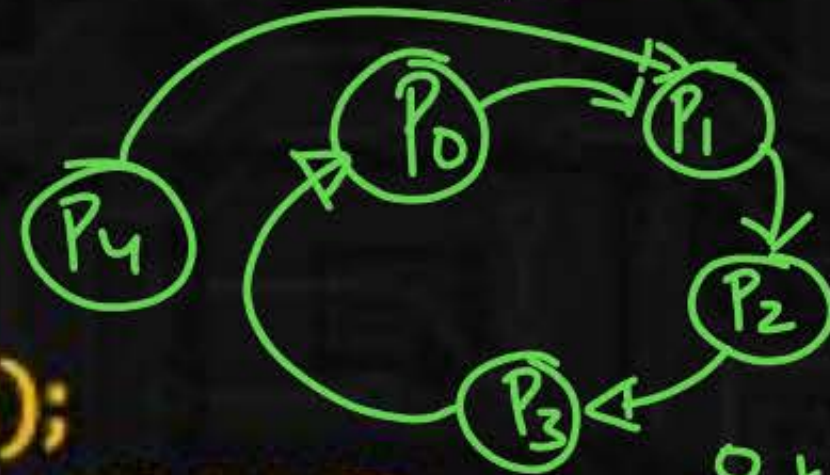
$V(m[i]);$

$V(m[(i+1) \% 4]);$

}

}

deadlock?



$\cancel{0} \times = m[0] = \cancel{1} 0$

$\cancel{0} \times = m[1] = \cancel{1} 0$

$\cancel{0} \times = m[2] = \cancel{1} 0$

$\cancel{0} \times = m[3] = \cancel{1} 0$

$\cancel{0} \times = m[4] = \cancel{1} 0$

(i) Guarantee M/E: ?

- NO -

(ii) If M/E is not guaranteed then Max # of Processes: 2 that can be in CS?

$P_1: X ; P_3: X$

$P_4: X$



What is the maximum no. of processes that can be in <CS>.





BSem  $S = 1, T = 0, Z = 0$

**Pr (i)**  
{  
  **While (1)**  
  {  
    **P(S);**  
    **Print (\*);**  
    **V(T);**  
    **V(Z);**  
  }  
}

**Pr (j)**  
{ **while (1)** {  
  **P(T);**  
  **V(S);**  
}

**Pr (k)**  
{  
  **P(Z);**  
  **V(S);**  
}

$P_{ri}; P_{rj}; P_{rk}; P_{ri}$

$I: \langle * * \rangle : \underline{Min}$

$P_{ri}; P_{rj}; P_{ri}; P_{rk}; P_{ri}$

$II: (* * *)$

What is the minimum and maximum no. of "\*" that get printed.

$\infty$

$(*)^+$



BSEM S=1, T=1, Z=1

Ans: 2

```
Pri
{
  while(1)
  {
    P(S);
    print('*');
    V(T);
    V(Z);
  }
}
```

```
Prj
{
  P(T);
  V(S);
}
```

```
Prk
{
  P(Z);
  V(S);
}
```

Min = 1  $\langle P_{rj}; P_{rk}; P_{ri}; P_{ri}^a \rangle^*$

Max = 3  $\langle P_{ri}; P_{rj}; P_{ri}; P_{rk}; P_{ri}; P_{ri}^a \rangle$





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Process



Consider the following ~~threads~~ Processes, T1, T2 and T3 executing on a single processor, synchronized using three binary semaphore variables, S1, S2, and S3, operated upon using standard wait() and signal(). The ~~threads~~ Processes can be context switched in any order and at any time.

Which initialization of the semaphores would print the Sequence BCABCABCA....?

T <sub>1</sub>	T <sub>2</sub>	T <sub>3</sub>
While(true){	While(true){	While(true){
Wait(S <sub>3</sub> ); 0	Wait(S <sub>1</sub> ) 1	Wait(S <sub>2</sub> ) 0
Print("C");	Print("B");	Print("A");
Signal(S <sub>2</sub> );}	Signal(S <sub>3</sub> );}	Signal(S <sub>1</sub> );}

- A. S1 = 1; S2 = 1; S3 = 1
- B. S1 = 1; S2 = 1; S3 = 0
- ✓ C. S1 = 1; S2 = 0; S3 = 0
- D. S1 = 0; S2 = 1; S3 = 1

S<sub>1</sub> = 1  
S<sub>2</sub> = 0  
S<sub>3</sub> = 0  
→ T<sub>2</sub> → T<sub>1</sub> → T<sub>3</sub>

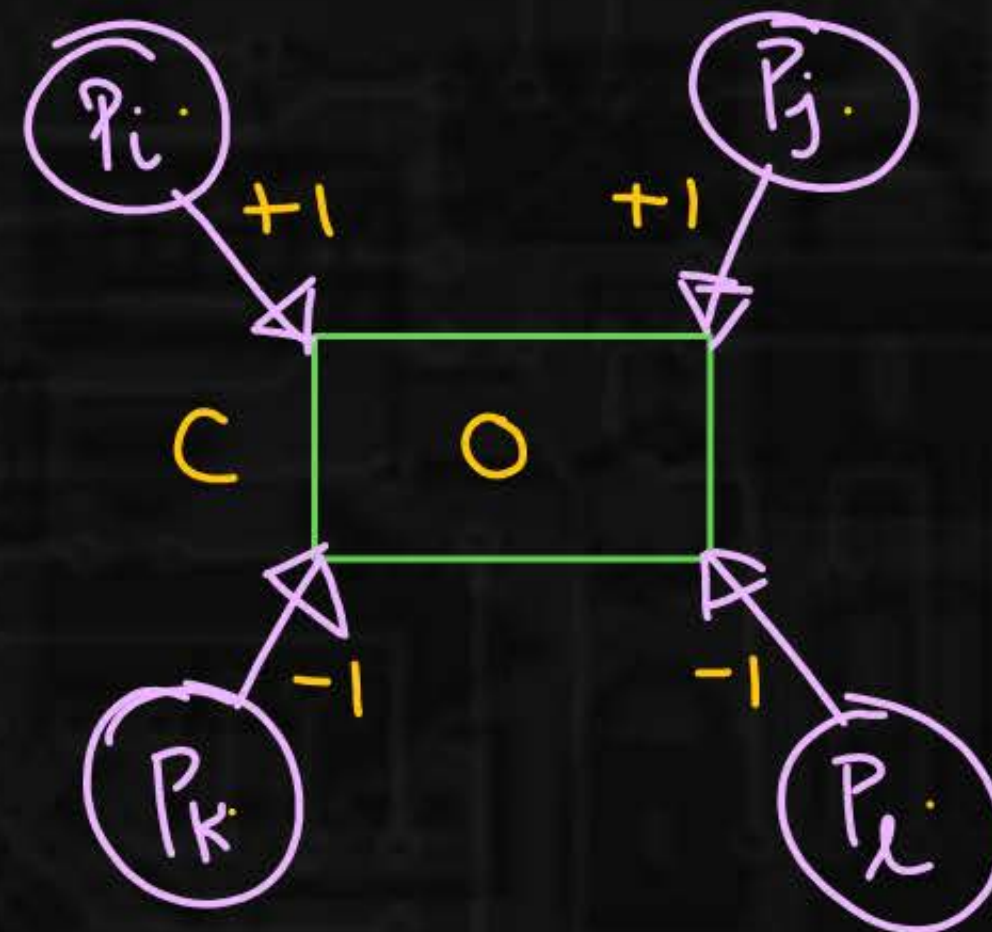




Consider a counting semaphore initialized to 2, there are 4 concurrent processes  $P_i, P_j, P_k$  &  $P_L$ . The Processes  $P_i$  &  $P_j$  desire to increment the current value of variable  $C$  by 1 whereas  $P_k$  &  $P_L$  desire to decrement the current value of  $C$  by 1. All Processes perform their update on  $C$  under semaphore control. What can be the minimum and maximum value of  $C$  after all Processes finish their update.

H/w

CSEM  $S=2$  ;



Assuming initial value of  $C$  is 0 ;

Process( $x$ )     $x = \underline{i}, \underline{j}, \underline{k}, \underline{l}$   
{  
     $\begin{matrix} +1 & -1 \end{matrix}$   
     $P(S);$   
     $\langle C = C \pm 1 \rangle$   
     $V(S);$   
    Load  
    Inc/Dec  
    Store  
}





Consider Three Processes using four Binary Semaphores a, b, c, d in the order shown below.

$$a = \underset{0}{\cancel{1}}; b = \underset{0}{\cancel{1}}; c = \underset{0}{\cancel{1}}; d = 1$$

OS Concepts

9<sup>th</sup>/10<sup>th</sup> Ed

Which Sequence is a Deadlock Free sequence?

Deadlock

(I) ~~X: P(a); P(b); P(c);~~  
~~Y: P(b); P(c); P(d);~~  
~~Z: P(c); P(d); P(a);~~

✓  
(II) ~~X: P(b); P(a); P(c);~~  
~~Y: P(b); P(c); P(d);~~  
Z: P(a); P(c); P(d);

$$a = \underset{0}{\cancel{1}}; b = \underset{0}{\cancel{1}}; c = \underset{0}{\cancel{1}}; d = \underset{0}{\cancel{1}}$$

(III) ~~X: P(b); P(a); P(c);~~  
~~Y: P(c); P(b); P(d);~~  
~~Z: P(a); P(c); P(d);~~

(IV) ~~X: P(a); P(b); P(c);~~  
~~Y: P(c); P(b); P(d);~~  
~~Z: P(c); P(d); P(a);~~

$$a = \underset{0}{\cancel{1}}; b = \underset{0}{\cancel{1}}; c = \underset{0}{\cancel{1}}; d = 1$$

$$a = \underset{0}{\cancel{1}}; b = \underset{0}{\cancel{1}}; c = \underset{0}{\cancel{1}}; d = 1$$

Deadlock





Each of a set of  $n$  processes executes the following code using two semaphores  $a$  and  $b$  initialized to 1 and 0, respectively. Assume that  $count$  is a shared variable initialized to 0 and not used in CODE SECTION P.

CODE SECTION P  $\rangle^{NCS}$   
`wait(a); count=count+1;`  
`if (count==n) signal(b);`  
`signal(a); wait(b); signal(b);`

CODE SECTION Q  $\rangle^{\overline{P_3} \overline{P_2} \overline{P_1}}$

What does the code achieve?

$\cancel{10} \cancel{10} \cancel{10}$   
 $a = \cancel{1}$ ;  $b = \cancel{0} \cancel{1}$   
 $\overline{P_1} \overline{P_2} \overline{P_3}$   
 $\text{Count}$   
 $\cancel{2} \cancel{1} 3$   
 $n = 3$

✓ A. It ensures that no process executes CODE SECTION Q before every process has finished CODE SECTION P.

B. ✗ It ensures that two processes are in CODE SECTION Q at any time.

C. ✗ It ensures that all processes execute CODE SECTION P mutually exclusively.

D. It ensures that at most  $n-1$  processes are in CODE SECTION P at any time.



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Consider the two functions Incr() and Decr()

15  
Incr() {  
    wait(s);  
    < x = x + 1; >  
    signal(s);  
}

3  
Decr() {  
    wait(s);  
    < x = x - 1; >  
    signal(s);  
}

$X = 10$   
L R, x  
In R  
Dec  
Store x, R.

I<sub>1</sub>: BSEM S=1

$$(10 + 5 - 3) = \underline{\underline{12}}$$

Five Processes invoke Incr() and Three Processes invoke Decr()

X is a shared variable initialized to 10.

I<sub>1</sub> : s value is 1 (Binary semaphore) :  $Max/Min = 12$

I<sub>2</sub> : s value is 2 (Counting semaphore)

Let V<sub>1</sub> and V<sub>2</sub> be the minimum possible values of the implementation of I<sub>1</sub> and I<sub>2</sub>, then choose the values of x for V<sub>1</sub> and V<sub>2</sub>.

(A) 12, 7 ✓

(B) 7, 7 ✗

(C) 15, 7 ✗

(D) 12, 8

CSEM S=2



# Application of SEMAPHORE

## II. Classical IPC Problems.

- Producer-Consumer
- Reader-Writer Problem
- Dining-Philosopher



