

# Capping strategies based on performance envelopes for the automatic design of meta-heuristics

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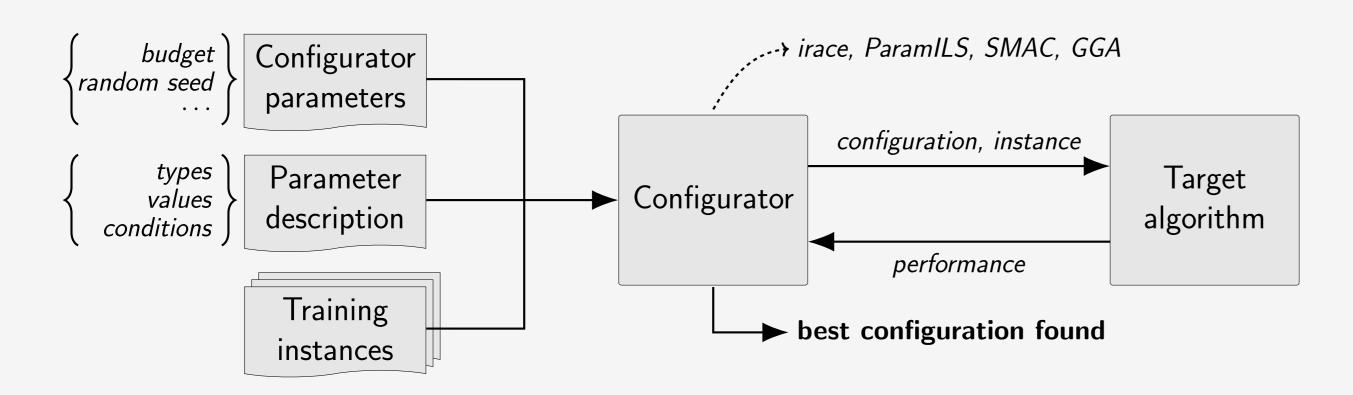
#### Contextualization

We show **how to speed up parameter tuning** with no modification to the tuned software by 75%. This is achieved by **eliminating unpromising configurations early**. We analyze the performance of such **capping strategies** on different scenarios and show that they can also help to find better parameter values.

Previous work focus on capping for scenarios minimizing running time (decision algorithms):

- Hutter et al. [1]: capping strategies for ParamILS and SMAC configurators.
- Cáceres et al. [2]: capping strategies for the irace configurator.
- <u>In a nutshell:</u> the running time required by the best found configurations is used to calculate a cutoff time for the execution of new configurations.
- <u>Problem:</u> techniques not suitable for scenarios optimizing solution quality.

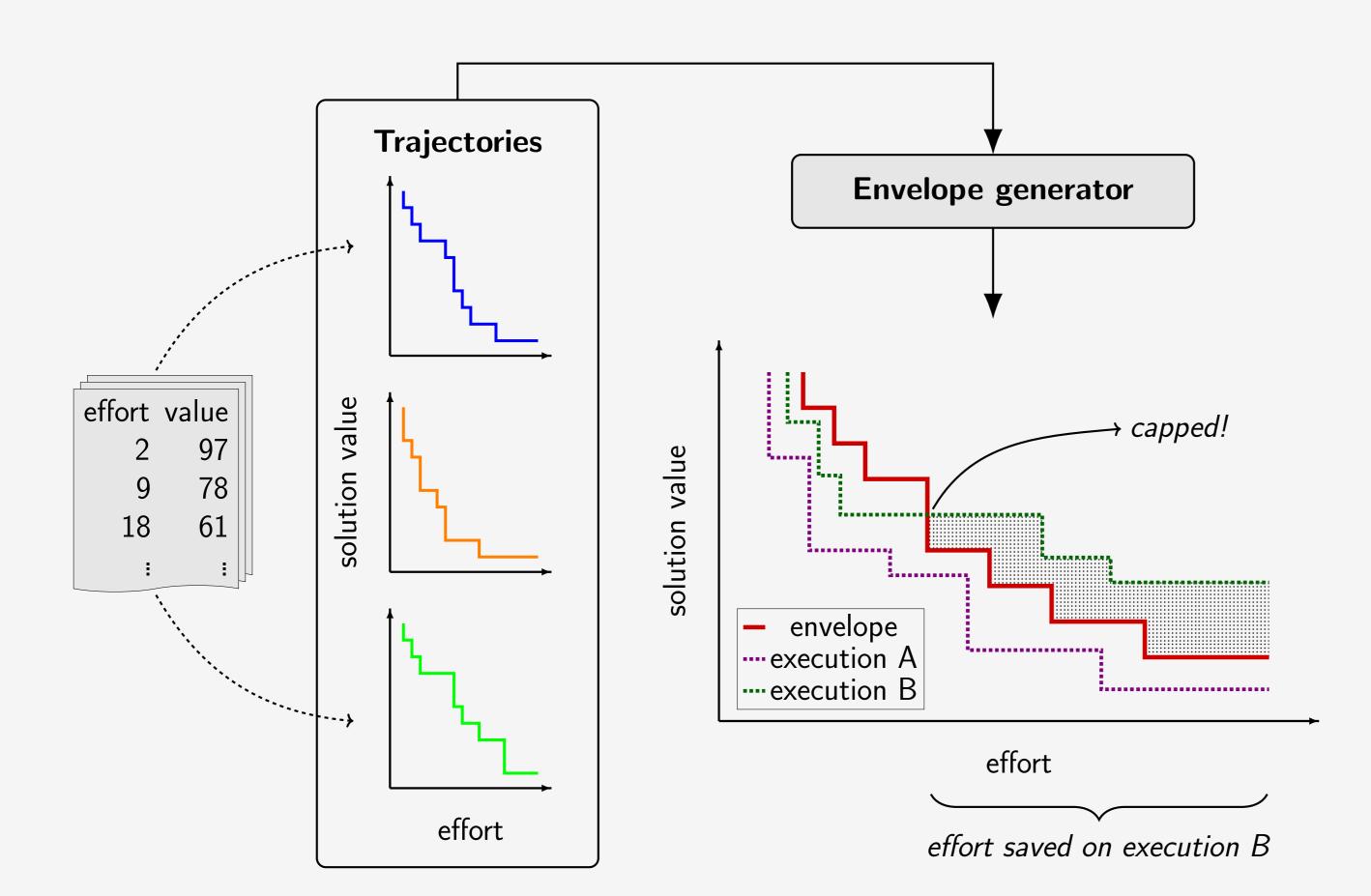
#### Automatic algorithm configuration



#### Using irace as configurator (iterated F-race)

- Iteratively executes F-race to evaluate candidate configurations:
- 1. Sampling.
- 2. Experiments.
- 3. Statistical test.
- 4. Update probabilistic model.
- What if we use knowledge from previous iterations to speed up the process?

#### **Envelope-based capping mechanism**



Algorithm 1: Envelope generator

**Input**: Trajectories  $T_{ij}(t)$  for candidates  $i \in [n]$  and replications  $j \in [m_i]$ . **Output:** Performance envelope E(t).

 $R \leftarrow \texttt{select-references}([n])$ 

foreach  $i \in R$  do

 $T_i \leftarrow \text{aggregate-replications}(T_{ij})$ 

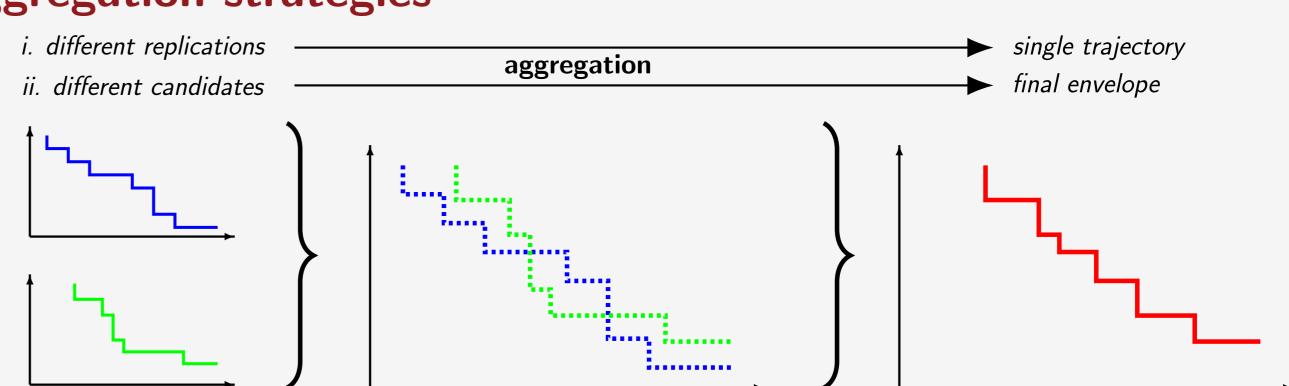
 $E \leftarrow \texttt{aggregate-candidates}(T_i)$ 

 $\forall j \in [m_i] \\ \forall i \in R$ 

 ${\bf return}\ performance\ envelope\ E$ 

- $\bullet$  [n] is the set of best candidate configurations found so far.
- $\bullet$   $[m_i]$  is the set of replications of candidate i on the instance at hand.
- ullet We usually select all reference candidates [n] in select-references procedure.
- ullet The performance envelope E defines the minimum expected quality for future executions.
- How do we aggregate replications and candidates to determine the performance envelope?

### **Aggregation strategies**



Basic strategies: for each effort value we can use the quality found by the **best/worst/average** performer. For aggregating replications, we can also use the exponential model.

#### **Exponential model**

- Assumption: the time t required by the algorithm to find a solution as good as some target value follows an **exponential distribution** [3], given by  $f(t, \lambda) = 1 e^{-\lambda t}$ .
- We determine  $\hat{\lambda} = \sum_{j \in [m_i]} m_i/t_{jq}$ , where  $t_{jq}$  is the time used to reach quality q on replication j. If q is not reached, we assume  $t_{jq} = t_f \times \alpha$ , where  $t_f$  is the running time cutoff and  $\alpha$  is a penalization constant.
- For each quality value q, the model gives the time required by some fraction p of the replications to reach q as  $1-e^{-\lambda t}=p$ , so  $t=-\ln(1-p)\times \overline{t}$ .

#### **Experimental evaluation**

#### **Configuration scenarios**

scenario	description	effort		parameters			- instances	
	description	type	limit	int	cat	real	cond	ilistalices
ACOTSP	Ant colony algorithm for TSP	time	$10\mathrm{s}$	4	3	4	5	50
HEA-COL	HybridEA algorithm for graph coloring	checks	$10^{9}$	4	2	1	0	27
AAC-UBQP	Recombination heuristic for UBQP	time	$100\mathrm{s}$	10	3	1	7	20

#### Saved effort and algorithm performance

	cconorio	algorithm -	perfor	mance	config.	config. effort		
_	scenario	aigoritiiii	avg. dev	best dev	total	saved		
		original	0.9	0.7	-	-		
AC		AAC	0.7	0.5	354	_		
	ACOTSP	AAC-worst	0.5	0.3	270	23.7		
		AAC-best	1.1	0.8	200	43.5		
		AAC-exp	0.9	0.6	275	22.3		
HEA-(		original	4.9	4.6	-	-		
		AAC	4.1	3.8	3.01	_		
	HEA-COL	AAC-worst	4.2	3.9	2.55	15.1		
		AAC-best	3.8	3.6	2.22	26.2		
		AAC-exp	4.1	3.9	2.63	12.5		
AAC-		original	282.5	100.8	-	_		
		AAC	204.9	72.7	3380.1	_		
	AAC-UBQP	AAC-worst	373.4	167.7	1606.7	52.5		
		AAC-best	405.9	248.2	827.6	<b>75.5</b>		
		AAC-exp	246.9	186.3	1803.9	46.6		

We studied the original and automatically configured algorithms for each scenario (with and without capping). AAC-worst method aggregates replications and candidates using worst strategy (analogously the same for AAC-best). AAC-exp method uses the exponential model (p = 0.7 and  $\alpha = 10$ ) to aggregate replications and the worst strategy to aggregate candidates. Column "performance" presents the average and best deviations from the best known solutions. In scenario AAC-UBQP we report the absolute deviation, while in the others we report the relative deviation. The total effort of the configuration process is measured in minutes (ACOTSP and AAC-UBQP) or trillions of checks (HEA-COL). Column "saved" present the effort savings in percentage.

## **Conclusion and future work**

Capping mechanisms perform well on the evaluated scenarios.

- Reduce up to 75% of the configuration effort.
- Can help the search for good configurations.
- Applicable to any configuration scenario for optimization problems.

#### Next steps:

- Explore other scenarios (e.g., larger search spaces, design choices).
- Apply quality-based capping methods for scenarios minimizing running time.
- Analyze the behavior of capping in irace: changes in the search and decision mistakes.

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#### References

[1] Hutter et al. ParamILS: an automatic algorithm configuration framework. JAIR, 36:267–306, 2009.

[2] Cáceres et al. An experimental study of adaptive capping in irace. LION, pages 235–250, 2017.

[3] Hoos and Stützle. Stochastic local search: Foundations and applications. Elsevier, 2004.