

Referencias

- Anderson, G. W., Guionnet, A., y Zeitouni, O. (2009). *An introduction to random matrices*. Cambridge University Press. doi: 10.1017/CBO9780511801334
- Arizmendi, O., y Perales, D. (2018). Cumulants for finite free convolution. *Journal of Combinatorial Theory, Series A*, 155, 244-266. Descargado de <https://www.sciencedirect.com/science/article/pii/S0097316517301668> doi: <https://doi.org/10.1016/j.jcta.2017.11.012>
- Dumitriu, I., y Edelman, A. (2002). Matrix models for beta ensembles. *Journal of Mathematical Physics*, 43(11), 5830–5847.
- Dyson, F. J. (2013). A brownian-motion model for the eigenvalues of a random matrix. , 3(6), 1191-1198. Descargado de <https://doi.org/10.1063/1.1703862> doi: {10.1063/1.1703862}
- Graczyk, P., y Malecki, J. (2011, 08). Multidimensional yamada-watanabe theorem and its applications. *Journal of Mathematical Physics*, 54. doi: 10.1063/1.4790507
- Holcomb, D., y Paquette, E. (2017). Tridiagonal models for dyson brownian motion. *arXiv preprint arXiv:1707.02700*.
- Huang, C.-P., Inauen, D., y Menon, G. (2023). Motion by mean curvature and Dyson Brownian Motion. *Electronic Communications in Probability*, 28(none), 1 – 10. Descargado de <https://doi.org/10.1214/23-ECP540> doi: 10.1214/23-ECP540
- Marcus, A. W., Spielman, D. A., y Srivastava, N. (2022). Finite free convolutions of polynomials. *Probability Theory and Related Fields*, 182(3-4), 807–848.