

Sorts and Searches



Sorts and Searches Topics

- ❑ Select Sort and Search
- ❑ qsort() and Binary Search
- ❑ Quick Sort Algorithm

Simple Sort and Search

■ Select Sort

- Loop from $inx = 0 \dots N-1$
 - Select inx as current largest item
 - Loop from $jnx = inx \dots N-1$
 - If $array[jnx]$ smaller than $array[item]$
 - select jnx as item
 - swap $array[item]$ and $array[inx]$, only if item is not inx
- N^2 algorithm
- Characterized by a nested loop

Simple Sort and Search

- ▣ Select Sort
 - Advantages
 - ▣ Easy to remember
 - ▣ Works with various data structures
 - ▣ Maximum on N "swaps"
 - Pitfalls
 - ▣ N^2 algorithm doesn't scale well
 - Example
 - ▣ <http://faculty.washington.edu/sproedp/advc/csamples/less11-1.c.html>

qsort() and Binary Search

- ❑ void qsort(
 void * array,
 size_t count,
 size_t size,
 int (*cmp)(const void *, const void *));
 - array – the array to be sorted
 - count – number of objects in array
 - size – size of objects in array
 - cmp – user defined function which compares objects

qsort() and Binary Search

- ❑ void qsort()
 - Implements Quick Sort Algorithm
 - ❑ More on this later
 - ❑ N Log N algorithm
 - See <stdlib.h>

qsort() and Binary Search

- ❑ qsort() comparison function
 - The qsort comparison function takes two void pointers. These pointers are 'converted' to the appropriate type
 - The function returns a
 - ❑ zero if they're equal
 - ❑ -1 if left < right
 - ❑ 1 if left > right
 - ❑ (H&S sect. 20.5)

qsort() and Binary Search

- qsort() comparison function
 - This sense ($>$ or $<$) is relative the ordering of the array. As stated, the ordering of the array is smallest to largest. To achieve largest to smallest, then flip the sense of the return.
 - In practice the following is usually supported but is not strictly ANSI:
 - return a zero if they're equal
 - less then zero if left $<$ right
 - greater then zero if left $>$ right.

qsort() and Binary Search

- bsearch() comparison function return value and sense are similar

□ Example

- <http://faculty.washington.edu/sproedp/advc/csamples/less11-2.c.html>

Quick Sort Algorithm

□ Quick Sort Algorithm

- also known as divide and conquer
- $N \log N$ Algorithm

□ Example

- <http://faculty.washington.edu/sproedp/advc/csamples/less11-3.c.html>

Quick Sort Algorithm

□ Case Study

# Objects	Selection Sort	Quick Sort	N^2	$N \log N$
10	45 Loops 10 Swaps	24 Loops 18 Swaps	10^2	10^1
100	4,950 Loops 100 Swaps	716 Loops 413 Swaps	10^4	2×10^2
1,000	499,500 Loops 1000 Swaps	10,359 Loops 5250 Swaps	10^6	3×10^3
10,000	49,995,000 Loops 10,000 Swaps	179,923 Loops 74,499 Swaps	10^8	4×10^4
100,000	4,999,950,000 Loops 100,000 Swaps	2,136,929 Loops 1,039,597 Swaps	10^{10}	5×10^5