

Condición Inicial														
	$x_0 = \beta_j, x_1 = \alpha_j, x_2 = \gamma_j$					$x_0 = \beta_j, x_1 = b_j, x_2 = \gamma_j$					$x_0 = \alpha_j, x_1 = b_j, x_2 = \gamma_j$			
Iteración	x_{i-2}	x_{i-1}	x_i	$f(x_i)$	x_{i-2}	x_{i-1}	x_i	$f(x_i)$	x_{i-2}	x_{i-1}	x_i	$f(x_i)$	x_{i-2}	$f(x_i)$
0	-2	-1.4	-1	0.25	-2	-1.4	-1	0.25	-1.4	-1.45	-1	-0.67029643493888	-1	0.25
1	-1.4	-1	-0.25894251175844	-0.35120073419762	-1.4	-1	0.8732840735736	-0.78856066652166	-1.45	-2.7085668841963	-0.67029643493888	-0.17271144873703	-1.45	-0.17271144873703
2	-1	-0.25894251175844	-0.41237750997926	-0.3290314659692	-1	-1	0.8732840735736	-0.73617164858574	-1.45	-2.2469093294821	-0.75022483798068	-0.083904502237005	-1	-0.083904502237005
3	-0.25894251175844	-0.41237750997926	nan	nan	0.8732840735736	0.37899640745977	nan	nan	-1.45	-2.2469093294821	-0.83210934436341	0.022877427070809	-1	0.022877427070809
4									-1.45	-2.7085668841963	-0.8136005664669	-0.0022903377034889	-1	-0.0022903377034889
5									-1.45	-2.2469093294821	-0.81527097183628	-3.8516746842751e-05	-1	-3.8516746842751e-05
6									-1.45	-2.2057268753649	-0.81529956205955	6.1157106012116e-08	-1	6.1157106012116e-08
7									-1.45	-2.2057268753649	-0.81529951673527	-1.6788391483858e-12	-1	-1.6788391483858e-12
8									-1.45	-2.2058242867382	-0.81529951673527	1.21609996655225e-16	-1	1.21609996655225e-16
9									-1.45	-2.2058242867382	-0.81529951673527		-1	

Figure 1: Método Muller, raíz 3