Symbolic Search for Total-Order HTN Planning

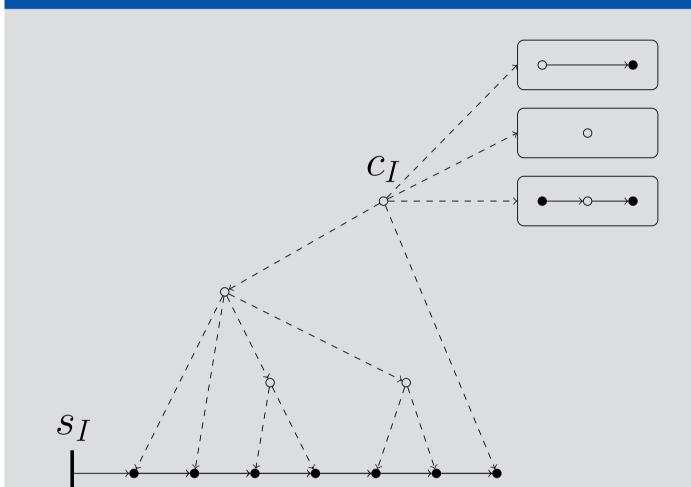
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HTN Planning has strong similarities with Formal Grammars. Can we exploit this?

HTN Planning



- ► Abstract tasks *A* $(\approx \text{non-terminals})$
- ▶ Primitive actions *P* $(\approx \text{terminals})$
- ▶ Decomposition methods *M* $(\approx \text{refinement rules})$
- Preconditions / Effects for actions
- ▶ Initial state s_I and initial task c_I

Objective: Find a refinement $\pi = \langle p_1, \dots, p_n \rangle$ of c_I containing **only** primitive actions that is **executable** in s_I .

Progression

Search for a plan by applying methods to the first task or by applying the first action.

$$s - t_1 - t_2 - t_3 \qquad \text{if } t_1 \in P$$

$$s - t_1 - t_2 - t_3 \qquad \text{if } t_1 \in A \text{ and } t_1 \mapsto t_1' t_2' \in M$$

Symbolic Planning

Idea: Use an automaton to represent Progression Search Nodes. Label the edges with BDDs to represent the state.

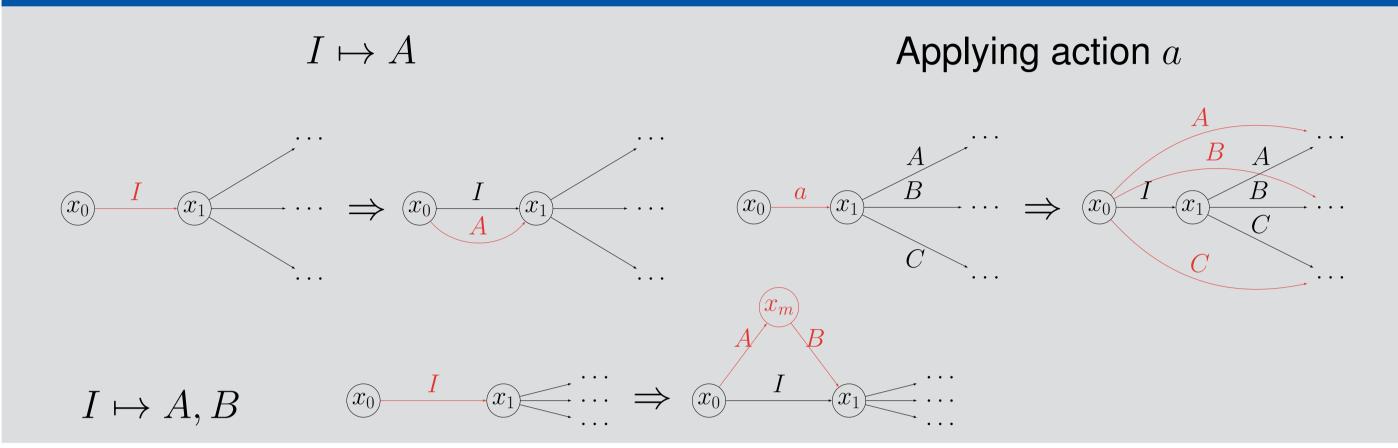
$$\sigma(x_{0}, A, x_{1}) = \{(s_{1}, s_{3}), (s_{2}, s_{4})\}$$
 Represents:
$$\sigma(x_{0}, A, x_{1}) = \{(s_{1}, s_{3}), (s_{2}, s_{4})\}$$

$$\sigma(x_{1}, B, x_{\star}) = \{(s_{3}, s_{3})\}$$

$$\langle s_{1}, A, s_{3}, B, s_{3} \rangle$$

$$\langle s_{2}, A, s_{4}, C, s_{4} \rangle$$

Performing Progression



Optimal Planning

Given $c: P \mapsto \mathbb{N}_0$, find a plan $\pi = \langle p_1, \dots, p_n \rangle$ with minimal $\sum_{i=1}^n c(p_i)$.

Idea: Construct not one automaton, but one per cost c – the total cost of actions that have already been progressed.

Experiments

