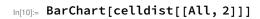
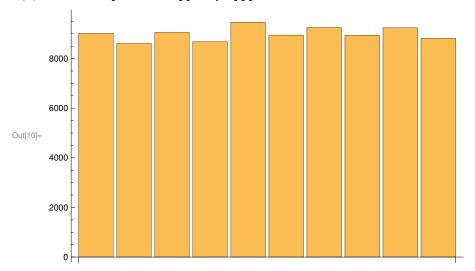
Day 11 - Power that rack

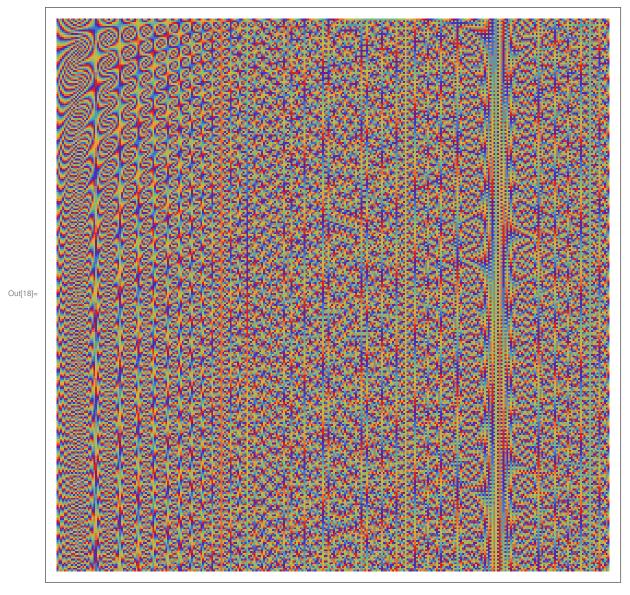
Init

```
In[1]:= SetDirectory[NotebookDirectory[]];
In[2]:= mySerial = 3628;
ln[3]:= take100[x_] := Module[{y, z},
        y = Floor[x/100];
        z = Floor[y/10];
        y - z * 10
In[4]:= take100[12345]
Out[4]= 3
in[5]:= powerLevel[x_, y_, serial_: mySerial] := Module[{rackId, power},
        rackId = x + 10;
        power = rackId * y;
        power += serial;
        power *= rackId;
        power = take100[power];
        power - 5
      ]
In[6]:= powerLevel[3, 5, 8]
\text{Out}[6] = 4
In[16]:= cells = Table[
         powerLevel[x, y],
         {y, 1, 300}, {x, 1, 300}
        ];
In[8]:= cells[[50, 50]]
Out[8]= 1
In[9]:= celldist = Tally[Flatten[cells]] ~ SortBy ~ (#[[1]] &)
Out[9] = \{ \{-5, 9014\}, \{-4, 8606\}, \{-3, 9052\}, \{-2, 8681\}, 
       \{-1, 9464\}, \{0, 8945\}, \{1, 9250\}, \{2, 8933\}, \{3, 9240\}, \{4, 8815\}\}
```





ln[18]:= ArrayPlot[cells, ColorFunction \rightarrow "Rainbow", ImageSize \rightarrow 600]



ln[13]:= Plus@@ Flatten[cells] / 300^2 // N

Out[13]= -0.482

Part 1

```
log_{i=1} = sum3x3[cells_, x_, y_] := Sum[cells[[x + dx, y + dy]], {dx, 0, 2}, {dy, 0, 2}]
ln[20]:= sums = Table[{x, y, sum3x3[cells, x, y]}, {x, 1, 298}, {y, 1, 298}];
In[21]:= sums[[1, 1]]
Out[21]= \{1, 1, -5\}
```

Part 2

Over large areas the average will tend to the statistical mean (< 0) - find where the max peaks because of random variation:

Distribution at z = 10

-20

```
In[*]:= sums10 = sumz[cells, 10];
In[*]:= tally10 = distOfSums[sums10];
```

