In [2]:	<pre>import wavedrom import cairosvg from PIL import Image, ImageOps import matplotlib.pyplot as plt import numpy as np from BooleanAlgebra import Solver class LogicPlotter(): def my_lines(self,ax, pos, *args, **kwargs): if ax == 'x':</pre>					
	<pre>plt.axvline(p, *args, **kwargs) else: for p in pos: plt.axhline(p, *args, **kwargs) def make_logic(self,circuit): svg = wavedrom.render(f"""{circuit} """) svg["width"] ="2500px" svg["height"] ="1500px" svg.saveas("/tmp/output.svg")</pre>					
	<pre>cairosvg.svg2png(url='/tmp/output.svg', write_to='/tmp/output.png') image = Image.open("/tmp/output.png") image = ImageOps.expand(image, border=10, fill='black') plt.figure(figsize=(8, 8)) # Adjust the width and height values as desired plt.imshow(image) plt.axis('off') plt.show() def make_timing_diagram(self,dict_of_functions): plt.rcParams['figure.figsize'] = [15, 10]</pre>					
	<pre>plt.rcParams['figure.dpi'] = 100 # 200 e.g. is really fine, but slower fns = dict_of_functions fns = {key:np.repeat(fn,1) for (key,fn) in fns.items()} fns2 = {key:np.repeat(fn,2) for (key,fn) in fns.items()} t = 0.5 * np.arange(len(fns2["A"])) lenrange = range(len(fns2["A"])) self.my_lines('x',lenrange, color='.5', linewidth=2) self.my_lines('y', [-0.5+2*i for i in lenrange], color='.5', linewidth=1) for i, (label,fn) in enumerate(fns.items()): plt.step(t, np.repeat(fn,2) + i*2, 'r', linewidth = 2, where='post')</pre>					
	<pre>plt.step(t, np.repeat(fn,2) + i*2, 'r', linewidth = 2, where='post') plt.text(-1.75,i*2, label)# Add the letter "a" at position (1, 1) for tbit, bit in enumerate(fn): plt.text(tbit+0.25, (0.5+2*i), str(bit)) plt.ylim([-1.5,2*len(fns)]) plt.xlim([-2,len(fns['A'])]) plt.yticks([]) plt.gca().axis('on') plt.show()</pre>					
	EET3300 Module 7 - Timing $ 1. \text{ Draw a timing diagram for } Z(A,B,C) = (A'B+B'C). $ • Inverters have a propagation delay of 2 ns • AND and OR gates have a propagation delay of 5 ns. The input signals are shown in figure 9.5.					
In [3]:	<pre>tp = LogicPlotter() circuit = { "assign":[</pre>					
	<pre>fns= { "Z":[</pre>					
	1,1,1,1,1,1,1,1,1,1,1,1,1,1,1,1,1,1,1,					
	<pre>1,1,1,1,1,1,1,1,1,1,], } fns["A\'B"] = [int(bit) for bit in np.logical_and(np.logical_not(fns['A']), fns['B'])] fns["B\'C"] = [int(bit) for bit in np.logical_and(np.logical_not(fns['B']), fns['C'])] tp.make_timing_diagram(fns)</pre>					
	A B B C					
	B'C O O O O O O O O O					
	B O O O O O O O O O O O O O O O O O O O					
	2. Draw a timing diagram for $F(A,B,C)=(B\oplus C)(A+C)$.					
In [4]:	 AND gates have a delay of 2 ns OR gateshave a delay of 3 ns XOR gates have a delay of 5 ns. The input signals are shown in figure 9.5. tp = LogicPlotter() circuit = { "assign": [["F", ["&", ["\circuit", "B", "C"],					
	<pre>fns= { "C":[</pre>					
	"B":[1,1,1,1,1,1,1,1,1,1, 1,1,1,1,1,					
	<pre> True </pre>					
	tp.make_timing_diagram(fns) B C					
	A C					
	Aorc 1 1 1 1 1 1 1 1 1 1 1 1 1 0 0 0 0 0 0					
	BxorC					
	B					
In [5]:	4. Draw a timing diagram for $F(A,B,C,D)=A'C'D+A'BC'$ All logic gates have a propagation delay of 5 ns. The input signals are shown in figure 9.6. $tp=\text{LogicPlotter()}$ circuit = { "assign":[
	<pre>["F",</pre>					
	"D":[
	"B":[0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0					
	"F":[
	<pre>NOT = np.logical_not fns['A\'C\'D'] = [int(bit) for bit in (</pre>					
	$A \leftarrow C \leftarrow C \leftarrow F$ $A \leftarrow C \leftarrow F$					
	A'BC' A'					
	A O O O O O O O O O O O O O O O O O O O					
	C					
	 5. Look up the datasheet for the 74LS139A 2 to 4 decoder. Although we haven't discussed decoders yet, you will be able to interpret the logic diagram which only uses inverters and NAND gates. Assuming that every logic gate has a delay of 10 ns, draw the output for 1Y 1 giving the input signals shown in figure 9.7 Hazards 1. Find a hazard-free SOP expression for E(A, B, C) = \(\Sigma m\) (2, 3, 5, 7) 					
In [9]:	Solver(num_vars = 3, fn = [0,0,1,1,0,1,0,1],show_legend=False).display() Truth Table A B C F 0 0 0 0 0					
	1 0 0 1 0 2 0 1 0 1 3 0 1 1 1 4 1 0 0 0 5 1 0 1 1 6 1 1 0 0 7 1 1 1 1					
	KMAP 0 1 C' C 00 A'B' 0 01 A'B 1 11 AB 0 10 AB' 0					
	KMAP Legend 0 1 C' C 00 A'B' 0 1 01 A'B 2 3 11 AB 6 7 10 AB' 4 5					
	10 AB' 4 5 use all prime implicants to avoid hazards groups: (2,3)> A'B (11,10)> AC (7,3)> BC					
In [10]:	3. Find a NAND-only hazard-free expression for $F(A,B,C,D)=\Sigma m(0,1,3,4,6,11)+\Sigma d(8,12,13)$ Solver(num_vars = 4, fn = [0,1,0,1,1,0,1,0,"x",0,0,1,"x","x",0,0],show_legend=False).display() Truth Table					
Truth Table A B C D F 0 0 0 0 0 0 0 1 0 0 0 1 1 2 0 0 1 0 0 3 0 0 1 1 1 4 0 1 0 0 1 5 0 1 0 1 0 0 1						
	7 0 1 1 1 0 8 1 0 0 0 x 9 1 0 0 1 0 10 1 0 1 0 0 11 1 0 1 1 1 12 1 1 0 0 x 13 1 1 0 0 x 14 1 1 0 0 x 15 1 1 1 0 0					
	KMAP 00 01 11 10 C'D' C'D CD CD' 00 A'B' 0 1 1 0 01 A'B 1 0 0 1 11 AB X X 0 0 10 AB' X 0 1 0					
	KMAP Legend 00 01 11 10 c'd' c'd cd cd' 00 A'B' 0 1 3 2 01 A'B 4 5 7 6 11 AB 12 13 15 14					
	11 AB 12 13 15 14 10 AB' 8 9 11 10 use all prime implicants to avoid hazards groups (1,3)>A'B'D (3,11)> B'CD (4,6)>A'BD'k					
	(4,6)>A'BD'k $ (4,12,8)> C'D' $ $ (12,13)> ABC' $ NAND only so take double complement and apply demorgans to inner complement $ F = A'B'D + B'CD + A'BD' + C'D' + ABC' $ $ F = (A'B'D + B'CD + A'BD' + C'D' + ABC')'' $					
In []: In []: In []:	F = ((ABD')(BC'D')(AB'D)(CD)(A'B'C))'					