# Homework 1

Math 3607, Summer 2021

Spenser Smith

#### **Table of Contents**

Problem 1.	′
Problem 2	1
Problem 3	
Problem 4.	
Problem 5.	

### Problem 1.

This problem asks for a script that takes an input in degrees Fahrenheit and converts it to degrees Celsius.

```
tempFah = input('Give me a temperature in Fahrenheit: ');
tempCel = (tempFah-32)*(5/9);
disp(['The temperature in Celsius is: ',num2str(tempCel)])
```

The temperature in Celsius is: 18.8889

### Problem 2.

This problem asks for a script that takes an input for both the equatorial and polar radii and calculates both the area and the approximate area of Earth.

```
format long g
r1 = input('Give me the equationial radius: ');
r2 = input('Give me the polar radius: ');
gamma = acos(r2/r1);
area = 2*phi * (r1^2 + ((r2^2)/sin(gamma))*log(cos(gamma)/(1 - sin(gamma))));
approx = 4*phi*(((r1+r2)/2)^2);
disp(['The area is: ', num2str(area)])
```

```
The area is: 510065604.9442

disp(['The area approximation is :', num2str(approx)])
```

The area approximation is :509495321.6397

# Problem 3.

This problem asks for a script that can take any year as an input and check if it is a leap year.

1900 is not a leap year

# Problem 4.

This problem asks for a script that takes Cartesian coordinates and changes them to spherical coordinates.

```
x = input('Give me the x-coordinate: ');
y = input('Give me the y-coordinate: ');
z = input('Give me the z-coordinate: ');
rho = sqrt(x^2+y^2+z^2);
if x>0 && y>0
                             % first quadrant use atan
    theta = atan(y/x);
                             % fourth quadrant use atan
elseif x>0 && y<0
    theta = atan(y/x);
else
                             % second and third quadrants use atan2
    theta = atan2(y,x);
end
phi = acos(z/(sqrt(x^2+y^2+z^2)));
fprintf('The spherical coordinates are: (%f, %f, %f) \n', rho, theta, phi)
```

The spherical coordinates are: (5.385165, -2.214297, 1.190290)

# Problem 5.

This problem asks for a script that calculates the probability of winning a game called 3-Stick where three sticks are picked randomly from an interval of [0,1]. If a triangle can be formed between the three sticks, you win. Otherwise, you lose.

The probability of winning the game is: 0.49987