

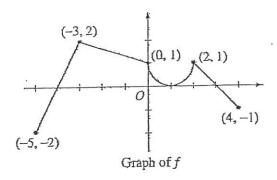
The graph of the function f is shown

above. The domain of f is $0 \le x \le 9$.

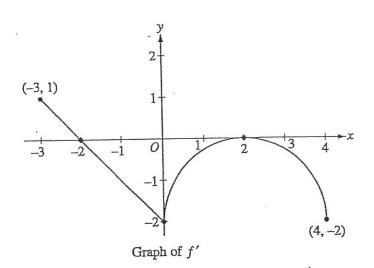
Let g be the function defined by:

$$g(x) = \int_{2}^{x} f(t)dt$$

- (a) Find the value of g(5).
- b) Find the value of g(0).
- (c) Find the value of g'(1).
- (d) Find the value of g'(5).
- (e) Find the value of g''(3).
- f) Find the value of g''(5).
- (g) For what values of x in the interval [0, 9] is g increasing. Justify your answer.
- h) For what values of x in the interval [0, 9] is the graph of g concave up? Justify your answer.
 - i) Find the absolute minimum value of g on the interval [0, 9]. Justify your answer.
 - j) State all the x-coordinate of all inflection points of the function g.



- The graph of the function f shown above consists of a semicircle and three line segments. Let g be the function given by $g(x) = \int_{-3}^{x} f(t) dt$.
 - (a) Find g(0) and g'(0).
 - (b) Find all values of x in the open interval (-5, 4) at which g attains a relative maximum. Justify your answer.
 - (c) Find the absolute minimum value of g on the closed interval [-5, 4]. Justify your answer.
 - (d) Find all values of x in the open interval (-5, 4) at which the graph of g has a point of inflection.



- 4. Let f be a function defined on the closed interval $-3 \le x \le 4$ with f(0) = 3. The graph of f', the derivative of f, consists of one line segment and a semicircle, as shown above.
 - (a) On what intervals, if any, is f increasing? Justify your answer.
 - (b) Find the x-coordinate of each point of inflection of the graph of f on the open interval -3 < x < 4. Justify your answer.
 - (c) Find an equation for the line tangent to the graph of f at the point (0, 3).
 - (d) Find f(-3) and f(4). Show the work that leads to your answers.