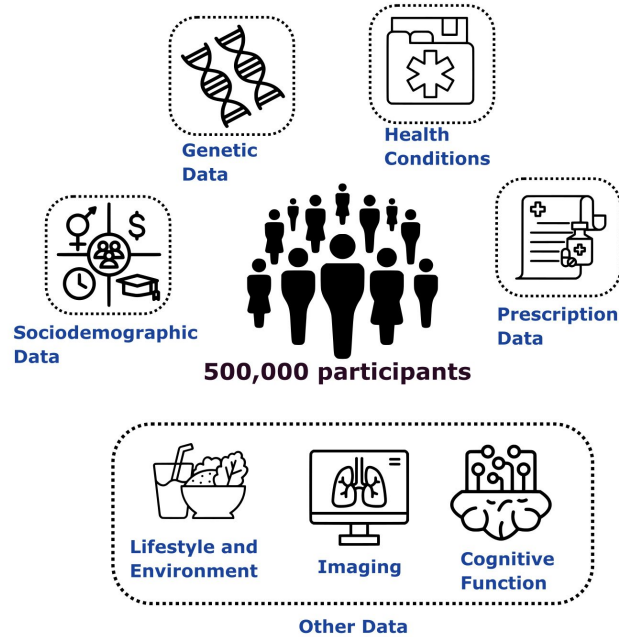


An exploratory data science approach:
Understanding the OMOP data for use as phenotype
in genotype-phenotype association studies
by **Xinlu Shi**

supervisor: **Alexander Hauser, Jakob Madsen**

UK Biobank



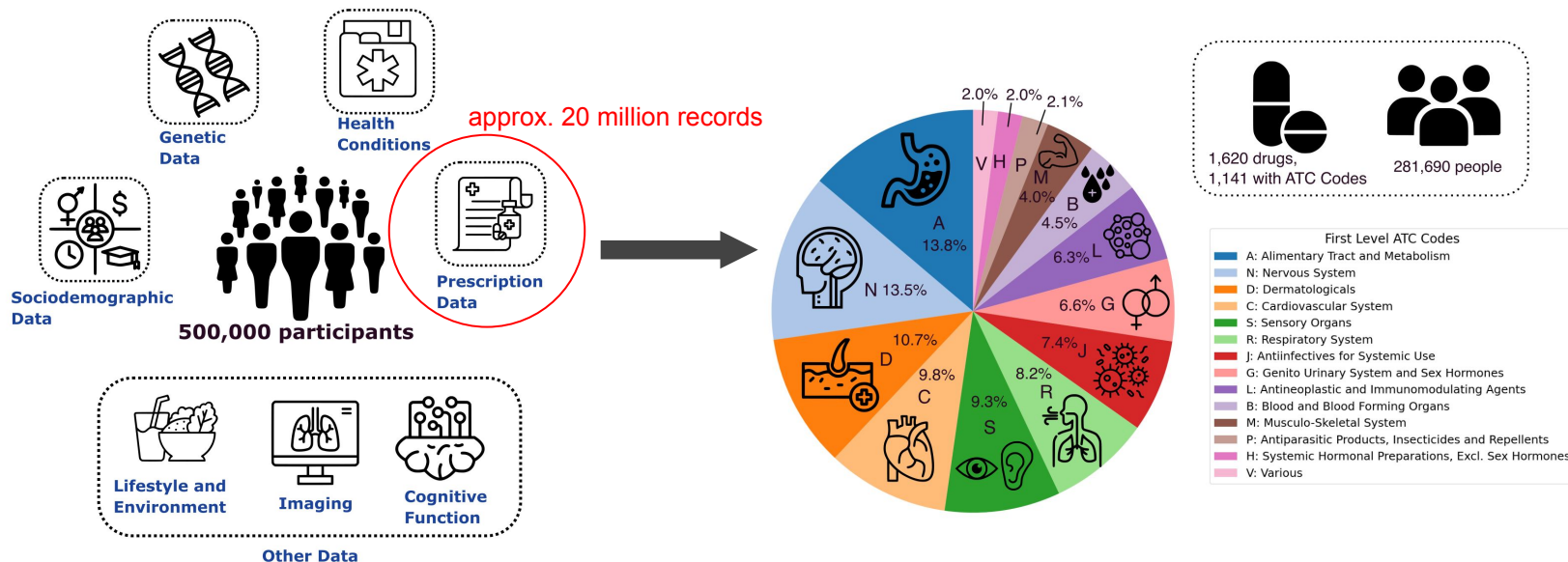
Motivation: drug use pattern → phenotype → genotype

Related Works

- Troels Siggaard et al. "[Disease trajectory browser for exploring temporal, population-wide disease progression patterns in 7.2 million Danish patients](#)". In: Nature Communications 11.1 (2020), p. 4952.
merge linear trajectories into disease trajectory networks; exploring patterns of disease progression
- Tuomo Kiiskinen, Pyry Helkkula, Kristi Krebs, et al. "[Genetic predictors of lifelong medication-use patterns in cardiometabolic diseases](#)". In: Nature Medicine 29.1 (2023), pp. 209–218.
genetic associations with drug adherence and switching patterns in cardiometabolic diseases
- Bjarni V. Halldorsson, Hannes P. Eggertsson, Kristjan H. S. Moore, et al. "[The sequences of 150,119 genomes in the UK Biobank](#)". In: Nature 607.732 (2022), pp. 732–740.
rare and common genetic variants influencing drug response → refined models of pharmacogenomics and personalized medicine

Motivation: drug use pattern → phenotype → genotype

UK Biobank



ATC code

In the Anatomical Therapeutic Chemical (ATC) classification system, the active substances are divided into different groups according to the organ or system on which they act and their therapeutic, pharmacological and chemical properties. Drugs are classified in groups at five different levels.

ATC 1st level

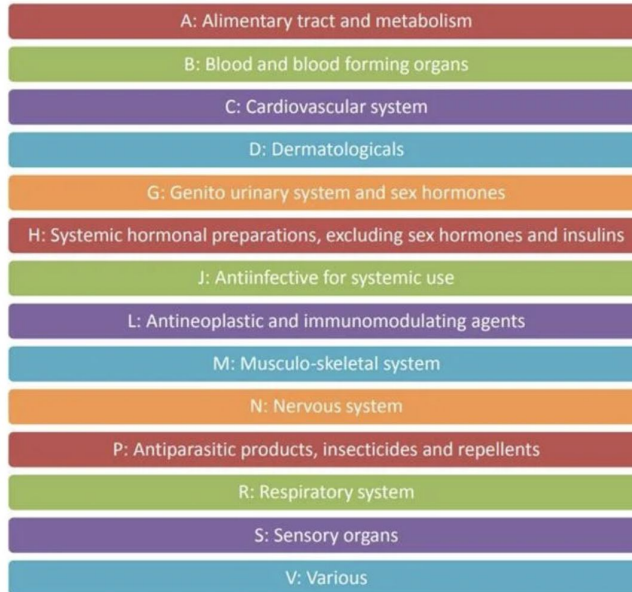
The system has fourteen main anatomical or pharmacological groups (1st level). The ATC 1st levels are shown in the figure.

ATC 2nd level

Pharmacological or Therapeutic subgroup

ATC 3rd& 4th levels

Chemical, Pharmacological or Therapeutic subgroup

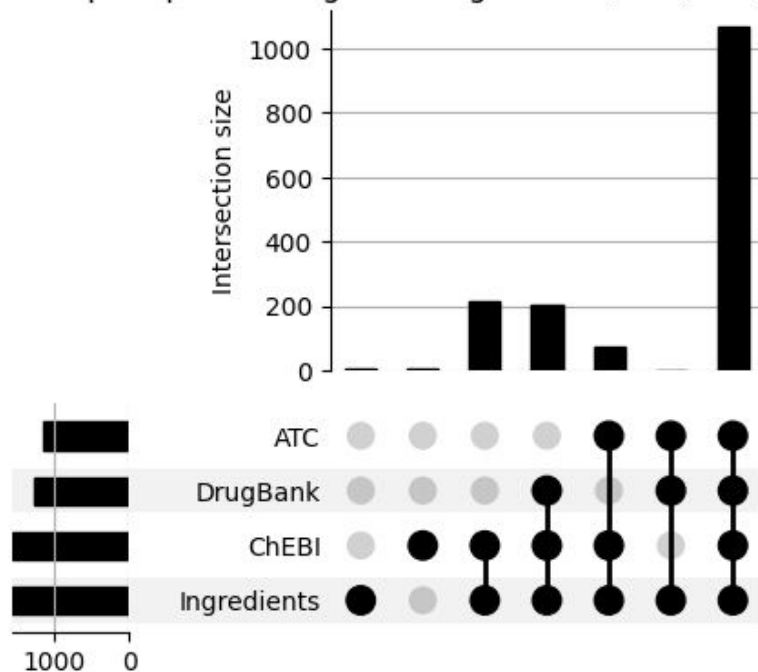


e.g.

- N **NERVOUS SYSTEM**
- N06 **PSYCHOANALEPTICS**
- N06A **ANTIDEPRESSANTS**
- N06AA **Non-selective monoamine reuptake inhibitors**
- N06AA01 **desipramine**

Drug Information

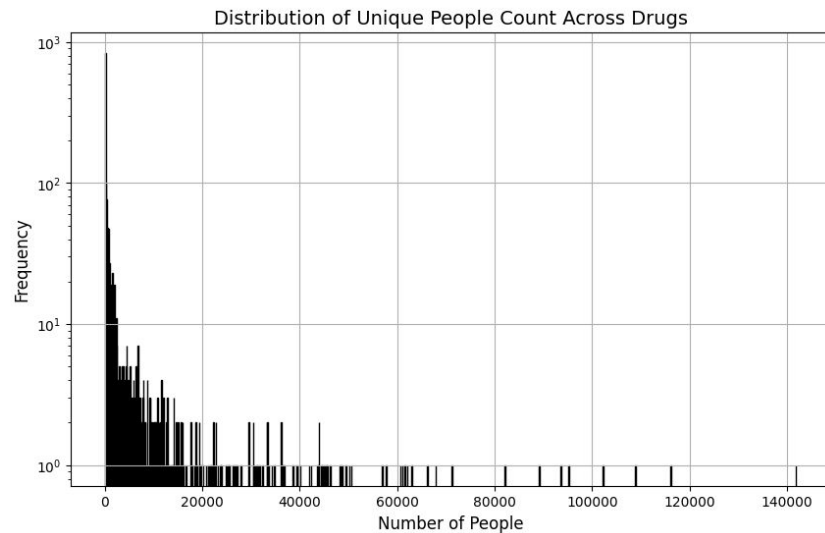
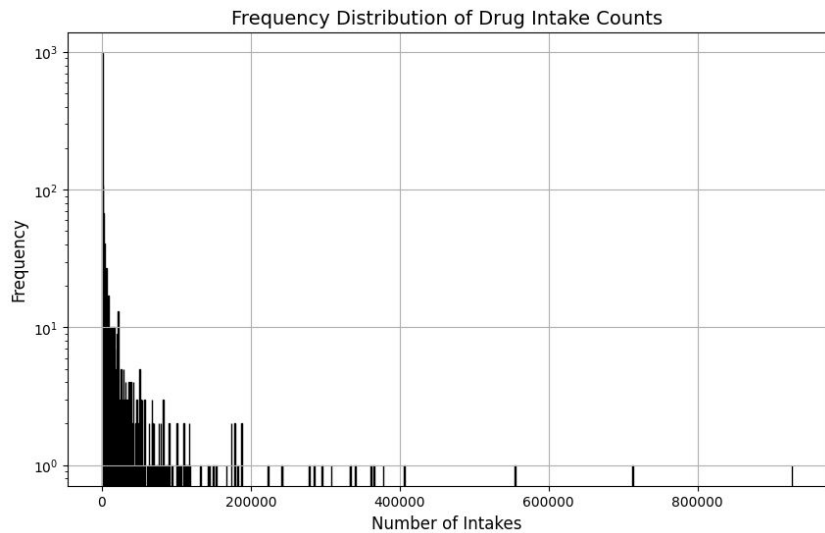
UpSet plot of drugs with Ingredients, ATC, DrugBank, and ChEBI



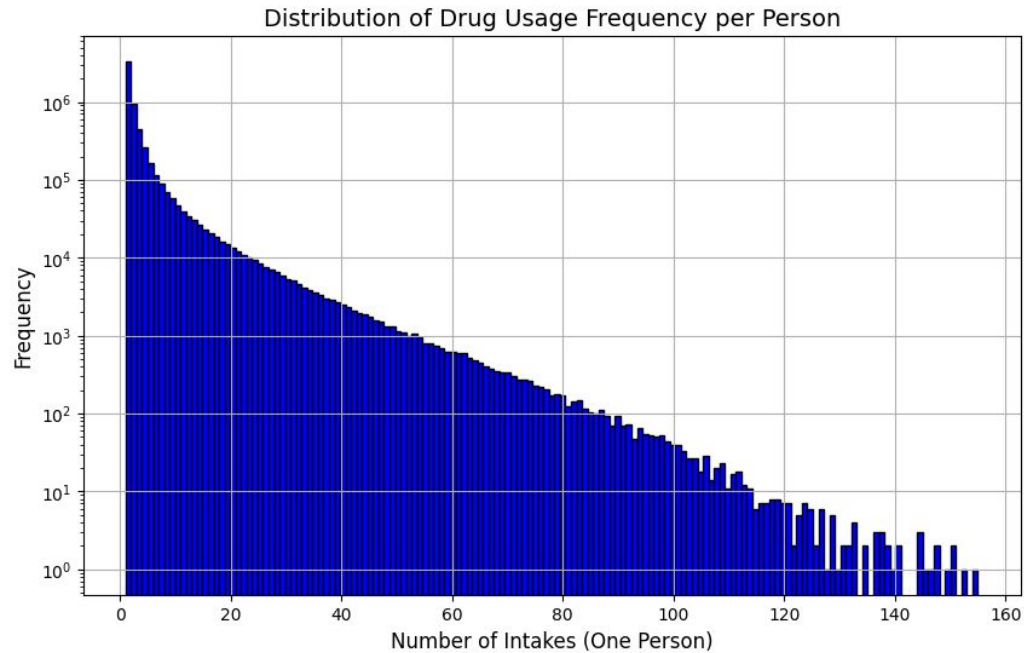
Observation:

- lacking CHEBI/Ingredient: very rare cases, mainly due to dataset error
- lacking ATC code/DrugBank: sometimes, mainly due to non-therapeutic ingredients or non-therapeutic ingredients e.g. Influenza A virus

Individual-Level Drug Era



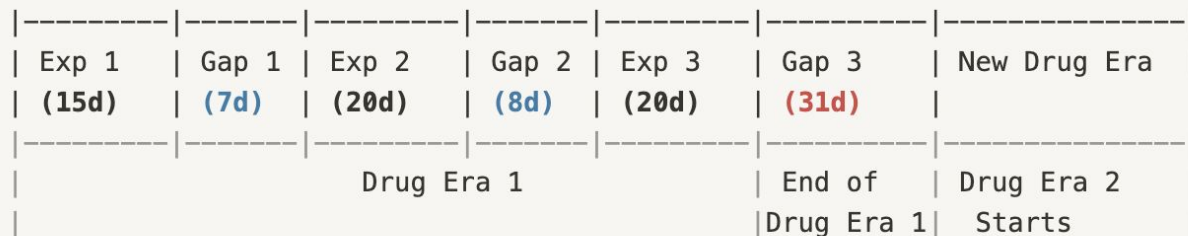
Individual Drug Era



Drug Era Data Structure

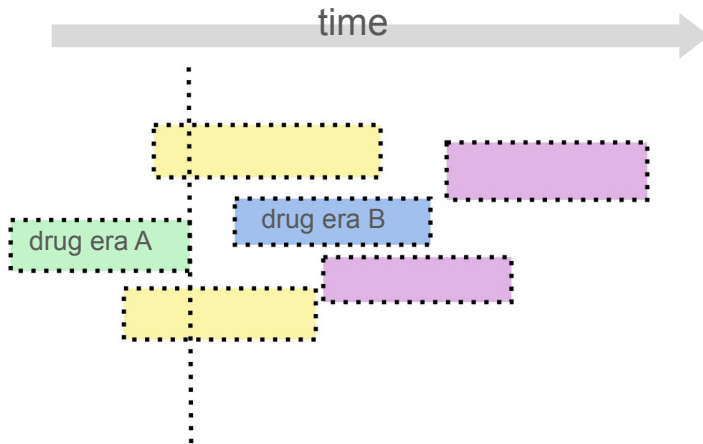
- **drug exposure**: a strictly continuous period of using one drug (same active substance)
- **drug era**: a period of drug use for a person (allowing short gaps ≤ 30 days)
- **component of a drug era**: which person, what drug, from when to when, how many times (exposures), total gap days within in the drug era

Time -->



Drug Switch Pattern

- defining **drug switch** (drug era A \rightarrow drug era B):
 - after stopping drug era A, what drug era did the person first begin?
 - for each drug era A, we find its **closest subsequent drug era**: the drug era that first started after A ends



- switch pattern: drug A \rightarrow drug B

Drug Switch Pattern

- number of **drug eras**: approx. 20 million
(44% of them have multiple switches)
- total number of **drug switches** founded approx. 37 million

Drug Switch Pattern

- number of **drug eras**: approx. 20 million
(44% of them have multiple switches)
- total number of **drug switches** approx. 37 million

an example on A → multiple B

treat pain & inflammatory diseases

| Drug Era ID | Drug Name | ATC Code | Start Date | End Date |
|--------------|-----------|-------------------------|------------|------------|
| 438086668536 | naproxen | G02CC02,M01AE02,M02AA12 | 2011-03-18 | 2011-04-14 |

it has 3 closest subsequent drug eras (switch interval = 244 days):

treat anxiety disorders
treat mild to moderate pain
treat moderate to severe pain

| Drug Name | ATC Code | Start Date | End Date |
|----------------|----------|------------|------------|
| diazepam | N05BA01 | 2011-12-14 | 2011-12-19 |
| acetaminophen | N02BE01 | 2011-12-14 | 2012-01-12 |
| dihydrocodeine | N02AA08 | 2011-12-14 | 2012-01-12 |

PMI on switch source & destination

- how significant/meaningful is a drug switch pattern **drug A** → **drug B** ?
- unique drug switch pattern (drug A, drug B): approx. 400k
 - we can compare to find what switch happened most frequently;
 - biased
- use PMI score to determine whether a switch happens by chance

PMI on switch source & destination

- use PMI score to determine whether a switch happens by chance
- PMI: Pointwise Mutual Information

$$\text{PMI}(x, y) = \log \frac{p(x, y)}{p(x)p(y)}$$

$p(x, y) = p(x)p(y)$, PMI = 0, independent, co-occur by chance

$p(x, y) < p(x)p(y)$, PMI < 0, co-occur less than by chance

$p(x, y) > p(x)p(y)$, PMI > 0, co-occur more than by chance

PMI on switch source & destination

- use PMI score to determine whether a switch happens by chance

PMI for a drug switch $A \rightarrow B$

$$\text{PMI}(x, y) = \log \frac{p(x, y)}{p(x)p(y)}$$

$\text{Pr}(A \rightarrow B)$

$\text{Pr}(A \rightarrow \text{any drug})$
A is the source of the switch

$\text{Pr}(\text{any drug} \rightarrow B)$
B is the destination of the switch

PMI on switch source & destination

- use PMI score to determine whether a switch happens by chance

PMI for a drug switch $A \rightarrow B$

$$\text{PMI}(x, y) = \log \frac{p(x, y) + \epsilon}{p(x)p(y) + \epsilon}$$

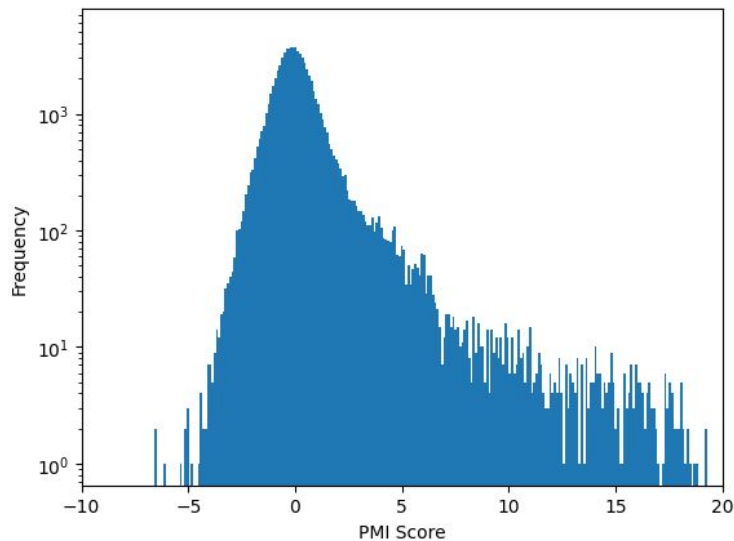
The diagram illustrates the components of the PMI formula with arrows pointing from the terms to their probabilistic interpretations:

- An arrow points from the $\text{PMI}(x, y)$ term to the text "PMI for a drug switch $A \rightarrow B$ ".
- An arrow points from the numerator $p(x, y)$ to the text $\text{Pr}(A \rightarrow B)$.
- An arrow points from the denominator $p(x)$ to the text $\text{Pr}(A \rightarrow \text{any drug})$.
- An arrow points from the denominator $p(y)$ to the text $\text{Pr}(\text{any drug} \rightarrow B)$.

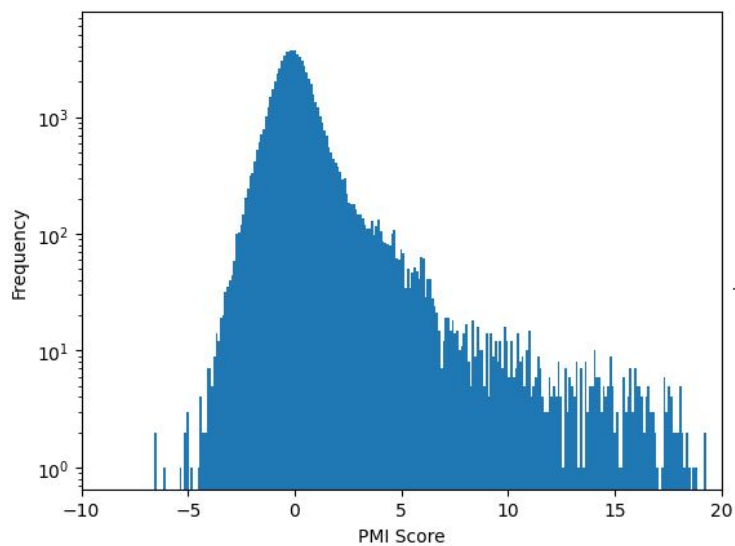
- too uncommon switches can have misleading high PMI values \rightarrow filtered out

PMI on switch source & destination

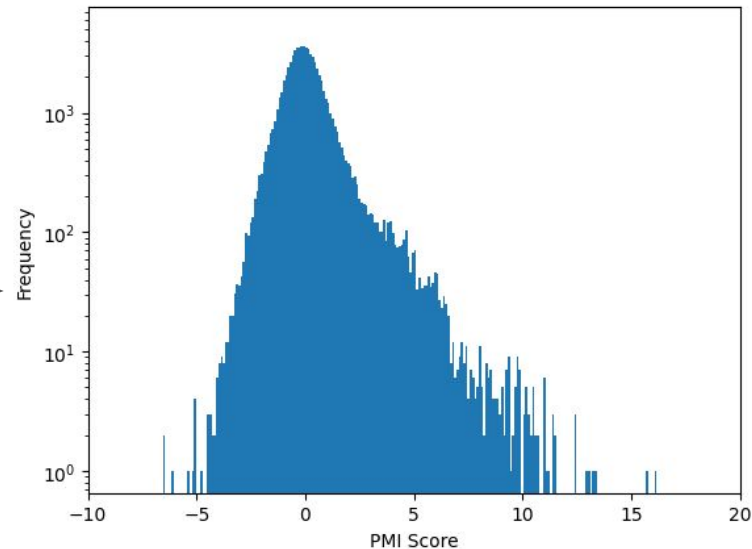
- 76,152 distinct drug switch patterns after filtering



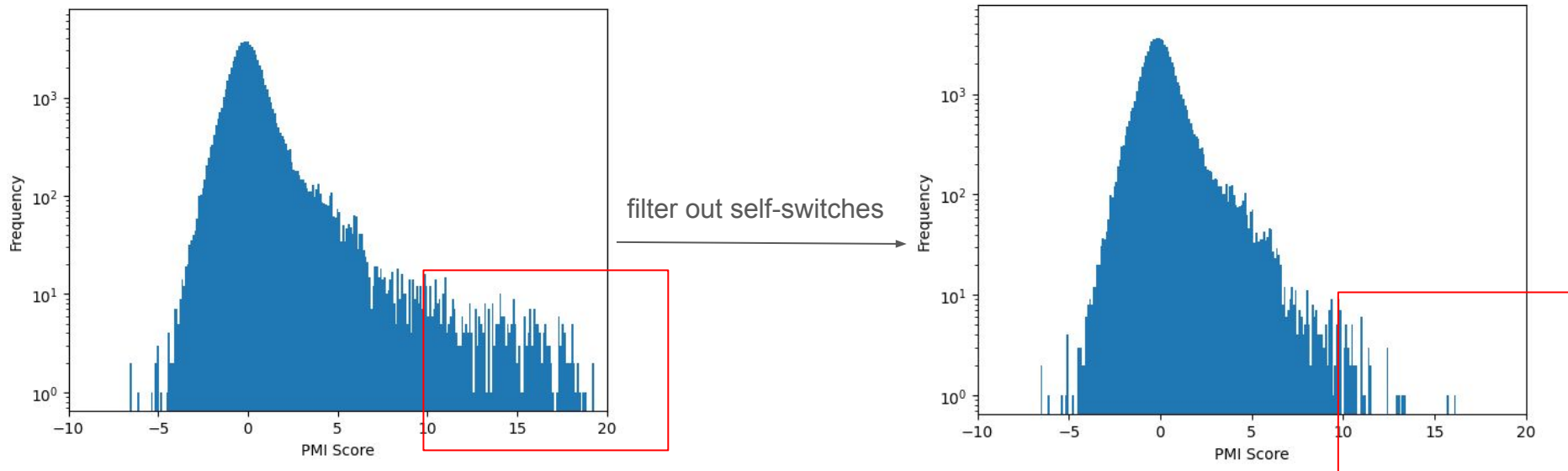
PMI on switch source & destination



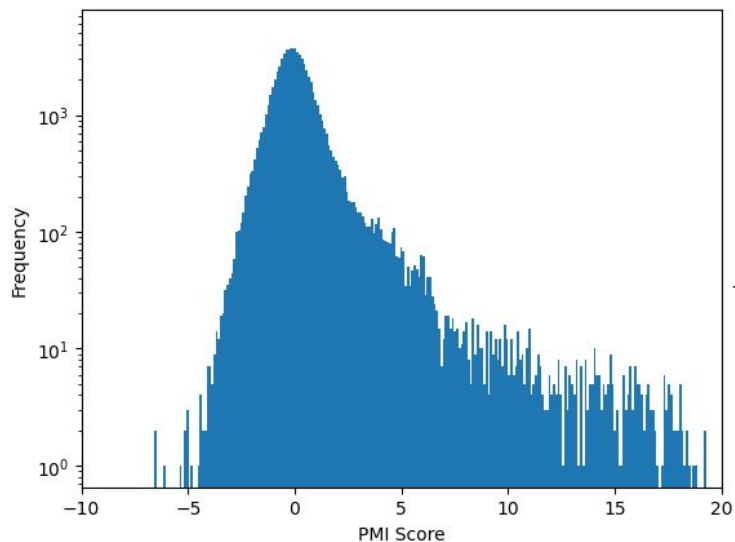
filter out self-switches



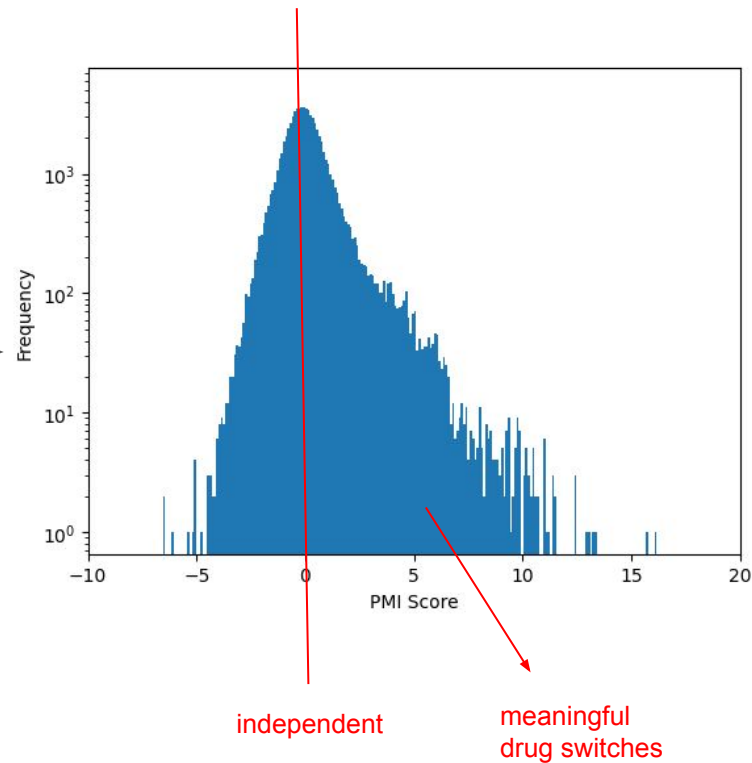
PMI on switch source & destination



PMI on switch source & destination



filter out self-switches



PMI on switch source & destination

an example:

oxycodone → **naloxone**

PMI score: **11.522** (really high)

oxycodone being source: **4910** times

naloxone being destination: **251** times

oxycodone → naloxone: **105** times

naloxone → **oxycodone**

PMI score: **11.255** (really high)

naloxone being source: **212** times

oxycodone being destination: **7061** times

naloxone → oxycodone: **106** times

Oxycodone: opioid, treating pain

Naloxone: treating opioid overdose and respiratory or mental depression due to opioids

PMI on switch source & destination

an example:

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PMI score: **11.522** (really high)

oxycodone being source: **4910** times

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naloxone → **oxycodone**

PMI score: **11.255** (really high)

naloxone being source: **212** times

oxycodone being destination: **7061** times

naloxone → oxycodone: **106** times



indicates strong addiction

PMI on switch pattern 1 & switch pattern 2

Is drug switch pattern $A \rightarrow B$ related to pattern $C \rightarrow D$?

- only drug switches between drugs under ATC code category “N” (Nervous System)
- 1,875 kinds of switches after filtering
- Combination $(1875, 2) = 1,756,875$ switch pairs

PMI on switch 1 & switch 2

- use PMI score to determine whether a **person have two switches** by chance

PMI for a $A \rightarrow B$ & $C \rightarrow D$

$$\text{PMI}(x, y) = \log \frac{p(x, y) + \epsilon}{p(x)p(y) + \epsilon}$$

Pr (a person has had both $A \rightarrow B$ & $C \rightarrow D$)

Pr (a person has had $A \rightarrow B$)

Pr (a person has had $C \rightarrow D$)

A diagram illustrating the Pointwise Mutual Information (PMI) formula. The formula is $\text{PMI}(x, y) = \log \frac{p(x, y) + \epsilon}{p(x)p(y) + \epsilon}$. Arrows point from the components to their interpretations:

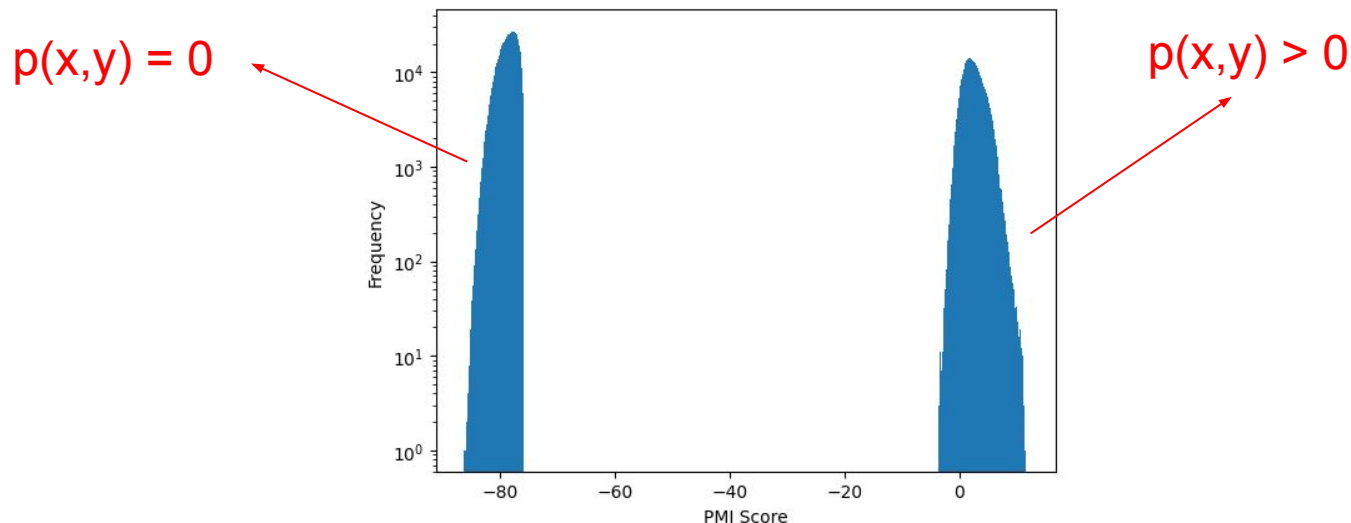
- An arrow from $\text{PMI}(x, y)$ points to the text "PMI for a $A \rightarrow B$ & $C \rightarrow D$ ".
- An arrow from $p(x, y)$ points to the text "Pr (a person has had both $A \rightarrow B$ & $C \rightarrow D$)".
- An arrow from $p(x)$ points to the text "Pr (a person has had $A \rightarrow B$)".
- An arrow from $p(y)$ points to the text "Pr (a person has had $C \rightarrow D$)".

 The ϵ terms are also highlighted in red.

PMI on switch 1 & switch 2

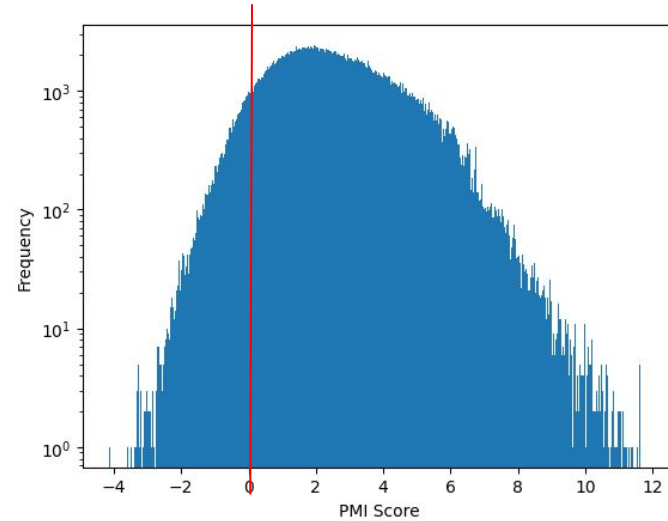
Is drug switch $A \rightarrow B$ related to $C \rightarrow D$?

Combination (1875, 2) = 1,756,875 switch pairs



very small epsilon is used;
 $p(x,y) = 0$ vs. $1e-6$ can make huge difference in PMI score

PMI on switch 1 & switch 2



- drug switch $A \rightarrow B$ and $C \rightarrow D$ tend to co-occur
- possible underlying factors

PMI on switch 1 & switch 2

example:

Switch 1: **ergotamine** → **amitriptyline**

Switch 2: **amitriptyline** → **caffeine**

PMI score: 11.316

- **Ergotamine:** treat migraines
- **Amitriptyline:** treat chronic pain; preventive treatment for migraines
- **Caffeine:** sometimes used to enhance the effects of pain relievers or manage certain headaches

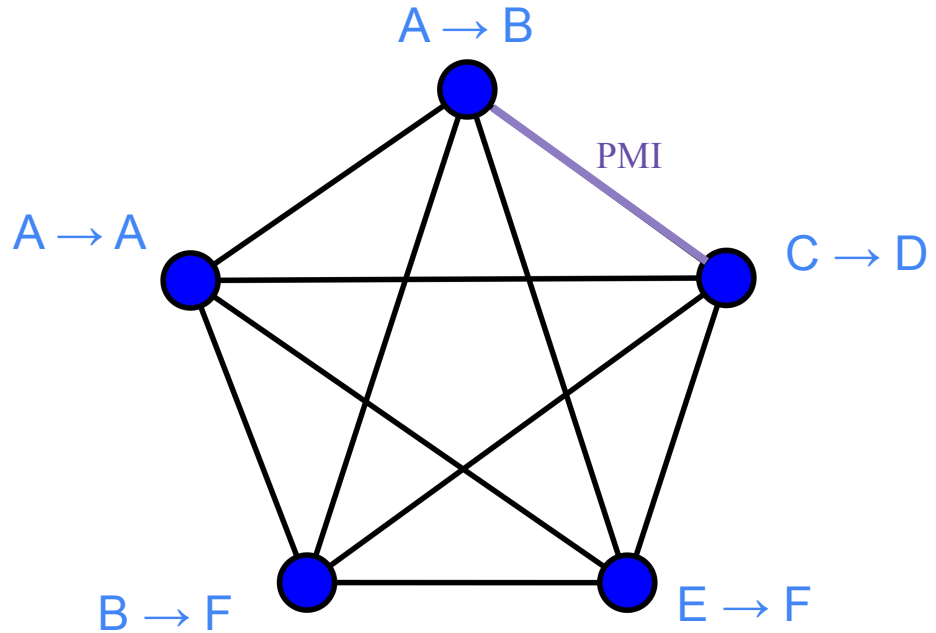


might indicate a fine-tuning of migraine treatment or managing side effects of amitriptyline (e.g., fatigue or sedation).

PMI on switch 1 & switch 2

Graph

Nodes: 1875 switches;
Undirected Edges;
Weight: PMI scores



PMI on switch 1 & switch 2

Graph

Nodes: 1875 switches;

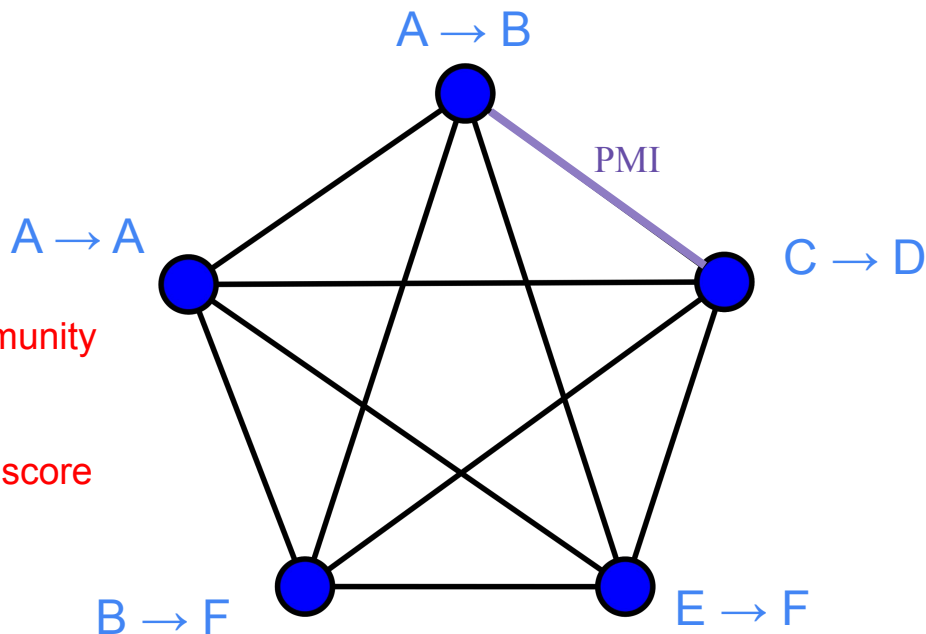
Undirected Edges;

Weight: PMI scores

clustering: Louvain community
detection algorithm

maximizing the avg PMI score
within each cluster

9 clusters of drug switches



PMI on switch 1 & switch 2

Drug Switch Communities
1860 nodes, 133506 edges, 9 communities



- Nodes closed together: strongly connected nodes (high PMI)
- Nodes farther apart: weak connection

Patterns of Gap Days

gap: the patient's adherence to the treatment

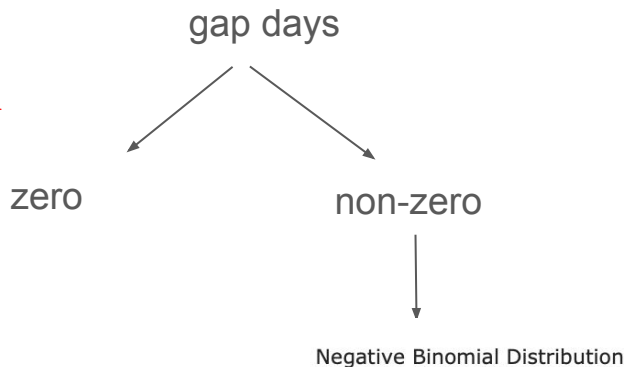
- what drug causes people to have more gaps?
- can we predict the number of gap days given what drug it is and the drug era's duration?

$f(\text{drug}, \text{duration}) = \text{gap days}$

Patterns of Gap Days

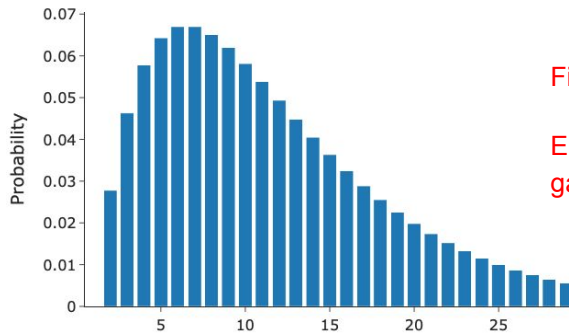
clean dataset (16 drugs, excluding outliers); zero-inflated model; two-stage approach

$$\text{logit}(P(\text{gap days} > 0)) = \gamma_0 + \gamma_1 X_1 + \gamma_2 X_2 + \dots$$



$$\log(\mu) = \beta_0 + \beta_1 X_1 + \beta_2 X_2 + \dots + \log(\text{duration})$$

$\mu : E(\text{gap days})$



Final Probability Model:

$$E(\text{gap days}) = P(\text{gap days} > 0) \times E(\text{gap days} \mid \text{gap days} > 0)$$

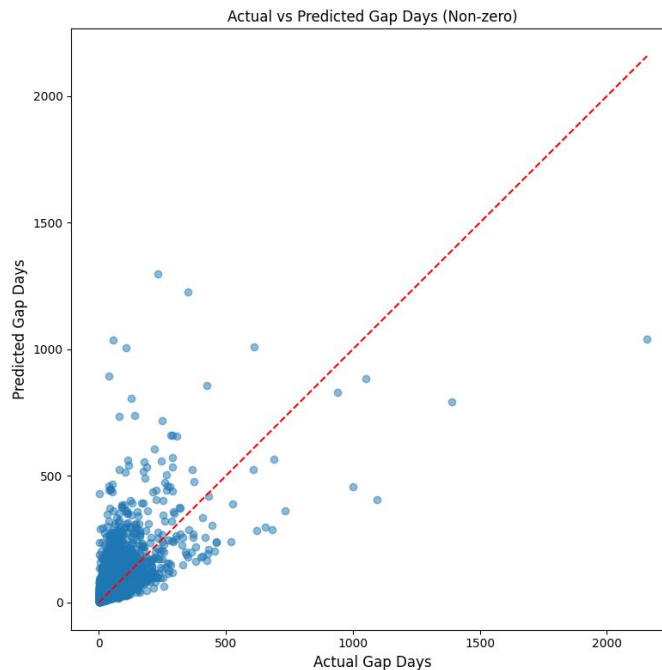
Patterns of Gap Days

one hot encoding for different drugs : [0, 1, 0, 0, ...]

$$\log(\mu) = \beta_0 + \beta_1 X_1 + \beta_2 X_2 + \dots + \log(\text{duration})$$

μ : E(gap days)

- small LLR (Log-Likelihood Ratio) p-value
- pseudo R-square (11.09%): limited predictive power



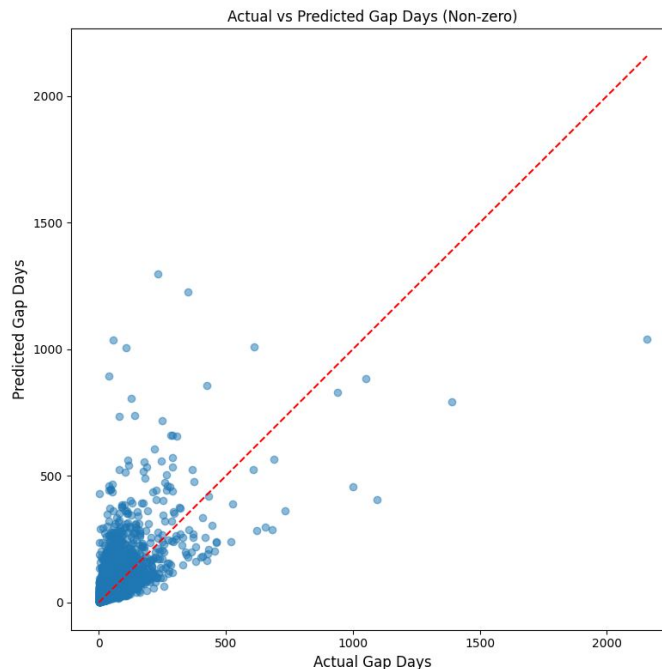
Patterns of Gap Days

one hot encoding for different drugs : [0, 1, 0, 0, ...]

$$\log(\mu) = \beta_0 + \beta_1 X_1 + \beta_2 X_2 + \dots + \log(\text{duration})$$

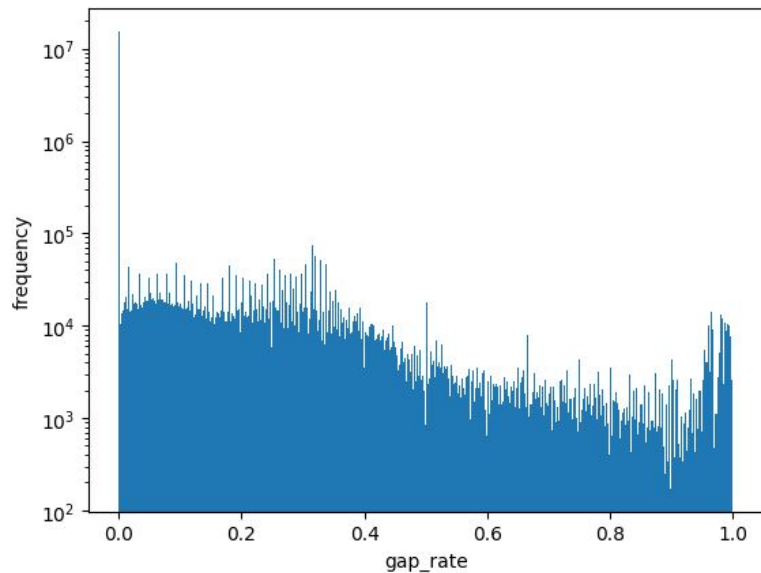
μ : E(gap days)

- small LLR (Log-Likelihood Ratio) p-value
- pseudo R-square (11.09%): limited predictive power
- gap is affected by drug (and duration); but not fully - population-level factors
- different drugs may affect gap days in different ways

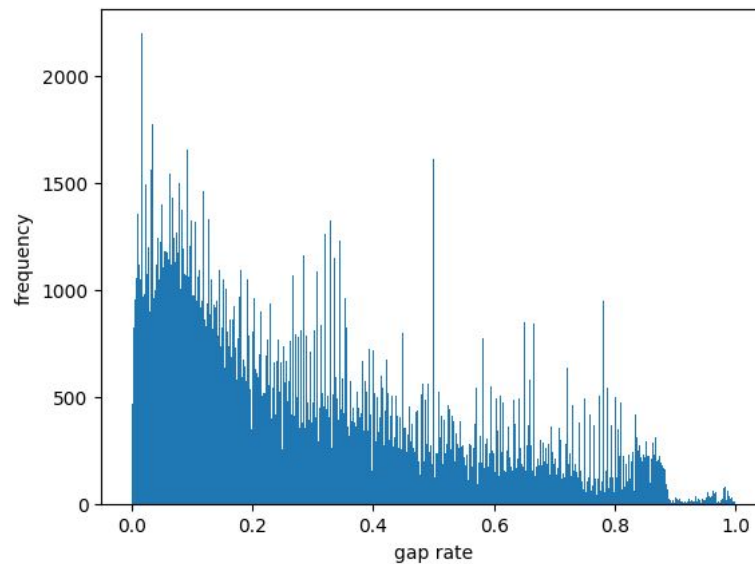


drug's impact on gap

gap rate = gap days / duration



gap rate for **all** drug eras

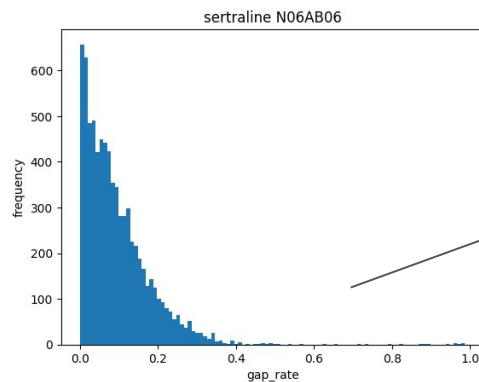
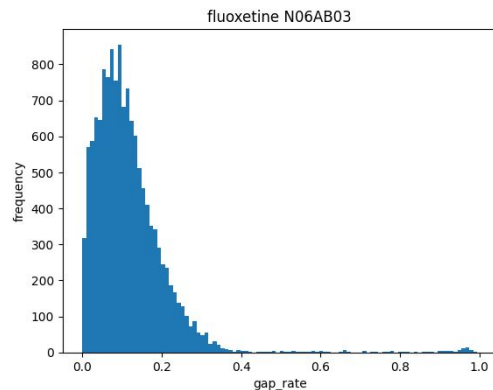
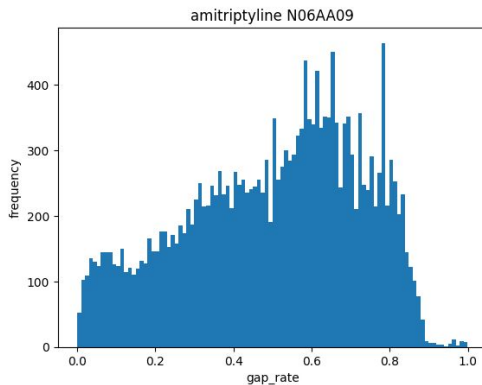
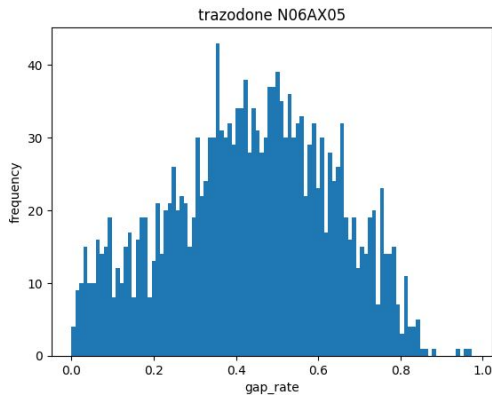


gap rate for drug eras with
N06 (psychoanaleptics)

drug's impact on gap

gap rate = gap days / duration

4 kinds of antidepressant (N06):



less gap,
more adherence;
probably less side effect

Thank you for listening