Implement the k_Means Clustering using "Income.csv"

1. Create a data frame and visualize the natural groupings in the dataset

2. The above groupings are mostly segmented using income, since it has a huge range. Scale of age is 0 to 60 and income is from 0 to 50000. Hence Euclidean distance will always be dominated by income and not age. Hence all features need to be normalised to a uniform scale before clustering.

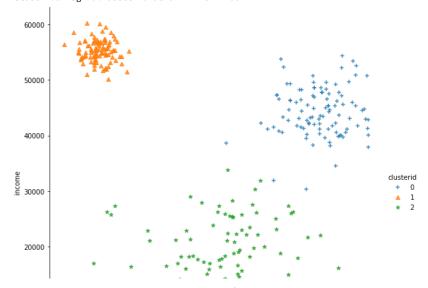
3. Plotting customers with their segments

```
from sklearn.cluster import KMeans
clusters = KMeans(3)
clusters.fit(scaled_df)
df["clusterid"] = clusters.labels_
markers = ['+', '^', '*'] #marking clusters 1, 2 and 3 with these symbols respectively
sn.lmplot("age", "income", data = df, hue = "clusterid", fit_reg = False, markers = markers, size = 8)
```

/usr/local/lib/python3.8/dist-packages/seaborn/_decorators.py:36: FutureWarning: Pass the following variables as keyword args: x, y. Frc warnings.warn(

/usr/local/lib/python3.8/dist-packages/seaborn/regression.py:581: UserWarning: The `size` parameter has been renamed to `height`; please warnings.warn(msg, UserWarning)

<seaborn.axisgrid.FacetGrid at 0x7ff1962999d0>



4. Print the cluster centers using the original dataframe. Cluster centres explain the characteristics of the cluster and helps us to interpret the clusters. Print the cluster centres to understand the average age and income of each cluster.

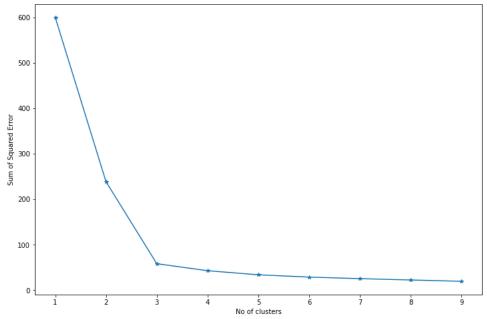
	_		-			
			mean	std	mean	std
0		0	46.419101	2.289620	43053.932584	3613.769632
1		1	39.174479	3.626068	18144.791667	6745.241906
2		2	31.700435	6.122122	54675.652174	2362.224320

5. So Cluster 0 has a mean age of 39 and income of 18K. Low age and low income. CLuster 1 has a mean age of 37 and income of 54K. Mid age and high income. CLuster 2 has a mean age of 46 and income of 43K. High age and medium income. The actual age and income of a customer within a cluster will vary from the cluster centers and is called the cluster variance. This is given by WCSS - within cluster sum of squares.

6. Find the optimum number of clusters that may exist using Elbow Method. Try with number of clusters from 1 to 10. In each case print the total variance using "inertia" parameter of the clusters.

```
cluster_range = range(1,10)
cluster_errors = []
for num_clusters in cluster_range:
    clusters = KMeans(num_clusters)
    clusters.fit(scaled_df)
    cluster_errors.append(clusters.inertia_)
plt. figure(figsize = (12,8))
plt.plot(cluster_range, cluster_errors, marker = '*')
plt.xlabel("No of clusters")
plt.ylabel("Sum of Squared Error")
#Text(0, 0.5, "Sum of Squared Error")
```

Text(0, 0.5, 'Sum of Squared Error')



Double-click (or enter) to edit

The figure indicates the elbow point is 3, this means there might exist three clusters in the data set.

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