

* If any SDD has only synthesized attribute then the SDD is scattered (bottom-up approach)

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UNIT - IV

- * Syntax Directed Definition ^(SDD) :- Same as that of CFG but with attributes & rules.
- Attributes are associated with variables & terminals
- Rules are nothing but actions associated with production

Eg: Production

$$E \rightarrow E_1 + T$$

Semantic Rule

$$E\text{-code} \Rightarrow E_1\text{-code} || T\text{-code} || ^+$$

attribute

conjunction

* Two types of attributes

- Synthesized attribute:- The attribute value of Node N is associated with / defined only in terms of attribute values of children at node N and N itself.
- Inherited attribute:- The attribute value of Node N is defined only in terms of the attribute values of its siblings, its parents, and itself.

Ex 17]

Production

$$L \rightarrow E n$$

→ input-end
marker (not set)

$$E \rightarrow E_1 + T$$

$$E \rightarrow T$$

→ T is same

$$T \rightarrow T_1 * F$$

as T

$$T \rightarrow F$$

$$F \rightarrow (E)$$

$$F \rightarrow \text{digit}$$

Semantic Rule

$$L\text{-val} = E\text{-val}$$

$$E\text{-val} = E_1\text{-val} + T\text{-val}$$

$$E\text{-val} = T\text{-val}$$

$$T\text{-val} = T_1\text{-val} * F\text{-val}$$

$$T\text{-val} = F\text{-val}$$

$$F\text{-val} = E\text{-val}$$

$$F\text{-val} = \text{digit decimal}$$

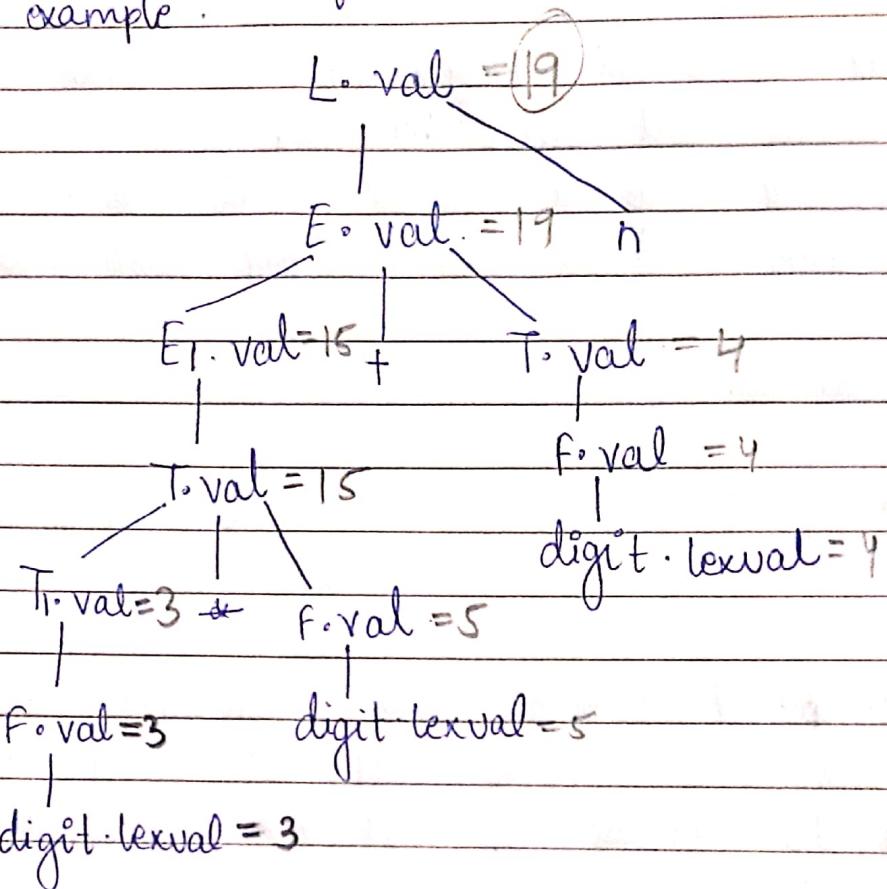
This grammar represents Desktop Calculator

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- i) Construct parse tree for input $3 * 5 + 4n$, using the previous example.

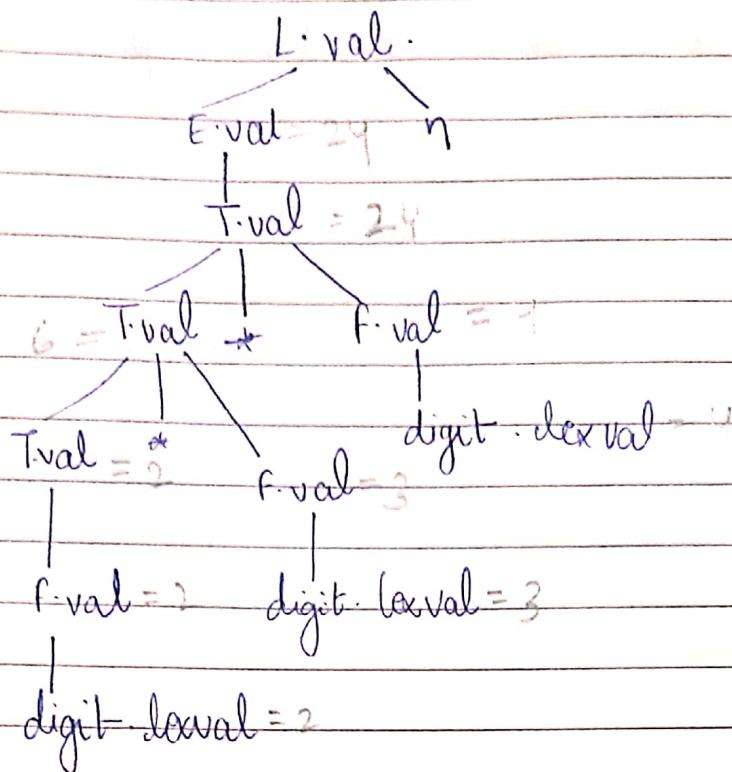
Solu:



The above tree is Annotated Parse Tree.

- If each node contains the values of attribute, then the parse tree is called "Annotated parse tree".
- Here the value of each node is computed as the value of its children or that node itself, and hence its "synthesized attribute".

- ii) Construct parse tree for input $2 * 3 * 4$, using previous example. It should be annotated parse tree.

Solu

→ This SDD is s-attributed.

Ex 2

Production

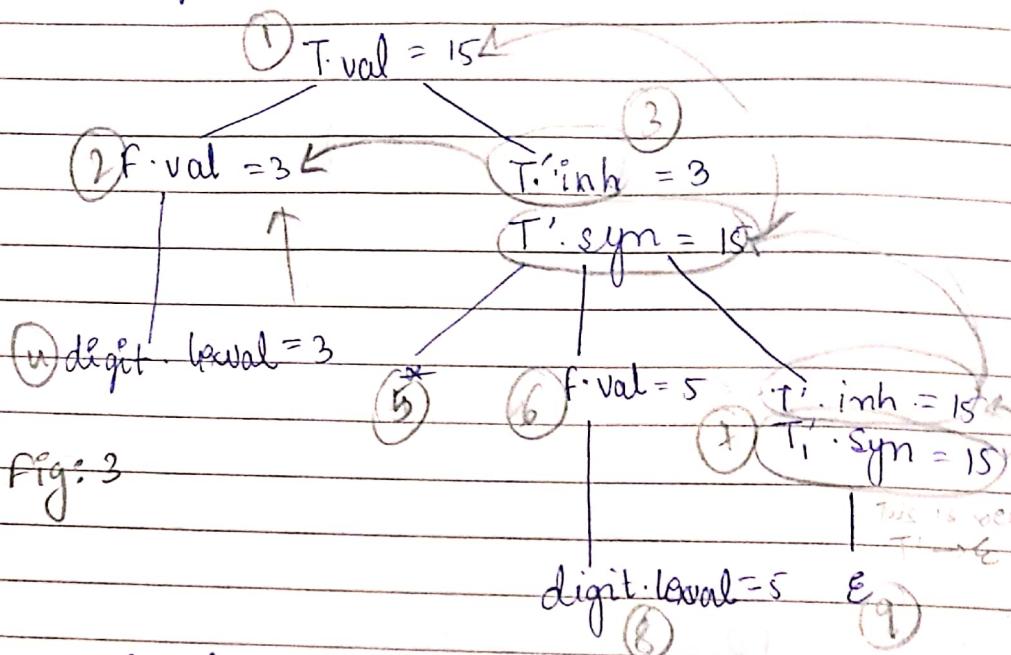
Semantic rule

- 1) $T \rightarrow FT'$ $T'.inh = F.val$
 $T.val = T'.syn$
- 2) $T' \rightarrow *FT'_1$ $T'_1.inh = T'.inh \times F.val$
 $T'.syn = T'_1.syn$
- 3) $T' = \epsilon$ $T'.syn = T'.inh$
- 4) $F \rightarrow digit$ $F.val = digit.lexval$

val → synthesized
 inh → inherited.

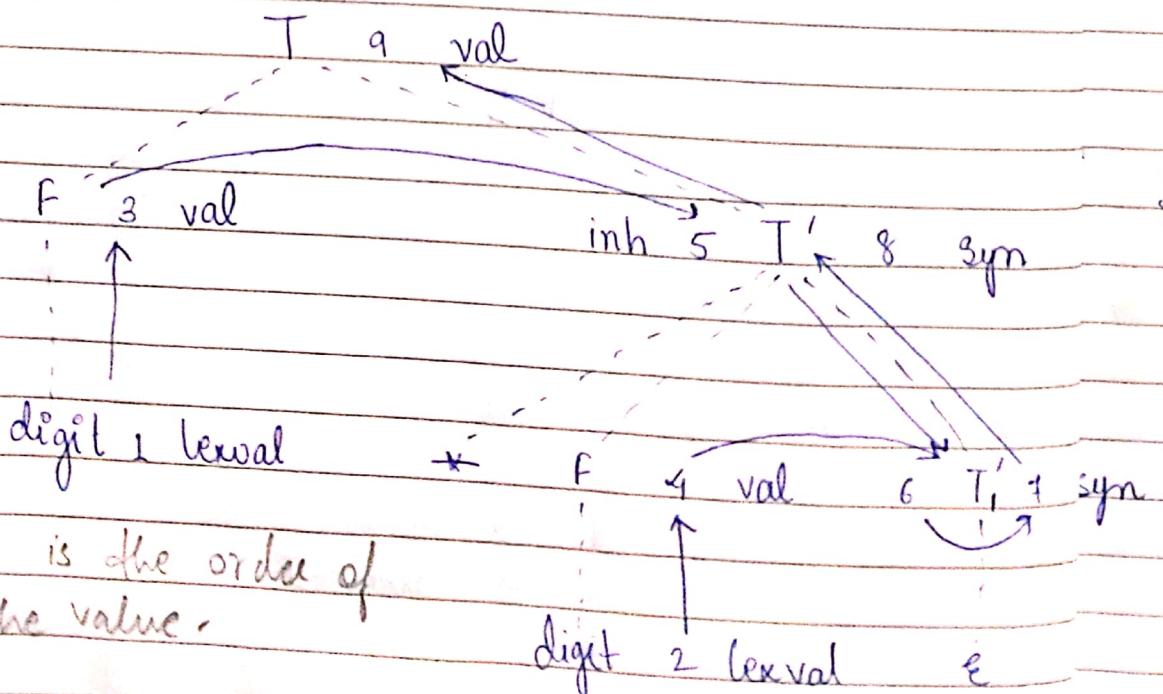
This SDD has both synthesized & di inherited attribute

i) Construct parse tree for the input $3 \times C$, using previous example. (both top down & bottom)



* Dependency Graph: Depicts the flow of information of attribute in a parse tree (Evaluation order for SDD)

ii) Construct Dependency graph for the above example



* L-attributed SDD (dependency-graph edges can go from left to right, but not from right to left, hence L-attributed).

→ The desktop calculator example is both S-attributed and L-attributed.

→ Check whether the following example is L-attributed (SDD/grammar)

i) Production Semantic Rules.

$$\text{i) } T \rightarrow FT' \quad \begin{array}{l} T'.\text{inh} = F.\text{val} \\ T'.\text{val} = T'.\text{syn} \end{array}$$

$$\text{ii) } T' \rightarrow *FT_1' \quad \begin{array}{l} \text{These are } T_1'.\text{inh} = T'.\text{inh} \times F.\text{val} \\ \text{→ check whether these } T'.\text{syn} = T_1'.\text{syn} \end{array}$$

$$\text{iii) } T' \rightarrow E \quad \begin{array}{l} \text{outer for L-attributed syn.} \\ T'.\text{Syn} = T'.\text{inh} \end{array}$$

$$\text{iv) } F \rightarrow \text{digit} \quad F.\text{val} = \text{digit.lexval.}$$

Solu: See fig: 3, $\Rightarrow T'.\text{inh} = 3$ which is taken/dependent on the value of $F.\text{val}$. Here the dependency graph is satisfied. So.

→ $T'.\text{inh} = 15$ is evaluated from node ⑥ E, ③ which is it's ~~sib~~ sibling and parent respectively. Also, the dependency graph is from left to right and is hence L-attributed.

∴ The grammar L-attributed.

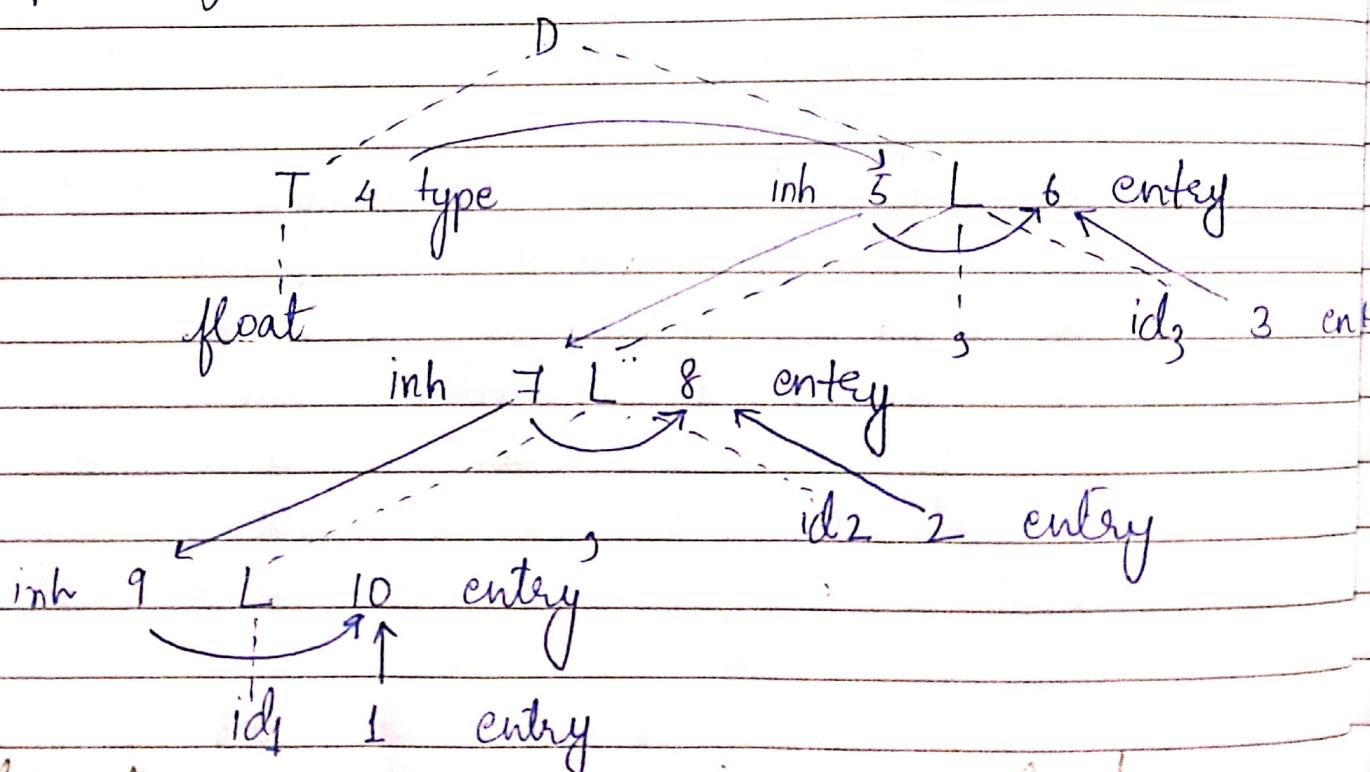
2) SOD for type checking,

Production

Semantic Rules

 $D \rightarrow TL$ $L \cdot \text{inh} = T \cdot \text{type}$ $T \rightarrow \text{int}$ $T \cdot \text{type} = \text{integer}$ $T \rightarrow \text{float}$ $T \cdot \text{type} = \text{float}$ $L \rightarrow L_1, id$ $L_1 \cdot \text{inh} = L \cdot \text{inh}$ add to
Symbol-table $\text{addType(id_entry, L_inh)}$ $L \rightarrow id$ $\text{addType(id_entry, L_inh)}$ Input: float id_1, id_2, id_3

Solu: Dependency Graph:

Explanation same as previous example for
classmate L-attributed

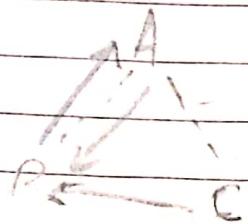
3) Production

Semantic Rules

$$A \rightarrow BC$$

$$A \cdot \text{syn} = B \cdot b$$

$$B \cdot \text{inh} = f(C \cdot c, A \cdot s)$$

Sln:

Here the dependency of $B \cdot b$ on C i.e. from $(T_B \cdot b)$ to left. so hence it is not L-attributed.

- 1) Take the example on Pg no 3, and construct a parse tree and dependency graph for the input $4 * 5 + 6$.

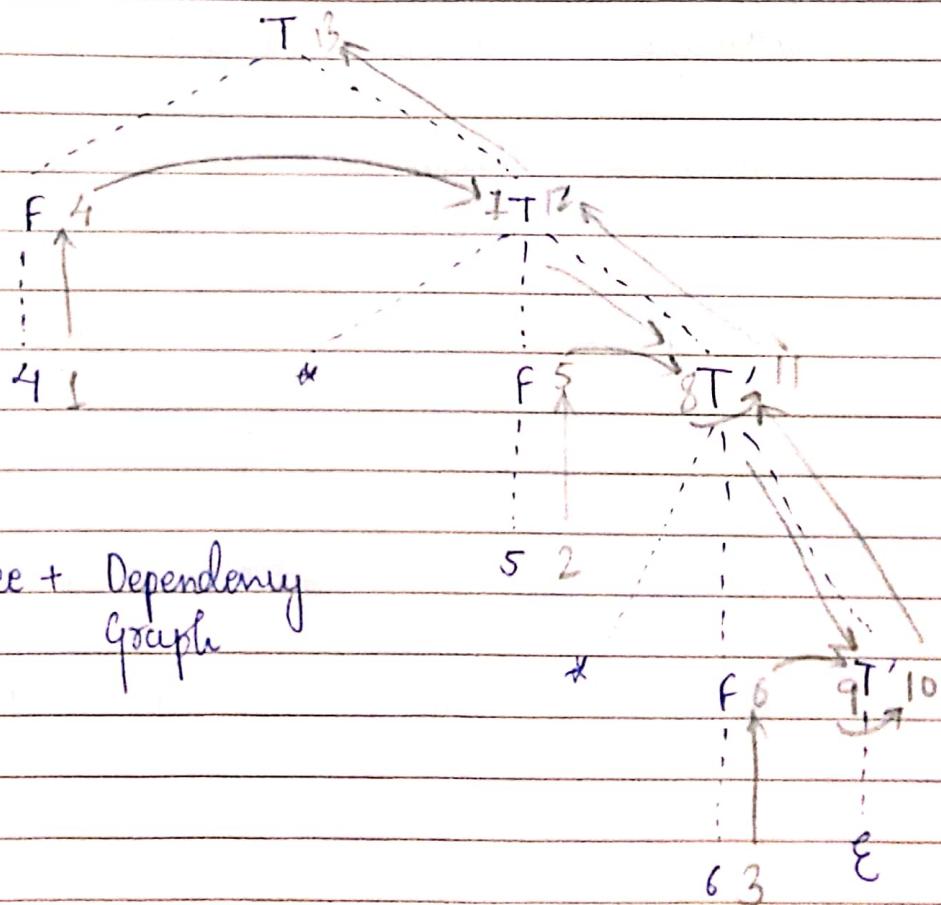
Sln:

fig: Parse tree + Dependency Graph

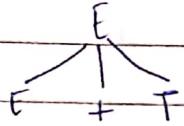
→ It's bottom up approach when only synthesized is used,
otherwise top-down when synthesized is inherited

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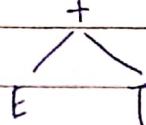
* Applications of Syntax Directed Translation (SDT)

- Construction of syntax trees (syntax tree are used to derive intermediate representation).

For eg:- i) $E \rightarrow E + T$



ii) $E + T$



- Each node in syntax tree is treated as object and are viewed as records. See in textbook regarding leaf node & interior node.

Example 1 : Simple Expression (Syntax trees only for synthesized attributes).

- Construct syntax tree using the following grammar for the input $a - 4 + c$

Production

Semantic Rules

1) $E \rightarrow E_1 + T$

$E.\text{node} = \text{new Node}('+' , E_1.\text{node}, T.\text{node})$

2) $E \rightarrow E_1 - T$

$E.\text{node} = \text{new Node}('-' , E_1.\text{node}, T.\text{node})$

3) $E \rightarrow T$

$E.\text{node} = T.\text{node}$

4) $T \rightarrow (\epsilon)$

$T.\text{node} = E.\text{node}$

5) $T \rightarrow id$

$T.\text{node} = \text{new Leaf}(id, id.\text{entry})$

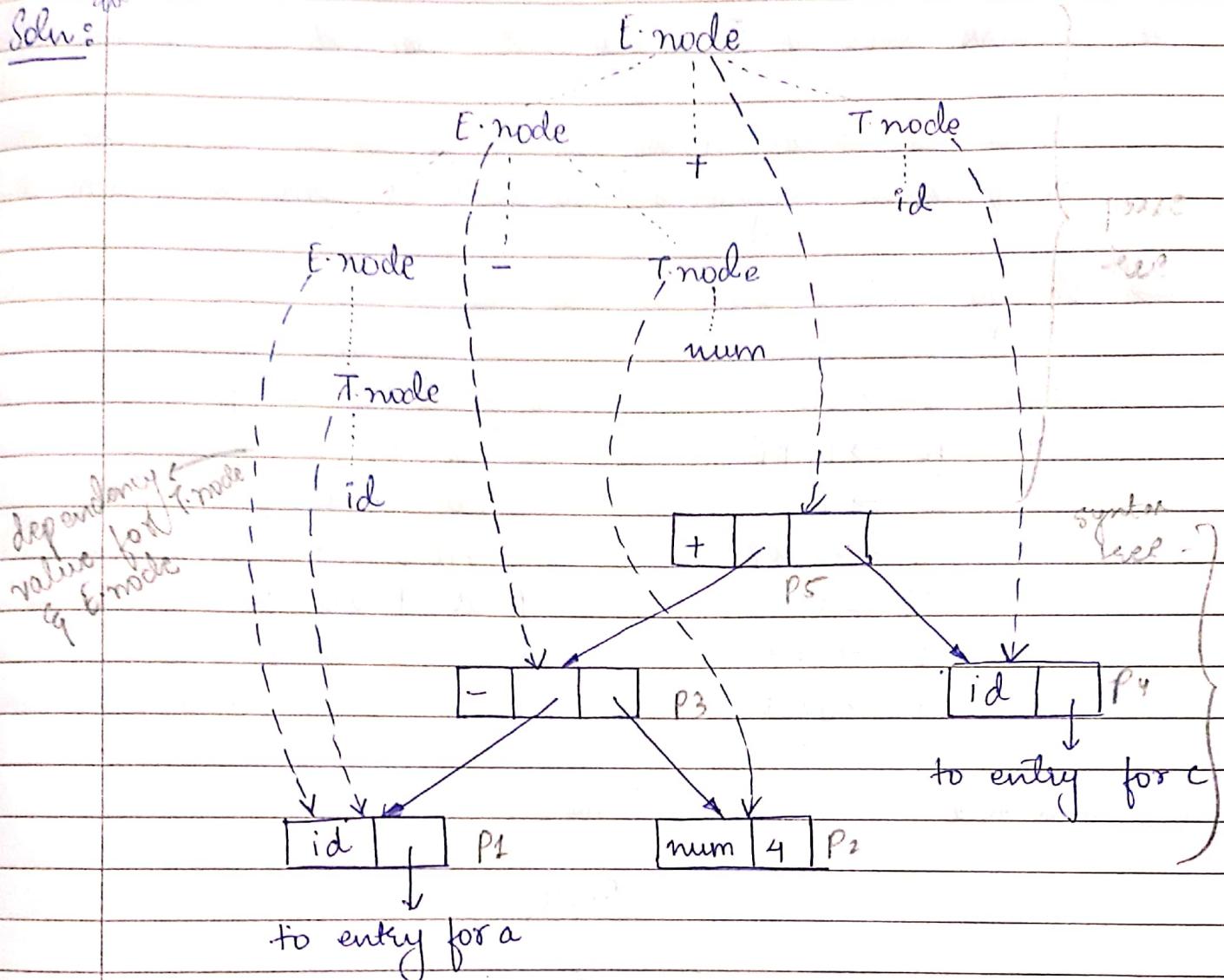
6) $T \rightarrow num$
classmate

$T.\text{node} = \text{new Leaf}(num, num.\text{val})$

In the exam only production will be given, the semantic rule should be written on our own.

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Soln:



* Steps for ^{the above} syntax tree :-

- i) $p_1 = \text{new Leaf}(\text{id}, \text{entry.a})$;
 - ii) $p_2 = \text{new Leaf}(\text{num}, 4)$;
 - iii) $p_3 = \text{new Node}('-', p_1, p_2)$;
 - iv) $p_4 = \text{new Leaf}(\text{id}, \text{entry.c})$;
 - v) $p_5 = \text{new Node}('+', p_3, p_4)$;
- ii) Construct syntax tree for $(a+b+c-d)$ for the above grammar (soln is in the next page)

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* Syntax directed Translational Schemes (SDT)

⇒ Same as context free grammar with the addition of program fragments (also called as semantic actions).

⇒ Postfix SDD : Defn in TB

Eg:- $L \rightarrow E_n$
Productions

$IE \rightarrow E_1 + T$

$E \rightarrow T$

$T \rightarrow T_1 * F$

$T \rightarrow F$

$F \rightarrow (E)$

$F \rightarrow \text{digit}$

Semantic Actions

{ point ($E \cdot \text{val}$); }

{ $E \cdot \text{val} = E_1 \cdot \text{val} + T \cdot \text{val}$; }

{ $E \cdot \text{val} = T \cdot \text{val}$; }

{ $T \cdot \text{val} = T_1 \cdot \text{val} * F \cdot \text{val}$; }

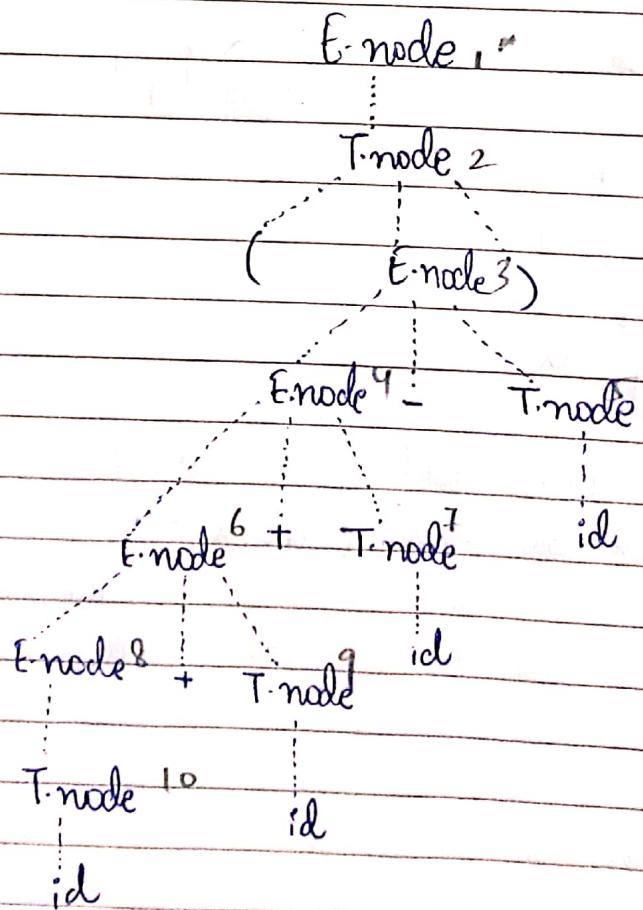
{ $T \cdot \text{val} = F \cdot \text{val}$; }

{ $F \cdot \text{val} = E \cdot \text{val}$; }

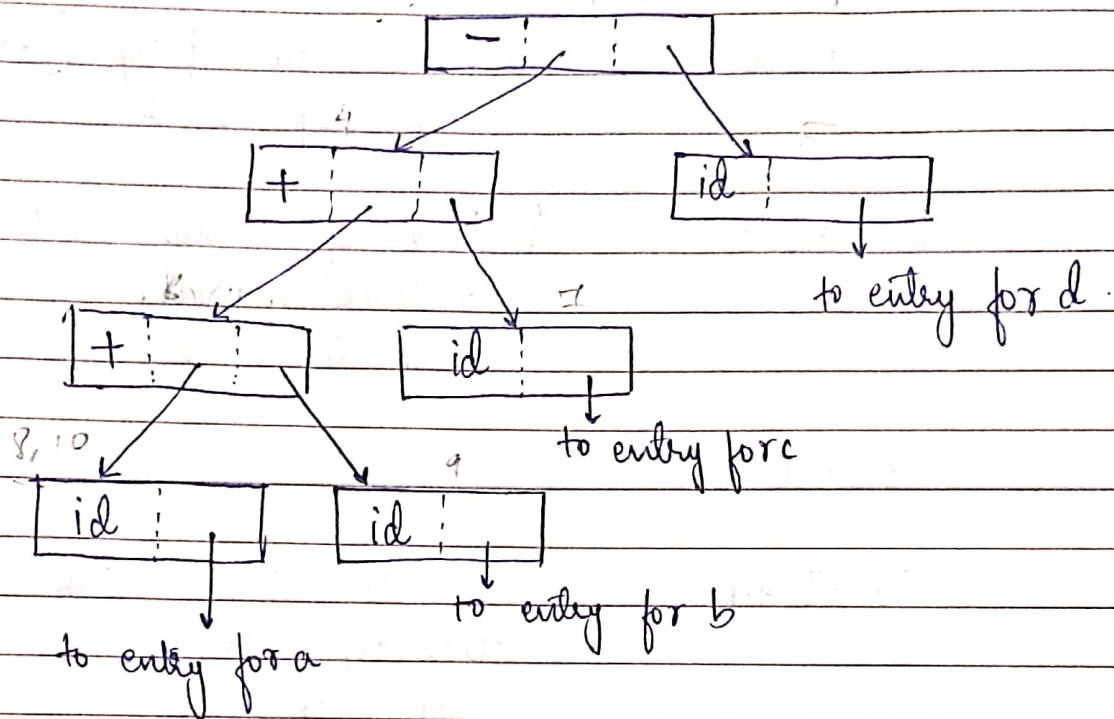
{ $F \cdot \text{val} = \text{digit} \cdot \text{lexical}$; }

Solu:
(pr ii)

Parse tree:



Syntax tree:



→ Steps for above syntax tree:

1. $p_1 = \text{new Leaf}(\text{id}, \text{entry.a});$
2. $p_2 = \text{new Leaf}(\text{id}, \text{entry.b});$
3. $p_3 = \text{new Node}(' + ', p_1, p_2);$
4. $p_4 = \text{new Leaf}(\text{id}, \text{entry.c});$
5. $p_5 = \text{new Node}(' + ', p_3, p_4);$
6. $p_6 = \text{new Leaf}(\text{id}, \text{entry.d});$
7. $p_7 = \text{new Node}(' - ', p_5, p_6);$

Postfix SDD (contd. ...)

	X	Y	Z	State / Grammar symbol
	X.x	Y.y	Z.z	Synthesized attributes
				↑ top

Production

Actions

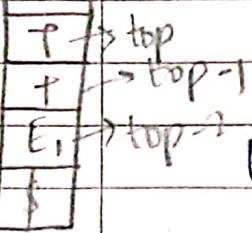
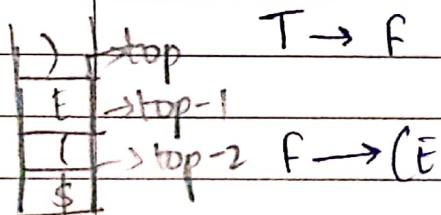
 $L \rightarrow E_n$ { print(stack[top-1].val);
top = top - 1; } $E \rightarrow E_1 + T$ { stack[top-2].val = stack[top-2].val
+ stack[top].val;
top = top - 2; } $E \rightarrow T$ $T \rightarrow T_1 * F$ { stack[top-2].val = stack[top-2].val x
stack[top].val;
top = top - 2; }{ stack[top-2].val = stack[top-1].val;
top = top - 2; } $F \rightarrow \text{digit}$

Fig: Parser - stack Implementation of Postfix SDD.