C3M1_Assignment

August 10, 2020

1 Estimating Treatment Effect Using Machine Learning

Welcome to the first assignment of AI for Medical Treatment!

You will be using different methods to evaluate the results of a randomized control trial (RCT). You will learn: - How to analyze data from a randomized control trial using both: - traditional statistical methods - and the more recent machine learning techniques - Interpreting Multivariate Models - Quantifying treatment effect - Calculating baseline risk - Calculating predicted risk reduction - Evaluating Treatment Effect Models - Comparing predicted and empirical risk reductions - Computing C-statistic-for-benefit - Interpreting ML models for Treatment Effect Estimation - Implement T-learner

1.0.1 This assignment covers the following topics:

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1.1 Packages

We'll first import all the packages that we need for this assignment.

- pandas is what we'll use to manipulate our data
- numpy is a library for mathematical and scientific operations
- matplotlib is a plotting library
- sklearn contains a lot of efficient tools for machine learning and statistical modeling
- random allows us to generate random numbers in python
- lifelines is an open-source library that implements c-statistic
- itertools will help us with hyperparameters searching

1.2 Import Packages

Run the next cell to import all the necessary packages, dependencies and custom util functions.

```
In [1]: import pandas as pd
    import numpy as np
    import matplotlib.pyplot as plt
    import sklearn
    import random
    import lifelines
    import itertools
plt.rcParams['figure.figsize'] = [10, 7]
```

1 Dataset ### 1.1 Why RCT?

In this assignment, we'll be examining data from an RCT, measuring the effect of a particular drug combination on colon cancer. Specifically, we'll be looking the effect of Levamisole and Fluorouracil on patients who have had surgery to remove their colon cancer. After surgery, the curability of the patient depends on the remaining residual cancer. In this study, it was found that this particular drug combination had a clear beneficial effect, when compared with Chemotherapy. ### 1.2 Data Processing In this first section, we will load in the dataset and calculate basic statistics. Run the next cell to load the dataset. We also do some preprocessing to convert categorical features to one-hot representations.

```
In [2]: data = pd.read_csv("levamisole_data.csv", index_col=0)
```

Let's look at our data to familiarize ourselves with the various fields.

| Out[3]: | sex | age | obstruct | perfor | adhere | e nodes | node4 | outcome | TRTMT | \ |
|---------|-----|--------|-----------|---------|--------|----------|-------|---------|-------|---|
| 1 | 1 | 43 | 0 | 0 | (| 5.0 | 1 | 1 | True | |
| 2 | 1 | 63 | 0 | 0 | (| 1.0 | 0 | 0 | True | |
| 3 | 0 | 71 | 0 | 0 | 1 | 7.0 | 1 | 1 | False | |
| 4 | 0 | 66 | 1 | 0 | (| 6.0 | 1 | 1 | True | |
| 5 | 1 | 69 | 0 | 0 | (| 22.0 | 1 | 1 | False | |
| | | | | | | | | | | |
| | dif | fer_2. | 0 differ_ | 3.0 ext | ent_2 | extent_3 | exten | t_4 | | |
| 1 | | | 1 | 0 | 0 | 1 | | 0 | | |
| 2 | | | 1 | 0 | 0 | 1 | | 0 | | |
| 3 | | | 1 | 0 | 1 | 0 |) | 0 | | |
| 4 | | | 1 | 0 | 0 | 1 | | 0 | | |
| 5 | | | 1 | 0 | 0 | 1 | | 0 | | |

Below is a description of all the fields (one-hot means a different field for each level): - sex (binary): 1 if Male, 0 otherwise - age (int): age of patient at start of the study - obstruct (binary): obstruction of colon by tumor - perfor (binary): perforation of colon - adhere (binary): adherence to nearby organs - nodes (int): number of lymphnodes with detectable cancer - node4 (binary): more than 4 positive lymph nodes - outcome (binary): 1 if died within 5 years - TRTMT (binary): treated with levamisole + fluoroucil - differ (one-hot): differentiation of tumor - extent (one-hot): extent of local spread

In particular pay attention to the TRTMT and outcome columns. Our primary endpoint for our analysis will be the 5-year survival rate, which is captured in the outcome variable.

Exercise 01

Since this is an RCT, the treatment column is randomized. Let's warm up by finding what the treatment probability is.

$$p_{treatment} = \frac{n_{treatment}}{n}$$

- $n_{treatment}$ is the number of patients where TRTMT = True
- *n* is the total number of patients.

```
proportion = np.sum(df["TRTMT"]) / len(df)
### END CODE HERE ###
return proportion
```

Test Case

dataframe:

| | outcome | TRTMT |
|---|---------|-------|
| 0 | 0 | 0 |
| 1 | 1 | 1 |
| 2 | 1 | 1 |
| 3 | 1 | 1 |

Proportion of patient treated: computed 0.75, expected: 0.75

Next let's run it on our trial data.

Proportion Treated: 0.49093904448105435 ~ 49%

Exercise 02

Next, we can get a preliminary sense of the results by computing the empirical 5-year death probability for the treated arm versus the control arm.

The probability of dying for patients who received the treatment is:

$$p_{\text{treatment, death}} = \frac{n_{\text{treatment, death}}}{n_{\text{treatment}}}$$

- $n_{\text{treatment,death}}$ is the number of patients who received the treatment and died.
- $n_{\text{treatment}}$ is the number of patients who received treatment.

The probability of dying for patients in the control group (who did not received treatment) is:

$$p_{\text{control, death}} = \frac{n_{\text{control, death}}}{n_{\text{control}}}$$

- $n_{\text{control,death}}$ is the number of patients in the control group (did not receive the treatment) who died. - n_{control} is the number of patients in the control group (did not receive treatment).

```
In [7]: # UNQ_C2 (UNIQUE CELL IDENTIFIER, DO NOT EDIT)
        def event_rate(df):
            Compute empirical rate of death within 5 years
            for treated and untreated groups.
            Args:
                df (dataframe): dataframe containing trial results.
                                   'TRTMT' column is 1 if patient was treated, 0 otherwise.
                                     'outcome' column is 1 if patient died within 5 years, 0 ot
            Returns:
                treated prob (float): empirical probability of death given treatment
                untreated_prob (float): empirical probability of death given control
            treated_prob = 0.0
            control_prob = 0.0
            ### START CODE HERE (REPLACE INSTANCES OF 'None' with your code) ###
            treated_prob = len(df[(df["TRTMT"]==True) & (df["outcome"]==1)]) / len(df[df["TRTM"
            control_prob = len(df[(df["TRTMT"]==False) & (df["outcome"]==1)]) / len(df[df["TRTMT"]
            ### END CODE HERE ###
            return treated_prob, control_prob
  Test Case
In [8]: print("TEST CASE\ndataframe:\n")
        example_df = pd.DataFrame(data = [[0, 1],
                                          [1, 1],
                                          [1, 1],
                                          [0, 1],
                                          [1, 0],
                                          [1, 0],
                                          [1, 0],
                                          [0, 0]], columns = ['outcome', 'TRTMT'])
        #print("dataframe:\n")
        print(example_df)
        print("\n")
```

```
treated_prob, control_prob = event_rate(example_df)
print(f"Treated 5-year death rate, expected: 0.5, got: {treated_prob:.4f}")
print(f"Control 5-year death rate, expected: 0.75, got: {control_prob:.4f}")
```

TEST CASE dataframe:

| | outcome | TRTMT |
|---|---------|-------|
| 0 | 0 | 1 |
| 1 | 1 | 1 |
| 2 | 1 | 1 |
| 3 | 0 | 1 |
| 4 | 1 | 0 |
| 5 | 1 | 0 |
| 6 | 1 | 0 |
| 7 | 0 | 0 |

```
Treated 5-year death rate, expected: 0.5, got: 0.5000 Control 5-year death rate, expected: 0.75, got: 0.7500
```

Now let's try the function on the real data.

On average, it seemed like treatment had a positive effect.

Death rate for untreated patients: 0.5000 ~ 50%

Sanity checks It's important to compute these basic summary statistics as a sanity check for more complex models later on. If they strongly disagree with these robust summaries and there isn't a good reason, then there might be a bug.

1.2.1 Train test split

We'll now try to quantify the impact more precisely using statistical models. Before we get started fitting models to analyze the data, let's split it using the train_test_split function from sklearn. While a hold-out test set isn't required for logistic regression, it will be useful for comparing its performance to the ML models later on.