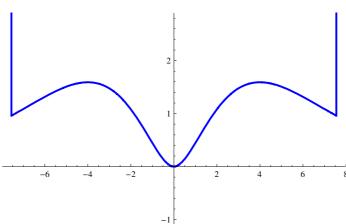
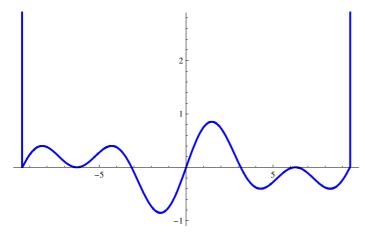
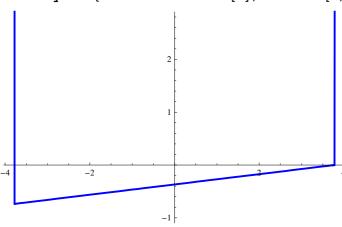
```
Clear["Global`*"];
Off[General::spell];
Off[General::spell1];
W = 3;
(* 1 a.u. of length = 0.5292 å *)
clength = 0.5292;
(* 1 a.u. of energy = 27.211 eV *)
cenergy = 27.212;
(* z01 *)
(* U(x) = V0*v(x); V0 = 20 eV, L = 4 Å; *)
L = 4. / clength;
A = -L; B = +L;
V0 = 20. / cenergy;
(* Whittaker functionM_{k,m}(z) \Rightarrow WhittakerM[k,m,z] *)
U[x_Real] := If[Abs[x] < L, V0 * (WhittakerM[2, 1.5, Abs[x]]), W];
Plot[U[z], \{z, A-0.1, B+0.1\},
 \texttt{PlotStyle} \rightarrow \{\texttt{AbsoluteThickness[2]}, \ \texttt{RGBColor[0, 0, 1]}\}, \ \texttt{PlotRange} \rightarrow \{-1.1, \ 2.9\}]
```



```
(* z02 *)
(* U(x) = V0*v(x); V0 = 25 eV, L = 5 Å; *)
L = 5. / clength;
A = -L; B = +L;
V0 = 25. / cenergy;
U[x_Real] := If[Abs[x] < L, V0 * (Sin[x] * Cos[x/4]), W];
Plot[U[z], \{z, A-0.1, B+0.1\},
 \texttt{PlotStyle} \rightarrow \{\texttt{AbsoluteThickness[2]}, \, \texttt{RGBColor[0, 0, 1]} \}, \, \texttt{PlotRange} \rightarrow \{-1.1, \, 2.9\} \}
```



```
(* z03 *)
(* U(x) = V0*v(x); V0 = 20 eV, L = 2 Å; *)
L = 2. / clength;
A = -L; B = +L;
V0 = 20. / cenergy;
U[x_Real] := If[Abs[x] < L, V0 * (-1 + (x + L) / (2 * L)), W];
Plot[U[z], \{z, A-0.1, B+0.1\},
 \texttt{PlotStyle} \rightarrow \{\texttt{AbsoluteThickness[2]}, \, \texttt{RGBColor[0, 0, 1]}\}, \, \texttt{PlotRange} \rightarrow \{-1.1, \, 2.9\}\}
```



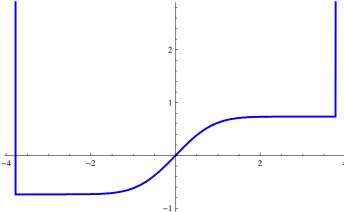
```
(* z04 *)
(* U(x) = V0*v(x); V0 = 10 eV, L = 2 Å; *)
L = 2. / clength;
A = -L; B = +L;
V0 = 10. / cenergy;
U[x_Real] := If[Abs[x] < L, V0 * (0.25 * x^2-1), W];
Plot[U[z], \{z, A-0.1, B+0.1\},
 \texttt{PlotStyle} \rightarrow \{\texttt{AbsoluteThickness[2]}, \, \texttt{RGBColor[0, 0, 1]} \}, \, \texttt{PlotRange} \rightarrow \{-1.1, \, 2.9\} \}
(* z05 *)
(* U(x) = V0*v(x); V0 = 15 eV, L = 2 Å; *)
L = 2. / clength;
A = -L; B = +L;
V0 = 15. / cenergy;
\texttt{U[x\_Real]} := \texttt{If[Abs[x]} < \texttt{L}, \ \texttt{V0} * (-\texttt{Abs[Sin[}\pi * \texttt{x} \ / \ \texttt{L}]]) \, , \ \texttt{W]};
Plot[U[z], {z, A-0.1, B+0.1},
 \texttt{PlotStyle} \rightarrow \{\texttt{AbsoluteThickness[2]}, \ \texttt{RGBColor[0, 0, 1]}\}, \ \texttt{PlotRange} \rightarrow \{-1.1, \ 2.9\}]
```

```
(* z06 *)
(* U(x) = V0*v(x); V0 = 5 eV, L = 2 Å; *)
L = 2. / clength;
A = -L; B = +L;
V0 = 5. / cenergy;
U[x\_Real] := If[Abs[x] < L, V0 * (-Sin[\pi * x / L]), W];
Plot[U[z], \{z, A-0.1, B+0.1\},
 \texttt{PlotStyle} \rightarrow \{\texttt{AbsoluteThickness[2]}, \, \texttt{RGBColor[0, 0, 1]} \}, \, \texttt{PlotRange} \rightarrow \{-1.1, \, 2.9\} \}
(* z07 *)
(* U(x) = V0*v(x); V0 = 20 eV, L = 2 Å; *)
L = 2. / clength;
A = -L; B = +L;
V0 = 20. / cenergy;
U[x_Real] := If[Abs[x] < L, V0 * (-(x/L)^2), W];
Plot[U[z], \{z, A-0.1, B+0.1\},
 \texttt{PlotStyle} \rightarrow \{\texttt{AbsoluteThickness[2]}, \ \texttt{RGBColor[0, 0, 1]}\}, \ \texttt{PlotRange} \rightarrow \{-1.1, \ 2.9\}]
```

```
(* U(x) = V0*v(x); V0 = 25 eV, L = 5 Å; *)
L = 5. / clength;
A = -L; B = +L;
V0 = 25. / cenergy;
U[x_Real] := If[Abs[x] < L, V0 * (-1 + Exp[-5 * x^2]), W];
Plot[U[z], \{z, A-0.1, B+0.1\},
  PlotStyle \rightarrow \{AbsoluteThickness[2], RGBColor[0, 0, 1]\}, PlotRange \rightarrow \{-1.1, 2.9\}] 
              -5
(* z09 *)
(* U(x) = V0*v(x); V0 = 15 eV, L = 2 Å; *)
L = 2. / clength;
A = -L; B = +L;
V0 = 15. / cenergy;
U[x_Real] := Module[{res},
    If[x >= -L/2. \&\& x < 0, Return[0.]];
    If[(x >= -L \&\& x < -L/2.) \mid \mid (x \ge 0. \&\& x < +L), Return[V0 * (-1.)]];
    If [x \ge +L \mid | x \le -L, Return[W]]];
Plot[U[z], \{z, A-0.1, B+0.1\},
 \texttt{PlotStyle} \rightarrow \{\texttt{AbsoluteThickness[2]}, \ \texttt{RGBColor[0, 0, 1]}\}, \ \texttt{PlotRange} \rightarrow \{-1.1, \ 2.9\}]
                           -1
```

(\* z08 \*)

```
(* z10 *)
(* U(x) = V0*v(x); V0 = 20 eV, L = 2 Å; *)
L = 2. / clength;
A = -L; B = +L;
V0 = 20. / cenergy;
U[x_Real] := If[Abs[x] < L, V0 * (HeavisideTheta[x]), W];
Plot[U[z], \{z, A-0.1, B+0.1\},
 \texttt{PlotStyle} \rightarrow \{\texttt{AbsoluteThickness[2]}, \, \texttt{RGBColor[0, 0, 1]} \}, \, \texttt{PlotRange} \rightarrow \{-1.1, \, 2.9\} \}
(* z11 *)
(* U(x) = V0*v(x); V0 = 20 eV, L = 2 Å; *)
L = 2. / clength;
A = -L; B = +L;
V0 = 20. / cenergy;
U[x\_Real] := If[Abs[x] < L, V0 * (Erf[x]), W];
Plot[U[z], {z, A-0.1, B+0.1},
 \texttt{PlotStyle} \rightarrow \{\texttt{AbsoluteThickness[2]}, \ \texttt{RGBColor[0, 0, 1]}\}, \ \texttt{PlotRange} \rightarrow \{-1.1, \ 2.9\}]
```



```
(* z12 *)
(* U(x) = V0*v(x); V0 = 25 eV, L = 3 Å; *)
L = 3. / clength;
A = -L; B = +L;
V0 = 25. / cenergy;
U[x\_Real] := If[Abs[x] < L, V0 * (BesselJ[2, x]), W];
Plot[U[z], \{z, A-0.1, B+0.1\},
 \texttt{PlotStyle} \rightarrow \{\texttt{AbsoluteThickness[2]}, \, \texttt{RGBColor[0, 0, 1]} \}, \, \texttt{PlotRange} \rightarrow \{-1.1, \, 2.9\} \}
(* z13 *)
(* U(x) = V0*v(x); V0 = 25 eV, L = 3 Å; *)
L = 3. / clength;
A = -L; B = +L;
V0 = 25. / cenergy;
(*_1F_1(1;2;x) \Rightarrow \text{Hypergeometric1F1}[1,2,x] *)
\label{eq:continuous_loss} \texttt{U[x\_Real]} \; := \; \texttt{If[x>-L\&\&~x<L/4,~V0*(Hypergeometric1F1[1,~2,~x]),} \\
    If [x \ge L / 4 \&\& x < L, 0., W]];
Plot[U[z], {z, A-0.1, B+0.1},
 \texttt{PlotStyle} \rightarrow \{\texttt{AbsoluteThickness[2]}, \ \texttt{RGBColor[0, 0, 1]}\}, \ \texttt{PlotRange} \rightarrow \{-1.1, \ 2.9\}]
```

```
(* Hermite polynomial H_n(x) \Rightarrow HermiteH[n,x] *)
(* z14 *)
(* U(x) = V0*v(x); V0 = 0.1 eV, L = 5 Å; *)
L = 5. / clength;
A = -L; B = +L;
V0 = 0.1 / cenergy;
W = 20;
(* Hermite polynomial H_n(x) \Rightarrow \text{HermiteH}[n,x] *)
U[x_Real] := If[x > -L\&\& x < L/2, V0 * (HermiteH[3, x]),
    If[x \ge L/2 \&\& x < L, 0., W]];
Plot[U[z], {z, A-0.1, B+0.1},
 PlotStyle → {AbsoluteThickness[2], RGBColor[0, 0, 1]},
 PlotRange \rightarrow {All, W - 0.01}]
                          -10
                          -20
(* z15 *)
(* U(x) = V0*v(x); V0 = 15 eV, L = 5 Å; *)
L = 3. / clength;
A = -L; B = +L;
V0 = 25. / cenergy;
U[x_Real] :=
   If[Abs[x] < L, V0 * (-Sin[\pi * x / (0.1 * L)] * Exp[-((x + L) / 10)^2]), W];
Plot[U[z], \{z, A-0.1, B+0.1\}, PlotStyle \rightarrow
   \{ \texttt{AbsoluteThickness[2]} \,, \, \texttt{RGBColor[0, 0, 1]} \,\} \,, \, \texttt{PlotRange} \rightarrow \{-1.1, \, 2.9\} ]
```

```
(* z16 *)
(* U(x) = V0*v(x); V0 = 25 eV, L = 3 Å; *)
L = 3. / clength;
A = -L; B = +L;
V0 = 25. / cenergy;
(* Laguerre polynomial L_n(x) \Rightarrow \text{LaguerreL}[n,x] *)
U[x_Real] := If[Abs[x] < L, V0 * (LaguerreL[5, Abs[x]]), W];
Plot[U[z], {z, A-0.1, B+0.1},
 PlotStyle \rightarrow \{AbsoluteThickness[2], RGBColor[0, 0, 1]\}, PlotRange \rightarrow \{Al1, 2.9\}]
-6
(* z17 *)
(* U(x) = V0*v(x); V0 = 25 eV, L = 3 Å; *)
L = 3. / clength;
A = -L; B = +L;
V0 = 0.1 / cenergy;
a = 3.5;
(* Generalized Laguerre polynomialL_n^a(x) \Rightarrow \text{LaguerreL}[n,a,x] *)
U[x_Real] := If[Abs[x] < L, V0 * (LaguerreL[10, a, Abs[x]]), W];
Plot[U[z], {z, A-0.1, B+0.1},
  PlotStyle \rightarrow \{AbsoluteThickness[2], RGBColor[0, 0, 1]\}, PlotRange \rightarrow \{Al1, 2.9\}] 
                         2.5
                         2.0
```

```
(* z18 *)
(* U(x) = V0*v(x); V0 = 25 eV, L = 2 Å; *)
L = 2. / clength;
A = -L; B = +L;
V0 = 25. / cenergy;
U[x_Real] := If[Abs[x] < L, V0 * ((Sin[2 * x]^2) * Cos[x/2]), W];
Plot[U[z], \{z, A-0.1, B+0.1\},
  PlotStyle \rightarrow \{AbsoluteThickness[2], RGBColor[0, 0, 1]\}, \ PlotRange \rightarrow \{-1.1, 2.9\}] 
(* z19 *)
(* U(x) = V0*v(x); V0 = 25 eV, L = 2 Å; *)
L = 2. / clength;
A = -L; B = +L;
V0 = 25. / cenergy;
(*\ \mathtt{Whittaker}\ \mathtt{function} \mathit{M}_{k,\,\mathtt{m}}(\mathit{z})\ \Longrightarrow\ \mathtt{WhittakerM}\,[\,\mathtt{k}\,,\mathtt{m}\,,\mathtt{z}\,]\ *)
U[x_Real] := If[Abs[x] < L, V0 * ((Cos[2 * x]^2) * (x / 5)), W];
Plot[U[z], \{z, A-0.1, B+0.1\},
 PlotStyle \rightarrow \{AbsoluteThickness[2], RGBColor[0, 0, 1]\}, PlotRange \rightarrow \{Al1, 2.9\}]
                             2.5
                             2.0
                             1.5
                             1.0
                             0.5
                            -0.5
```

```
(* z20 *)
(* U(x) = V0*v(x); V0 = 25 eV, L = 2 Å; *)
L = 2. / clength;
A = -L; B = +L;
V0 = 15. / cenergy;
(* Whittaker functionM_{k,m}(z) \Rightarrow WhittakerM[k,m,z] *)
U[x_Real] := If[Abs[x] < L, V0 * ((x-L/3)^2) * Exp[-x^2], W];
{\tt Plot[U[z],\ \{z,\ A-0.1,\ B+0.1\},}
 {\tt PlotStyle} \rightarrow \{{\tt AbsoluteThickness[2]}, \, {\tt RGBColor[0, 0, 1]}\}, \, {\tt PlotRange} \rightarrow \{{\tt All, 2.9}\}]
                            2.5
                            2.0
                            1.5
                            0.5
```