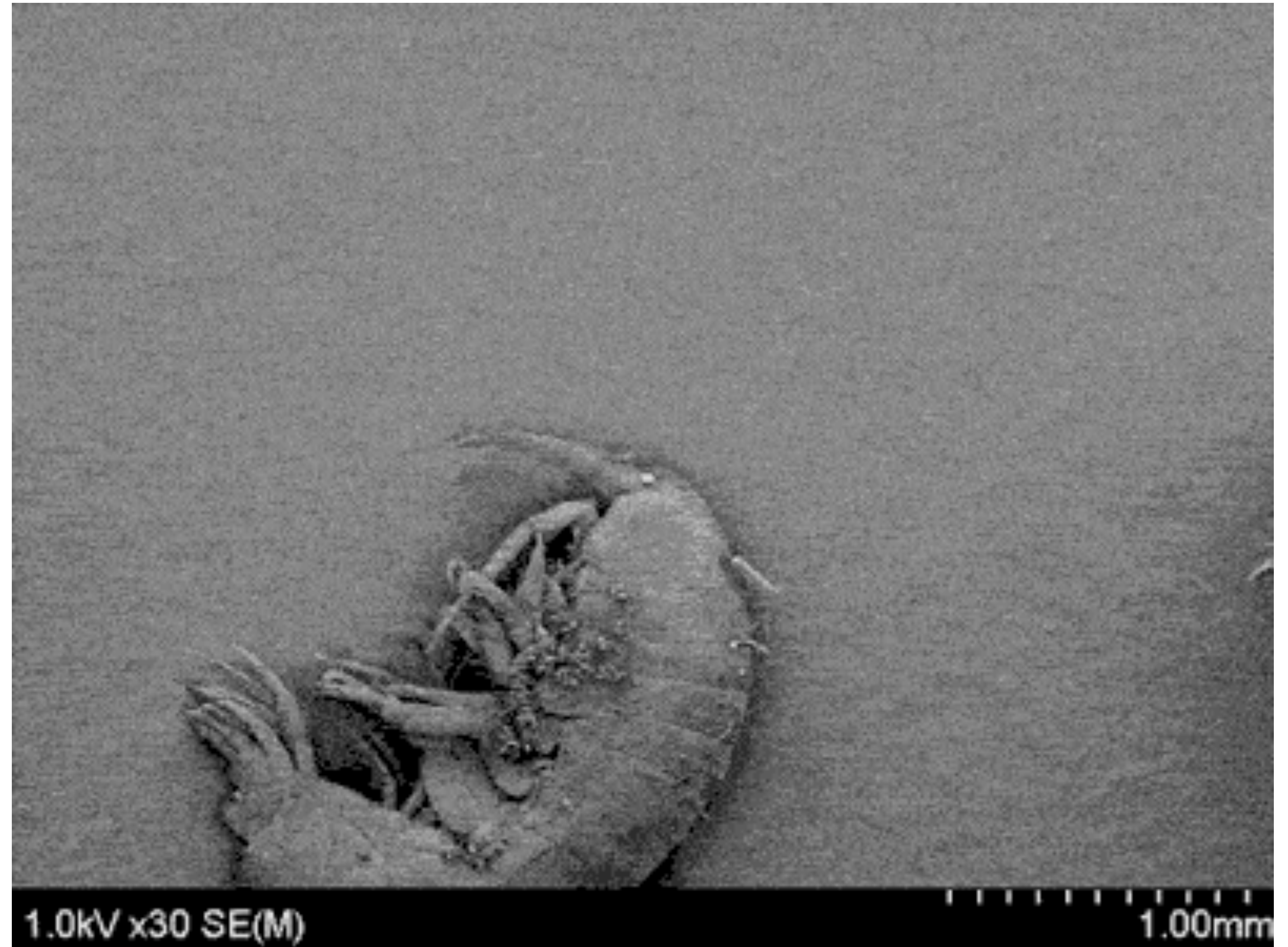


Mechanics at the viscous end of food webs

Stuart Humphries



Size matters

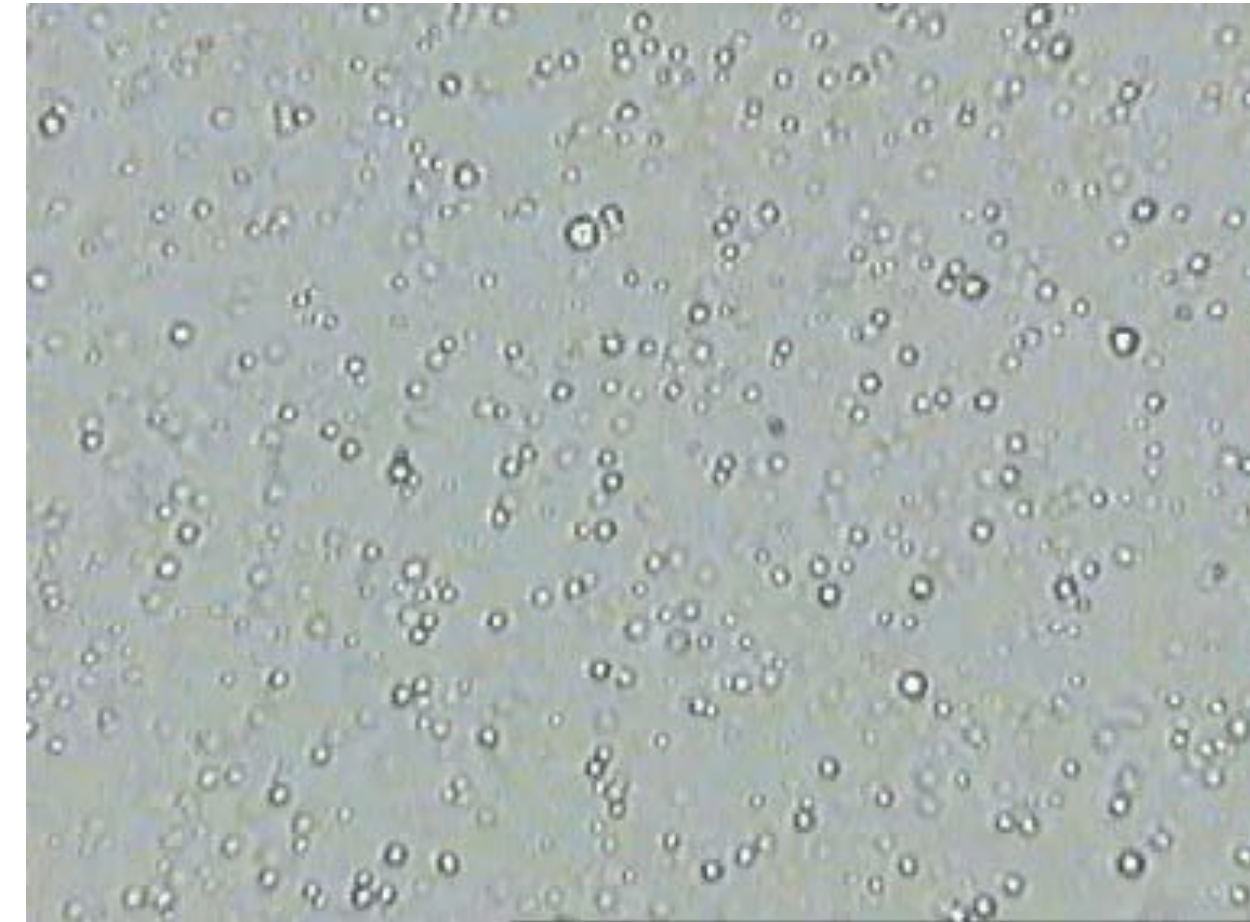


Physics at small scales

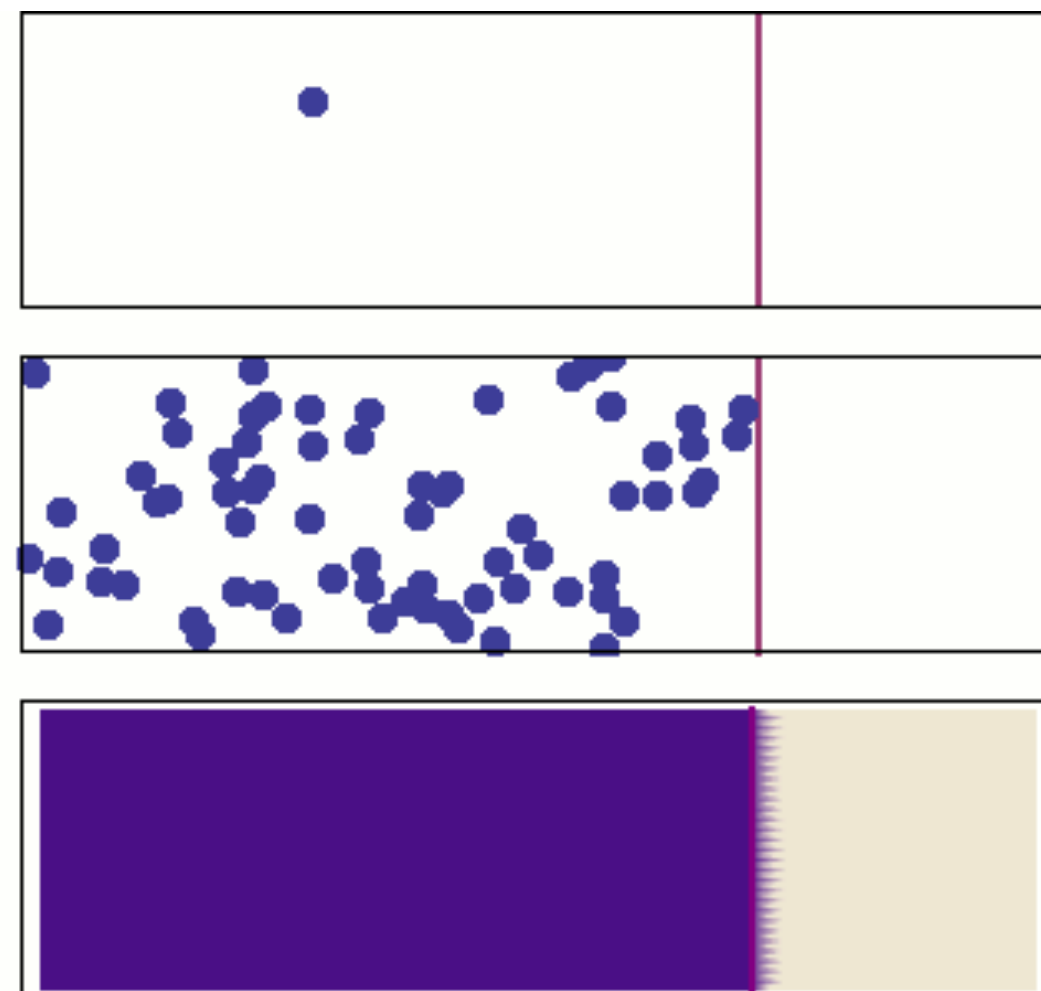
Viscosity



Brownian motion

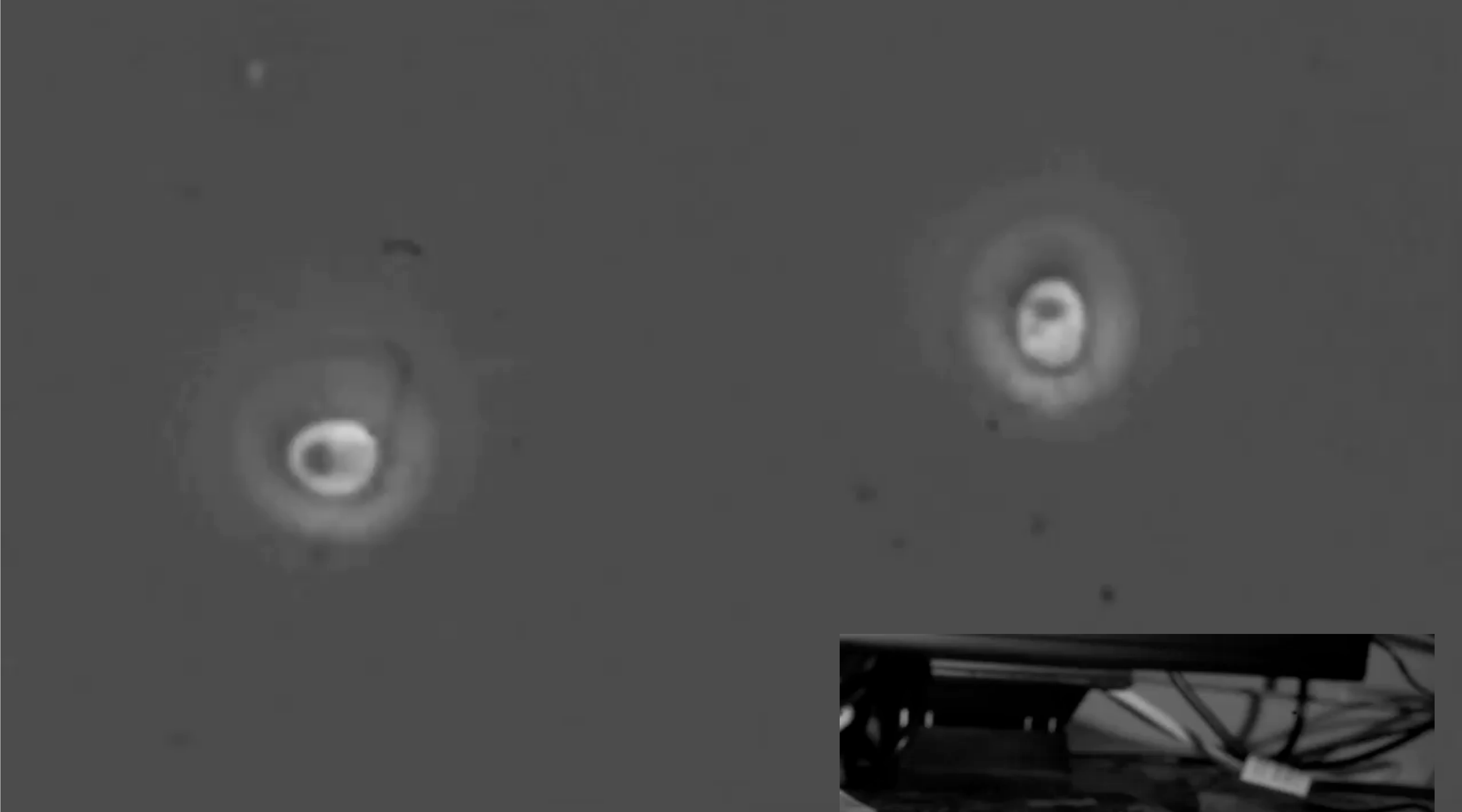


Molecular diffusion

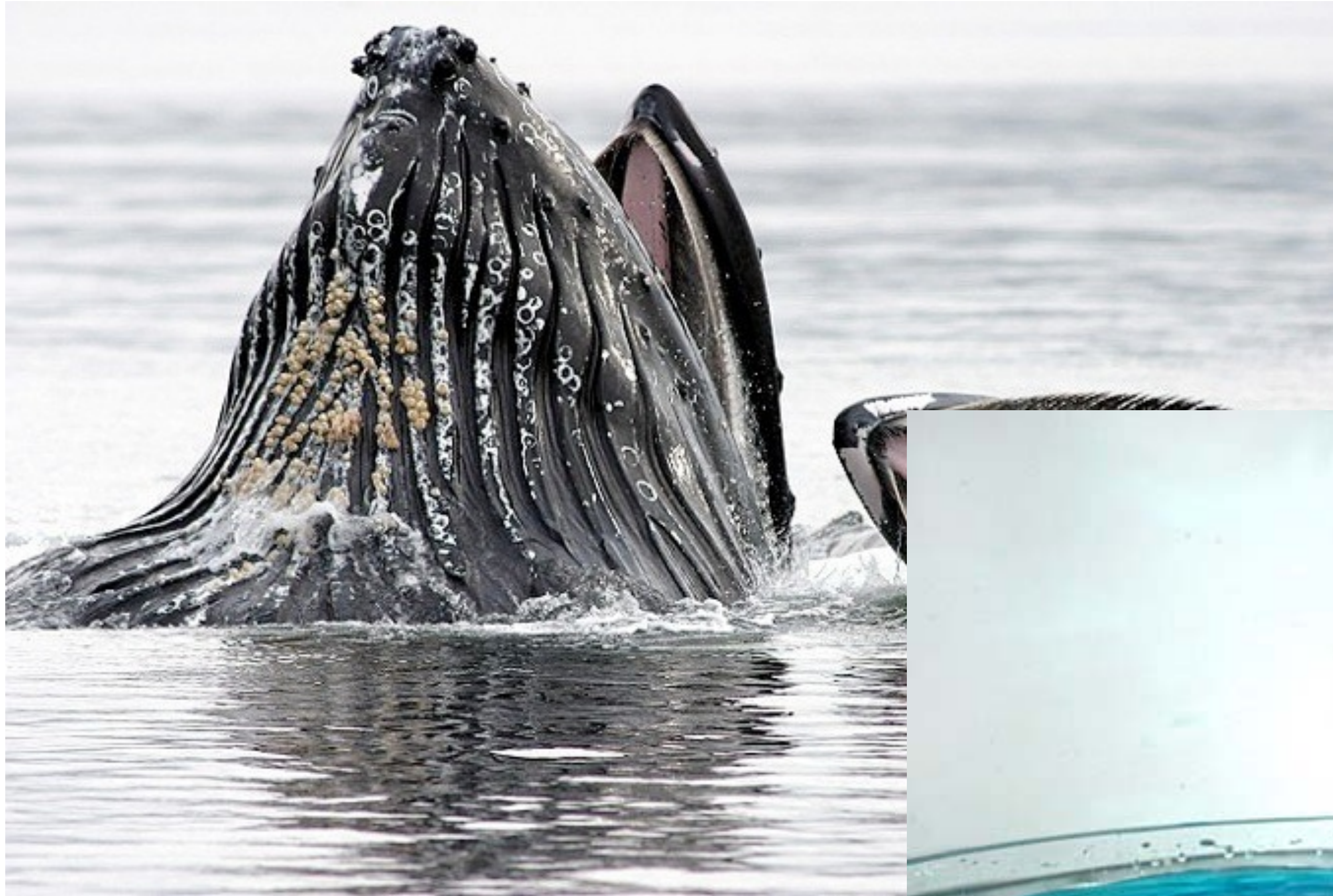


Kinematic reversibility





Viscosity



Viscosity



Viscosity



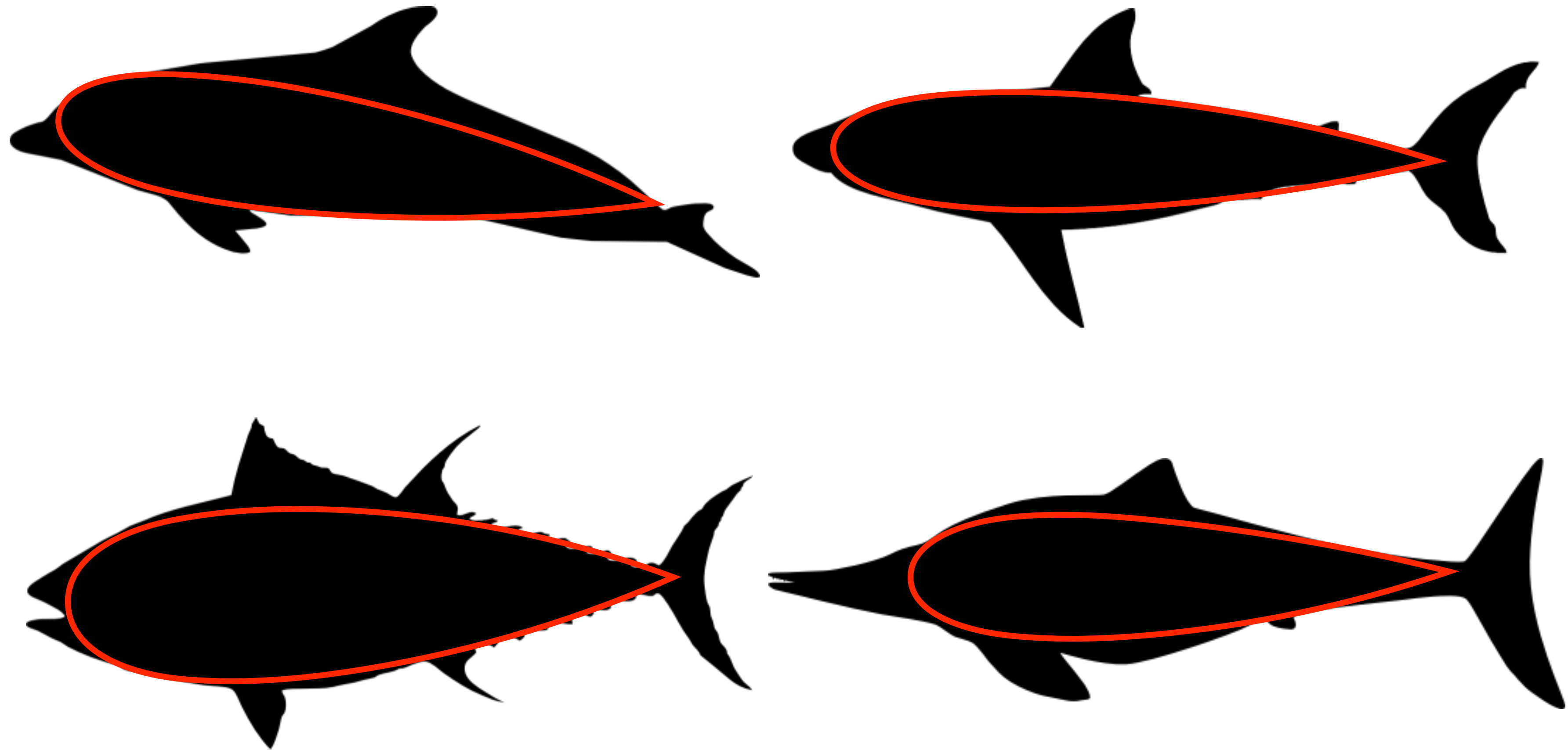
Momentum and inertia



Momentum and inertia

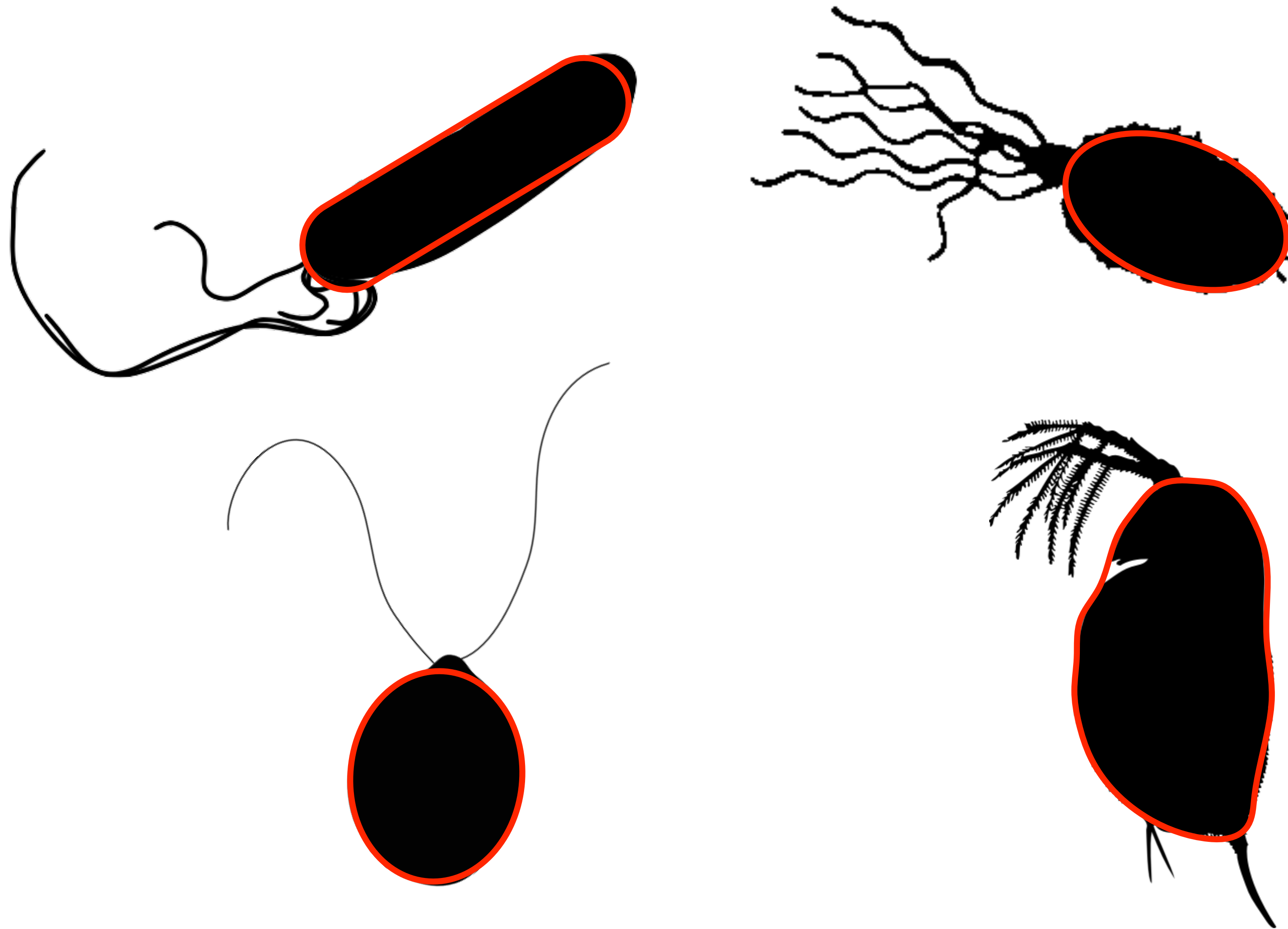


Convergent evolution



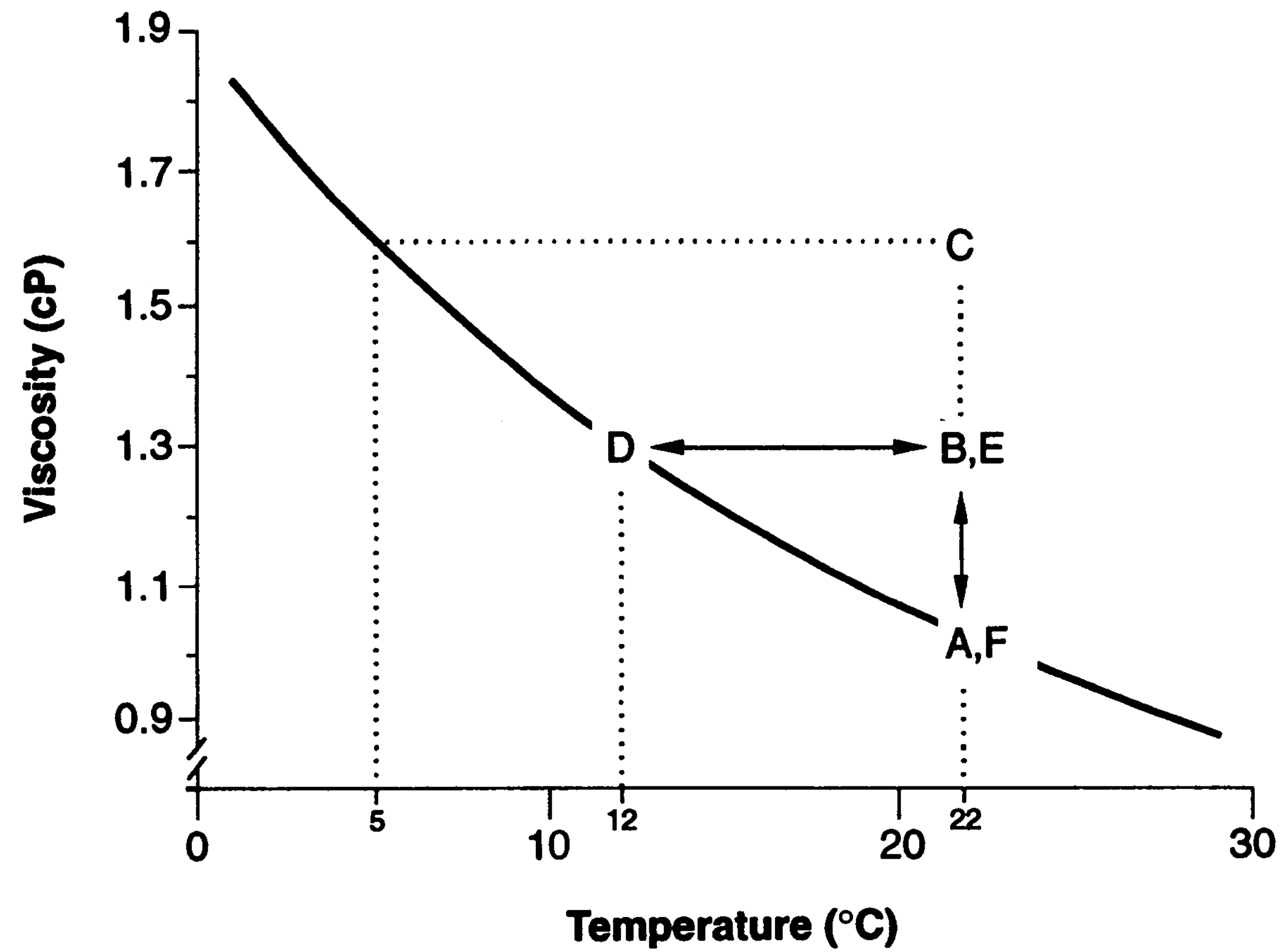
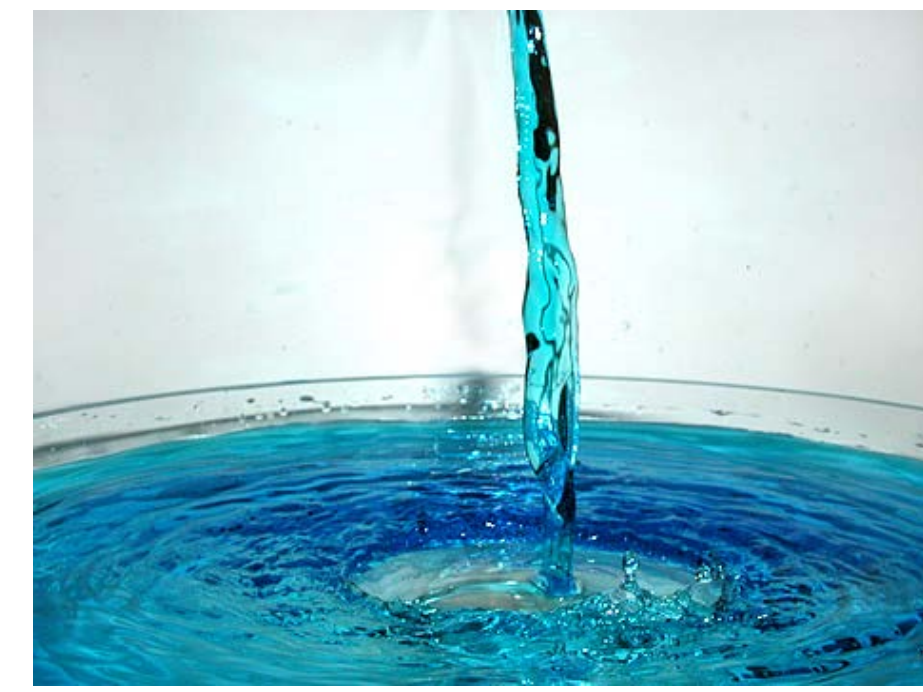
Images from Phylopic: Ophthalmosaurus - Gareth Monger; Tursiops - Chris Huh

Release from selection



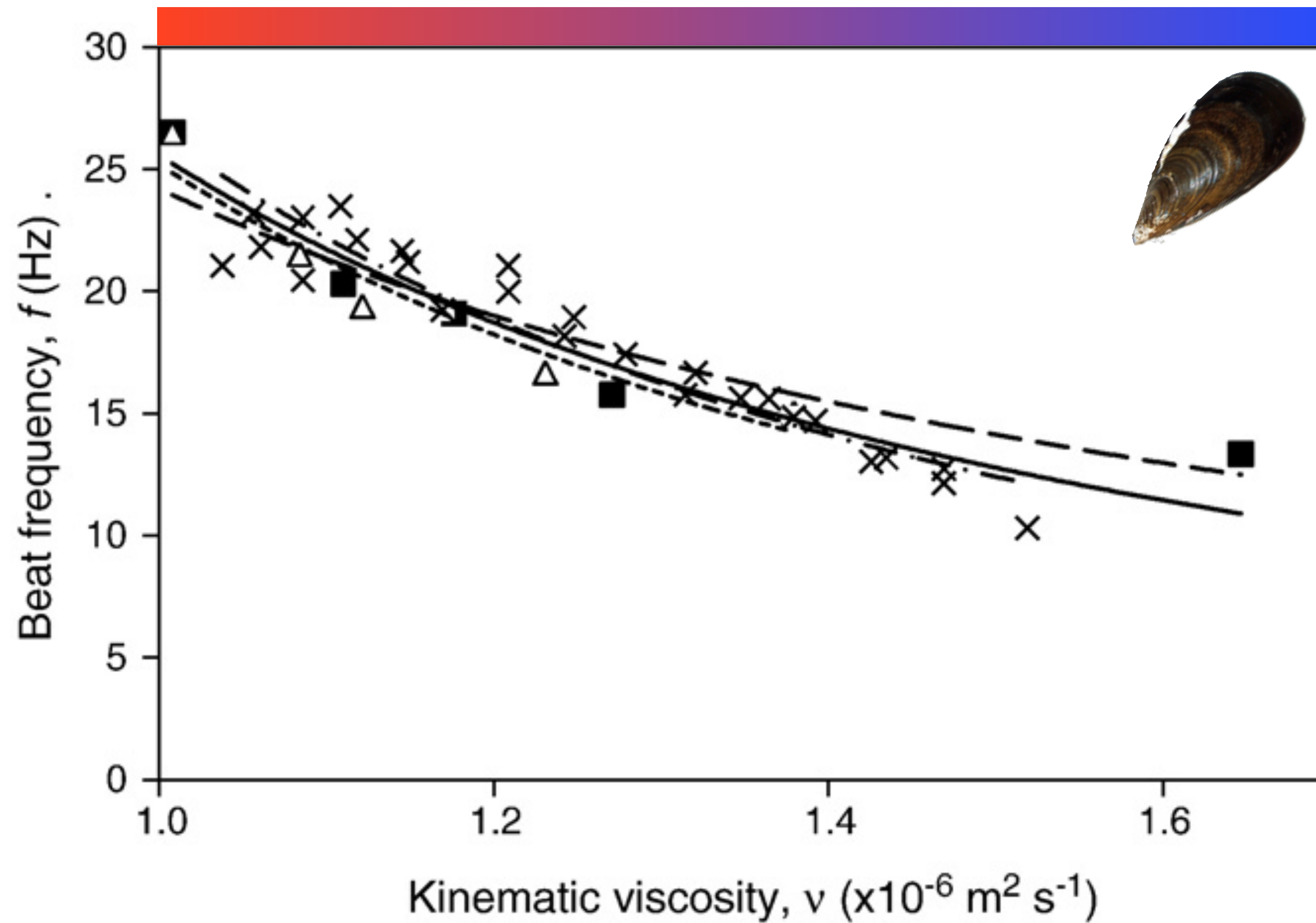


Temperature

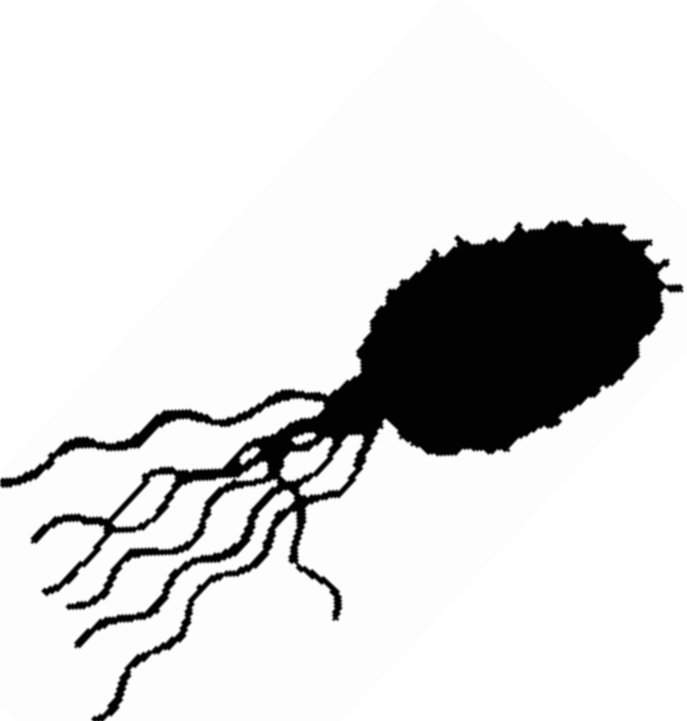
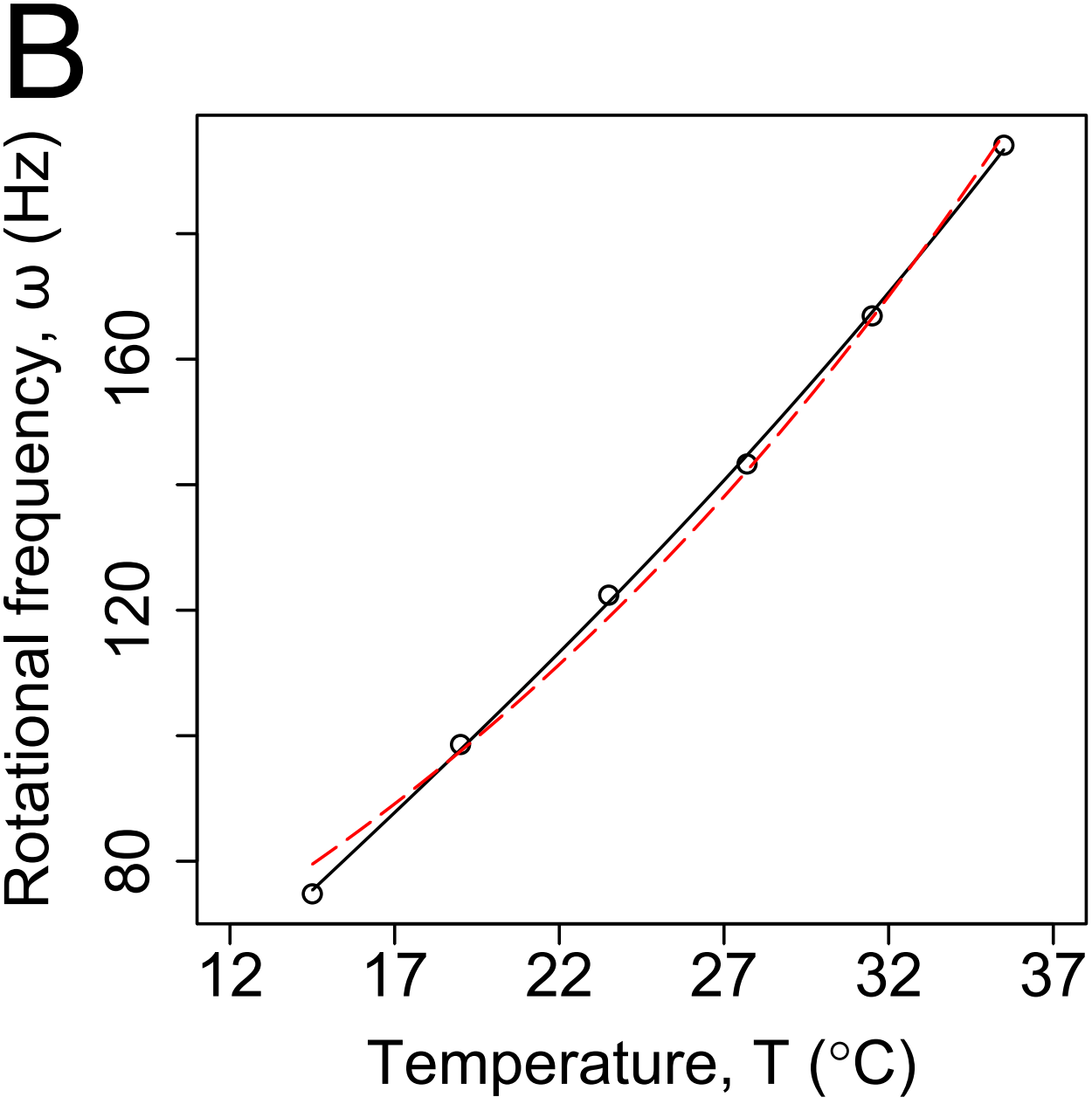
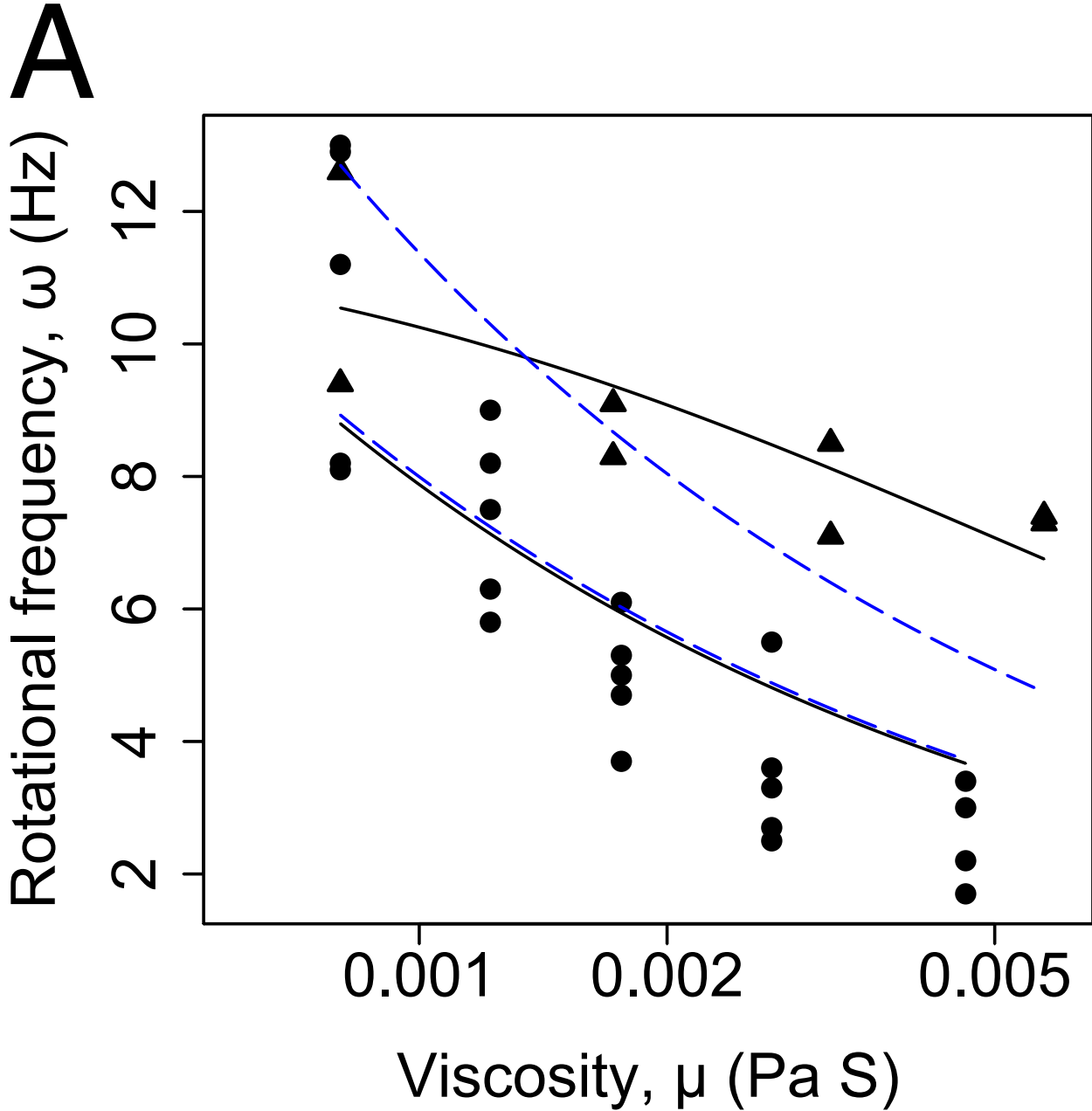


Viscosity

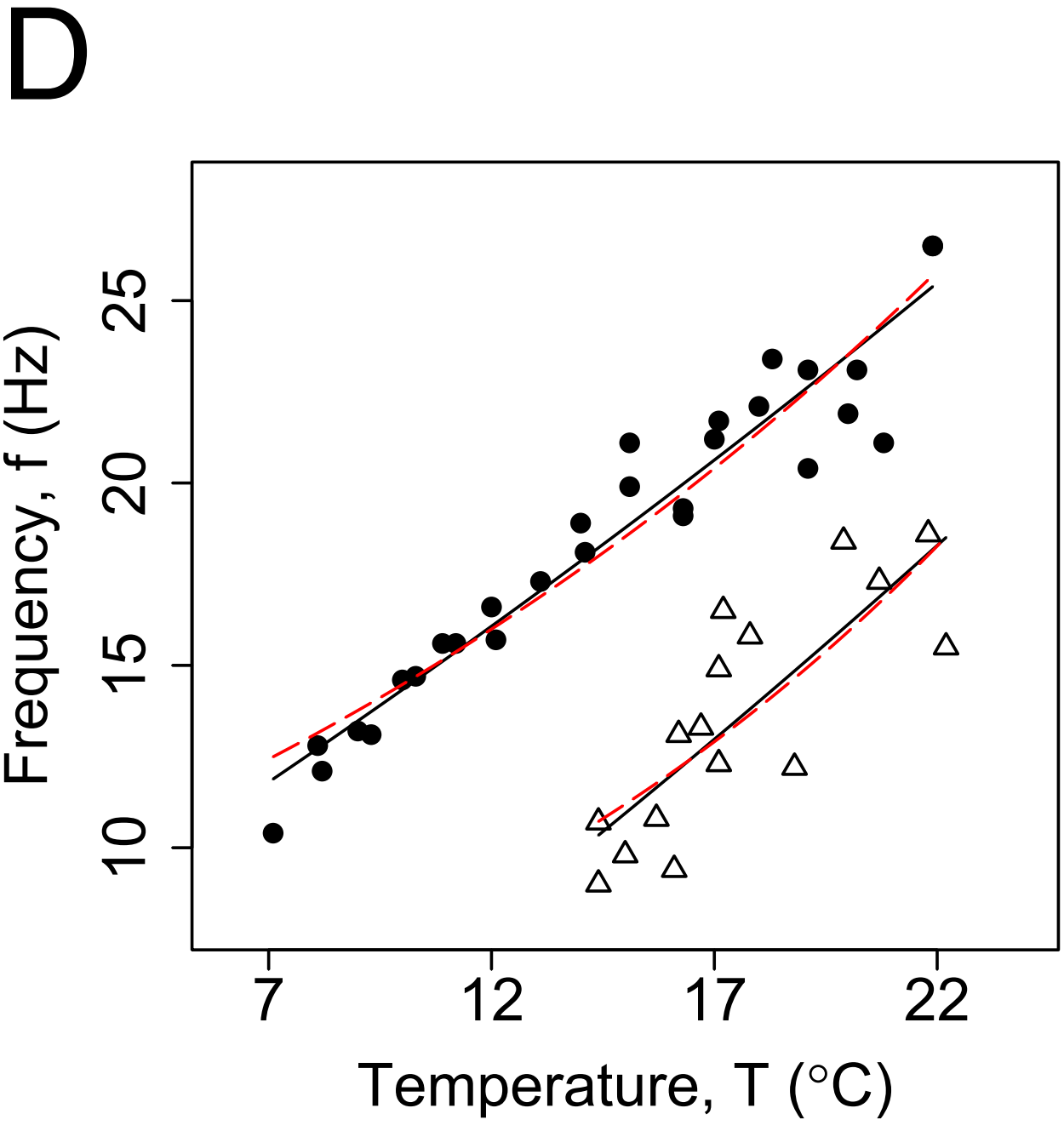
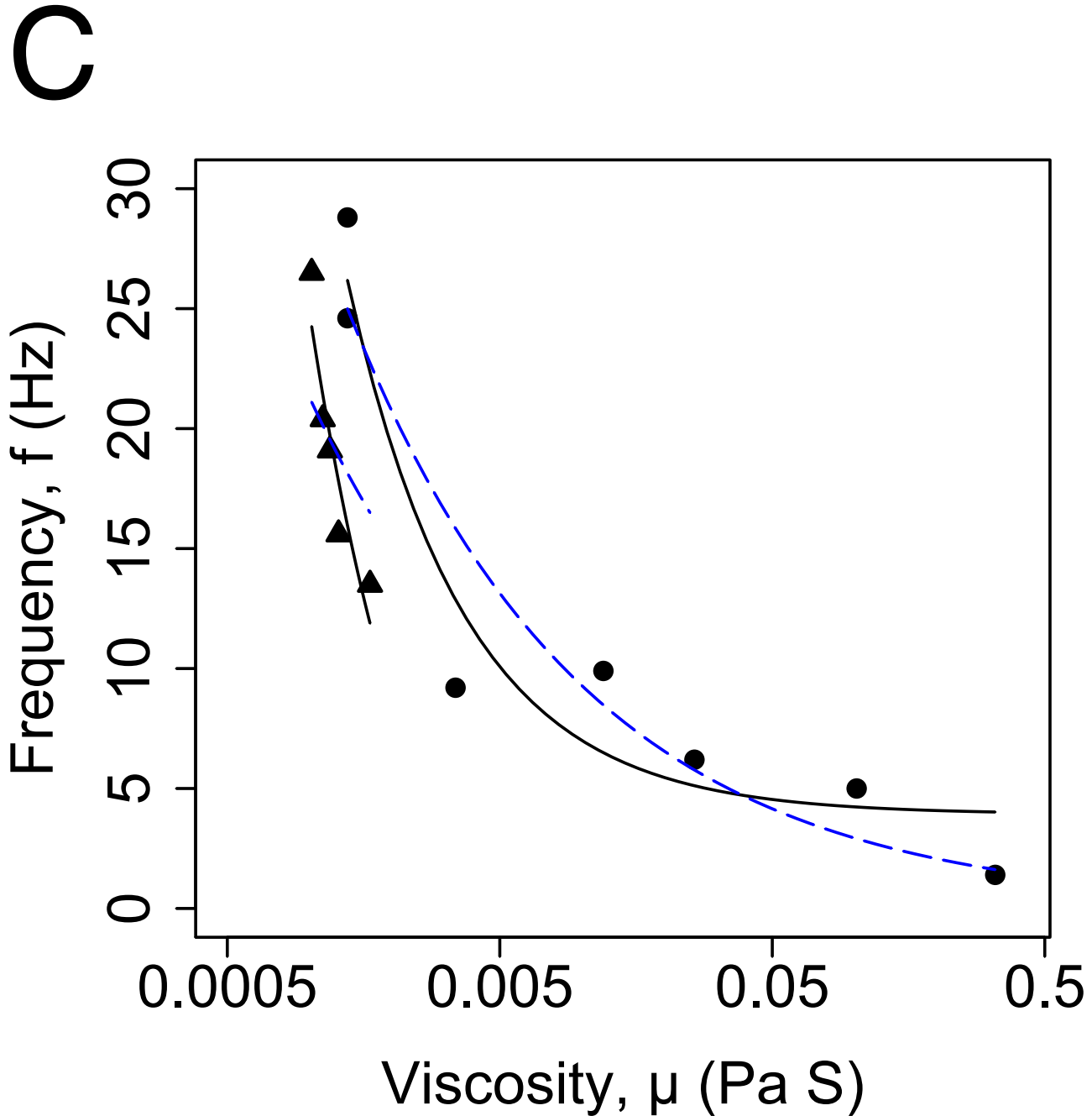
Temperature



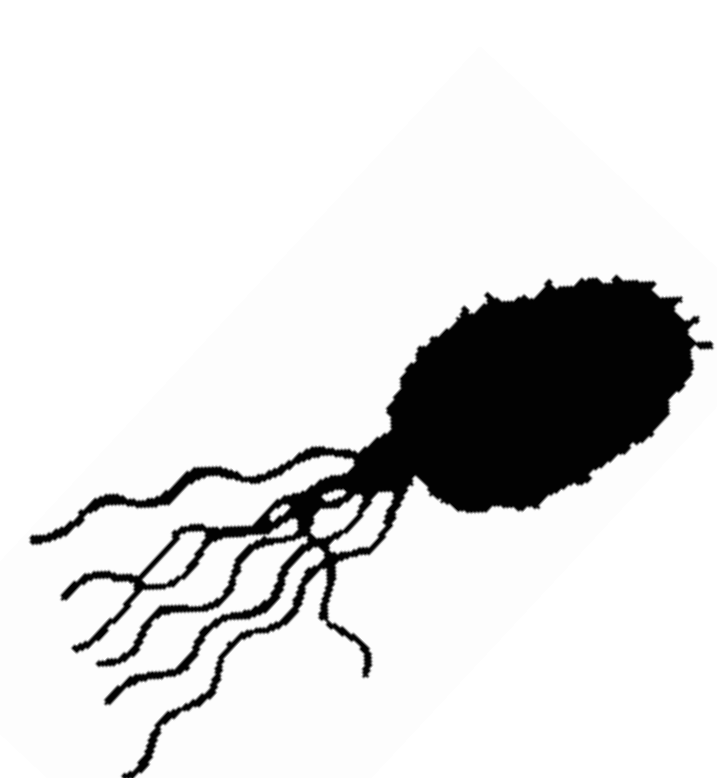
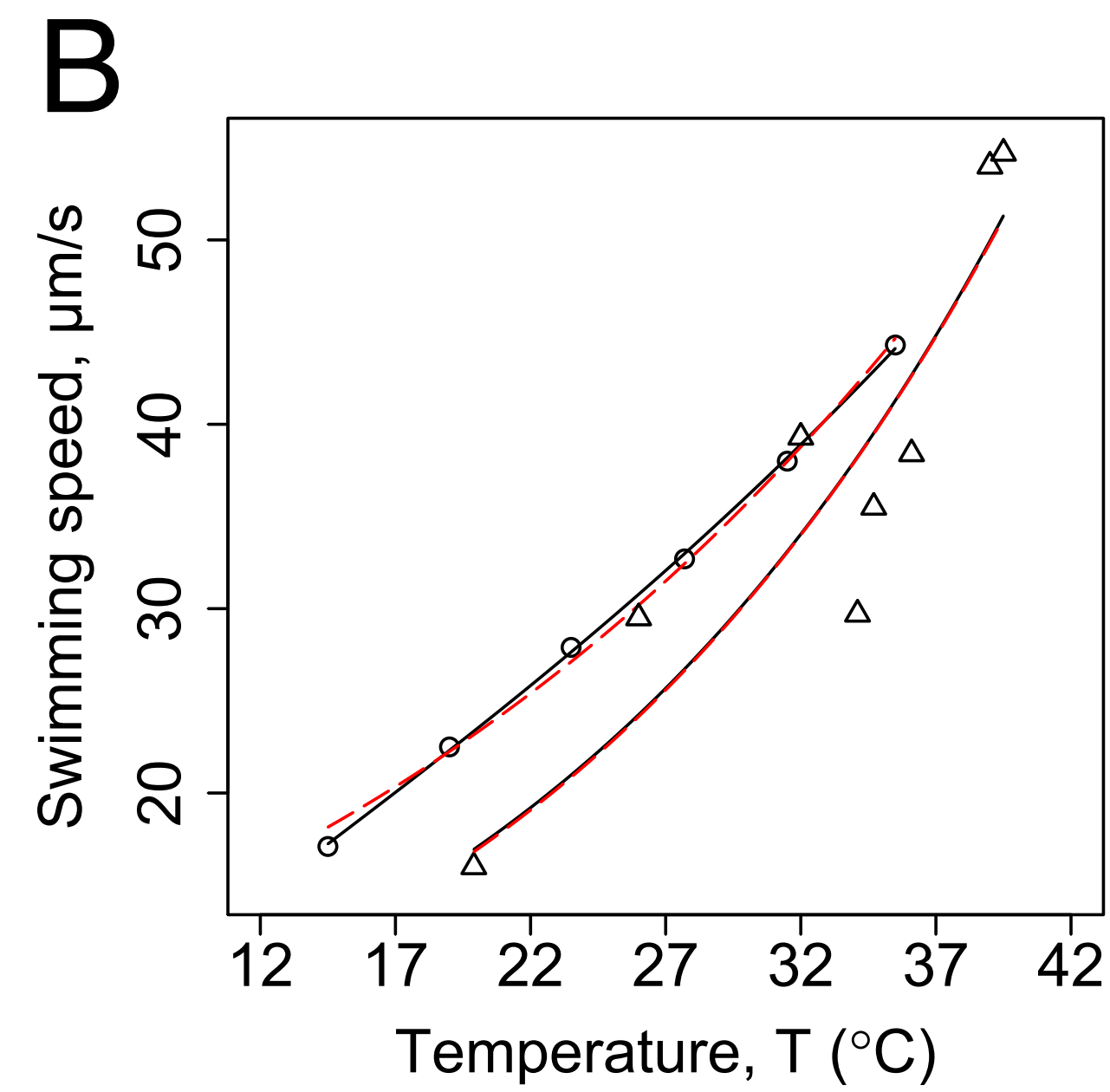
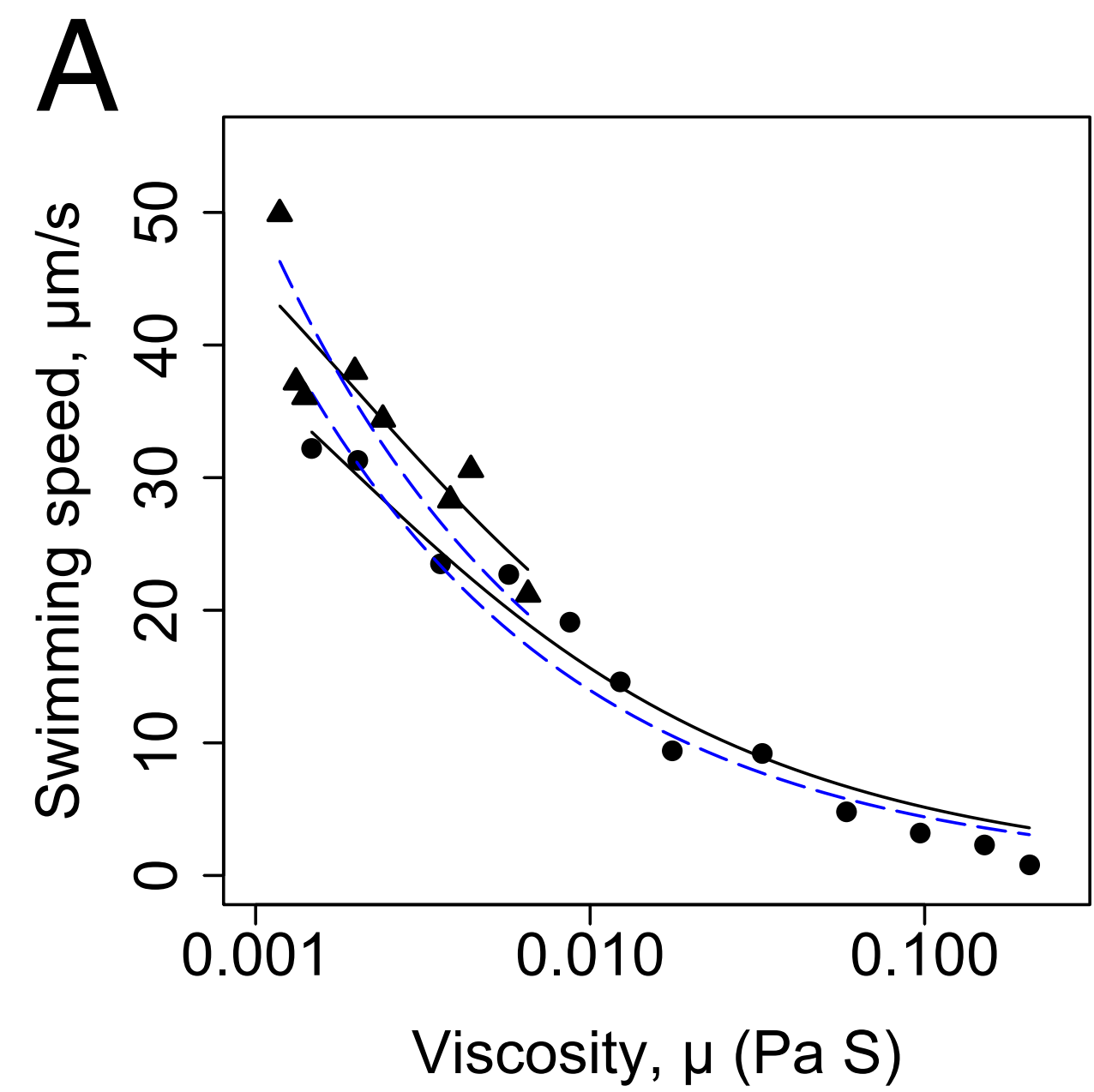
Escherichia coli



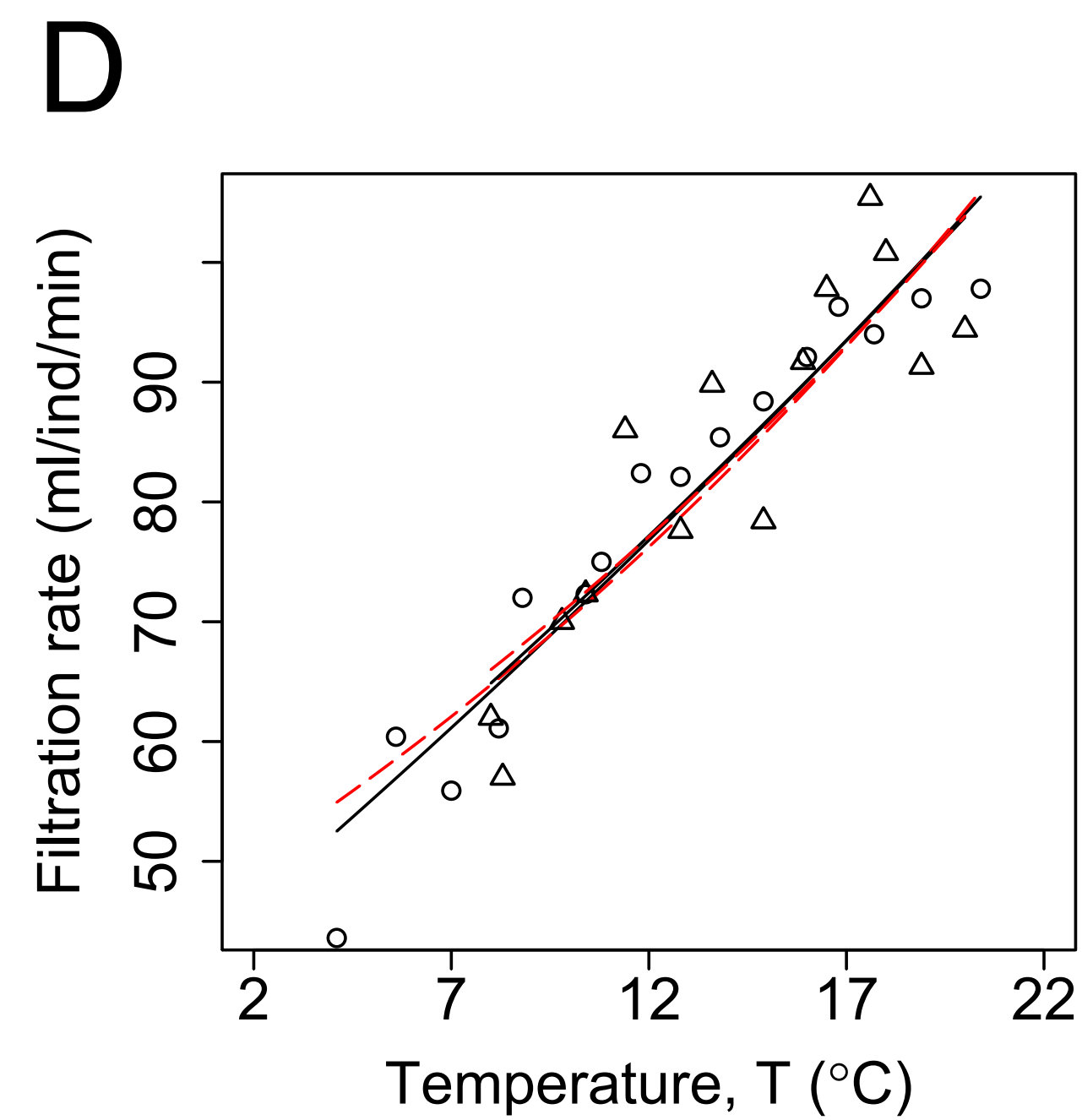
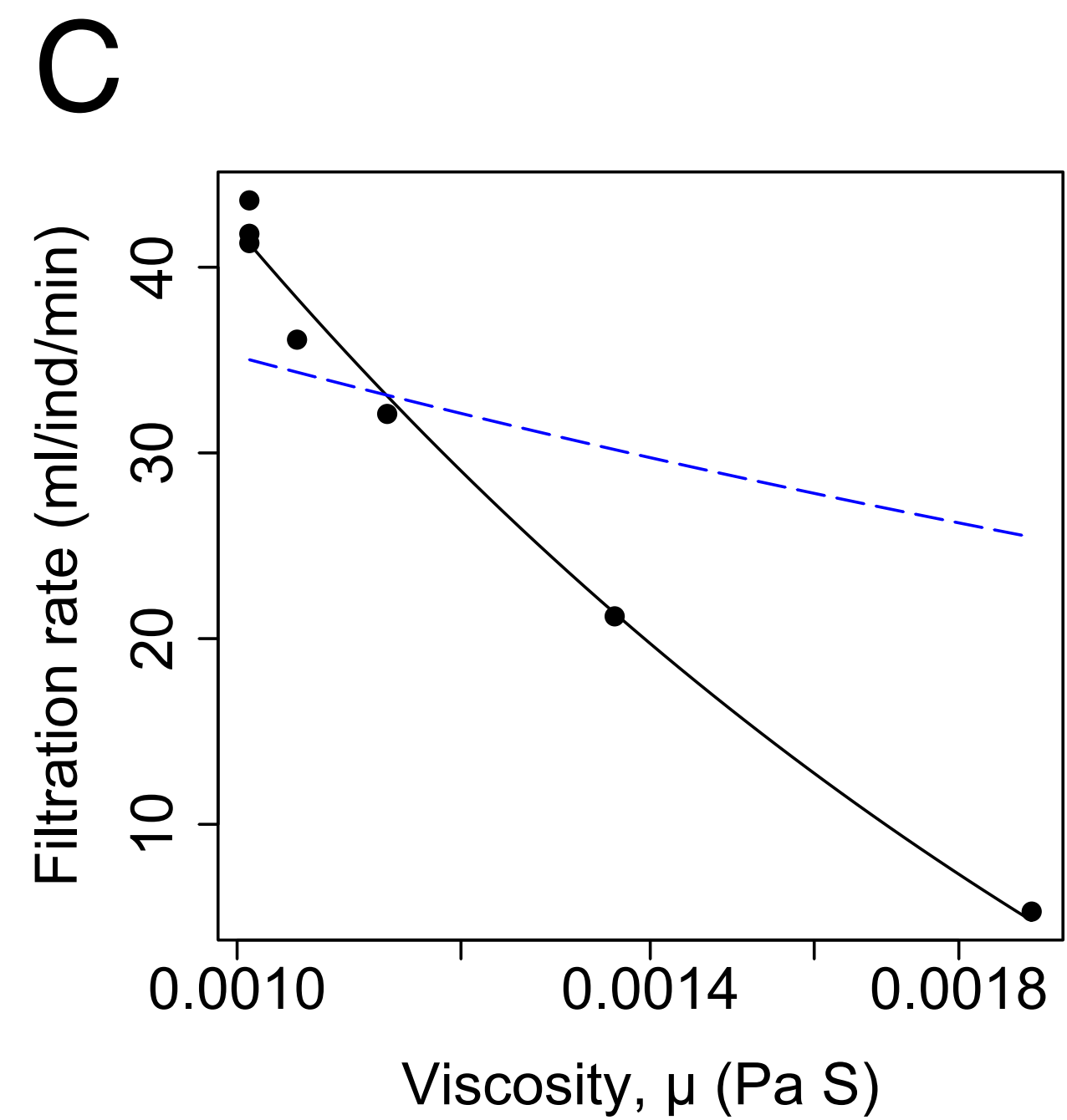
Mytilus edulis

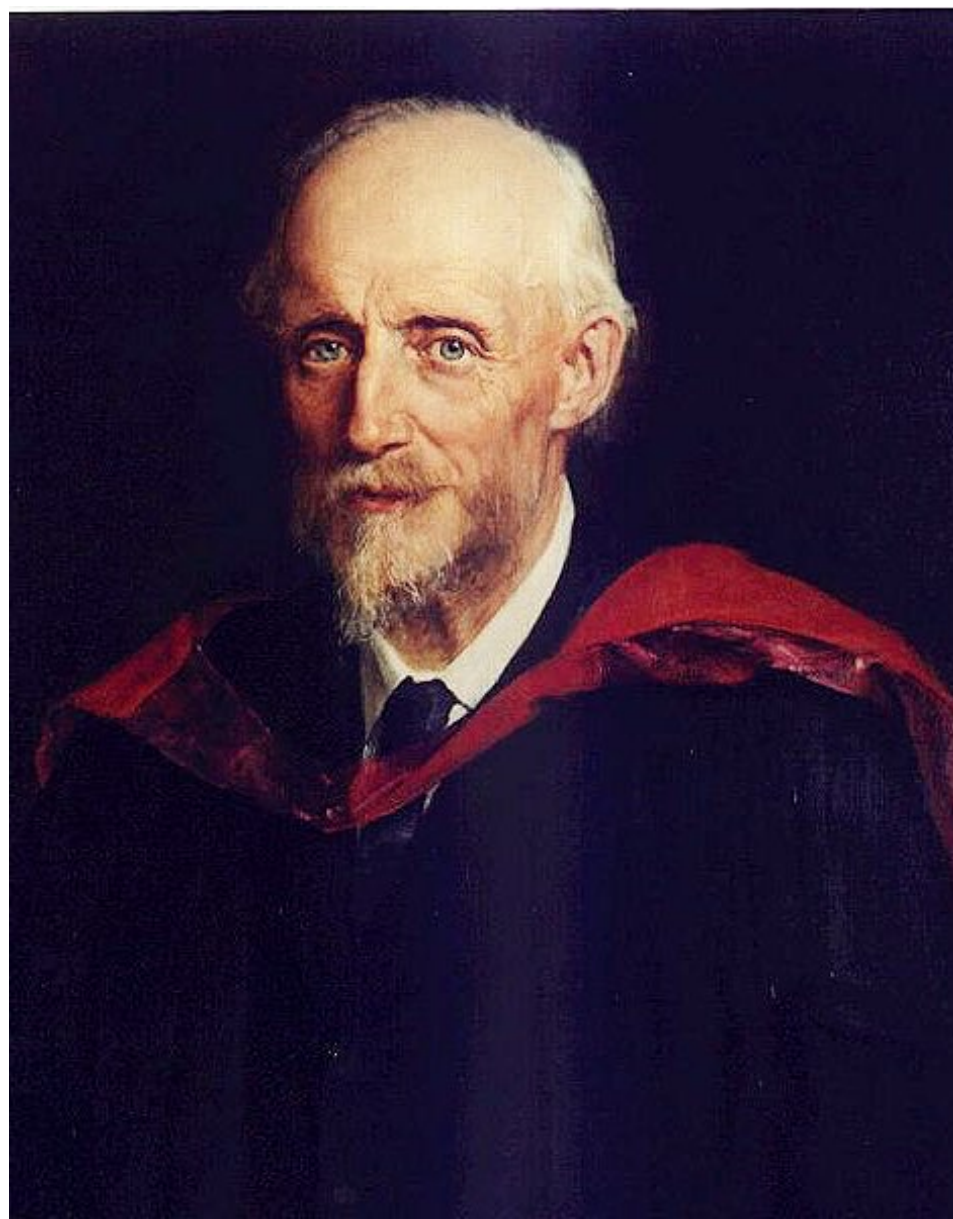


Escherichia coli

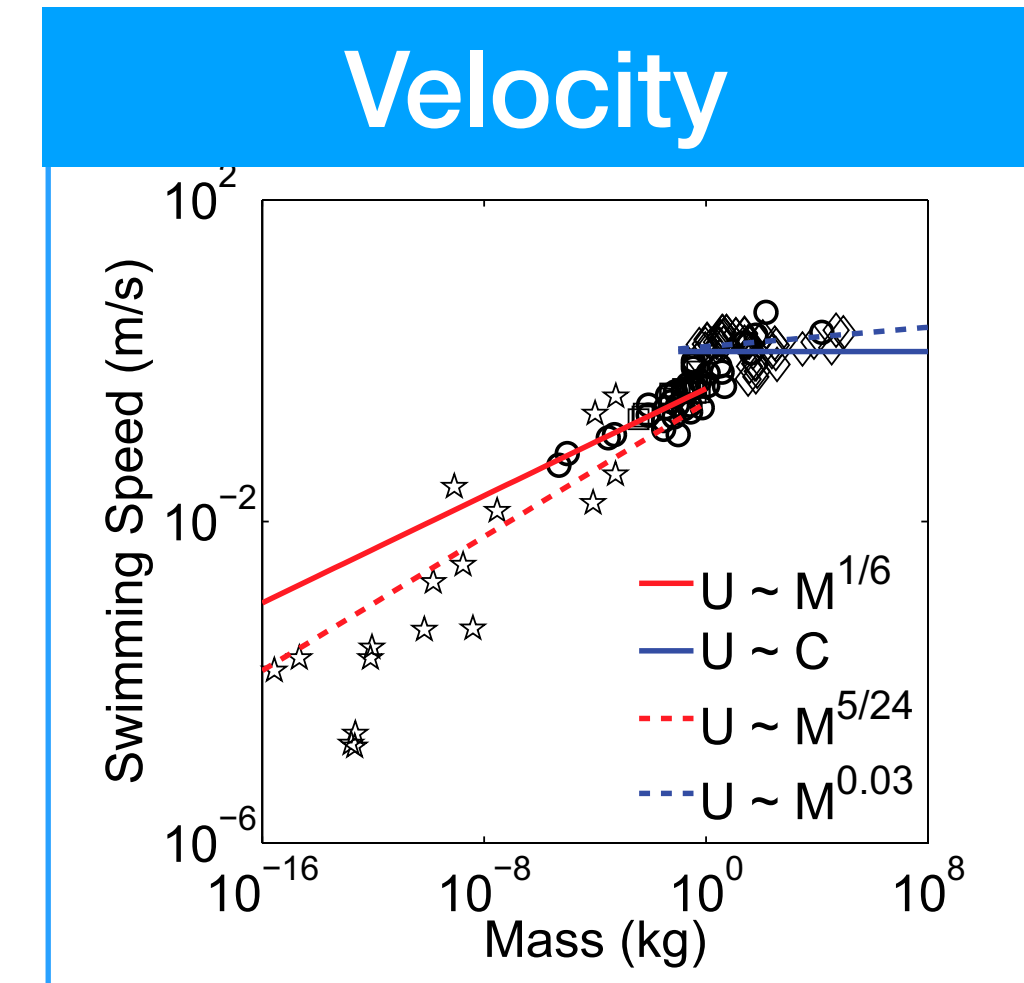
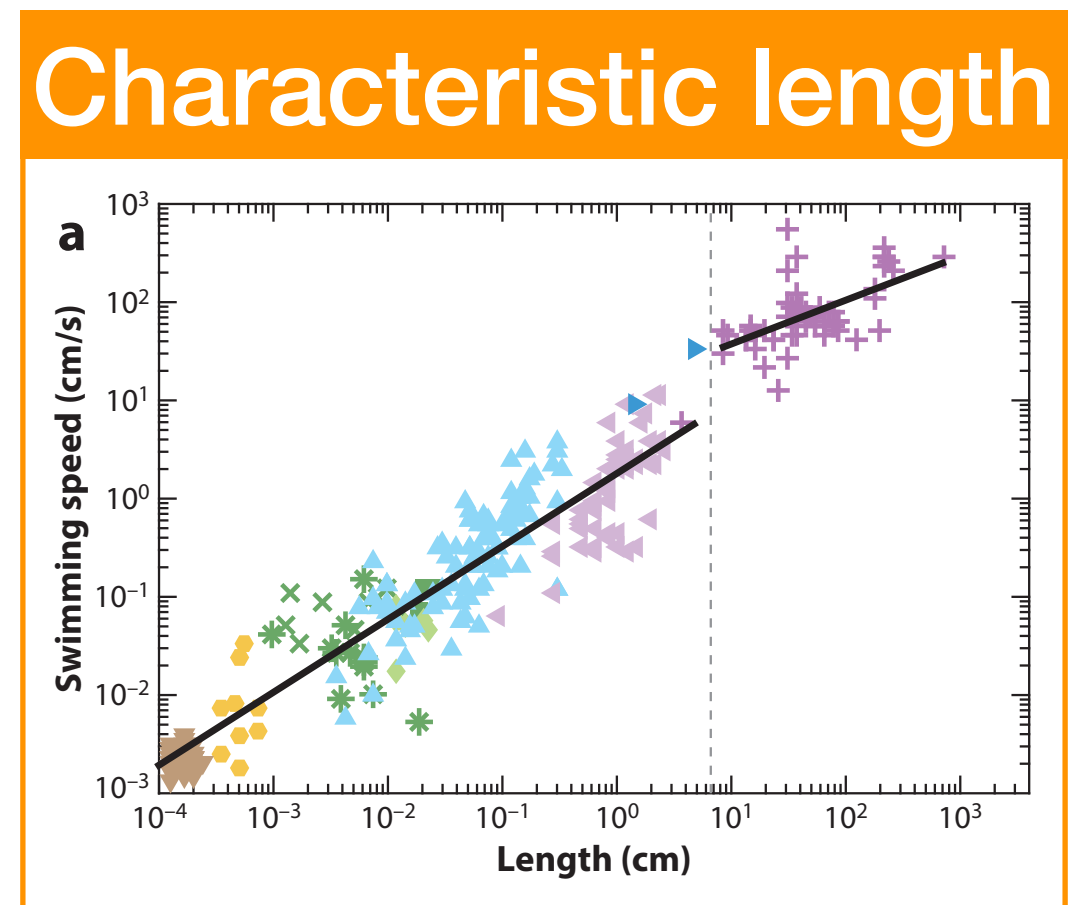


Mytilus edulis





Reynolds number

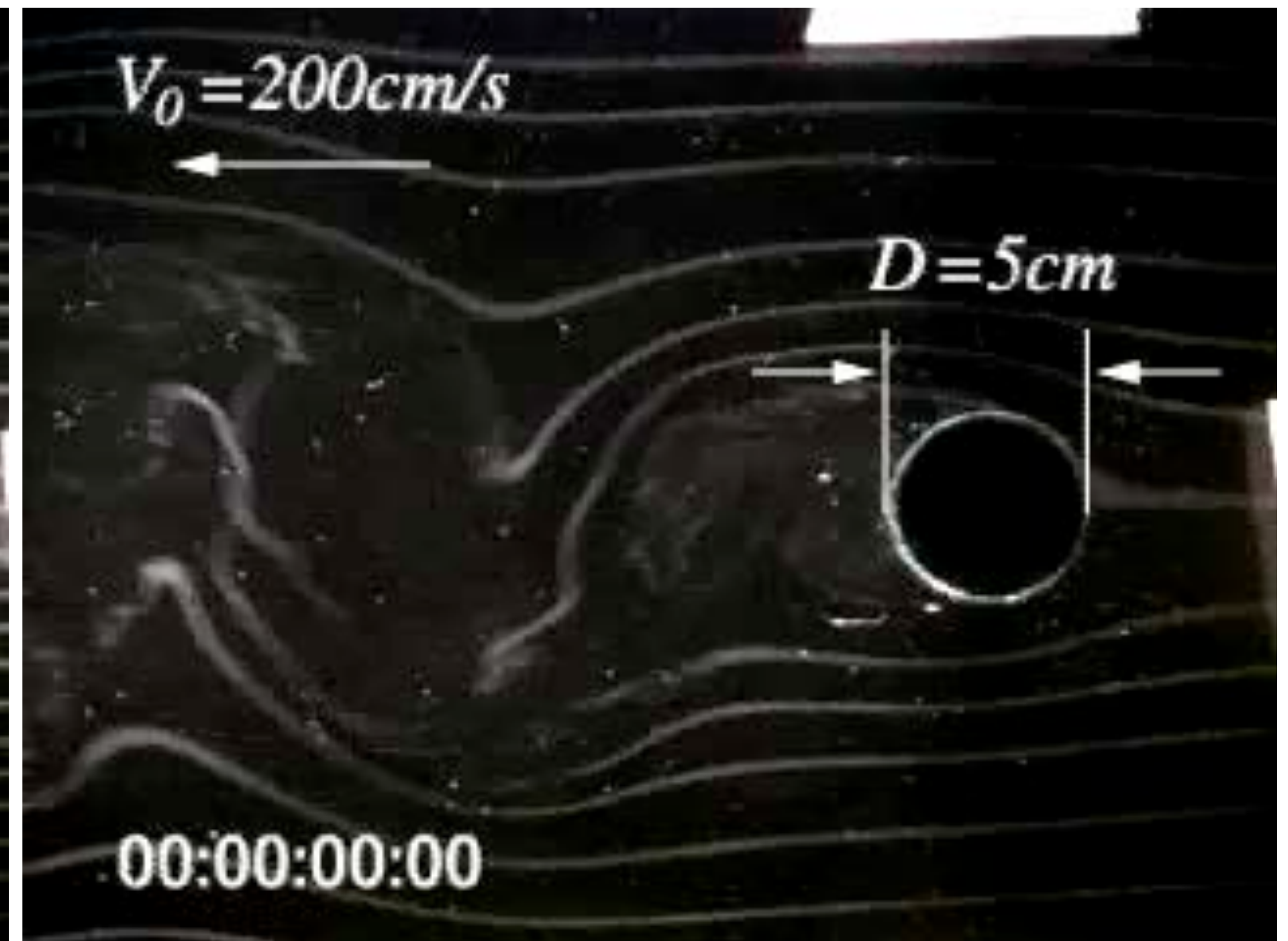
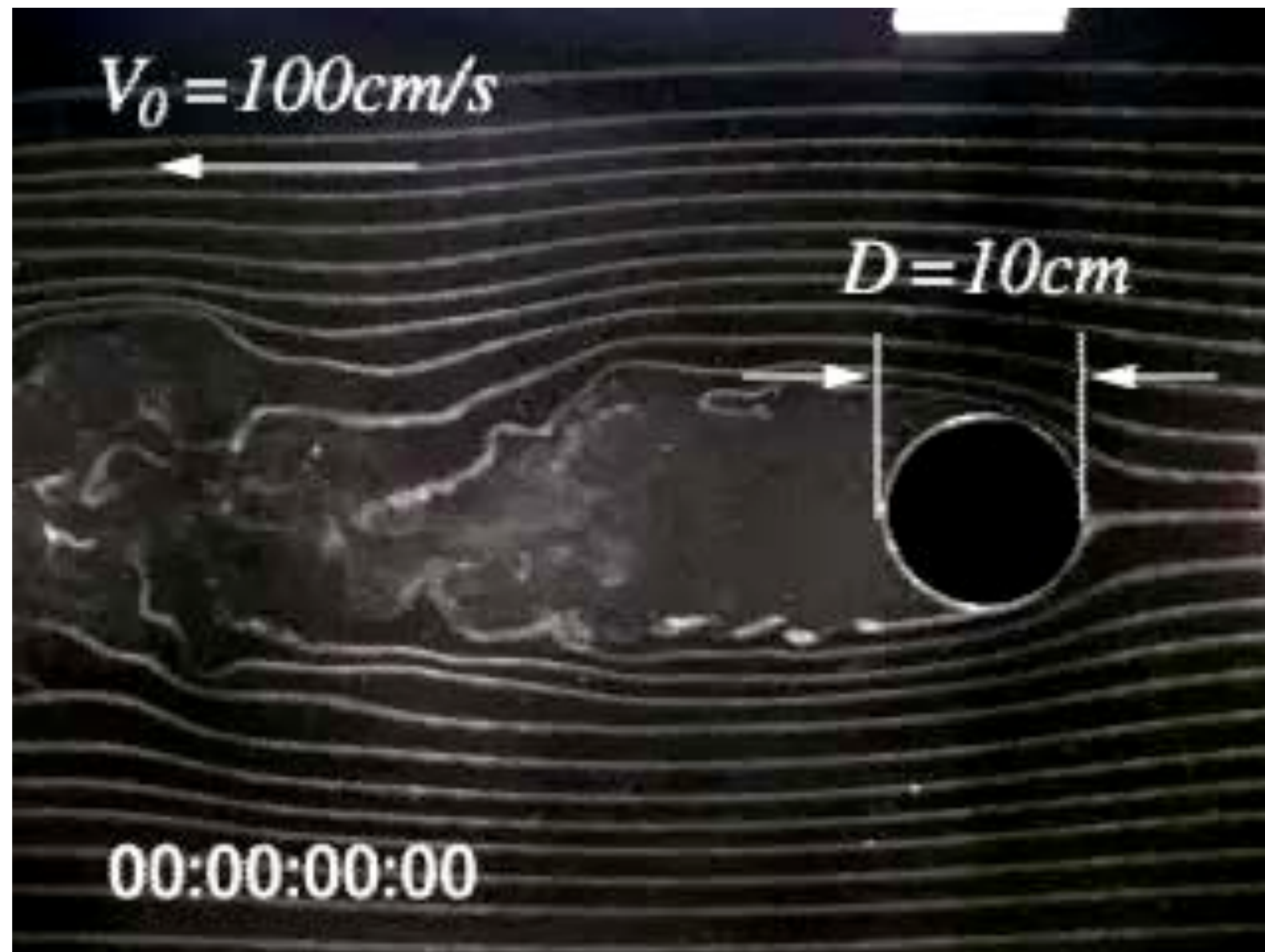


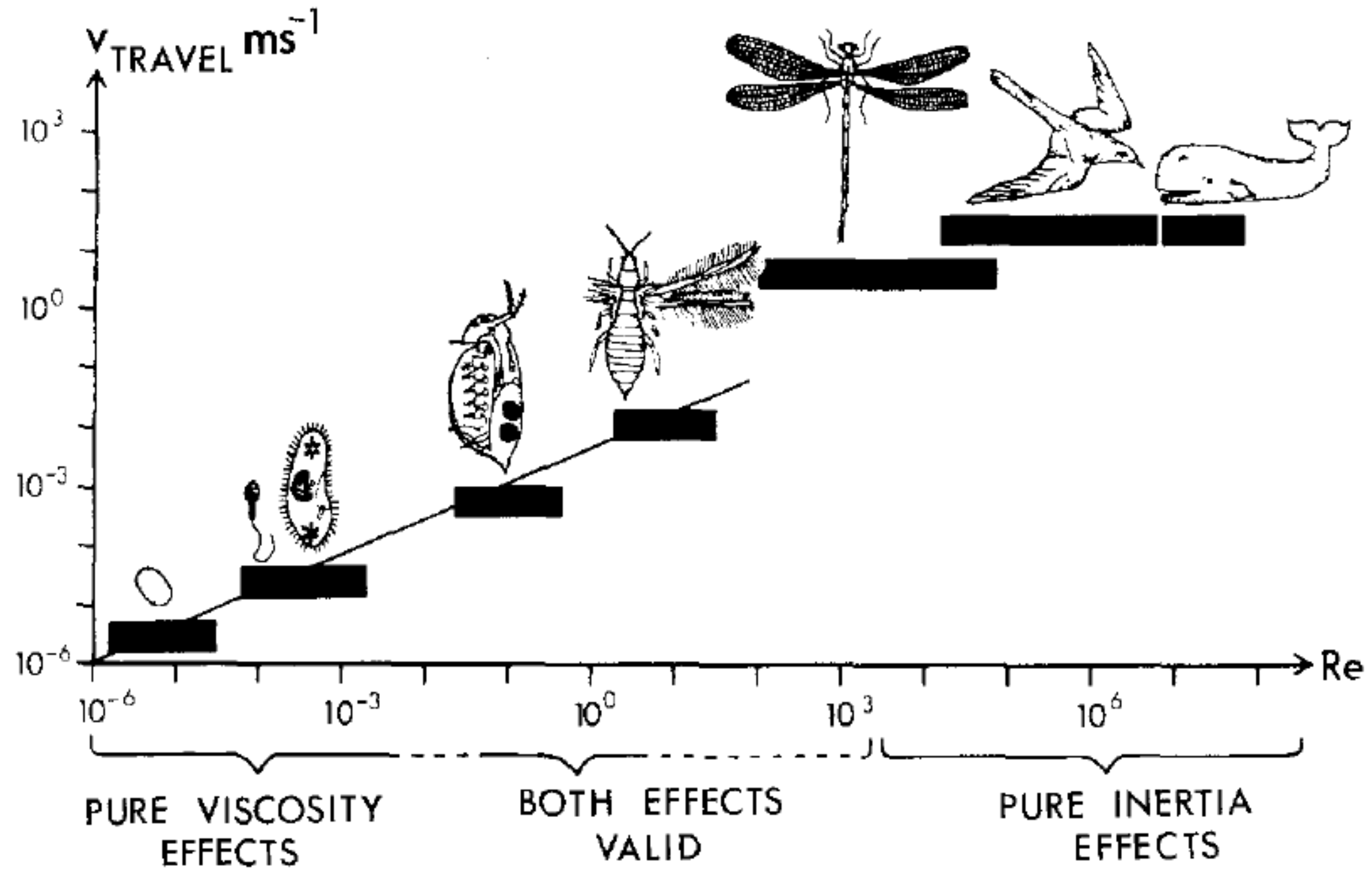
$$Re = \frac{\rho l U}{\mu} = \frac{l U}{\nu}$$

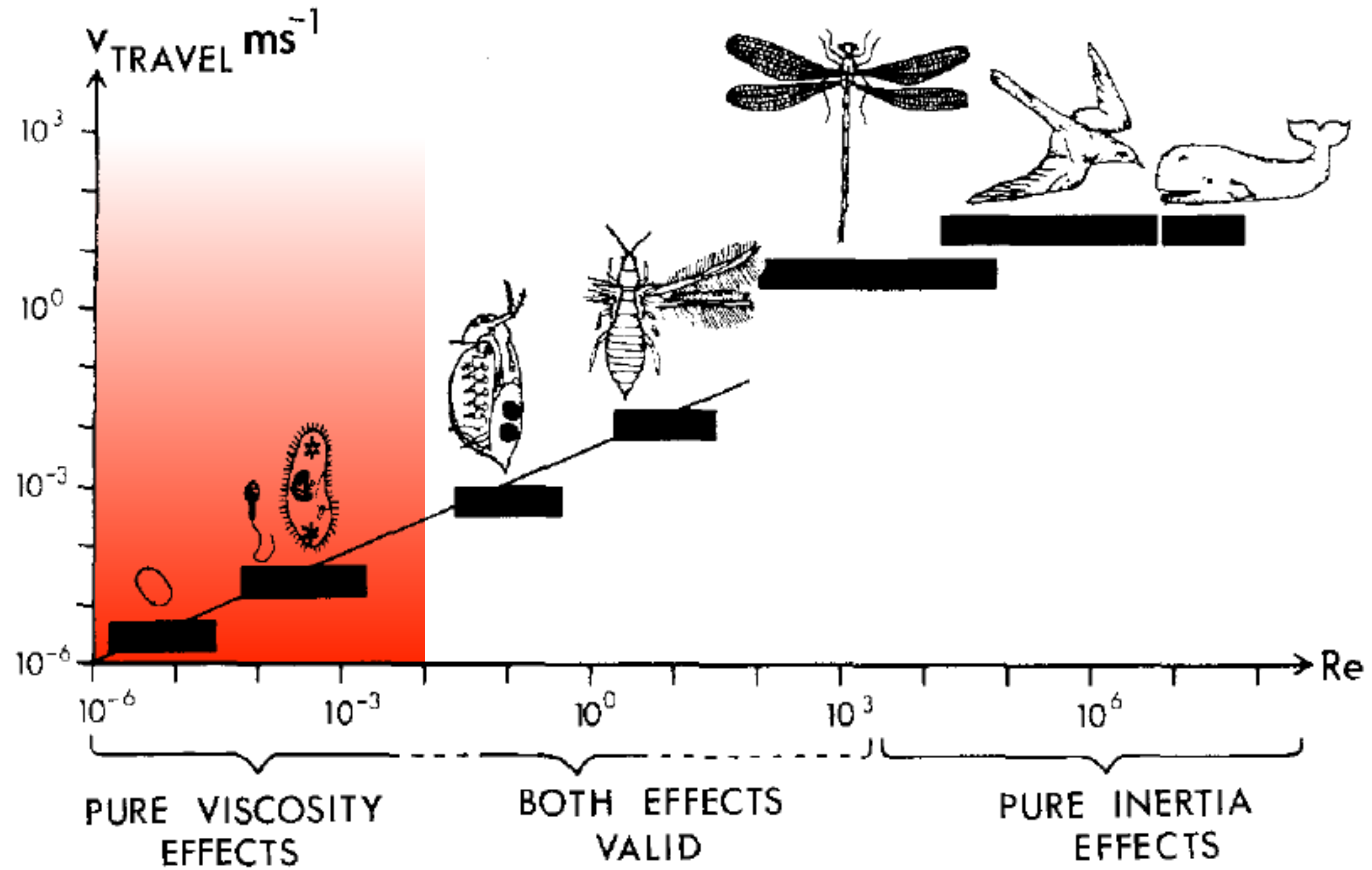
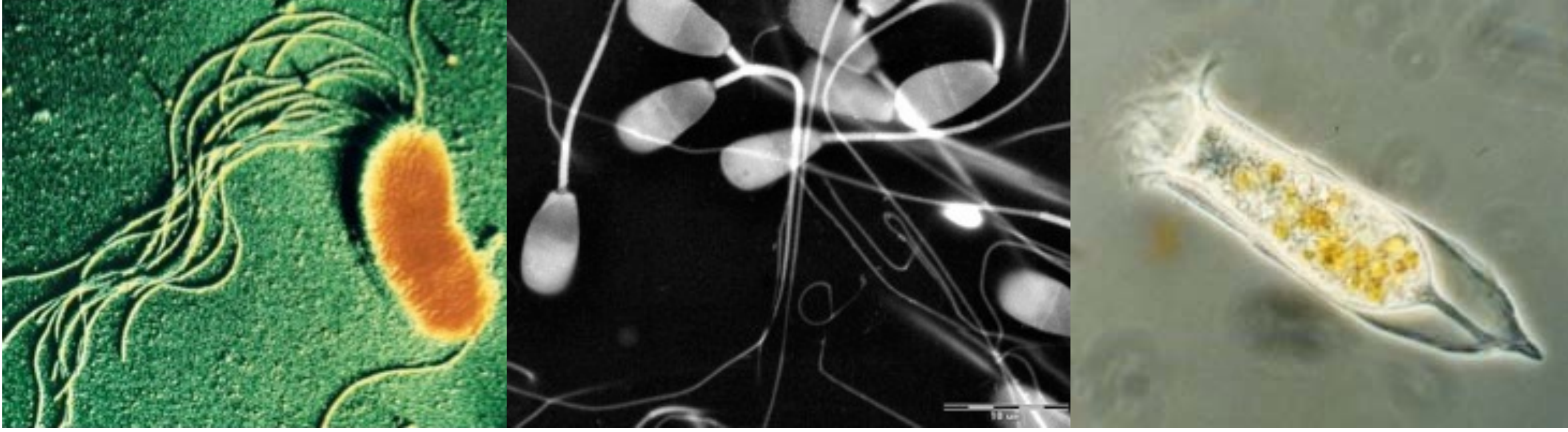


For similar geometries, similar Re indicates similar flows

$$Re = 100,000$$









Laminar

Turbulent



Characteristics of Low Re regimes

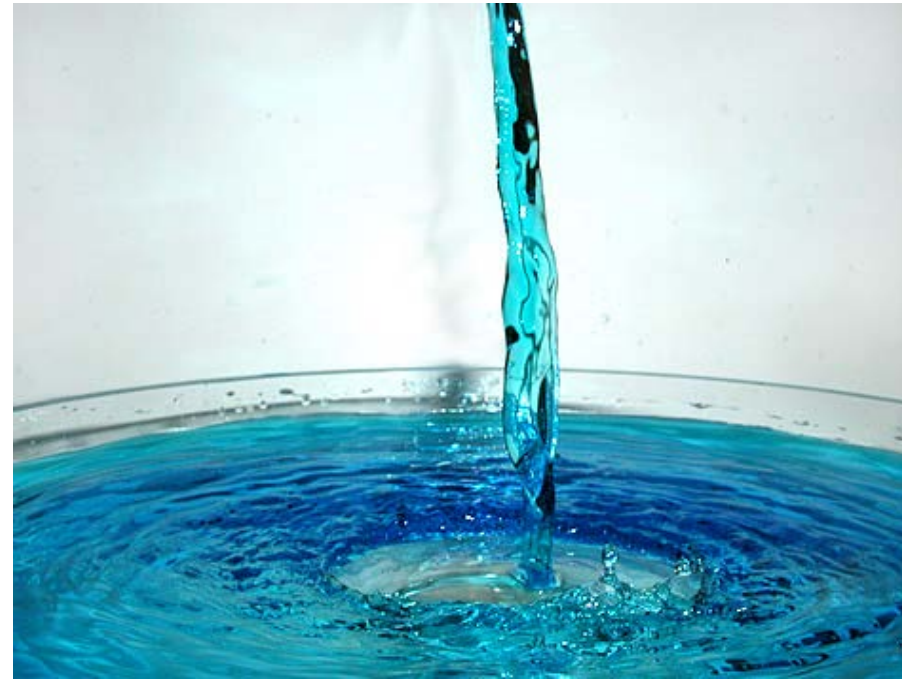
- Non-intuitive
- Inertia is negligible
- Flows are reversible
- Drag depends on surface
 - friction drag dominates
 - streamlining impossible (pressure drag negligible)
 - shape and orientation can help



Drag

$$\text{Re} = \frac{lU}{\nu}$$

High Re



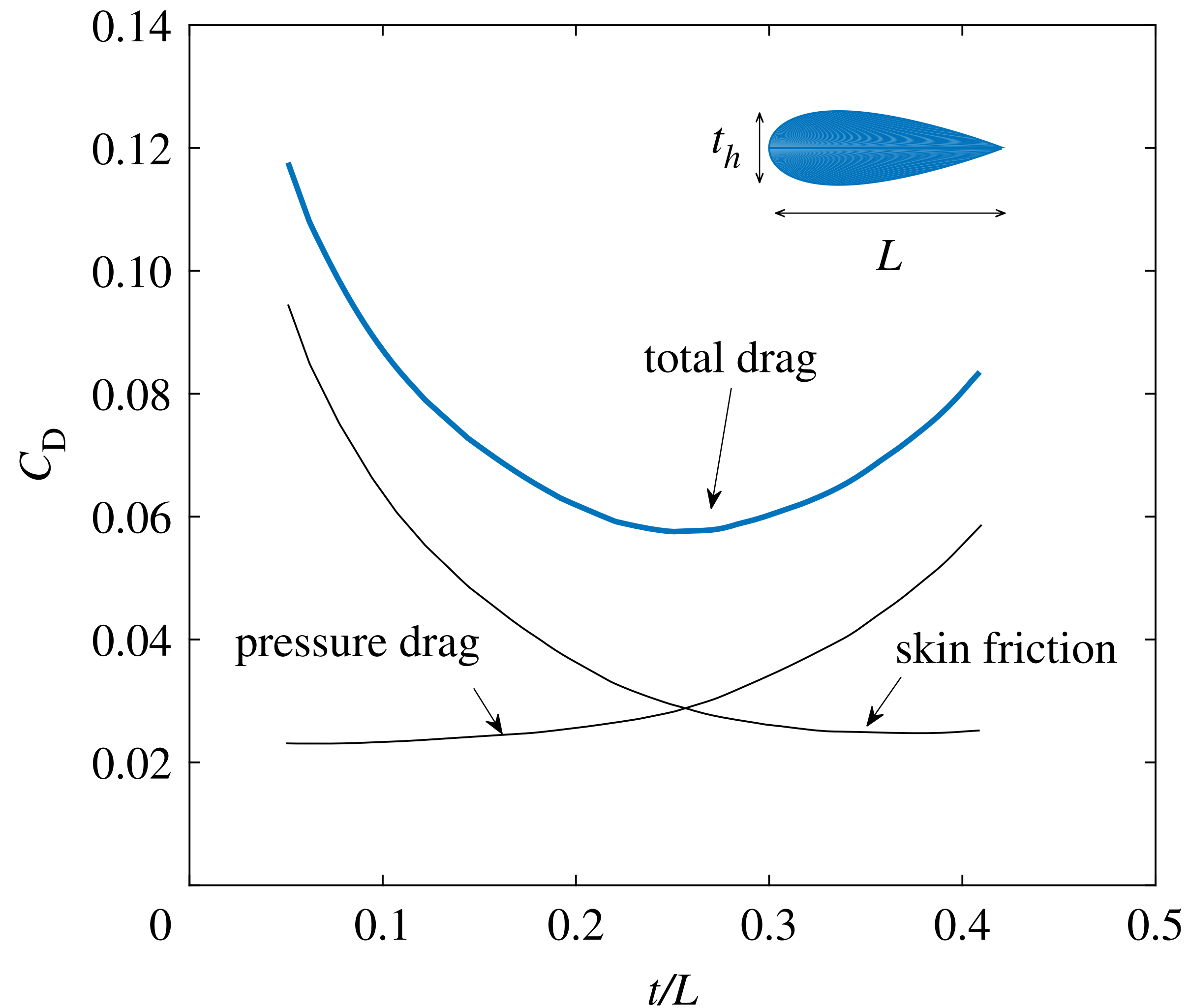
$$\text{Drag} \propto U^2$$

Low Re



$$\text{Drag} \propto U$$

Drag












Godoy-Diana, R. & Thiria, B., 2018. On the diverse roles of fluid dynamic drag in animal swimming and flying. *Journal of the Royal Society, Interface* 15(139), p.20170715.

Drag

Fluid dynamicists describe effect of shape through empirically derived “fudge factor”

Drag coefficient, C_d

Shape		Drag Coefficient
Sphere	→ 	0.47
Halfsphere	→ 	0.42
Cone	→ 	0.50
Cube	→ 	1.05
Angled Cube	→ 	0.80
Long Cylinder	→ 	0.82
Short Cylinder	→ 	1.15
Streamlined Body	→ 	0.04
Streamlined Halbody	→ 	0.09

Measured Drag Coefficients

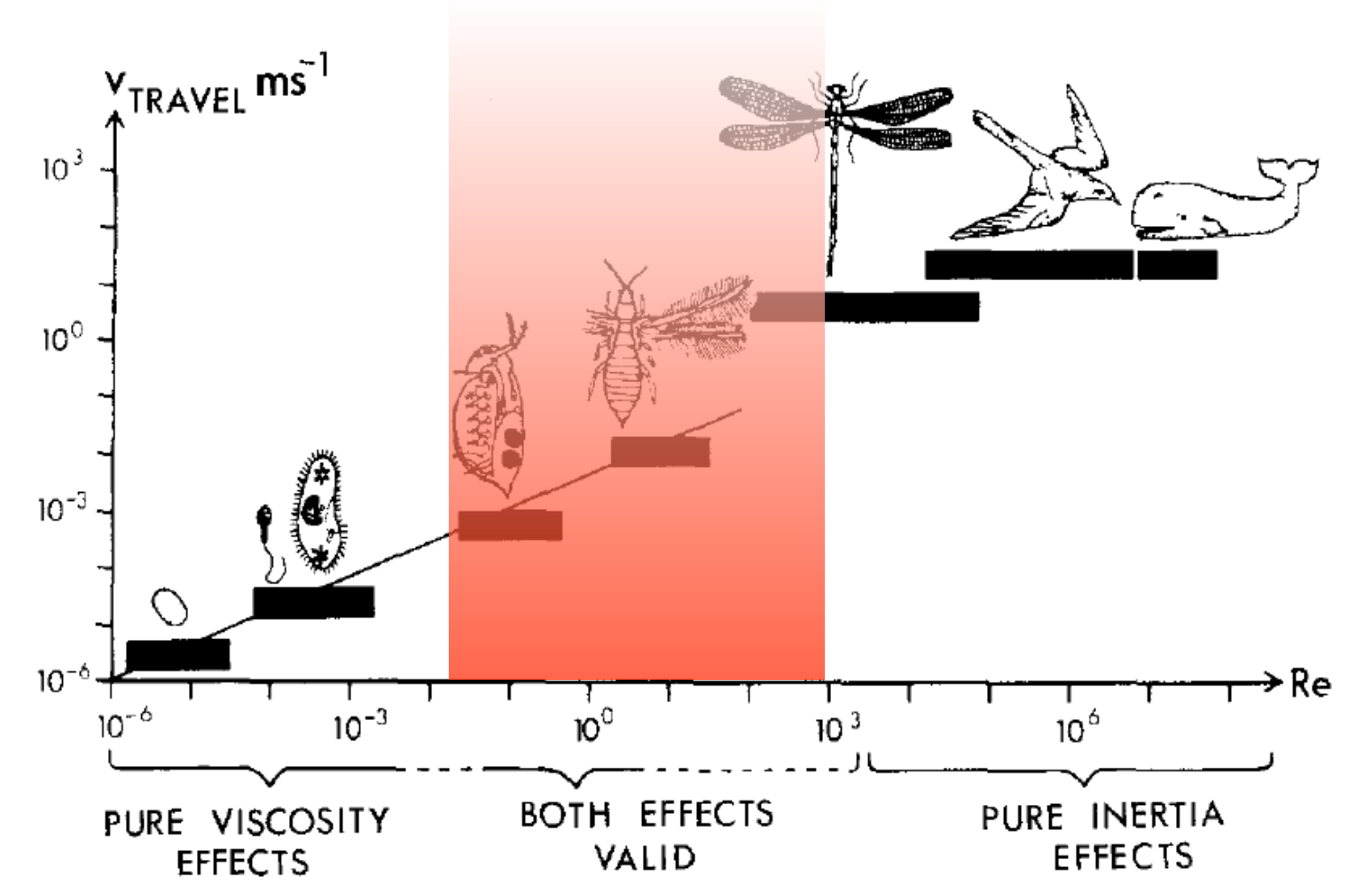
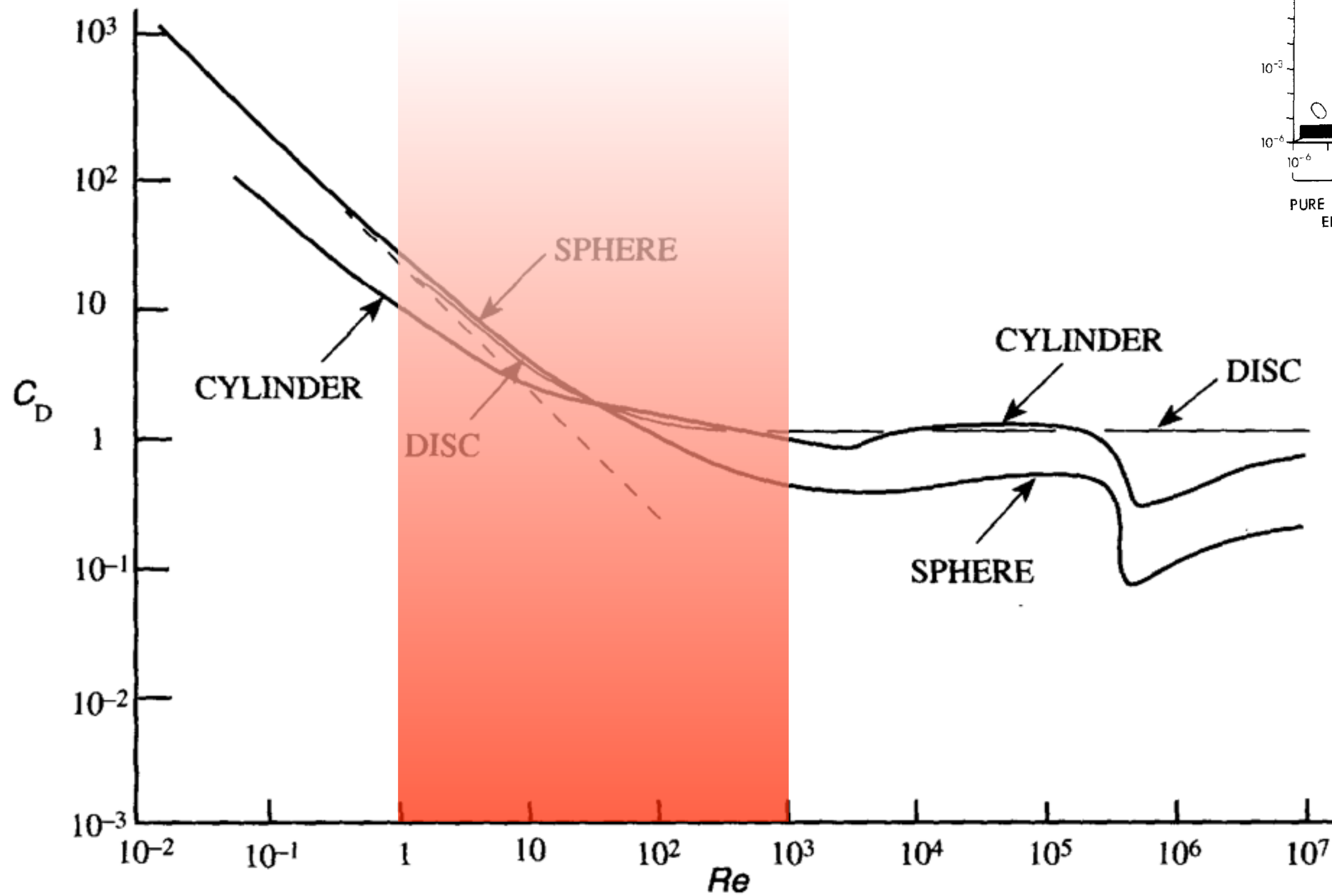
Drag

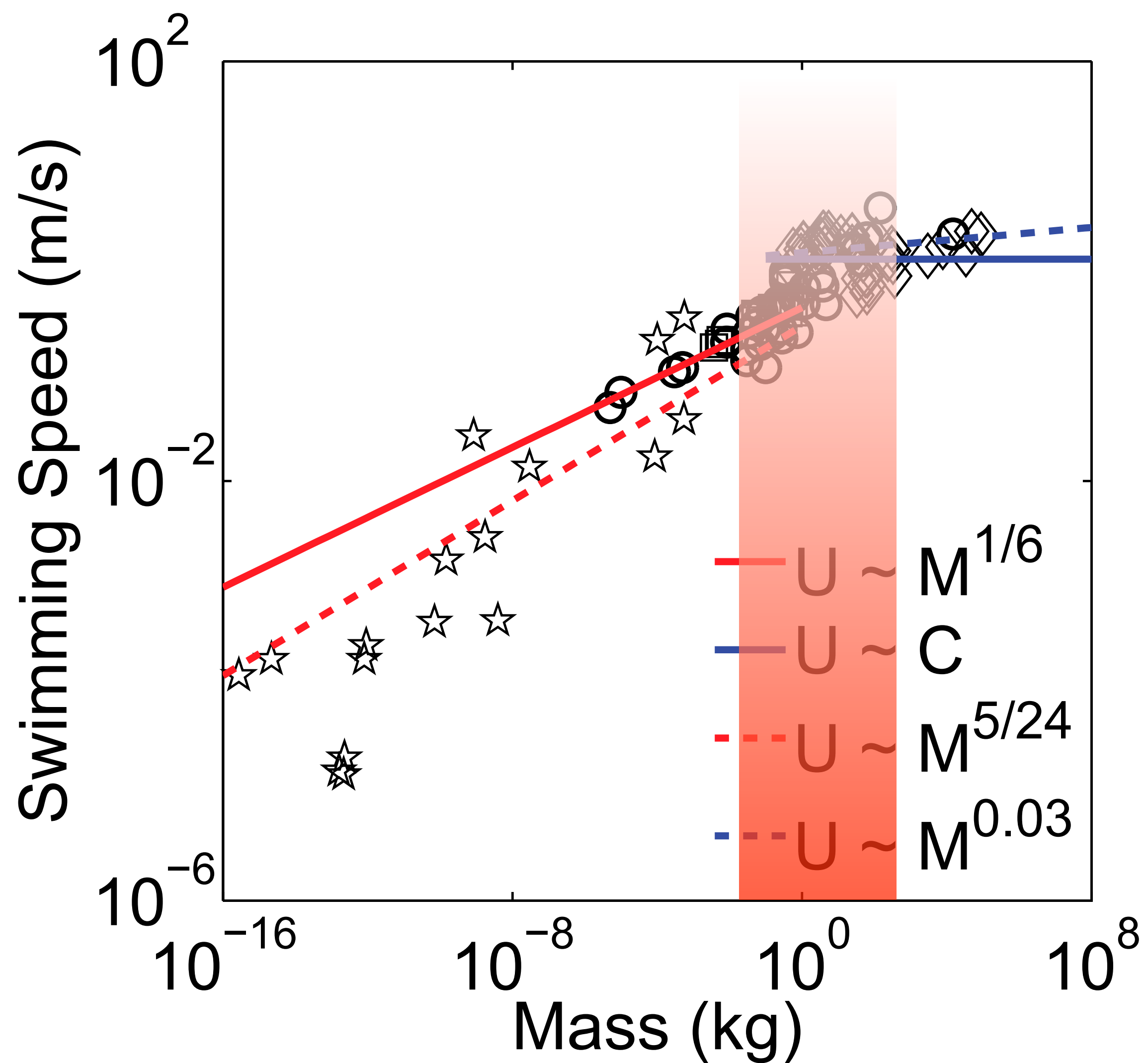
C_d not necessarily constant, varies with...

- velocity
- object size
- density/viscosity ratio

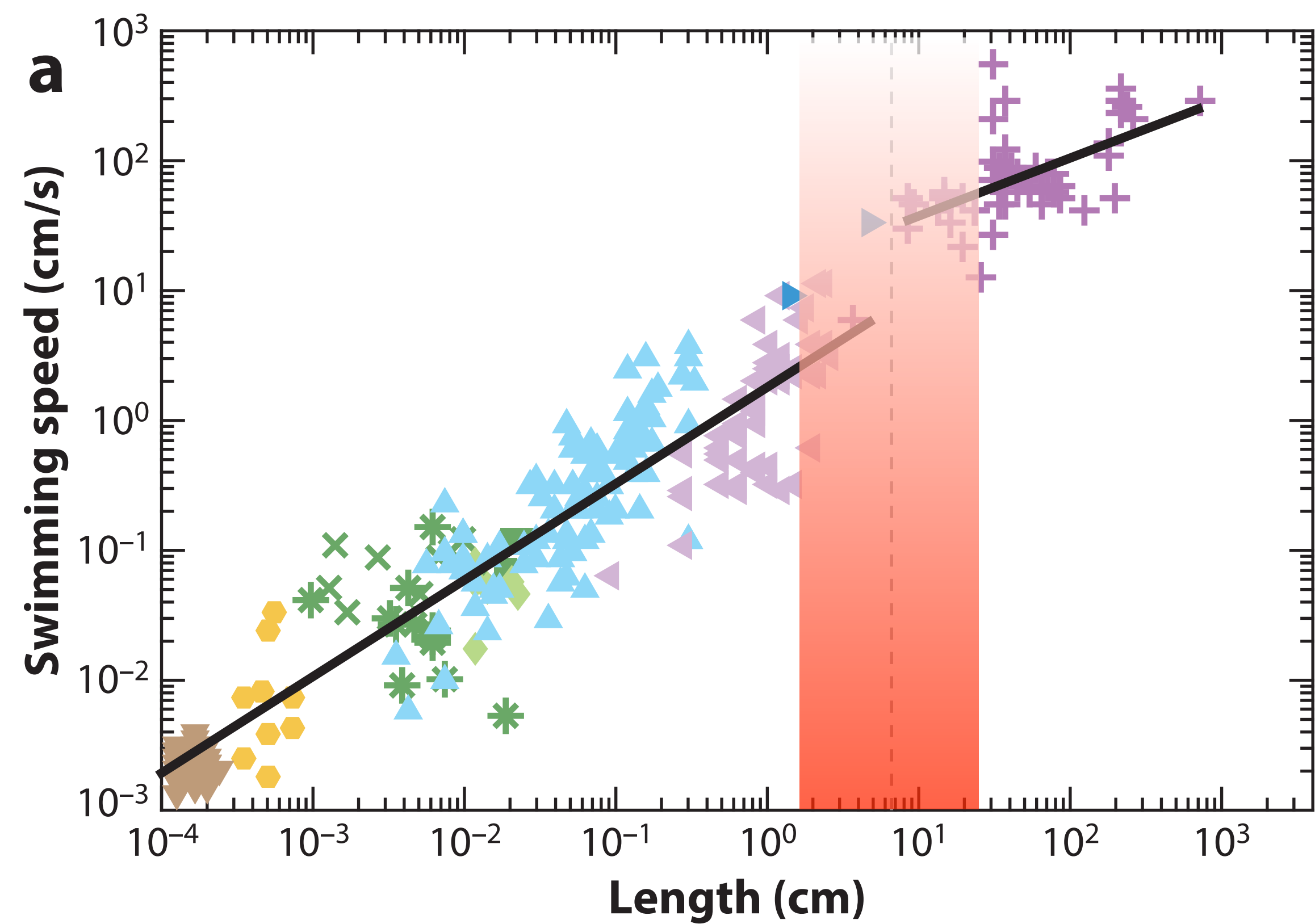
$$\text{Re} = \frac{\rho l U}{\mu} = \frac{l U}{\nu}$$

Drag

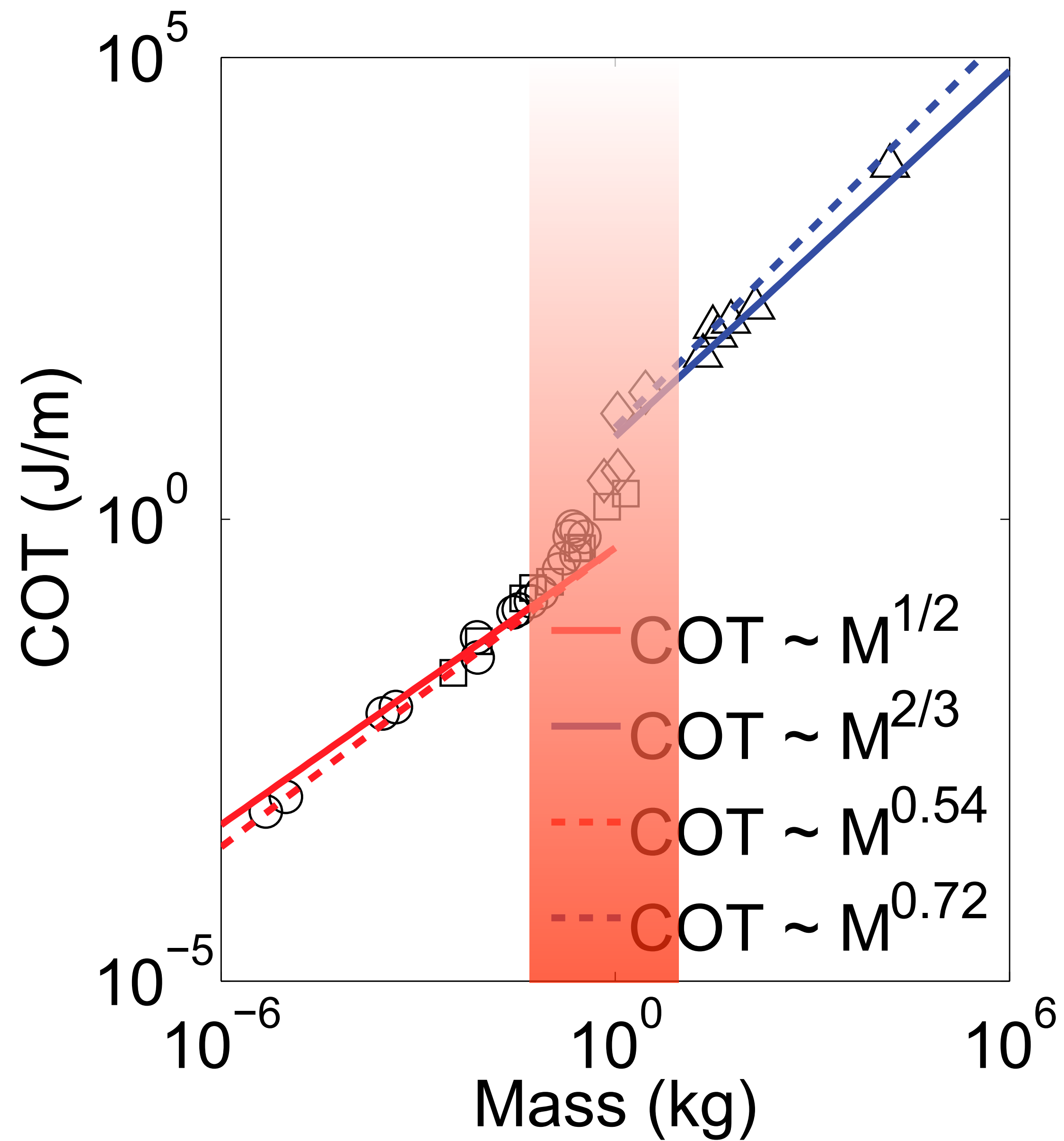




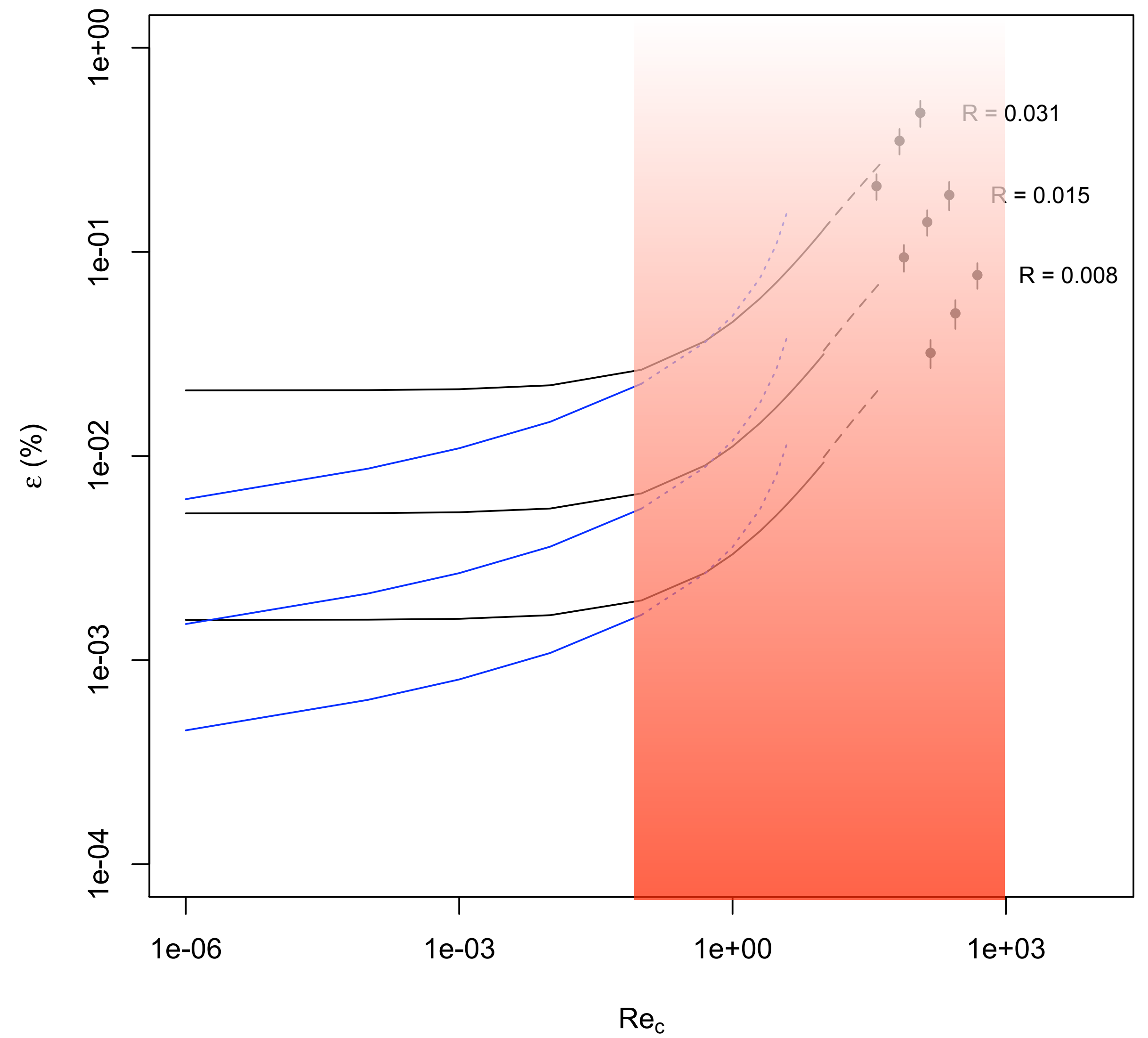
Bale, R. et al., 2014. PNAS, 111(21), pp.7517–7521.



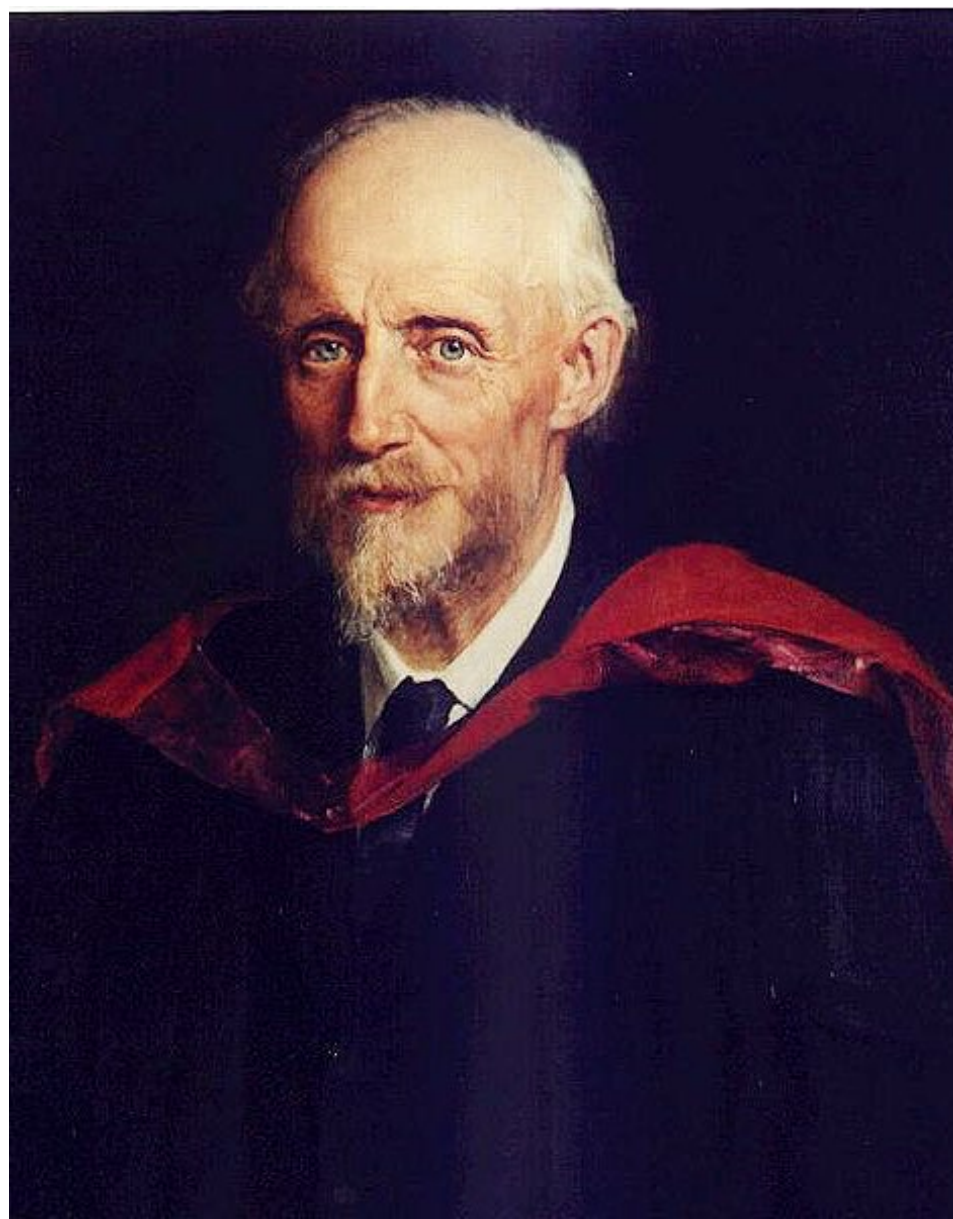
Andersen, K.H. et al., 2015. Annual Review of Materials Science, 8(1), pp. 150710224004001–241.



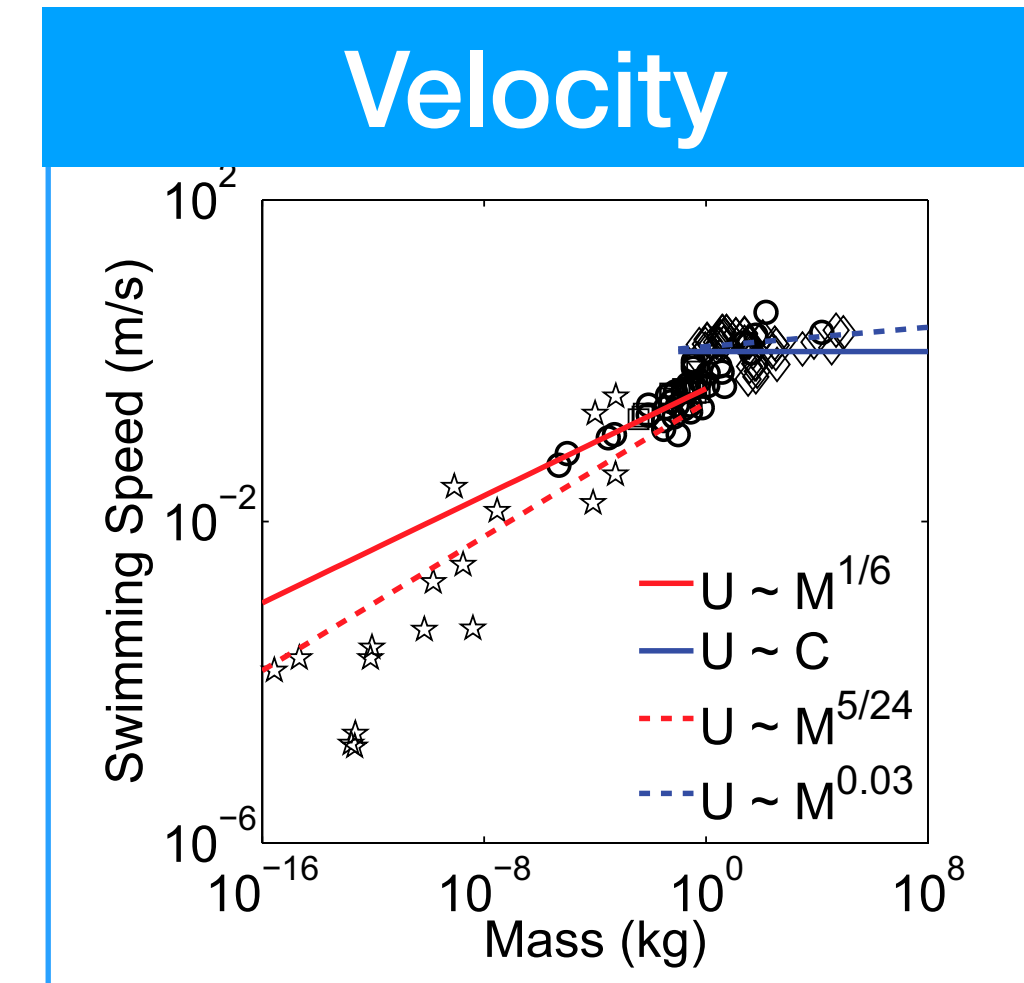
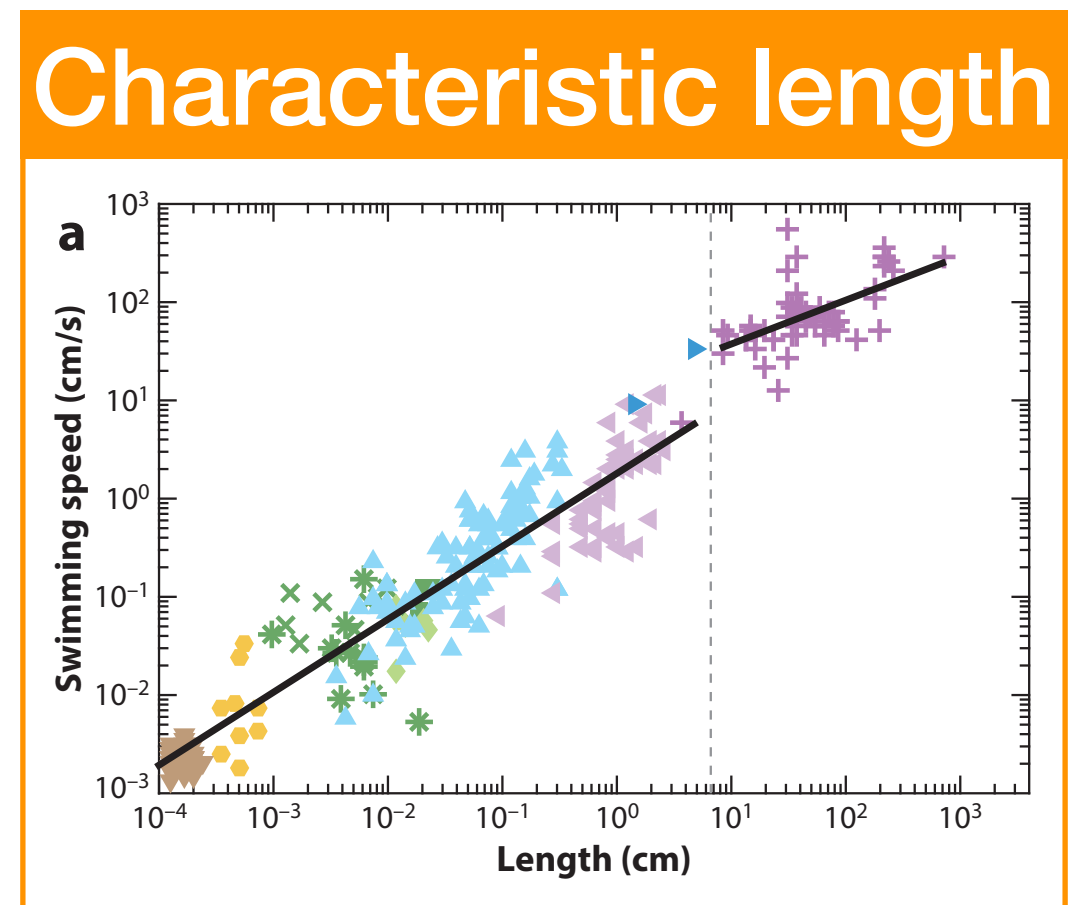
Bale, R. et al., 2014. PNAS, 111(21), pp.7517–7521.



Humphries, S., 2013. PNAS, 110(36), pp.14693–14698.



Reynolds number



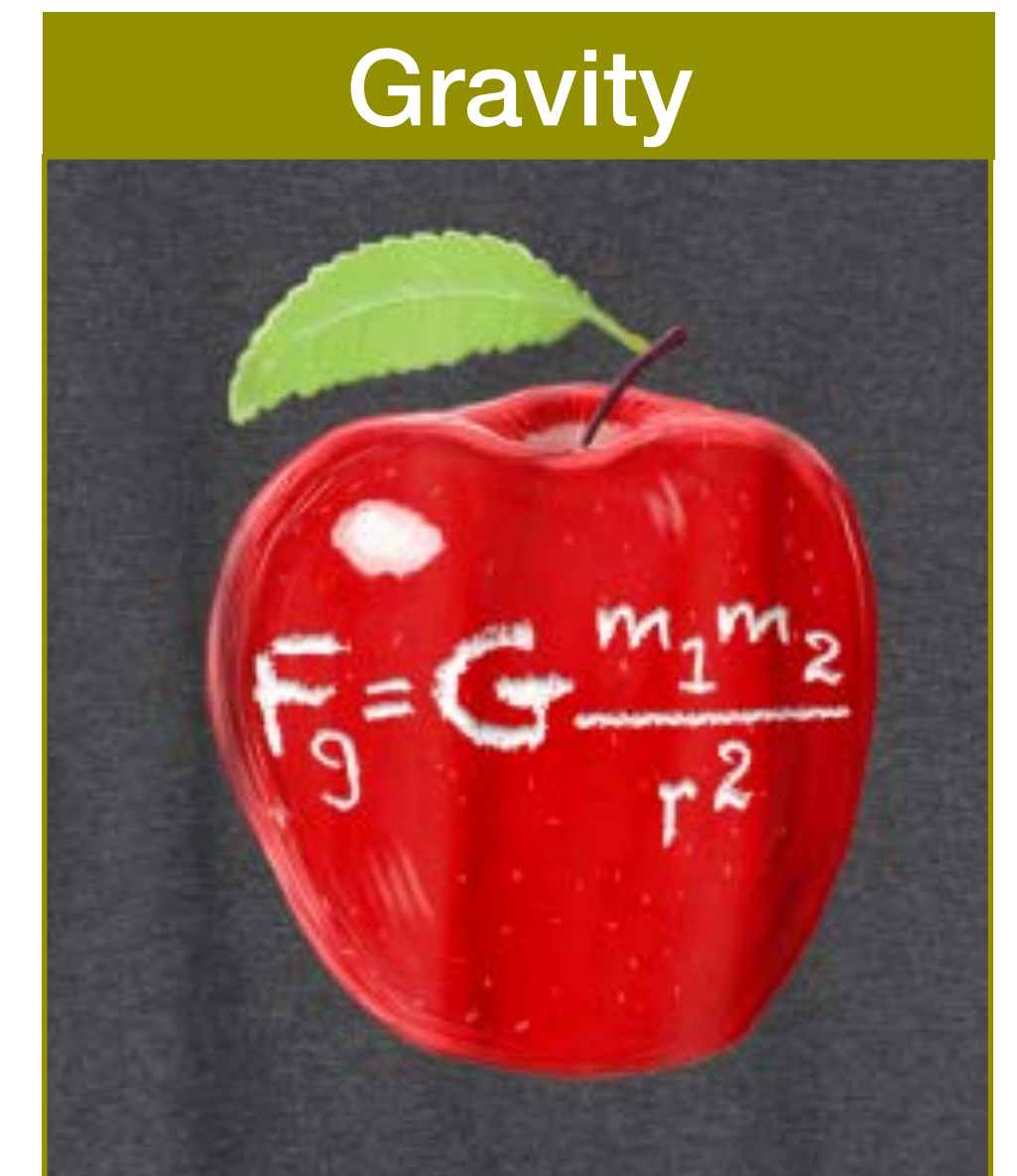
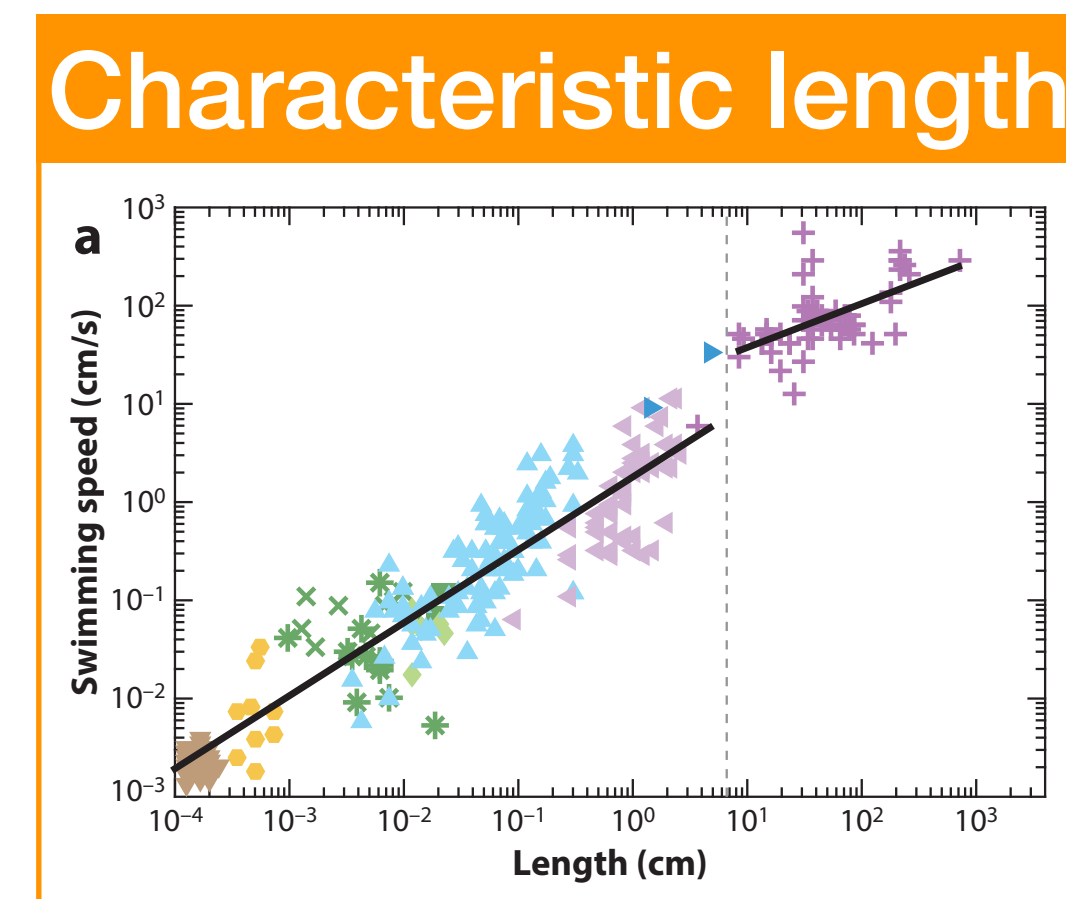
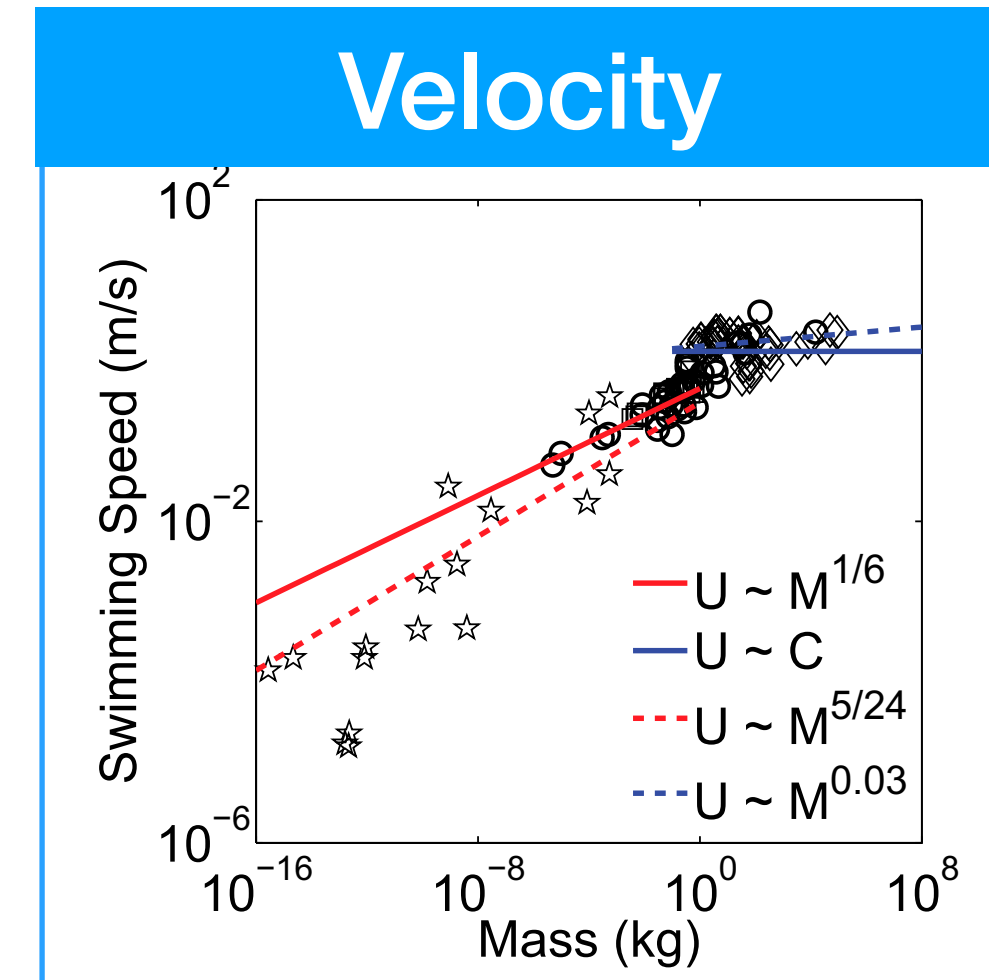
$$Re = \frac{\rho l U}{\mu} = \frac{l U}{\nu}$$



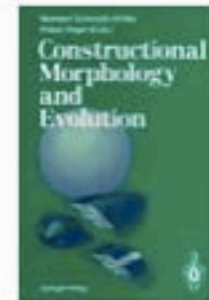


Froude number

$$Fr = \frac{U}{\sqrt{gl}}$$



Froude number



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Dynamic Similarity in the Analysis of Animal Movement

Authors

[Authors and affiliations](#)

R. McN. Alexander

Conference paper

6

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Summary

Dynamic similarity is a concept from physical science, related to the more familiar concept of geometric similarity. Two motions are dynamically similar if one could be made identical to the other by uniform changes of the scales of length, time and force. This chapter asks whether different-sized animals move in dynamically similar fashion.

Evolution, R.A.C.M.A.1991, Dynamic similarity in the analysis of animal movement. Springer.



Figure 1 An Asian elephant marked with dots for gait analysis.

AIR

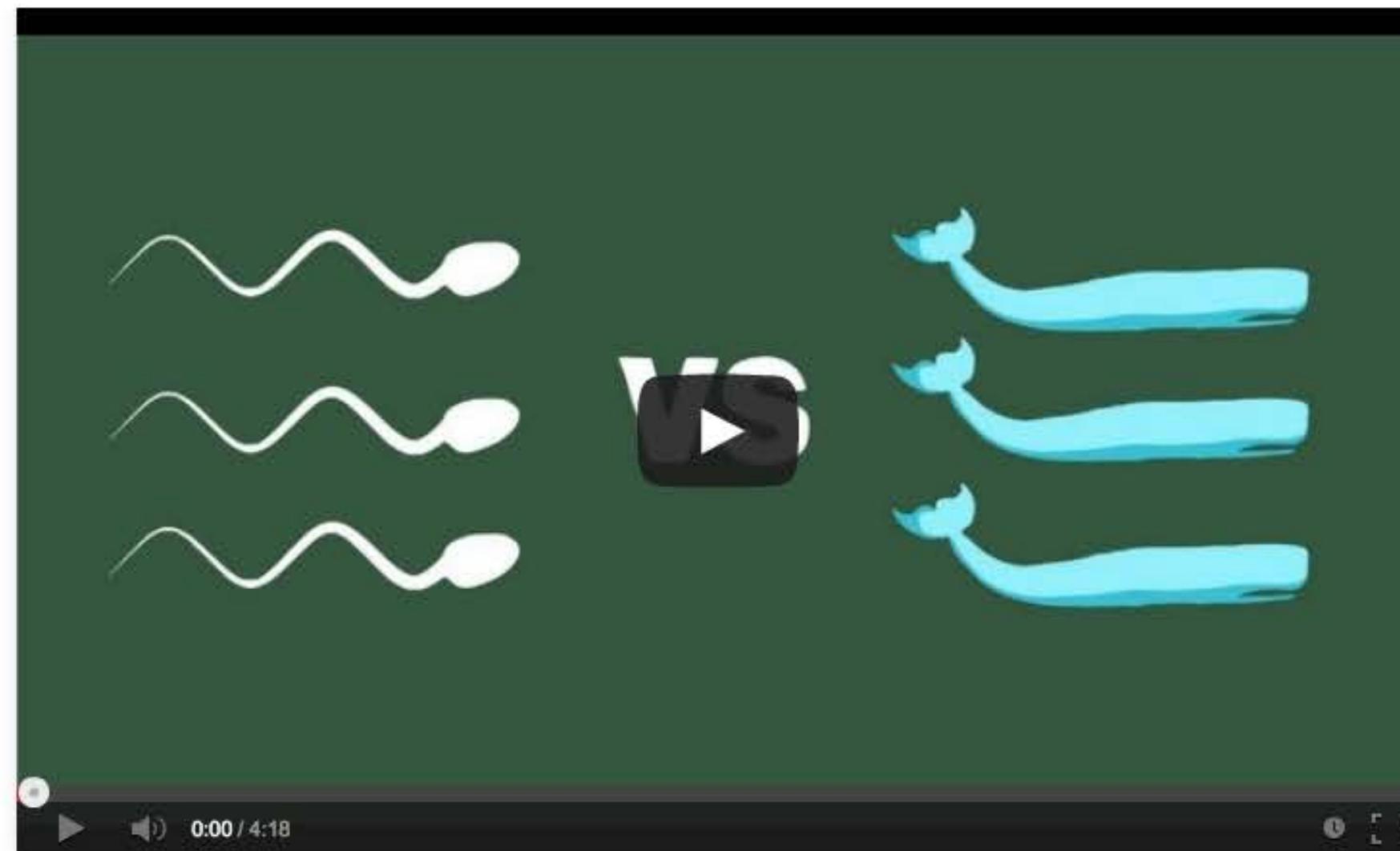
Hutchinson, J.R. et al., 2003. Biomechanics: Are fast-moving elephants really running? Nature, 422(6931), pp.493–494.

The physics of human sperm vs. the physics of the sperm whale - Aatish Bhatia

LESSON CREATED BY **STUART HUMPHRIES** USING **TED**Ed
VIDEO FROM **TED-Ed** YOUTUBE CHANNEL

Let's Begin...

Traveling is extremely arduous for microscopic organisms -- think of a human trying to swim in a pool made of...other humans. We can compare the journey of a sperm to that of a sperm whale by calculating the Reynolds number, a prediction of how fluid will behave, often fluctuating due to the size of the swimmer. Aatish Bhatia explores the great (albeit tiny) sperm's journey.



Watch

Think

Dig Deeper

...And Finally

Resources: handbook; ed.ted.com/on/KwQTKDKj