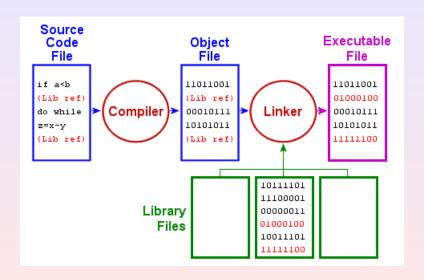
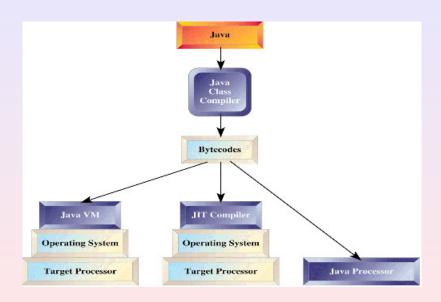


Short Notes on Compiler Construction

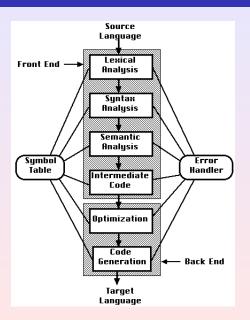
Compilation into native code



Compilation through an intermediate bytecode



Compilation phases



Lexical analysis

My open source Kitten compiler: https://github.com/HotMoka/Kitten

Lexical analysis

• input: textual source code

• output: sequence of tokens

• error: unknown token

Input: Kitten source code

```
class Led {
  field boolean state
  constructor() {}
  method void on()
    this.state := true
  method void off()
    this.state := false
  method boolean isOn()
    return this.state
  method boolean isOff()
   return !this.state
```

Output: sequence of tokens

```
CLASS from 0 to 4
ID(Led) from 6 to 8
LBRACE from 10 to 10
FIELD from 14 to 18
BOOLEAN from 20 to 26
ID(state) from 28 to 32
CONSTRUCTOR from 37 to 47
LPAREN from 48 to 48
RPAREN from 49 to 49
LBRACE from 51 to 51
RBRACE from 52 to 52
METHOD from 57 to 62
VOID from 64 to 67
ID(on) from 69 to 70
. . .
```

Old friends: Regular expressions

An alphabet Λ is a finite collection of symbols (characters)

Regular Expressions \mathcal{R} over Λ

- $\emptyset \in \mathcal{R}$ (empty set)
- $\varepsilon \in \mathcal{R}$ (empty string)
- $\Lambda \subseteq \mathcal{R}$ (single characters)
- if $r_1, r_2 \in \mathcal{R}$ then $r_1r_2 \in \mathcal{R}$ (sequence)
- if $r_1, r_2 \in \mathcal{R}$ then $r_1 | r_2 \in \mathcal{R}$ (union)
- if $r \in \mathcal{R}$ then $r^* \in \mathcal{R}$ (iteration)

A regular expression denotes a language

- $\mathcal{L}(\emptyset) = \emptyset$
- $\mathcal{L}(\varepsilon) = \{\varepsilon\}$
- $\mathcal{L}(a) = \{a\}$ for every $a \in \Lambda$
- $\mathcal{L}(r_1r_2) = \{s_1s_2 \mid s_1 \in \mathcal{L}(r_1) \text{ and } s_2 \in \mathcal{L}(r_2)\}$
- $\bullet \ \mathcal{L}(r_1|r_2) = \mathcal{L}(r_1) \cup \mathcal{L}(r_2)$
- $\mathcal{L}(r^*) = \{s_1 \cdots s_n \mid n \geq 0 \text{ and } s_i \in \mathcal{L}(r) \text{ for all } 0 \leq i \leq n\}.$

For instance

- then denotes the keyword {then}
- [a-zA-Z] [a-zA-Z0-9_] denotes the identifiers

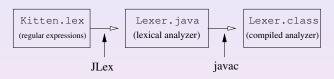
What you can <u>not</u> do with regular expressions

- you cannot define recursive languages
- you cannot count (match parentheses)

C, Java, Kitten source code is defined in a recursive way and is correct only if parentheses match

Building a lexical analyzer with JLex

https://www.cs.princeton.edu/~appel/modern/java/JLex/



Inside JLex

- $\mathbf{0}$ regular expressions \Rightarrow NFA
- \bigcirc NFA \Rightarrow DFA
- OFA ⇒ Lexer.java

Disambiguation rules

- longest match
- rule priority

Syntactical analysis

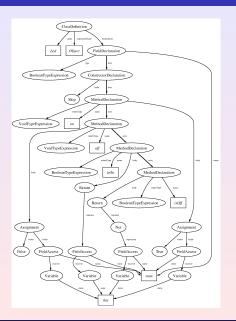
Syntactical analysis

- input: sequence of tokens
- output: abstract syntax tree
- error: syntax error

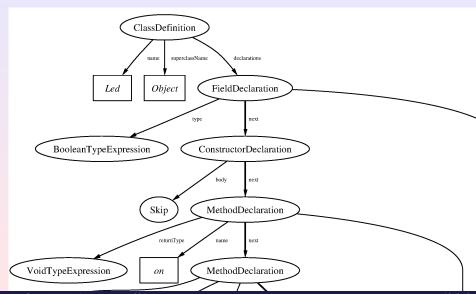
Input: sequence of tokens (yes, you have seen this already)

```
CLASS from 0 to 4
ID(Led) from 6 to 8
LBRACE from 10 to 10
FIELD from 14 to 18
BOOLEAN from 20 to 26
ID(state) from 28 to 32
CONSTRUCTOR from 37 to 47
LPAREN from 48 to 48
RPAREN from 49 to 49
LBRACE from 51 to 51
RBRACE from 52 to 52
METHOD from 57 to 62
VOID from 64 to 67
ID(on) from 69 to 70
```

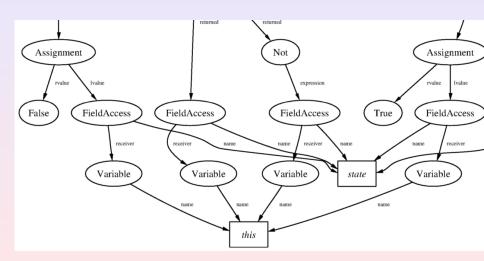
Abstract syntax tree



A closer look 1/2



A closer look 2/2



Context-free grammars

A context-free grammar over an alphabet Λ is a quadruple $\langle T, N, I, P \rangle$ where

- $T \subseteq \Lambda$ is a set of *terminals*
- N is a set of non-terminals
- $I \in N$ is the starting non-terminal
- P is a set of *productions*, that is, arrows such as $L \to \gamma$ where $L \in N$ and $\gamma \in (T \cup N)^*$.

For instance:

$$T = \{a,b\}$$

$$N = \{I\}$$

$$P = \{I \rightarrow \varepsilon, I \rightarrow a/b\}$$

Derivations

Given $G = \langle T, N, I, P \rangle$ we say that β is derived in G in a step from α iff there is $L \to \gamma \in P$ such that $\alpha = \eta L \delta$ and $\beta = \eta \gamma \delta$. We write it as $\alpha \Rightarrow \beta$. A derivation for G is a sequence of steps $\alpha \Rightarrow \beta_1 \Rightarrow \beta_2 \dots$

For instance:

$$ab/b \Rightarrow aba/bb$$
 $aba/bb \Rightarrow ababb$
 $I \Rightarrow a/b$
 $I \Rightarrow^* I$
 $ab/b \Rightarrow^* ababb.$

Language of a grammar

Given a grammar G on an alphabet Λ , its language L(G) is

$$L(G) = \{ \alpha \text{ ground } | I \Rightarrow^* \alpha \}.$$

For instance, for the previous example of grammar:

$$L(G) = \{a^n b^n \mid n \ge 0\}.$$

Parse trees

- A parse tree for $G = \langle T, N, I, P \rangle$ is a tree such that
 - **1** its nodes are labeled with an element from N or from T or with ε ;
 - 2 its root is labeled with I
 - $oldsymbol{3}$ its leaves are labeled with elements from $\mathcal T$ or with arepsilon
 - for every node labeled with L and its children labeled with e_1, \ldots, e_n (left-to-right) we have $L \to e_1 \cdots e_n \in P$.

The frontier of the tree is the string derived by the tree from its root.

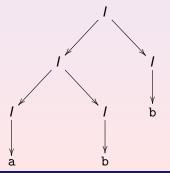
A parse tree stands for more derivations, by abstracting away the order or replacement of the non-terminals

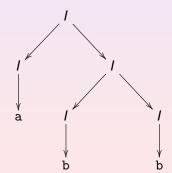
Ambiguity 1/2

Consider the grammar

$$I \to \varepsilon$$
 $I \to a$
 $I \to b$
 $I \to II$

It admits two parse trees for the same word abb:





Ambiguity 2/2

Why ambiguity is bad

- Ambiguity means that the same word can be given two structures, that is, potentially, two distinct interpretations
- With an ambiguous grammar, a compiler does not know which is the right interpretation of a program
- In a perfect world, grammars should be non-ambiguous but this often entails that they become complex and innatural
- We will give a concrete example later

Recursive descent parsing

```
\begin{array}{ll} \textit{I} \rightarrow \textit{com} \$ & \textit{exp} \rightarrow \texttt{INTEGER} \\ \textit{com} \rightarrow \textit{exp} \ \texttt{ASSIGN} \ \texttt{INTEGER} & \textit{exp} \rightarrow \texttt{ID} \\ & \textit{exp} \rightarrow \texttt{MINUS} \ \textit{exp} \end{array}
```

We can implement it with a recursive descent parser:

```
public void parse() { parseI(); }
private void parseI() { parseCom(); eat(EOF); }
private void parseCom() { parseExp(); eat(ASSIGN); eat(INTEGEI)
private void parseExp() {
   switch (lookahead) {
    case ID: eat(ID); break;
    case INTEGER: eat(INTEGER); break;
   case MINUS: eat(MINUS); parseExp();
   default: syntax_error(lookahead);
}
```

When does recursive descent parsing fail?

Recursive descent parsing fails

- when the first token is not enough to distinguish two productions for the same non-terminal
- when the grammar is left-recursive

For instance it fails for:

$$I \rightarrow A$$
\$

$$A o \mathtt{a}$$

$$A o A$$
a

In practice, it fails for the grammars of all sensible programming languages

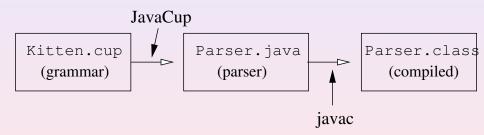
LR parsing

LR parsing uses a stack automaton to remember what has already been seen during parsing and which are the possible productions that we can use in the future, depending on the input token that will get processed by the compiler:

- details are long and boring: see any compilers book
- the construction of the parser is automatic from the grammar
- a special case of LR parsing is the standard approach for compiler construction
- it will anyway fail for ambiguous grammars

Automatic parser generation with JavaCup

http://www2.cs.tum.edu/projects/cup/



The grammar of Kitten for JavaCup: types

```
type ::=
   ID
   | BOOLEAN
   | INT
   | FLOAT
   | ARRAY OF type ;

typeplus ::=
   type
   | VOID ;
```

The grammar of Kitten for JavaCup: leftvalues and expressions

```
lvalue ::=
   TD
                                // variable
 | exp DOT ID
                                // a field of an object
 exp LBRACK exp RBRACK;
                                // an element of an array
exp ::=
   lvalue
                                // a leftvalue
                                // literals...
  TRUE
  FALSE
  TNTEGER.
  FI.OATTNG
  STRING
  NTI.
  NEW ID LPAREN expseq RPAREN // object creation
  NEW type LBRACK exp RBRACK
                                // array creation
```

The grammar of Kitten for JavaCup: more expressions

```
| exp AS type
                                   // cast into type
exp PLUS exp
                                   // arithmetic....
exp MINUS exp
                                   // AMBIGUITY
| exp TIMES exp
exp DIVIDE exp
| MINUS exp
                                   // unary minus
exp LT exp
                                   // comparisons...
 exp LE exp
                                   // AMBIGUITY
exp GT exp
| exp GE exp
| exp EQ exp
| exp NEQ exp
| exp AND exp
                                   // logical operations...
 exp OR exp
                                   // AMBIGUITY
 NOT exp
 exp DOT ID LPAREN expseq RPAREN // method call
| LPAREN exp RPAREN ;
                                   // parentheses
```

The grammar of Kitten for JavaCup: resolving the ambiguity

Ambiguity can be resolved with a non-ambiguous grammar (complex, innatural) or with *precedence and associativity* rules:

```
precedence left AND, OR;
precedence left NOT;
precedence nonassoc EQ, NEQ, LT, LE, GT, GE;
precedence left PLUS, MINUS;
precedence left TIMES, DIVIDE;
precedence left UMINUS;
```

The grammar of Kitten for JavaCup: commands

```
command ::=
  lvalue ASSIGN exp // assignment
 | type ID ASSIGN exp // variable declaration
  R.F.TUR.N
                 // return from void method
 RETURN exp // return from non-void method
 | IF LPAREN exp RPAREN THEN command // conditionals...
 | IF LPAREN exp RPAREN THEN command ELSE command
 | WHILE LPAREN exp RPAREN command // while loop
 | FOR LPAREN command SEMICOLON exp
    SEMICOLON command RPAREN command // for loop
 | LBRACE statements RBRACE // local scope
 exp DOT ID LPAREN expseq RPAREN; // method call, again!
```

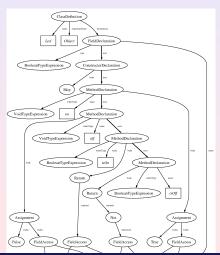
The grammar of Kitten for JavaCup: classes

```
class ::=
   CLASS ID LBRACE class_members RBRACE
   | CLASS ID EXTENDS ID LBRACE class_members RBRACE;

class_members ::=
   | FIELD type ID class_members
   | CONSTRUCTOR LPAREN formals RPAREN command
        class_members
   | METHOD typeplus ID LPAREN formals RPAREN command
        class_members;
```

Building the abstract syntax

Given a grammar and a program, JavaCup checks that the program agrees with the grammar, otherwise it issues a syntax error. However, we want more: we want to build the *abstract syntax tree* of the program:



Semantical actions

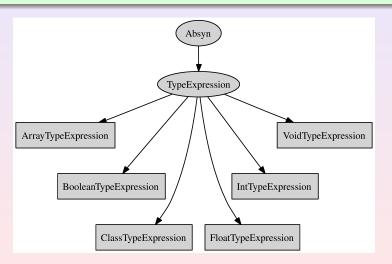
JavaCup allows one to specify *semantical actions* that are fired when a derivation is used in a parse tree. We will use this possibility to build the syntax, recursively

Semantical actions for types

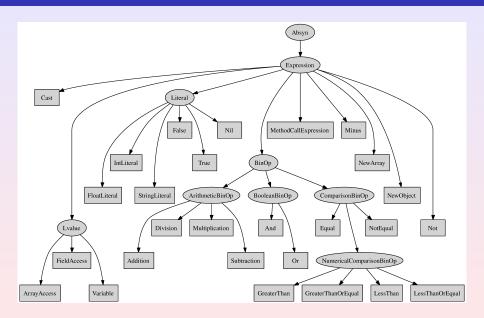
```
type ::=
  TD
  BOOLEAN
  INT
 | FLOAT
 | ARRAY OF type ;
become
type ::=
   ID:id {: RESULT = new ClassTypeExpression(idleft, id);
 | BOOLEAN:b {: RESULT = new BooleanTypeExpression(bleft); :}
 | INT:i \{: RESULT = new IntTypeExpression(ileft); :}
 | FLOAT:f \ \{: RESULT = new FloatTypeExpression(fleft); :\}
 | ARRAY:a OF type:t
   {: RESULT = new ArrayTypeExpression(aleft, t); :};
```

Classes for the abstract syntax: types

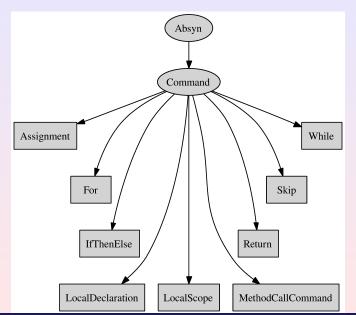
The classes for the abstract syntax are organized into a hierarchy, so that it will be simpler to share code among them in the future



Classes for the abstract syntax: expressions



Classes for the abstract syntax: commands



Semantical analysis

Semantical analysis

- input: abstract syntax tree
- output: annotated abstract syntax tree
- error: type error, unreachable code...

Why do we need a semantical analysis phase?

Grammars do not check for

- type consistency
- undeclared variables
- deadcode
- using the return value of a void method
- . . .

The simplest implementation of those checks/inferences is through inductive definitions, that automatically translate into Java code that descends on the abstract syntax tree, recursively

Deadcode identification

```
while (x > 0) {
   x := x - 1;
   return;
   y := y + 1 <- a warning should be issued here
}</pre>
```

 $command \vdash^{cdc} Boolean$

 $command \vdash^{cdc} true$ means that the execution of command definitely ends with the last command(s) of command.

Deadcode rules

 ${\tt Assignment(lvalue,rvalue)} \vdash^{\sf cdc} {\it false}$

then
$$\vdash^{\mathsf{cdc}} b_1$$
 else $\vdash^{\mathsf{cdc}} b_2$

 $\texttt{IfThenElse}(\texttt{condition}, \texttt{then}, \texttt{else}) \vdash^{\mathsf{cdc}} b_1 \wedge b_2$

$$\frac{\text{if } com_1 \vdash^{\text{cdc}} true \text{ issue a warning } com_2 \vdash^{\text{cdc}} b}{com_1; com_2 \vdash^{\text{cdc}} b}$$

 $\frac{\text{body} \vdash^{\mathsf{cdc}} b}{\mathsf{While}(\mathsf{condition}, \mathsf{body}) \vdash^{\mathsf{cdc}} \mathit{false}}$

Type inference and checking 1/4

```
\rho \vdash expression : type
```

$$\frac{\rho(\textit{name}) \text{ is defined}}{\rho \vdash \texttt{Variable}(\textit{name}) : \rho(\textit{name})}$$

```
\frac{\rho \vdash \textit{receiver} : \kappa \quad \kappa \in \texttt{ClassType}}{\textit{field} = \kappa.\texttt{fieldLookup}(\textit{name}) \quad \textit{field} \neq \texttt{null}} \\ \frac{\rho \vdash \texttt{FieldAccess}(\textit{receiver}, \textit{name}) : \textit{field}.\texttt{getType}()}{}
```

```
\frac{\rho \vdash \textit{array} : t \quad t \in \texttt{ArrayType} \quad \rho \vdash \textit{index} : \texttt{INT}}{\rho \vdash \texttt{ArrayAccess}(\textit{array}, \textit{index}) : t.\texttt{getElementsType}()}
```

Type inference and checking 2/4

```
\rho \vdash \text{Nil}() : \text{NIL}
\rho \vdash \mathtt{False}() : \mathtt{BOOLEAN}
                                            \rho \vdash \mathsf{True}() : \mathsf{BOOLEAN}
         \rho \vdash IntLiteral():INT
                                                       \rho \vdash \texttt{FloatLiteral()} : \texttt{FLOAT}
             \rho \vdash StringLiteral(value) : ClassType.mk(STRING)
        \rho \vdash expression : BOOLEAN
                                                            \rho \vdash expression : t \quad t \leq \texttt{FLOAT}
                                                                \rho \vdash \text{Minus}(expression) : t
   \rho \vdash \text{Not(expression)} : \text{BOOLEAN}
```

 $\frac{\textit{intoType} = \tau[\![\textit{type}]\!] \quad \rho \vdash \textit{expression}: \textit{fromType} \quad \textit{intoType} < \textit{fromType}}{\rho \vdash \texttt{Cast}(\textit{type}, \textit{expression}): \textit{intoType}}$

Type inference and checking 3/4

```
ClassType.mk(className) = \kappa \quad \rho \vdash actuals : \vec{\tau}
                  \kappa.constructorsLookup(\vec{\tau}) = {constructor}
                      \rho \vdash \text{NewObject}(className, actuals) : \kappa
                        \rho \vdash elementsType : t \quad \rho \vdash size : INT
            \rho \vdash \text{NewArray}(elementsType, size) : ArrayType.mk(t)
                         \rho \vdash receiver : \kappa \quad \kappa \in \texttt{ClassType} \quad \rho \vdash actuals : \vec{\tau}
\kappa.methodsLookup(name,\vec{\tau}) = {method} r = method.getReturnType()
                    \rho \vdash MethodCallExpression(receiver, name, actuals) : r
            \rho \vdash left : t_l \quad \rho \vdash right : t_r \quad t_l \leq FLOAT \quad t_r \leq FLOAT
   \rho \vdash ArithmeticBinOp(left, right) : t_l.leastCommonSupertype(t_r)
            \rho \vdash left : t_l \quad \rho \vdash right : t_r \quad (either \ t_l \leq t_r \ or \ t_r \leq t_l)
```

 $\rho \vdash \text{Equal}(\textit{left}, \textit{right}) : \text{BOOLEAN}$

Type inference and checking 4/4

```
t = \tau \llbracket type \rrbracket \quad \rho \vdash initialiser : i \quad i < t
        \rho \vdash \texttt{LocalDeclaration}(\textit{type}, \textit{name}, \textit{initialiser}) : \rho[\textit{name} \mapsto t]
                        \rho \vdash lvalue : t_l \quad \rho \vdash rvalue : t_r \quad t_r \leq t_l
                           \rho \vdash Assignment(lvalue, rvalue) : \rho
          \rho \vdash \text{IfThenElse}(condition, then, else) : \rho
expression \neq null \rho \vdash expression : t it is in a method that returns r \geq t
                                  \rho \vdash \text{Return}(expression) : \rho
                    \rho \vdash condition : Type.BOOLEAN \quad \rho \vdash body : \rho'
                             \rho \vdash \text{While}(condition, body) : \rho
```

Intermediate code generation

Generation of the intermediate Kitten bytecode

- input: annotated abstract syntax tree
- output: Kitten bytecode

Why not Java bytecode instead?

- JB is too low level
- JB is only implicitly typed
- JB uses integers for Booleans
- JB has many optimized variants of the same instruction
- ٥

Intermediate code generation

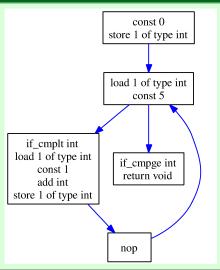
Intermediate Kitten bytecode

```
Led():
  return void
on():
  load 0 of type Led
  const true
  putfield Led.state
  return void
off():
  load 0 of type Led
  const false
  putfield Led.state
  return void
```

isOn(): load 0 of type Led getfield Led.state return boolean isOff(): load 0 of type Led getfield Led.state neg boolean return boolean

Intermediate code generation

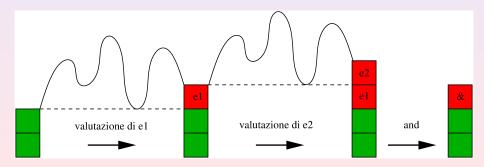
Intermediate Kitten bytecode: loops



Intermediate code generation for expressions 1/3

- leave the original stack untouched
- 2 push on top the value of the expression

For instance, the evaluation of $(e_1 \text{ and } e_2)$ looks like:



Intermediate code generation for expressions 2/3

$$\gamma \llbracket \mathsf{True}() \rrbracket (\beta) = \boxed{\mathsf{const} \; \mathsf{true}} \to \beta$$

$$\gamma \llbracket \mathsf{Variable}(\mathit{name}) \rrbracket (\beta) = \boxed{\mathsf{load} \; \mathit{num} \; \mathsf{of} \; \mathsf{type} \; \tau} \to \beta$$

$$\gamma \llbracket \mathsf{And}(\mathit{left}, \mathit{right}) \rrbracket (\beta) = \gamma \llbracket \mathit{left} \rrbracket \left(\gamma \llbracket \mathit{right} \rrbracket \left(\boxed{\mathsf{and}} \to \beta \right) \right)$$

$$\gamma \llbracket \mathsf{FieldAccess}(\mathit{receiver}, \mathit{name}) \rrbracket (\beta) = \gamma \llbracket \mathit{receiver} \rrbracket \left(\boxed{\mathsf{getfield} \; \mathit{field}} \to \beta \right)$$

$$\gamma \llbracket \mathsf{ArrayAccess}(\mathit{array}, \mathit{index}) \rrbracket (\beta)$$

$$= \gamma \llbracket \mathit{array} \rrbracket \left(\gamma \llbracket \mathit{index} \rrbracket \left(\boxed{\mathsf{arrayload} \; \mathsf{from} \; \mathsf{array} \; \mathsf{of} \; \tau} \to \beta \right) \right)$$

Intermediate code generation for expressions 3/3

$$\gamma \llbracket \texttt{Cast(type, expression)} \rrbracket (\beta) = \gamma \llbracket \texttt{expression} \rrbracket \left(\boxed{\texttt{cast from } \tau' \texttt{ into } \tau} \to \beta \right)$$

$$\gamma \llbracket \texttt{Addition}(\textit{left}, \textit{right}) \rrbracket (\beta) = \gamma^\tau \llbracket \textit{left} \rrbracket \left(\gamma^\tau \llbracket \textit{right} \rrbracket \left(\boxed{\texttt{add } \tau} \to \beta \right) \right)$$

$$\begin{split} \gamma \llbracket \texttt{MethodCallExpression}(\textit{receiver}, \textit{name}, \textit{actuals}) \rrbracket \\ &= \gamma \llbracket \textit{receiver} \rrbracket \left(\gamma^{\vec{t}} \llbracket \textit{actuals} \rrbracket \left(\boxed{\texttt{virtualcall method}} \rightarrow \beta \right) \right) \end{split}$$

$$\gamma \llbracket \texttt{NewObject}(\textit{className}, \textit{actuals}) \rrbracket (\beta)$$

$$= \boxed{ \begin{array}{c|c} \text{new } \kappa \\ \text{dup } \kappa \end{array}} \to \gamma^{\vec{t}} \llbracket \textit{actuals} \rrbracket \left(\boxed{\texttt{constructorcall } \textit{con}} \to \beta \right)$$

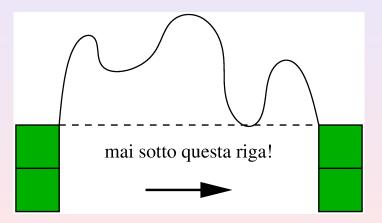
Intermediate code generation for Boolean expressions

$$\gamma^{\textit{test}} \llbracket \textit{exp} \rrbracket (\beta_{\textit{true}}) (\beta_{\textit{false}}) = \gamma \llbracket \textit{exp} \rrbracket \left(\boxed{\texttt{nop}} \ \langle \begin{array}{c} \texttt{if_true} \\ \hline \texttt{if_false} \end{array} \right) \rightarrow \beta_{\textit{false}} \right)$$

Passive compilation of leftvalues

Intermediate code generation for the commands 1/2

1 leave the original stack untouched



Intermediate code generation for the commands 2/2

$$\gamma \llbracket \mathtt{Skip}() \rrbracket(\beta) = \beta \qquad \gamma \llbracket \mathtt{LocalScope}(\mathit{body}) \rrbracket(\beta) = \gamma \llbracket \mathit{body} \rrbracket(\beta)$$

$$\gamma \llbracket \texttt{IfThenElse}(\textit{cond}, \textit{then}, \textit{else}) \rrbracket (\beta) = \gamma^{\textit{test}} \llbracket \textit{cond} \rrbracket (\gamma \llbracket \textit{then} \rrbracket (\beta)) (\gamma \llbracket \textit{else} \rrbracket (\beta))$$

$$\gamma \llbracket \texttt{Assignment}(\textit{Ivalue}, \textit{rvalue}) \rrbracket (\beta) = \gamma^{\textit{passive}} \llbracket \textit{Ivalue}, \textit{rvalue} \rrbracket (\beta)$$

$$\gamma \llbracket \texttt{While}(\textit{cond}, \textit{body}) \rrbracket (\beta) = \underbrace{\texttt{nop}}_{\textit{pivot}} \rightarrow \gamma^{\textit{test}} \llbracket \textit{cond} \rrbracket (\gamma \llbracket \textit{body} \rrbracket (\textit{pivot})) (\beta)$$

Java bytecode generation

Generation of the object Java bytecode

- input: Kitten bytecode
- output: Java bytecode
- each Kitten bytecode is translated into one or more Java bytecodes, exploiting potential optimized variants
- each block of Kitten bytecodes becomes a sequential snippet of Java bytecodes
- such snippets are flattened into a linear sequence of Java bytecodes, by adding goto's
- everything is finally packaged into class files
- a Java bytecode manipulation library such as BCEL does most of the work: http://commons.apache.org/proper/commons-bcel

Security guarantees of the Java bytecode

A controlled low-level language

- code cannot be modified at runtime ⇒ no metamorphic code
- at each given program point, number and static types of stack elements and local variables are fixed and statically known, for all possible execution paths ⇒ strong types, you cannot blow up the stack
- casts are checked ⇒ you cannot pretend that a frog is a prince
- unitialized local variables cannot be used ⇒ you cannot exploit stale values
- new objects cannot be used before calling one of their constructors ⇒ you cannot forge raw data
- all jumps go to static targets, inside the same method ⇒ you cannot dynamically build your jump targets

Identical constraints hold for the Dalvik Android bytecode