

**The math module is one of the most important modules in Python. This module provides extensive functionality for working with numbers.**

**math.ceil(X)** - Rounding up to the next higher number.

**math.copysign(X, Y)** - returns a number that has the same modulus as X, and the same sign as Y.

**math.fabs(X)** - modulo X.

**math.factorial(X)** - factorial of X.

**math.floor(X)** - round down.

**math.fmod(X, Y)** - remainder after dividing X by Y.

**math.frexp(X)** - Returns the mantissa and exponent of a number.

**math.ldexp(X, I)** -  $X * 2^I$ . The inverse of **math.frexp()**.

**math.fsum(sequence)** - the sum of all members of the sequence. Equivalent to the built-in **sum()** function, but **math.fsum()** is more accurate for floating point numbers.

**math.isfinite(X)** - is X a number.

**math.isinf(X)** - is X infinity.

**math.isnan(X)** - is X NaN (Not a Number - not a number).

**math.modf(X)** - returns the fractional and integer part of the number X. Both numbers have the same sign as X.

**math.trunc(X)** - truncates the value of X to an integer.

**math.exp(X)** -  $e^X$ .

**math.expm1(X)** -  $e^X - 1$ . As  $X \rightarrow 0$ , more accurate than **math.exp(X)-1**.

**math.log(X, [base])** - logarithm of X to base base. If base is not specified, the natural logarithm is calculated.

**math.log1p(X)** is the natural logarithm of  $(1 + X)$ . As  $X \rightarrow 0$ , it is more accurate than **math.log(1+X)**.

**math.log10(X)** - base 10 logarithm of X.

**math.log2(X)** - base 2 logarithm of X. **math.pow(X,**

**Y)** -  $X^Y$ .

**math.sqrt(X)** is the square root of X.

**math.acos(X)** is the arc cosine of X. In

radians. **math.asin(X)** - arcsine of X. In

radians.

**math.atan(X)** - arc tangent of X. In radians.

**math.atan2(Y, X)** - arc tangent of Y/X. in radians. Given the quarter in which the point (X, Y) is located.

**math.cos(X)** - cosine of X (X is specified in radians).

**math.sin(X)** - the sine of X (X is specified in radians).

**math.tan(X)** - tangent of X (X is specified in radians).

**math.hypot(X, Y)** - calculates the hypotenuse of a triangle with legs X and Y ( $\text{math.sqrt}(x^2 + y^2)$ ).

**math.degrees(X)** - Converts radians to degrees.

**math.radians(X)** - Converts degrees to radians.

**math.cosh(X)** - calculates the hyperbolic cosine.

**math.sinh(X)** - Calculates the hyperbolic sine.

**math.tanh(X)** - calculates the hyperbolic tangent.

**math.acosh(X)** - Calculates the inverse hyperbolic cosine.

**math.asinh(X)** - Calculates the inverse hyperbolic sine. **math.atanh(X)** -

Calculates the inverse hyperbolic tangent. **math.erf(X)** - error function.

**math.erfc(X)** - additional error function ( $1 - \text{math.erf}(X)$ ).

**math.gamma(X)** is the gamma function of X.

**math.lgamma(X)** is the natural logarithm of the gamma function X.

**math.pi**-  $\pi = 3.1415926\dots$

**math.e**-  $e = 2.718281\dots$

## Independent work

Write a program that would evaluate the given arithmetic expression given the given variables. Variables are entered from the keyboard. Output the result with 2 decimal places.

1)

$$S = \frac{(a^2 + b)h}{2(a - b) + 4}$$

2)

$$H = \frac{\sqrt{\cos 2y + \sin 4y + \sqrt{e^x + e^{-x}}}}{(e^{-x} + e^x)^3 (\sin 4y + \cos 2y - 2)^2}$$

3)

1)	$(x^{x^y})^x + x^{x^y} - x^4$	при $x = 2, y = 1$
2)	$\sqrt[3]{ \operatorname{ctg} y + 6 } + \sqrt{\frac{(x+1)^3}{4y-2z}}$	при $x = 1, y = 4, z = 3$
3)	$\frac{5xy}{x^3-4} + \exp(x^2) + \sqrt{\cos^2 y - y^2}$	при $x = 3, y = 0.2$
4)	$\sqrt{ y } + \frac{\operatorname{arctg}^3 \ln x}{x^y - y + 1}$	при $x = 3, y = 5$
1)	$4^{xy} - x^{yz} + (xy)^z$	при $x = 3, y = 1, z = 2$
2)	$\frac{4 x  - xyz^2}{x + \exp(yx) - 2yz}$	при $x = 2, y = 2, z = 1$
3)	$\sqrt[5]{\frac{1-x+\operatorname{arctg}(x-7y)}{4xz-\ln^2 y}}$	при $x = 0.8, y = 0.1, z = 4$
4)	$\frac{2 \cdot 3 \cdot 4}{\sin^3 x + \operatorname{tg}^3 y} - \sqrt{z^{x-y}}$	при $x = 3, y = 1, z = 3$
1)	$\frac{\ln(x-3)^4 + 2^x \sin^2 3x}{4x-5.2}$	при $x = 4$
2)	$\sqrt{0.6xyz} + (y^x)^2 - \exp(\sin 2x^2)$	при $x = 2, y = 2, z = 1$
3)	$\frac{\arcsin x^3 - 6}{8(\cos 4y - \sin 4x)}$	при $x = 0.5, y = 2$
4)	$\frac{ \ln x^3  + \exp(2x)}{x + 3.4} - \operatorname{ctg}^3 \frac{3}{xyz}$	при $x = 2, y = 1, z = 3$

## 2. Find the area and perimeter of a right triangle given two legs.

The area of a right triangle is equal to half the area of a rectangle whose sides are equal to the lengths of the legs.

The perimeter is found by adding the lengths of all sides of a triangle. Since only the legs are known, the hypotenuse is calculated using the Pythagorean theorem:

$$c^2 = a^2 + b^2$$

To calculate the square root in Python, you can use the `sqrt()` function from the `math` module.

## 3. Find the roots of a quadratic equation

The quadratic equation is  $ax^2 + bx +$

$$c = 0$$

When solving it, the discriminant is first calculated by the formula  $D = b^2$

$$- 4ac$$

If  $D > 0$ , then the quadratic equation has two roots; if  $D = 0$ , then 1 root; and if  $D < 0$ , then they conclude that there are no roots.

Thus, a program for finding the roots of a quadratic equation can have three branches of the conditional operator.

The `float()` function converts the argument passed to it to a real number.

## 4. Find the area of a rectangle, triangle or circle

Depending on what the user chooses, calculate the area of either a rectangle, a triangle, or a circle. If a rectangle or triangle is selected, then it is necessary to request the lengths of the sides, if a circle, then its radius.

The area of the triangle is calculated by the Heron formula:

$$S = \sqrt{p(p-a)(p-b)(p-c)}$$

, where  $p$  is a semiperimeter,  $a$ ,  $b$ ,  $c$  are the lengths of the sides. The half-meter is equal to half of the perimeter, that is, half of the sum of the sides.

The area of a rectangle is equal to the product of its sides. The area of the circle is calculated by the formula  $S = \pi r^2$ .