Fully Abstract Trace Semantics for Low-level Isolation Mechanisms

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Outline

- 1 Low-level Isolation Mechanisms: PMA
- Reasoning about PMA
- 3 A Fully Abstract Trace Semantics

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- can be exploited to enforce a control-flow safe execution of C code [APJ14]

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Let's see an example of PMA in action

```
call 0xb53
0 \times 0001
0x0002
           movs r_0 0x0b55
0x0b52
           movs r_0 0x0b55
           call 0x0002
0x0b53
0x0b54
           movs r_0 0x0001
0x0b55
0xab00
           jmp 0xb53
0xab01
```

memory space

```
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           call 0xb53
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           movs r_0 0x0b55
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           movs r_0 0x0b55
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           call 0x0002
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           imp 0xb53
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- memory space
- protected module = protected memory

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             call 0xb53
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0x0b53
             call 0x0002
0 \times 0 \text{ b} 54
             movs r_0 0x0001
0x0b55
             . . .
0xab00
             imp 0xb53
0xab01
```

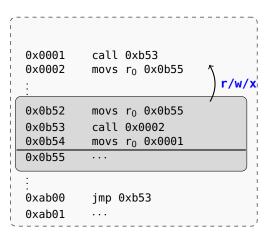
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- split in code and data

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0 \times 0001
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0 \times 0 h 53
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                                           r/w
0 \times 0 \text{ b} 54
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0x0b55
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```

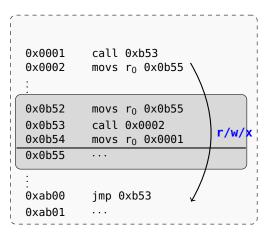
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- protected code is unrestricted

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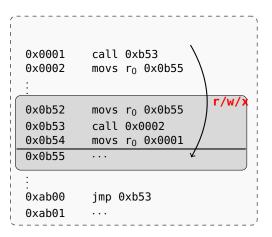
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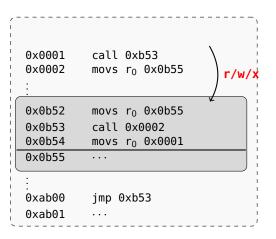
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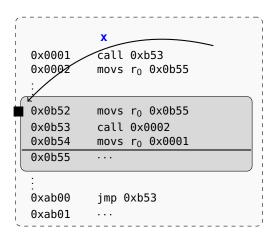
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            call 0xb52
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0x0b52
            movi r_0 1
0x0b53
            movi r_1 0x0b56
            jl r_1
0x0b54
0x0b55
            call 0xab01
0x0b56
            ret
0xab01
```

 to reason about this code we use contextual equivalence

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- Formally $P_1 \simeq P_2 \triangleq \\ \forall \mathbb{C}. \ \mathbb{C}[P_1] \Uparrow \iff \mathbb{C}[P_2] \Uparrow$
- contexts are complex to reason about (but very precise)

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• traces are simpler [JR05]

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- traces are simpler [JR05]
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- traces rely only on the PMA code
- they describe what can be observed from the outside of protected PMA code

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$$\mathsf{TR} = \left\{ \alpha = \left\{ \begin{matrix} \overset{i}{\rightarrow}; \\ \mathsf{call} \ \mathsf{p} \ \overline{\mathsf{r}} \\ \mathsf{ret} \ \mathsf{r}_{\mathsf{0}} \end{matrix} \right\}; \right\}$$

formalism to reason about PMA code simply:

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 - \odot registers besides r_0 in ret as well

Fully abstract trace semantics

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i.e. there are no other things that we missed

$$\mathsf{TR} = \left\{ \alpha = \left\{ \begin{matrix} \overset{i}{\hookrightarrow}; \\ \mathsf{call} \ \mathsf{p} \ \overline{\mathsf{r}} \\ \mathsf{ret} \ \mathsf{r}_{\mathsf{0}} \end{matrix} \right\}; \right\}$$

$$\mathsf{TR} = \left\{ \alpha = \left\{ \begin{matrix} \frac{i}{\dot{\gamma}}; \\ \mathsf{call} \ \mathsf{p} \ \overline{\mathsf{r}} \\ \mathsf{ret} \ \mathsf{r}_{\theta} \\ \end{matrix} \right\}; \right\}$$

$$\mathsf{TR}_{\mathsf{L}} = \left\{ \alpha = \left\{ \begin{matrix} \frac{i}{\dot{\gamma}}; \\ \mathsf{call} \ \overline{\mathsf{r}} \ \overline{\mathsf{f}} \\ \mathsf{ret} \ \overline{\mathsf{r}} \ \overline{\mathsf{f}} \\ \mathsf{movs} \ \mathsf{r} \ \mathsf{v} \\ \overset{\alpha}{\Longrightarrow} \end{matrix} \right\}; \right\}$$

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$$\mathsf{TR}_{\mathsf{S}} = \left\{ \alpha = \left\{ \begin{matrix} \overset{i}{\hookrightarrow}; \\ \mathsf{call} \ \mathsf{p} \ \overline{\mathsf{r}} \\ \mathsf{ret} \ \mathsf{r}_{\theta} \\ \overset{\alpha}{\Longrightarrow} \end{matrix} \right\}; \right\}$$

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$$TR_{L} = \begin{cases} \alpha = \begin{cases} \stackrel{i}{\Leftrightarrow}; \\ \text{call } \overline{r} \overline{f} \\ \text{ret } \overline{r} \overline{f} \\ \text{movs r v} \\ \stackrel{\alpha}{\Longrightarrow} \end{cases}; \end{cases}$$

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$$\mathsf{TR}_{\mathsf{X}}(P_1) = \mathsf{TR}_{\mathsf{X}}(P_2) \iff P_1 \simeq P_2$$

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- trace semantics for PMA enables easier reasoning about PMA code
- if the trace semantics is fully abstract, trace equivalence can replace contextual equivalence altogether
- the paper provides two, examples of fully abstract trace semantics for PMA

Questions



Qs?

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