Exorcising Spectres with Secure Compilers



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void f (int x) \mapsto if (x < A.size) {y = B[A[x]]}
run 1: A.size = 16, A[128] = 3
```

call f 128

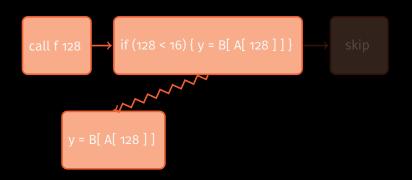
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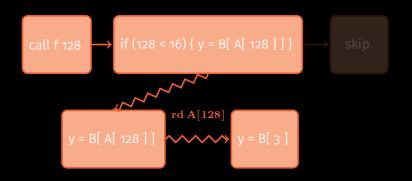
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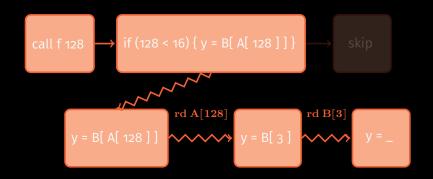
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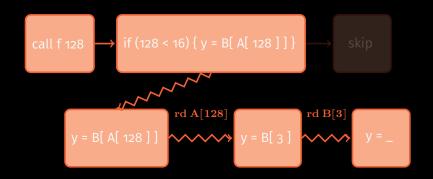
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trace 1:

rd A[128]

 $\mathrm{rd}\,\mathrm{B}[3]$

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void f (int x) \mapsto if (x < A.size) {y = B[A[x]]}
run 1: A.size = 16, A[128] = 3
run 2: A[128] = 7 different H values
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            trace 1:
                        rd A[128]
                                               rd B[3]
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trace 2: rd A[128]
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rd B[3] different traces rd B[7] ⇒ SNI violation

A program is SNI ($\vdash P : SNI$) if, given two runs from low-equivalent states:

- assuming the non-speculative
 - traces are low-equivalent
- then the speculative traces are also low-equivalent

```
call f
```

```
trace 1: _{\rm rd\ A[128]} _{\rm rd\ B[3]} different traces trace 2: _{\rm rd\ A[128]} _{\rm rd\ B[7]} \Rightarrow SNI violation
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Problems Problems Problems ...

Problem: Proving compiler preserves SNI is hard

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Solution: overapproximate SNI with a novel property: speculative safety (SS)

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void f (int x) \mapsto if (x < A.size) {y = B[A[x]]}
only 1 run needed: A.size=16, A[128]=3
integrity lattice: S \subset U S \cap U = S U does not flow to S
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call f 128 pc:S

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128:S
y = B[ A[ 128 ] ]
pc:U
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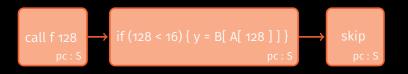
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128: S y = B[ A[ 128 ] ] pc: U y = B[ 3 ] pc: U y = C: U
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rd A[128]: S

rd B[3] : U

Speculative Safety (SS): Taint Tracking

```
void f (int x) → if(x < A.size) {y = B[A[x]]}
only 1 run needed: A.size=16, A[128]=3

A program is SS (⊢ P : SS) if its traces
do not contain U actions

call f 128
pc : S

pc : S</pre>
if (128 < 16) {y = B[A[128]]}
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Speculative Safety (SS): Taint Tracking

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SS and SNI

SS overapproximates SNI, so:

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SS overapproximates SNI, so:

- in the target: $\forall P \vdash P : SS \Rightarrow P : SNI$
- in the source: ∀P ⊢ P : SS ← P : SNI
 (recall, no speculative execution in source)

 $\llbracket \cdot \rrbracket : \mathsf{RSSP} \stackrel{\mathsf{def}}{=} \mathsf{if} \ \forall \mathsf{A.A} \ \llbracket \mathsf{P} \rrbracket : SS \ \mathsf{then} \ \forall \mathsf{A.A} \ \llbracket \mathsf{P} \rrbracket \rrbracket : SS$

```
[[·]]: RSSP \stackrel{\text{def}}{=} if \forall A.A [P]: SS then \forall A.A [[P]]: SS [[·]]: RSSC \stackrel{\text{def}}{=} if \forall A.A [[P]] \rightsquigarrow m then \exists A.A [P] \rightsquigarrow m \approx = same traces, plus S actions in m
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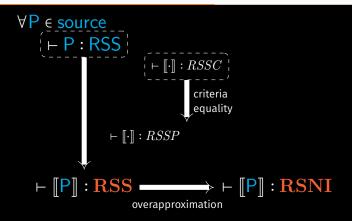
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 ∀ attackers: explicit attacker model robustness

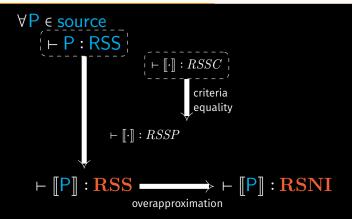
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- ∀ attackers: explicit attacker model robustness
- Proof: RSSC & RSSP are equivalent RSSC: clear security guarantees RSSP: simpler proofs

Secure Compilation Framework for Spectre

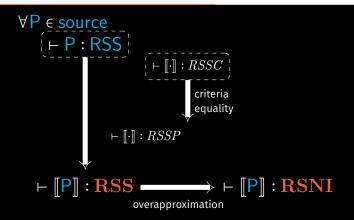


Secure Compilation Framework for Spectre



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Secure Compilation Framework for Spectre



- · dashed premises are already discharged
- to show security: simply prove RSSP

Security Spectrum

- 2 notions of SS and SNI (thus 2 targets):
 - strong(+): no speculative leaks

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```
void get (int y)
if (y < size) then
temp = B[A[y]*512]</pre>
```

Violates + and -

```
void get (int y)
x = A[y];
if (y < size) then
temp = B[x];</pre>
```

Violates +, Satisfies -

```
 \begin{aligned} & \text{void } f(\text{int } x) \mapsto \text{if}(x < A.size) \{ y = B[A[x]] \} & \text{// A.size=16, A[128]=3} \\ \llbracket \cdot \rrbracket = \text{void } f(\text{int } x) \mapsto \text{if}(x < A.size) \{ \text{lfence}; y = B[A[x]] \} \end{aligned}
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call f 128
pc:S
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// A.size=16, A[128]=3
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[\cdot] = void f(int x) \mapsto if(x < A.size){lfence; y = B[A[x]]}
              if (128 < 16) { lfence; y = B[ A[ 128 ] ] }
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                                                     rd B[0]:S
                   pc : U
```

SLH preserves SS- (and thus SNI-) but
not SS+ (and thus not SNI+)
Framework benefits: fine-grained
analysis of countermeasures security

rd B[0]: S

Insecurity Results

- MSVC is Insecure
- Non-interprocedural SLH is insecure

Both omit <u>speculation barriers</u>

Proofs Insight

