

University of Dhaka
Department of Computer Science and Engineering
CSE-2205: Introduction to Mechatronics

Lec-6: Temperature Sensors + Light Sensors

Mechatronics: Electronic Control Systems in Mechanical Engineering by W. Bolton

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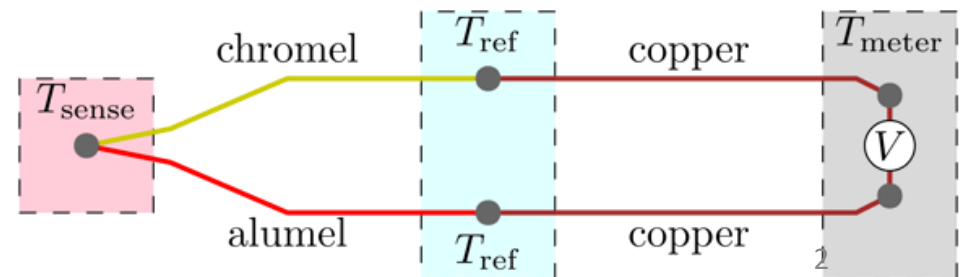
1. Thermocouple

A thermocouple works by generating a small electrical voltage in response to a temperature difference between two junctions of different metals. This phenomenon is known as the **Seebeck effect**.

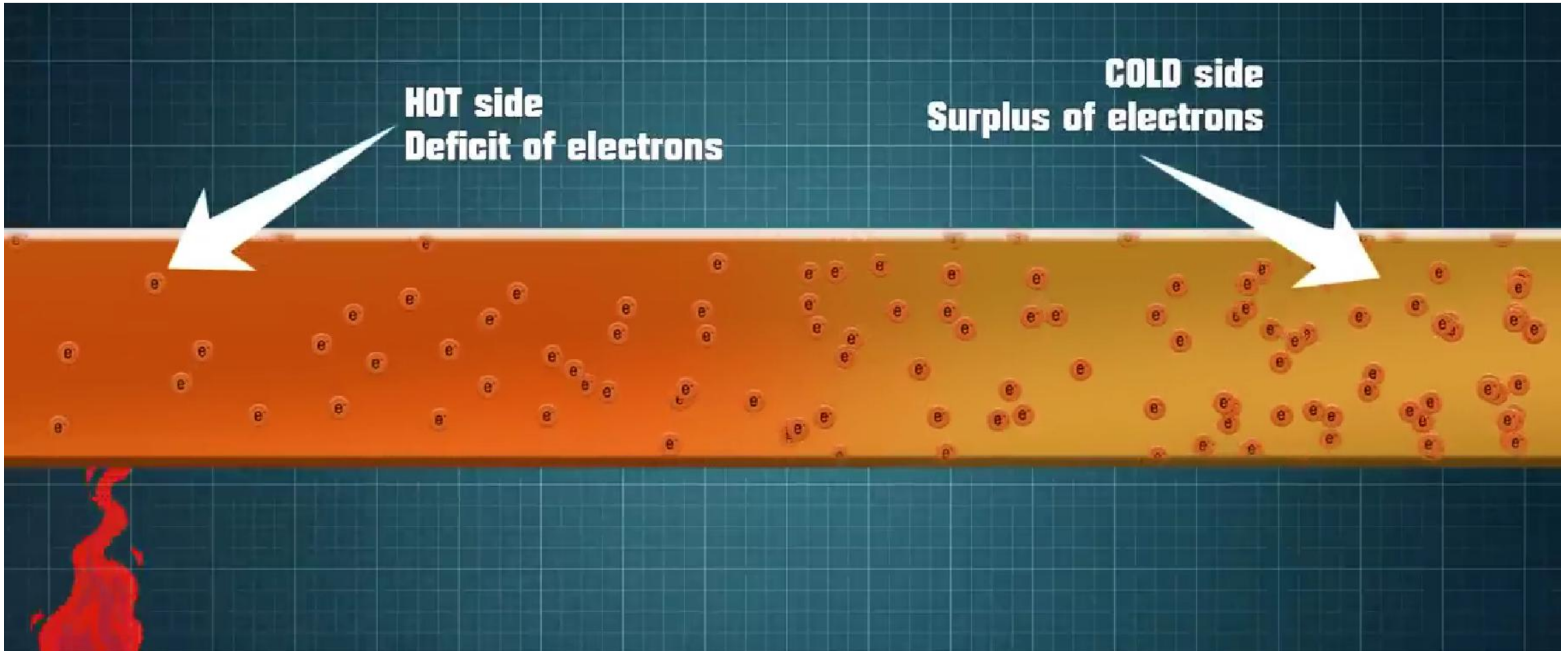
Two Different Metals: A thermocouple consists of two wires made of different metals (or alloys), which are joined at two ends to form two junctions:

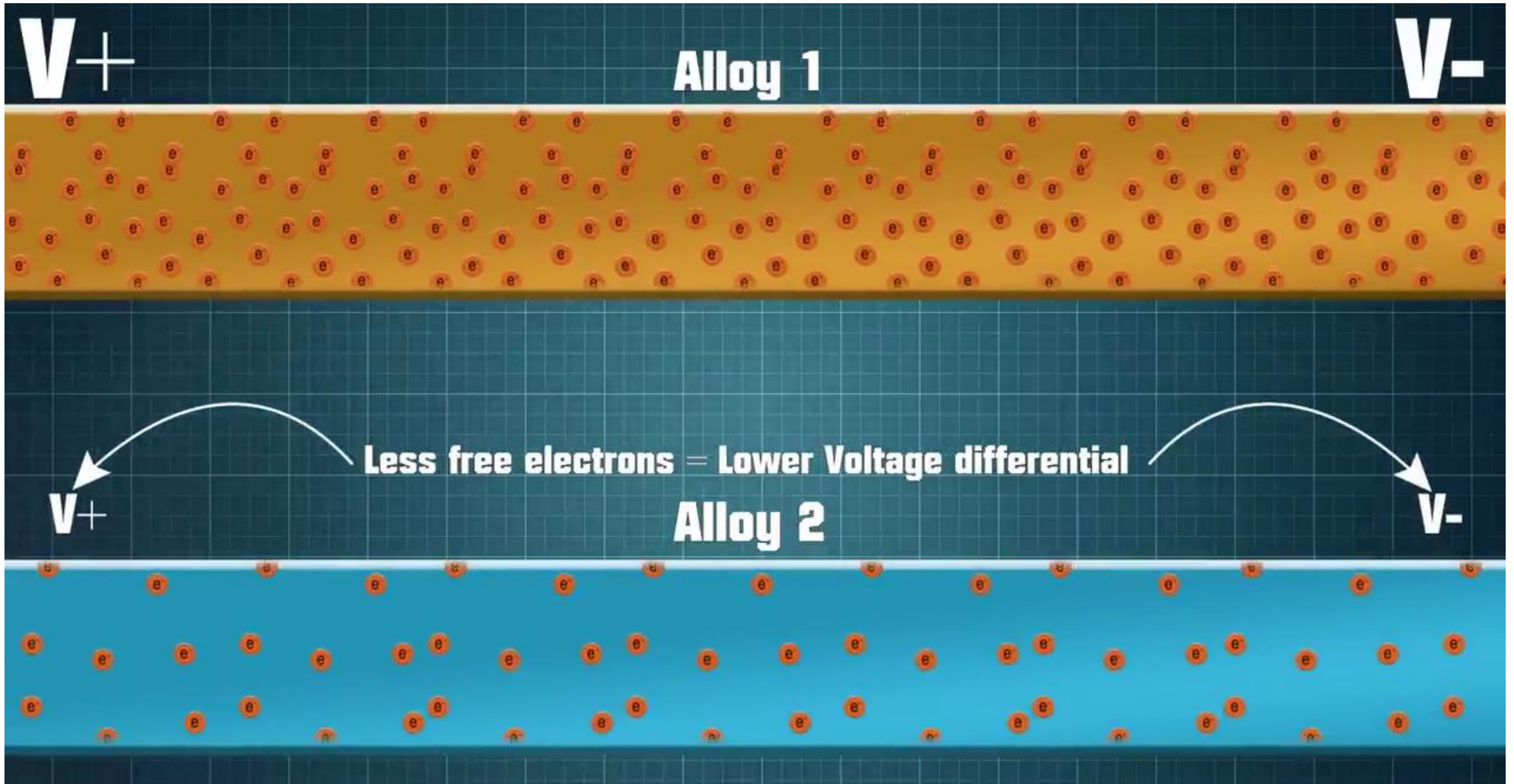
1. Hot Junction (measuring junction): Exposed to the temperature being measured.

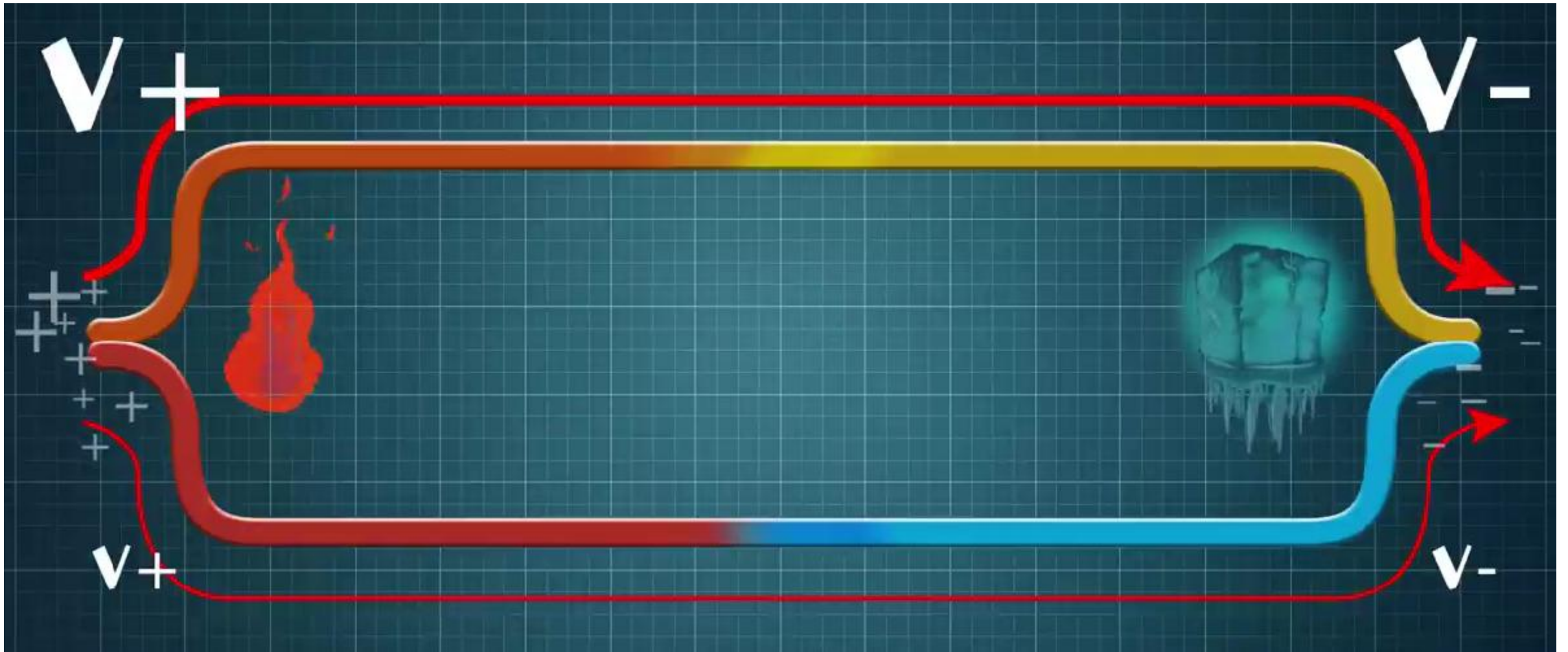
2. Cold Junction (reference junction): Kept at a known or constant temperature, often room temperature or near it.

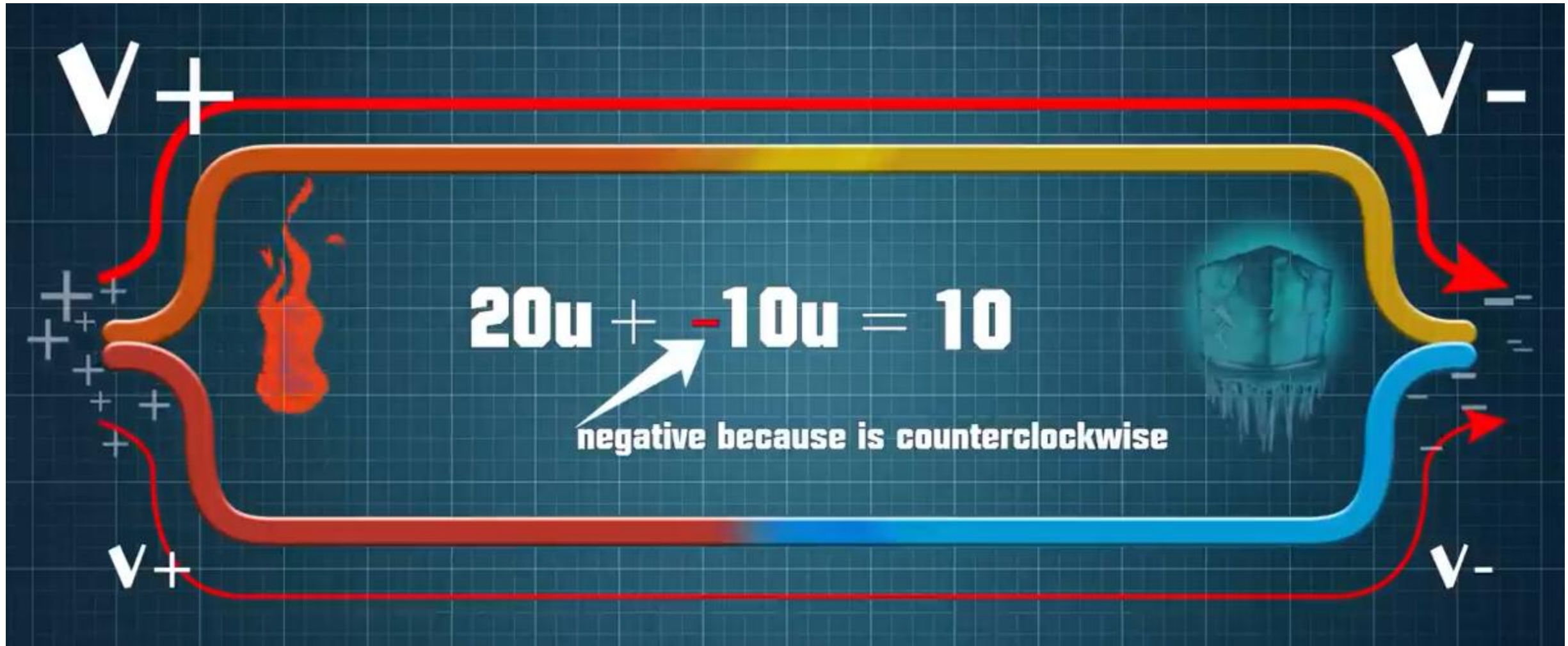


Seebeck Effect: When two different metals are joined and exposed to a temperature difference between the two junctions (hot and cold), a voltage is generated.







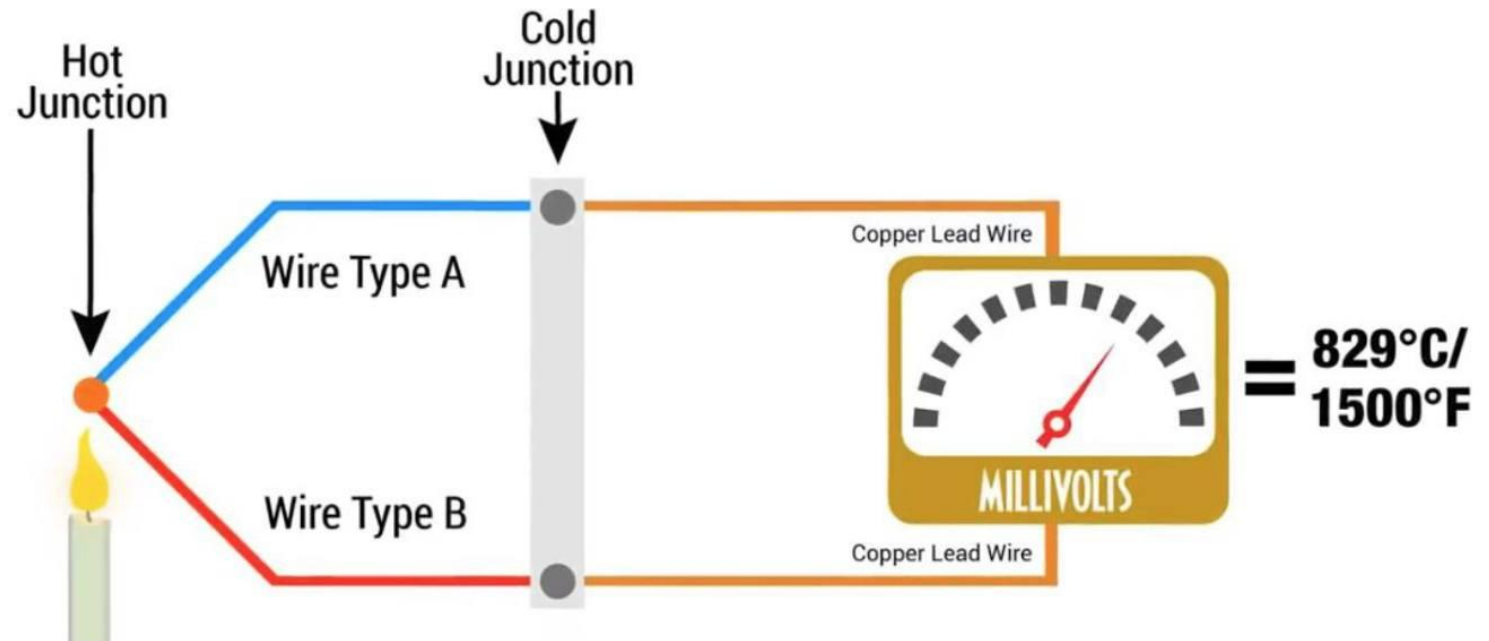


Voltage Measurement: The generated voltage is directly related to the temperature difference, so by measuring this voltage, the temperature at the hot junction can be determined.

Type J (Iron–Constantan): $\alpha \approx 52 \mu\text{V}/^\circ\text{C}$

Type K (Chromel–Alumel): $\alpha \approx 41 \mu\text{V}/^\circ\text{C}$

$$V = \alpha \Delta T$$



α is the **Seebeck coefficient** for the specific pair of metals (measured in volts per degree Celsius or $\text{V}/^\circ\text{C}$).

$\Delta T = T_{hot} - T_{cold}$ is the temperature difference between the hot and cold junctions.

A Type K thermocouple with a Seebeck coefficient of $41 \mu\text{V}/^{\circ}\text{C}$ is used to measure the temperature difference between two junctions. If the temperature at the hot junction is 250°C and the cold (reference) junction is at 25°C , calculate the voltage output of the thermocouple.

Determine the Temperature Difference:

$$\Delta T = T_{hot} - T_{cold} = 250^{\circ}\text{C} - 25^{\circ}\text{C} = 225^{\circ}\text{C}$$

Calculate the Voltage Output: Using the formula $V = \alpha \cdot \Delta T$, where $\alpha = 41 \mu\text{V}/^{\circ}\text{C}$:

$$V = 41 \mu\text{V}/^{\circ}\text{C} \times 225^{\circ}\text{C}$$

$$V = 9.225 \text{ mV}$$

1.1 Applications of Thermocouples

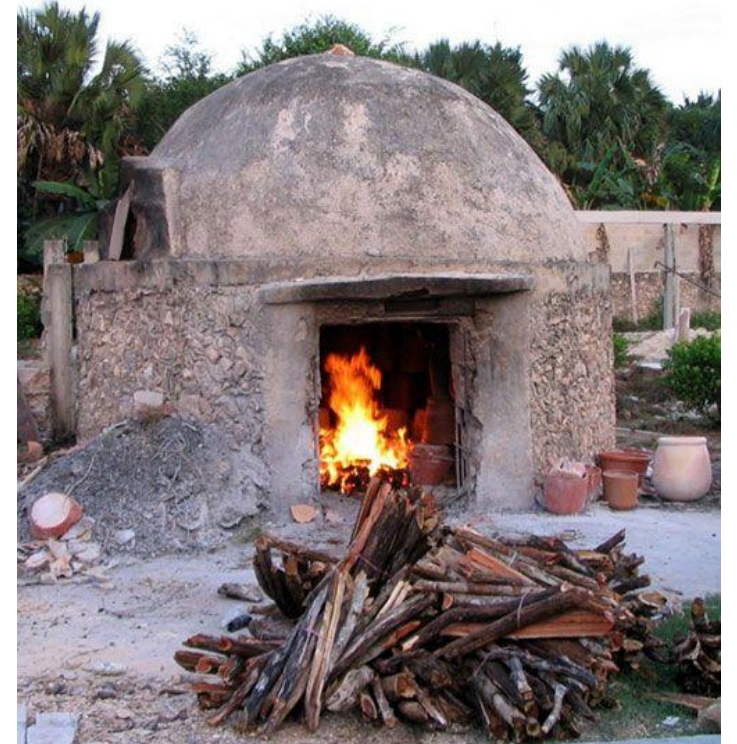
1.1.1 Thermocouples monitor and control furnaces, reactors, and kilns to ensure optimal operating temperatures.



furnaces



reactors

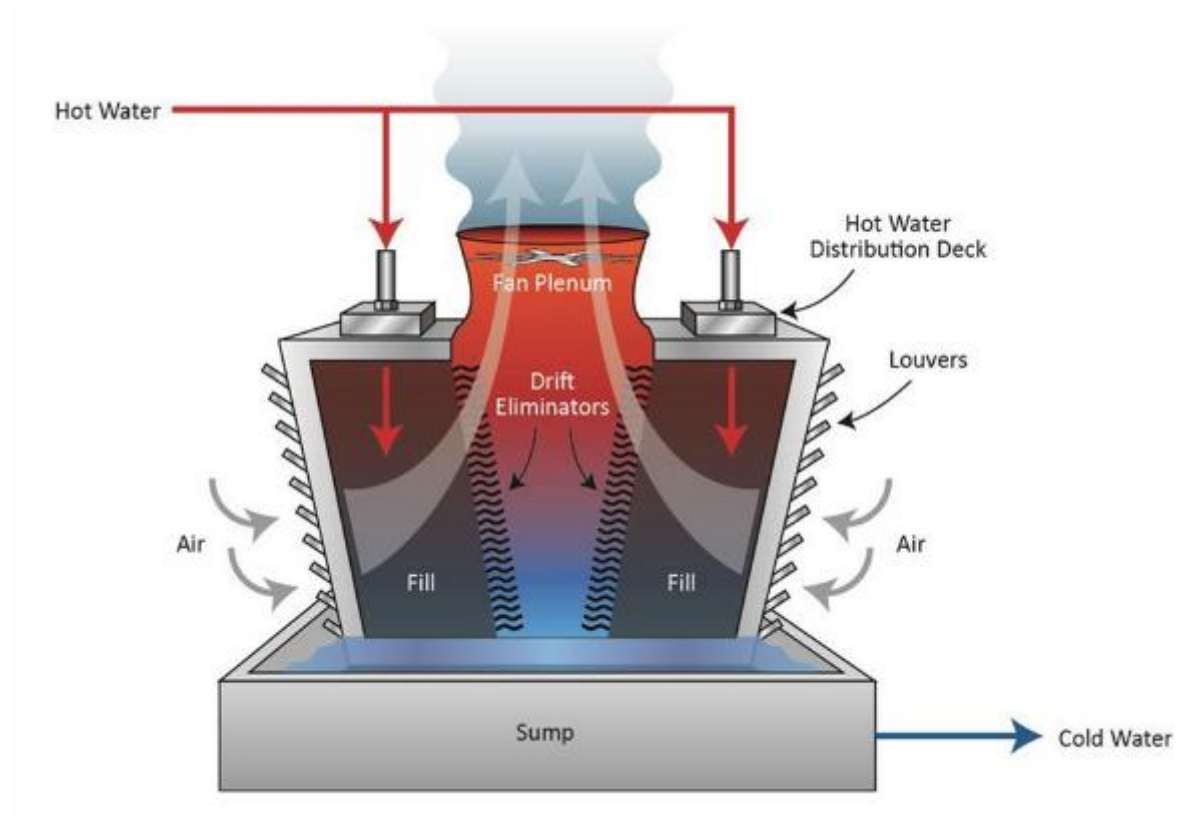


kilns

1.1.2 Thermocouples ensure food reaches safe temperatures to avoid bacterial contamination and monitor storage conditions.



1.1.3 Thermocouples monitor boiler and turbine temperatures and ensure heat exchangers operate efficiently.

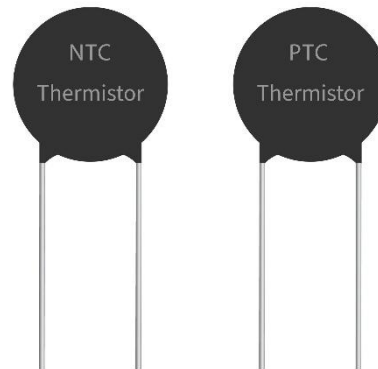


2. Thermistors

Thermistors are temperature-sensitive resistors made primarily from ceramic or polymer materials. Their resistance changes significantly with temperature, and they come in two main types based on their resistance-temperature behavior:

NTC (Negative Temperature Coefficient): Resistance decreases as temperature increases.

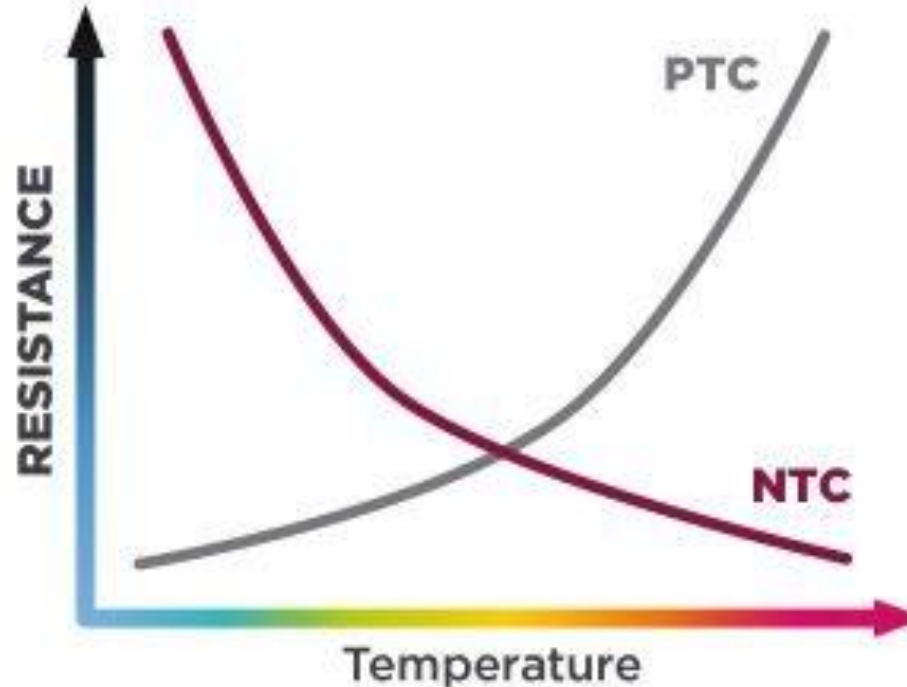
PTC (Positive Temperature Coefficient): Resistance increases as temperature increases.



2.1 PTC Thermistor

In a Positive Temperature Coefficient (PTC) thermistor, the resistance increases as the temperature rises.

This behavior is due to a phase transition in the thermistor material that occurs at a specific temperature.



Phase Transition:

When the temperature reaches a certain threshold (often called the "**Curie temperature**"), the material undergoes a change in its internal structure or molecular arrangement.

This phase transition reduces the ability of electrons to move freely, causing a sharp increase in resistance.

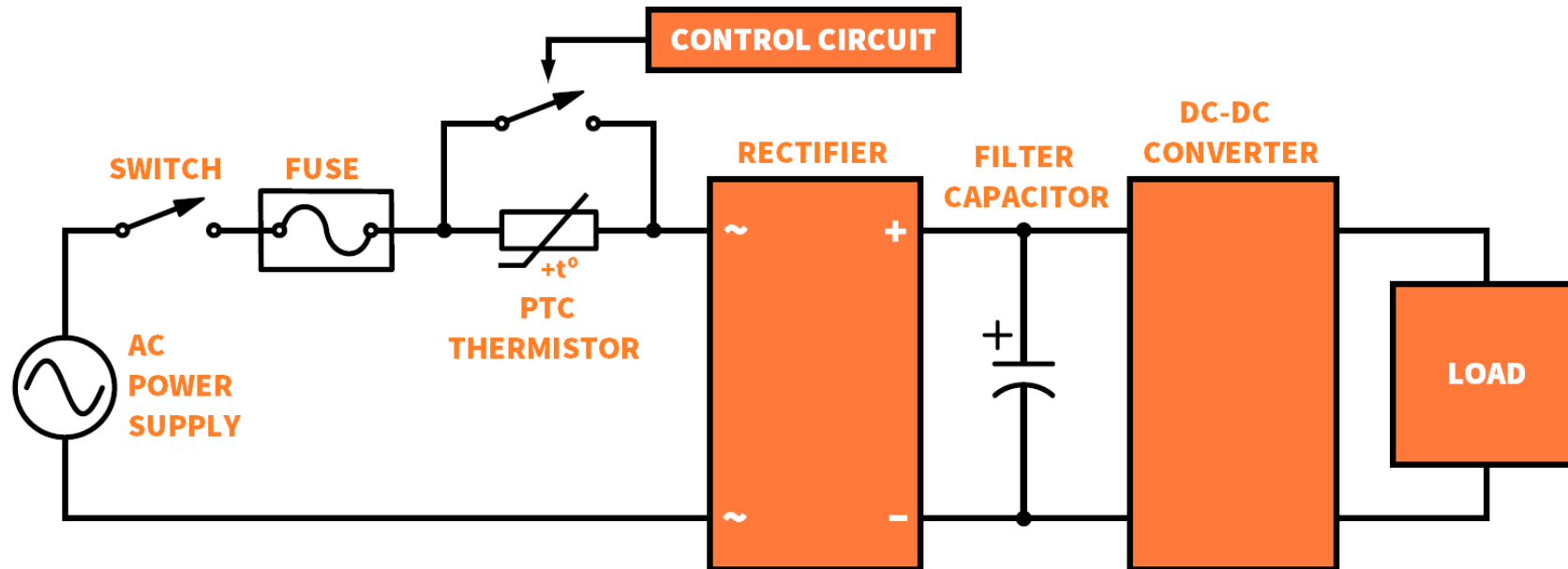
Reduced Conductivity:

Above the Curie temperature, the material becomes less conductive because the rearranged structure obstructs the flow of electrons. This limits the current through the thermistor, making it more resistant as the temperature continues to rise.

Applications:

This characteristic is useful in applications where over-current protection or temperature-based circuit control is needed.

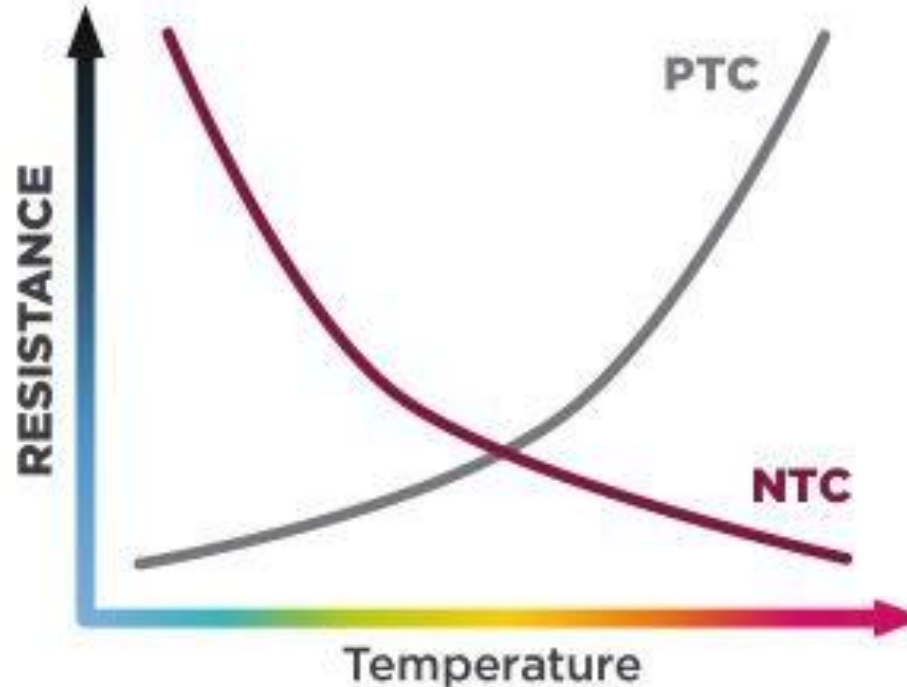
if a circuit starts to overheat, a PTC thermistor's increasing resistance will limit current flow, effectively acting as a self-regulating safeguard against overheating.



2.2 NTC Thermistor

In an NTC thermistor, for example, as temperature increases, the thermistor's resistance decreases.

This is due to increased conductivity as more charge carriers (like electrons) are released within the material at higher temperatures.



Applications:

NTC thermistors are commonly used in applications such as temperature sensing (e.g., digital thermometers).

Thermistor Application: Electronic Thermometer



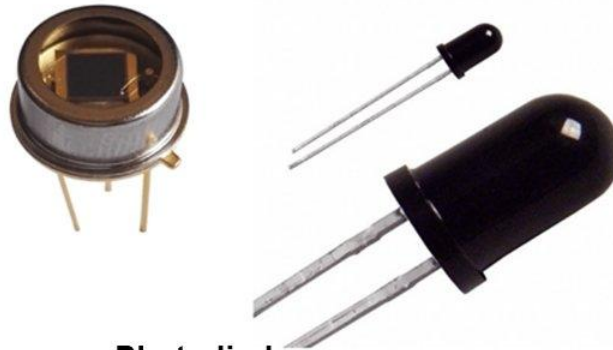
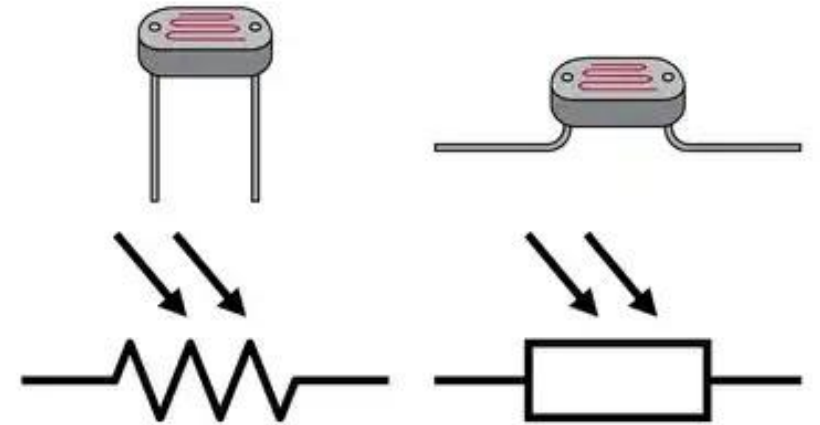
Light Sensors

1. Light Sensors

Light sensors are devices that detect and measure light intensity, converting it into an electrical signal for further processing.



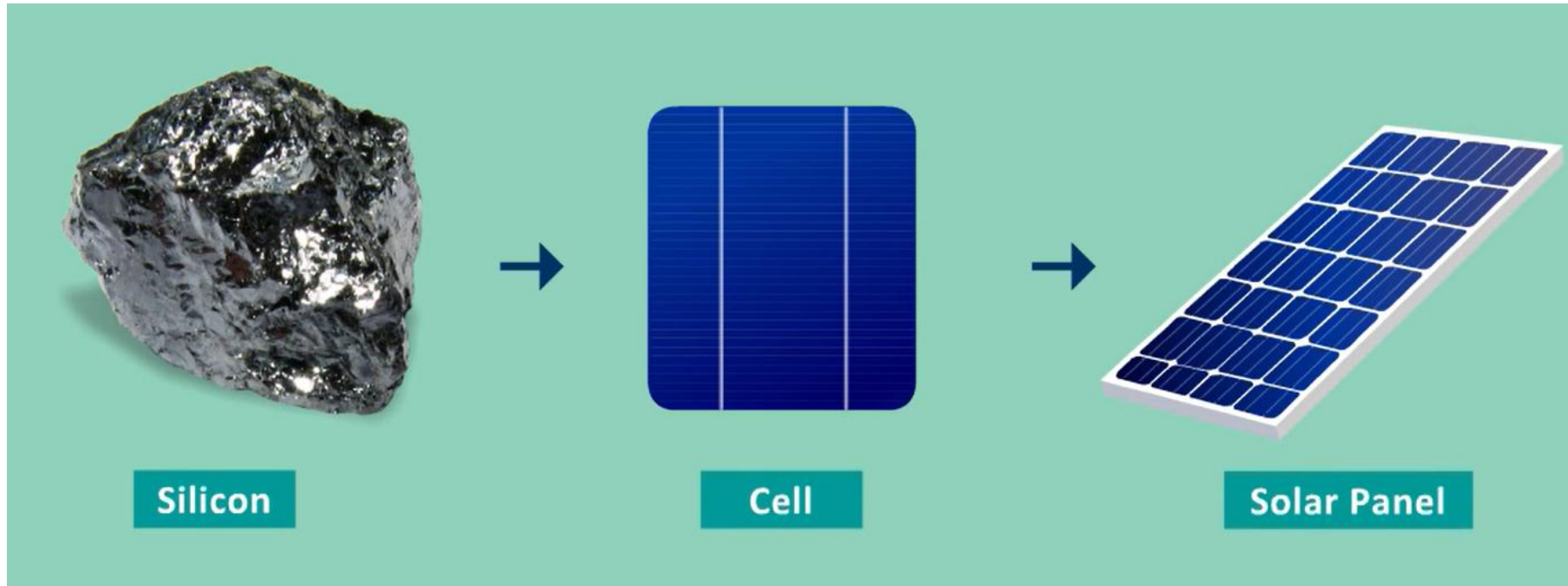
Light Dependent Resistor (LDR)

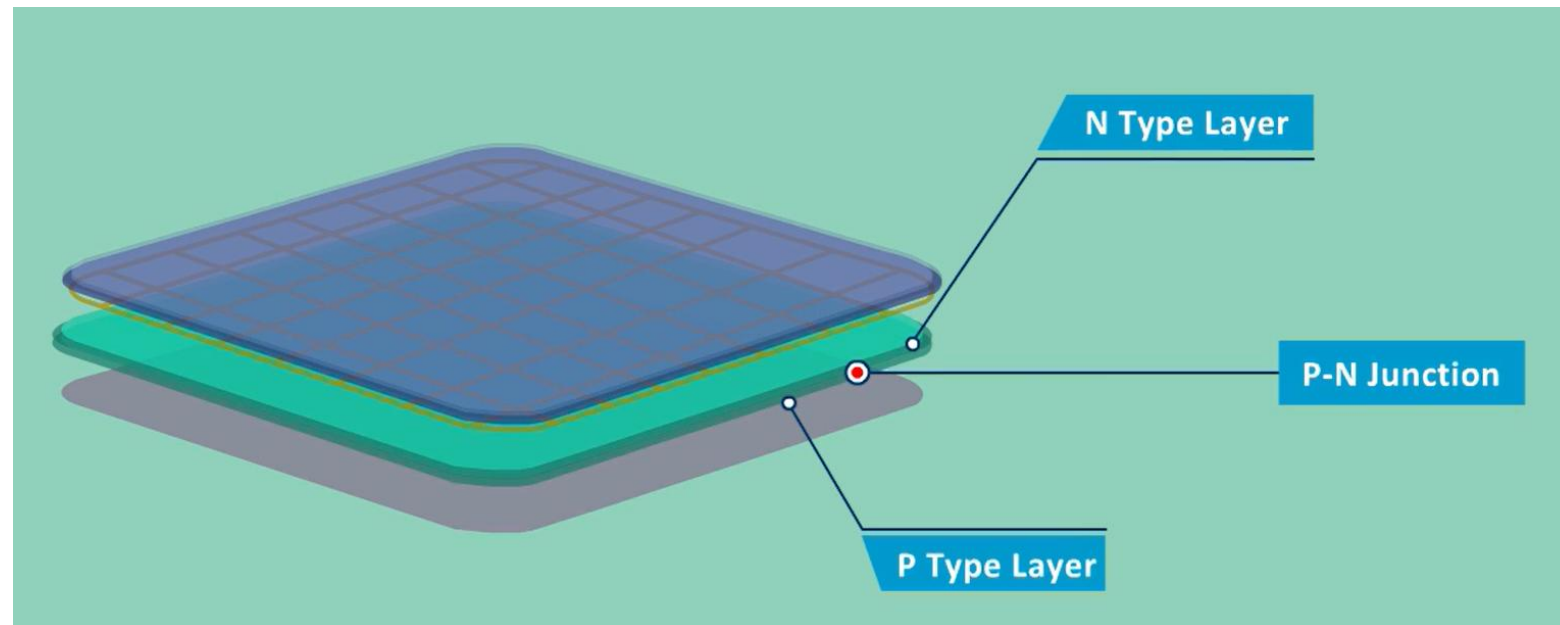
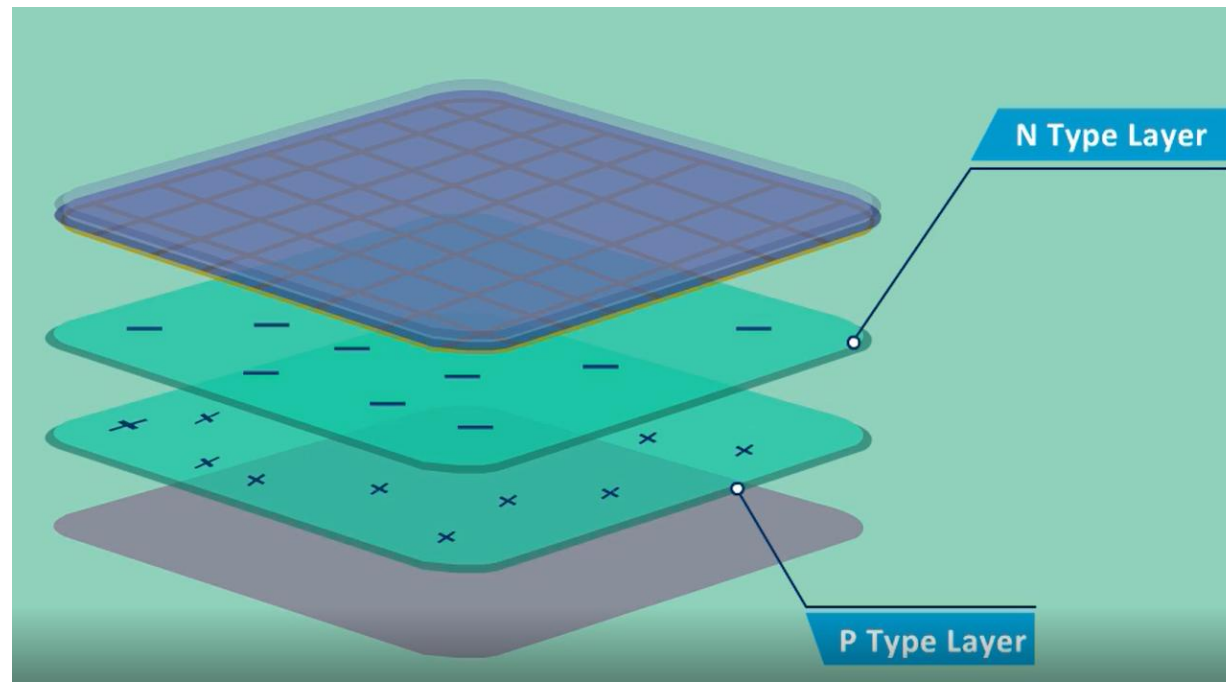


Photodiode

1.1 Photovoltaic Sensors (Solar Cells)

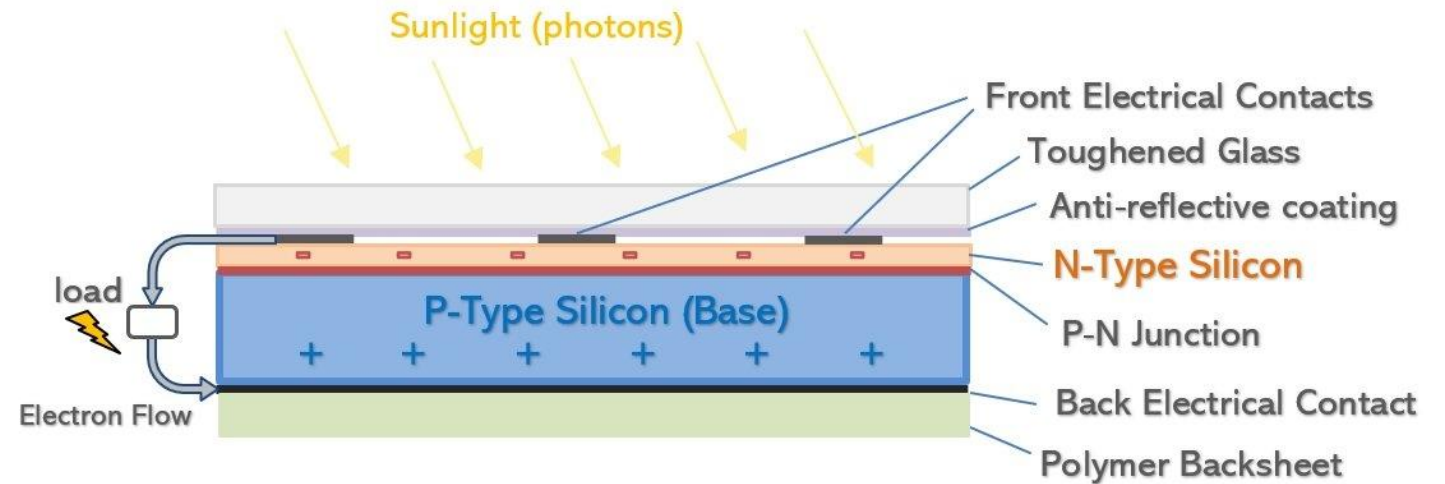
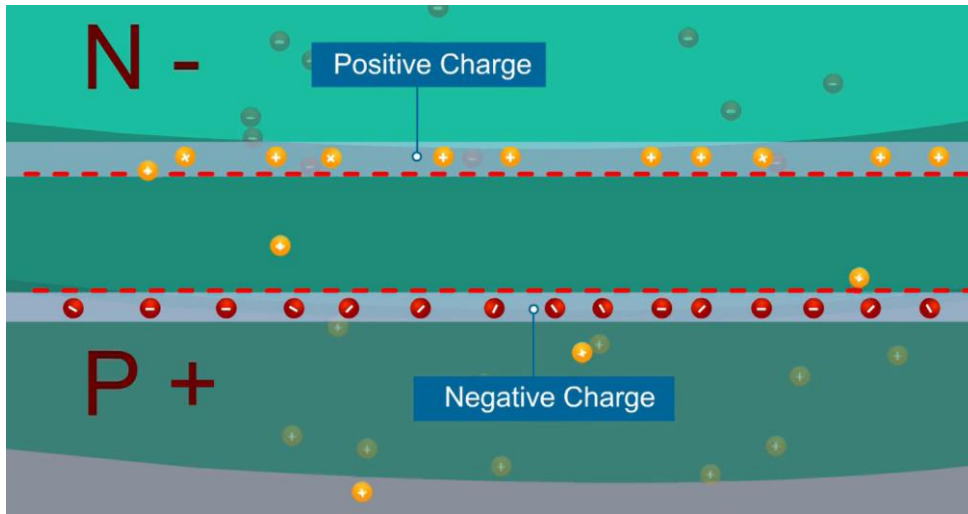
Made from semiconductor materials, typically silicon, that generate voltage upon exposure to light.





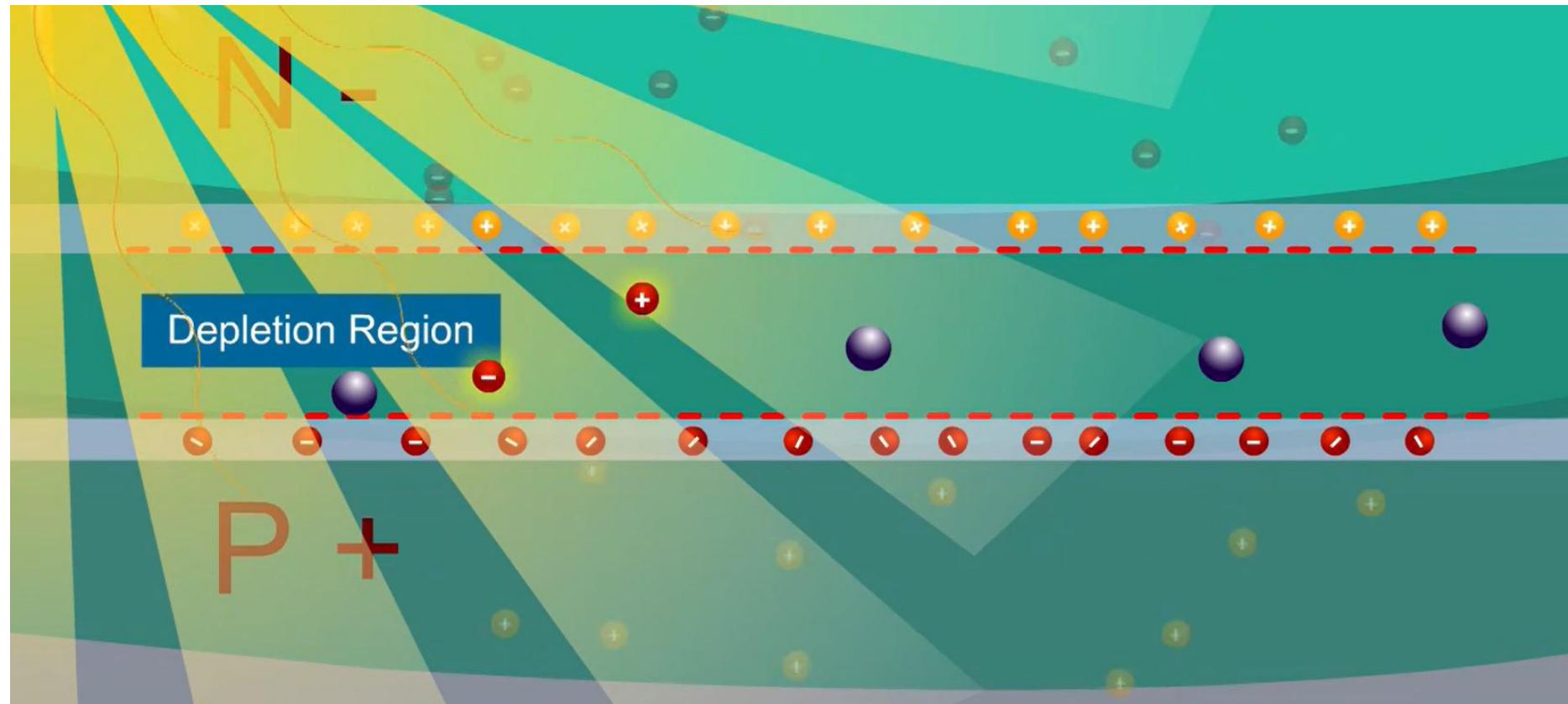
Photon Absorption:

When sunlight (or other light sources) strikes the surface of a solar cell, photons (light particles) penetrate the semiconductor material, usually silicon.



Electron Excitation:

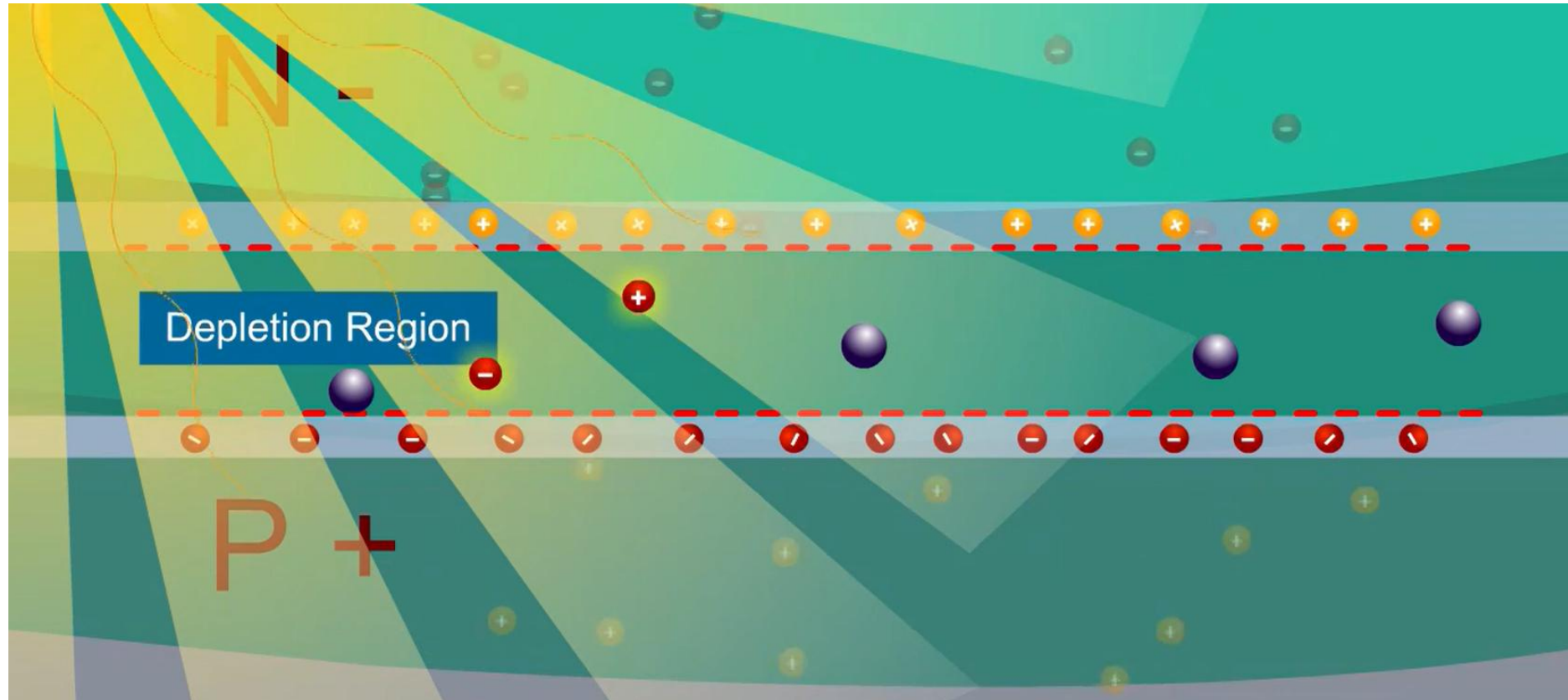
The energy from the photons excites electrons in the silicon, freeing them from their atomic bonds.



Creation of Electron-Hole Pairs:

This excitation generates electron-hole pairs—free electrons and positive holes.

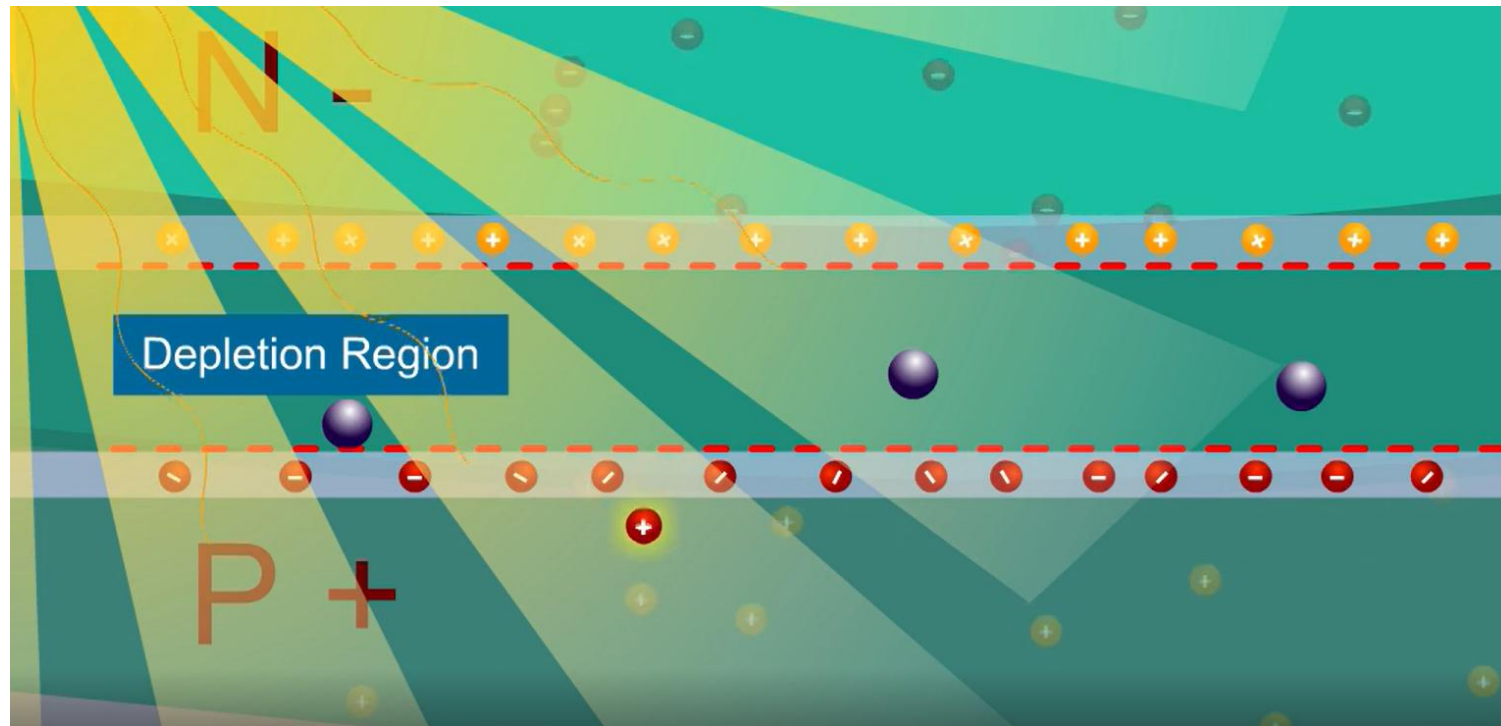
These pairs are critical for current flow within the cell.



Electric Field and Current Flow:

The solar cell has a built-in electric field due to the p-n junction (where positively and negatively doped silicon layers meet).

This field pushes the free electrons towards the negative layer and the holes towards the positive layer, generating a flow of electric current.



External Circuit:

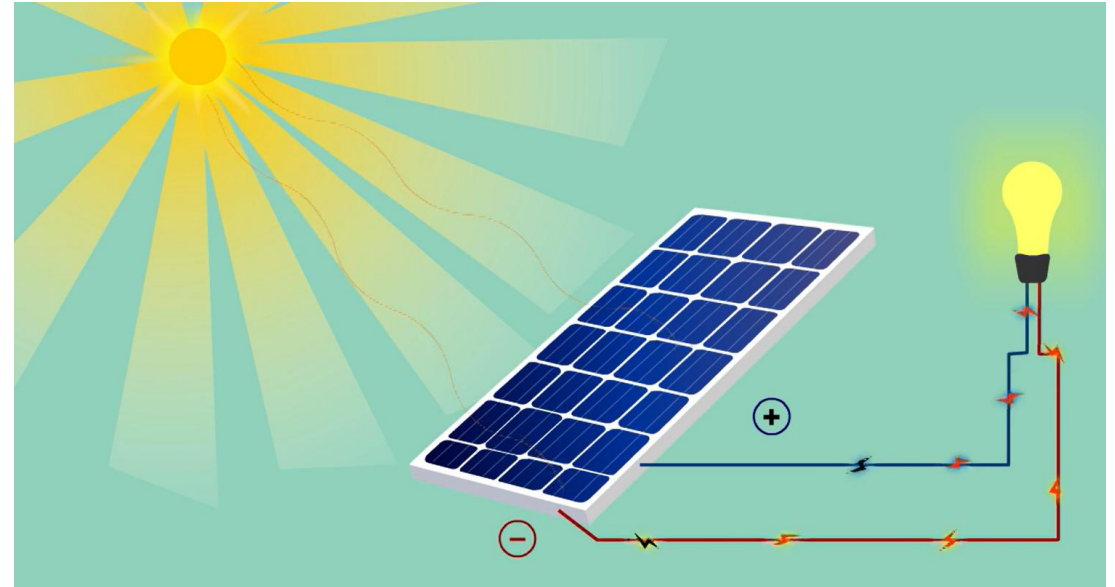
When connected to an external circuit, the flow of electrons through this circuit creates usable electrical power, which can drive loads or charge batteries.

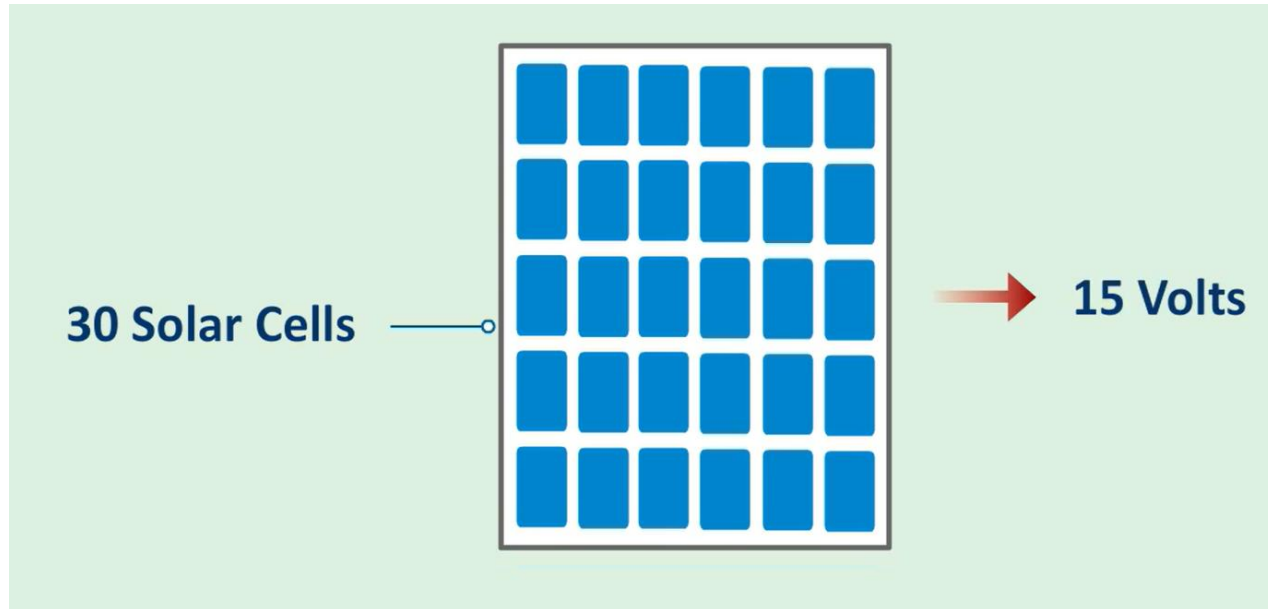
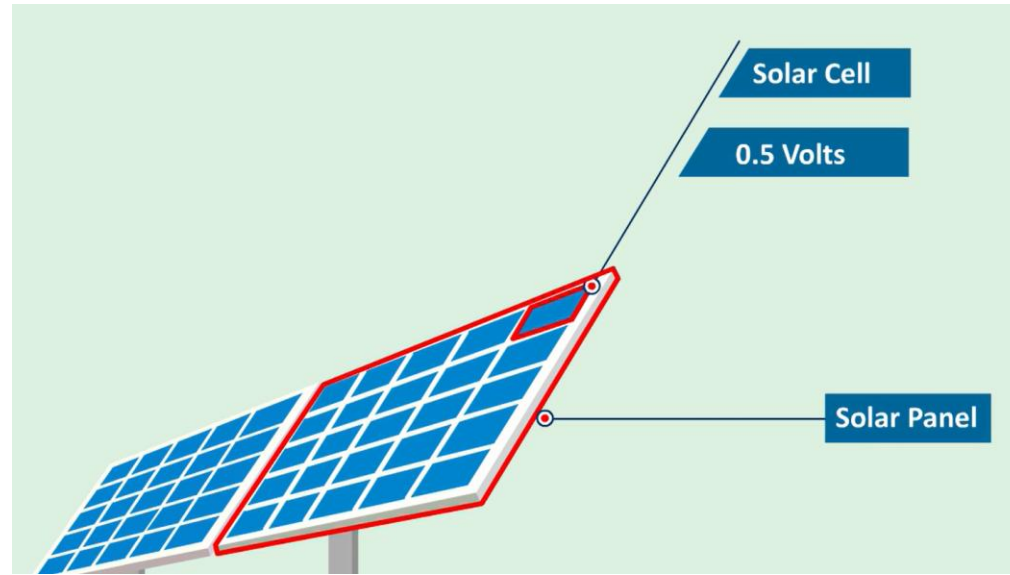
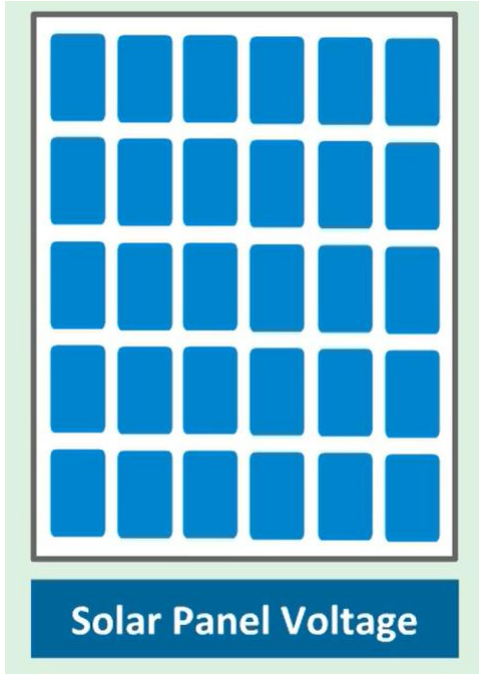
$$I_{ph} = k \cdot E$$

I_{ph} = Photocurrent (A)

k = Proportionality constant depending on the cell material and design

E = Light intensity (W/m^2)





I-V (Current-Voltage) Characteristics

$$I = I_{ph} - I_0 \left(e^{\frac{qV}{kT}} - 1 \right)$$

I = Current (A)

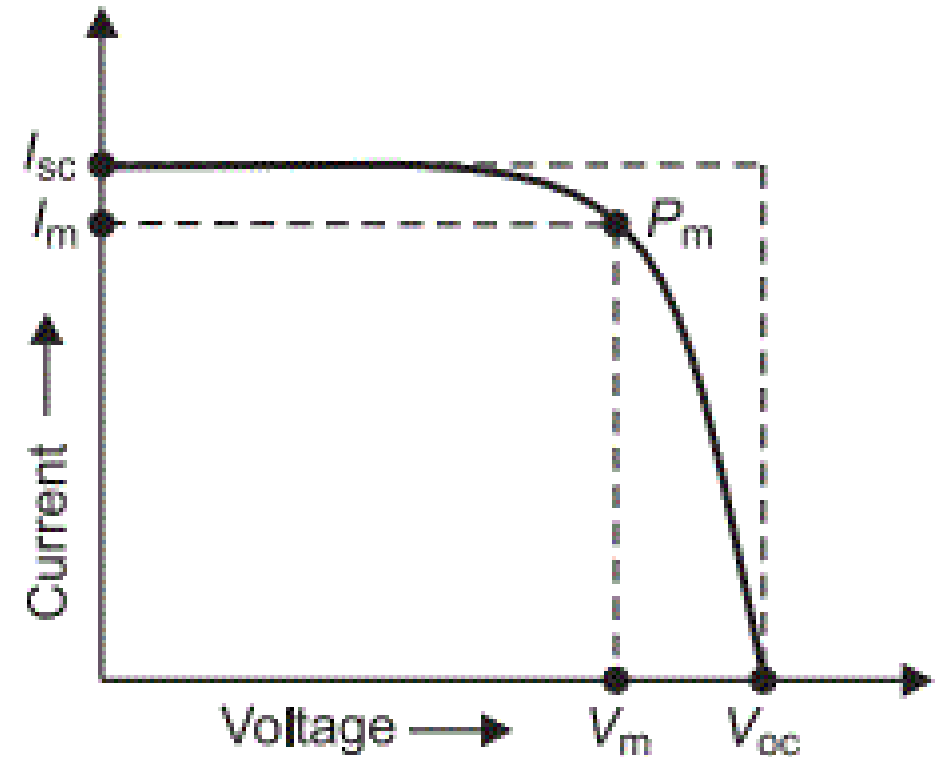
I_0 = Reverse saturation current of the diode (A)

q = Charge of an electron (1.602×10^{-19} C)

V = Voltage across the cell (V)

k = Boltzmann constant (1.381×10^{-23} J/K)

T = Absolute temperature (K)



Open-Circuit Voltage (V_{oc}):

The open-circuit voltage V_{oc} is the maximum voltage available from a solar cell when there is no external load connected (i.e., when the circuit is open). At this point, no current flows through the cell, and V_{oc} is measured across the terminals.

Short-Circuit Current (I_{sc}):

The short-circuit current I_{sc} is the maximum current that flows through the solar cell when its terminals are shorted (i.e., the output voltage is zero).

Maximum Power Point (MPP):

The maximum power P_{max} output by the cell occurs at the maximum power point, where both voltage V_{mp} and current I_{mp} are optimized.

$$P_{max} = V_{mp} \cdot I_{mp}$$

Fill Factor (FF):

The fill factor is a measure of the cell's efficiency in converting solar energy to electrical energy. It's defined as the ratio of maximum power to the product of open-circuit voltage V_{oc} and short-circuit current I_{sc} .

$$FF = \frac{V_{mp} \cdot I_{mp}}{V_{oc} \cdot I_{sc}}$$

Efficiency:

The overall efficiency η of a solar cell is the ratio of output electrical power to input light power.

$$\eta = \frac{P_{max}}{E \cdot A} \times 100\%$$

η = Efficiency (%)

E = Incident light intensity (W/m²)

A = Surface area of the solar cell (m²)

Problem:

A solar cell is tested under standard conditions (light intensity $E = 1000 \text{ W/m}^2$) with the following parameters:

Short-circuit current $I_{sc} = 5 \text{ A}$

Open-circuit voltage $V_{oc} = 0.6 \text{ V}$

Maximum power point (MPP):

Voltage at MPP $V_{mp} = 0.5 \text{ V}$

Current at MPP $I_{mp} = 4.5 \text{ A}$

Surface area of the solar cell $A = 0.01 \text{ m}^2$

1. The maximum power P_{max} .
2. The fill factor FF .
3. The efficiency η of the solar cell.

Calculate Maximum Power (P_{max}): The maximum power P_{max} is found at the MPP, using V_{mp} and I_{mp} :

$$P_{max} = V_{mp} \times I_{mp}$$

$$P_{max} = 0.5 \text{ V} \times 4.5 \text{ A} = 2.25 \text{ W}$$

Calculate Fill Factor (FF): The fill factor FF is the ratio of P_{max} to the product of V_{oc} and I_{sc} :

$$FF = \frac{P_{max}}{V_{oc} \times I_{sc}}$$

$$FF = \frac{2.25 \text{ W}}{0.6 \text{ V} \times 5 \text{ A}} = \frac{2.25}{3} = 0.75$$

Calculate Efficiency (η): The efficiency η is the ratio of the maximum power output to the power of the incident light on the solar cell:

$$\eta = \frac{P_{max}}{E \times A} \times 100\%$$

$$\eta = \frac{2.25 \text{ W}}{1000 \text{ W/m}^2 \times 0.01 \text{ m}^2} \times 100\%$$

$$\eta = \frac{2.25}{10} \times 100\% = 22.5\%$$