

DESIGN

1's complement:

- 1's complement is designed using only IC 7404 which is a NOT gate.
- Simple inversion of the given input will be the 1's complement.

2's Complement:

- Addition of 0001 to the 1's complement will give 2's complement.
- Binary Adder which is IC7483, is used to add the 0001 to the 1's Complement.
- Whenever the Carry input bit is provided to the Vcc, the addition is performed and hence the output of the binary adder will give the 2's complement of the number.
- If Cin is 0, then the output will be the 1's complement of the number.

9's Complement:

- 9's complement of a number is always subtracted from the decimal number 9.
- In Binary format, the 4-bit binary number is subtracted from the 1001.
- The 9's complement of a BCD code of a number "x" can be expressed as:

$$9-x = (15-6)-x = (15-x)-6 = \bar{x}-6 = (\bar{x}+10) \text{ or, } 9-x = [(15-x)+10]-16$$

- The first part (15-x) is the 1's complement of x when x is a BCD number i.e. (15-x) produces \bar{x} .
- In the circuit implementation, with the IC-7483 adder circuit, this \bar{x} can be generated by four single inverters, i.e., 4-bit inverted numbers are $\bar{x}_3, \bar{x}_2, \bar{x}_1, \bar{x}_0$.
- Now in the first case, $(\bar{x}-6) = (\bar{x}+10)$ can be done by the 2's complement of the 6 which form gives 10. $(6) \rightarrow 0110$ (1's complement) $\rightarrow 1001$ (Add+1) $\rightarrow 1010$ (2's Complement) 17
- Next, the $(10)10 = (1010)$ can easily be added to the inverter's output by using a 4-bit full adder IC-7483.
- The subtraction of 16 from the sum output of the full adder can be done very easily by ignoring the (Cout).
- The (Cin) input should be grounded otherwise extra 1 will be added. So carefully grounded the (Cin) i.e., pin 13 for IC-7483 to 0.

10's Complement:

- 10's complement of a 4-bit number (BCD code) "x" is, $1010-x = 10-x$; or simply we can add (+1) to the result out for the 9's complement.
- The 10's complement of a BCD code of a number "x" can be expressed as: $9-x+1 = (15-6)-x+1 = (15-x)-6+1 = \bar{x}-6+1 = (\bar{x}+10)+1$ or, $(\bar{x}+11)$
- The first part is the 9's complement of "x" when "x" is a BCD number i.e. $(15-x)$ produces \bar{x} .
- And the (+1) is added to it when the Cin input of the full adder IC-7483 is connected to logic high i.e., 1 or +Vcc.

FLOW CHART

