Administrivia

Extensions

- Project I part 3 due II/I4 II:59PM EST
- Project I part 3 meetings: II/I4 II/2I
- HW4, Project 2: 11/31 11:59PM EST

Administrivia

EC2: Data as Art. Due 12/2 11:59PM EST

Your submission should be ORIGINAL. Submitting existing content can result in 0 credit and may violate academic honesty policies

Extra Credit: Data as Art #405







Reply to this post with a meme, story, poem, or other artistic expression of a concept or essence of data management from this semester.

Extra credit: up to 1%

Grading criteria (in order of importance)

- Originality
- How much it captures the essence of the data management concept (should not need explanation)
- Quality of execution
- Number of likes

Query Execution & Optimization

Eugene Wu

Steps for a New Application

Requirements

what are you going to build?

Conceptual Database Design

pen-and-pencil description

Logical Design

formal database schema

Schema Refinement:

fix potential problems, normalization

Physical Database Design

optimize for speed/storage

Optimization

App/Security Design

prevent security problems

Recall

Relational algebra equivalence: multiple stmts for same query some statements (much) faster than others

Which is faster?

- a. $\sigma_{v=1}(R X T)$
- b. $\sigma_{v=1}(\sigma_{v=1}(R) \times T)$

What if

Overview of Query Optimization

SQL → query plan

How plans are executed

Some implementations of operators

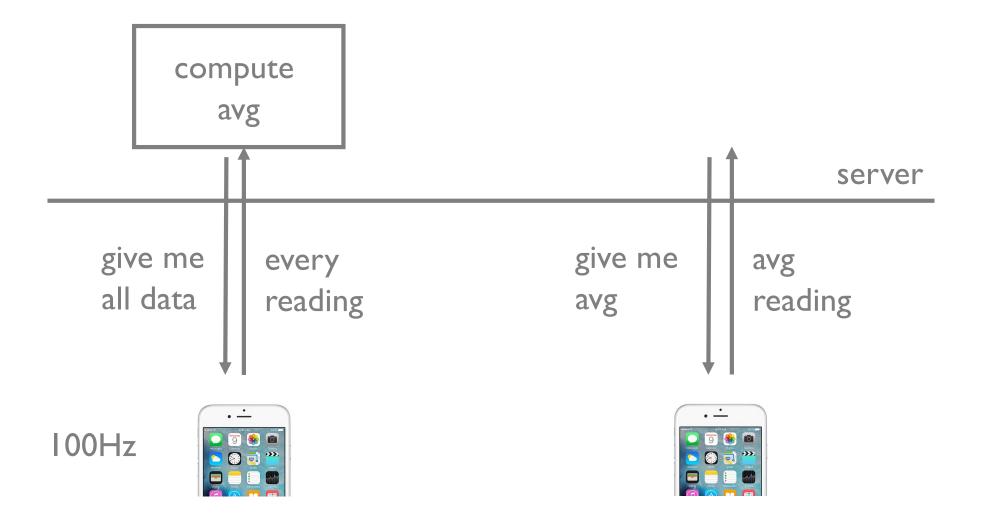
Cost + Selectivity estimation of a plan

System R dynamic programming

All ideas from System R's "Selinger Optimizer" 1979

iPhones as a database

"avg acceleration over the past hour"



WARNING!

Confusingly, the logical operators in a query plan use the same symbols as relational algebra operators BUT

- Relational algebra uses set semantics
- Logical operators (such as in this lecture) use bag/multiset semantics

SELECT a FROM R

$$\pi_a(R)$$

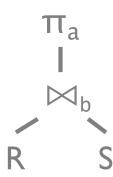
SELECT a FROM R WHERE a > 10

$$\pi_a(\sigma_{a>10}(R))$$

$$\begin{array}{c} \pi_a \\ I \\ \sigma_{a>10} \\ I \\ R \end{array}$$

SELECT a
FROM R JOIN S
ON R.b = S.b

$$\pi_a(\bowtie_b(R,S))$$



Push vs Pull?

Push (e.g., a river)

Operators are input-driven

As operator (say reading input table) gets data, push it to parent operator.

Often used in streaming systems

Pull (e.g., a straw)

Operators are demand-driven

If parent says "give me next data", then do the work

Are cursors push or pull?

```
Op at a time
read R
filter a>10 and write out
read and project a
projected results send to user
Cost: B + M + M
```

```
\begin{array}{c} \pi_a \\ I \\ \sigma_{a>10} \\ I \\ R \end{array}
```

```
B # data pages
```

M # pages matched in WHERE clause

```
Pipelined exec (at page granularity) read first page of R, pass to \sigma filter a > 10 and pass to \pi project a (all operators run concurrently) Cost: B
```

```
\pi_a
I
\sigma_{a>10}
I
R
```

- B # data pages
- M # pages matched in WHERE clause

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Pipelined exec (at page granularity) read first page of R, pass to \sigma filter a > 10 and pass to \pi project a (all operators run concurrently) Cost: B
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```

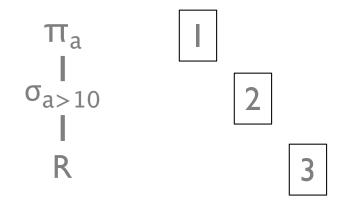
- B # data pages
- M # pages matched in WHERE clause

```
Pipelined exec (at page granularity) read first page of R, pass to \sigma filter a > 10 and pass to \pi project a (all operators run concurrently) Cost: B
```

```
\begin{array}{ccc} \pi_a & & \\ I & & \\ \sigma_{a>10} & & \\ I & & \\ R & & 2 & 3 \end{array}
```

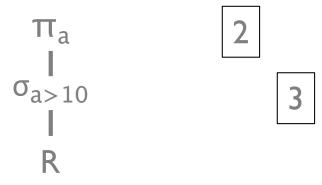
- B # data pages
- M # pages matched in WHERE clause

Pipelined exec (at page granularity) read first page of R, pass to σ filter a > 10 and pass to π project a (all operators run concurrently) Cost: B



- B # data pages
- M # pages matched in WHERE clause

```
Pipelined exec (at page granularity) read first page of R, pass to \sigma filter a > 10 and pass to \pi project a (all operators run concurrently) Cost: B
```



- B # data pages
- M # pages matched in WHERE clause

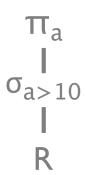
```
Pipelined exec (at page granularity) read first page of R, pass to \sigma filter a > 10 and pass to \pi project a (all operators run concurrently) Cost: B
```

```
\pi_a
I
\sigma_{a>10}
I
R
```

3

- B # data pages
- M # pages matched in WHERE clause

```
Pipelined exec (at page granularity) read first page of R, pass to \sigma filter a > 10 and pass to \pi project a (all operators run concurrently) Cost: B
```



Note: can't pipeline some operators!

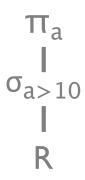
e.g., sort, some joins, aggregates

- B # data pages
- M # pages matched in WHERE clause

```
What if R is indexed?

Hash index

Not appropriate
```



B+Tree index

use a>10 to find initial data page
scan leaf data pages

Cost: log_FB + M

- B # data pages
- M # pages matched in WHERE clause

Push vs Pull?

What are the typical tradeoffs?

Pull

pro: easy to pipeline

con: more complexity, usually higher latency

Push

pro: vectorization, batching, simpler logic

con: hard to control rate of data

usually good for streaming

Access Paths

Access Path: how to access input data

file scan or

index + matching condition (e.g., a > 10)

Based on whether there is a "filter" operator **directly above** the Scan operator

$$T...$$

$$| \nabla v_{z}| \Rightarrow | \nabla v_{z}| \Rightarrow | \nabla v_{z}| \Rightarrow | \nabla v_{z}| \Rightarrow | Scan(R) | Sca$$

Access Paths

Sequential Scan doesn't accept any matching conditions

will (a > 1 and c > 9) work?

Hash index on <a,b,c> accepts conjunction of equality conditions on *all* search keys e.g., a=1 and b=5 and c=5 will (a=1) and b=5 work?

Tree index on <a,b,c> accepts conjunction of terms of *prefix* of search keys e.g., a > 1 and b = 5 and c < 5 will (a > 1) and b = 5) work?

How to pick Access Paths?

Selectivity

```
ratio of # outputs satisfying predicates vs # inputs
```

0.01 means I output tuple for every 100 input tuples

Assume attribute selectivity is independent

Let:

```
a=I has 0.1 selectivity
```

b>3 has 0.6 selectivity

What is selectivity of a=1 & b>3

$$0.1* 0.6 = 0.06$$

How to pick Access Paths?

Hash index on <a, b, c>

a = 1, b = 1, c = 1 how to estimate selectivity?

- pre-compute attribute statistics by scanning data
 e.g., a has 100 values, b has 200 values, c has 1 value
 selectivity = 1 / (100 * 200 * 1)
- 2. How many distinct values does hash index have? e.g., 1000 distinct values in hash index
- 3. make a number up "default estimate" is the fancy term

System Catalog Keeps Statistics

```
System R
```

```
NCARD "relation cardinality" # tuples in relation
```

```
TCARD # pages relation occupies
```

ICARD # keys (distinct values) in index

NINDX pages occupied by index

min and max keys in indexes

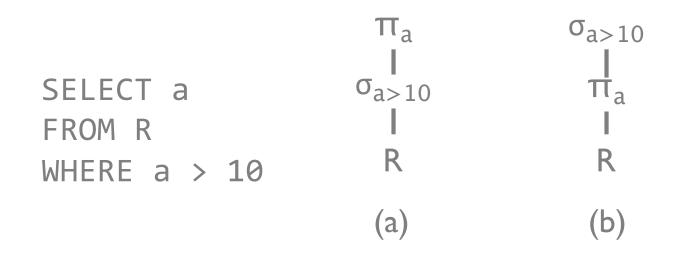
Statistics were expensive in 1979 Catalog stored in relations too

What Optimization Options Do We Have?

Access Path Predicate push-down
Join implementation
Join ordering

In general, depends on operator implementations. So let's take a look

Predicate Push Down



Access Path selection looks at operator right above the Scan. Thus, move filters close to Scan (change (b) \rightarrow (a))

Which is faster if B+ Tree index: (a) or (b)?

- (a) $log_{F}(B) + M pages$
- (b) B pages

- # data pages
- # pages matched

It's a Good Idea, especially when we look at Joins

The Join

Core database operation join of 100+ tables common in enterprise apps

Join algorithms is a large area of research

e.g., distributed, temporal, geographic, multi-dim, range, sensors, graphs, etc

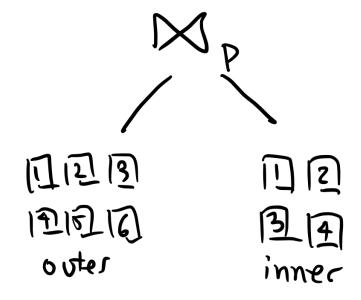
Discuss three common join implementations nested loops, indexed nested loops, hash join

Best join implementation depends on the query, the data, the indices, hardware, etc

Basic Join Algorithms

Costs for: outer JOIN inner on p

Nested Loops Join
Index Nested Loops Join
Hash Join



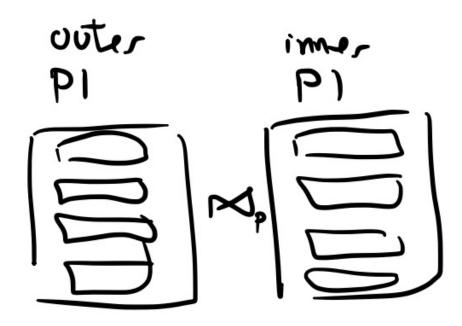
Prelim: Joins between two pages

Suppose we have one page of records from each join table

opage outer relation

ipage inner relation

If both pages in memory, the join itself is "free" in terms of disk costs



Prelim: Joins between two pages

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```
def join2pages(opage, ipage):
    for orow in opage:
        for resulttuple in joinrow(orow, ipage):
        yield resulttuple

def joinrow(orow, ipage):
    for irow in ipage:
        if orow.p == irow.p:
        yield (orow, irow)
```

Prelim: Joins between two pages

join2pages() will be our "atomic operation"

- considered "free" because runs in memory
- other join algorithms will call join2pages()

NLJ: Nested Loops Join

```
for opage in outer:  # M pages from disk
  for ipage in inner:  # N pages from disk per opage
    join2pages(opage, ipage)
```

M pages in outer, N pages in inner, T tuples per page

Very flexible

Equality check can be replaced with any condition Incremental algorithm

Cost: M + MN

Contrast with cross product?

INLJ: Indexed Nested Loops Join

```
for opage in outer:  # M pages from disk
  for orow in opage:  # in memory
    for ipage in index.get(orow.p): # read from disk
        joinrow(orow, ipage)
```

inner is already indexed on join attribute p

M pages in outer, N pages in inner, T tuples/page Cost of looking up in index is C_I predicate on outer has 5% selectivity

```
M + T * M * 0.05 * C_1
```

HJ: Basic Hash Join

```
index = initialize hash index
for ipage in inner:  # N pages
    for irow in ipage:
        index.insert(irow.p, irow)

for opage in outer:  # M pages
    for orow in opage:
        for irow in index.get(orow.p):
        INL join
```

Less Flexible

Equality joins

M pages in outer, N pages in inner, T tuples/page

Hash table in mem, assume no overflow pages → I lookup to get tuple

Cost:
$$N + M + (T * M) * 1$$

vield (row, irow)

Join Cost Summary for S join T assuming B+ index

 $NCARD(S) = N_s$

 $NCARD(T) = N_T$

 $NPAGES(S) = P_S$

 $NPAGES(T) = P_T$

 $ICARD(S) = I_S$

 $ICARD(T) = I_T$

Height of index = H

total # data pages depends on primary vs secondary index

SNLJT

 $P_S + P_S * P_T$

SINLJT

 $P_S + N_S * (lookup cost)$

SHJT

 $P_T + P_S + N_S * (lookup cost)$

lookup cost:

H + # data pgs (+ # pointers)

data pgs:

selectivity * total # data pages

Quick Recap

Single relation operator optimizations

Access paths

Primary vs secondary index costs

Predicate (Filter) push downs

2 relation operators aka Joins

Nested loops, index nested loops, basic hash join

Selectivity estimation

Statistics and simple models

Next:

multi-operator plan optimization!

Adaptive Optimization of Very Large Join Queries

Thomas Neumann Technische Universität München neumann@in.tum.de Bernhard Radke Technische Universität München radke@in.tum.de

Worst plan can be 100,000,000x slower!

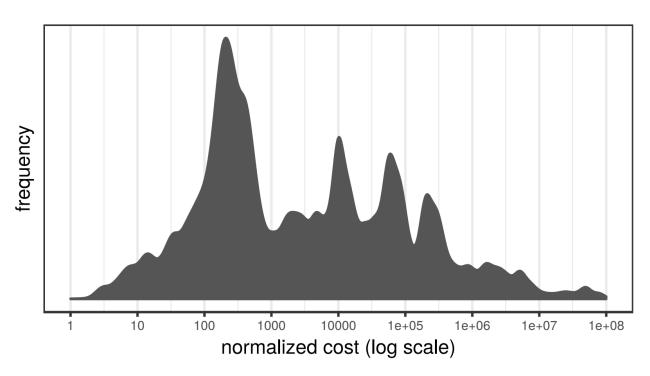


Figure 1: Normalized Cost Distribution of Random Plans for a Data-Warehouse-Style Query with 50 Relations

Origin of all existing optimizers don't go for best plan, go for least worst plan

2 Big Ideas

I. Cost Estimator

"predict" cost of query from statistics Includes CPU, disk, memory, etc (can get sophisticated!) It's an art

2. Plan Space

avoid cross product push selections & projections to leaves as much as possible only join ordering remaining

Origin of all existing optimizers don't go for best plan, go for least worst plan

2 Big Ideas

Access Path Selection in a Relational Database Management System

P. Griffiths Selinger
M. M. Astrahan
D. D. Chamberlin
R. A. Lorie
T. G. Price

IBM Research Division, San Jose, California 95193

ABSTRACT: In a high level query and data manipulation language such as SQL, requests are stated non-procedurally, without reference to access paths. This paper describes how System R chooses access paths for both simple (single relation) and complex queries (such as joins), given a user specification of desired data as a

retrieval. Nor does a user specify in what order joins are to be performed. The System R optimizer chooses both join order and an access path for each table in the SQL statement. Of the many possible choices, the optimizer chooses the one which minimizes "total access cost" for performing the entire statement.

Cost Estimation

estimate(operator, inputs, stats) → cost

```
estimate cost for each operator
depends on input cardinalities (# tuples)
discussed earlier in lecture
```

estimate **output** size for each operator need to call estimate() on inputs!

use selectivity. assume attributes are independent

```
Try it in PostgreSQL: EXPLAIN <query>;
```

Estimate Size of Output

```
SELECT * FROM R1, ..., Rn WHERE term<sub>1</sub> AND ... AND term<sub>m</sub>
```

Query input size

Term selectivity

```
col = v   I/ICARD_{col}

col I = col 2   I/max(ICARD_{col I}, ICARD_{col 2})

col > v   (max_{col} - v) / (max_{col} - min_{col})
```

Query output size

```
|RI|*...*|Rn| * term<sub>I</sub> selectivity * ... * term<sub>m</sub> selectivity
```

Estimate Size of Output

Emp: 1000 Cardinality

Dept: 10 Cardinality

Cost(Emp join Dept)

In general

total records 1000 * 10 = 10,000

Selectivity of Emp I/1000 = 0.001

Selectivity of Dept I/I0 = 0.I

Join Selectivity I / max(Ik, I0) = 0.00I

Output Card: 10,000 * 0.001 = 10

Key, Foreign Key join

Output Card: 1000

note: selectivity defined wrt cross product size

Try it out

R.sid = S.sid selectivity 0.01 R.bid selectivity 0.05

|R| = M

|S| = N

SELECT *
FROM R, S
WHERE R.sid = S.sid
AND R.bid = 10

Cost: M + MN selection is pipelined

outputs: 0.0005MN

$$\sigma_{\text{R.bid}} = 10$$
 \downarrow_{sid}
 R

Try it out

R.sid = S.sid selectivity 0.01

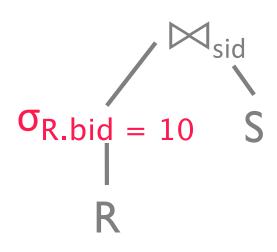
R.bid selectivity 0.05

|R| = M

|S| = N

Cost: ?????

outputs: 0.0005MN



Try it out

R.sid = S.sid selectivity 0.01

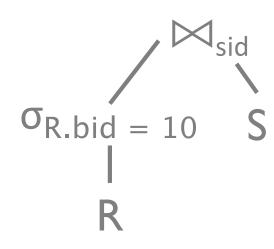
R.bid selectivity 0.05

|R| = M

|S| = N

Cost: M + (0.05MN)

outputs: 0.0005MN



Granddaddy of all existing optimizers don't go for best plan, go for least worst plan

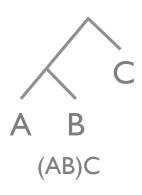
- 2 Big Ideas
- I. Cost Estimator

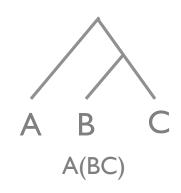
"predict" cost of query from statistics
Includes CPU, disk, memory, etc (can get sophisticated!)
It's an art

Plan Space
 avoid cross product
 push selections & projections to leaves as much as possible
 only join ordering remaining

Join Plan Space

AMBMC





How many (AB)C (AC)B (BC)A (BA)C (CA)B (CB)A plans? A(BC) A(CB) B(CA) B(AC) C(AB) C(BA)

parenthetizations * #strings

Join Plan Space

parenthetizations * #strings

```
A: (A)
    AB: (AB)
   ABC: ((AB)C), (A(BC))
 ABCD: (((AB)C)D), ((A(BC))D), ((AB)(CD)), (A((BC)D)), (A(B(CD)))
paren(n) choose(2(N-1), (N-1)) / N
```

(choose(2(N-1), (N-1)) / N) * N!

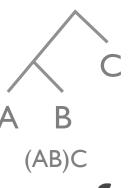
N=10 #plans = 17,643,225,600

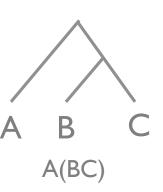
Simplify the set of plans so it's tractable and ~ok

- I. Push down selections and projections
- 2. Ignore cross products (S&T don't share attrs)
- 3. Left deep plans only
- 4. Dynamic programming optimization problem
- 5. Consider interesting sort orders (ignored in this class)

parens(N) = I

Only left-deep plans
ensures pipelining









Dynamic Programming

Idea: If considering ((ABC)DE)
compute best (ABC), cache, and reuse
figure out best way to combine with (DE)

Dynamic Programming Algorithm compute best join size 1, then size 2, ... $\sim O(N*2^N)$

Reducing the Plan Space

```
Dynamic Programming Algorithm
   compute best join size 1, then size 2, ...
   R = relations to join
   N = |R|
   for i in {1,... N} # from join size 1 to join size N
      for S in {all size i subsets of R}
          bestjoin(S) = S-A join A
          # A is relation that minimizes the join cost:
           use bestjoin(S-A) as the outer relation
             min cost join algo of (S-A) with A using
             minimum access cost for A
          # calculate for every possible A, pick the best
```

Selinger Algorithm i = I

bestjoin(ABC), only nested loops join

```
i = 1
```

A =ways to access A

B = ways to access B

C = ways to access C

cost: N relations

Selinger Algorithm i = 2

bestjoin(ABC), only nested loops join

```
    i = 2
    A,B = bestjoin(A)B or bestjoin(B)A
    A,C = bestjoin(A)C or bestjoin(C)A
    B,C = bestjoin(B)C or bestjoin(C)B
```

cost: choose(N, 2) * 2

Selinger Algorithm i = 3

bestjoin(ABC), only nested loops join

```
i = 3
A,B,C = bestjoin(BC)A or
    bestjoin(AC)B or
    bestjoin(AB)C
```

cost: choose(N, 3) * 3

Selinger Algorithm Cost

```
cost = # subsets * # options per subset
                          set of relations R
                              N = |R|
#subsets
           = choose(N, 1) + choose(N, 2) + choose(N, 3)...
            = 2^{N}
           = k<N subsets to be inner relation (right side) *
#options
             J join algorithms (NL, INL, ...)
            < |*N
Cost = J*N*2^N
N = 12 49152
                               # if only using INL
```

Summary

Single operator optimizations

Access paths

Primary vs secondary index costs

Predicate/project push downs

2 operators aka Joins

Nested loops, index nested loops

Full plan optimizations

Naïve vs Selinger join ordering

Selectivity estimation

Statistics and simple models

Summary

Query optimization is a deep, complex topic

Pipelined plan execution

Different types of joins

Cost estimation of single and multiple operators

Join ordering is hard!

You should understand

```
Estimate query cardinality, selectivity

Apply predicate push down

Given primary/secondary indexes and statistics, pick best index for access method + est cost pick best index for join + est cost pick best join order for 3 tables pick cheaper of two execution plans
```