

PHY153
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05/07/2020

1. Final project (python code)

Part 2: Today (50% of final project score) Due: Friday May 15, 2020

[Part 1: Past Homework 0423Ex1.py (50% of final project score)]

2. Extra/Optional: Latex and Pandas (posted on blackboard)

PHY153 Final project, DUE 05/15/2020

Data analysis of a Geiger plateau experiment (FIG. 1)

Write a code that:

- 1) Reads the data (voltage, counts per min) from 0507_data.txt file.
https://blackboard.stonybrook.edu/bbcswebdav/pid-5384319-dt-content-rid-42801574_1/courses/1204-PHY-153-SEC01-47443/0507_data.txt
and plots counts per min versus voltage with uncertainties on the number of counts per min (assuming Poisson statistics).
- 2) Locates the “plateau” of the GM tube (i.e. find V_{TH0}) by performing a series of straight line fits assuming: $Rate(V) = b + a \cdot V$ in 3 different Tube voltage ranges RangeI=(V1; V2), RangeII=(V2 ; V3), and RangeIII=(V3, V4) . Fit parameters are a and b.
- 3) Makes plots which superimpose data and individual fitted lines: $Rate(V) = b + a \cdot V$ in RangeI, RangeII and RangeIII. The number of plots should equal number of rows in TableI.

For each fit quantify its quality (S_m/NdF and corresponding probability p-value). See Table I.

Select a set of fit results for a given set of (V1,V2,V3 and V4) that produces the best χ^2 (i.e. “good” S_m value) in range II , where the data must follow a straight line. $V_{TH0} = V2$ of the best fit is the GM “**threshold voltage**”, i.e. the voltage at the beginning of the GM plateau. What is the value of V_{TH0} and **slope (fit value and its uncertainty, rounded)** of the plateau.

Write your answers (and interpretation of results) as part of your code (print statement).

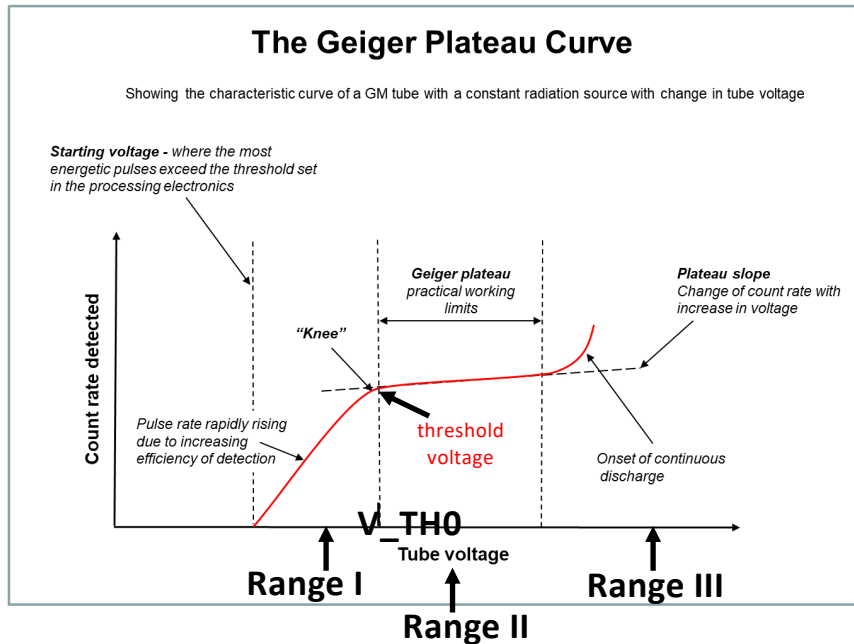
Use Table I format to summarize your results obtained in 2) . Table I should be created in Word/Latex or a software of your choice.

Results in Table I should be reproducible by running the code.

Complete analysis of data must be done in Python script (**your_name_final.py**) and submitted by email to: Joanna.Kirylyuk@stonybrook.edu by 05/15/2020. **All figures** (data and fit results plots) **must be created in Python script and included as part of your submission. TableI should be included as part of your submission. YOUR CODE MUST RUN WITHOUT ERRORS!**

Academic integrity is expected of all students at all times, whether in the presence or absence of members of the faculty. Understanding this, I declare that I shall not give, use, or receive unauthorized aid in this examination. I have been warned that any suspected instance of academic dishonesty will be reported to the appropriate office and that I will be subjected to the maximum possible penalty permitted under University guidelines.

Fig. I



Source: Wikipedia

https://en.wikipedia.org/wiki/Geiger-Müller_tube

Table I

Fit number	Range I (V1, V2)	$a1 \cdot V + b1$	Range II. (V2, V3)	$a2 \cdot V + b2$	Range III. (V3, V4)	$a3 \cdot V + b3$
	V1, V2	a1, b1, Sm1, ndf1, pvalue1	V2, V3	a2, b2, Sm2, ndf2, pvalue2	V3, V4	a3, b3, Sm3, ndf3, pvalue3
1.						
2.						
3.						
4.						
...						
...						
n						

Final answer format : (V1,V2,V3,V4)

Range I: (V1,V2), $a1 \cdot V + b1$, $a1 \pm \sigma a1$, $b1 \pm \sigma b1$, Sm1, ndf1, pvalue1

Range II: (V2,V3), $a2 \cdot V + b2$, $a2 \pm \sigma a2$, $b2 \pm \sigma b2$, Sm2, ndf2, pvalue2

Range III: (V3,V4), $a3 \cdot V + b3$, $a3 \pm \sigma a3$, $b3 \pm \sigma b3$, Sm3, ndf3, pvalue3

Slope and intercept: results should be properly rounded.

Selections example code with logical conditions

```
import numpy as np
```

```
v = np.linspace(500, 800, 100)
```

```
TH1, TH2 = 600, 760
```

```
boolV = np.logical_and(v >= TH1, v < TH2)
```

```
v_cut = v[boolV]
```