

Grooving Monkeys

Problem Description

N monkeys are invited to a party where they start dancing. They dance in a circular formation, very similar to a Gujarati Garba or a Drum Circle. The dance requires the monkeys to constantly change positions after every 1 second.

The change of position is not random & you, in the audience, observe a pattern. Monkeys are very disciplined & follow a specific pattern while dancing.

Consider $N = 6$, and an array `monkeys = {3,6,5,4,1,2}`.

This array (1-indexed) is the dancing pattern. The value at `monkeys[i]`, indicates the new of position of the monkey who is standing at the *i*th position.

Given N & the array `monkeys[]`, find the time after which all monkeys are in the initial positions for the 1st time.

Constraints

$1 \leq t \leq 10$ (test cases)

$1 \leq N \leq 10000$ (Number of monkeys)

Input Format

First line contains single integer t , denoting the number of test cases.

Each test case is as follows -

Integer N denoting the number of monkeys.

Next line contains N integer denoting the dancing pattern array, `monkeys[]`.

Output

t lines,

Each line must contain a single integer T , where T is the minimum number of seconds after which all the monkeys are in their initial position.

Timeout

1

Explanation

Example 1

Input

1

6

3 6 5 4 1 2

Output

6

Explanation

Consider $N = 6$, and an array monkeys = {3,6,5,4,1,2}.

Suppose monkeys are a,b,c,d,e,f, & Initial position (at $t = 0$) \rightarrow a,b,c,d,e,f

At $t = 1 \rightarrow$ e,f,a,d,c,b

a will move to 3rd position, b will move to 6th position, c will move to 5th position, d will move to 4th position, e will move to 1st position and f will move to 2nd position. Thus from a,b,c,d,e,f at $t = 0$, we get e,f,a,d,c,b at $t = 1$. Recursively applying same transpositions, we get following positions for different values of t.

At $t = 2 \rightarrow$ c,b,e,d,a,f

At $t = 3 \rightarrow$ a,f,c,d,e,b

At $t = 4 \rightarrow$ e,b,a,d,c,f

At $t = 5 \rightarrow$ c,f,e,d,a,b

At $t = 6 \rightarrow$ a,b,c,d,e,f

Since at $t = 6$, we got the original position, therefore the answer is 6.