Lab 4

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2025-02-05

#setup

```
#Tidy Functions
#rename columns
weather_data <- weather_data %>%
 rename(daily_precip_mm = daily_precip)
#case_when
#create new column to indicate snowy days
weather_data <- weather_data %>%
#when the air temperature is below freezing
mutate(snow_days = case_when(mean_airtemp < 0 &</pre>
#and there is precipitation, we classify the day as SNOWY
                               daily_precip_mm > 0 ~ 'SNOW',
#alternatively, for all other cases, there's no snow
                            TRUE ~ 'NO SNOW'))
#Confidence Intervals
#save output of t.test() to new variable name
precip_test <- t.test(weather_data$daily_precip_mm,</pre>
                      conf.level = 0.90)
#examine the result
precip_test
##
## One Sample t-test
## data: weather_data$daily_precip_mm
## t = 35.867, df = 10750, p-value < 2.2e-16
## alternative hypothesis: true mean is not equal to 0
## 90 percent confidence interval:
## 0.9073396 0.9945672
## sample estimates:
## mean of x
## 0.9509534
#save output of binom.test() to new variable name.
vote_test \leftarrow binom.test(x = 187, n = 254,
                        conf.level = 0.90)
vote_test
```

```
##
## Exact binomial test
##
## data: 187 and 254
## number of successes = 187, number of trials = 254, p-value = 2.681e-14
## alternative hypothesis: true probability of success is not equal to 0.5
## 90 percent confidence interval:
## 0.6868405 0.7814295
## sample estimates:
## probability of success
                0.7362205
#One-Sample Hypothesis Tests
#null hypothesis: the mean daily precipitation is 2mm
#alternative hypothesis: the mean daily precipitation is not 2 mm
#one-sample t-test
precip_ttest1 <- t.test(weather_data$daily_precip_mm,</pre>
                        mu = 2,
                        conf.level = 0.99,
                        alternative = 'two.sided')
precip_ttest1
##
## One Sample t-test
##
## data: weather_data$daily_precip_mm
## t = -39.567, df = 10750, p-value < 2.2e-16
## alternative hypothesis: true mean is not equal to 2
## 99 percent confidence interval:
## 0.8826482 1.0192586
## sample estimates:
## mean of x
## 0.9509534
#99\% CI means alpha = 0.01
\#p < 2.2e-16 \text{ so } p < alpha
#we choose to reject the null hypothesis and retain the alternative
#hypothesis that mean daily precipitation is not 2 mm per day,
\#because p < 0.01
#null hypoth: the mean daily precipitation is less than 1mm
#alternative hypoth: the mean daily precip is greater than 1mm
#one sample t-test
precip_ttest2 <- t.test(weather_data$daily_precip_mm,</pre>
                        mu = 1,
                        conf.level = 0.99,
                        alternative = 'greater')
precip_ttest2
```

```
##
## One Sample t-test
##
## data: weather_data$daily_precip_mm
## t = -1.8499, df = 10750, p-value = 0.9678
## alternative hypothesis: true mean is greater than 1
## 99 percent confidence interval:
## 0.8892656
## sample estimates:
## mean of x
## 0.9509534
#99\% CI means alpha = 0.01
\#p = 0.9678 \text{ so } p > alpha
#we choose to retain the null hypothesis that mean daily precip
#is less than 1mm per day, because p > 0.01.
#Two-Sample Hypothesis Test
#first use case when function to create a new column that categorizes
#records based on when they were collected
weather_data <- weather_data %>%
  mutate(time_period = case_when(date < '2003-01-01' ~ 'early',</pre>
                                  date >= '2003-01-01' ~ "late",
                                 TRUE ~ NA))
#we added the TRUE ~ NA athe the end in order to spit out an NA for
#any row that does not adhere to any of the logical statements we've provided.
#Create an 'early' dataset using the filter function
early_data <- weather_data %>%
 filter(time_period == 'early')
#create a late dataset
late_data <- weather_data %>%
  filter(time_period == 'late')
#first test for equal variances
precip_vartest <- var.test(x = early_data$daily_precip_mm,</pre>
                           y = late_data$daily_precip_mm,
                           alternative = 'two.sided',
                           conf.level = 0.95)
precip_vartest
##
## F test to compare two variances
## data: early_data$daily_precip_mm and late_data$daily_precip_mm
## F = 0.9251, num df = 4958, denom df = 5791, p-value = 0.004498
\#\# alternative hypothesis: true ratio of variances is not equal to 1
## 95 percent confidence interval:
## 0.8768411 0.9761337
```

sample estimates:

-0.17093029 0.03694546

sample estimates:
mean of x mean of y
0.9148619 0.9818543