QUERY PROCESSING & OPTIMIZATION

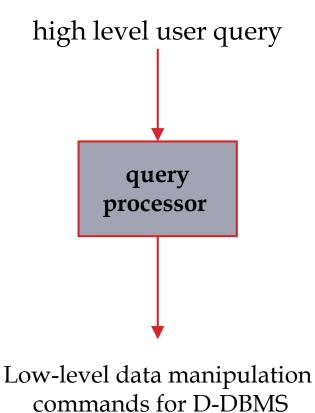
CHAPTER 19 (6/E)

CHAPTER 15 (5/E)

LECTURE OUTLINE

- Query Processing Methodology
- Basic Operations and Their Costs
- Generation of Execution Plans

QUERY PROCESSING IN A DDBMS



SELECTING ALTERNATIVES

SELECT ENAME

FROM EMP, ASG

WHERE EMP.ENO = ASG.ENO

AND ASG.RESP = "Manager"

Strategy 1

 $\Pi_{\text{ENAME}}(\sigma_{\text{RESP="Manager"} \land \text{EMP.ENO=ASG.ENO}}(\text{EMP*ASG}))$

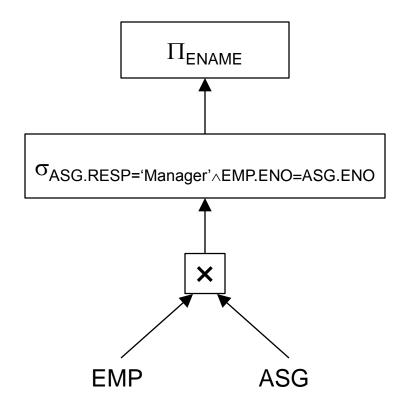
Strategy 2

$$\Pi_{\mathsf{ENAME}}(\mathsf{EMP} \bowtie_{\mathsf{ENO}} (\sigma_{\mathsf{RESP="Manager"}}(\mathsf{ASG}))$$

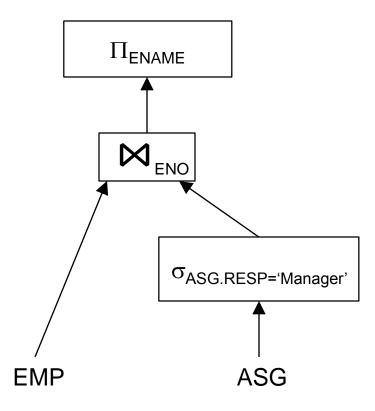
Strategy 2 avoids Cartesian product, so may be "better"

PICTORIALLY

Strategy 1

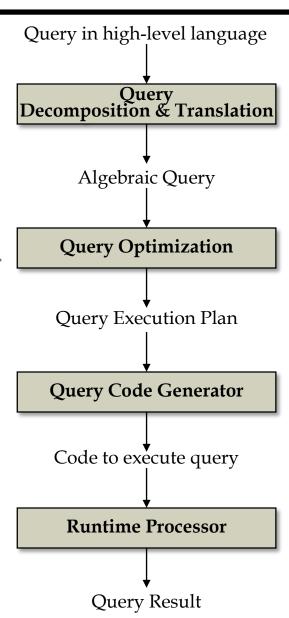


Strategy 2



QUERY PROCESSING METHODOLOGY

- generate alternative access plans, i.e., procedure, for processing the query
- select an efficient access plan



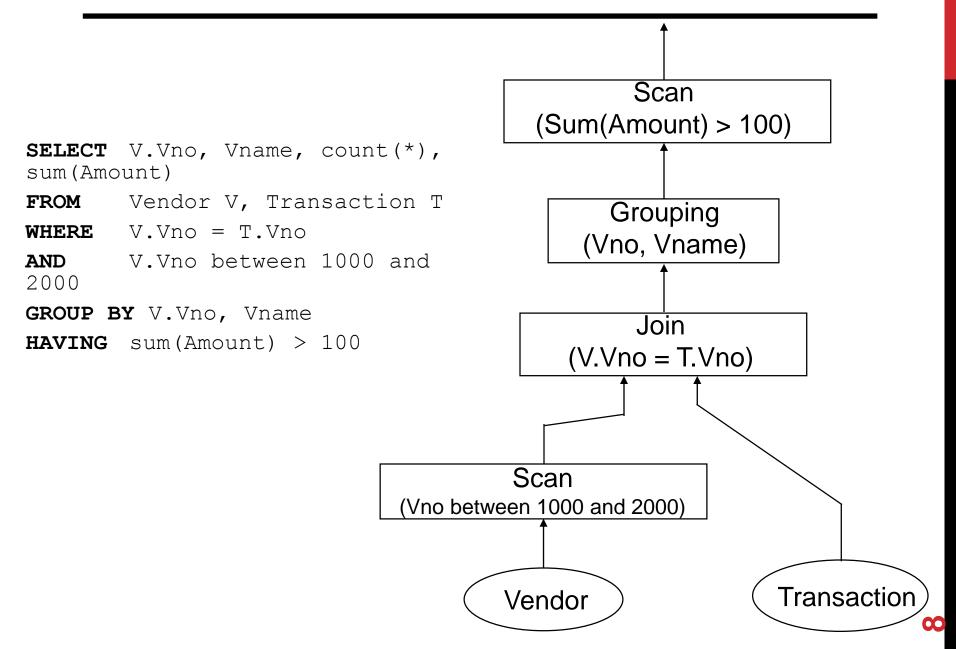
SQL

- check SQL syntax
- check existence of relations and attributes
- replace views by their definitions
- transform query into an internal form

EXAMPLE

- Scan the Vendor table, select all tuples where Vno = [1000, 2000], eliminate attributes other than Vno and Vname, and place the result in a temporary relation R₁
- Join the tables R₁ and Transaction, eliminate attributes other than Vno, Vname, and Amount, and place the result in a temporary relation R₂. This may involve:
 - sorting R₁ on Vno
 - sorting Transaction on Vno
 - merging the two sorted relations to produce R₂
- Perform grouping on R_2 , and place the result in a temporary relation R_3 . This may involve:
 - sorting R₂ on Vno and Vname
 - grouping tuples with identical values of Vno and Vname
 - counting the number of tuples in each group, and adding their Amounts
- Scan R₃, select all tuples with sum(Amount) > 100 to produce the result.

EXAMPLE



QUERY OPTIMIZATION ISSUES

- Determining the "shape" of the execution plan
 - Order of execution
- Determining which how each "node" in the plan should be executed
 - Operator implementations
- These are interdependent and an optimizer would do both in generating the execution plan

"SHAPE" OF THE EXECUTION PLAN

- Finding query trees that are "equivalent"
 - Produce the same result provably
- These are based on the transformation (equivalence) rules
- Commutativity of selection

•
$$\sigma_{p_1(A_1)}(\sigma_{p_2(A_2)}R) \Leftrightarrow \sigma_{p_2(A_2)}(\sigma_{p_1(A_1)}R)$$

- Commutativity of binary operations
 - $R \times S \Leftrightarrow S \times R$
 - $R \bowtie S \Leftrightarrow S \bowtie R$
 - $R \cup S \Leftrightarrow S \cup R$
 - $R \cap S \Leftrightarrow S \cap R$
- Associativity of binary operations
 - $(R \times S) \times T \Leftrightarrow R \times (S \times T)$
 - $(R \bowtie S) \bowtie T \Leftrightarrow R \bowtie (S \bowtie T)$
 - $(R \cup S) \cup T \Leftrightarrow (S \cup R) \cup T$
- Cascading of unary operations
 - $\Pi_{A'}(\Pi_{A'}(R)) \Leftrightarrow \Pi_{A'}(R)$ where R[A] and $A' \subseteq A$, $A'' \subseteq A$ and $A' \subseteq A''$
 - $\sigma_{p_1(A_1)}(\sigma_{p_2(A_2)}(R)) \Leftrightarrow \sigma_{p_1(A_1) \wedge p_2(A_2)}(R)$

OTHER TRANSFORMATION RULES

- Commuting selection with projection
 - $\Pi_B(\sigma_{p(A)}R) \Leftrightarrow \sigma_{p(A)}(\Pi_BR)$ (where $B \subseteq A$)
- Commuting selection with binary operations
 - $\sigma_{p(A)}(R \times S) \Leftrightarrow (\sigma_{p(A)}(R)) \times S$ (where A belongs to R only)
 - $\sigma_{p(A_i)}(R \bowtie_{(A_i,B_k)} S) \Leftrightarrow (\sigma_{p(A_i)}(R)) \bowtie_{(A_i,B_k)} S$ (where A_i belongs to R only)
 - $\sigma_{p(A_i)}(R \cup S) \Leftrightarrow \sigma_{p(A_i)}(R) \cup \sigma_{p(A_i)}(S)$ (where A_i belongs to R and S)
 - $\sigma_{\rho(A_i)}(R \cap S) \Leftrightarrow \sigma_{\rho(A_i)}(R) \cap \sigma_{\rho(A_i)}(s)$ (where A_i belongs to R and S)
- Commuting projection with binary operations
 - $\Pi_{C}(R \times S) \Leftrightarrow \Pi_{A'}(R) \times \Pi_{B'}(S)$
 - $\Pi_{\mathcal{C}}(R \bowtie_{(A_{\dot{r}}B_{\dot{k}})}S) \Leftrightarrow \Pi_{A'}(R) \bowtie_{(A_{\dot{r}}B_{\dot{k}})}\Pi_{B}(S)$
 - $\Pi_{\mathcal{C}}(R \cup S) \Leftrightarrow \Pi_{\mathcal{C}}(R) \cup \Pi_{\mathcal{C}}(S)$
 - $\Pi_{C}(R \cap S) \Leftrightarrow \Pi_{C}(R) \cap \Pi_{C}(S)$

where R[A] and S[B]; $C = A' \cup B'$ where $A' \subseteq A$, $B' \subseteq B$

EXAMPLE TRANSFORMATION

Find the names of employees other than J. Doe who worked on the CAD/CAM project for either one or $\sigma_{G.DUR=12 \ \land \ G.DUR=24}$ two years.

SELECT ENAME

FROM PROJ P, ASG G, EMP E

WHERE G.ENO=E.ENO

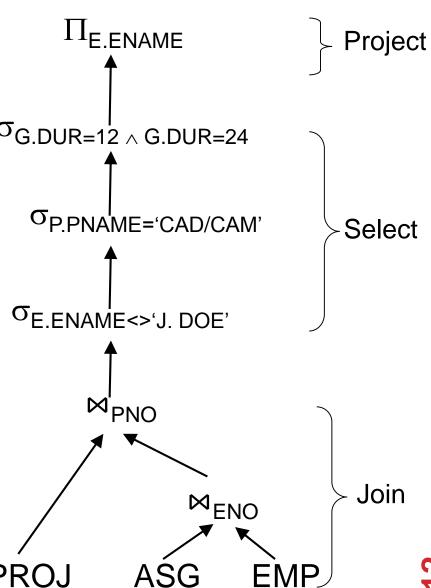
AND G.PNO=P.PNO

AND E.ENAME <> 'J. Doe'

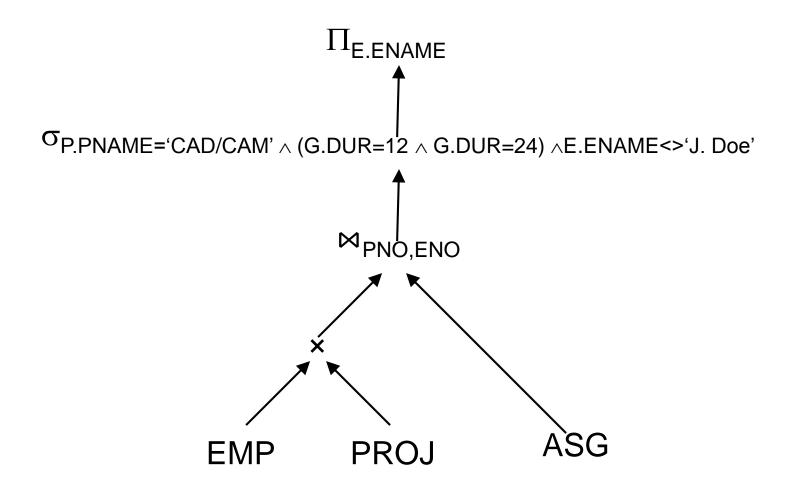
AND P.PNAME='CAD/CAM'

AND (G.DUR=12 **OR**

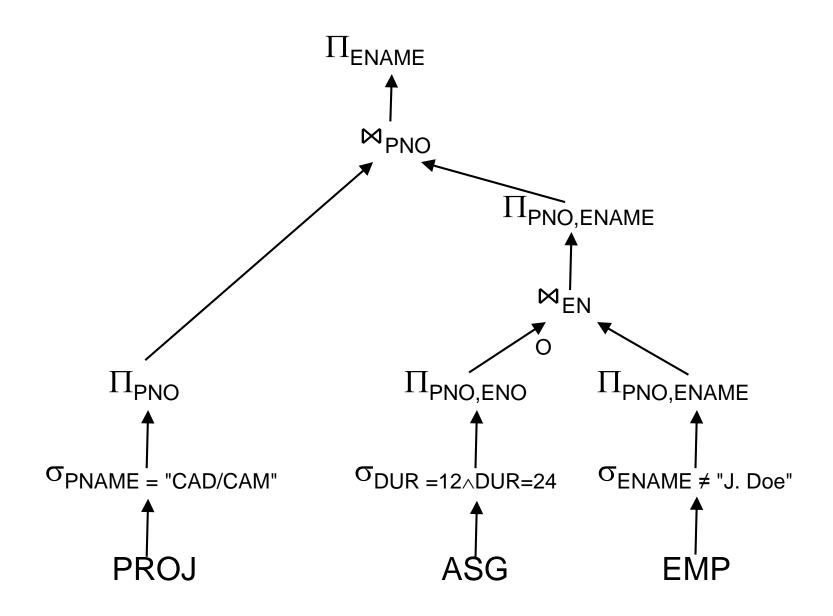
G.DUR=24)



EQUIVALENT QUERY

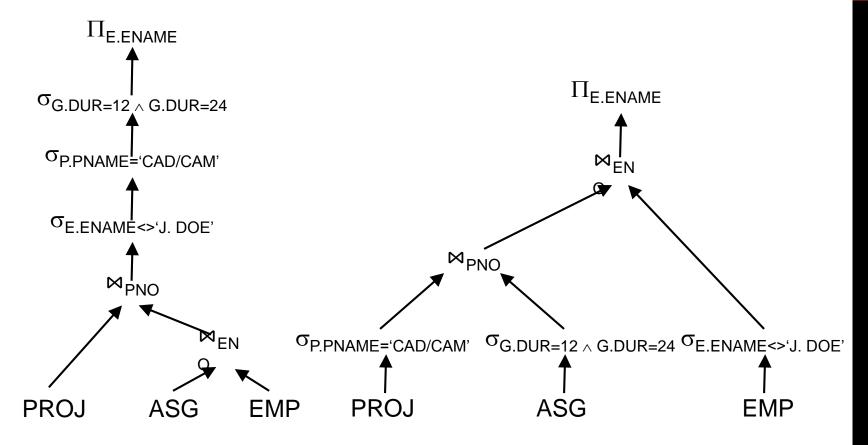


ANOTHER EQUIVALENT QUERY



CLICKER QUESTION #36

Is the right query plan equivalent to the left query plan?



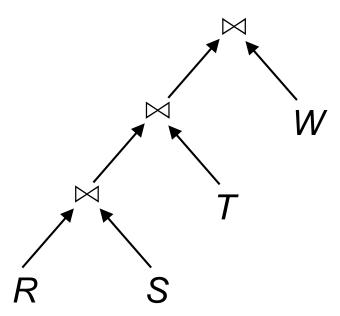
- (a) Yes
- (b) No

IMPORTANT PROBLEM – JOIN ORDER

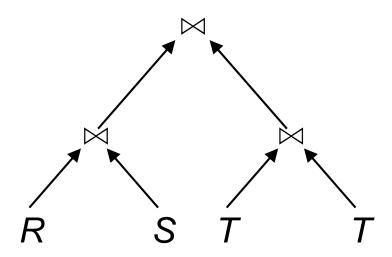
Assume you have

 $R \bowtie S \bowtie T \bowtie W$

Linear Join Tree



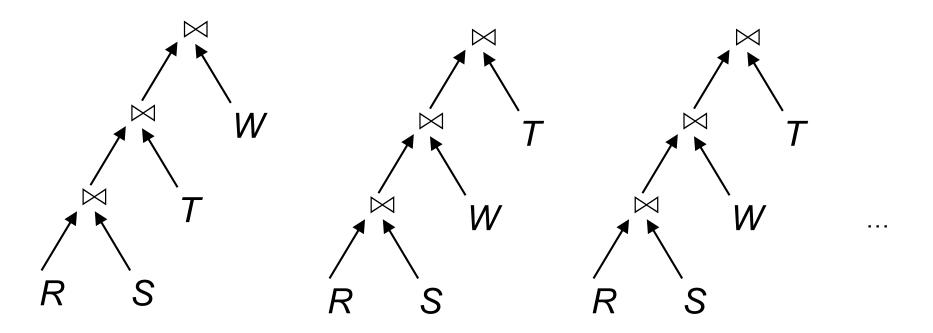
Bushy Join Tree



- Most systems implement linear join trees
 - Left-linear

JOIN ORDERING

- Even with left-linear, how do you know which order?
 - Assume natural join over common attributes



SOME OPERATOR IMPLEMENTATIONS

- Tuple Selection
 - without an index
 - with a clustered index
 - with an unclustered index
 - with multiple indices
- Projection
- Joining
 - nested loop join
 - sort-merge join
 - and others...
- Grouping and Duplicate Elimination
 - by sorting
 - by hashing
- Sorting

EXAMPLE – JOIN ALGORITHMS

```
SELECT C.Cnum, A.Balance
FROM Customer C, Accounts A
WHERE C.Cnum = A.Cnum
```

Nested loop join:

```
for each tuple c in Customer do
for each tuple a in Accounts do
if c.Cnum = a.Cnum then
output c.Cnum,a.Balance
end
end
```

EXAMPLE – JOIN ALGORITHMS (2)

```
SELECT C.Cnum, A.Balance
FROM Customer C, Accounts A
WHERE C.Cnum = A.Cnum
```

Index join:

```
for each tuple c in Customer do
use the index to find Accounts tuples a
where a.Cnum matches c.Cnum
if there are any such tuples a then
output c.Cnum, a.Balance
end
end
```

Sort-merge join:

sort Customer and Accounts on Cnum merge the resulting sorted relations

COMPLEXITY OF OPERATORS

- Assume
 - Relations of cardinality n
 - Sequential scan

Operation	Complexity
Select Project (without duplicate elimination	O(<i>n</i>)
Project (with duplicate elimination) Group	O(<i>n</i> * log <i>n</i>)
Join Semi-join Division Set Operators	O(n * log n)
Cartesian Product	$O(n^2)$

COST OF PLANS

- Alternative access plans may be compared according to cost.
- The cost of an access plan is the sum of the costs of its component operations.
- There are many possible cost metrics. However, most metrics reflect the amounts of system resources consumed by the access plan. System resources may include:
 - disk block I/O's
 - processing time
 - network bandwidth

LECTURE SUMMARY

- Query processing methodology
- Basic query operations and their costs
- Generation of execution plans