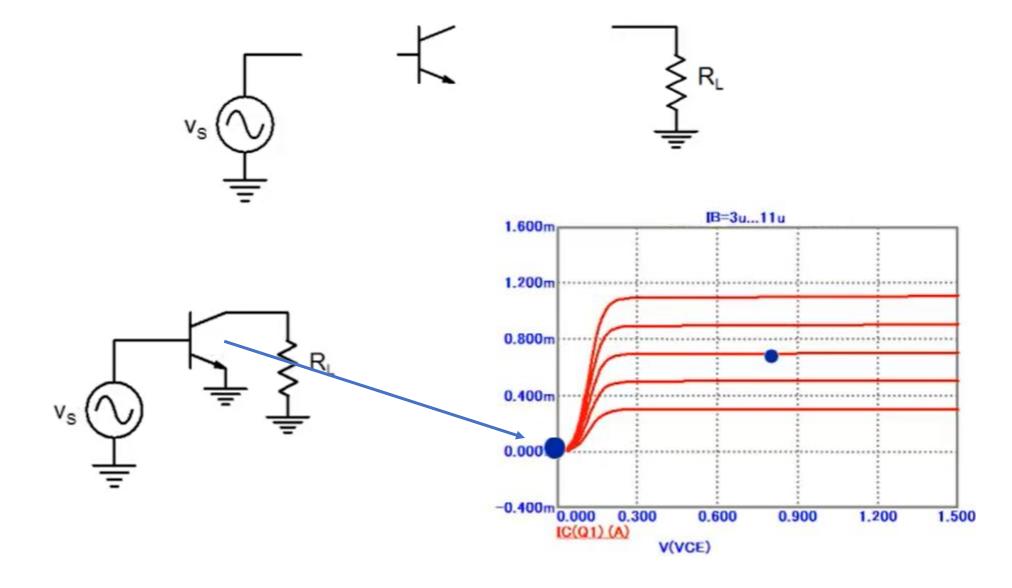
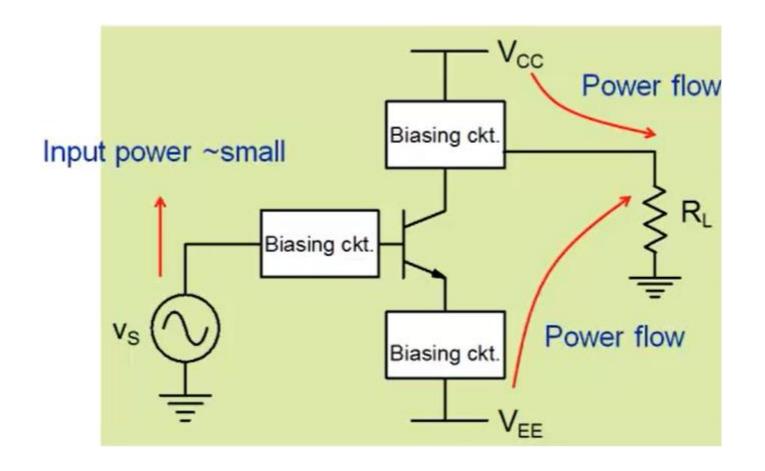
# **BJT Amplifier Biasing**

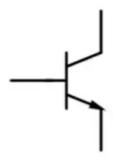
## **Biasing**



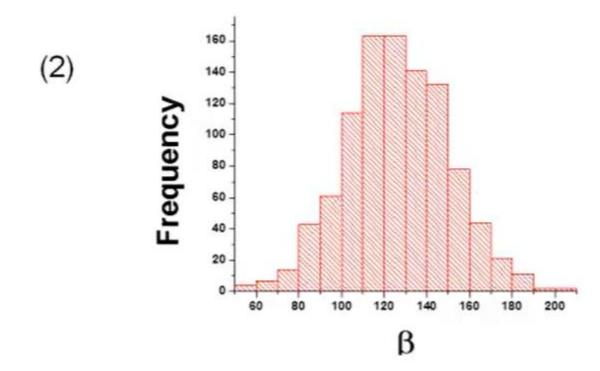


Good Biasing circuit: Bias point is stable against variations in temperature, current gain  $\beta$ , supply voltage etc, power efficient, low cost ....

#### Variations to watch out for



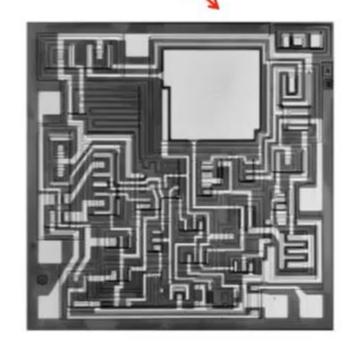
(1) 
$$\frac{dV_{BE}}{dT} \cong -2mV / ^{o} C$$



Different biasing circuit for discrete and monolithic (IC) circuit implementation

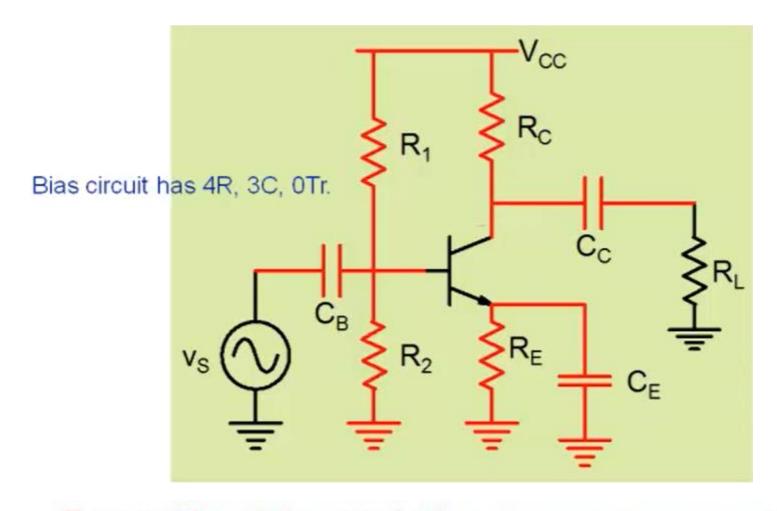


Resistors and capacitors are 'cheap' and transistors are relatively more expensive.



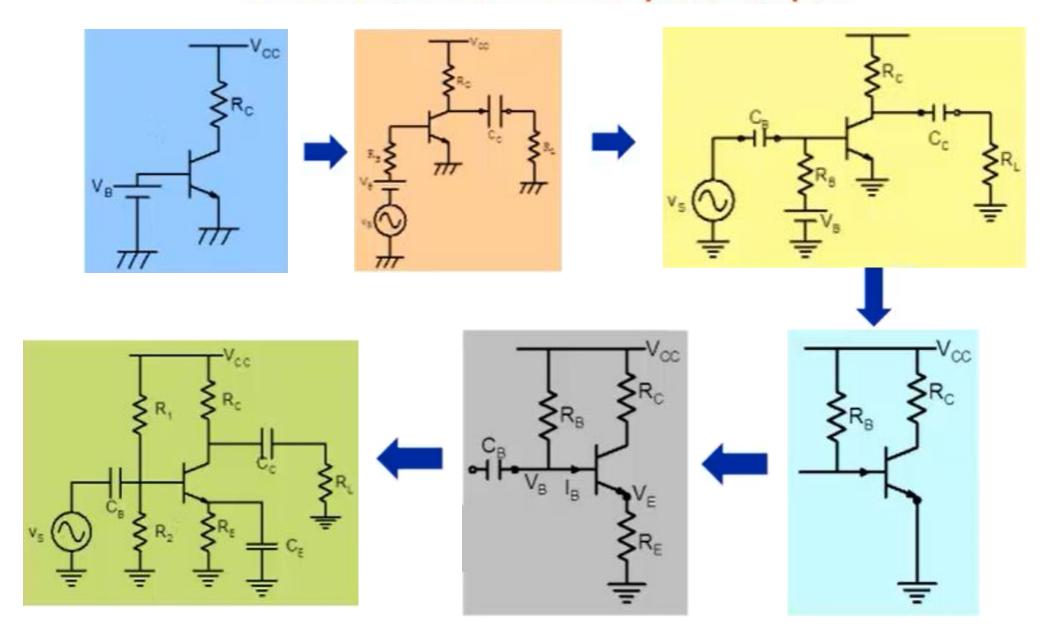
Higher value resistors (M $\Omega$ ) are expensive and capacitors in pF range only are possible. Passive components are expensive, while transistors are cheap!

#### A good biasing circuit for discrete implementation

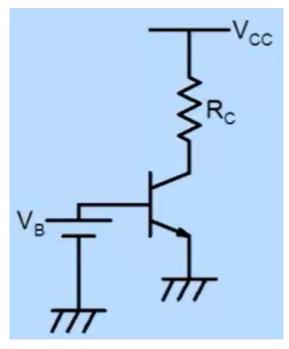


Every Circuit is a solution to one or more set of problems!

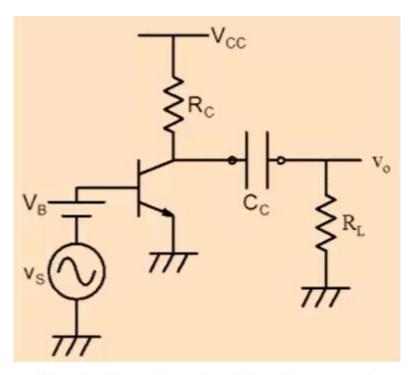
### Evolution of circuit from simple to complex



#### BJT amp-1



Bias the Transistor in Forward Active Mode

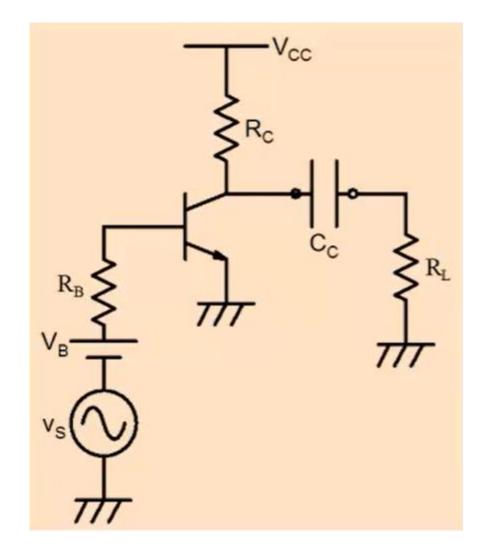


Apply the signal at the base and Connect the load

$$I_{C} \cong I_{S} \times \exp(\frac{V_{BE}}{V_{T}}) \qquad \Delta I_{C} \cong I_{S} \times \exp(\frac{V_{BE}}{V_{T}}) \times \frac{\Delta V_{BE}}{V_{T}} \qquad (\frac{\Delta I_{C}}{I_{C}}) = (\frac{\Delta V_{B}}{V_{B}}) \times (\frac{V_{BE}}{V_{T}})$$

Biasing is very sensitive to the biasing voltage and temperature

#### BJT amp-2



$$I_{B} = \frac{V_{B} - V_{BE}}{R_{B}}$$
$$I_{C} = \beta \times I_{B}$$

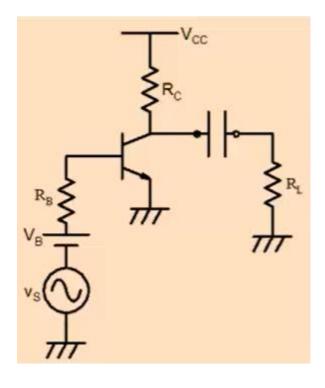
$$\frac{\Delta I_C}{I_C} = \frac{-\Delta V_{BE} + \Delta V_B}{V_B - V_{BE}}$$

$$\frac{dV_{BE}}{dT} = -2mV/^{\circ}C$$

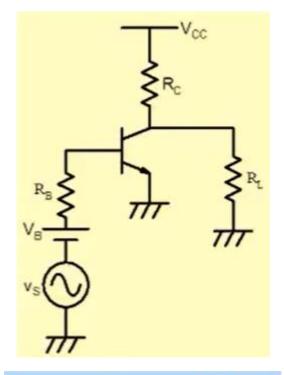
$$\Delta V_{BE}$$
= 100 mV

$$V_B - V_{BE} >> 100 \text{ mV}$$

#### Why use a capacitor at the output?



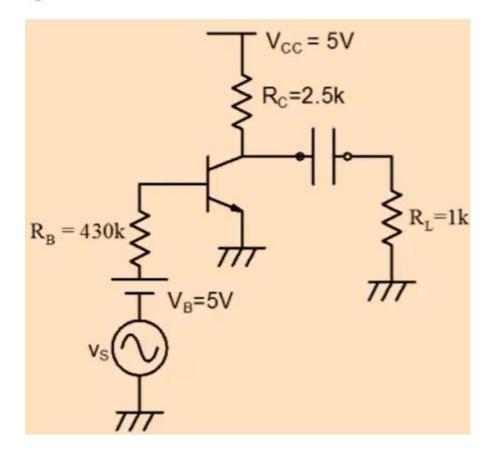
$$V_{CE} = V_{CC} - I_C R_C$$



$$V_{CE} = \frac{V_{CC} - I_C R_C}{1 + R_C / R_L}$$

It may become difficult to obtain the desired value of  $V_{CE}$  and bias point becomes load dependent.

## Example-1



Bias or quiescent (Q) Point:

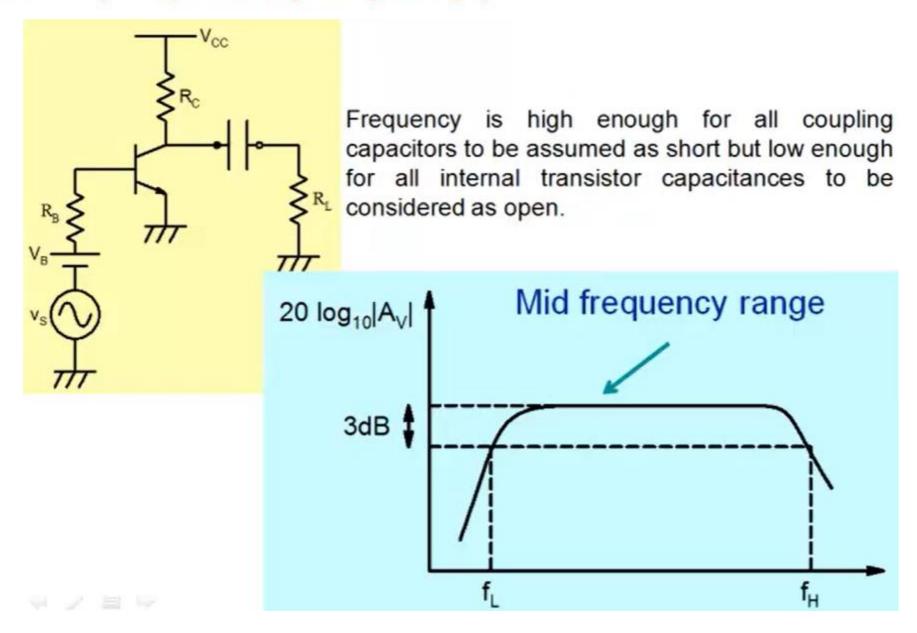
$$I_{CQ} = 1mA; \quad V_{CEQ} = 2.5V$$

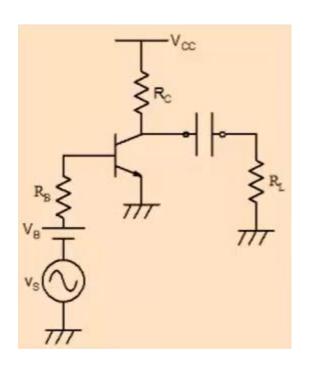
#### Design:

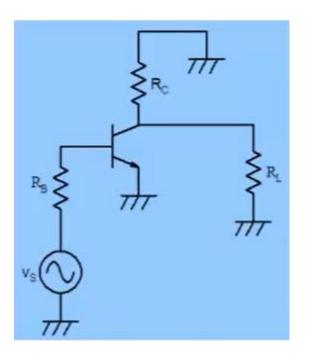
$$\begin{split} I_{\scriptscriptstyle B} = & \frac{V_{\scriptscriptstyle B} - V_{\scriptscriptstyle BE}}{R_{\scriptscriptstyle B}}; I_{\scriptscriptstyle C} = \beta \times I_{\scriptscriptstyle B} \\ V_{\scriptscriptstyle CE} = & V_{\scriptscriptstyle CC} - I_{\scriptscriptstyle C} \times R_{\scriptscriptstyle C} \\ I_{\scriptscriptstyle B} R_{\scriptscriptstyle B} > & 1 V \end{split}$$

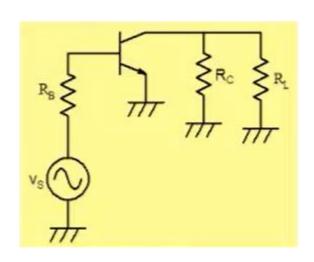
$$R_B = 430k\Omega$$
;  $R_C = 2.5k\Omega$ 

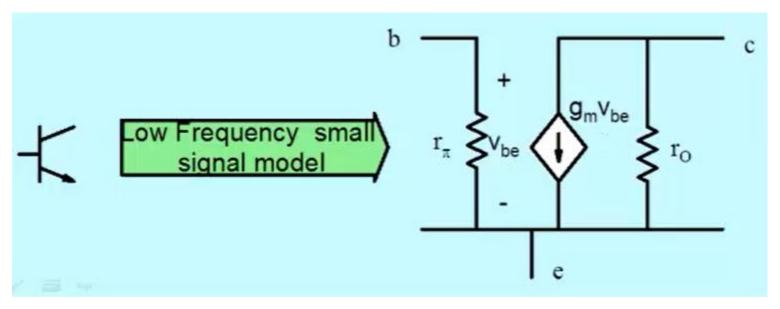
#### Small Signal Analysis (Mid Frequency Range)



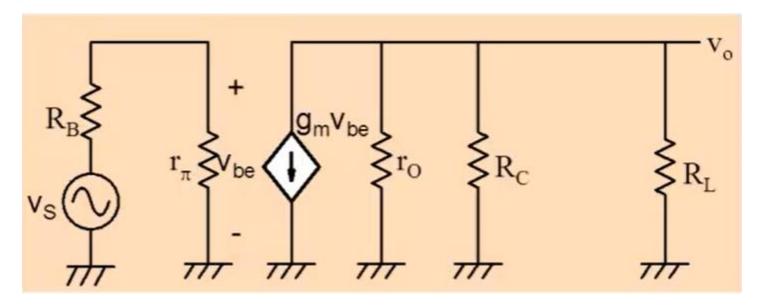








#### **Small Signal Analysis**

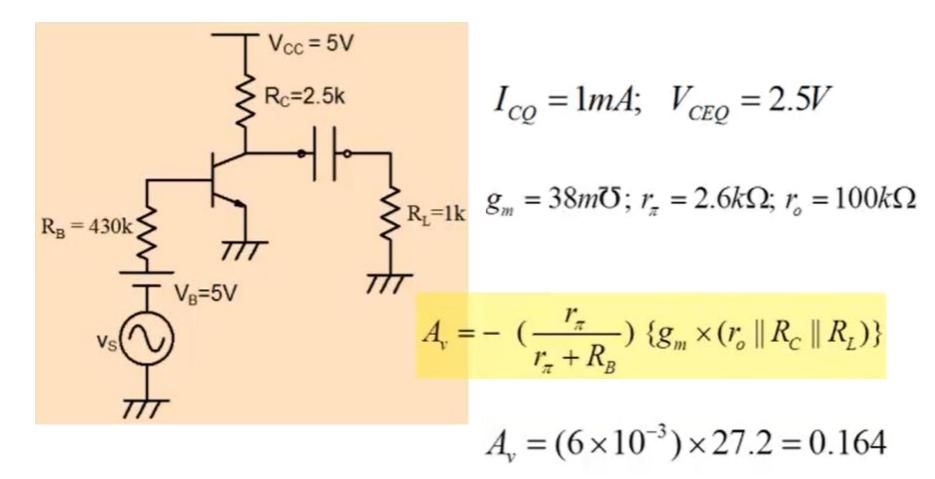


$$v_{be} = \frac{r_{\pi}}{r_{\pi} + R_B} v_s$$

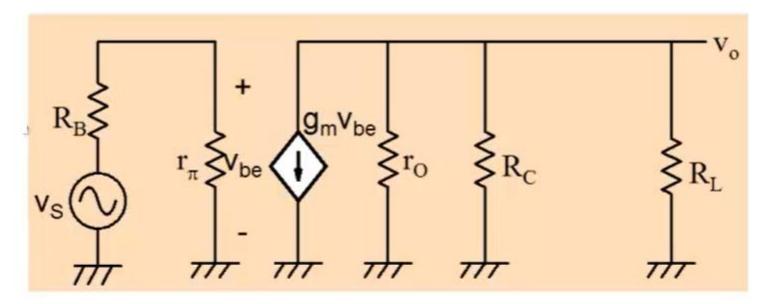
$$v_o = - g_m v_{be} \times (r_o || R_C || R_L)$$

$$A_{v} = -\left(\frac{r_{\pi}}{r_{\pi} + R_{B}}\right) \quad g_{m} \times (r_{o} \parallel R_{C} \parallel R_{L})$$

## Example-1



#### **Problem**

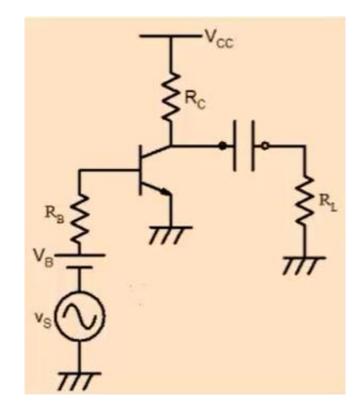


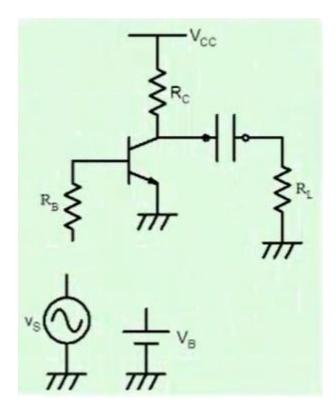
$$A_V \cong \left(\frac{r_{\pi}}{r_{\pi} + R_B}\right) g_m R_L$$

$$\left(\frac{r_{\pi}}{r_{\pi} + R_B}\right) = \frac{V_T / I_B}{(V_T / I_B) + R_B} = \frac{V_T}{V_T + I_B R_B}$$

A large fraction of input gets dropped across R<sub>B</sub>

### **Another Problem**

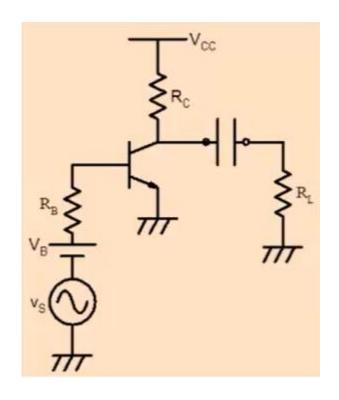


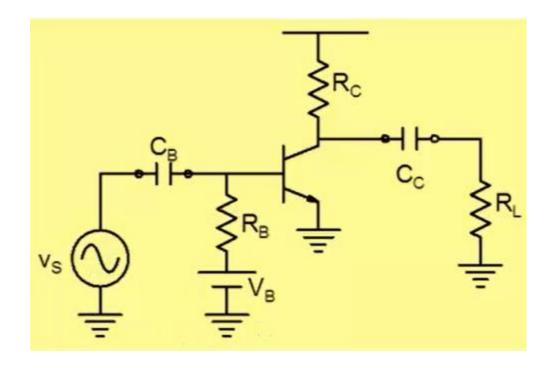


How do we connect vs and  $V_{\text{B}}$  in series when one terminal of both is ground?

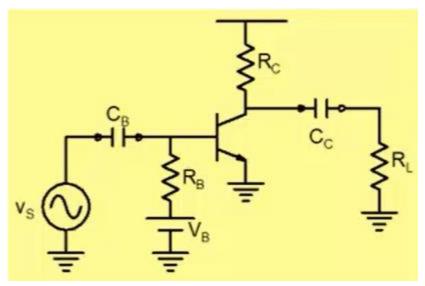
## Solution

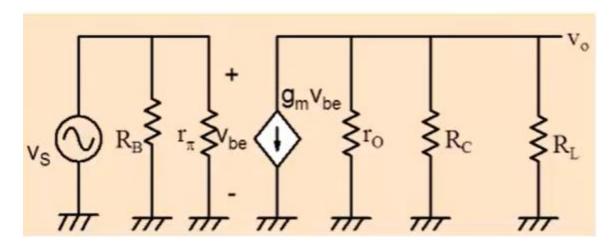
## Bypass resistance R<sub>B</sub> from the path of the input signal





## **Small Signal Model**





$$A_{v} = -g_{m} \times r_{0} \parallel R_{C} \parallel R_{L}$$
  

$$\cong -g_{m} \times R_{C} \parallel R_{L}$$

$$g_m \times R_C = \frac{I_C \times R_C}{V_T}$$